```
In [1]:
import warnings
warnings.filterwarnings("ignore")
from sklearn.datasets import load boston
from random import seed
from random import randrange
from csv import reader
from math import sqrt
from sklearn import preprocessing
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from prettytable import PrettyTable
from sklearn.linear_model import SGDRegressor
from sklearn import preprocessing
from sklearn.metrics import mean_squared_error
In [2]:
X = load\_boston().data
Y = load_boston().target
In [3]:
scaler = preprocessing.StandardScaler().fit(X)
X = scaler.transform(X)
In [4]:
clf = SGDRegressor()
clf.fit(X, Y)
print(mean_squared_error(Y, clf.predict(X)))
22.887914540599784
Implement own SGD Regressor
In [5]:
X = load boston().data
Y = load boston().target
In [6]:
from numpy import *
nan value = isnan(Y)
Y = nan_to_num(Y)
In [7]:
from sklearn.model_selection import train_test_split
x_train,x_test,y_train,y_test = train_test_split(X,Y,test_size=0.3)
In [8]:
from sklearn.preprocessing import StandardScaler
import numpy as np
s=StandardScaler()
x train=s.fit transform(np.array(x train))
x_test=s.transform(np.array(x_test))
```

In [9]:

```
## Convert the data into pandas dataframe format
In [10]:
manual train=pd.DataFrame(data=x train)
manual_train['price'] = y_train
In [11]:
manual train.head(3)
Out[11]:
                         2
                                                         6
                                                                                         10
                                                                                                          12 j
 0 0.413785 0.467989 1.126912 0.275659 0.581529 0.205448 0.159679 0.312677 0.868385 0.825930 0.319537 0.429152 0.640416
 1 0.410687 0.467989 1.301505 0.275659 0.844627 1.241217 0.541561 1.048157 0.754361 1.108405 0.103766 0.463999 1.019826
 2 0.416740 1.857029 1.291569 0.275659 1.430232 0.272452 1.335351 1.618634 0.982409 0.649383 1.495379 0.441323 0.636450
4
In [12]:
x test=np.array(x test)
y test=np.array(y test)
In [27]:
## function to return weight(w) and bias(b) and mean squared error
def manual_fit(X, lr_rate_variation, alpha=0.0001, lr_rate=1, power_t=0.25, n_iter=100):
     w new=np.zeros(shape=(1,13))
    b new=0
    t=1
     r=lr rate
     while(t<=n iter):</pre>
         w_old=w_new
         b old=b new
         w = np.zeros(shape=(1,13))
        b = 0
        x data=X.sample(10) ## we are implementing the sgd with batch size 10
         x=np.array(x data.drop('price',axis=1))
         y=np.array(x_data['price'])
         \# for getting the derivatives using sgd with k=10
         for i in range(10):
             y_curr=np.dot(w_old,x[i])+b_old
             w_+=x[i] * (y[i] - y_curr)
             b_+=(y[i]-y_curr)
         w *= (-2/x.shape[0])
         b^{*} = (-2/x.shape[0])
         #updating the parameters
         w \text{ new} = (w \text{ old} - r * w)
         b new=(b old-r*b)
         if(lr rate variation=='invscaling'):
             r = lr_rate / pow(t, power_t)
     return w_new, b_new
def pred(x,w, b):
   y_pred=[]
```

```
for i in range(len(x)):
        y=np.asscalar(np.dot(w,x[i])+b)
       y pred.append(y)
    return np.array(y_pred)
def plot (test data,y pred):
   #scatter plot
   plt.scatter(y_test,y_pred)
    plt.grid(b=True, linewidth=0.3)
   plt.title('scatter plot between actual y and predicted y')
    plt.xlabel('actual y')
   plt.ylabel('predicted y')
   plt.show()
   print('********
   manual_error=mean_squared_error(y_test,y_pred)
    print('error=',manual error)
    return manual error
```

#### In [28]:

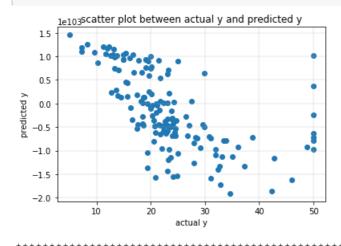
```
w, b=manual_fit(X=manual_train, lr_rate_variation='constant', lr_rate=1, n_iter=100)
```

