11/12/2024

# MACHINE LEARNING LAB BR20-CAD-III YEAR I SEM SYLLABUS

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# BONAM VENKATA CHALAMAYYA ENGINERING COLLEGE ODALAREVU – 533 210, Andhra Pradesh, India

HIV IC	Code : 20AD5L03	L	T	P	C	
III Year - I Semester		0	0	3	1.5	1.5

#### MACHINE LEARNING LAB

#### Course Objectives:

This course will enable students to learn and understand different Data sets in implementing the machine learning algorithms.

#### Course Outcomes:

At the end of the course, student will be able to

- Implement procedures for the machine learning algorithms
- Design and Develop Python programs for various Learning algorithms
- Apply appropriate data sets to the Machine Learning algorithms
- Develop Machine Learning algorithms to solve real world problems

#### Experiments:

#### Experiment-1:

Implement and demonstrate the FIND-S algorithm for finding the most specific hypothesis based on a given set of training data samples. Read the training data from a .CSV file.

#### Experiment-2:

For a given set of training data examples stored in a .CSV file, implement and demonstrate the Candidate-Elimination algorithm to output a description of the set of all hypotheses consistent with the training examples.

#### Experiment-3:

Write a program to demonstrate the working of the decision tree based ID3 algorithm. Use an appropriate data set for building the decision tree and apply this knowledge to classify a new sample.

#### Experiment-4:

Exercises to solve the real-world problems using the following machine learning methods: a) Linear Regression b) Logistic Regression c) Binary Classifier

Experiment-5: Develop a program for Bias, Variance, Remove duplicates, Cross Validation

Experiment-6: Write a program to implement Categorical Encoding, One-hot Encoding Experiment-7.

Build an Artificial Neural Network by implementing the Back propagation algorithm and test the same using appropriate data sets.

#### Experiment-8:

Write a program to implement k-Nearest Neighbor algorithm to classify the iris data set. Print both correct and wrong predictions.

Experiment-9: Implement the non-parametric Locally Weighted Regression algorithm in order to fit data points. Select appropriate data set for your experiment and draw graphs.

#### Experiment-10:

Assuming a set of documents that need to be classified, use the naïve Bayesian Classifier model to perform this task. Built-in Java classes/API can be used to write the program. Calculate the accuracy, precision, and recall for your data set.

Experiment-11: Apply EM algorithm to cluster a Heart Disease Data Set. Use the same data set for clustering using k-Means algorithm. Compare the results of these two algorithms and comment on the quality of clustering. You can add Java/Python ML library classes/API in the program.

Experiment-12: Exploratory Data Analysis for Classification using Pandas or Matplotlib.

#### Experiment-13:

Write a Python program to construct a Bayesian network considering medical data. Use this model to demonstrate the diagnosis of heart patients using standard Heart Disease Data Set Experiment-14:

Write a program to Implement Support Vector Machines and Principle Component Analysis

#### Experiment-15:

Write a program to Implement Principle Component Analysis

Text Books: 1. Machine Learning – Tom M. Mitchell, MGH

2. Fundamentals of Speech Recognition By Lawrence Rabiner and Biing – Hwang Juang.

Reference Books: 1. Machine Learning: An Algorithmic Perspective, Stephen Marsland, Taylor & Francis

# **Experiment 1: FIND-S Algorithm**

#### Aim:

To implement and demonstrate the FIND-S algorithm for finding the most specific hypothesis based on a given set of training data samples.

# **Description:-**

The FIND-S algorithm finds the most specific hypothesis that fits all positive training examples in a dataset. The algorithm starts with the most specific hypothesis and generalizes it by comparing it with each positive instance from the dataset.

#### Code:-

#### Data set(ws.csv):-

```
SKY,AIR TEMP,HUMIDITY,WIND,WATER,FORECAST,Enjoy sport
Sunny,Warm,Normal,Strong,Warm,Same,Yes
Sunny,Warm,High,Strong,Warm,Same,Yes
Rainy,Cold,High,Strong,Warm,Change,No
Sunny,Warm,High,Strong,Cool,Change,Yes
```

```
['Ø', 'Ø', 'Ø', 'Ø', 'Ø']

Updated Hypothesis after row 1: ['Sunny', 'Warm', 'Normal', 'Strong', 'Warm',
'Same']

Updated Hypothesis after row 2: ['Sunny', 'Warm', '?', 'Strong', 'Warm', 'Same']

Updated Hypothesis after row 4: ['Sunny', 'Warm', '?', 'Strong', '?', '?']

Final Hypothesis: ['Sunny', 'Warm', '?', 'Strong', '?', '?']
```

# **Experiment 2: Candidate-Elimination Algorithm**

#### Aim:-

To implement and demonstrate the Candidate-Elimination algorithm to output a description of the set of all hypotheses consistent with the training examples.

# **Description:-**

The Candidate-Elimination algorithm computes the version space, which consists of all the hypotheses consistent with the training examples. It maintains a boundary for the most general and most specific hypotheses and updates them based on each training example.

```
import pandas as pd
data set = pd.read csv('sport.csv')
X = data set.iloc[:, :-1].values
y = data set. iloc[:, -1].values
S = X[0].copy()
G = [['?' for in range(len(S))]]
print(f"Initial Specific Hypothesis (S): {S}")
print(f"Initial General Hypothesis (G): {G}\n")
for i in range(len(X)):
    print(f"Instance {i+1}: {X[i]}, Outcome: {y[i]}")
    if y[i] == 'Yes':
        for j in range(len(S)):
             if S[j] != X[i][j]:
                 S[j] = '?'
        G = [g \text{ for } g \text{ in } G \text{ if all}(g[k] == '?' \text{ or } g[k] == X[i][k] \text{ for } k \text{ in }
range(len(g)))]
    else:
        new G = []
        for g in G:
             for j in range(len(g)):
                 if g[j] == '?' and S[j] != X[i][j]:
                     new g = g.copy()
                     new g[j] = S[j]
                     if new g != ['?' for in range(len(S))]:
                         new G. append (new g)
        G = new G
    print(f"Specific Hypothesis after instance {i+1}: {S}")
    print(f"General Hypothesis after instance {i+1}: {G}\n")
print("Final Specific Hypothesis (S):", S)
print("Final General Hypothesis (G):", G)
```

