

Unlike converters which operate at 50 or 60 Hz,

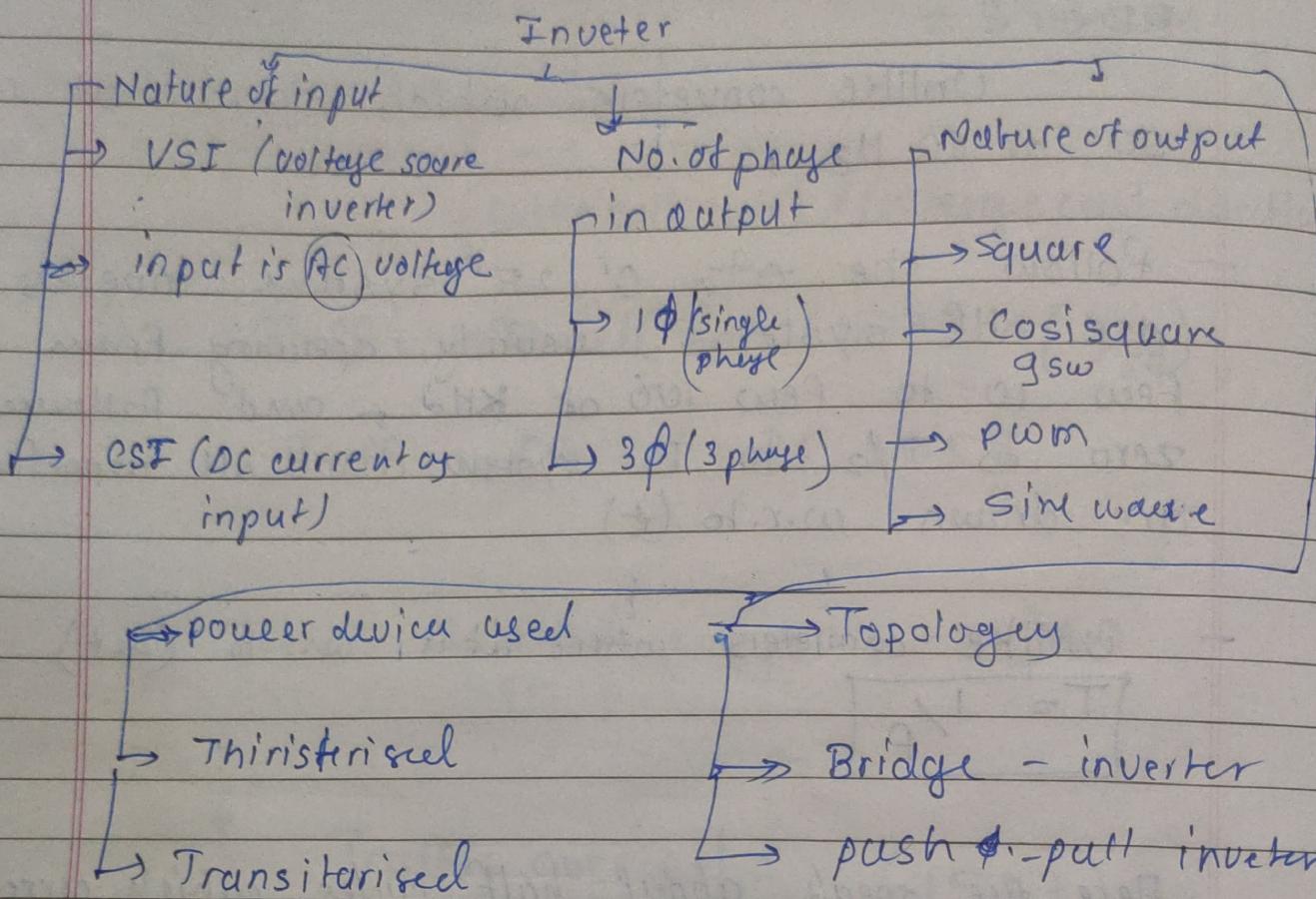
- follow the  $0^\circ$ ,  $90^\circ$ ,  $2\pi^\circ$  system inverters are HF systems. usually operating from few 10 to few 100 of kHz, and follows zero to  $T/2$  to  $T$  system and all waveforms are drawn w.r.t (t)
- unlike converters where it is w.r.t (net)

$$\boxed{T = 1/f}$$

Here we speak about half cycles which correspond to  $0$  to  $T/2$ ,  $T/2$  to  $T$ .

Power devices such as P mosfet, P-BJT, IGBT are preferred over SCR. because natural commutation not possible in inverters because input is constant. and if used additional commutation circuits required. which implement forced commutation.

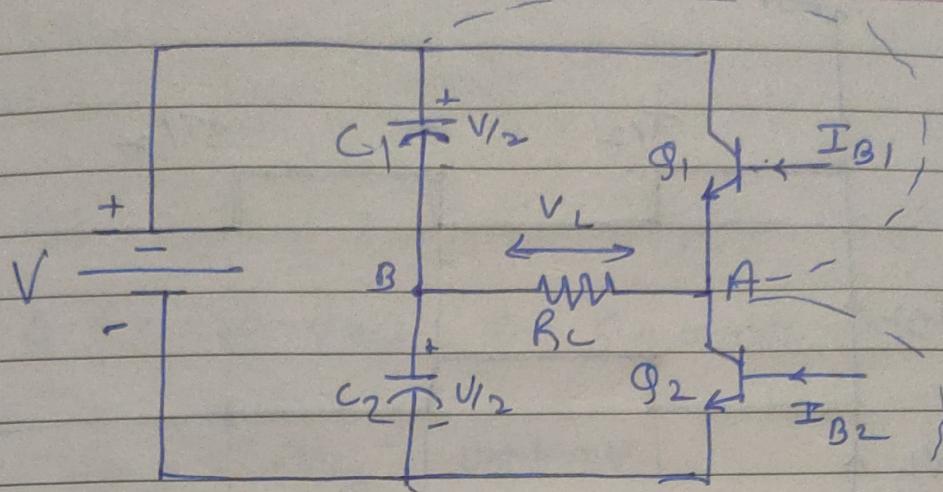
### Classification of Inverters



### Half Bridge phase inverter:

The output of most ~~the~~ basic inverter is square wave

To achieve the default output of inverter i.e. sq. wave with DC voltage as input we need to connect the load to the input within  $V_{in} = V_{dc}$  two oppo. direct durin 2 half cycle i.e. 0 to  $T_2$  &  $T_2$  to T



The input  $V$  is voltage shared bet<sup>n</sup> capacitor  $C_1, C_2$  where  $C_1 = C_2 = C$  as  $V_{1/2} \& V_{1/2}$

$$V_L = V_{AB} - V_{AB}$$

on application of  $I_B$ ,

from  $t$  to  $+T/2$  (case 1)

$Q_1 = \text{ON}$  (short circuit)  $Q_2 = \text{OFF}$  (open circuit)

$$\therefore V_{AB} = +V_{1/2} \text{ volt.}$$

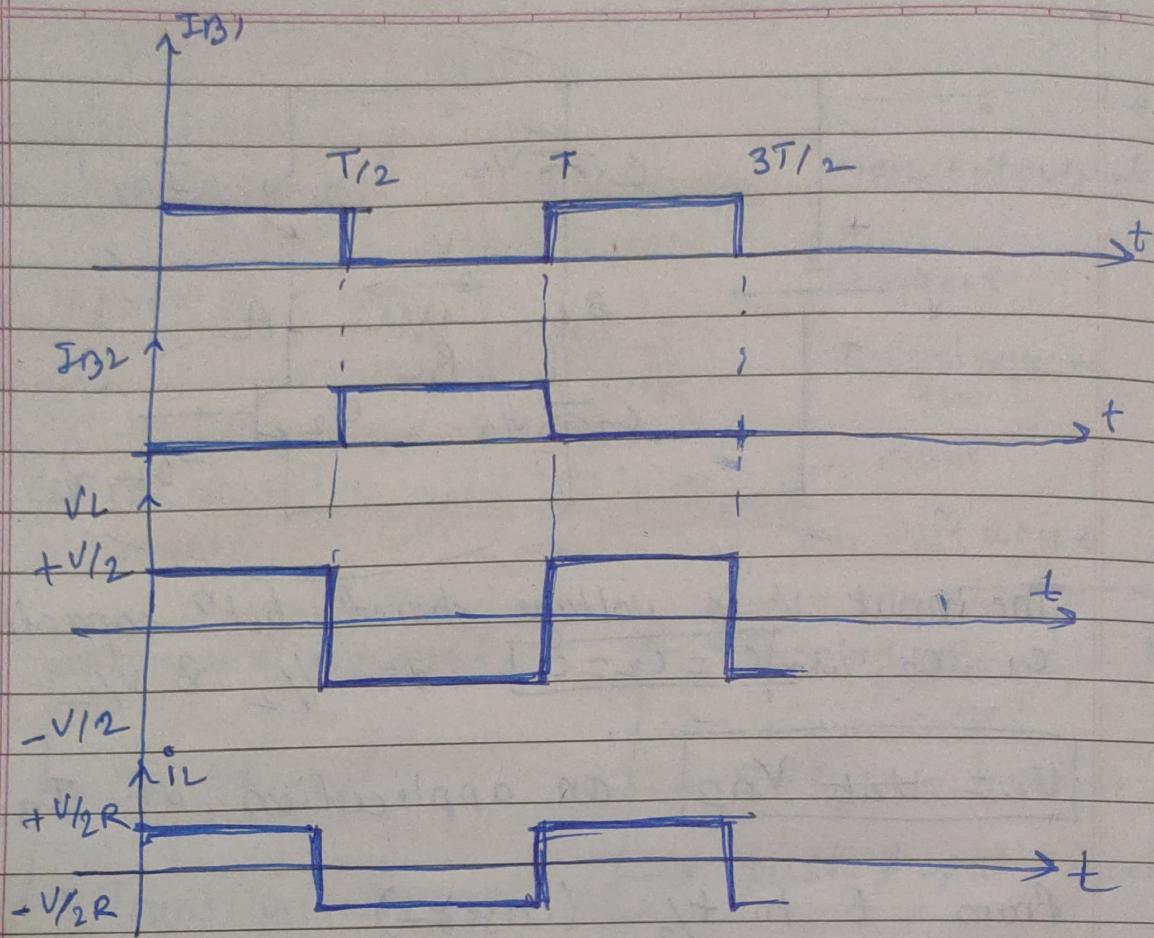
Case 2:

$I_B$  is applied from  $t = T/2 \rightarrow T$ .

