

Optimized:

Time complexity: $O(n)$; Space complexity: $O(n)$...because of the hash map

I Given a binary array nums, return the maximum length of a contiguous subarray with an equal number of 0's & 1's.

eg. $nums[1] = \{0, 1\}$; $nums[2] = \{1, 1, 0, 1, 0, 1, 1\}$
 $O/P: 2$ $O/P: 4$

Dry Run

$\{0, 1\}$

$\rightarrow count = 0; max_len = 0; map \Rightarrow \frac{count}{index}$

$i=0$
 ① $count = -1; map \Rightarrow \frac{0}{-1}$

$i=1$
 ② $count = 0; max_len = \max(0, 1 - (-1)) = 2$

$\{1, 1, 0, 1, 0, 1, 1\}$

$\rightarrow count = 0; max_len = 0$

$map \Rightarrow \frac{count}{index}$

$i=0$
 ① $count = 1; map \Rightarrow \frac{0}{-1}$

$i=1$
 ② $count = 2; map \Rightarrow \frac{0}{-1}$

$i=2$
 ③ $count = 1; max_len = \max(0, 2 - 0) = 2$

$i=3$
 ④ $count = 0; max_len = \max(2, 3 - (-1)) = 4$

$i=4$
 ⑤ $count = 1; max_len = \max(4, 4 - 0) = 4$

Logic

The idea is to make a variable $int\ count = 0$; Increment it by 1 when 1 occurs & decrement the prev. val. of count by -1 if 0 occurs in the nums array while traversing. Store the unique values of count as keys in hash map along with the index where it first occurred.

When a count value repeats, we know that from its initial index (when count val. 1st occurred) to this (2nd or 3rd occurrence) index, is a subarray with an equal no. of 0's & 1's.

Before traversing, we inserted $\langle 0, -1 \rangle$ in the map so that whenever count becomes 0, we know that from 0th index to that index, is a subarray with equal no. of 0's & 1's.

Code

```
int maxLen = 0; int count = 0; unordered_map<int, int> m;
m[0] = -1; // when the reqd. subarray starts with 0th index
for (int i = 0; i < nums.size(); i++) {
    count = count + (nums[i] == 0 ? -1 : 1);
    if (m.count(count))
        maxLen = max(maxLen, i - m.at(count));
    else
        m[count] = i;
}
```