

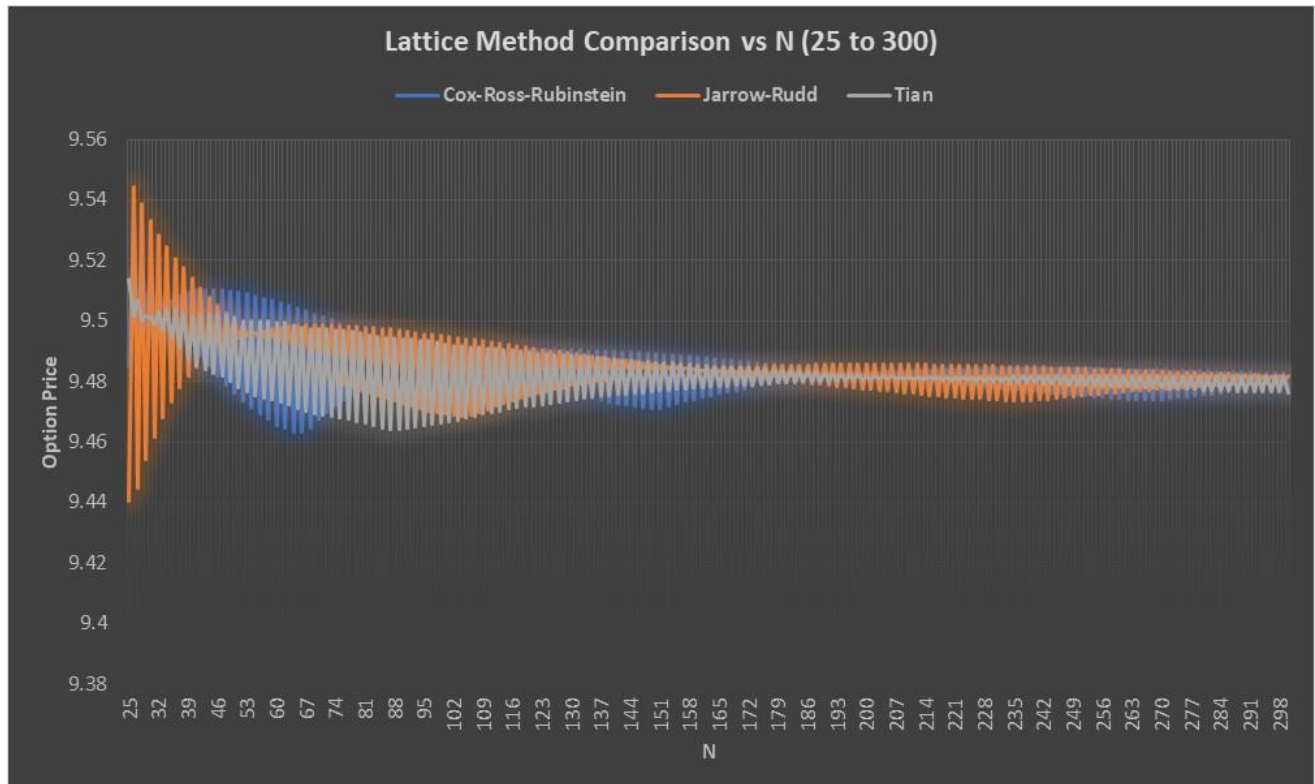
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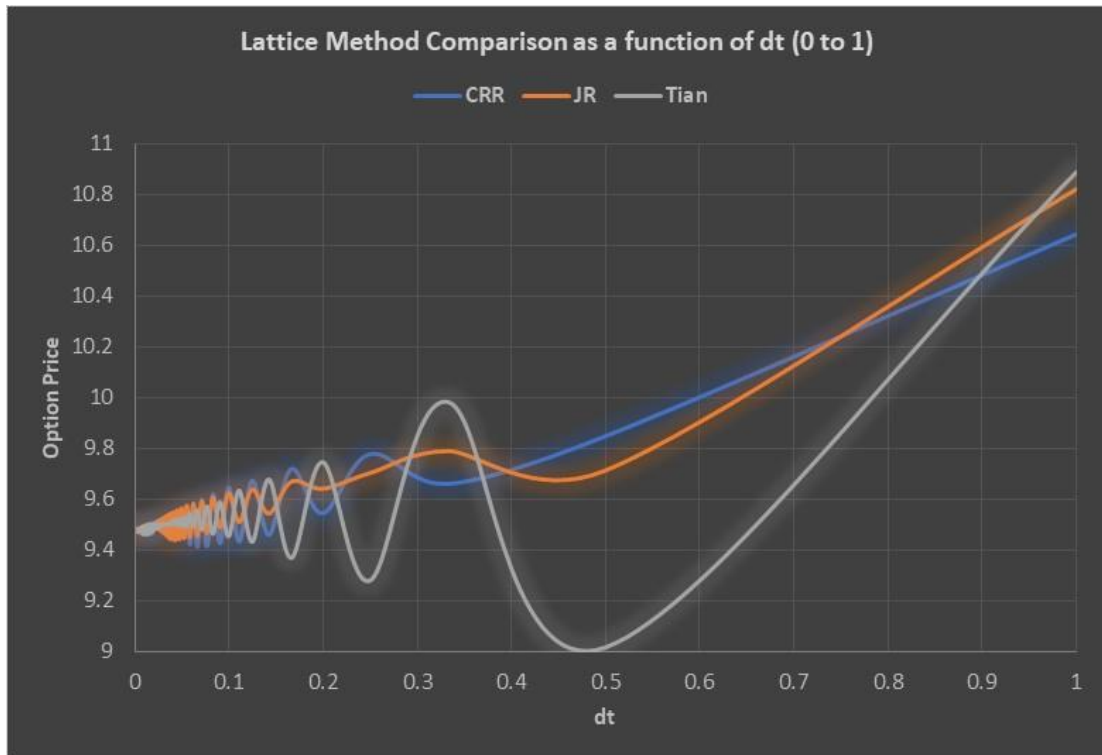
Joseph Loss (loss2)