#### **Dataset:-**

```
SKY,AIR TEMP,HUMIDITY,WIND,WATER,FORECAST,Enjoy sport
Sunny,Warm,Normal,Strong,Warm,Same,Yes
Sunny,Warm,High,Strong,Warm,Same,Yes
Rainy,Cold,High,Strong,Warm,Change,No
Sunny,Warm,High,Strong,Cool,Change,Yes
```

```
Initial Specific Hypothesis (S): ['Sunny' 'Warm' 'Normal' 'Strong' 'Warm'
'Same'l
Initial General Hypothesis (G): [['?', '?', '?', '?', '?']]
Instance 1: ['Sunny' 'Warm' 'Normal' 'Strong' 'Warm' 'Same'], Outcome: Yes
Specific Hypothesis after instance 1: ['Sunny' 'Warm' 'Normal' 'Strong' 'Warm'
'Same']
General Hypothesis after instance 1: [['?', '?', '?', '?', '?', '?']]
Instance 2: ['Sunny' 'Warm' 'High' 'Strong' 'Warm' 'Same'], Outcome: Yes
Specific Hypothesis after instance 2: ['Sunny' 'Warm' '?' 'Strong' 'Warm'
'Same'l
General Hypothesis after instance 2: [['?', '?', '?', '?', '?', '?']]
Instance 3: ['Rainy' 'Cold' 'High' 'Strong' 'Warm' 'Change'], Outcome: No
Specific Hypothesis after instance 3: ['Sunny' 'Warm' '?' 'Strong' 'Warm'
'Same']
General Hypothesis after instance 3: [['Sunny', '?', '?', '?', '?', '?'], ['?',
'Warm', '?', '?', '?'], ['?', '?', '?', '?', 'Same']]
Instance 4: ['Sunny' 'Warm' 'High' 'Strong' 'Cool' 'Change'], Outcome: Yes
Specific Hypothesis after instance 4: ['Sunny' 'Warm' '?' 'Strong' '?' '?']
General Hypothesis after instance 4: [['Sunny', '?', '?', '?', '?', '?'], ['?',
'Warm', '?', '?', '?', '?']]
Final Specific Hypothesis (S): ['Sunny' 'Warm' '?' 'Strong' '?' '?']
Final General Hypothesis (G): [['Sunny', '?', '?', '?', '?'], ['?',
'Warm', '?', '?', '?', '?']]
```

# **Experiment 3: ID3 Decision Tree Algorithm**

# Aim:-

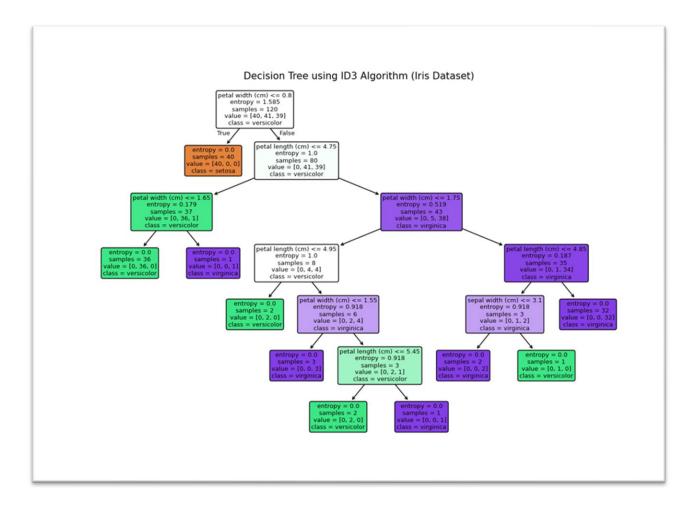
To demonstrate the working of the ID3 decision tree algorithm and classify a new sample.

# **Description:-**

The ID3 algorithm is used to build a decision tree for classification problems. It selects the attribute that maximizes information gain and recursively partitions the dataset. The resulting tree can be used to classify new samples.

```
# Importing the necessary libraries
import pandas as pd
from sklearn.datasets import load iris
from sklearn.tree import DecisionTreeClassifier, plot tree
from sklearn.model selection import train test split
from sklearn.metrics import accuracy score
import matplotlib.pyplot as plt
# Load the Iris dataset
iris = load iris()
X = pd. DataFrame (iris. data, columns=iris. feature names)
y = pd. Series (iris. target)
# Split the dataset into training and testing sets
X train, X test, y train, y test = train test split(X, y, test size=0.2,
random state=42)
# Initialize the Decision Tree classifier using entropy (ID3)
clf = DecisionTreeClassifier(criterion='entropy')
# Train the model
clf.fit(X_train, y_train)
# Test the model on the testing set
y pred = clf.predict(X test)
# Check accuracy
accuracy = accuracy_score(y_test, y_pred)
print(f'Accuracy: {accuracy * 100:.2f}%')
# Draw the decision tree
plt.figure(figsize=(12, 8))
plot tree(clf, feature names=iris.feature names,
class names=iris.target names, filled=True,
rounded=True)
plt.title("Decision Tree using ID3 Algorithm (Iris Dataset)")
```

Accuracy: 100.00%



# **Experiment 4: Linear and Logistic Regression, Binary Classifier**

#### Aim:-

To solve real-world problems using linear regression, logistic regression, and a binary classifier.

# **Description:-**

Linear regression predicts a continuous target variable by finding the best-fit line. Logistic regression is used for binary classification problems where the output is categorical. A binary classifier assigns one of two possible classes to the input data.

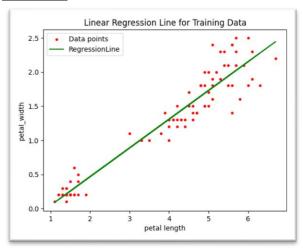
#### Code:-

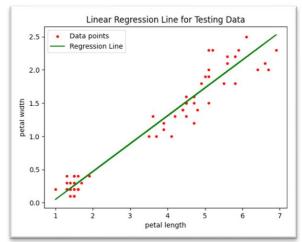
# 1.Linear Regression

```
# Import necessary libraries
import seaborn as sns
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model selection import train test split
from sklearn.linear model import LinearRegression
# Load the dataset
data set = sns.load dataset("iris")
# Select features for training
data set = data set[["petal length", "petal width"]]
# Separate input and output
x = data set['petal length']
y = data set['petal width']
# Plot scatter plot of the data
plt.scatter(x, y, color='red', marker='.')
plt.xlabel('Petal Length')
plt.ylabel('Petal Width')
plt.show()
# Split the data into training and testing sets
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.4,
random state=42)
# Convert to numpy arrays and reshape
x train = np.array(x train).reshape(-1, 1)
y train = np.array(y train).reshape(-1, 1)
x \text{ test} = np.array(x \text{ test}).reshape(-1, 1)
y test = np.array(y test).reshape(-1, 1)
# Create and train the linear regression model
model = LinearRegression()
model.fit(x train, y train)
# Get model parameters
m = model.coef
c = model.intercept
# Predict on training data
y_train_pred=m*x_train+c
y train pred
# Predict on test data and calculate performance metrics
y test pred=m*x test+c
y test pred
```

```
# Plot regression line with training data
plt.scatter(x_train, y_train, color='blue', label='Training data')
plt.plot(x_train, y_train_pred, color='green', label='Regression Line')
plt.xlabel('Petal Length')
plt.ylabel('Petal Width')
plt.legend()
plt.show()

# Plot regression line with testing data
plt.title('Linear Regression Line for Testing Data')
plt.scatter(x_test, y_test, label='Data points', marker='.', color='r')
plt.plot(x_test, y_test_pred, label='Regression Line', color='g')
plt.xlabel("petal length")
plt.ylabel("petal width")
plt.legend()
plt.show()
```

