

Smooth Animations to Visualize Gaussian Uncertainty

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 $\langle f(t)f(t+ au)
angle = rac{1}{N}\sum_{i=1}^{N}\left[\cos\left(rac{\pi i au}{N}
ight)
ight]$

Implication: f(t) is *itself a Gaussian process* (in the *time* domain)

Future animations can leverage existing Gaussian Process work

Matrix to turn 2N random values into Gaussian oscillator. (cbind(outer(t, 1:N, function(x, y) cos(pi * x * y / N)), outer(t, N:1, function(x, y) sin(pi * x * y / N)))

First *statistically correct* Gaussian animations with **smooth and**

Moving beyond interpolation: keyframes entirely eliminated

Time-domain Gaussian Processes enable animated visualization of **Space-domain Gaussian Processes** ▷ To eliminate keyframes, use *stationary* covariance function

Get *continuous* random function from *I.I.D.* normal draws:

