



Language  
Technologies  
Institute

Carnegie  
Mellon  
University

# Generative Adversarial Nets for Image Generation

Chirag, Hongliang, Lyndon

# Introduction

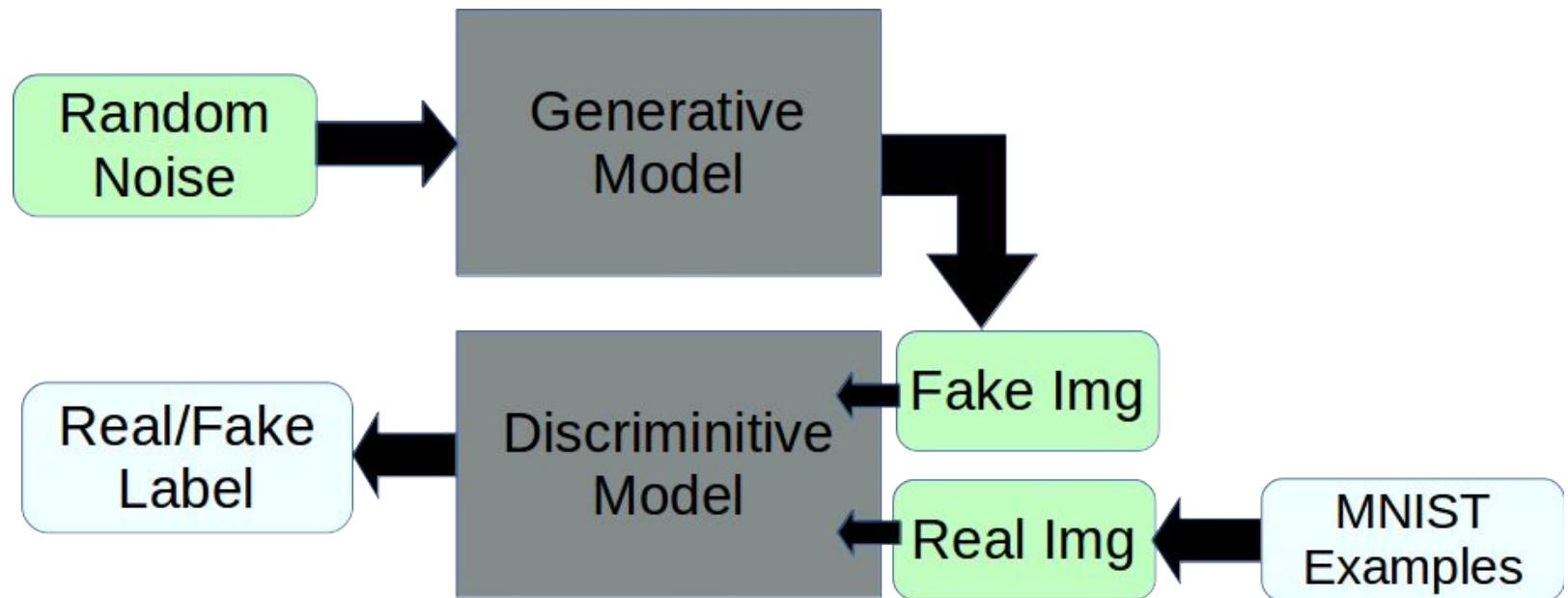
---

- Generative Adversarial Nets
  - Discriminative Model  $D(\mathbf{x}; \theta_d)$ 
    - Learn to determine whether a sample is from the data or the generative model
  - Generative Model  $G(\mathbf{z}; \theta_g)$ 
    - Produce fake samples
    - $\mathbf{z}$ : Noise variable
  - Prior of the noise variable  $p_z(\mathbf{z})$

# Introduction

---

- Generative Adversarial Nets



# Introduction

---

- Generative Adversarial Nets
  - Two-player minmax game

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))].$$

$\mathbf{x}$  came from the data      Generated samples  $G(\mathbf{z})$  is not from the data