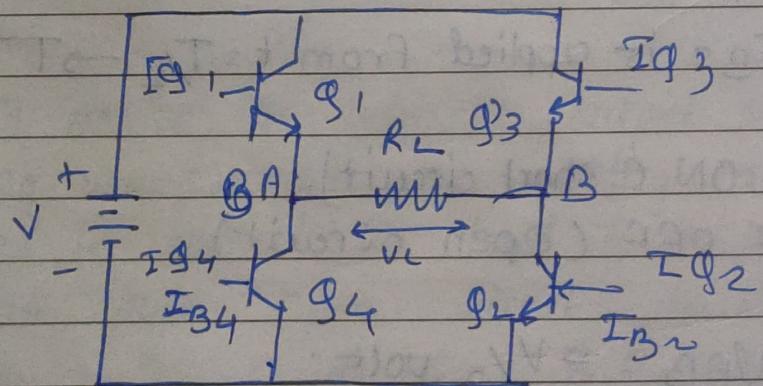
$Q_2 = \text{ON}$  (short circuit)

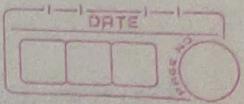
$Q_1 = \text{OFF}$  (open circuit)

$$V_{AB} = -V_{1/2} \text{ volt.}$$



Full Bridge inverter





$$V_L = V_{AB}$$

(Case 1):  $t=0 \rightarrow T/2$

$I_{B1}, I_{B2}$  is applied,  $I_{B3} \approx 0$ ,  $I_{B4} = 0$

$Q_1, Q_2 = ON$  (sc),  $Q_3, Q_4 = OFF$  (oc)

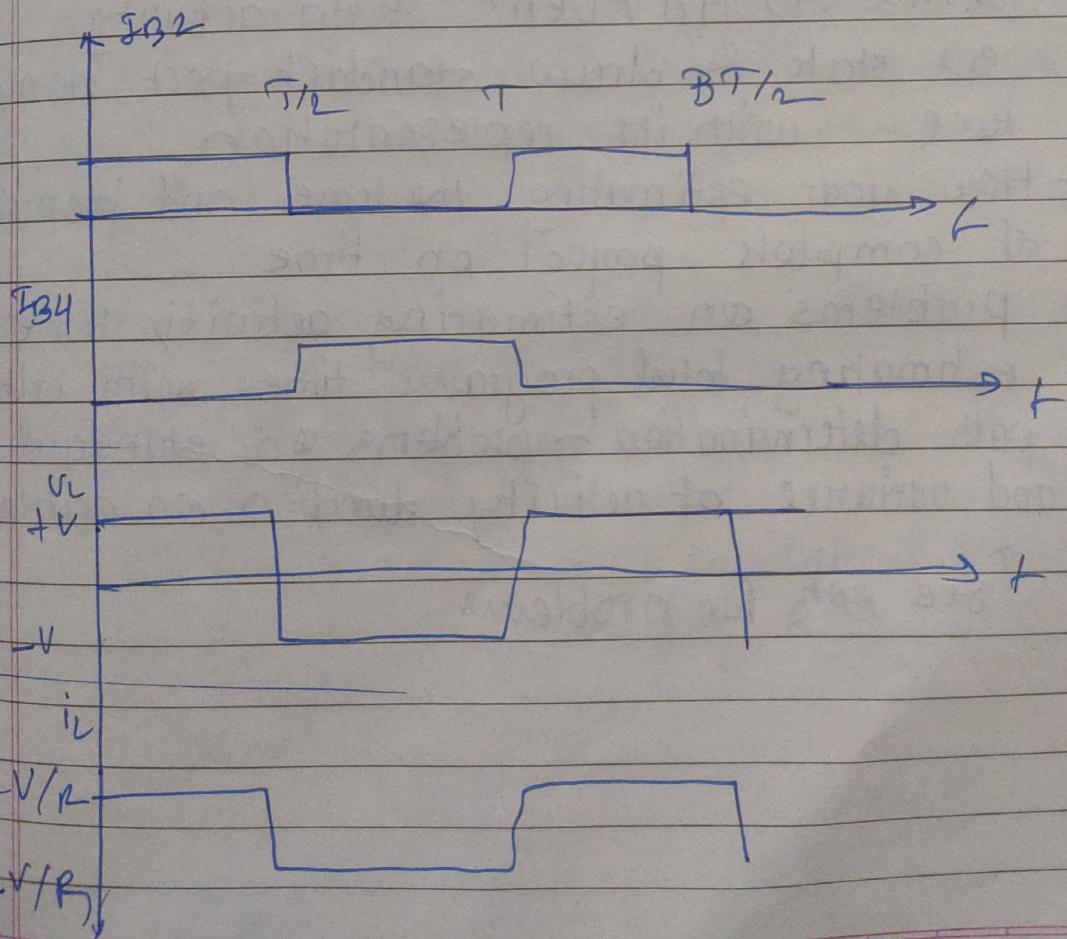
$$V_{AB} = +V \quad \text{volt} = V_L$$

(Case 2)

$I_{B3}, I_{B4}$  is applied  $I_{B1}, I_{B2} = 0$

$Q_3, Q_4 = ON$  (sc)  $Q_1, Q_2 = OFF$  (oc)

$$V_{AB} = -V \quad \text{volt} = V_L$$



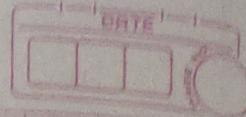
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Derive expression for  $V_L(\text{rms}) = \sqrt{\frac{1}{T} \int_0^T (V_L(t))^2 dt}$

PM

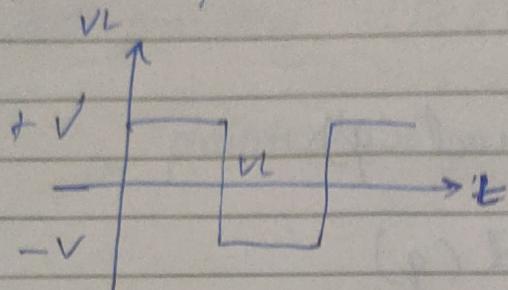
### Problems on CPM & PERTS:-

- Diff. betn cpm & PERTS scheduling
- what are advantages of network sharing technique
- what are most common technique used for scheduling
- what are various network scheduling tech
- State what are management information that can be obtained from network fundamentals
- Define 1) An Event 2) An activity
- 3) state & draw standard pert nomenclature with its representation
- How you're estimating the time and probability of complete project on time.
- Problems on estimating activity time, estimating total program time with critical path determination - problems on standard deviation and variance of activity duration on critical path
- ↑ see ppt for problems.



Fourier analysis of VL The

The waveform for VL has a square wave nature as shown above. The Fourier series expansion of VL is represented as



$$V_L(t) = V_L(0) + \sum_{n=1}^{\infty} C_n \sin(n\omega t + \phi_n)$$

$$V_L(0) = \frac{1}{T} \int_0^T V_L(t) dt.$$

$$= \frac{1}{T} \left[ \int_0^{T/2} V_L(t) dt + \int_{T/2}^T V_L(t) dt \right]$$

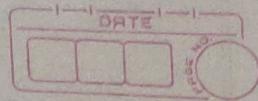
$$= \frac{1}{T} \left[ \int_0^{T/2} (+V) dt + \int_{T/2}^T (-V) dt \right]$$

$$= 0$$

$$a_n = 0 \text{ for } n=1, 2, 3, 4,$$

$$b_n = 0 \text{ for } n=2, 4, 6, 8,$$

$$= \frac{4V}{n\pi} \text{ for } n=1, 3, 5, 7 \dots$$



$$C_n = \sqrt{a_n^2 + b_n^2}$$

$$= \sqrt{b_n^2} = b_n$$

$$= b_n$$

$$= \frac{4V}{n\pi} \quad \dots \quad n = 1, 3, 5, 7, \dots$$

Imp = PEAK Value of  $n^{th}$  harmonic  
of  $V_L$

$$C_n = C_n(\text{peak}) = \frac{4V}{n\pi} = \left( \frac{1.27V}{n} \right)$$

$$C_n(\text{rms}) = \frac{C_n(\text{peak})}{\sqrt{2}} = \frac{2\sqrt{2}V}{n\pi} = \boxed{\frac{0.9V}{n}}$$

$$\phi_n = \tan^{-1} \left( \frac{a_n}{b_n} \right) = 0$$

— or —

for single phase full bridge square wave inverter

DC input 48V, load  $= 4.8 \Omega$  calculate

1)  $V_L(\text{DC})$  2)  $V_L(\text{rms})$  3)  $P_L(\text{rms})$

4) Peak value of 3<sup>rd</sup> harmonics.

5) RMS value of 7<sup>th</sup> harmonics.

