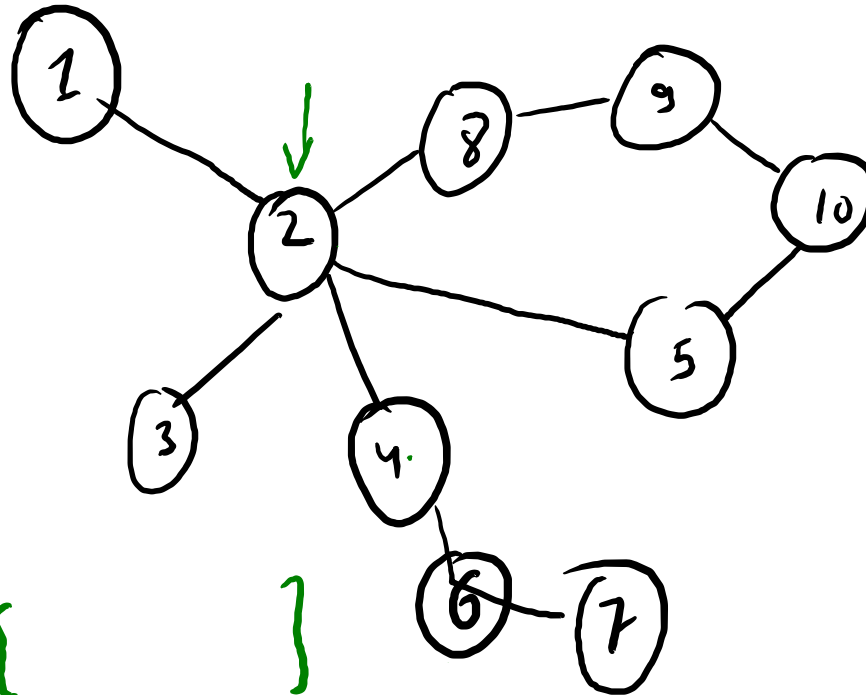


BFS

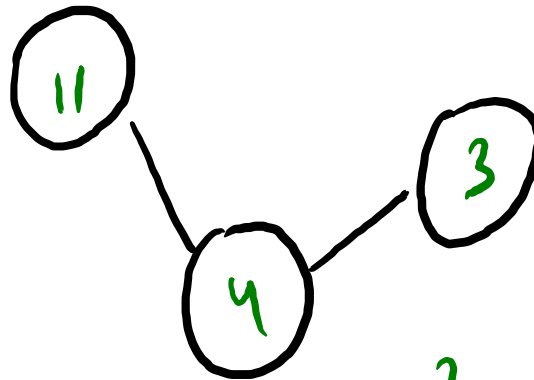
[~~2~~, ~~1~~, ~~3~~, 4, 5, ~~8~~, ~~6~~, 10, 9]
7
↓
Queue

visited



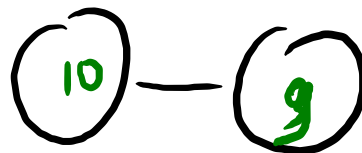
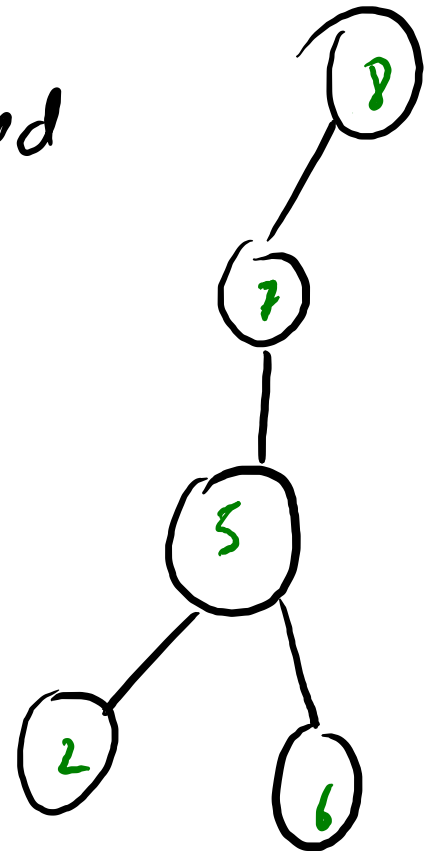
2 → {
↑ list