# Introduction

---

- Generative Adversarial Nets
  - Two-player minmax game

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))].$$

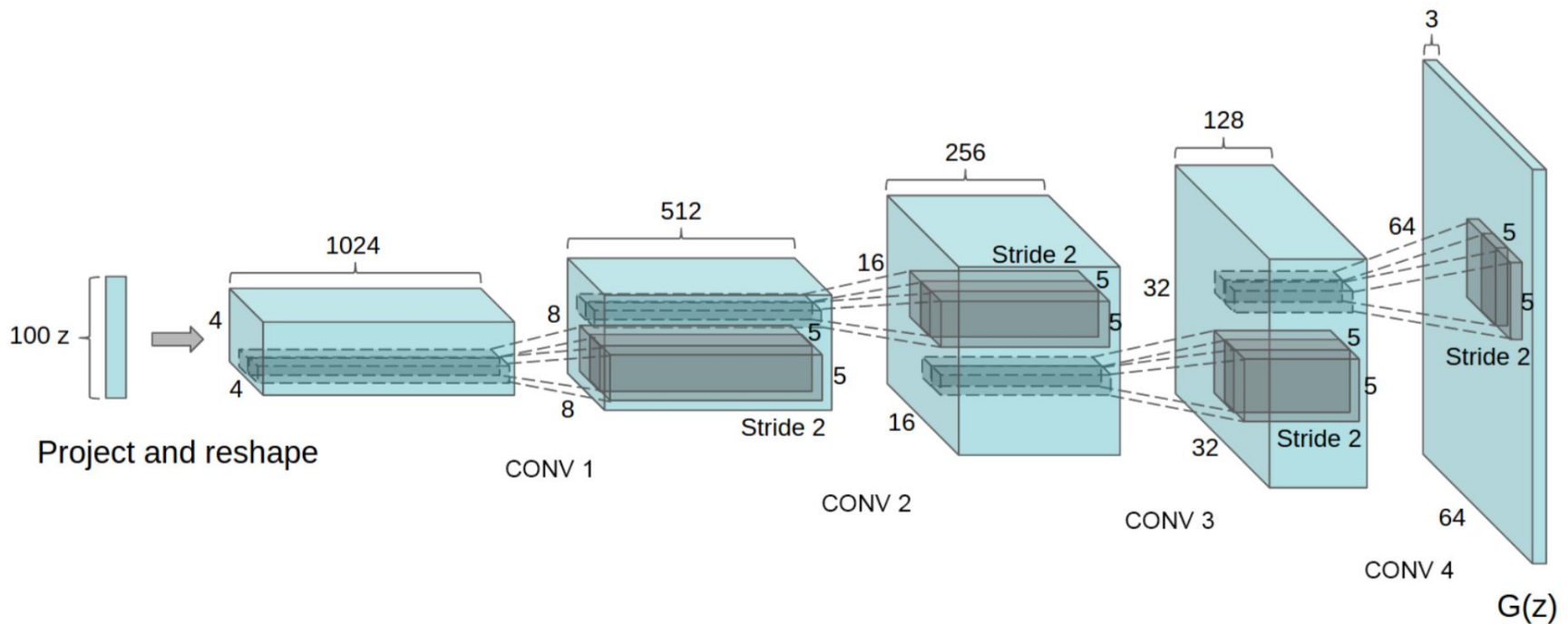
$\mathbf{x}$  came from the data      Generated samples  $G(\mathbf{z})$  is not from the data

- $D$  Optimization
  - Maximize the probability of assign the correct labels
- $G$  Optimization
  - Minimize  $\log(1-D(G(\mathbf{z})))$

# Implementation

---

- Discriminator: ConvNets
- Generator: DeconvNets



# Implementation

---

- Optimization: Minibatch Gradient Descent
  1. *Generate images using  $G(\mathbf{z})$*
  2. *Batch update of weights in  $D$  given  $G(\mathbf{z})$ ,  $\mathbf{x}$ , and labels*
  3. *Batch update of weights in  $G$  to minimize  $-\log(D(G(\mathbf{z})))$*
  4. Go to 1, Repeat ...