# In [29]:

```
y_pred=pred(x_test, w=w, b=b)
```

#### In [30]:

```
manual_error=plot_(x_test,y_pred)
```



error= 6.946691184155619e+205

# In [31]:

#### In [32]:

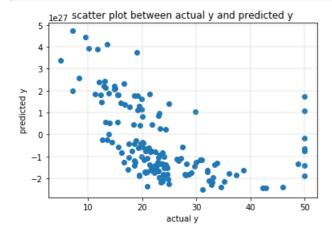
```
print('manual sgd intercept=',b)
```

manual sgd intercept= [-5.74545373e+101]

```
In [33]:
####With 1r rate = 0.5
In [34]:
w, b=manual_fit(X=manual_train, lr_rate_variation='constant', lr_rate=0.5, n_iter=100)
In [35]:
y_pred=pred(x_test, w=w, b=b)
In [36]:
manual_error=plot_(x_test,y_pred)
       _{\underline{1}\text{e}67} scatter plot between actual y and predicted y
    1.0
    0.5
    0.0
   -0.5
   -1.0
                                30
                            actual y
error= 2.9817544853516763e+133
In [37]:
print('manual sgd weight---\n',w)
manual sqd weight---
 [[ 5.42678290e+65 -7.53490387e+65 7.50601637e+65 4.16317694e+65
   8.76201616e+65 -4.61783038e+65 9.19448892e+65 -1.11103286e+66 5.60139385e+65 6.24142717e+65 2.22924520e+65 -8.88010942e+65
   6.65252704e+65]]
In [38]:
print('manual sgd intercept=',b)
manual sgd intercept= [-4.23064108e+64]
In [ ]:
####With 1r rate = 0.25
In [44]:
w, b=manual fit(X=manual train, lr rate variation='constant' ,lr rate=0.25, n iter=100)
In [45]:
y_pred=pred(x_test, w=w, b=b)
```

```
In [46]:
```

```
manual_error=plot_(x_test,y_pred)
```



error= 2.9382620481739005e+54

4.02981256e+25]]

# In [47]:

```
print('manual sgd weight---\n',w)

manual sgd weight---
[[ 4.86452722e+26  5.75973651e+25  2.64096557e+26  -8.86060538e+25  7.14141415e+25  -9.15598072e+25  3.08296191e+26  -2.03126445e+26  2.58616405e+26  2.75122306e+26  1.42701128e+26  -6.60868825e+26
```

# In [48]:

```
print('manual sgd intercept=',b)
```

manual sgd intercept= [-7.9599668e+25]

# In [42]:

```
####With lr_rate = 0.125
```

# In [49]:

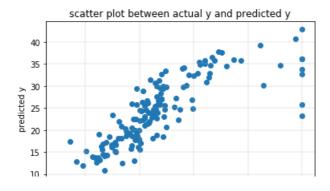
```
w, b=manual_fit(X=manual_train, lr_rate_variation='constant',lr_rate=0.125, n_iter=100)
```

# In [50]:

```
y_pred=pred(x_test, w=w, b=b)
```

# In [51]:

```
manual_error=plot_(x_test,y_pred)
```



```
actual y
```

error= 30.81815674632503

```
In [52]:
```

```
print('manual sgd weight---\n',w)
manual sgd weight---
 [[-1.4033411 1.30828934 0.02907573 -1.07237761 -2.89600993 2.24596944
  -0.19807648 \ -3.25751011 \ \ 2.86619284 \ -2.33918207 \ -2.50635907 \ \ 1.30724662
  -3.179836 ]]
```

#### In [53]:

```
print('manual sgd intercept=',b)
```

manual sgd intercept= [22.45354933]

# In [ ]:

```
####With 1r rate = 0.0625
```

#### In [54]:

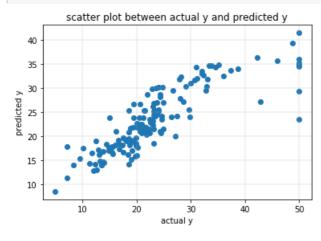
```
w, b=manual_fit(X=manual_train, lr_rate_variation='constant' ,lr_rate=0.0625, n_iter=100)
```

# In [55]:

```
y_pred=pred(x_test, w=w, b=b)
```

# In [56]:

```
manual_error=plot_(x_test,y_pred)
```



error= 26.671619418113295

```
In [57]:
print('manual sgd weight---\n',w)
manual sgd weight---
```

 $[[-0.91739615 \quad 1.30105895 \quad -0.31911097 \quad -0.07150682 \quad -1.89669184 \quad 2.0707556 ]$ -0.14831981 -3.56028212 2.13671389 -1.89498387 -2.03674125 0.61409749 -3.33236213]]

```
In [58]:
```

```
print('manual sgd intercept=',b)
```

manual sgd intercept= [22.08380125]

