

Swami Purnanand Degree College of Technical Education

External Examination Assignment 2021

BSc(IT)

Mathematical Foundation (BSIT-103)

Max. Marks : 70

**SECTION-A**

**Note:** Attempt any **Four questions** from Section A. Each question carry **7 marks**.

1. Explain Peano's axioms with suitable example.
2. Let A be the set {1,2,3}, define the following types of binary relation on A:
  - i) A relation that is both symmetric and antisymmetric.
  - ii) A relation that is neither symmetric nor antisymmetric.
3. Prove that the set  $\{1, \omega, \omega^2\}$  is a group under multiplication where  $\omega$  is and the cube root of unity  $\omega^3 = 1$
4. By means of truth table, show that proposition  $(p \vee q) \wedge \sim (p \vee q)$  is a contradiction.
5. Solve the recurrence relation :
$$4a_n - 20a_{n-1} + 17a_{n-2} - 4a_{n-3} = 0$$
6. Write short notes on
  - a) Predicates
  - b) Quantifiers

**SECTION-B**

**Note:** Attempt any **3 questions** from Section B. Each question carry **14 marks**.

Let a and b be positive integers and suppose Q is defined recursively as follows :

$$1 \text{ a) } Q(a,b) = \begin{cases} 0 & \text{if } a < b \\ Q(a-b, b) + 1 & \text{if } b \leq a \end{cases}$$

- i) Find  $Q(2,5)$

**ii)** Find  $Q(12,5)$

**b)** What is Hasse Diagram? Explain.

- 2.** State and prove De-Morgan's laws and also shows that Distributive laws holds over three sets.
- 3.** What do you mean by sampling? What are its types? Explain in detail.
- 4.** State and proof Baye's Therom.
- 5. a)** Prove that  $(\mathbb{I}, +)$  is an abelian group. i.e. The set of all integers  $\mathbb{I}$  form an abelian group with respect to binary operation '+'.  
**b)** Show that the set of all integers  $\dots\dots\dots, -4, -3, -2, -1, 0, 1, 2, 3, 4, \dots\dots\dots$  is an infinite group with respect to the operation of addition of integers.