# Experiments

---

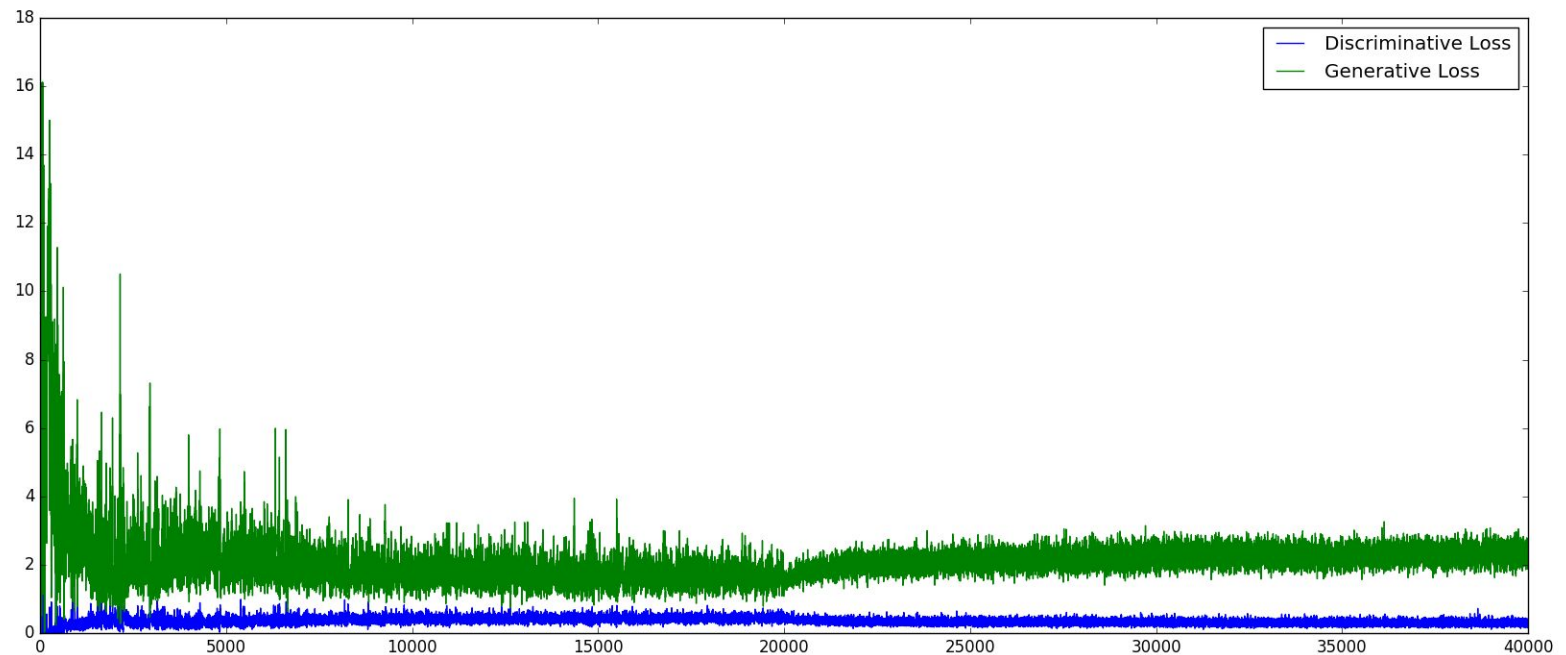
- Dataset
  - MNIST
    - 70,000 digits
  - CelebA
    - 202,599 face images
- Preprocess
  - Resize the images in CelebA dataset to  $28 * 28$
- Optimizer
  - Adam
  - Decrease the learning rate after predefined number of iterations



# Experiments

---

- Discriminator loss vs. generator loss (on CelebA dataset)