6) Harmonic voltage

$$\rightarrow C_3 = \frac{1.27 \times 48}{3} = 20.32 \text{ (peak)}$$

$$C_7 = \frac{0.9 \times 48}{7} = 6.1714 \text{ (rms)}$$

Given :-

$$V = 48 V$$

$$R_L = 4.8 \Omega$$

$$\boxed{V_L(DC) = 0}$$

$$V_L(\text{rms}) = \sqrt{V} = 48 V$$

$$\therefore P_L(\text{rms}) = \frac{V_L(\text{rms})^2}{R_L} = \frac{(48)^2}{4.8} = 480 W$$

$$\rightarrow C_{\infty(\text{peak})} = \frac{4V}{n\pi} = \frac{4(48)}{3\pi} = \boxed{20.3 V}$$

$$\rightarrow C_7(\text{rms}) = \frac{2\sqrt{2}V}{n\pi} \Big|_{n=7}$$

$$= \frac{2\sqrt{2}(48)}{7\pi}$$

$$= \boxed{6.2 V}$$

$$V_L(\text{rms}) = \sqrt{(V_{\text{Fund(rms)}})^2 + (V_{\text{Harmonic(rms)}})^2}$$

$$\Leftrightarrow \boxed{V_L(\text{rms}) = 48 V}$$

$$V_{\text{Fund(rms)}} = C_n(\text{rms}) \Big|_{n=1}$$

$$= \frac{4V}{n\pi} \Big|_{n=1} = \frac{4(48)}{\pi}$$

$$= \frac{2\sqrt{2}V}{n\pi} \Big|_{n=1}$$

$$= \frac{2\sqrt{2}(48)}{\pi} = 43.21 \text{ V}$$

$V_{\text{rms}}$

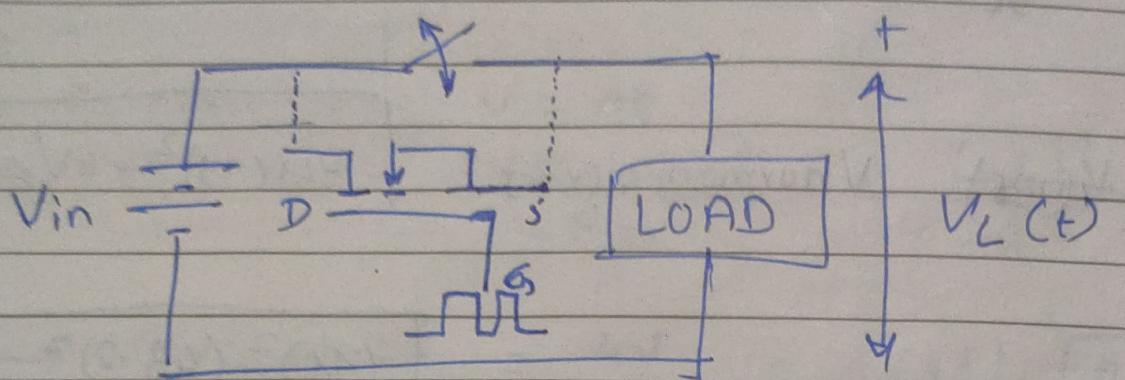
$$V_{\text{harmonic rms}} = \sqrt{V_L(\text{rms})^2 - V_{\text{fund}}(\text{rms})^2}$$

$$= \sqrt{(48)^2 - (43.2)^2} = 20.9227$$

chopper :-

- 1) chopper is a PE system which converts DC input power into DC output power
- 2) By DC input power we mean DC input voltage
- 3) By DC output power  $V_{\text{out}}$ : switching <sup>mean</sup>
- 4) in other words chopper it is a fixed input DC to a variable output DC converter.
- 5) A potentiometer can fulfill the purpose mentioned in point 4 but the solution suffers the from continuous power disconnection

an alternate soln is to put time controlling high freq. semiconverter switch b/w DC input & load as shown in: Fig :



$$\Rightarrow \text{S/W} = \text{ON}, \quad V_{L(t)} = V_{in} - t = T_{on}$$

$$\text{S/W} = \text{OFF}, \quad V_{L(t)} = 0 ; \quad t = T_{off}$$

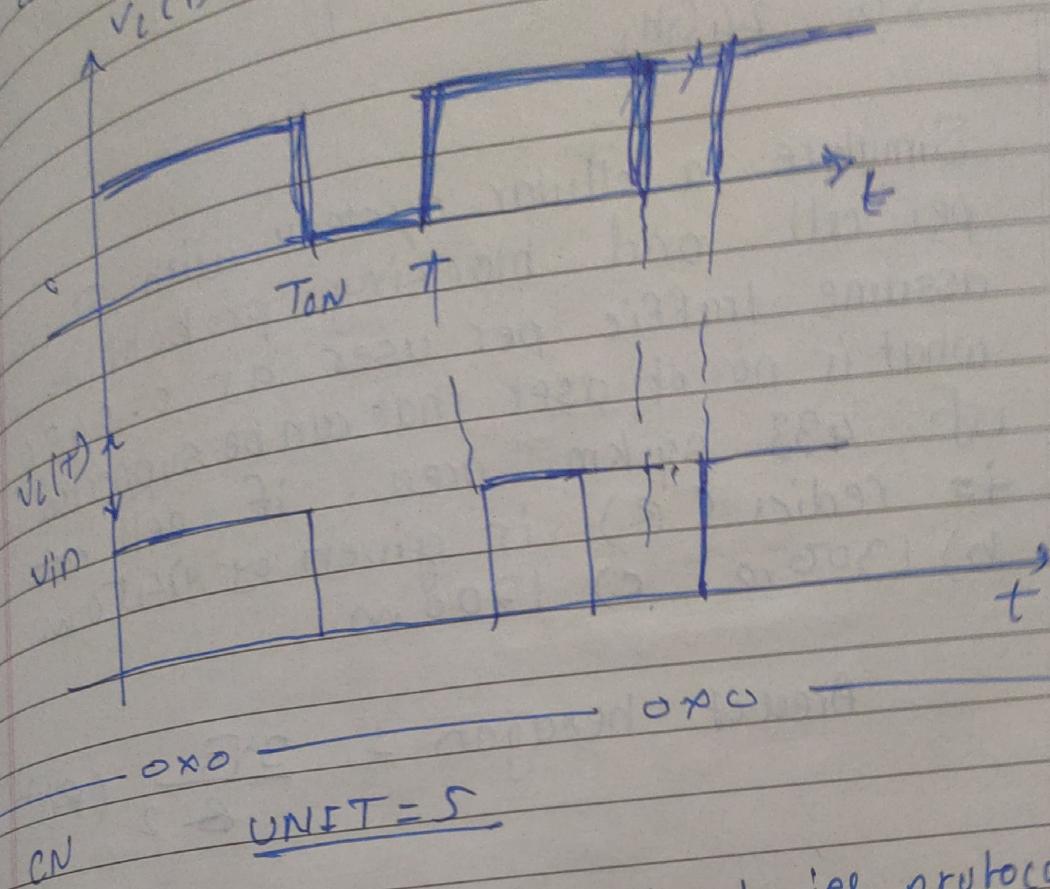
Power transistor are preferred over thiristor as the SC switch coz they are control turn on control turn off type

i.e. the control voltage can be used for both firing & commutating the devices.

A suitable  $I_r$ ,  $V_{GS}$ ,  $V_{GE}$  can be used for firing / commutation of P-BJT P-MOSFET, IGBT resp.

where in non-zero values above threshold are used for firing & zero values for commutation respectively

Load voltage waveform



wireless & mobile technologies, protocol and  
their performance evaluation Network.

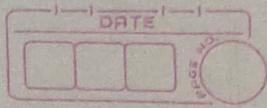
Practical 6

Compute min. spacing req. betn antenna  
for independant feeding channel  
against operating corre center band for  
every generation of mobile standard

$$\text{dmin} = \lambda/2$$

$$\lambda = c/f$$

PDC



- 1) Expression for  $V_L(\text{avg})$ ,  $V_L(\text{rms})$
- 2) Range of  $\delta/D$
- 3) Justify that ckt is step-down chopper.
- 4) Chopper Efficiency ( $\eta$ )  
Numerical on point q

Expression for  $V_L(\text{avg})$ ,  $V_L(\text{rms})$

$$V_L(\text{avg}) = \frac{1}{T} \int_0^T V_L(t) dt$$

From the  $V_L$  waveform

$$\begin{aligned} V_L(\text{avg}) &= \frac{1}{T} \int_0^T V_L(t) dt \\ &= \frac{1}{T} \int_0^{T_{ON}} V_m dt \end{aligned}$$

$$= \frac{V_m}{T} \int_0^{T_{ON}} dt$$

$$= \frac{V_m T_{ON}}{T}$$

$$= (\delta \cdot V_m)$$

$$= \underline{\underline{D \cdot V_m}}$$



$$V_L(\text{rms}) = \left[ \frac{1}{T} \int_0^T V_{L(+)}^2 dt \right]^{1/2}$$

$$= \left[ \frac{1}{T} \int_0^{T_{ON}} V_m^2 dt \right]^{1/2}$$

$$= \left[ \frac{V_{in}^2}{T} \int_0^{T_{ON}} dt \right]^{1/2}$$

$$= V_{in} \left[ \frac{T_{ON}}{T} \right]^{1/2}$$

$$= V_{in} \sqrt{S}$$

$$\boxed{= V_{in} \sqrt{D}}$$

2) Range of S/D

$$* \quad S = \frac{T_{ON}}{T}$$

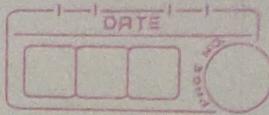
$\therefore$  chopper is a fixed 'f' (frequency) / Fixed  $\frac{1}{T}$

$$S_{max} = \frac{T_{ON}(\max)}{T} = \frac{T}{T} = 1 (100\%)$$

$\rightarrow T_{ON} \rightarrow T$   
 $T_{OFF} \rightarrow 0$

$$S_{min} = \frac{T_{ON}(\min)}{T} = 0 (0\%)$$

$\rightarrow T_{ON} \rightarrow 0$   
 $T_{OFF} \rightarrow T$



$$0 \leq \delta \leq 1 \Rightarrow 0 \leq \delta \leq 1$$

multiplying  $V_{in}$  both side

$$\begin{aligned} 0 \leq \delta & \quad (\delta V_{in}) < V_{in} \\ \boxed{0 \leq V_{L(\text{avg})} < V_{in}} \end{aligned}$$

3) Justify that ckt is STEP-DOWN chopper

The range of  $V_{L(\text{avg})}$  shows that since  $\delta$  or  $D$  is kept  $< 1$ ,  $V_{L(\text{avg})}$  can not exceed  $V_{in}$ , always less than  $V_{in}$ . Hence the above chopper ckt is known as step-down chopper / bulk converter.

g) The chopper is driven by 200 V battery & drives a  $10\Omega$  load. with duty cycle of 60% calculate

1)  $V_{L(\text{avg})}$

2)  $V_L(\text{rms})$

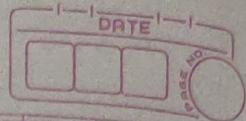
3)  $P_L(\text{avg})$

4)  $P_L(\text{rms})$

Values of  $T_{on}$  &  $T_{off}$  if chopper freq.