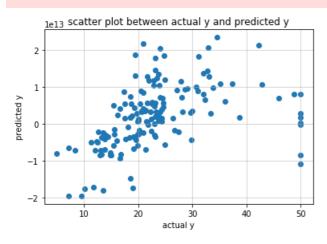
# Using SKLEARN SGD regressor¶

In [69]:

```
## function to return weight(w) and bias(b) and mean squared error using sklearn sgdregressor
def sklearn_sgd(alpha, lr_rate_variation, eta0=1, power_t=0.25, n_iter=100, train_data=x_train, tes
t_data=x_test, train_y=y_train, test_y=y_test):
   clf=SGDRegressor(alpha=alpha, penalty=None, learning_rate=lr_rate_variation, eta0=eta0, power_t
=power_t, n_iter=n_iter)
   clf.fit(x_train, y_train)
   y pred=clf.predict(x test)
   #scatter plot
   plt.scatter(y test, y pred)
   plt.title('scatter plot between actual y and predicted y')
   plt.xlabel('actual y')
   plt.ylabel('predicted y')
   plt.grid(b=True, linewidth=0.5)
   plt.show()
   print('***
   #kdeplot
   sgd error=mean squared error(y test, y pred)
   print('mean sq error=', sgd_error)
   print('number of iteration=', n_iter)
   return clf.coef , clf.intercept , sgd error
```

# In [70]:

```
w_sgd, b_sgd, error_sgd=sklearn_sgd(alpha=0.0001, lr_rate_variation='constant', eta0=1, n_iter=100)
/home/chitra/.local/lib/python3.6/site-packages/sklearn/linear_model/stochastic_gradient.py:152: D
eprecationWarning: n_iter parameter is deprecated in 0.19 and will be removed in 0.21. Use
max_iter and tol instead.
   DeprecationWarning)
```



number of iteration= 100

# In [71]:

```
print('sklearn sgd weight---\n',w_sgd)
```

# In [72]:

```
print('sklearn sgd intercept=',b_sgd)
```

sklearn sgd intercept= [1.14837642e+12]

# In [73]:

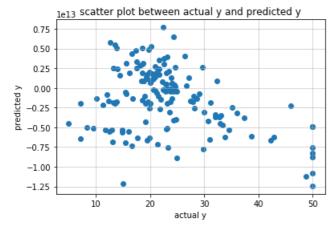
```
####With lr_rate = 0.5
```

# In [74]:

w\_sgd, b\_sgd, error\_sgd=sklearn\_sgd(alpha=0.0001, lr\_rate\_variation='constant', eta0=0.5, n\_iter=10
0)

/home/chitra/.local/lib/python3.6/site-packages/sklearn/linear\_model/stochastic\_gradient.py:152: D eprecationWarning: n\_iter parameter is deprecated in 0.19 and will be removed in 0.21. Use max\_iter and tol instead.

DeprecationWarning)



\*\*\*\*\*\*\*\*\*\*\*\*\*\*

mean sq error= 1.7910851565042195e+25
number of iteration= 100

### In [75]:

```
print('sklearn sgd weight---\n',w_sgd)
```

sklearn sgd weight---

```
[-1.52654413e+12 -6.15420313e+11 -3.18910572e+11 9.11242418e+11 -9.96815272e+11 -2.25723662e+12 -6.36577871e+11 1.96741586e+11 -1.18684906e+12 -1.01580084e+12 6.29049318e+11 -6.88499609e+11 2.20837201e+12]
```

# In [76]:

```
print('sklearn sgd intercept=',b_sgd)
```

sklearn sgd intercept= [-1.08309974e+12]

#### In [ ]:

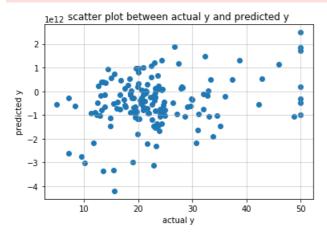
```
####With lr_rate = 0.25
```

```
In [77]:
```

w\_sgd, b\_sgd, error\_sgd=sklearn\_sgd(alpha=0.0001, lr\_rate\_variation='constant', eta0=0.25, n\_iter=1
00)

/home/chitra/.local/lib/python3.6/site-packages/sklearn/linear\_model/stochastic\_gradient.py:152: D eprecationWarning: n\_iter parameter is deprecated in 0.19 and will be removed in 0.21. Use max\_iter and tol instead.