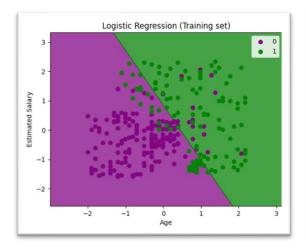




#### Logistic regression:-

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model selection import train test split
from sklearn.preprocessing import StandardScaler
from sklearn.linear model import LogisticRegression
from sklearn.metrics import confusion matrix
from matplotlib.colors import ListedColormap
# Load dataset
data set = pd.read csv('car data.csv')
data_set = data_set[['Age', 'EstimatedSalary', 'Purchased']]
# Extract independent and dependent variables
x = data set[['Age', 'EstimatedSalary']]
y = data set['Purchased']
# Splitting the dataset into training and test set
x train, x test, y train, y test = train test split(x, y, test size=0.25,
random state=0)
```

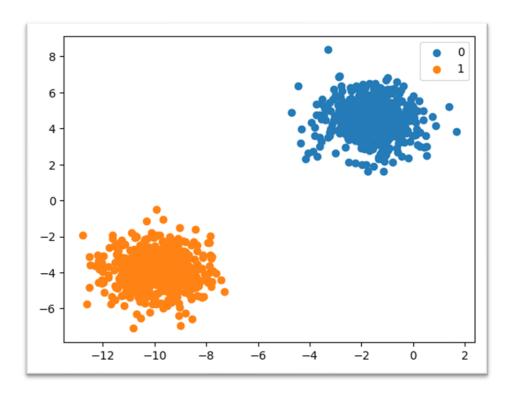
```
# Feature scaling
st x = StandardScaler()
x train = st x.fit transform(x train)
x test = st x.transform(x test)
# Fitting Logistic Regression to the Training set
classifier = LogisticRegression(random state=0)
classifier.fit(x train, y train)
LogisticRegression()
# Predicting the Test Result
y pred = classifier.predict(x test)
y pred
# Confusion matrix to evaluate the results
cm = confusion matrix(y test, y pred)
# Visualizing the training set results
x \text{ set}, y \text{ set} = x \text{ train}, y \text{ train}
x1, x2 = np.meshgrid(np.arange(start=x set[:, 0].min() - 1, stop=x set[:,
0].max() + 1, step=0.01),
                      np.arange(start=x set[:, 1].min() - 1, stop=x set[:,
1].max() + 1, step=0.01)
plt.contourf(x1, x2, classifier.predict(np.array([x1.ravel(),
x2.ravel()]).T).reshape(x1.shape),
              alpha=0.75, cmap=ListedColormap(('purple', 'green')))
plt.xlim(x1.min(), x1.max())
plt.ylim(x2.min(), x2.max())
for i, j in enumerate(np.unique(y_set)):
    plt.scatter(x set[y set == j, 0], x set[y set == j, 1],
                 c=ListedColormap(('purple', 'green'))(i), label=j)
plt.title('Logistic Regression (Training set)')
plt.xlabel('Age')
plt.ylabel('Estimated Salary')
plt.legend()
plt.show()
# Visualizing the test set results
x \text{ set}, y \text{ set} = x \text{ test}, y \text{ test}
x1, x2 = np.meshgrid(np.arange(start=x set[:, 0].min() - 1, stop=x set[:,
0].max() + 1, step=0.01),
                      np.arange(start=x set[:, 1].min() - 1, stop=x set[:,
1].max() + 1, step=0.01)
plt.contourf(x1, x2, classifier.predict(np.array([x1.ravel(),
x2.ravel()]).T).reshape(x1.shape),
             alpha=0.75, cmap=ListedColormap(('purple', 'green')))
plt.xlim(x1.min(), x1.max())
plt.ylim(x2.min(), x2.max())
for i, j in enumerate(np.unique(y set)):
    plt.scatter(x set[y set == j, 0], x set[y set == j, 1],
                 c=ListedColormap(('purple', 'green'))(i), label=j)
plt.title('Logistic Regression (Test set)')
plt.xlabel('Age')
plt.ylabel('Estimated Salary')
plt.legend()
plt.show()
```





#### Binary classifier:-

```
# Step 1: Import the libraries
from numpy import where
from collections import Counter
from sklearn.datasets import make blobs
from matplotlib import pyplot as plt
# Step 2: Define the dataset
X, y = make blobs(n samples=1000, centers=2, random state=1)
# Step 3: Shape of the independent and dependent variable
print(X.shape, y.shape)
# Step 4: For class label summarize 1000 samples of inbuilt dataset
counter = Counter(y)
print(counter)
# Step 5: Summarize the first few samples and plot the diagram based on
class label
for i in range (10):
   print(X[i], y[i])
# Plot the dataset and color it by class label
for label, _ in counter.items():
    row ix = where (y == label)[0]
    plt.scatter(X[row_ix, 0], X[row_ix, 1], label=str(label))
plt.legend()
plt.show()
```



# **Experiment 5: Bias, Variance, Remove Duplicates, Cross-Validation Aim:**-

To develop a program for bias-variance tradeoff, removing duplicates, and performing cross-validation.

# **Description:-**

Bias-variance tradeoff is key in model generalization. Low bias and variance help to prevent overfitting and underfitting. Cross-validation ensures the model's performance is robust by splitting the data into training and test sets multiple times.