Computational Assignment #1

1a.

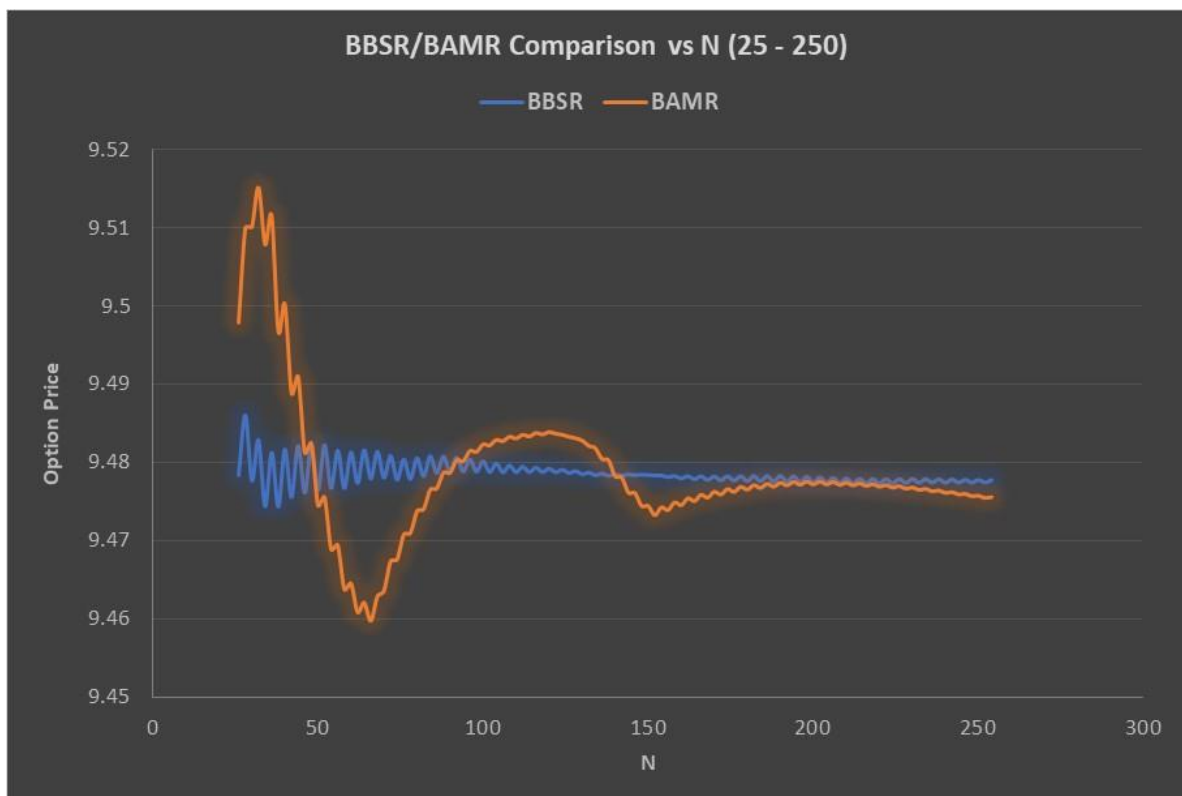


- The output of option prices for the three models converges on a price of approximately \$9.48 for the American put option ($N = 256$).
- As can be seen in the plot above, as the number of steps increases, the spread of prices for the American put