

Analysis of Household Participation in a Public Health Intervention Program for Eliminating the Spread of an Epidemic Disease

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- 1 Background
- 2 Queueing Model
- 3 Queueing Analysis
- 4 Economic Analysis

- Chagas disease is a tropical parasitic illness responsible for more deaths in the Americas than any other parasitic disease (WHO 2003).
- Vast majority of infected people have the indeterminate form of the disease.
- 20-30% of infected people progress to cardiac or digestive forms of the disease.
- Parasitic agent of the disease: *Trypanosoma cruzi*
- 8-10 million people are infected with T. cruzi

The Culprit

T. cruzi is primarily transmitted by *Triatoma infestans* insect vectors



Source: http://en.wikipedia.org/wiki/Triatoma_infestans, May 16, 2014



- Since 2003, the Ministry of Health, Peru, has been engaged in a public health campaign to control Chagas disease vectors in the city of Arequipa, Peru.

Phases of the T. Infestans Control Campaign

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I. PRELIMINARY SURVEY PHASE

- All houses are surveyed for T. infestans by trained inspectors.
- Inspectors record household social and demographic characteristics.

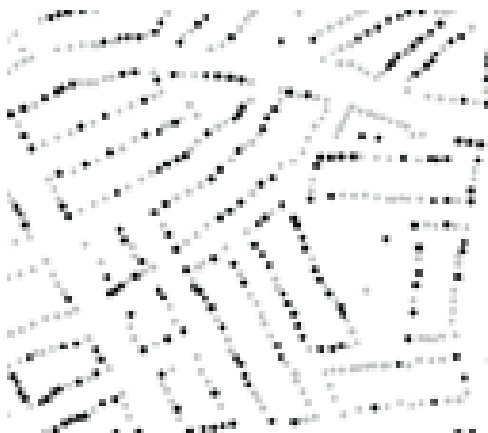
II. ATTACK PHASE

- District-wide education campaign
- Health promoters visit houses sequentially to schedule insecticide application
- Residents prepare homes for insecticide application.
- An exterminator spends 1-2 hours applying insecticide.
- Residents stay out of house 2 hours following treatment.
- The process is repeated six months later (round 2 of attack phase).

III. SURVEILLANCE PHASE

- Community-based surveillance effort to identify residual vector populations
- Begins six months after attack phase
- Surveillance continues until the vector is eliminated from the region
- Residents asked to notify health posts of vector presence in homes
- MOH personnel search houses for insects every two years

Participation in the Attack Phase

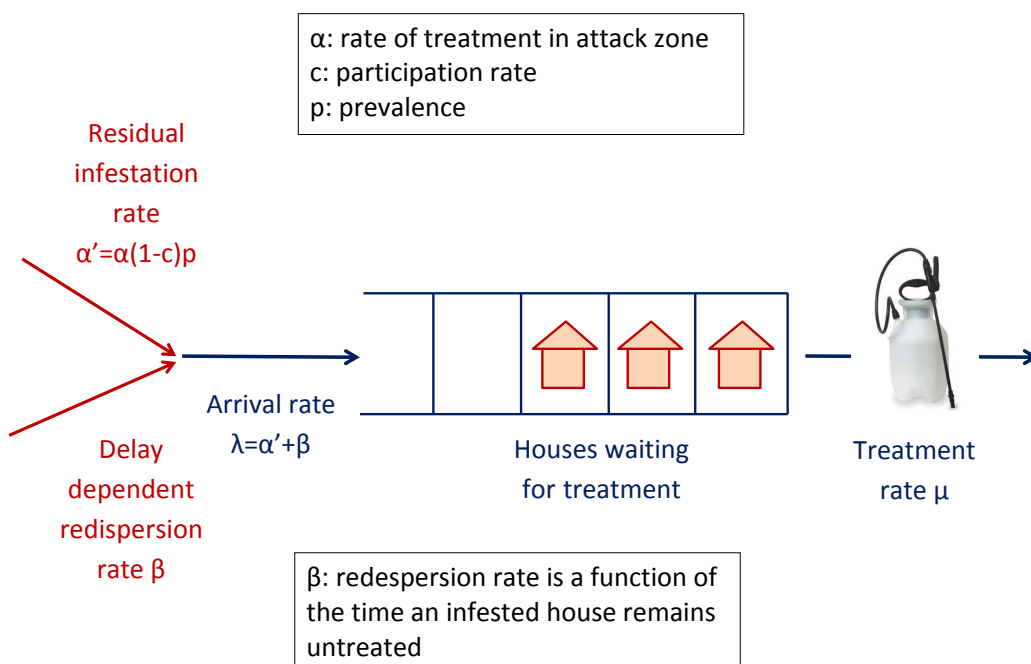
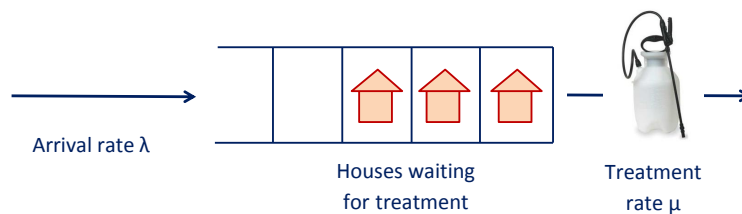