```
import numpy as np
from sklearn.model selection import train test split
from sklearn.linear model import LinearRegression
from sklearn.metrics import mean squared error
# Generate sample data
np.random.seed(42)
X = np.linspace(0, 10, 100).reshape(-1, 1)
y = 3 * X + np.random.randn(100).reshape(-1, 1)
# Add duplicate samples
X = np.vstack((X, X[:10]))
y = np.vstack((y, y[:10]))
# Split the data into training and testing sets
X train, X test, y train, y test = train test split(X, y, test size=0.2,
random state=42)
# Fit a linear regression model
model = LinearRegression()
model.fit(X train, y train)
# Calculate the training and testing errors (bias and variance)
y train pred = model.predict(X train)
train error = mean squared error(y train, y train pred)
y test pred = model.predict(X test)
test error = mean squared error (y test, y test pred)
print("Training error (bias):", train error)
print("Testing error (variance):", test error)
# Remove duplicate samples
X unique, indices = np.unique(X, axis=0, return index=True)
y unique = y[indices]
# Perform cross-validation
cross val errors = []
for i in range(5):
```

```
X_train, X_val, y_train, y_val = train_test_split(X_unique, y_unique,
test_size=0.2, random_state=i)
  model = LinearRegression()
  model.fit(X_train, y_train)
  y_val_pred = model.predict(X_val)
  val_error = mean_squared_error(y_val, y_val_pred)
  cross_val_errors.append(val_error)

print("Cross-validation_errors:", cross_val_errors)
```

```
Training error (bias): 0.9087396281299075

Testing error (variance): 0.4189781106088322

Cross-validation errors: [0.8943963399542353, 0.711838267559308, 0.9664698336127481, 0.9156270854451775, 1.1754593805313762]

Average cross-validation error: 0.932758181420569
```

# **Experiment 6: Categorical Encoding, One-Hot Encoding**

#### Aim:-

To implement categorical encoding and one-hot encoding techniques for preprocessing categorical data.

# **Description:-**

Categorical encoding converts categorical variables into numerical formats for machine learning models. One-hot encoding represents each category as a binary vector, which helps in handling categorical data for algorithms that require numerical inputs.

#### Code:-

```
import pandas as pd
from sklearn.preprocessing import LabelEncoder, OneHotEncoder
# Sample dataset
data = {'Color': ['Red', 'Blue', 'Green', 'Red', 'Blue']}
df = pd.DataFrame(data)
# Categorical Encoding
label encoder = LabelEncoder()
df['Color Encoded'] = label encoder.fit transform(df['Color'])
# One-Hot Encoding
onehot encoder = OneHotEncoder(sparse output=False)
onehot encoded = onehot encoder.fit transform(df[['Color Encoded']])
onehot df = pd.DataFrame(onehot encoded, columns=label encoder.classes)
# Print the original and encoded dataframes
print("Original DataFrame:")
print(df)
print("\nCategorical Encoded DataFrame:")
print(df[['Color', 'Color Encoded']])
print("\nOne-Hot Encoded DataFrame:")
print(onehot df)
```

```
Original DataFrame:
  Color Color Encoded
  Red
                   0
1
 Blue
2 Green
3
  Red
4 Blue
Categorical Encoded DataFrame:
  Color Color Encoded
   Red
 Blue
                   0
2 Green
                   1
                   2
   Red
   Blue
One-Hot Encoded DataFrame:
  Blue Green Red
0 0.0 0.0 1.0
1 1.0 0.0 0.0
       1.0 0.0
  0.0
        0.0 1.0
  0.0
   1.0
         0.0 0.0
```

# **Experiment 7: Artificial Neural Network using Backpropagation**

#### Aim:-

To build an artificial neural network by implementing the backpropagation algorithm and test it using an appropriate dataset.

# **Description:-**

Backpropagation is a supervised learning algorithm for training artificial neural networks. It computes the gradient of the loss function and adjusts the weights of the network to minimize the error.

#### Code:-(ANN)

```
import tensorflow as tf
from tensorflow import keras
dataframe = tf.keras.datasets.mnist
(x train, y train), (x test, y test) = dataframe. load data()
x train, x test = x train / 255.0, x test / 255.0
model = tf.keras.models.Sequential([
   tf.keras.layers.Flatten(input shape=(28, 28)),
   tf.keras.layers.Dense(128, activation='relu'),
   tf.keras.layers.Dropout(0.2),
    tf.keras.layers.Dense(10, activation='softmax')
1)
model.compile(optimizer='adam',
              loss='sparse categorical crossentropy',
              metrics=['accuracy'])
model.fit(x train, y train, epochs=5)
model.evaluate(x test, y test)
```

```
Epoch 1/5
1875/1875
                                          -- 4s 2ms/step - accuracy: 0.8555
- loss: 0.4875
Epoch 2/5
1875/1875 -
                                         -- 4s 2ms/step - accuracy: 0.9558
- loss: 0.1491
Epoch 3/5
1875/1875 -
                                     ---- 4s 2ms/step - accuracy: 0.9674
- loss: 0.1107
Epoch 4/5
1875/1875 -
                                        --- 4s 2ms/step - accuracy: 0.9735
- loss: 0.0861
Epoch 5/5
1875/1875 -
                                     ---- 4s 2ms/step - accuracy: 0.9778
- loss: 0.0724
                                   ----- 1s 2ms/step - accuracy: 0.9715 -
313/313 -
loss: 0.0896
[0.07459776848554611, 0.9764000177383423]
```

#### BACK ANN-

```
import tensorflow as tf
import numpy as np
X = np.array([[0, 0], [0, 1], [1, 0], [1, 1]], dtype=np.float32)
y = np.array([[0], [1], [1], [0]], dtype=np.float32)
n input = 2
n hidden = 2
n \text{ output} = 1
weights = {
    'hidden': tf. Variable (tf. random. normal ([n input, n hidden])),
    'output': tf.Variable(tf.random.normal([n hidden, n output]))
}
biases = {
    'hidden': tf. Variable (tf. random. normal ([n hidden])),
    'output': tf.Variable(tf.random.normal([n output]))
}
def forward propagation(x):
    hidden layer = tf.sigmoid(tf.add(tf.matmul(x, weights['hidden']),
biases['hidden']))
    output layer = tf.sigmoid(tf.add(tf.matmul(hidden layer,
weights['output']), biases['output']))
    return output layer
def backpropagation(x, y):
    with tf.GradientTape() as tape:
        output layer = forward propagation(x)
        loss = tf.reduce mean(0.5 * (y - output layer) ** 2)
    gradients = tape.gradient(loss, [weights['hidden'], weights['output'],
biases['hidden'], biases['output']])
    optimizer.apply gradients(zip(gradients, [weights['hidden'],
weights['output'], biases['hidden'], biases['output']]))
optimizer = tf.optimizers.SGD(learning rate=0.1)
epochs = 10000
for epoch in range(epochs):
    backpropagation(X, y)
    if epoch % 1000 == 0:
        output = forward propagation(X)
        loss = tf.reduce mean(0.5 * (y - output) ** 2)
        print(f"Epoch: {epoch}, Loss: {loss}")
predictions = forward propagation(X)
print("Predictions:")
print(predictions.numpy().round())
```

```
Epoch: 0, Loss: 0.16701394319534302
Epoch: 1000, Loss: 0.11679938435554504
Epoch: 2000, Loss: 0.10932266712188721
Epoch: 3000, Loss: 0.09658908098936081
Epoch: 4000, Loss: 0.0756923258304596
Epoch: 5000, Loss: 0.05234337970614433
Epoch: 6000, Loss: 0.03388703614473343
Epoch: 7000, Loss: 0.022483371198177338
Epoch: 7000, Loss: 0.01583809219300747
Epoch: 9000, Loss: 0.011820018291473389
Predictions:
[[0.]
[1.]
[1.]
[0.]]
```

# **Experiment 8: k-Nearest Neighbor Algorithm**

#### <u>Aim:-</u>

To implement the k-Nearest Neighbor algorithm to classify the Iris dataset and print both correct and wrong predictions.

#### **Description:**-

k-Nearest Neighbor (k-NN) is a simple, non-parametric algorithm used for classification. It assigns the class based on the majority class of the k nearest neighbors in the feature space.