option decreases (i.e. accuracy/convergence increases).
- Additionally, note that the difference in the spread of option prices for each model (from largest to smallest) is as follows: JR > CRR > Tian.

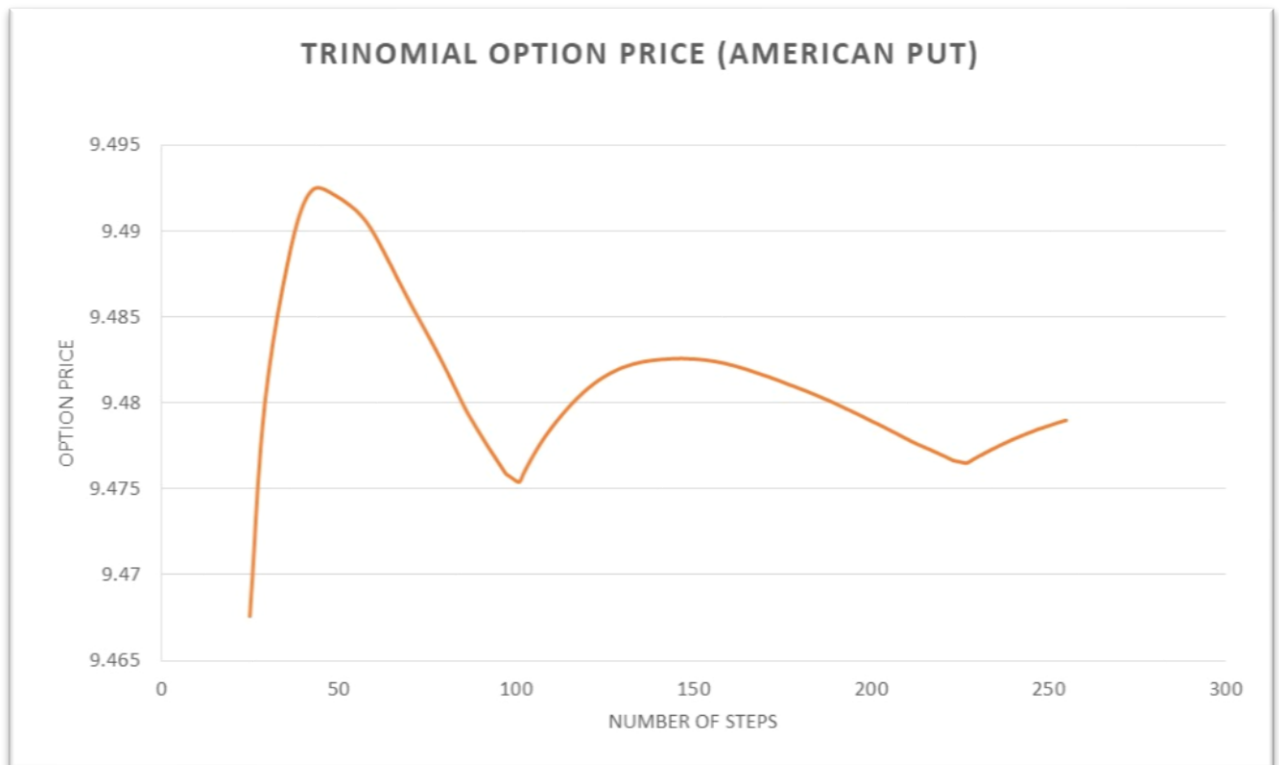


Note that the models converge as $N \rightarrow \infty$ and $dt \rightarrow 0$

1b.

