CS 203 Assignment 9 Team 20

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## Introduction

GitHub Link: https://github.com/chinmayp995/CS203-Assignment-10

This assignment aims to apply A/B testing using hypothesis testing on ad-click data and to detect covariate shifts in air quality data using statistical tests.

We learned how to:

- Use proportions\_ztest to compare click-through rates (CTR).
- Apply the Kolmogorov–Smirnov (KS) test to identify distributional differences.

## Part 1: A/B Testing using Ad Click Prediction

We used a Kaggle ad-click dataset; the first five rows of the dataset look like these. Then we Performed necessary data cleaning and preprocessing, like drop missing rows and converting numerical columns into categorical columns. Then, split the dataset into two groups:

- Group A: Users who saw ads at the top (ad position = 0)
- Group B: Users who saw ads at the bottom (ad position = 1)

```
# converting to categorical
df['gender'] = df['gender'].astype('category')
df['ad_position'] = df['ad_position'].astype('category')

# map gender categories
df['gender'] = df['gender'].map({'Male': 0, 'Female': 1, 'Non-Binary': 2})

# convert to category again and add -1 to handle NaN values
df['gender'] = df['gender'].astype('category')
df['gender'] = df['gender'].cat.add_categories([-1])
df['gender'] = df['gender'].fillna(-1)

# mapping ad_position categories
df['ad_position'] = df['ad_position'].map({'Top':0,'Bottom':1,'Side':2})
```

```
# splitting into group A (Top) and group B (bottom)
group_a = df[df['ad_position'] == 0]
group_b = df[df['ad_position'] == 1]
```

group\_a.head()

	id	full_name	age	gender	device_type	ad_position	browsing_history	time_of_day	click
0	670	User670	22.0	-1	Desktop	0	Shopping	Afternoon	1
1	3044	User3044	NaN	0	Desktop	0	NaN	NaN	1
6	7808	User7808	26.0	1	Desktop	0	NaN	NaN	1
15	7529	User7529	NaN	-1	NaN	0	Entertainment	Afternoon	0
18	2124	User2124	NaN	0	Desktop	0	NaN	Evening	1

group\_b.head()

	id	full_name	age	gender	device_type	ad_position	browsing_history	time_of_day	click
5	5942	User5942	NaN	2	NaN	1	Social Media	Evening	1
8	7993	User7993	NaN	2	Mobile	1	Social Media	NaN	1
9	4509	User4509	NaN	-1	NaN	1	Education	Afternoon	1
10	2595	User2595	NaN	-1	NaN	1	NaN	Morning	1
11	7466	User7466	47.0	-1	Mobile	1	NaN	Afternoon	1

• Used the statsmodel's proportions\_ztest function to perform an independent two-sample z-test between Group A and Group B.

```
In [18]: # CTRs :Click through rate
    ctr_A = clicks_A / n_A
    ctr_B = clicks_B / n_B

    print(f"CTR (Top ads): {ctr_A:.4f}")
    print(f"CTR (Bottom ads): {ctr_B:.4f}")

CTR (Top ads): 0.6350
    CTR (Bottom ads): 0.6873

In [19]: # performing z-test
    z_score, p_value = proportions_ztest([clicks_A, clicks_B], [n_A, n_B])
    print(f"Z_score: {z_score:.4f}")
    print(f"P_value: {p_value:.4f}")

Z_score: -4.0642
    P_value: 0.0000
```

The z-test resulted in a z-score of -4.0642 and a p-value of 0. Since the p-value is less than 0.05, we reject the null hypothesis. This indicates a statistically significant difference in click-through rates between ads placed at the top and those at the bottom. The negative z-score also suggests that bottom-position ads had a higher click-through rate in this dataset.

## Part 2: Covariate Shift Detection Using Air Quality Data

Loading all three datasets using Pandas is shown in the screenshot.

```
# loading air quality datasets
train = pd.read_csv("train.csv")
test1 = pd.read_csv("test1.csv")
test2 = pd.read_csv("test2.csv")
```

• Performing the Kolmogorov-Smirnov test for this, we are using from Scipy.stats import ks 2samp

```
In [26]:
           # just preview
           print("\nTrain NO2(GT):", train_no2.describe())
           print("Test1 NO2(GT):", test1_no2.describe())
           print("Test2 NO2(GT):", test2_no2.describe())
         Train NO2(GT): count
                                    3200.000000
                     45.605625
         mean
                    114.663990
         std
         min
                   -200.000000
         25%
                     47.750000
         50%
                     84.000000
         75%
                    114.000000
         max
                    233.000000
         Name: NO2(GT), dtype: float64
         Test1 NO2(GT): count
                                    800,000000
                    42.621250
         mean
         std
                   117.115831
                  -200.000000
         min
         25%
                    46.750000
         50%
                    84.000000
         75%
                   114.000000
                   223.000000
         max
         Name: NO2(GT), dtype: float64
         Test2 NO2(GT): count
                                    800.000000
         mean
                   129.682500
         std
                    61.071957
                  -200.000000
         min
         25%
                   100.000000
                   133.000000
         50%
         75%
                   163.250000
                   248.000000
         Name: NO2(GT), dtype: float64
In [27]:
         # comparing train vs test1
        ks_stat1, p_val1 = ks_2samp(train_no2, test1_no2)
        print(f"Test1 vs. Train: KS Stat = {ks_stat1:.4f}, P-Value = {p_val1:.4f}")
        # comparing train vs test2
        ks_stat2, p_val2 = ks_2samp(train_no2, test2_no2)
        print(f"Test2 vs. Train: KS Stat = {ks_stat2:.4f}, P-Value = {p_val2:.4f}")
```

Test1 vs. Train: KS Stat = 0.0191, P-Value = 0.9722 Test2 vs. Train: KS Stat = 0.4075, P-Value = 0.0000 Using the Kolmogorov–Smirnov test on the NO2(GT) column, we compared test1.csv and test2.csv with train.csv. The test2 dataset showed a higher KS statistic and a lower p-value than test1, indicating a greater distributional difference. Therefore, **test2.csv exhibits a more significant covariate shift** than the training data.

```
In [28]:
    alpha = 0.05
    shift_test1 = p_val1 < alpha  # True if shift detected
    shift_test2 = p_val2 < alpha

    print(f"Covariate Shift in Test1: {shift_test1}")
    print(f"Covariate Shift in Test2: {shift_test2}")

Covariate Shift in Test1: False
    Covariate Shift in Test2: True

In [29]:
    # Covariance shift

    if ks_stat1 > ks_stat2:
        print("Test1 shows a larger covariate shift from training data.")
    else:
        print("Test2 shows a larger covariate shift from training data.")
```

This assignment demonstrated the practical application of statistical hypothesis testing and covariate shift detection using real-world datasets. We successfully used A/B testing to evaluate ad effectiveness. We applied the KS test to uncover distributional changes in air quality data, reinforcing key data science concepts used in AI model validation.

Test2 shows a larger covariate shift from training data.

End of assignment Thank you.