```
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.neighbors import KNeighborsClassifier
from sklearn.model selection import train test split
from sklearn import metrics
# Load Iris dataset
data set = sns.load dataset('iris')
# Splitting data into features (X) and target variable (y)
X = data set.iloc[:, :-1]
y = data set.iloc[:, -1]
                          # Target (species)
# Splitting dataset into training and test sets
X train, X test, y train, y test = train test split(X, y, test size=0.25,
random state=0)
# Initialize and train the KNN classifier
classifier = KNeighborsClassifier(n neighbors=5).fit(X train, y train)
# Predict the target variable on the test set
y pred = classifier.predict(X test)
# Displaying comparison of actual vs predicted values
i = 0
print('-'*80)
print ('%-25s %-25s %-25s' % ('Original Label', 'Predicted Label',
'Correct/Wrong'))
print('-'*80)
for label in y test:
    print ('%-25s %-25s' % (label, y pred[i]), end="")
    if label == y pred[i]:
        print ('%-25s' % ('Correct'))
    else:
        print ('%-25s' % ('Wrong'))
    i += 1
print('-'*80)
# Confusion Matrix
print("\nConfusion Matrix:\n", metrics.confusion matrix(y test, y pred))
```

```
# Classification Report
print('-'*80)
print("\nClassification Report:\n", metrics.classification_report(y_test,
y_pred))

# Accuracy of the classifier
print('-'*80)
print('Accuracy of the classifier is %0.2f' % metrics.accuracy_score(y_test,
y_pred))
print('-'*80)
```

Original Label	Predicted Label	_		
virginica	virginica	Correct		
versicolor	versicolor	Correct		
setosa	setosa	Correct		
virginica	virginica	Correct		
setosa	setosa	Correct		
virginica	virginica	Correct		
setosa	setosa	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
virginica	virginica	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
setosa	setosa	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
setosa	setosa	Correct		
setosa	setosa	Correct		
virginica	virginica	Correct		
versicolor	versicolor	Correct		
setosa	setosa	Correct		
setosa	setosa	Correct		
virginica	virginica	Correct		
setosa	setosa	Correct		
setosa	setosa	Correct		
versicolor	versicolor	Correct		
versicolor	versicolor	Correct		
setosa	setosa	Correct		
virginica	virginica	Correct		
versicolor	versicolor	Correct		
setosa	setosa	Correct		

virginica		virginica	1	Correct	
virginica		virginica	1	Correct	
versicolor		versicolo	or	Correct	
setosa		setosa		Correct	
versicolor		virginica	1	Wrong	
_					
Confusion Matr	ix:				
[[13 0 0]					
[ 0 15 1]					
[0 0 9]]					
Classification	n Report:				
	precision	recall	f1-score	support	
	1.00	1.00	1.00	13	
versicolor	1.00	0.94	0.97	16	
virginica	0.90	1.00	0.95	9	
accuracy			0.97	38	
macro avg	0.97	0.98	0.97	38	
weighted avg	0.98	0.97	0.97	38	

Accuracy of the classifer is 0.97

# **Experiment 9: Locally Weighted Regression**

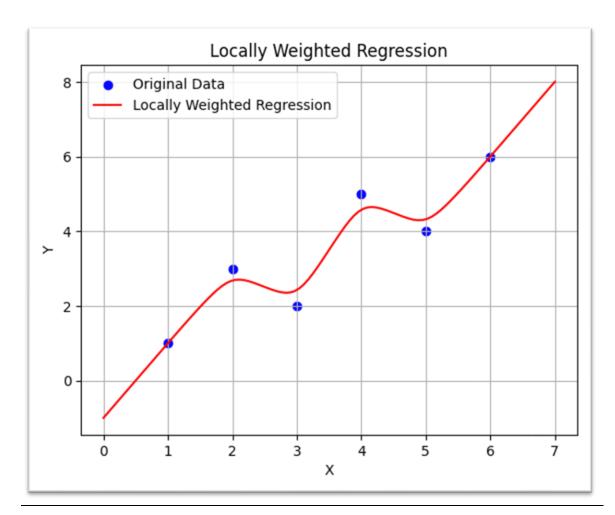
#### Aim:

To implement the non-parametric Locally Weighted Regression algorithm to fit data points and visualize the results.

#### **Description:-**

Locally Weighted Regression is a type of regression that assigns weights to nearby points and fits a regression line only to those points. It is useful for handling nonlinear relationships in the data.

```
import numpy as np
import matplotlib.pyplot as plt
def gaussian kernel(x, xi, tau):
    return np.exp((x - xi)**2 / (-2 * tau**2))
def locally weighted regression(X train, y train, x query, tau):
   m = len(X train)
    X = np.column stack((np.ones(m), X train))
    W = np.diag([gaussian kernel(x query, xi, tau) for xi in X train])
    theta = np.linalg.inv(X.T @ W @ X) @ X.T @ W @ y train
    return theta
# Prepare the dataset
X \text{ train} = np.array([1, 2, 3, 4, 5, 6])
y train = np.array([1, 3, 2, 5, 4, 6])
# Choose query points for prediction
x \text{ query} = \text{np.}linspace(0, 7, 100)
# Choose tau
tau = 0.5
# Perform locally weighted regression for each query point
y_pred = []
for x in x query:
    theta = locally weighted regression(X train, y train, x, tau)
    y pred.append(theta[0] + theta[1] * x)
# Plot the original data points and the fitted curve
plt.scatter(X train, y train, color='blue', label='Original Data')
plt.plot(x query, y pred, color='red', label='Locally Weighted Regression')
plt.xlabel('X')
plt.ylabel('Y')
plt.title('Locally Weighted Regression')
plt.legend()
plt.grid(True)
plt.show()
```



# **Experiment 10: Naïve Bayesian Classifier**

#### Aim:-

To use the Naïve Bayesian Classifier to classify documents and calculate accuracy, precision, and recall.

# **Description:-**

Naïve Bayes is a probabilistic classifier based on Bayes' theorem. It assumes the features are conditionally independent given the class and is widely used for text classification tasks.