\Rightarrow DFS
 BFS } visited



4 component { BFS }

\Rightarrow



$\textcircled{3} \Rightarrow 3$ $\textcircled{4} \Rightarrow \textcircled{2}$

$\textcircled{2} \Rightarrow \textcircled{1}$
 $\textcircled{2}$ $\Rightarrow \textcircled{5}$

start \Rightarrow 4

Input

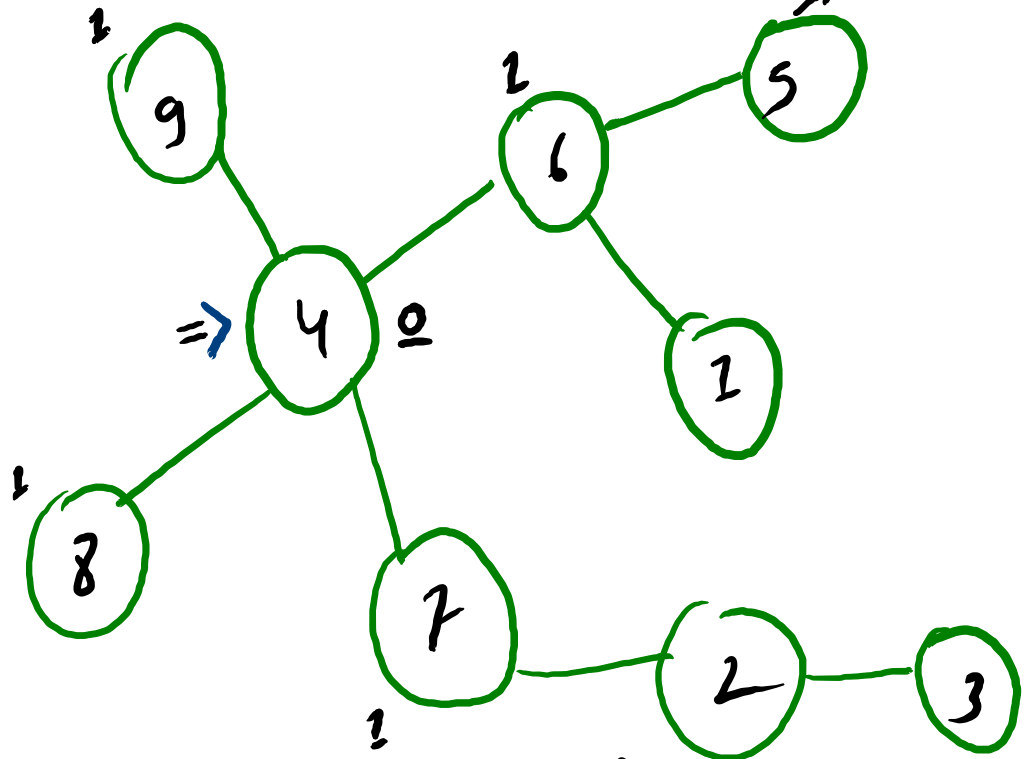
start \Rightarrow

{ Q
7
5
3
4

1
2
3
0

BFS

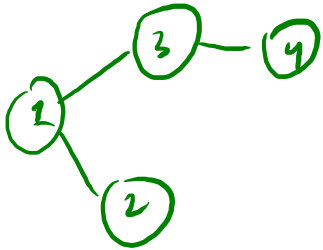
4 - 1
(2)



{ 5 min } \Rightarrow BFS

F	F	F	F	F
0	1	2	3	4

0	0	0	0	0
0	1	2	3	4



1

bfs (graph, start, distance []) {
 visited []

 LL < Integer > queue;

 queue.add (start);

 visited [start] = true;

 while (queue.size () != 0) {

 int x = queue.poll (); { First element }

 list = graph.get (x);

 for (int y : list) {

 if (! visited [y])

 queue.add (y);

 visited [y] = true;

