

Direct Detection of the Dark Matter: Germanium detector Internal Amplification(GeIA)

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Parameter(1): Mean free path

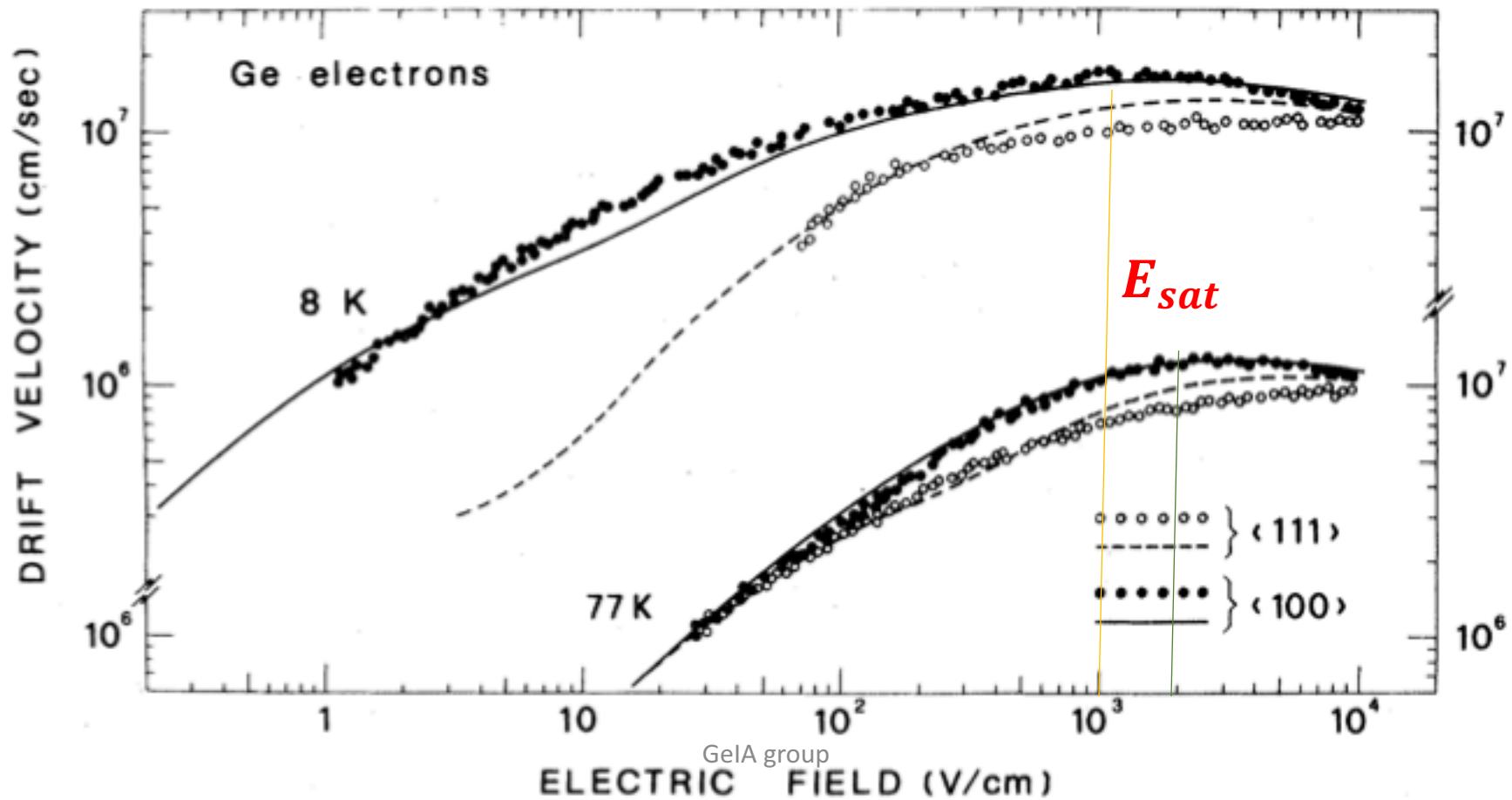
- *Definition:
- How far the electron(hole) can run without colliding with others
- (Relaxation time) * (velocity)

Parameter(2): Relaxation time

- How long the electron(hole) can run without colliding with others
- Formula: $\frac{\mu \times m^*}{e} = \tau$
- (1) μ (mobility) = $\frac{v_d(1+\frac{E}{E_{sat}})}{E}$
- (2) m^* (Effective mass): bounded electron ($F=m^*a$)
- ➔ Use effective mass to do the approximation
- ➔ $\text{electron}^* = 0.21^*(\text{free e- mass})$, $\text{hole}^* = 0.12^*(\text{free e- mass})$
- (3) e (Charge constant)

Parameter(3): Velocity

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Parameter(4): Ionization rate

$$\alpha_s = \frac{a_s}{z} \exp\left(-\frac{b_s}{E(x)}\right) \quad \text{with } s = \{n, p\} \quad (20a)$$

and

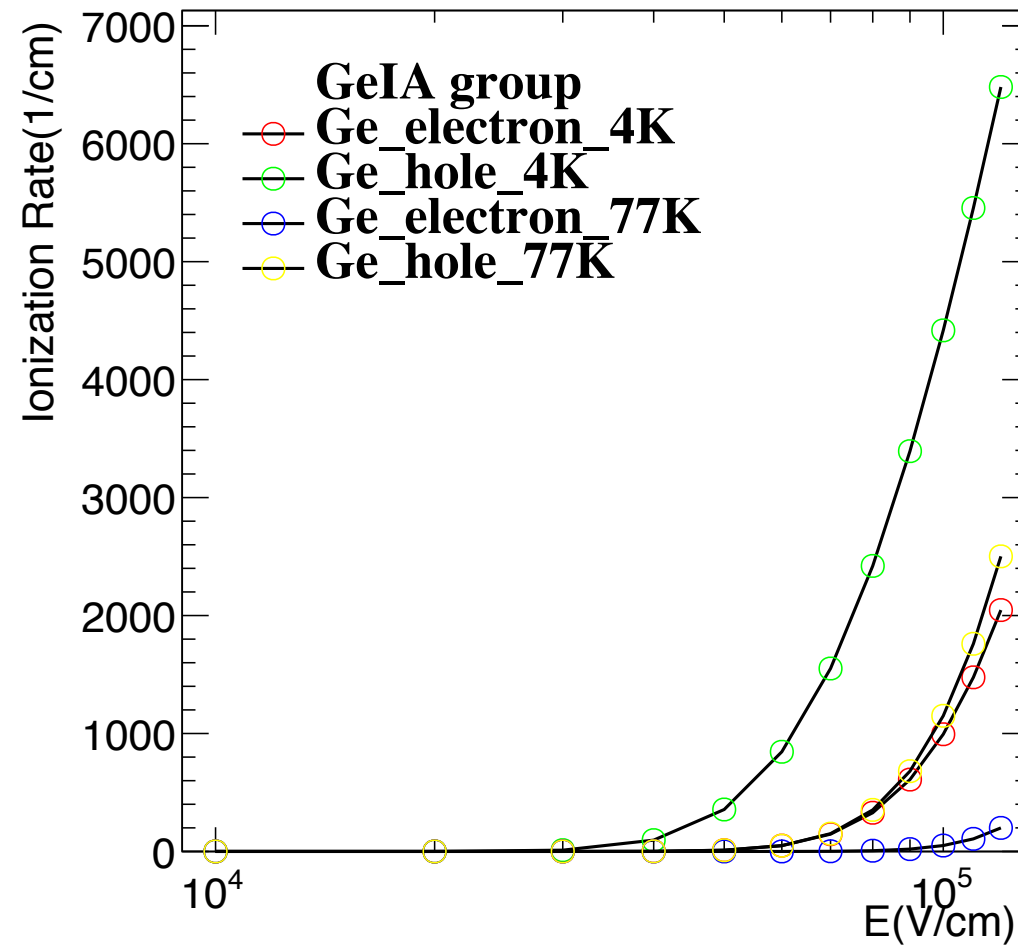
$$z(x) = 1 + \frac{b_n}{E(x)} \exp\left(-\frac{b_n}{E(x)}\right) + \frac{b_p}{E(x)} \exp\left(-\frac{b_p}{E(x)}\right) \quad (20b)$$

and

$$a_s = \gamma_s = \frac{1}{L_s} \quad \text{and} \quad b_s = \frac{U_c^s \gamma_s}{q} \quad (20c)$$

Important point: (1) Mean free path (2) Ionization energy

Results – Ionization rate(1/cm)



Conclusion and Prospect

- For the ionization rate of the Ge electron and hole
- ➔ 4K is bigger than 77K for both of them.
- We need to use more than $3 \times 10^4 (\frac{V}{cm})$ to drive the Ge electron and hole
- Next step:
- (1) Figure out the ionization rate of the impurities
- (2) Jump into the real point contact detector
- ➔ Use the real electric field in the detector to figure out the gain.