

Introduction to Machine Learning in Engineering Science

National Cheng Kung University

Department of Engineering Science

Instructor: Chi-Hua Yu

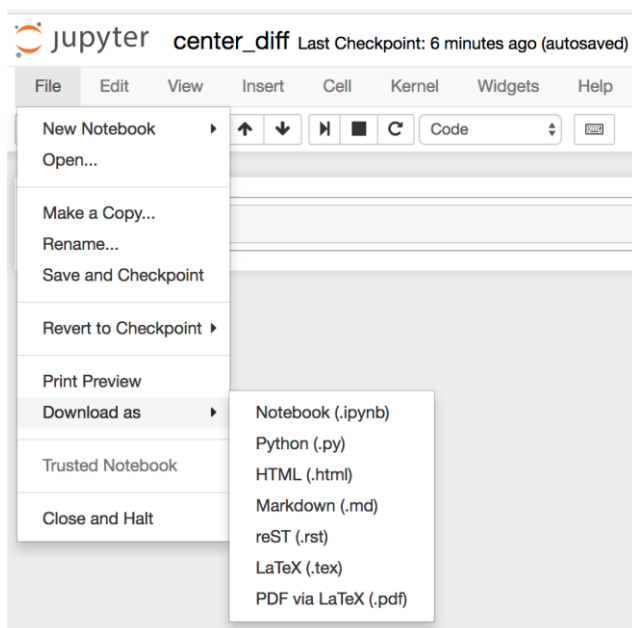
Lab 3

Programming, Due 12:00, Saturday, October 23rd, 2021

Late submission before post of solution: score*0.8 (the solution will usually be posted within a week); no late submission after the post of solution

Lab Submission Procedure (請仔細閱讀)

1. You should submit your Jupyter notebook and Python script (*.py, in Jupyter, click File, Download as, Python (*.py)).



2. Name a folder using your student id and lab number (e.g., n96081494_lab1), put all the python scripts into the folder and zip the folder (e.g., n96081494_lab 1.zip).
3. Submit your lab directly through the course website.

Total 120%

1. (120%) Name your Jupyter notebook `Perceptron.ipynb` and Python script `preception.py`. As we mentioned in lecture last Friday, the learning rule can be expressed as

$$\mathbf{w} \leftarrow \mathbf{w} + \eta \cdot (y - d^{(k)}) \cdot \mathbf{x}^{(k)}$$

where

$\mathbf{w} = [\theta \quad w_1 \quad w_2 \quad \cdots \quad w_n]$ is the vector containing the threshold and weights;

$\mathbf{x}^{(k)} = [-1 \quad x_1^{(k)} \quad x_2^{(k)} \quad \cdots \quad x_n^{(k)}]$ is the k^{th} training sample;

$d^{(k)}$ is the desired value for the k^{th} training sample;

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η is a constant that defines the learning rate of the Perceptron.

(a) (80%) Please finish the fit function we provide in Perceptron.py file and test the code using the following code fragment.

```
%matplotlib inline
import matplotlib.pyplot as plt
import numpy as np
from sklearn.datasets import load_iris
#from sklearn.linear_model import Perceptron
from sklearn.model_selection import train_test_split
from perceptron import Perceptron

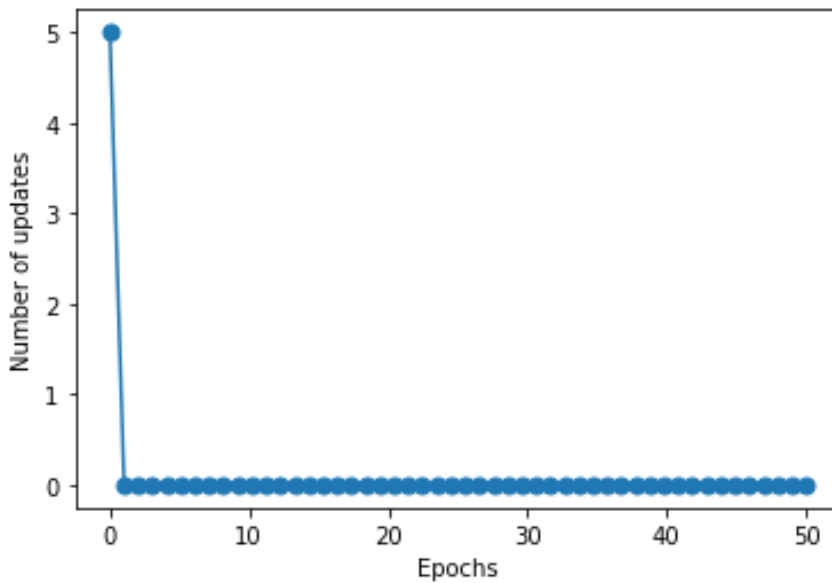
iris = load_iris()
X = iris.data[0:100, (0, 2)] # sepal length, petal length
y = iris.target[0:100] # Setosa or Versicolor
# plot data
plt.scatter(X[:50, 0], X[:50, 1],
            color='red', marker='o', label='setosa')
plt.scatter(X[50:100, 0], X[50:100, 1],
            color='blue', marker='x', label='versicolor')
plt.xlabel('sepal length [cm]')
plt.ylabel('petal length [cm]')
plt.legend(loc='upper left')

per_clf = Perceptron(random_state=42)
#default learning rate = 1.0
X_train, X_test, y_train, y_test = train_test_split(X, y,
                                                    test_size=0.2, random_state=1)
per_clf.fit(X_train, y_train)
y_pred = per_clf.predict(X_test)
print('Misclassified samples: %d' % (y_test != y_pred).sum())

Misclassified samples: 0
```

(b) (40%) Plot the training history and write a function `plot_decision_regions` to visualize the decision region. You can use the below code fragment

Below is the running example:



```
plot_decision_regions(X, y, classifier=per_clf)
plt.xlabel('sepal length [cm]')
plt.ylabel('petal length [cm]')
plt.legend(loc='upper left')
```

```
# plt.savefig('images/02_08.png', dpi=300)
plt.show()
```

The filled contour of red and blue colors in the example figure is drawn by `plt.contourf`. The grids coordinates needed to draw filled contour can use `np.meshgrid`, and use the trained perceptron to predict the height values of the contour.

