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STAT 548 Qualifying Paper

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Abstract. TODO

1 Introduction

2 Place in the literature

The work by Forastiere et al. (2021) fits into the niche literature that looks at performing causal inference on observational network data in the presence of interference. Forastiere et al. (2021) formulate the network interference problem under the potential outcome framework (TODOcite), and propose a procedure to estimate causal treatment and spillover effects (as defined in their formulation) based on a joint propensity score that they define for network data. Their proposed propensity-adjusted estimators are unbiased under three assumptions, two of which form the Stable Unit Treatment on Neighbourhood Value Assumption (SUTNVA, a generalization of SUTVA that relaxes the no interference assumption to allow interference from directly connected nodes) and the third being an unconfoundedness assumption that says the treatment assignment mechanism is conditionally independent of the outcomes for some set of covariates. In addition to the above, Forastiere et al. (2021) also derive the bias of SUTVA-assuming estimators when SUTVA does not hold or when the unconfoundedness assumption does not hold for the given set of covariates. The problem formulation, the proposed estimation procedure (based on a defined joint propensity score), and the derived bias of the naive estimator are the main contributions of Forastiere et al.

TODO: limitations here or conclusion?

There appears to be a limited number of works in the literature that examine the similar problem of causal inference in observational data with interference. As noted by Forastiere et al., Liu et al. (2016) proposed inverse probability-weighted and Hájek-type estimators for the causal treatment effect, and Van der Laan (2014) proposed a novel targeted maximum likelihood estimator for the effect that was later further developed by Sofrygin and van der Laan (2017) and Ogburn et al. (2017). As in the work by Forastiere et al., Jackson et al. (2020) use propensity-based estimators but take homophily into account by modeling correlated treatment assignments as an incomplete information game. The recent work by Sánchez-Becerra (2021) questioned the justification of the unconfoundedness assumption with respect to a constructed statistic (e.g., the joint propensity score) and proposed a model-based estimator that is obtained by optimizing a loss function. TODO

TODOrelated literature

- 3 Questions about the theory
- 4 Empirical study
- 5 Concluding remarks

References

- Forastiere, L., Airoidi, E. M., & Mealli, F. (2021). Identification and estimation of treatment and interference effects in observational studies on networks. *Journal of the American Statistical Association*, 116(534), 901–918. <https://doi.org/10.1080/01621459.2020.1768100>
- Jackson, M. O., Lin, Z., & Yu, N. N. (2020). Adjusting for peer-influence in propensity scoring when estimating treatment effects. *Available at SSRN 3522256*.
- Liu, L., Hudgens, M. G., & Becker-Dreps, S. (2016). On inverse probability-weighted estimators in the presence of interference. *Biometrika*, 103(4), 829–842. <https://doi.org/10.1093/biomet/asw047>
- Ogburn, E. L., Sofrygin, O., Diaz, I., & Van der Laan, M. J. (2017). Causal inference for social network data. *arXiv preprint arXiv:1705.08527*.
- Sánchez-Becerra, A. (2021). Spillovers, homophily, and selection into treatment: The network propensity score. https://economics.sas.upenn.edu/system/files/2021-03/AlejandroSanchez_JMP_March2021_0.pdf
- Sofrygin, O., & van der Laan, M. J. (2017). Semi-parametric estimation and inference for the mean outcome of the single time-point intervention in a causally connected population. *Journal of Causal Inference*, 5(1).
- Van der Laan, M. J. (2014). Causal inference for a population of causally connected units. *Journal of Causal Inference*, 2(1), 13–74.

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