```
import pandas as pd
from sklearn.preprocessing import LabelEncoder
from sklearn.model selection import train test split
from sklearn.naive bayes import GaussianNB
from sklearn.metrics import accuracy score, classification report,
confusion matrix
# Load data from CSV
data = pd.read csv('tennis.csv')
data
# Obtain Train data and Train output
X = data.iloc[:, :-1] # Features
y = data.iloc[:, -1]
                     # Target
# Encode categorical variables into numbers
le outlook = LabelEncoder()
X['Outlook'] = le outlook.fit transform(X['Outlook'])
le Temperature = LabelEncoder()
X['Temperature'] = le Temperature.fit transform(X['Temperature'])
le Humidity = LabelEncoder()
X['Humidity'] = le Humidity. fit transform (X['Humidity'])
le Windy = LabelEncoder()
X['Windy'] = le Windy.fit transform(X['Windy'])
le PlayTennis = LabelEncoder()
y = le PlayTennis. fit transform (y)
# Split data into training and testing sets
X train, X test, y train, y test = train test split(X, y, test size=0.2,
random state=42)
# Train the Naive Bayesian Classifier
classifier = GaussianNB()
classifier.fit(X train, y train)
# Make predictions on the test set
y pred = classifier.predict(X test)
y pred
# Calculate accuracy
accuracy = accuracy_score(y_test, y_pred)
print("Accuracy:", accuracy)
# Generate precision, recall, f1-score, and support
report = classification report(y test, y pred)
```

```
print("Classification Report:\n", report)

# Confusion matrix
conf_matrix = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:\n", conf_matrix)
```

#### Dataset:-

```
Outlook Temperature Humidity
                          Windy PlayTennis
O Sunny Hot High False No
  Sunny Hot High
                    True
                          No
2
  Overcast Hot High False
                              Yes
3
  Rainy Mild High
                       False
                              Yes
  Rainy Cool
                Normal False
   Rainy Cool
5
               Normal True
                              Nο
6
   Overcast Cool Normal True
                                 Yes
7
   Sunny Mild High
                       False
8
   Sunny
         Cool
                Normal False
                              Yes
9
   Rainy Mild Normal False
                              Yes
10 Sunny Mild Normal True
                              Yes
11 Overcast Mild High True
12 Overcast
            Hot Normal False
                              Yes
13 Rainy Mild High
                       True
                              No
```

```
Outlook Temperature Humidity
                                Windy
                                       PlayTennis
   Sunny Hot High False No
1
                     True
   Sunny Hot High
2
   Overcast Hot High
                        False
                                Yes
3
   Rainy Mild
                 High
                        False
                                Yes
4
   Rainy Cool
                 Normal False
                                Yes
5
   Rainy Cool
                Normal True
                                No
6
   Overcast Cool
                     Normal True
                                   Yes
7
   Sunny Mild High
                        False
   Sunny Cool
                 Normal False
                                Yes
  Rainy Mild
               Normal False
                                Yes
10 Sunny Mild
               Normal True
                                Yes
11 Overcast Mild High True
                                Yes
  Overcast Hot Normal False
12
13 Rainy Mild High
                         True
                                No
array([1, 1, 0])
Accuracy: 1.0
Classification Report:
             precision
                        recall f1-score
         0
                1.00
                         1.00
                                  1.00
                1.00
                         1.00
                                              2
         1
                                  1.00
                                  1.00
   accuracy
                         1.00
                1.00
                                  1.00
                                              3
  macro avg
                1.00
                         1.00
                                  1.00
weighted avg
Confusion Matrix:
[[1 0]
 [0 2]]
```

# **Experiment 11: EM Algorithm and k-Means Clustering**

# <u>Aim:</u>-

To apply the EM algorithm and k-Means clustering to the Heart Disease dataset and compare the results.

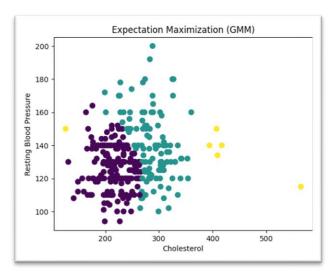
# **Description:-**

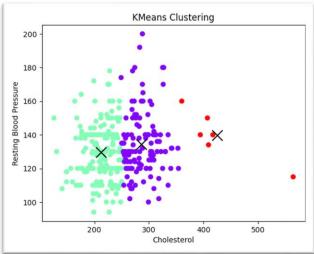
The Expectation-Maximization (EM) algorithm is used for finding the maximum likelihood in the presence of latent variables, while k-Means is a popular clustering method. The two methods are compared to evaluate the quality of clustering.

```
import numpy as np
from sklearn.cluster import KMeans
import matplotlib.pyplot as plt
from sklearn.mixture import GaussianMixture
import pandas as pd
# Load the dataset
X = pd. read csv("Heart.csv")
# Extract features 'chol' (cholesterol) and 'trestbps' (resting blood
pressure)
x1 = X['chol'].values
x2 = X['trestbps'].values
# Reshape the data into a 2D array for clustering
X = np.array(list(zip(x1, x2))).reshape(len(x1), 2)
         ----- Expectation Maximization (GMM) ---
gmm = GaussianMixture(n components=3)
gmm.fit(X)
# Get EM predictions and print results
em predictions = gmm.predict(X)
print("\nEM Predictions:")
print(em predictions)
print("Mean:\n", gmm.means)
print("\nCovariances:\n", gmm.covariances)
# Plot the EM clustering results
plt.title('Expectation Maximization (GMM)')
plt.scatter(X[:, 0], X[:, 1], c=em predictions, s=50)
plt.xlabel('Cholesterol')
plt.ylabel('Resting Blood Pressure')
plt.show()
# ----- KMeans Clustering -------
kmeans = KMeans(n clusters=3)
kmeans. fit (X)
# Print KMeans results
print("KMeans Cluster Centers:\n", kmeans.cluster centers )
```

```
print("KMeans Cluster Labels:\n", kmeans.labels_)