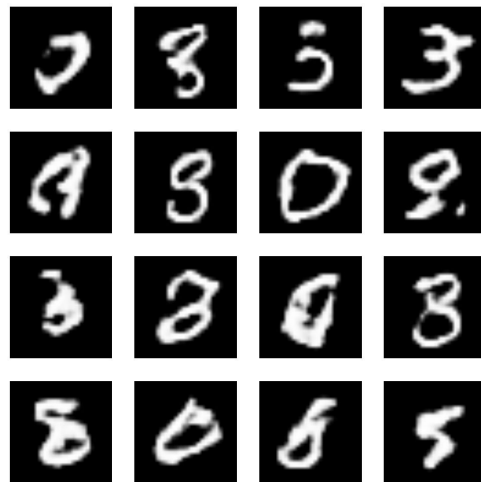
# Experiments

---

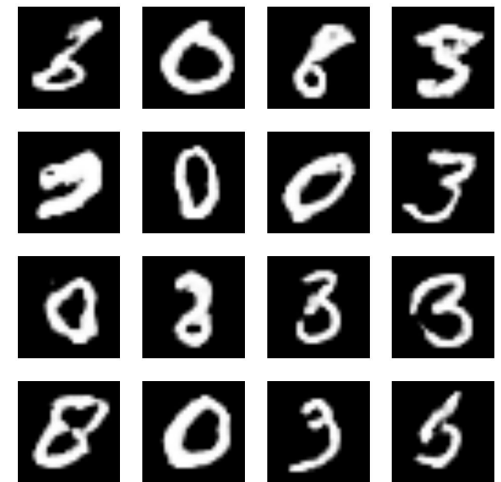
- Visualization of MNIST



After 500 iterations



After 3000 iterations

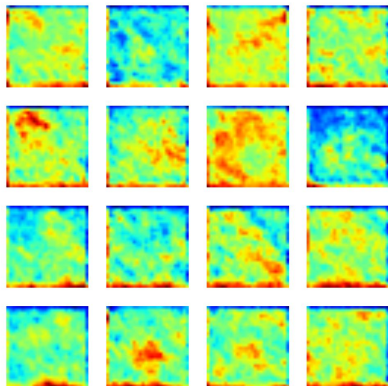


After 10000 iterations

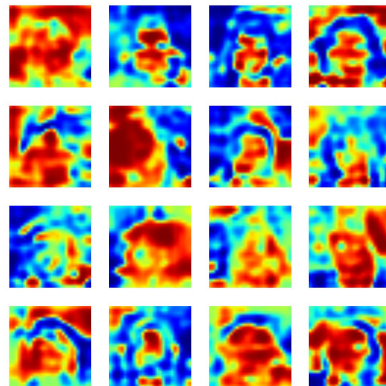
# Experiments

---

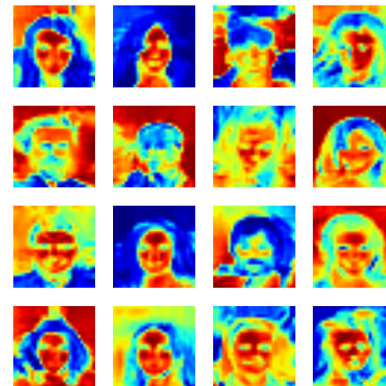
- Visualization of CelebA



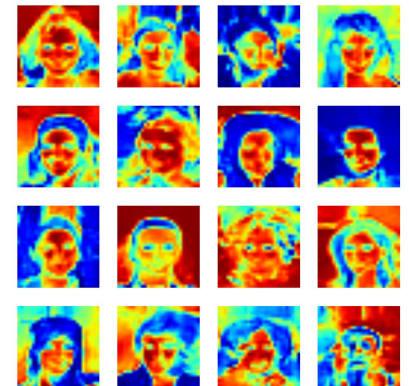
After 500 iterations



After 2000 iterations



After 20000 iterations



After 40000 iterations

# InfoGAN

---

## *Motivation*

Learning interpretable and meaningful representations

# InfoGAN

---

## *Motivation*

Learning interpretable and meaningful representations

## *Main idea*

Maximising the mutual information between a subset of the generators noise variables and observed data. These subset of variables are called latent codes.

# InfoGAN

---

## *Mutual Information - Definition*

The mutual information between random variables  $X$  and  $Y$ ,  $I(X:Y)$  measures the “amount of information” learned about the variable  $X$  from the knowledge of variable  $Y$

# InfoGAN

---

## *Mutual Information - Definition*

The mutual information between random variables  $X$  and  $Y$ ,  $I(X;Y)$  measures the “amount of information” learned about the variable  $X$  from the knowledge of variable  $Y$

$$I(X;Y) = H(X) - H(X|Y) = H(Y) - H(Y|X)$$

# InfoGAN

---

## *Mutual Information - Interpretation*

$I(X;Y)$  represents the reduction of uncertainty in  $X$  when  $Y$  is observed.



# InfoGAN

---

## *Mutual Information - Interpretation*

$I(X;Y)$  represents the reduction of uncertainty in  $X$  when  $Y$  is observed.

If  $X$  and  $Y$  are independent,  $I(X;Y) = 0$ .

If  $X$  and  $Y$  are related by a deterministic, invertible function, maximal mutual information is attained.

# InfoGAN

---

## *Formulating loss*

Given some  $x \sim P_G(x)$ , we'd like  $P_G(c \mid x)$  to have a small entropy.

# InfoGAN

---

## *Formulating loss*

Given some  $x \sim P_G(x)$ , we'd like  $P_G(c \mid x)$  to have a small entropy.

Information regularized minimax game:

$$\min_G \max_D V_I(D, G) = V(D, G) - \lambda I(c; G(z, c))$$

# Experiment Setup

---

Dataset: MNIST

Latend codes setup:

One categorical code,  $c1 \sim \text{Cat}(K = 10, p = 0.1)$ , and two continuous codes:  $c2, c3 \sim \text{Unif}(-1, 1)$ .