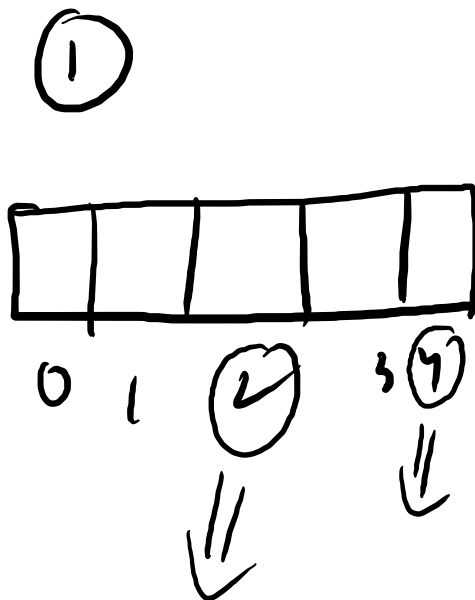
 distance [y] = distance [x] + 1;

 }

 }

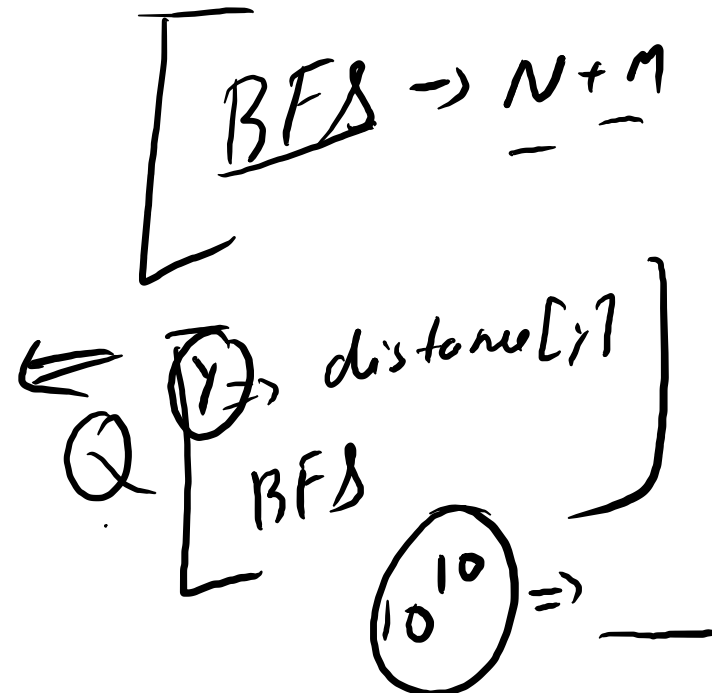
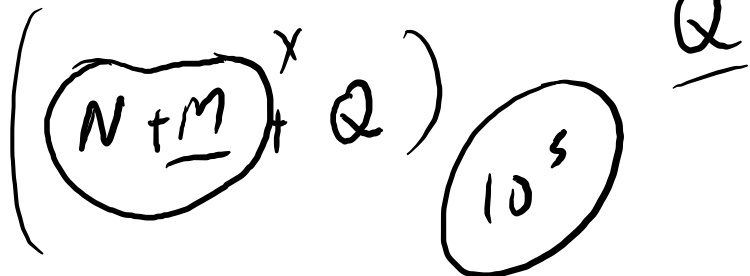
}

Q query
 → distance



BFS

Q
 $N = 10^5$
 $M = 10^5$
 $Q = 10^5$



1 sec =

$$\underline{1 \text{ GHz} \Rightarrow 10^9 \text{ ns}}$$

for (int i = 0; i < 10; i++)



1 Clock speed

$$\overset{\curvearrowright}{1 \text{ it} = 10 \text{ ns}}$$

1 GHz

2.4 GHz

$$10^9 = 10^9 \text{ ns}$$

(N+M)