is  $\overset{\uparrow}{10 \text{ kHz}}$   
+ tends to

$$\begin{aligned} \rightarrow V_{L(\text{avg})} &= \delta \cdot V_{in} \\ &= 200 \times 0.6 \\ &= 120 \text{ V} \\ V_L(\text{rms}) &= 200 \times \sqrt{0.6} \\ &= 154.9 \text{ V} \end{aligned}$$



$$P_L(\text{avg}) = \frac{V_L(\text{avg})^2}{R}$$

$$= \frac{(120)^2}{10}$$

$$= 1440 \text{ W}$$

$$P_L(\text{rms}) = \frac{V_L(\text{rms})^2}{R}$$

$$= \frac{(154.9)^2}{10}$$

$$= [2399.4]$$

OXO ————— OXO ————— OXO —————

$$T = \frac{1}{f}$$

$$\delta = \frac{T_{ON}}{T} = T_{ON} \cdot f$$

$$= \frac{1}{10 \text{ KHz}}$$

$$\text{efficiency} = 0.6$$

$$T_{ON} = \frac{0.6}{f} = \frac{0.6}{10 \text{ KHz}}$$

$$= 0.06 \text{ ms}$$

$$= 60 \text{ us}$$

$$T_{OFF} = T - T_{ON}$$

$$= 100 \text{ us} - 60 \text{ us}$$

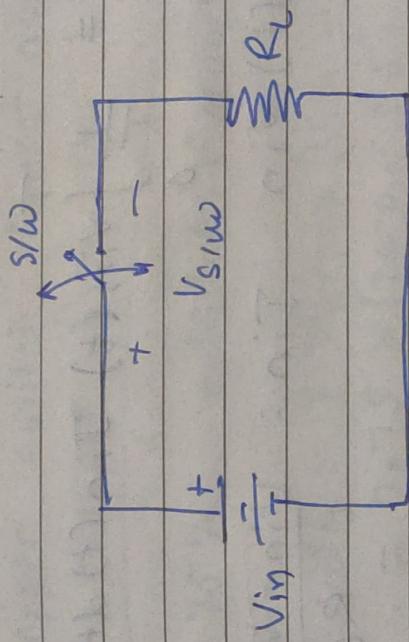
$$= 40 \text{ us}$$

## chopper efficiency

$$\eta_{\text{ch}} = \frac{P_{\text{out}}}{P_{\text{in}}}$$

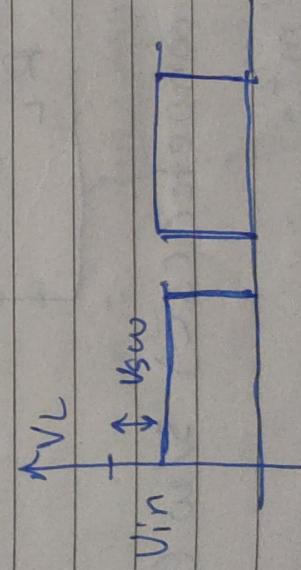
$$= \frac{P_{\text{cavg}}}{P_{\text{in}}}$$

Consider the chopper circuit.



Practically the SC switch offers a non-zero on stage voltage drop.

$$V_L = (V_{in} - V_{sw})$$



$$P_{\text{cavg}} = \frac{1}{T} \int P_L(t) dt$$

$$= \frac{1}{T} \int \frac{V_L(t)^2}{R_L} dt$$



$$= \frac{1}{T} \int_0^{T_{on}} \frac{(V_{in} - V_{sw})^2}{R_L} dt$$

$$= \frac{T}{R_L} \boxed{\frac{S \cdot (V_{in} - V_{sw})^2}{R_L}}$$

$$P_{in(\bar{t}+)} = \frac{1}{T} \int_0^T P_{in}(t) dt.$$

$$= \frac{1}{T} \int_0^T V_{in}(t) I_{in}(t) dt$$

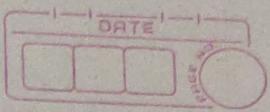
$$\text{But } V_{in}(t) \approx V_{in} \quad I_{in} = \frac{V_{in} - V_{sw}}{R_L}$$

$$= \frac{1}{T} \int_0^{T_{on}} V_{in} \frac{(V_{in} - V_{sw})}{R_L} dt$$

$$= \boxed{\frac{S \cdot V_{in} (V_{in} - V_{sw})}{R_L}}$$

For ideal Semiconductor (SC) S/W (switch)  
 $V_{sw} \approx 0$

$$\eta = \frac{\frac{S \cdot V_{in}^2}{R_L}}{\frac{8 V_{in}^2}{R_L}} = 1$$



Non-ideal switch =

$$n = \frac{(V_{in} - V_{sw})^2}{V_{in} (V_{in} - V_{sw})}$$

A step down chopper has a resistive load of  $15\Omega$  & input voltage 200V

A chopper switch offers an on state drop of 2.5V chopper freq. is 1 KHz

<sup>IMP</sup> D is 75% calculate  $V_L(\text{avg}) \rightarrow V_L(\text{rms})$  <sup>different in switch.</sup>

3) Efficiency

$$V_L(\text{avg}) = \delta T_{on} (V_{in} - V_{sw})$$

$$= 0.75 \times (200 - 2.5)$$

$$= \cancel{148}$$

$\nwarrow$  for non-ideal  
sc switch

$$V_L(\text{rms}) = \frac{\sqrt{V_{in}}}{\sqrt{D}} V_{in} \sqrt{D}$$

$$= 200 \times \sqrt{0.75} (200 - 2.5) \sqrt{0.75}$$

$$= 173.2050 \quad 171.04$$

$$n = \frac{V_{in} - V_{sw}}{V_{in}}$$

$$= \frac{200 - 2.5}{200}$$

$$n = 0.9825$$

$$\eta = \% = 98.25\%$$

$$n = \frac{(v_{in} - v_{sw})^2}{v_{in} (v_{in} - v_{sw})}$$

$$\Rightarrow \frac{(200 - 2.5)^2}{200(200 - 2.5)} \\ = \frac{(197.5)^2}{200(197.5)}$$

## Inverters

Performance parameter inverter ideally inverter should give sinusoidal voltage at its output.

However practical output are non-sinusoidal & thus contain fundamental & harmonic components.

Performance of inverter is evaluated by following factor

IMP

1) Harmonic factor of N Harmonic ( $Hf_n$ )

$Hf$  is nature measure of individual Harmonic content contribution in output

is defined as ratio of RMS value of particular Harmonic to RMS value of Fundamental Harmonic

IMP

$$HF_n = \frac{V_n(\text{rms})}{V_1(\text{rms})}$$

2) THD : Total harmonic Distortion

it is a measure of closeness in shape between output voltage waveform & fundamental component.

and it defined as ratio of ~~to~~ rms value of ~~Harmonic~~ total Harmonic content to fundamental component.

IMP

$$THD = \sqrt{\left( \frac{V_n(\text{rms})}{V_1(\text{rms})} \right)^2 - 1}$$

3. D.F: Distortion factor

Theory or w'y

It indicates amount of harmonic that remain in output voltage waveform after it has been subjected to 2nd order attenuation i.e. divide by  $n^2$

$$DF = \sqrt{\sum_{n=2,3}^{\infty} \left( \frac{V_n(\text{rms})}{V_1(\text{rms})} \right)^2}$$

LOH = lowest order Harmonic

The lowest freq. harmonic with magnitude greater than or equal to 3% of magnitude of fundamental is known as LOH.

↑ the frequency of LOH lower the distortion in current waveform

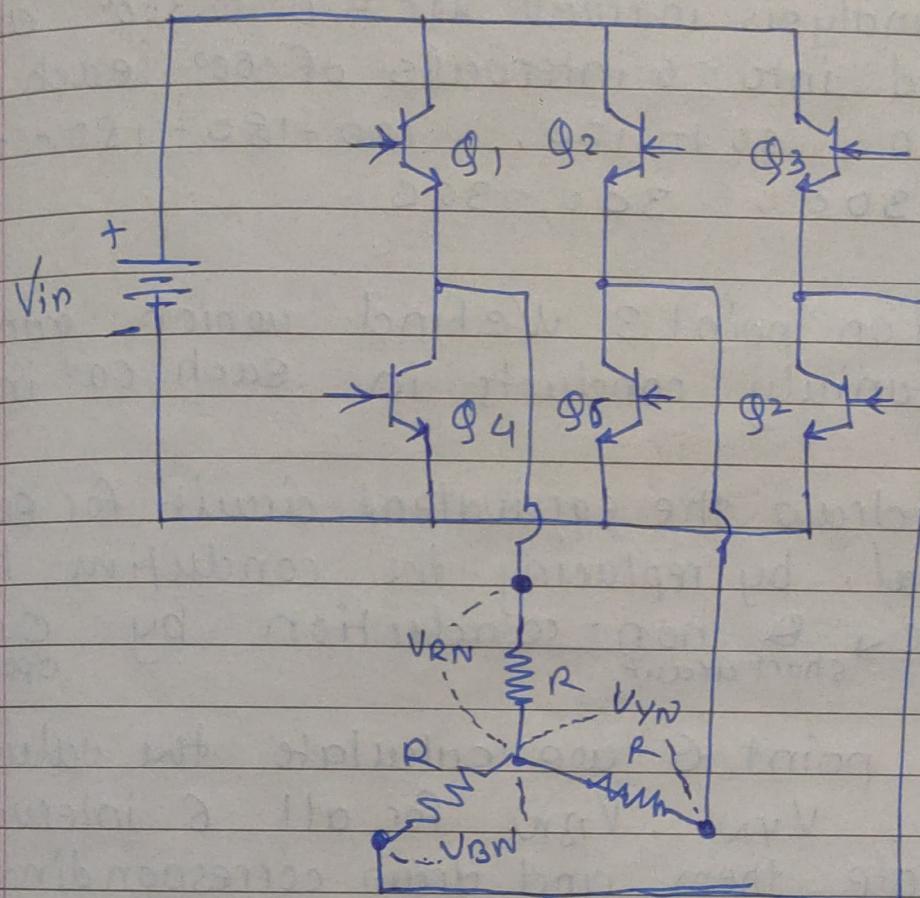
### 3 φ Inverter

It is called 3 φ b'coz the circuit gives 3 diff. load voltage waveforms corresponding to convention to 3 φ 4 wire system i.e. R, Y, B, N.

- It is basically a bridge inverter, consisting of 3 vertical arms with each arm having two power switches preferably power thristors. Thus 6 devices denoted as  $q_1$  to  $q_6$
- The upper half of bridge uses odd subscript for devices, one (+) 3, 5 from left to right
- while lower half has even subscript i.e. 4, 6, 2 from left to right.
- R-phase output denoted as  $V_R$  is obtained from left most arm,  $V_Y$  from middle arm  $V_B$  from right most arm.