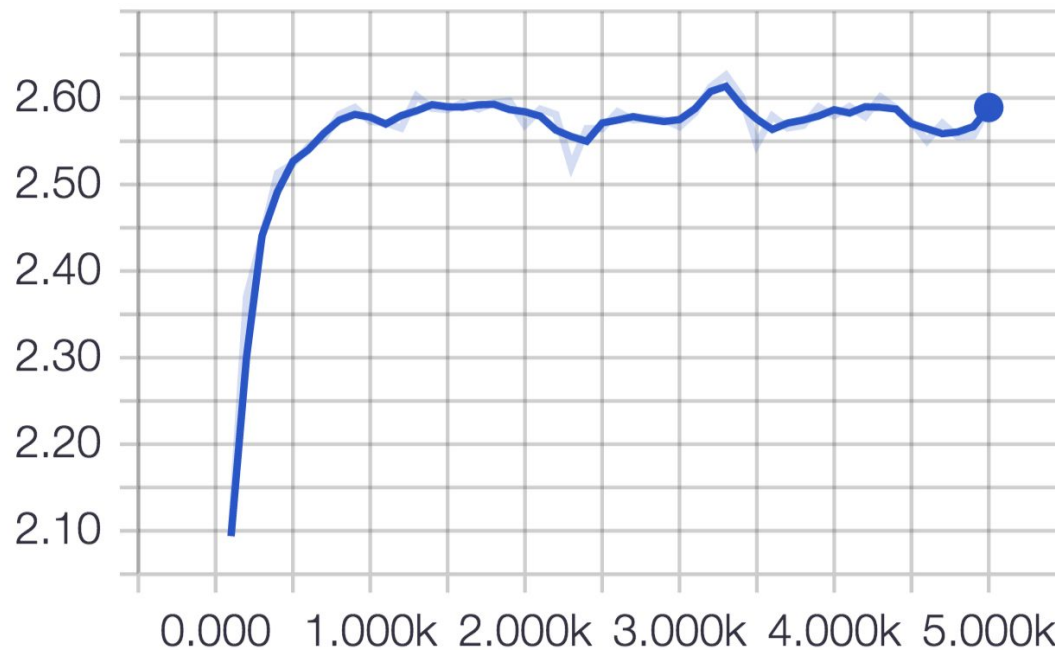
Lamda: 1

# Results

---

Mutual Information during the training:

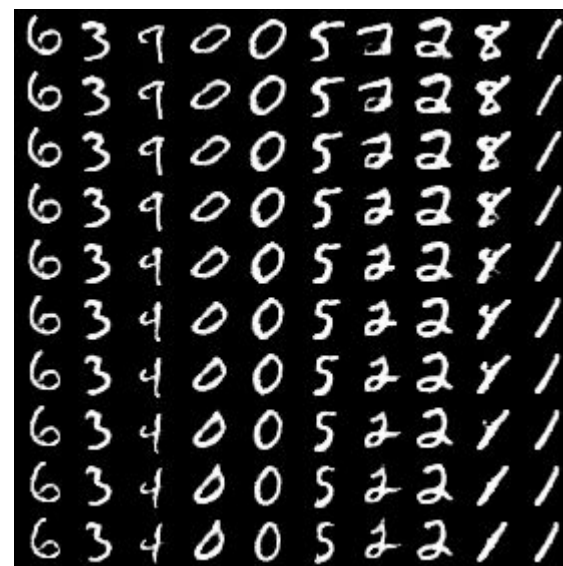
MI



# Results

---

Latent code manipulation results:



# Results

---

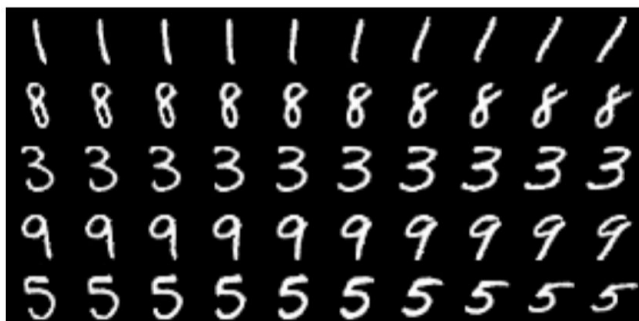
Interpretation:



(a) Varying  $c_1$  on InfoGAN (Digit type)



(b) Varying  $c_1$  on regular GAN (No clear meaning)



(c) Varying  $c_2$  from  $-2$  to  $2$  on InfoGAN (Rotation)



(d) Varying  $c_3$  from  $-2$  to  $2$  on InfoGAN (Width)

# Repository

---

InfoGAN : <https://github.com/chiragraman/InfoGAN>



---

**Thank you!**

*Questions?*