N x Q

$10^9 \times 10^9$

10^{18} it

$$\text{sec} = \underline{2.4 \text{ GHz}}$$

$$a = 5 \pm 10$$

$$\text{sec} = 2.4 \times 10^9 \text{ ns}$$

$$\text{1 sec} = 10^8 \text{ iteration}$$

$$10^9 \text{ it} = 10^9 \text{ ns}$$

10^{10} it

$$N = 10^5$$

$$N^2 \Rightarrow 10^{10}$$

$$\underline{N \log N}$$

$$N = 10^9$$

$$N^2 = \boxed{10^8}$$

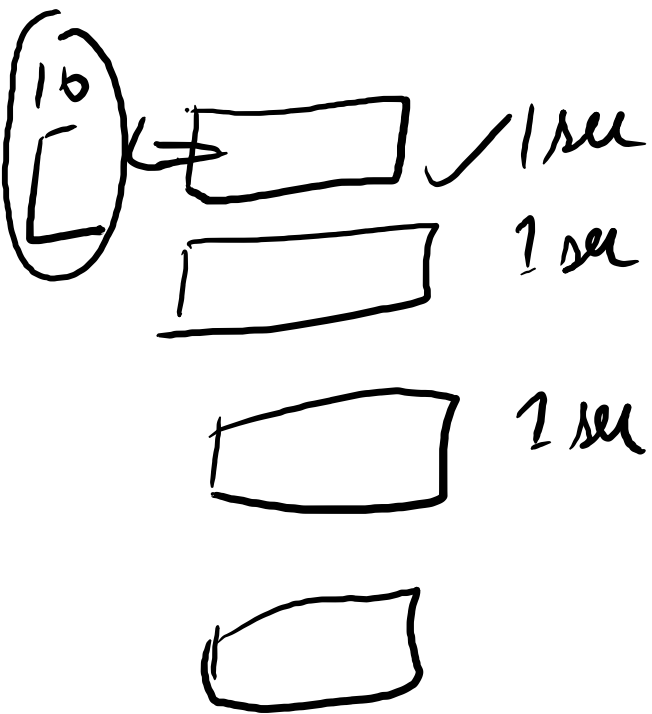
$$\underline{1 \text{ sec} = 10^8 \text{ it \&}} \quad \downarrow$$