# Plot the KMeans clustering results
plt.title('KMeans Clustering')
plt.scatter(X[:, 0], X[:, 1], c=kmeans.labels_, cmap='rainbow')
plt.scatter(kmeans.cluster_centers_[:, 0], kmeans.cluster_centers_[:, 1],
color='black', marker='x', s=200)
plt.xlabel('Cholesterol')
plt.ylabel('Resting Blood Pressure')
plt.show()
```





# **Experiment 12: Exploratory Data Analysis using Pandas or Matplotlib**

# Aim:-

To perform exploratory data analysis (EDA) for classification using Pandas or Matplotlib.

# **Description:**-

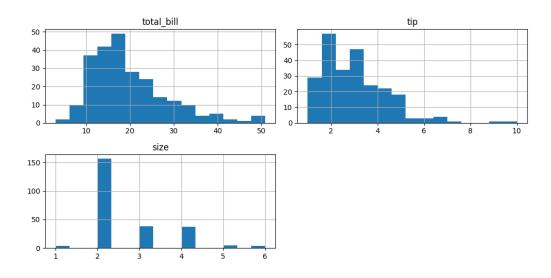
EDA is the process of analyzing data sets to summarize their main characteristics using visualization tools like Pandas and Matplotlib. It is used to detect patterns, spot anomalies, and test hypotheses.

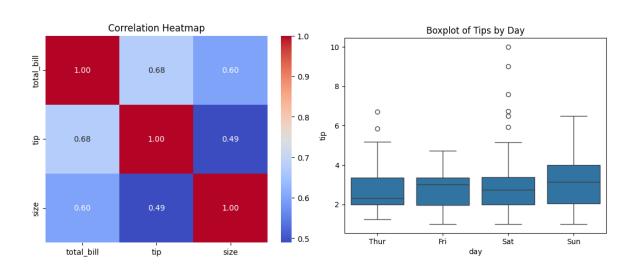
#### Code:-

```
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
# Load the Tips dataset
tips = sns.load dataset('tips')
# 1. Basic information
print(tips.info(), tips.describe())
# 2. Check for missing values
print("Missing values:\n", tips.isnull().sum())
# 3. Visualize distributions of numerical features
tips[['total bill', 'tip', 'size']].hist(bins=15, figsize=(10, 5))
plt.tight layout()
plt.show()
# 4. Correlation heatmap for numeric columns
sns.heatmap(tips[['total bill', 'tip', 'size']].corr(), annot=True,
fmt='.2f', cmap='coolwarm')
plt.title('Correlation Heatmap')
plt.show()
# 5. Boxplot for tips by day
sns.boxplot(x='day', y='tip', data=tips)
plt.title('Boxplot of Tips by Day')
plt.show()
# 6. Scatter plot for total bill vs. tip
sns.scatterplot(x='total bill', y='tip', hue='day', style='time', data=tips)
plt.title('Total Bill vs. Tip')
plt.xlabel('Total Bill')
plt.ylabel('Tip')
plt.show()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 244 entries, 0 to 243
Data columns (total 7 columns):
# Column
             Non-Null Count Dtype
  total bill 244 non-null
0
                           float64
              244 non-null
                            float64
1
  tip
              244 non-null category
2
   sex
  smoker
             244 non-null category
3
              244 non-null category
4 day
5 time
              244 non-null category
6 size
             244 non-null
                           int64
dtypes: category (4), float64(2), int64(1)
memory usage: 7.4 KB
None
          total bill
                           tip
                                     size
```

```
244.000000
                    244.000000
                                 244.000000
count
mean
        19.785943
                      2.998279
                                   2.569672
std
         8.902412
                      1.383638
                                   0.951100
         3.070000
                      1.000000
min
                                   1.000000
25%
        13.347500
                      2.000000
                                   2.000000
50%
        17.795000
                      2.900000
                                   2.000000
75%
        24.127500
                      3.562500
                                   3.000000
        50.810000
                     10.000000
                                   6.000000
max
Missing values:
total_bill
tip
               0
               0
sex
smoker
               0
day
               0
time
               0
               0
size
dtype: int64
```





# **Experiment 13: Bayesian Network for Heart Disease Diagnosis**

# Aim:-

To construct a Bayesian network considering medical data and demonstrate the diagnosis of heart patients using the Heart Disease dataset.

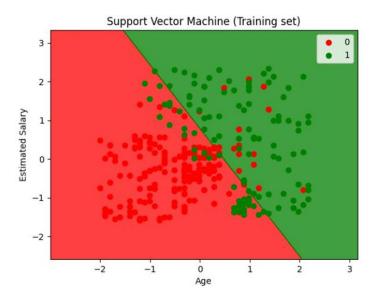
# **Description:-**

A Bayesian network is a probabilistic graphical model representing a set of variables and their conditional dependencies. It is used here to model the relationships between symptoms and diseases for diagnosing heart patients.

```
import pandas as pd
from pgmpy.models import BayesianNetwork
from pgmpy.estimators import MaximumLikelihoodEstimator
from pgmpy.inference import VariableElimination
Data = pd. read csv("Heart.csv")
Heart disease = pd.DataFrame(Data)
print(Heart disease)
Model = BayesianNetwork([
    ('Age', 'Lifestyle'),
    ('Gender', 'Lifestyle'),
    ('Family', 'heartdisease'), ('diet', 'cholesterol'),
    ('Lifestyle', 'diet'),
    ('cholesterol', 'heartdisease'),
1)
Model. fit (Heart disease, estimator=MaximumLikelihoodEstimator)
HeartDisease infer = VariableElimination(Model)
print('For age Enter { SuperSeniorCitizen:0, SeniorCitizen:1, MiddleAged:2,
Youth: 3, Teen: 4 }')
print('For Gender Enter { Male:0, Female:1 }')
print('For Family History Enter { yes:1, No:0 }')
print('For diet Enter { High:0, Medium:1 }')
print('For lifestyle Enter { Athlete:0, Active:1, Moderate:2, Sedentary:3
}')
print('For cholesterol Enter { High:0, BorderLine:1, Normal:2 }')
age = int(input('Enter age: '))
gender = int(input('Enter Gender: '))
family = int(input('Enter Family history: '))
diet = int(input('Enter diet: '))
lifestyle = int(input('Enter Lifestyle: '))
cholesterol = int(input('Enter cholesterol: '))
Q = HeartDisease infer.query(variables=['heartdisease'], evidence={
    'Age': age,
    'Gender': gender,
    'Family': family,
    'diet': diet,
    'Lifestyle': lifestyle,
```

