## **National Taiwan University**

## **Department of Engineering Science and Ocean Engineering**

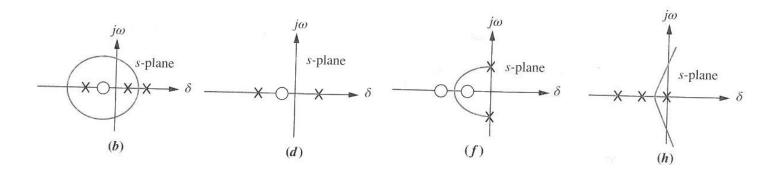
2019 Winter Semester

Homework 5

#### Chap 8 A Graph Tool - Root Locus

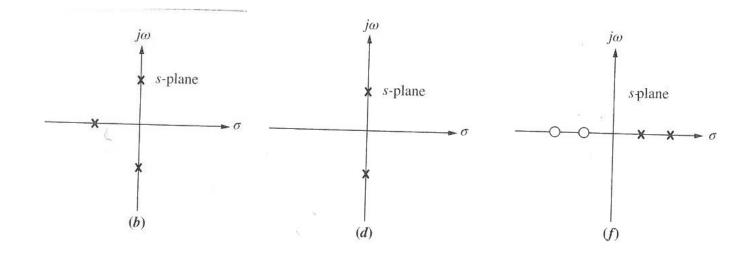
# 1. Chap 8 Prob. 1 (b)(d)(f)(h)

1. For each of the root loci shown in Figure P8.1, tell whether or not the sketch can be a root locus. If the sketch cannot be a root locus, explain why. Give *all* reasons. [Section: 8.4]



# 2. Chap 8 Prob. 2 (b)(d)(f)

2. Sketch the general shape of the root locus for each of the open-loop pole-zero plots shown in Figure P8.2. [Section: 8.4]



### 3. Chap 8 Prob. 10

10. Sketch the root locus and find the range of *K* for stability for the unity-feedback system shown in Figure P8.3 for the following conditions: [Section: 8.5]

a. 
$$G(s) = \frac{K(s^2 + 1)}{(s - 1)(s + 2)(s + 3)}$$
  
b.  $G(s) = \frac{K(s^2 - 2s + 2)}{s(s + 1)(s + 2)}$ 

### 4. Chap 8 Prob. 14

 Let the unity-feedback system of Figure P8.3 be defined with

$$G(s) = \frac{K(s+3)}{s(s+1)(s+4)(s+6)}$$

Then do the following: [Section: 8.5]

- a. Draw the root locus.
- b. Obtain the asymptotes.
- c. Obtain the value of gain that will make the system marginally stable.
- d. Obtain the value of gain for which the closed-loop transfer function will have two identical real roots.

### 5. Chap 8 Prob. 20(a)-(g)

20. Assume for the unity-feedback system shown in Figure P8.3, that

$$G(s) = \frac{K(s^2 - 2s + 2)}{(s+1)(s+3)(s+4)(s+5)}$$

Then do the following: [Section: 8.7]

- a. Make a sketch of the root locus.
- b. Calculate the asymptotes.
- c. Find the range of *K* for which the system is closed-loop stable.
- d. Caculate the breakaway points.
- e. Obtain the value of *K* that results in a step response with 20% overshoot.
- **f.** Obtain the locations of all closed-loop poles when the system has 20% over shoot.
- g. Discuss the validity of a second-order approximation for the given overshoot specification.

### Submission place and deadline: