



Study of Jet Substructure Variables for the Future Detector

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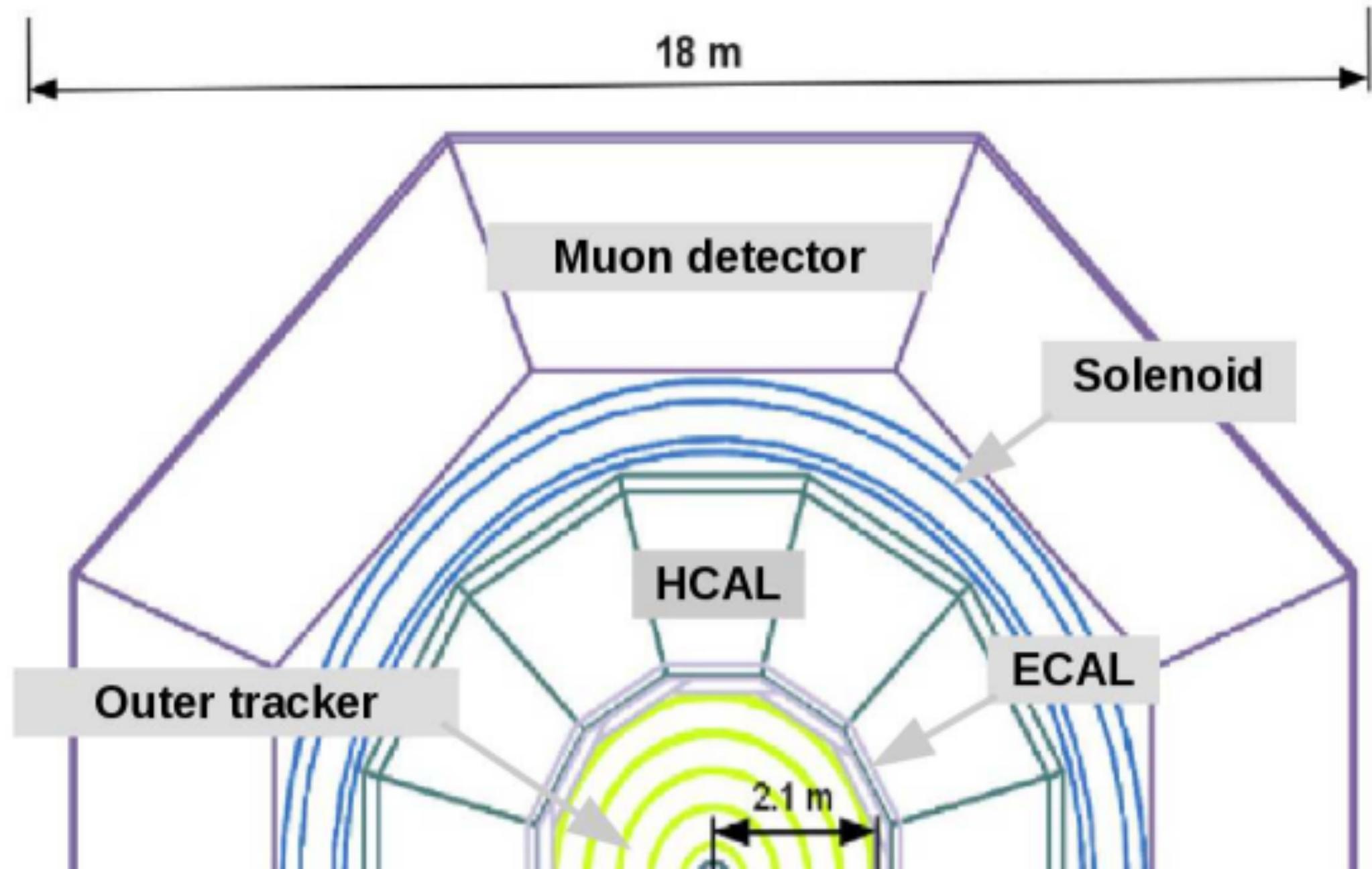
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Abstract:

In this poster, we study the performance of hadron calorimeter in SiFCC for the future $\sqrt{s}=100$ TeV pp collider. The GEANT4 full simulation includes calorimeters with different cell sizes. We aim to efficiently separate signal $Z' \rightarrow WW$ or $Z' \rightarrow tt$ and background $Z' \rightarrow qq$. Various jet substructure variables and Z' masses from 5 to 40 TeV collision energy are also compared.

Geant 4 simulation of Future detector,SiFCC



Barrel	Technology	pitch/cell	radii (cm)	$ z $ size (cm)
Vertex detector	silicon pixels/5 layers	25 μm	1.3 - 6.3	38
Outer tracker	silicon strips/5 layers	50 μm	39 - 209	921
ECAL	silicon pixels+W	2x2 cm	210 - 230	976
HCAL	scintillator+steel	5x5 cm	230 - 470	980
Solenoid	5 T (inner), -0.6 T (outer)	-	480 - 560	976
Muon detector	RPC+steel	3x3 cm	570 - 903	1400

Basic jet recombination algorithm:

$$d_{ij} = \min(k_{ti}^2 p_t, k_{tj}^2 p_t) \frac{\Delta_{ij}^2}{R^2}$$

$$d_{ib} = k_{ti}^2 p_t$$

$$\Delta_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$$

i, j : the i and j particle
 k_{ti}, k_{tj} : the particle i and j transverse momentum

If $d_{ij} < d_{ib}$, j particle will be merged in i particle

- 1.p=0 : Cambridge/Aachen algorithm
- 2.p=1 : kt algorithm
- 3.p=-1 : anti-kt algorithm

Jet Substructure variables:

1.N-subjetness:

$$\tau_N = \frac{1}{d_0} \sum_k P_{t,k} \min\{\Delta R_{1,k}, \Delta R_{2,k} \dots \Delta R_{N,k}\}$$

$$d_0 = \sum_k P_{t,k} R_0$$

$\Delta R_{i,k}$: angle that k particle from the i axis
 R_0 : The cone size we want to cluster

$$\tau_{21} = \frac{\tau_2}{\tau_1}, \tau_{32} = \frac{\tau_3}{\tau_2}$$

2.Energy correlation function

$$ECF(N, \beta) = \sum_{i_1 < i_2 < \dots < i_N \in J} \left(\prod_{a=1}^N P_{T,ia} \right) \left(\prod_{b=1}^{N-1} \sum_{c=b+1}^N R_{ibic} \right) \beta$$

$$C_N^{(\beta)} \equiv \frac{r_N}{r_{N-1}} = \frac{ECF(N+1, \beta) ECF(N-1, \beta)}{ECF(N, \beta)^2}$$

3.Soft drop:

$$\frac{\min(P_{T1}, P_{T2})}{P_{T1} + P_{T2}} < Z_{cut} \left(\frac{\Delta R_{12}}{R_0} \right)^\beta$$

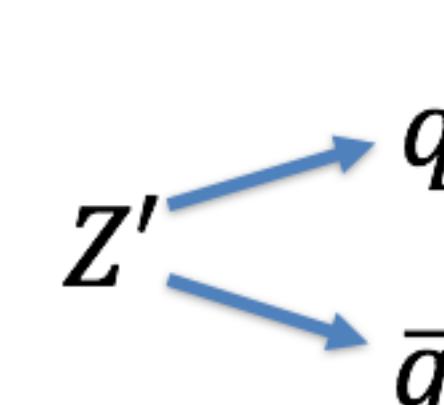
$\beta > 0$: Remove (soft), maintain(soft – collinear)

$\beta = 0$: Depend on the cut to select the asymmetry

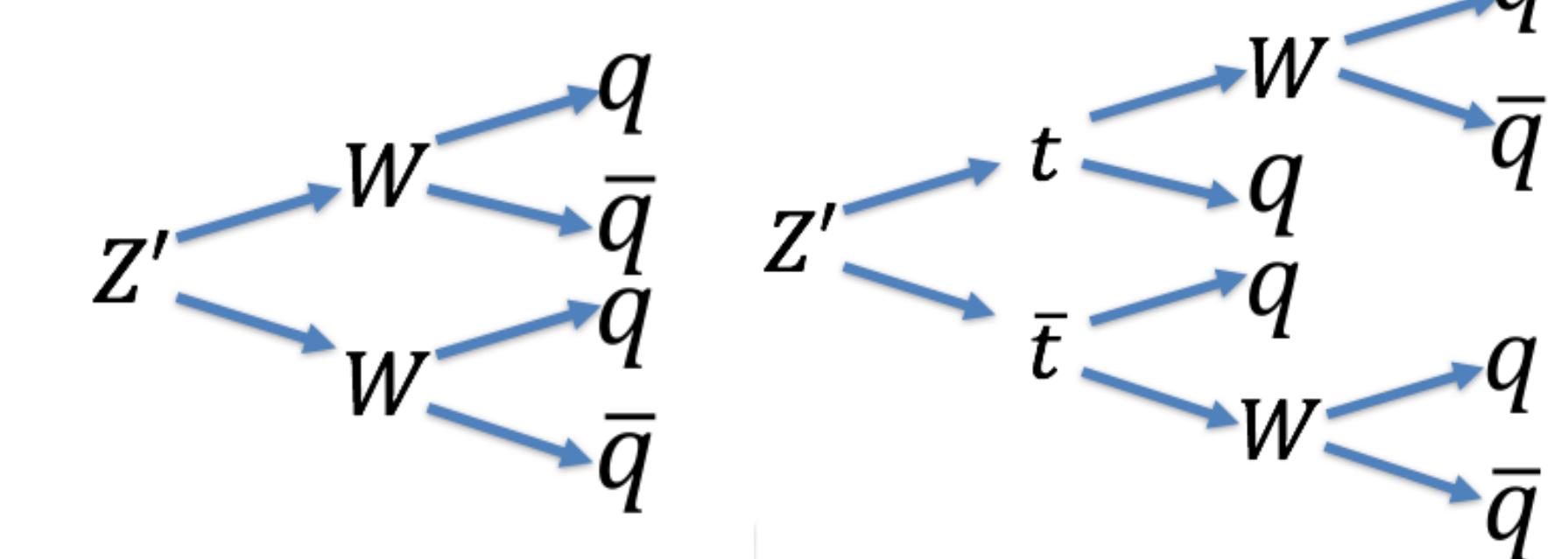
$\beta < 0$: Remove both (soft)and (collinear)

Signal and QCD Background process:

QCD Background:

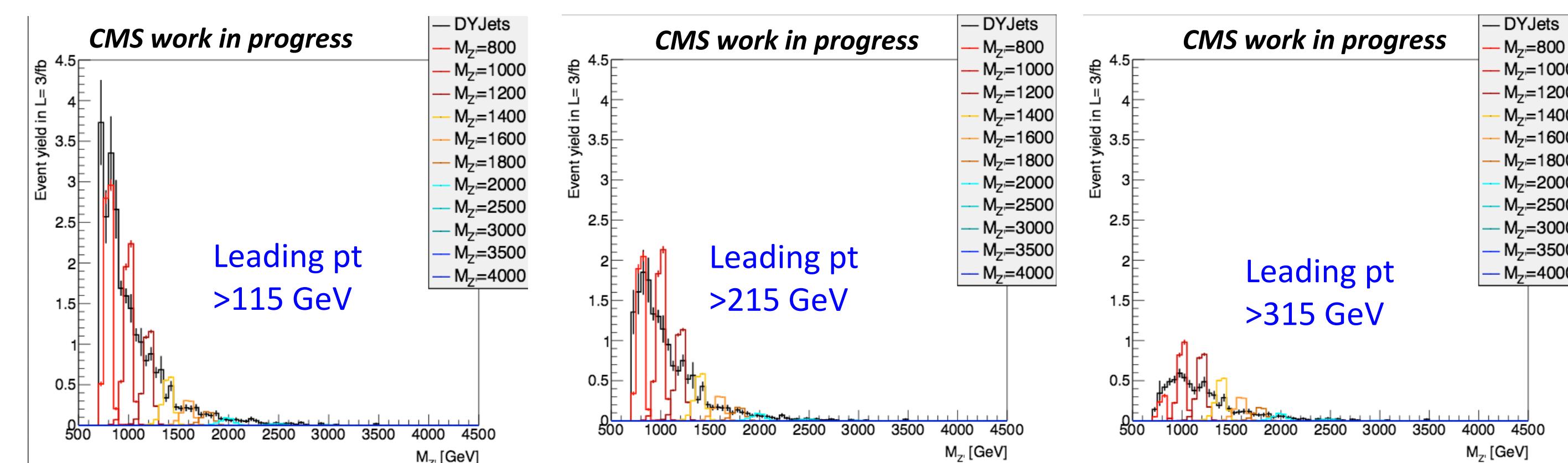


Signal:

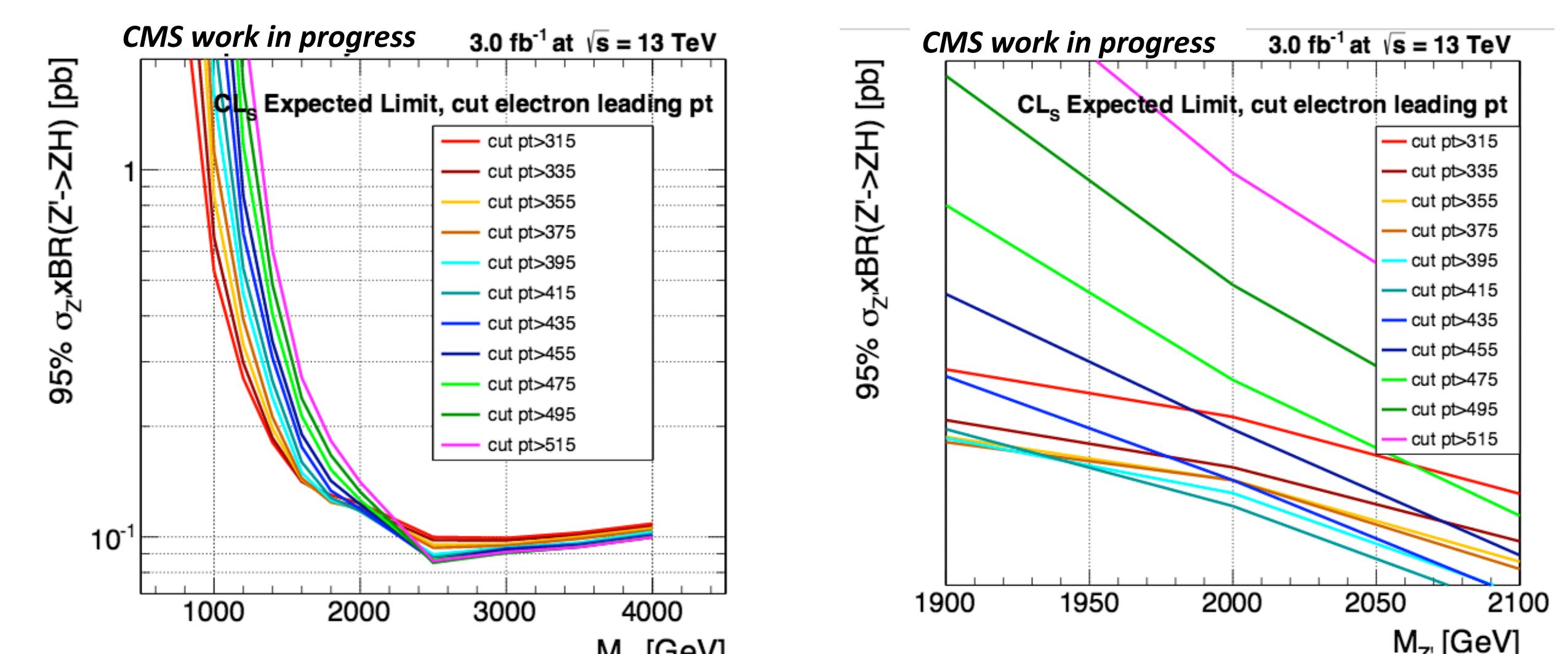


Expected limit:

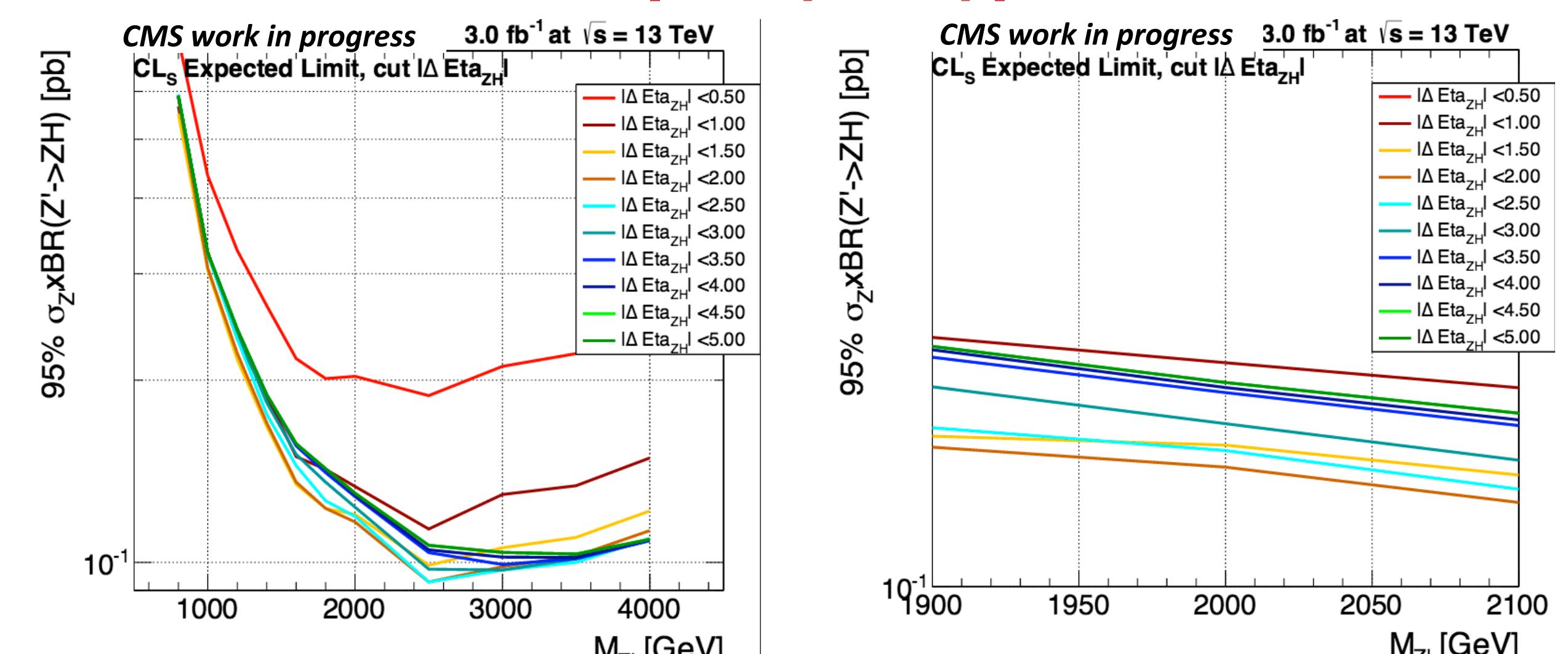
Zprime mass distribution in L=3/fb:



Optimization of leading electron pt :



Optimization of |Δη(Z,H)|:



Optimization result:

	M=1000	M=2000	M=3000
Leading pt	Pt>195 GeV	Pt>415 GeV	Pt>495 GeV
Sub-Leading pt	Pt>75 GeV	Pt>175 GeV	Pt>195 GeV
$ \Delta \eta(Z, H) $	$ \Delta \eta(Z, H) < 1.5$	$ \Delta \eta(Z, H) < 2.0$	$ \Delta \eta(Z, H) < 2.5$

Summary :

The two optimization methods get consistent results of the best cuts, and the $|\Delta \eta(Z, H)|$ cut will be considered to be added into the final selection.

Reference :