```
'cholesterol': cholesterol
})
print(Q['heartdisease'])
```

```
For age Enter { SuperSeniorCitizen: 0, SeniorCitizen: 1, MiddleAged: 2,
Youth: 3, Teen: 4 }
For Gender Enter { Male:0, Female:1 }
For Family History Enter { yes:1, No:0 }
For diet Enter { High: 0, Medium: 1 }
For lifeStyle Enter { Athlete:0, Active:1, Moderate:2, Sedentary:3 }
For cholesterol Enter { High: 0, BorderLine: 1, Normal: 2 }
Enter age :1
Enter Gender :1
Enter Family history :0
Enter diet :1
Enter Lifestyle :0
Enter cholestrol :1
| heartdisease | phi(heartdisease) |
| heartdisease 0 |
 heartdisease 1 |
                                1.0000 |
```



# **Experiment 14: Support Vector Machines and Principal Component Analysis Aim:**-

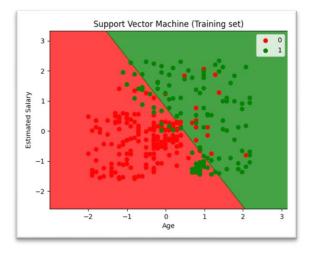
To implement Support Vector Machines (SVM) and Principal Component Analysis (PCA) for dimensionality reduction.

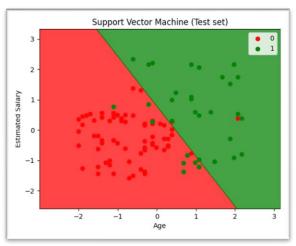
# **Description:**-

SVM is a supervised learning algorithm for classification tasks, and PCA is a technique used for reducing the dimensionality of data by projecting it onto a lower-dimensional space while retaining the most important information.

```
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
data set= pd. read csv('car data.csv')
data set
x = data set.iloc[:, [2,3]].values
y = data set.iloc[:, 4].values
# Splitting the dataset into the Training set and Test set
from sklearn.model selection import train test split
X Train, X Test, Y Train, Y Test = train test split(x, y, test size = 0.25,
random state = 0)
# Feature Scaling
from sklearn.preprocessing import StandardScaler
sc X = StandardScaler()
X_Train = sc_X.fit_transform(X_Train)
X Test = sc X.transform(X Test)
# Fitting the classifier into the Training set
from sklearn.svm import SVC
classifier = SVC(kernel = 'linear', random state = 0)
classifier.fit(X Train, Y Train)
# Predicting the test set results
Y Pred = classifier.predict(X Test)
Y Pred
# Making the Confusion Matrix
from sklearn.metrics import confusion matrix
cm = confusion matrix(Y Test, Y Pred)
# Visualising the Training set results
from matplotlib.colors import ListedColormap
X Set, Y Set = X Train, Y Train
X1, X2 = np.meshgrid(np.arange(start = X Set[:, 0].min() - 1, stop =
X \text{ Set}[:, 0].max() + 1, step = 0.01),
                     np.arange(start = X Set[:, 1].min() - 1, stop =
X Set[:, 1].max() + 1, step = 0.01))
plt.contourf(X1, X2, classifier.predict(np.array([X1.ravel(),
X2.ravel()). T) .reshape(X1.shape),
             alpha = 0.75, cmap = ListedColormap(('red', 'green')))
plt.xlim(X1.min(), X1.max())
```

```
plt.ylim(X2.min(), X2.max())
for i, j in enumerate(np.unique(Y Set)):
    plt.scatter(X Set[Y Set == j, 0], X Set[Y Set == j, 1],
                c = ListedColormap(('red', 'green'))(i), label = j)
plt.title('Support Vector Machine (Training set)')
plt.xlabel('Age')
plt.ylabel('Estimated Salary')
plt.legend()
plt.show()
# Visualising the Test set results
from matplotlib.colors import ListedColormap
X Set, Y Set = X Test, Y Test
X1, X2 = np.meshgrid(np.arange(start = X Set[:, 0].min() - 1, stop =
X Set[:, 0].max() + 1, step = 0.01),
                     np.arange(start = X Set[:, 1].min() - 1, stop =
X Set[:, 1].max() + 1, step = 0.01))
plt.contourf(X1, X2, classifier.predict(np.array([X1.ravel(),
X2.ravel()]).T).reshape(X1.shape),
             alpha = 0.75, cmap = ListedColormap(('red', 'green')))
plt.xlim(X1.min(), X1.max())
plt.ylim(X2.min(), X2.max())
for i, j in enumerate(np.unique(Y Set)):
    plt.scatter(X Set[Y Set == j, 0], X Set[Y Set == j, 1],
                c = ListedColormap(('red', 'green'))(i), label = j)
plt.title('Support Vector Machine (Test set)')
plt.xlabel('Age')
plt.ylabel('Estimated Salary')
plt.legend()
plt.show()
```





# **Experiment 15: Principal Component Analysis**

# Aim:-

To implement Principal Component Analysis (PCA) to reduce the dimensionality of the dataset.

# **Description:-**

PCA is a statistical technique that transforms the dataset into a set of linearly uncorrelated variables, called principal components. It is widely used for feature reduction in machine learning.

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.datasets import load iris
from mpl toolkits.mplot3d import Axes3D
# Load the Iris dataset
iris = load iris()
X = iris.data # Features (4D)
y = iris.target # Labels (3 classes)
# Step 1: Standardize the data (mean center it)
X \text{ centered} = X - np.mean(X, axis=0)
# Step 2: Compute the covariance matrix
cov matrix = np.cov(X centered, rowvar=False)
# Step 3: Perform eigen decomposition of the covariance matrix
eigenvalues, eigenvectors = np.linalg.eig(cov matrix)
# Step 4: Sort the eigenvalues and eigenvectors
sorted indices = np.argsort(eigenvalues)[::-1]
eigenvectors = eigenvectors[:, sorted indices]
top eigenvectors = eigenvectors[:, :2] # Select top 2 eigenvectors for 2D
projection
# Step 5: Project the data onto the 2D principal components
X 2d = np.dot(X centered, top eigenvectors)
# Step 6: Plot the original 3D data (using first 3 features as proxies for
3D space)
fig = plt.figure(figsize=(14, 6))
ax = fig.add subplot(121, projection='3d')
# Colors and markers for each class
colors = ['red', 'green', 'blue']
markers = ['o', 's', '^']
labels = iris.target names
# Scatter plot for each class with different colors and markers
for i in range(3):
   ax.scatter(X[y == i, 0], X[y == i, 1], X[y == i, 2], color=colors[i],
marker=markers[i], label=labels[i], alpha=0.6)
# Set labels and title for 3D plot
```

```
ax.set_title('Original 3D Data (First 3 Features)')
ax.set xlabel('Feature 1')
ax.set_ylabel('Feature 2')
ax.set zlabel('Feature 3')
ax.legend()
# Step 7: Plot the reduced 2D data with different colors and markers
ax2 = fig.add subplot(122)
for i in range(3):
    ax2.scatter(X_2d[y == i, 0], X_2d[y == i, 1],
                color=colors[i], marker=markers[i], label=labels[i],
alpha=0.6)
# Set labels and title for 2D plot
ax2.set title('Projected 2D Data after PCA')
ax2.set xlabel('Principal Component 1')
ax2.set ylabel('Principal Component 2')
ax2.legend()
plt.show()
```