The circuit drives a balanced <sup>start connected</sup> R-load referenced at N - (neutral point).

- This circuit can be operated in 2 mode
  - 1)  $180^\circ$  mode
  - 2)  $120^\circ$  mode

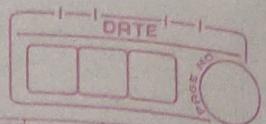


Firing Scheme:-

For  $X$  degree mode.

- 1) Transistor  $Q_1$  is fired at  $\omega t = 0^\circ$  and conducts for  $X$  degrees.
- 2) Each successive transistor after  $Q_1$ , i.e.  $Q_2$  to  $Q_6$  is fired with delay of  $60^\circ$  relative to its precedence

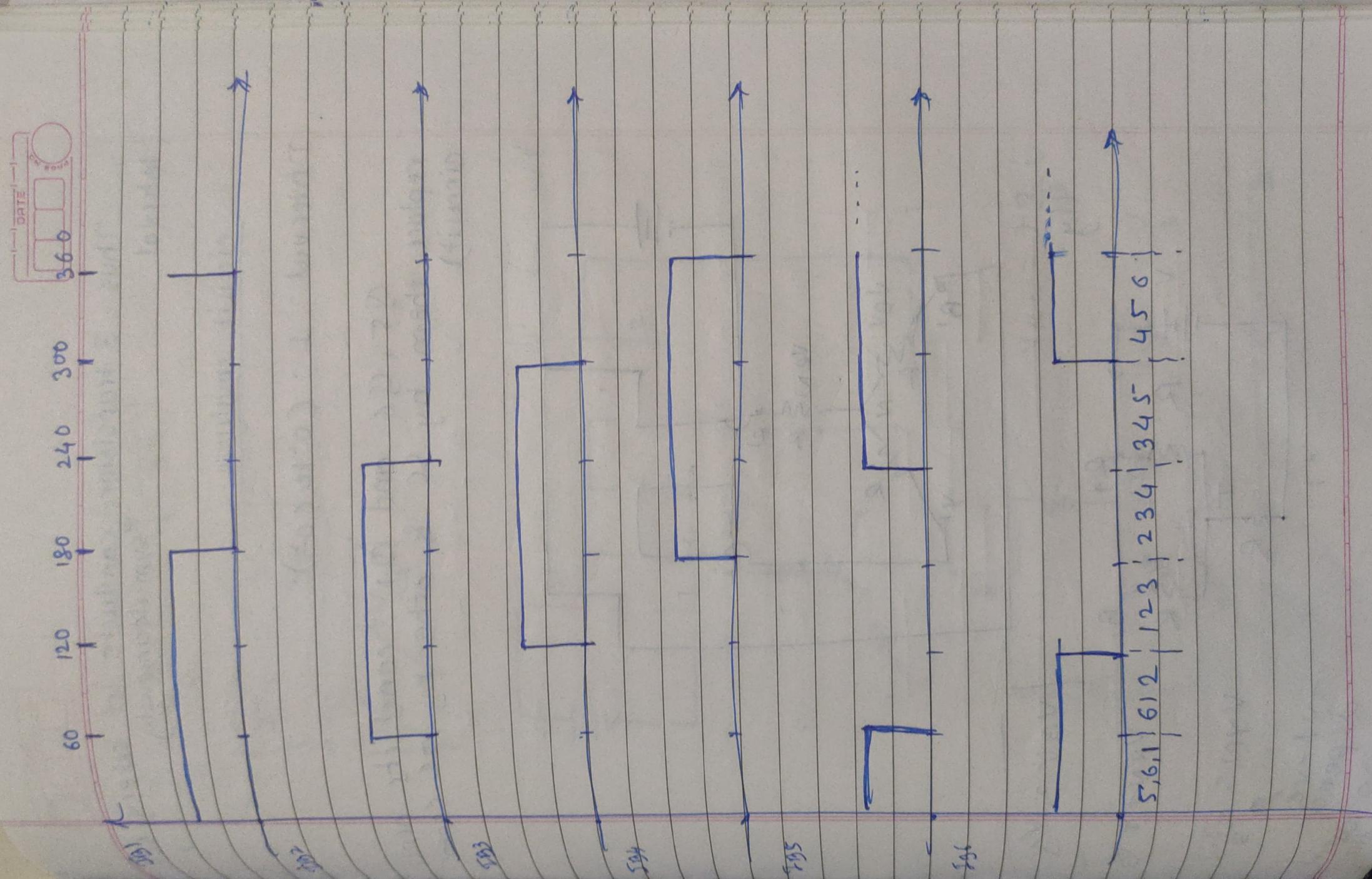
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पहले वाला



i.e.  $\theta_2$  is fired at  $\text{net} = 60^\circ$  & conducts till  $60^\circ + x$ , so on and ...

The base current waveform i.e.  $I_B + I_{B0}$  has drawn as per Rule 1 & 2

- The analysis interval net =  $0^\circ$  to  $360^\circ$  and divided into 6 intervals of  $60^\circ$  each. i.e.  $0$  to  $60$ ,  $60$  to  $120$ ,  $120$  to  $180$ ,  $180$  to  $240$ ,  $240$  to  $300$ ,  $300$  to  $360$
- Based on point 3 we find which transistor simultaneously conducts in each  $60^\circ$  interval
- We draw the equivalent circuit for each  $60^\circ$  interval, by replacing the conducting transistor by SC & non-conduction by OC.
- from point 6 we calculate the values of  $V_{RN}$ ,  $V_{YN}$ ,  $V_{BN}$  for all 6 intervals, Tabulate them and draw corresponding waveforms. & draw meaningful conclusion for both line & phase voltages
- Firing fo. Scheme for  $x=180^\circ$

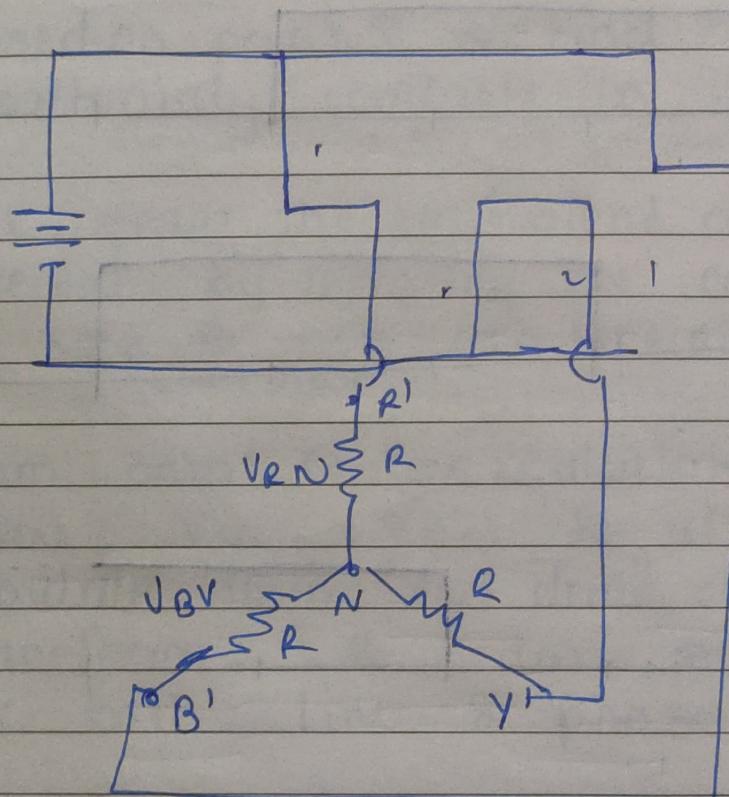


Thus 3 transistors conduct simultaneously in every 60° interval

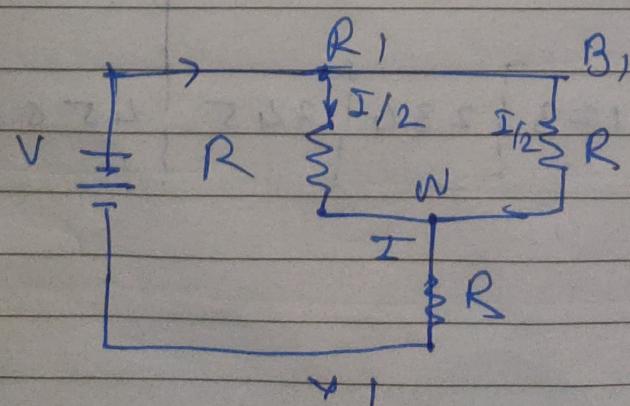
### Circuit Analysis

Interval I : ( $0^\circ$  to  $60^\circ$ )

$Q_5, Q_6$  and  $Q_1$  conduct hence replace them by SC & others by OC (open circuit)