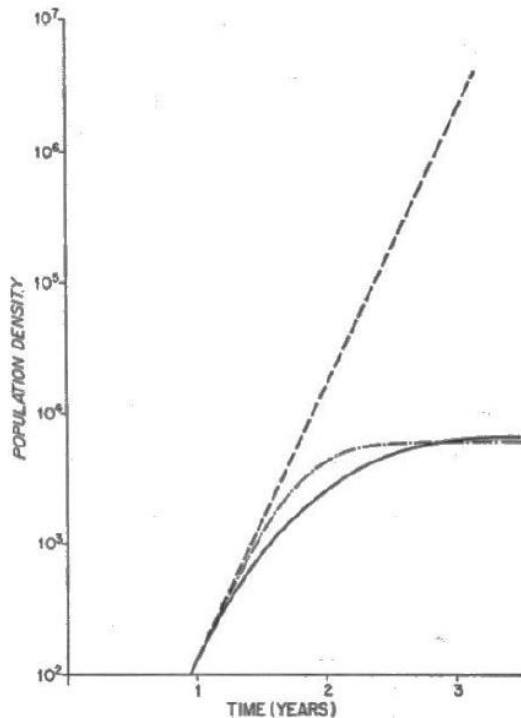
- grey: households that did participate;
black: households that did not participate.
- Participation rate has been declining from 83% to 66%
- Participation is associated with
 - neighbor participation
 - socioeconomic status
 - current infestation

Source: Buttenheim et al (2014)

After going through the attack phase, a region will enter the surveillance phase.

- A household that detects the presence of vectors notifies the MOH.
- MOH personnel will confirm and (re)treat the infested household.
- Households waiting for treatment are being serviced according to a FIFO discipline.





- Infested houses that are waiting to be treated will continue to spread the disease.
- Redispersal rate β is a function of time an infested house remains untreated
- Rabinovich (1972): Statistical evaluation of the population dynamics of *T. infestans* based on lab experiments

