scale free network and power law

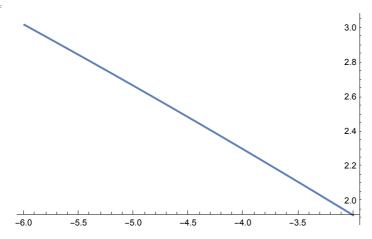
-5.0

```
in[12]:= a = Take[loglogba3, 10]
            {{-Log[100000/4737], Log[7]}, {-Log[50000/1659], Log[8]},
              {-Log[100000/2419], Log[9]}, {-Log[100000/1897], Log[10]},
              {-Log[50000/697], Log[11]}, {-Log[25000/253], Log[12]},
              {-Log[25000/223], Log[13]}, {-Log[50000/363], Log[14]},
              {-Log[3125/18], Log[15]}, {-Log[100000/499], Log[16]}}
Out[12]=
           \left\{\left\{-\log\left[\frac{800}{37}\right], \log[7]\right\}, \left\{-\log\left[\frac{100000}{3301}\right], \log[8]\right\}\right\}
             \left\{-\log\left[\frac{800}{19}\right], \log[9]\right\}, \left\{-\log\left[\frac{50000}{921}\right], \log[10]\right\}, \left\{-\log\left[\frac{100000}{1439}\right], \log[11]\right\},
             \left\{-\log\left[\frac{25\,000}{271}\right], \log[12]\right\}, \left\{-\log\left[\frac{20\,000}{179}\right], \log[13]\right\},
             \left\{-\log\left[\frac{100\,000}{739}\right], \log[14]\right\}, \left\{-\log\left[\frac{6250}{37}\right], \log[15]\right\}, \left\{-\log\left[\frac{50\,000}{249}\right], \log[16]\right\}\right\}
Out[13]=
           \left\{\left\{-\log\left[\frac{100000}{4737}\right], \log[7]\right\}, \left\{-\log\left[\frac{50000}{1659}\right], \log[8]\right\}\right\}
             \left\{-\log\left[\frac{100\,000}{2419}\right], \log[9]\right\}, \left\{-\log\left[\frac{100\,000}{1897}\right], \log[10]\right\},
             \left\{-\log\left[\frac{50\,000}{697}\right], \log[11]\right\}, \left\{-\log\left[\frac{25\,000}{253}\right], \log[12]\right\}, \left\{-\log\left[\frac{25\,000}{223}\right], \log[13]\right\},
             \left\{-\log\left[\frac{50\,000}{363}\right], \log[14]\right\}, \left\{-\log\left[\frac{3125}{18}\right], \log[15]\right\}, \left\{-\log\left[\frac{100\,000}{499}\right], \log[16]\right\}\right\}
  In[10]:= line = Fit[loglogba3, {1, x}, x]
Out[10]=
            0.929112 - 0.345376 x
           parabola = Fit[loglogba3, {1, x, x^2}, x]
 In[11]:=
Out[11]=
            0.702009 - 0.424623 \times - 0.00643417 \times^{2}
 In[15]:= g1 = ListPlot[a]
Out[15]=
                                                                                                 2.8
                                                                                                 2.4
                                                                                                2.2
                                                                                                 2.0
```

-4.0

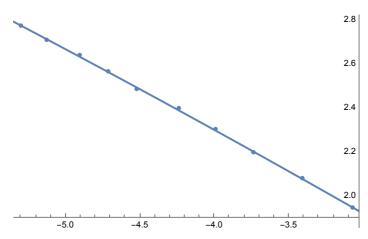
In[16]:= **g2 = Plot[parabola, {x, -6, -3}]**

Out[16]=



In[17]:= **Show[g1, g2]**

Out[17]=



In[18]:= Histogram[VertexDegree[ba3], {"Log", 10}, {"Log", "PDF"}]

Out[18]= 0.100 0.010 0.001 10^{-4} 10^{-5} 10^{-6} 10⁻⁷ 1000

```
In[19]:= Histogram[VertexDegree[ba3], {"Log", 25}, {"Log", "PDF"}]
Out[19]=
       0.01
       10
                                                            1000
 in[20]:= g = ExampleData[{"NetworkGraph", "Internet"}];
 In[21]:= VertexCount[g]
Out[21]=
       22963
 In[22]:= Round[EdgeCount[g] / VertexCount[g]]
Out[22]=
 In[23]:= baInternet = BarabasiAlbertGraphDistribution[
          VertexCount[g], Round[EdgeCount[g] / VertexCount[g]]]
Out[23]=
       BarabasiAlbertGraphDistribution[22963, 2]
 In[24]:= {Histogram[VertexDegree[g], {"Log", 10}, {"Log", "PDF"}],
        Histogram[VertexDegree[RandomGraph[baInternet]], {"Log", 10}, {"Log", "PDF"}]}
Out[24]=
        0.100
        0.010
                                      0.01
        0.001
         10^{-4}
         10<sup>-5</sup>
                                      10^{-5}
         10<sup>-6</sup>
         10^{-7}
                                                       50 100
                                                                500
 In[25]:= N[GlobalClusteringCoefficient[g]]
Out[25]=
       0.0111464
 In[26]:= N[GlobalClusteringCoefficient[RandomGraph[baInternet]]]
Out[26]=
       0.000824565
```

In[27]:= ba2 = RandomGraph[BarabasiAlbertGraphDistribution[10^5, 2]]; empddistrBA2 = EmpiricalDistribution[VertexDegree[ba2]] Out[28]= DataDistribution Type: Empirical Data points: 100 000 In[29]:= ba4 = RandomGraph[BarabasiAlbertGraphDistribution[10^5, 4]]; empddistrBA4 = EmpiricalDistribution[VertexDegree[ba4]] Out[30]= DataDistribution Type: Empirical Data points: 100 000