$$10^8 \text{ sec} = 10^{10} \text{ it \&}$$

$$\underline{1 \text{ min } 40 \text{ sec}}$$

$$\underline{1 \text{ sec} = 10^8 \text{ it \&}} \quad \Downarrow$$

TLE



$$\left(\frac{T}{N \log N} \right) \text{ per } (1)$$

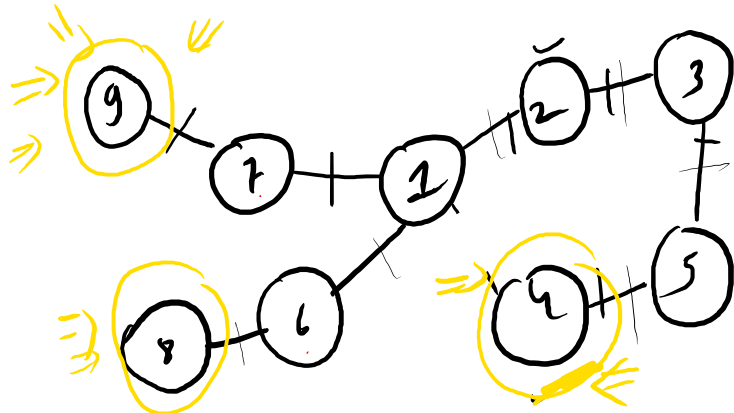
BS
}

$$\left(\frac{T}{N} \right) \times N = 10^4 \times 10^4 = 10^8$$

$$\left\{ \begin{array}{l} 10^4 \\ T \times 10^5 \end{array} \right.$$

$$T \times \log N$$

$$N \log N + T \times \log N$$



			4							
4	3	2	0	1	5	5	6	6		
0	1	2	3	4	5	6	7	8	9	

0	2	3	4	6	5	1	3	0	7	
0	1	2	3	4	5	6	7	8	9	

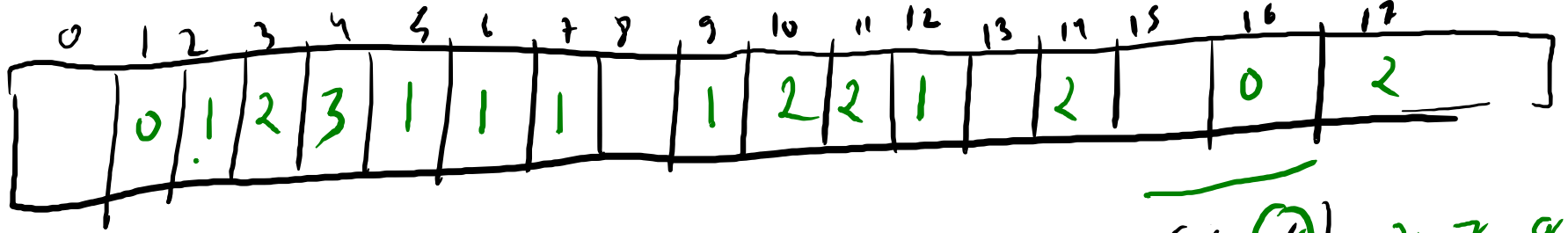
$\Rightarrow \text{max}$ start 4
6
9

4 → 9
~~2~~ ~~1~~ ~~3~~ ~~7~~ ~~6~~ ~~5~~ 9 8 4
 1 → 4

9 → 4
 8 → 4

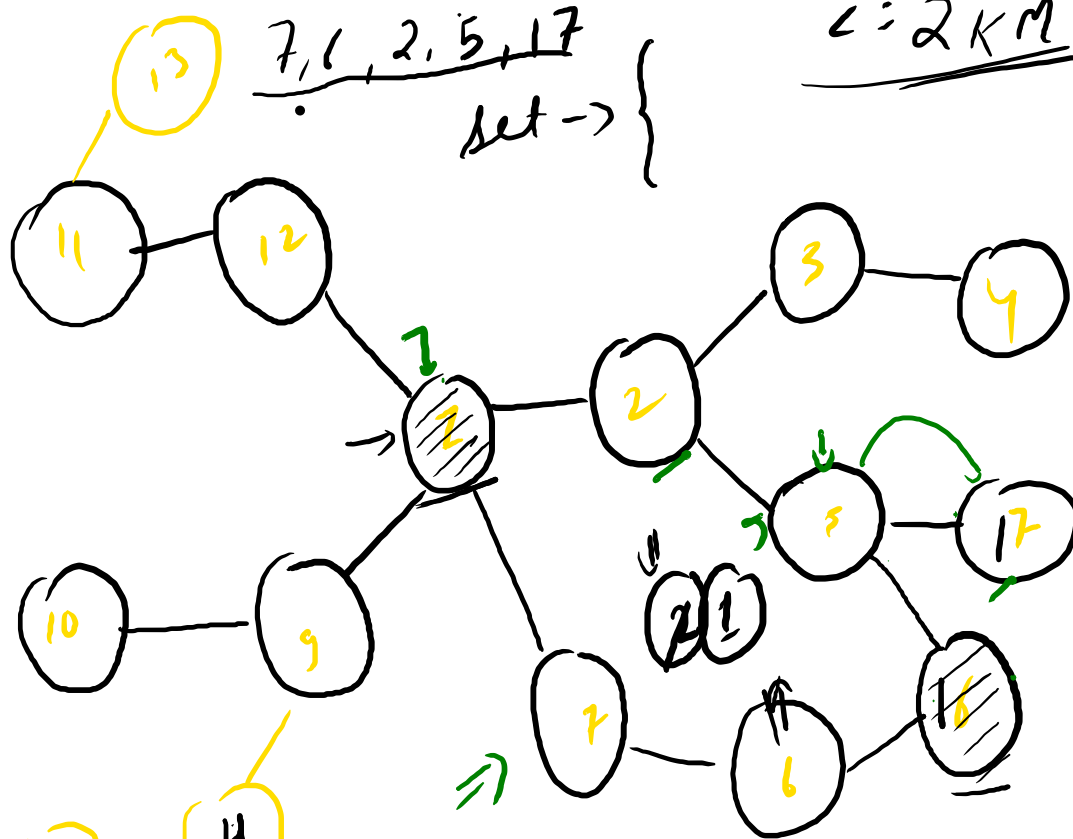
BFS [start → any]
 ↳ last element
 in the queue.