IIy



$$V_{BZ} = V_3$$

$$V_{RN} = +V_3$$

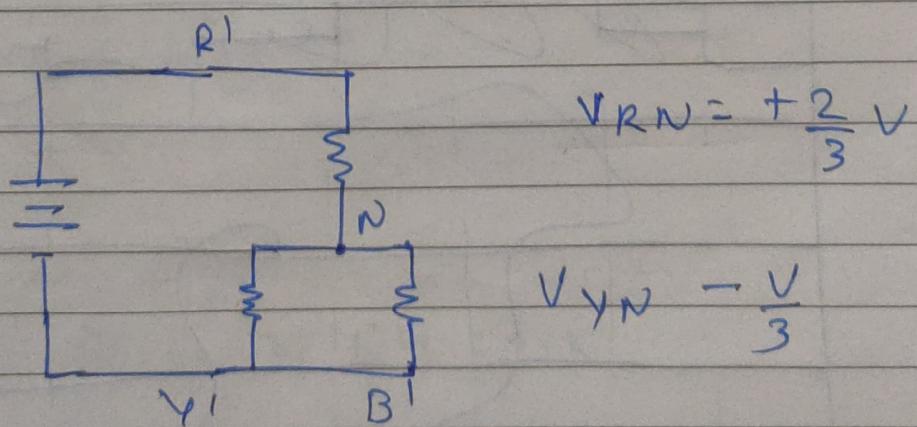
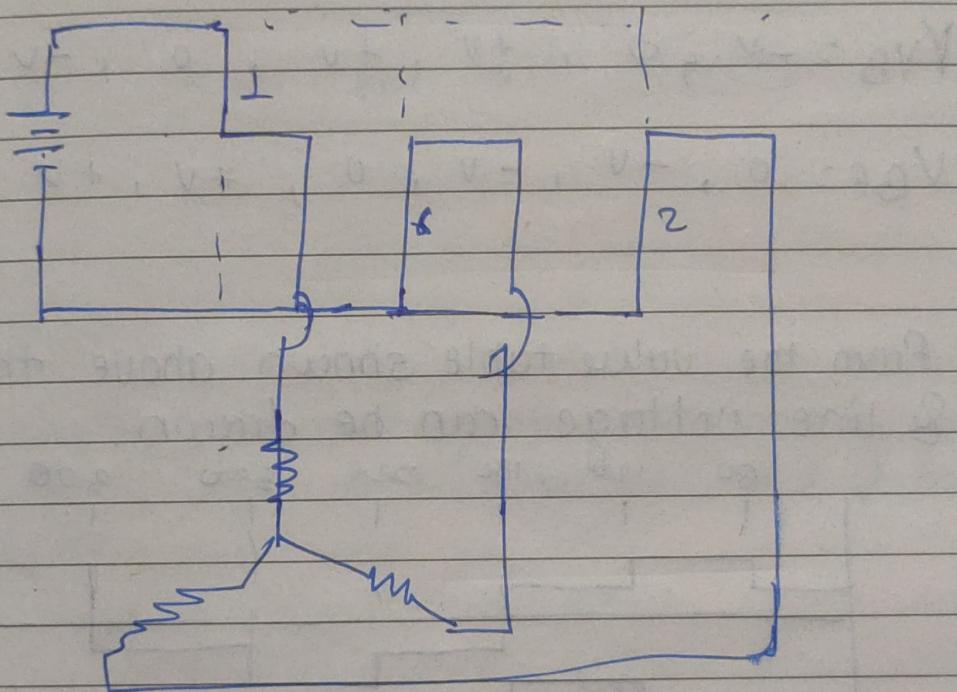
$$V_{YN} = -\frac{2}{3}V$$

+ve depends  
on current direction

$$I = \frac{V}{3R/2} = \left( \frac{2V}{3R} \right)$$

$$\boxed{I/2 = \frac{V}{3R}}$$

$$\boxed{V_{BN} = +V/3}$$



$$V_{RN} = +\frac{2}{3}V$$

$$V_{YN} = -\frac{V}{3}$$

$$V_{BN} = -V/3$$



$$V_{RN} = +\frac{v}{3}, \frac{2v}{3}, +\frac{v}{3}, -\frac{2v}{3} = \frac{v}{3}, \frac{2v}{3}, \frac{-v}{3}$$

$$V_{YN} = -\frac{2v}{3}, -\frac{v}{3}, +\frac{v}{3}, +\frac{2v}{3}, +\frac{v}{3}, -\frac{v}{3}$$

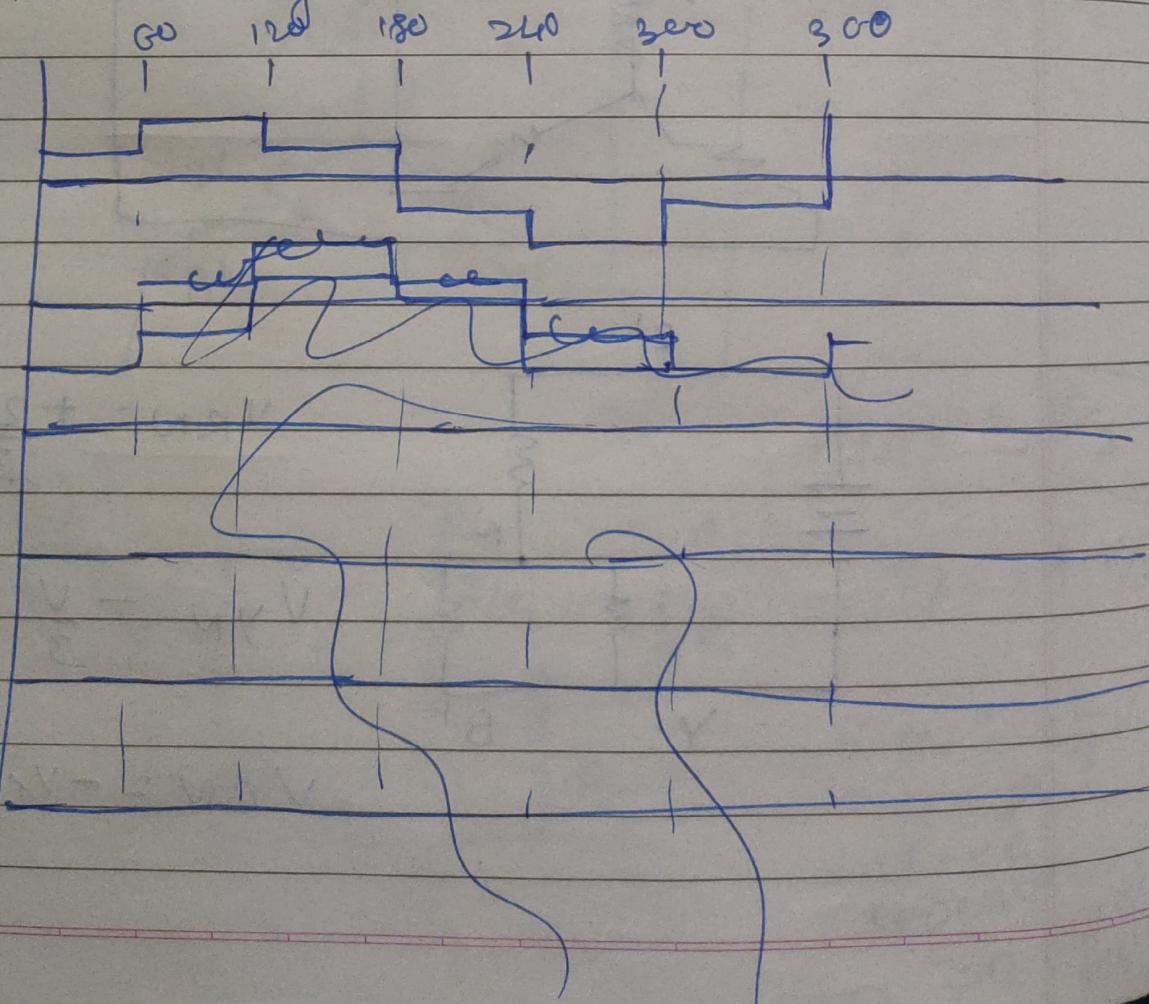
$$V_{BN} = +\frac{v}{3}, -\frac{v}{3}, -\frac{2v}{3}, -\frac{v}{3}, +\frac{v}{3}, +\frac{2v}{3}$$

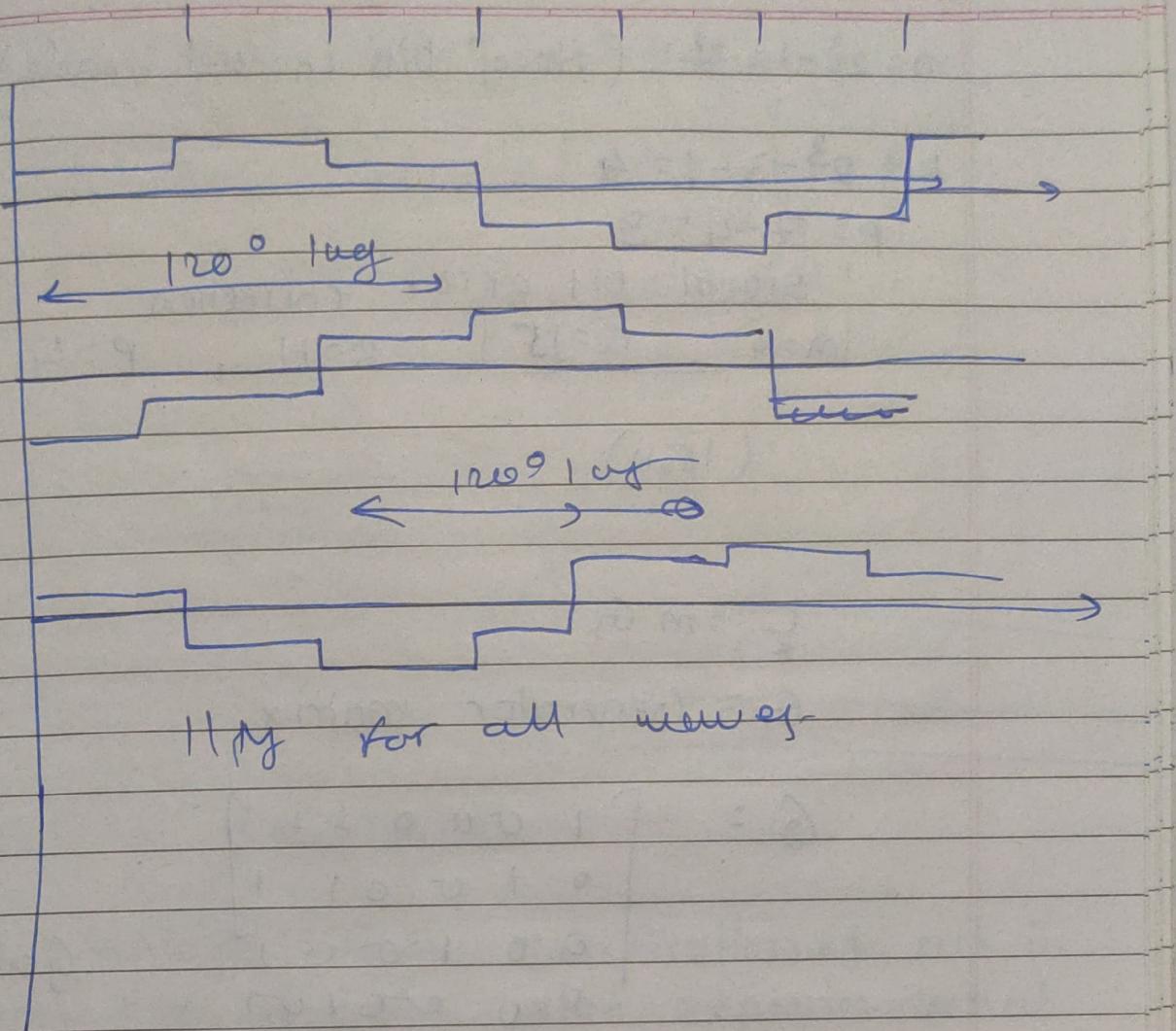
$$V_{RY} = v, v, 0, -v, -v, 0$$

$$V_{YB} = -v, 0, +v, +v, 0, -v$$

$$V_{BR} = 0, -v, -v, 0, +v, +v$$

From the value table shown above the phase & line voltage can be drawn.