DeprecationWarning)



\*\*\*\*\*\*\*\*\*\*\*\*\*\*

 $\begin{array}{lll} \text{mean sq error= 1.3455720631292822e+24} \\ \text{number of iteration= 100} \end{array}$ 

#### In [78]:

```
print('sklearn sgd weight---\n',w sgd)
```

sklearn sgd weight---

[ 1.99786673e+11 6.12108168e+10 -6.25254841e+10 4.83762580e+11

-5.30539957e+11 3.50916681e+11 5.59784291e+11 6.54155991e+10

-5.62355700e+11 4.18825206e+11 6.90205547e+11 5.89253898e+11

-2.32375889e+11]

#### In [79]:

```
print('sklearn sgd intercept=',b_sgd)
```

sklearn sgd intercept= [-5.73976803e+11]

#### In [ ]:

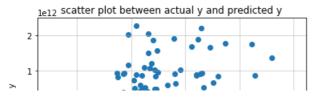
```
####With 1r rate = 0.125
```

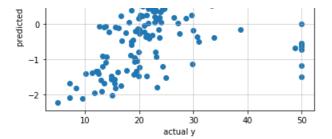
# In [80]:

w\_sgd, b\_sgd, error\_sgd=sklearn\_sgd(alpha=0.0001, lr\_rate\_variation='constant', eta0=0.125, n\_iter=
100)

/home/chitra/.local/lib/python3.6/site-packages/sklearn/linear\_model/stochastic\_gradient.py:152: D eprecationWarning: n\_iter parameter is deprecated in 0.19 and will be removed in 0.21. Use max\_iter and tol instead.

DeprecationWarning)





\*\*\*\*\*\*\*\*\*\*\*\*

mean sq error= 1.1454894005558339e+24 number of iteration= 100

#### In [81]:

```
print('sklearn sgd weight---\n',w_sgd)
```

sklearn sgd weight---

[-3.00285761e+11 3.76763914e+11 -2.24184347e+11 2.40334882e+11 -2.33424815e+11 -1.24637211e+11 -2.09807916e+11 1.18551981e+11 -7.55121081e+09 -1.24112435e+11 6.88658762e+10 9.61953744e+10 5.08944678e+10]

# In [82]:

```
print('sklearn sgd intercept=',b_sgd)
```

sklearn sgd intercept= [-2.22501238e+11]

# In [83]:

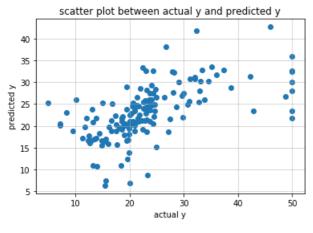
```
####With 1r_rate = 0.0625
```

#### In [84]:

w\_sgd, b\_sgd, error\_sgd=sklearn\_sgd(alpha=0.0001, lr\_rate\_variation='constant', eta0=0.0625, n\_iter =100)

/home/chitra/.local/lib/python3.6/site-packages/sklearn/linear\_model/stochastic\_gradient.py:152: D eprecationWarning: n\_iter parameter is deprecated in 0.19 and will be removed in 0.21. Use max\_iter and tol instead.

DeprecationWarning)



\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*

mean sq error= 57.44240024989603 number of iteration= 100

In [85]:

print('sklearn sgd weight---\n',w\_sgd)

```
sklearn sgd weight---
  [ 2.99442149  1.15743694 -1.5303219     2.74891573 -5.20582144  0.32878364
  -0.64837205 -3.72909232  4.58000077 -3.31488487 -1.17840665 -0.17610881
  -1.58478072]

In [86]:
  print('sklearn sgd intercept=',b_sgd)

sklearn sgd intercept= [22.6636043]
```

# **Conclusion:**

In [1]:

```
from prettytable import PrettyTable

x = PrettyTable()

x.field_names = ["learning rate", "SGD","error","bias"]

x.add_row(["1", "manualSGD","6.94","-5.7"])

x.add_row(["1", "sklearnSGD","7.76","1.14e^12"])

x.add_row(["0.5", "manualSGD","2.98","-4.2"])

x.add_row(["0.5", "sklearnSGD","1.79","-1.08"])

x.add_row(["0.25", "manualSGD","2.93","-7.9"])

x.add_row(["0.25", "sklearnSGD","1.34","-5.73"])

x.add_row(["0.125", "sklearnSGD","1.14","22.4"])

x.add_row(["0.125", "sklearnSGD","1.14","22.4"])

x.add_row(["0.0625", "manualSGD","26.67","22.08"])

x.add_row(["0.0625", "sklearnSGD","57.44","22.66"])

print(x)
```

1	learning rate	SGD	error	bias
	0.5   0.25   0.25   0.125   0.125   0.0625	sklearnSGD   manualSGD   sklearnSGD   manualSGD   sklearnSGD   manualSGD   sklearnSGD   manualSGD	6.94   7.76   2.98   1.79   2.93   1.34   30.81   1.14   26.67	-5.7     1.14e^12     -4.2     -1.08     -7.9     -5.73     22.4     22.4

1) As learning rate deacreases mean sequared error decreases and after learning rate 0.125 error increases in manualSGD. 2) In sklearn SGD error decreases as learning rate decreases. it increases from learning rate 0.0625. 3) Bias are similar as learning rate decreases. 4) As learning rate decreases bias are similar, manualSGD similar as SklearnSGD.

```
In [ ]:
```