BFS
 ↳ start = last
 found the distance
 then max distance
 and it's index



$L = 2 \text{ KM}$

$\{1, 16\} \rightarrow 2, 7, 8, 12$
 $5, 6, 3, 10, 14$
 $11, 17$



11, 12, 10, 9, 14, 7, 6, 2, 5, 3

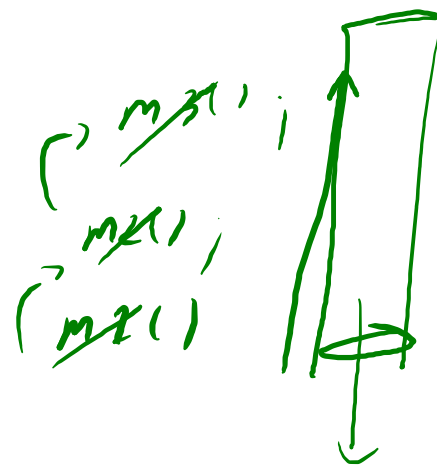
BFS
 DISTANCE

$\frac{N}{2} \times \text{BFS}$

$\frac{N}{4} \times (N+M)$

$N^2 \Rightarrow TLL$

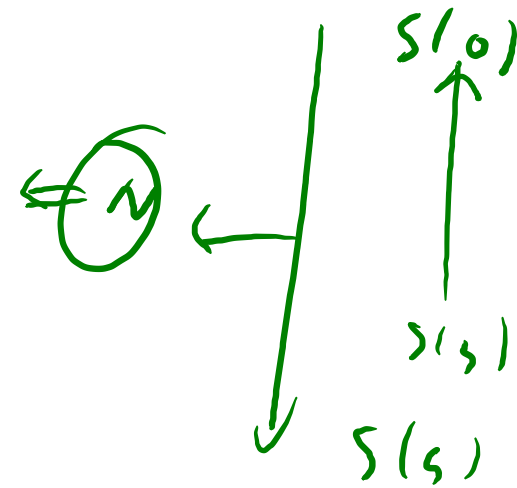
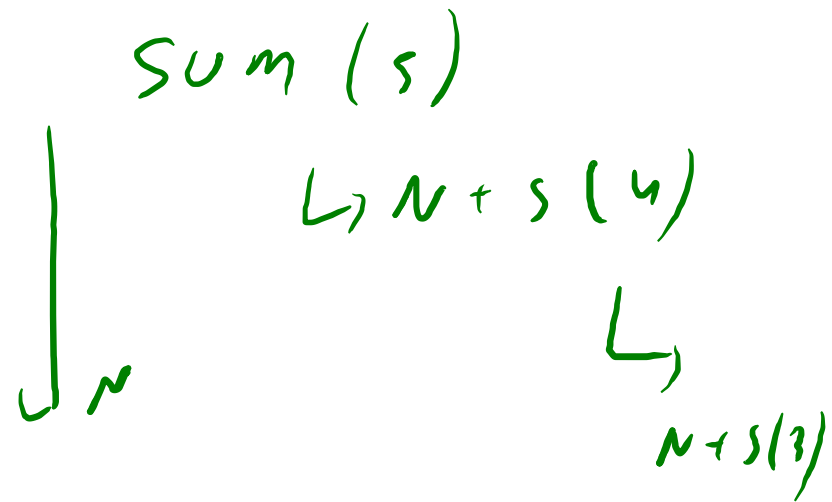
$m_2()$ {
 \downarrow
 $\underline{\underline{m_2()}}$;
 }



$m_2()$ {
 [$m_2(), \Rightarrow$
 $\underline{\underline{\quad}}$
)

$m_3()$

10



- ① Add all the domino's house into the queue
- ② BFS update the distance
- ③ Iterate and count the index having distance less than $\leq K$.