An analysis like the above when done with  $\alpha = 120^\circ$  is called as  $120^\circ$  mode 3  $\phi$  bridge inverter

CN

Hamming Code:-  
(n, k)

$$n = 2^m - 1$$

$$k = 2^m - m - 1$$

$$P = \text{No. of parity bits} = n - k$$

with any two layers  $\geq 3$

$$m = 3$$

~~PPC~~

## Dissipative Realisation (continuous Power Dissipation)

Alternative sol" if "Non-Dissipative" sol"

classification of choppers.

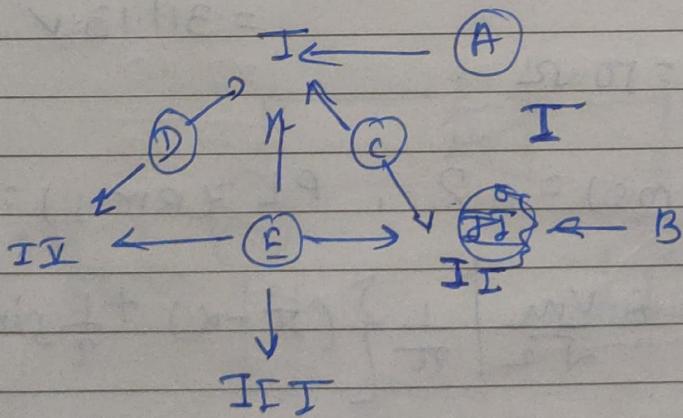
$V_o \text{ vs } V_{in}$   
 $\Rightarrow \text{Step-Down (} V_o < V_{in} \text{)}$   
 (BUCK)

Step-Up ( $V_o > V_{in}$  (Boost))

Step-Up-Down (Buck-Boost)

Quadrant of operation	
Class - A	I
-II - B	II
-I - C	I, II
-II - D	I, IV
-II - E	I, II, III
	IV

Fly Back  
converter



Definition of AC-voltage controller.

It is PE-system, which takes fixed RMS signal as i/p & gives a variable-RMS signal as o/p.



ACU uses P.A.C (Phase - Angle control) Technique or P.F.C (firing ~ 11°) Technique

Circuit Diagram

AC voltage control / chopper / regulator

JMP

NUMERICAL ON ACV

- + An AC-voltage controller / Ac. Regulator is driven by 220 V, 50 Hz supply and drives a  $50\ \Omega$  load. calculate the following  $V_L(\text{rms})$ ,  $P_L(\text{rms})$  if  $\alpha = 60^\circ$

→ Soln

Given

$$\alpha = 60^\circ = (\pi/3)^c$$

$$V_S(\text{rms}) = 220 \text{ V}, V_m = V_S(\text{rms})\sqrt{2} \\ = 311.13 \text{ V}$$

$$R = 50 \Omega$$

$$V_L(\text{rms}) = ?, P_L(\text{rms}) = ?$$

$$V_L(\text{rms}) = \frac{V_m}{\sqrt{2}} \left| \frac{1}{\pi} \left\{ (\pi - \alpha) + \frac{1}{2} \sin(2\alpha) \right\} \right|^{\frac{1}{2}}$$

$$= \frac{311.13}{\sqrt{2}} \left| \frac{1}{\pi} \left\{ (0\pi - \frac{\pi}{3}) + \frac{1}{2} \sin(120^\circ) \right\} \right|^{\frac{1}{2}}$$

$$= 220 \left| \frac{1}{\pi} \left\{ 2.09 + 0.433 \right\} \right|^{\frac{1}{2}}$$

$$= 197.15 \text{ V}$$

$$P_L(\text{rms}) = \frac{V_L(\text{rms})^2}{R} = \frac{(197.15)^2}{50} = \boxed{777.36 \text{ W}}$$

2

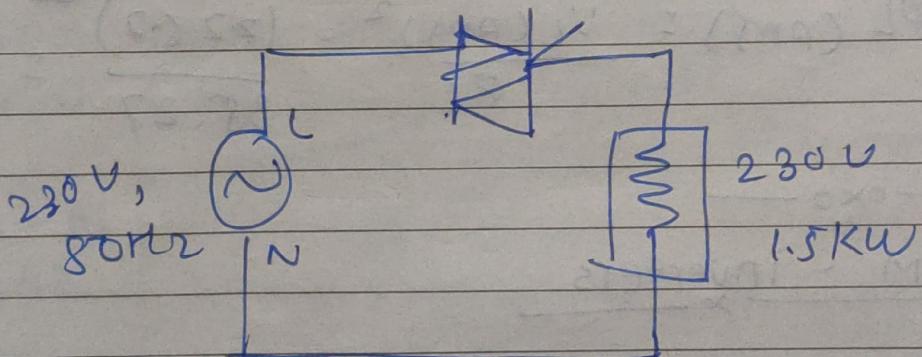
SCR Rating  $\rightarrow$  voltage (PIV) =

$\rightarrow$  current  $\rightarrow$  AVG  
 $\rightarrow$  RMS

\* Voltage Rating =

EMP - Type 2

An AC-Regulator shown below drives a 230V, 1.5kW Heater. Calculate the value of Power Delivered to the load.

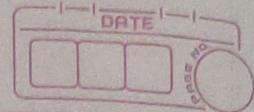


SOLN : Given.

$$\alpha = 30^\circ = (\pi/6)^\circ$$

$$V_S(\text{rms}) = 230 \text{ V}$$

Heater Rating = 230 V, 1.5 kW



$$P_L(\text{rms}) = ?$$

230 V, 1.5 kW Rating means, when Heater receiver's 230 V supply it consumes 1.5 kW power.

$$P = V^2/R \Rightarrow R = V^2/P$$

$$P_L(\text{rms}) = \frac{V_L(\text{rms})^2}{R_L}$$

$$V_L(\text{rms}) = V_S(\text{rms}) \sqrt{\frac{1}{\pi} \left\{ (\pi - \alpha) + \frac{L}{2} \sin(2\alpha) \right\}^{1/2}}$$

~~$$= 230 \sqrt{\frac{1}{\pi}}$$~~

$$P_L(\text{rms}) = \frac{V_L(\text{rms})^2}{R_L} = \frac{(226.7)^2}{35.27} = 1457.36$$

### PWM - inverters

→ These can be defined similar to SW/QSW inverters

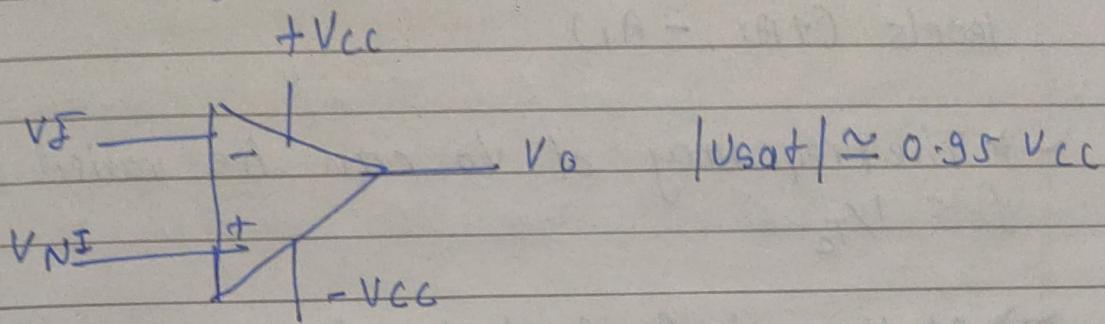
→ The  $V_L$  w/f has a PWM nature

## Classification of PWM

SPM  
(single pulse modulation)

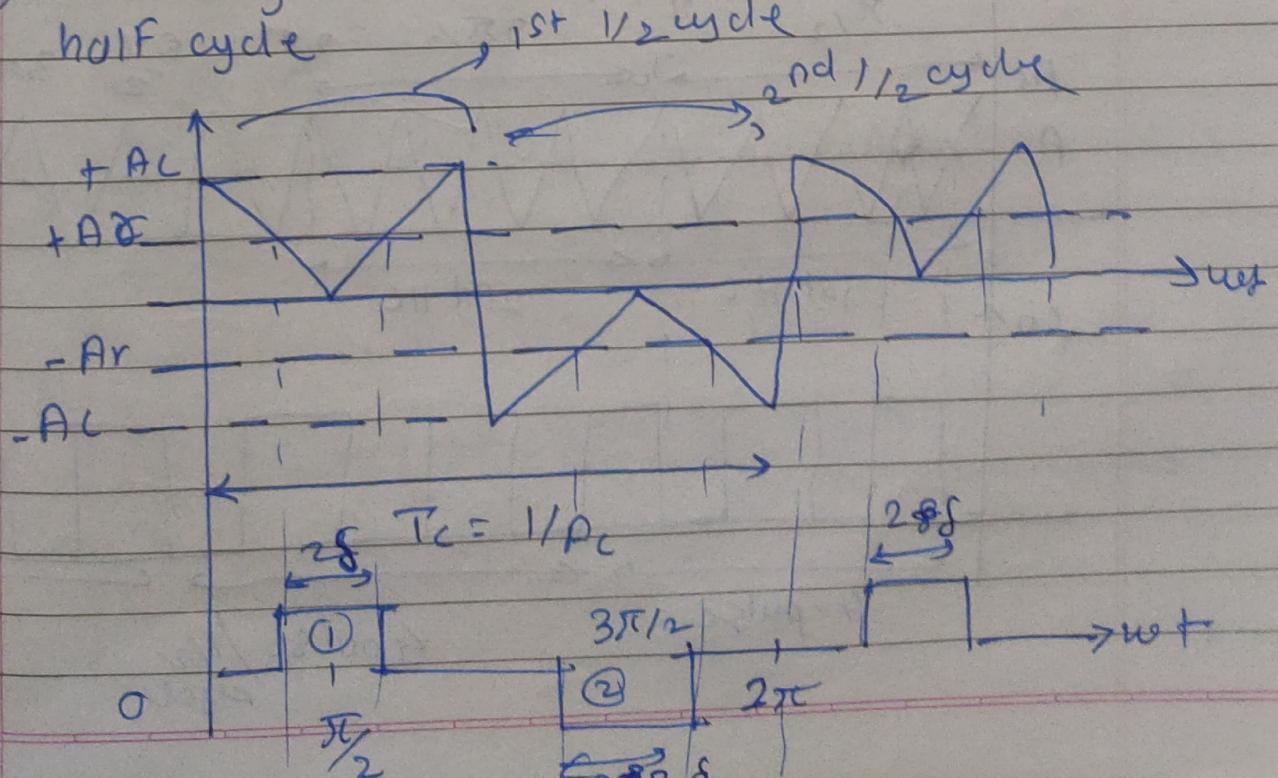
MPM  
(multiple pulse modulation)