A Single Server Queue with Delay Dependent Arrival Rate

- Assume the arrival rate at time t is a function

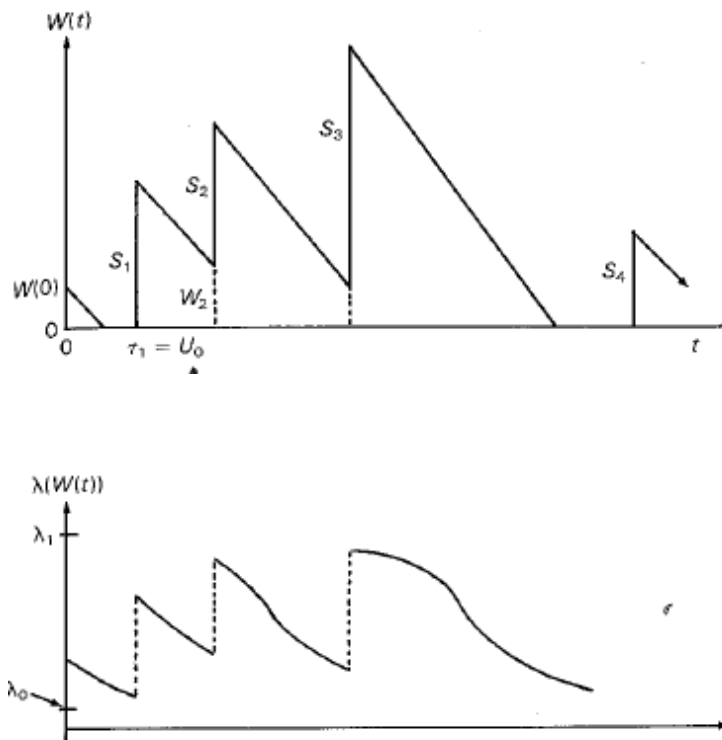
$$\lambda(W(t)) \geq 0$$

where $W(t)$ denotes the virtual wait for service if a customer/household were to arrive at time t .

- Notation:

W_n waiting time of the n^{th} customer/household;

S_n service time of the n^{th} customer/household.

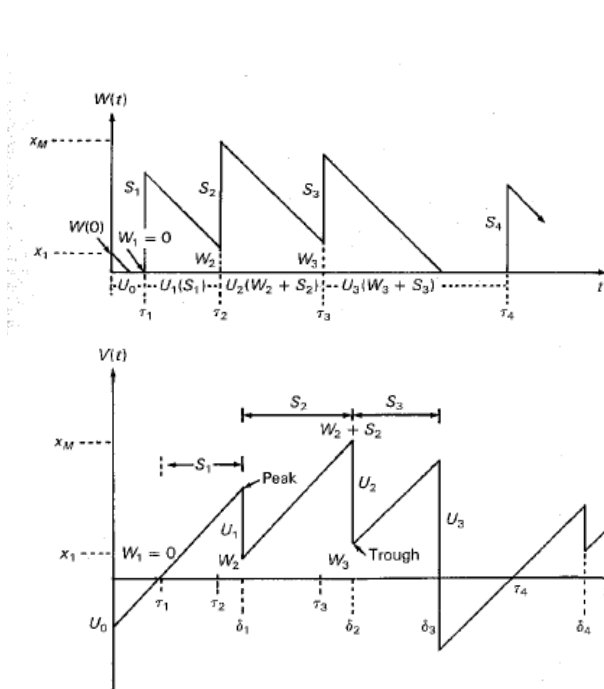


Assumptions:

- Interarrival time for customer n is assumed to be exponentially distributed with parameter

$$\lambda_j \quad \text{if } a_j < W_n + S_n \leq a_{j+1},$$

where $0 = a_0 < a_1 < \dots < a_M < a_{M+1} = \infty$ and $\lambda_0 < \lambda_1 < \dots < \lambda_M$.



$W(t)$ is related to $V(t) =$

- time already spent in system by current customer (if busy)
- - time until next arrival (if empty)

Source: Brill (1988) *Single Server Queues with Delay-Dependent Arrival Streams*

- If $W(t) > 0$ then $W(t) \stackrel{(d)}{=} V(t)$ and $\lim_{t \rightarrow \infty} P[W(t) = 0] = \lim_{t \rightarrow \infty} P[V(t) \leq 0]$.
- c.d.f. of $W(t)$

$$F(w) = P_0 + \int_0^w f(w)dw$$

- $f(w)$ can be calculated recursively

$$f(w) = f_j(w) \quad a_j < w < a_{j+1}$$


starting at $j = M, M-1, \dots, 0$.

- Expected cost of surveillance per year

$$\sum_{j=0}^M \lambda_j \int_{a_j}^{a_{j+1}} f_j(w) dw \times \text{cost per treated house.}$$

- Queueing analysis will be used in assessing costs of the surveillance phase.
- Queueing parameters of the model include a variety of participation rates based on different intervention techniques in the attack phase
 - traditional health communication
 - advance commitment responsive scheduling
 - neighbor recruitment
 - group lottery

- Priority queueing model - highly infested household receive preferential treatment.
- Arrivals to surveillance phase based on stochastic epidemic model.



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Thank you.