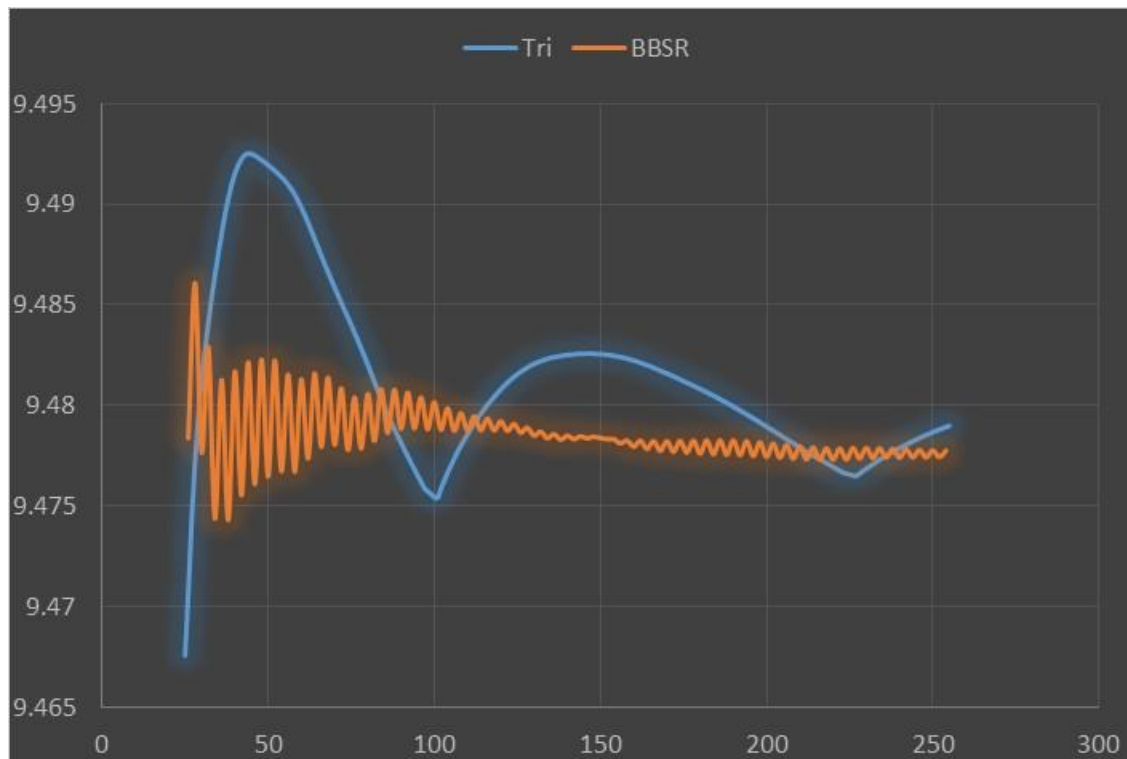


1c.



- Note that as the number of steps increases (particularly ≥ 250), the option price converges to $\sim \$9.477$ (approx. \$9.48)

1d.



- In the graph above, we can see that the Trinomial method has a similar shape to the BAMR method (after all, these methods are pretty similar in practice).
- While the Trinomial model shows larger jumps (wider spread in option prices), the pricing model is significantly “smoother” as we increase the number of steps.
 - This contrasts with the BAMR model, which frequently bounces high/low prices as it converges (as we increase N).

2. Multi-Dimensional Options



CPU Time Table:

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CPU Duration vs Time-Steps						
Steps:	15	30	60	120	240	480
CPU Time:	0.002	0.018	0.244	3.275	46.83	733.654

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- Notice that as the number of time-steps increases, the computational requirement increases exponentially.
 - For example, if we double the time-step from 240 to 480, the computational effort is 15.7 times larger!