Sinusoidal - PWM



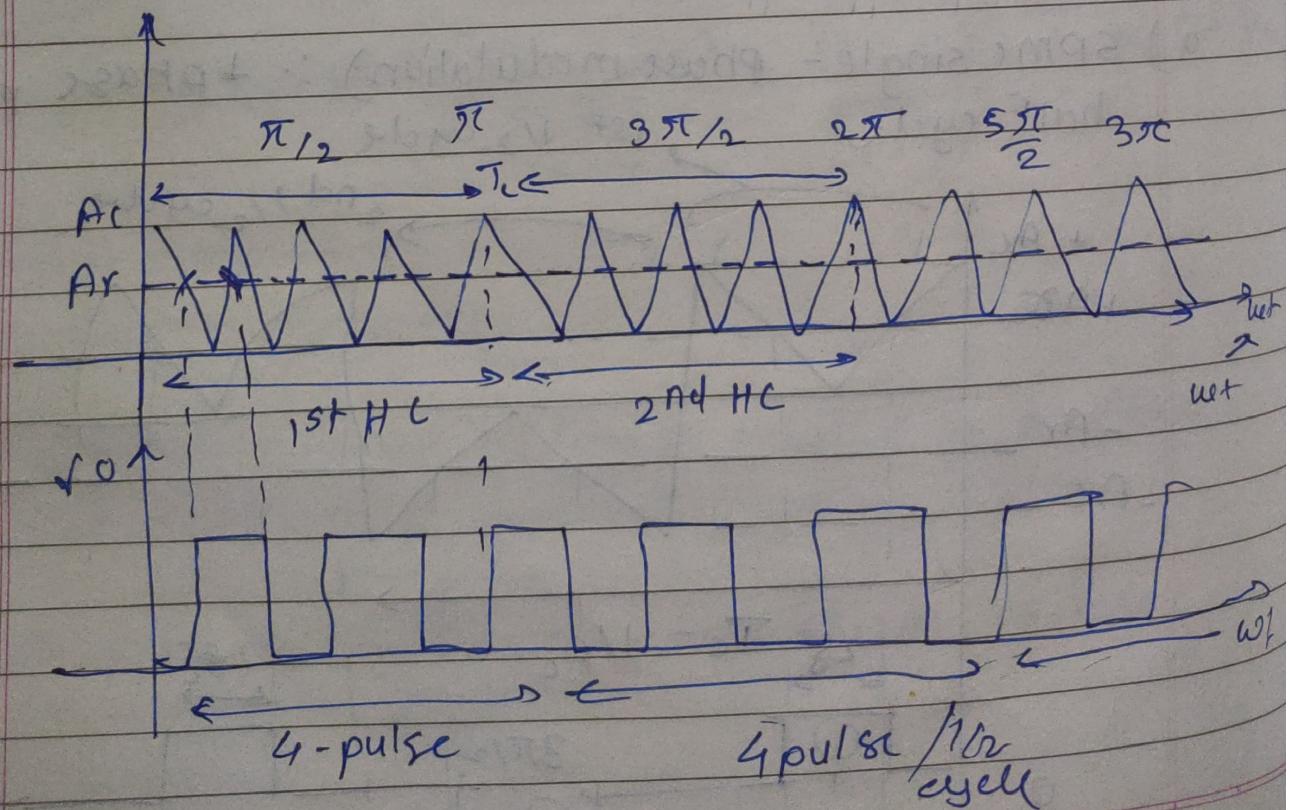
## Opamp Comparator

a) SPM (single-phase modulation) :- 1 phase per half cycle



- The w/f for  $v_o$  shows that it is "The Generic GSW"
- So GSW o/p is also called as single-pulse modulation.
- The value of '2S' can be varied by changing levels (+Ar, -Ar)
- The frequency of  $v_o$  can be varied by varying  $f_c = 1/T_c$
- Mathematical Analysis of SPM is exactly same as GSW

b) Multiple Pulse : PWM (Multiple pulses per Half-cycle)



wlf for  $V_o$  shows that we have 4 pulses per halfcycle.

Hence + called as Multiple-pulse modulation.

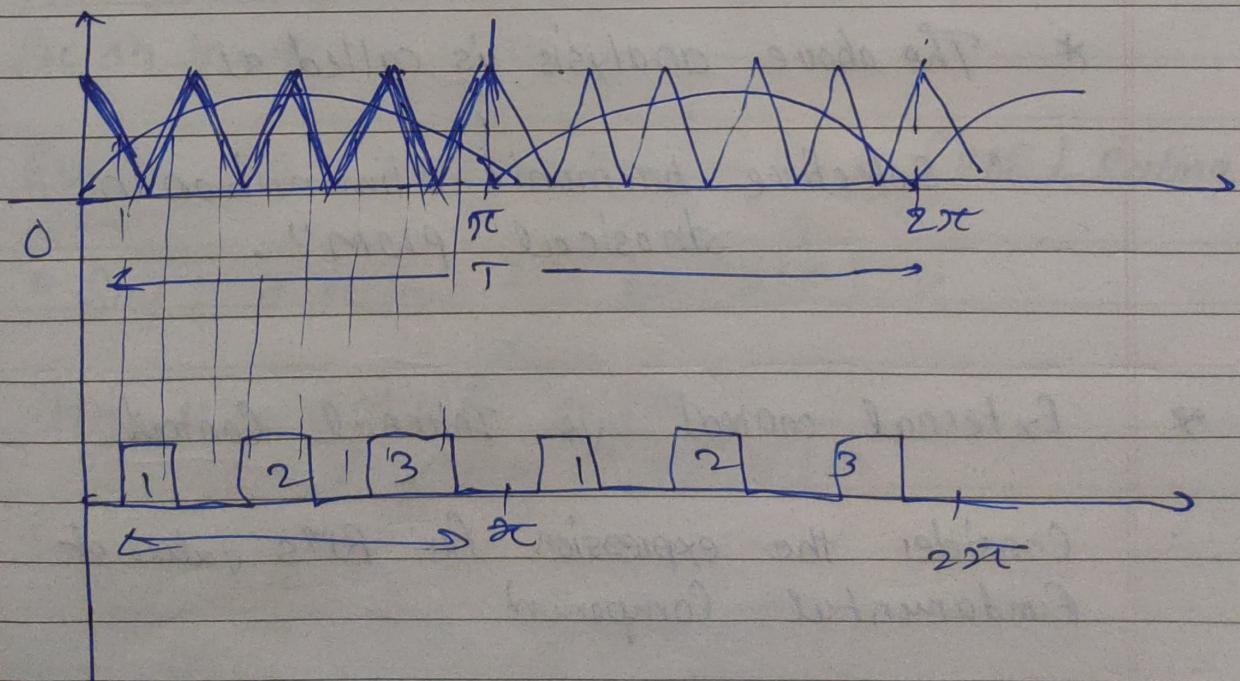
By changing the level 'A<sub>r</sub>', pulse-width can be changed.

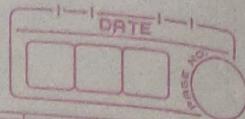
→ By changing frequency  $f_c = \frac{1}{T_c}$  of carrier signals; frequency of o/p  $V_o$  can be changed.

### Disadvantage

- ① As. No. of pulses  $\uparrow$  switching losses  $\uparrow$
- ② control scheme is complex in nature.

gm Sinusoidal PWM :-





\* By observing and comparing carrier and Reference Signal.

There are 3 cycles of carrier signal per Half-cycle of Reference signal.

We get 3 pulses / Half cycle after comparison

$$P = \text{No. of pulses / Half - cycle } (0 \rightarrow \pi) / (\pi - 2\pi)$$

All for above 'P' No of pulse in the o/p

All Harmonics Below  $(2p-1)$  are eliminated.

e.g. if  $p=3$  Then  $(2p-1) = (2 \times 3 - 1) = 5$

→ Thus all Harmonics below 5<sup>th</sup> harmonic are absent

2<sup>nd</sup>, 3<sup>rd</sup> & 4<sup>th</sup> Harmonic are ABSENT.

\* The above analysis is called as

"Selective harmonic Elimination in sinusoidal PWM".

\* External control vs Internal Control.

Consider the expression for RMS value of Fundamental Component

for Square-Wave Inverter.

$$V_L1(\text{RMS}) = 0.9V \quad \leftarrow ①$$

for Quasi-Square Inverter — ②

\* Both Inverter is a fixed i/p DC system; so we should not vary 'r' in order to change RMS values.

Varying 'U' to vary RMS values (o/p) is called as External method; which is not preferred.

So ways of changing RMS values; internally must be

v/f Control in Inverter:-

An Induction Motor (I.M) is a practical load for an inverter

Every IM is manufactured with a (VIF) Rating.

\* Say: a certain I.M has  $(VIF) = n$

Here  $V$  = RMS i/p to IM.

$f$  = Frequency of i/p to IM.

for reliable operation of all I.M., value of  $(V/F)$  should remain constant

$$N_s = 120 \cdot F/P$$

IF  $(F)$  is  $I/p$  to I.M it work  
value of "v" should also be  $I/p$  or  $\downarrow$

Such that  $(V/F)$  Ratio remains equal to  $'x'$

