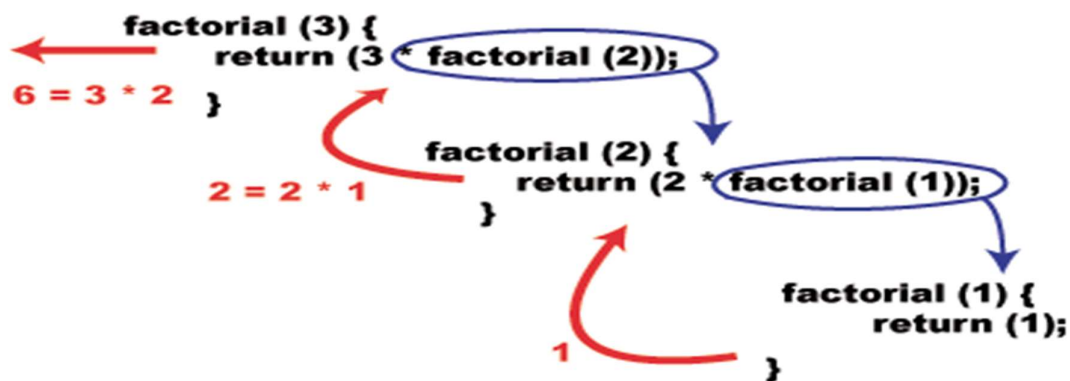


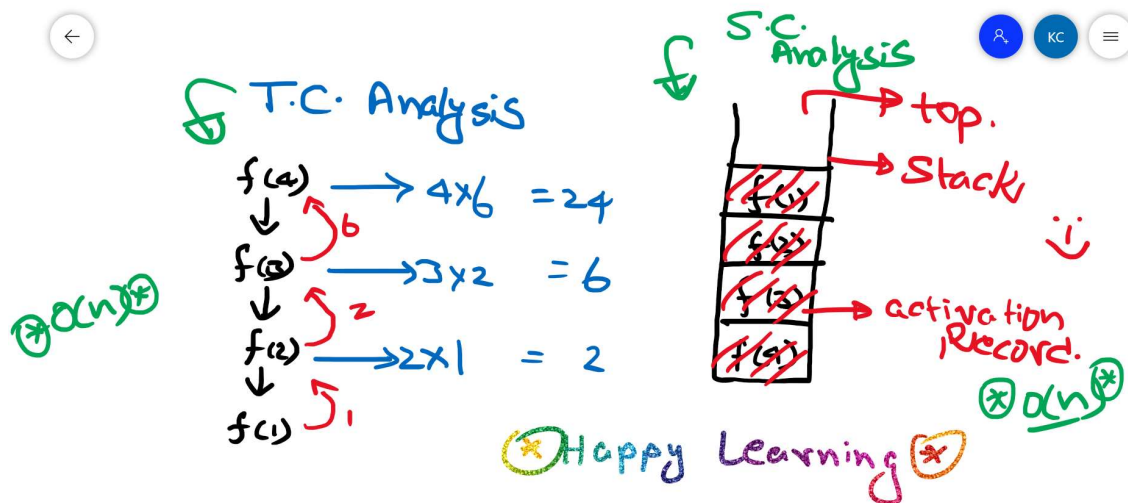
### Formulae: -

Formula	Time Complexity : no. of steps taken in terms of input
Iterative	no. of steps in terms of n
Recursive	(no. of recursive calls)*(TC of each call)[Ignore recursive call]
Formula	Space Complexity : Extra space taken in terms of input
Iterative	Extra space in terms of n
Recursive	(max length of stack)*(SC of each call) [Ignore recursive call]

### Factorial Using Recursion: -



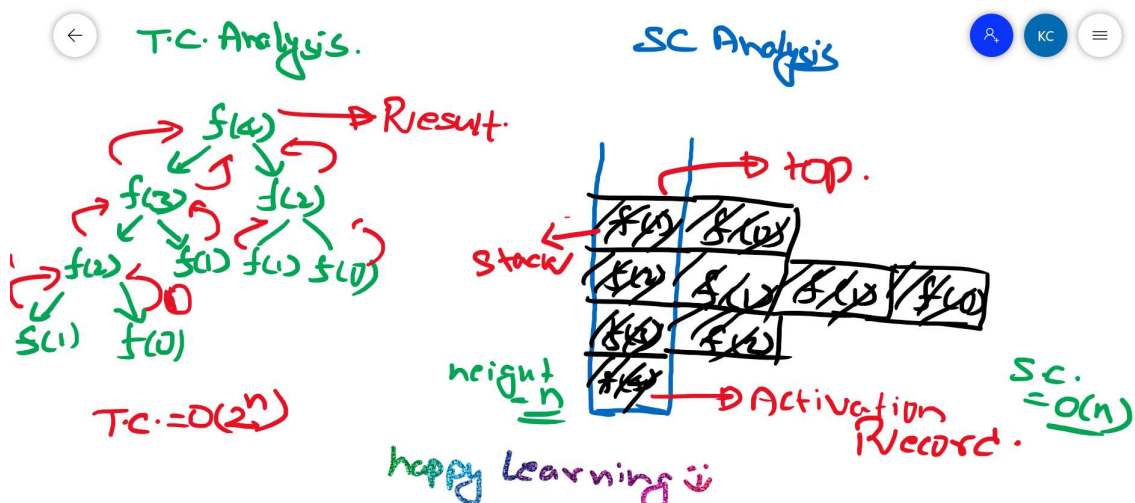
```
public class FactorialRecursive {  
    public static void main(String[] args) {  
        System.out.println(fact(5));  
    }  
    static int fact(int n) {  
        if (n == 0 || n == 1) {  
            return 1;  
        }  
        return n * fact(n - 1);  
    }  
}
```



```

public class FibonacciSeriesRecursive {
    public static int fibonacci(int n) {
        if (n <= 0) {
            return 0;
        }
        if (n == 1) {
            return 1;
        }
        return fibonacci(n - 1) + fibonacci(n - 2);
    }
    public static void main(String[] args) {
        System.out.println(fibonacci(4));
    }
}

```



Comparison: -

Program for Factorial:-

Recursive	Iterative
<pre>int fact(int n) {     if (n == 0    n == 1) {         return 1;     }      return n * fact(n - 1); }</pre>	<pre>int fact(int n) {     if (n == 0    n == 1) {         return 1;     }      int result = 1;     for (int i = 2; i &lt; n; i++) {         Result *= i;     }     return result; }</pre>

Program for Fibonacci series: -

Recursive	Iterative
<pre>int fib(int n) {     if (n == 0    n == 1) {         return 1;     }      return fib(n - 1) + fib(n - 2); }</pre>	<pre>int fib(int n) {     int a = 0, b = 1, c;     if (n == 0    n == 1) {         return n;     }      for (int i = 2; i &lt;= n; i++) {         c = a + b;         a = b;         b = c;     }     return b; }</pre>

Factorial		
	Time Complexity	Space Complexity
Iterative	O(n)	O(1)
Recursive	O(n)	O(n)
Fibonacci		
	Time Complexity	Space Complexity
Iterative	O(n)	O(1)
Recursive	O(2^n)	O(n)