

**MAT445H1: Representation Theory**  
**Winter 2026**  
**University of Toronto**

## I. Instructor

**Course Instructor** Name:

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**TA:** Alexander Mirabella

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## II. Course Overview

### Course Description

A selection of topics from: Representation theory of finite groups, topological groups and compact groups. Group algebras. Character theory and orthogonality relations. Induced representations. Structure theory and representations of semisimple Lie algebras. Determination of the complex Lie algebras.

### Prerequisites

[MAT347Y1](#)

### Course Objectives

The primary goal of this course will be to learn the basics of representation theory of finite groups and semisimple Lie algebras. We will likely cover some additional sporadic topics at greater depth, e.g. the representation theory of the symmetric group.

### Textbooks/ Course Readings

Serre, Linear representations of finite groups

Kirillov, Introduction to Lie Groups and Lie Algebras

Okounkov, Vershik, A new approach to representation theory of symmetric groups

Fulton and Harris, Representation theory: a first course

### How this course is organized:

This course will consist of two weekly meetings and a regular tutorial, starting the week of January 20. Homeworks will be disseminated via Crowdmark.

## **II. Evaluation/ Grading Scheme**

### **Mark Breakdown**

|                  |     |
|------------------|-----|
| Assignments      | 40% |
| Term Test        | 25% |
| Final Assessment | 35% |

### **Assignments**

There will be 5 assignments, of which the one with lowest grade will be dropped (late submissions will receive a mark of zero unless an extension is received from the instructor). Tentative due dates can be found in the lecture schedule at the end of this document.

### **Term Test**

There will be one term test, which will be 2 hours long, on February 26 in class.

### **Final Assessment**

The final assessment will be held during the final assessment period in April 2026 and will be scheduled by the registrar.

## **III. Course Policies**

### **Policy on Missed Term Work**

Late work will receive a 0, unless an extension is given by the instructor beforehand.

Students who are absent from class for prolonged periods and who require consideration for missed academic work should contact the instructor and verify their absence(s) through either the Absence Declaration tool, Verification of Illness or Injury (VOI) form, College Registrar Letter, or Letter of Academic Accommodation from Accessibility Services, as appropriate to their situation.

<https://www.artsci.utoronto.ca/current/academics/student-absences>

The absence declaration can be used once per term. Outside of the one time absence declaration use, students must adhere to the alternate processes for absences listed above, as well as the missed work policy as set out in each course's syllabus.

If you miss a term test, then you must inform your course Instructor within 72 hours of the test. No exceptions. If your request is approved, you may receive an accommodation. The accommodation to be used will be decided by your instructor. Some examples of accommodations may include: an oral exam, written make-up test, or a re-weighting of your assessments. (*Academic Handbook Section 7 Missed Term Work or Tests*)

### **Re-marking Policy**

A student who believes an individual item of work has been incorrectly or unfairly marked may ask the person who marked it for a re-evaluation. With evidence to back their appeal, students should make such requests as soon as reasonably possible after receiving the work back, but no later than 2 weeks after it was returned.

*(Academic Handbook Section 5.14 Requests to Re-mark Assignments & Term Tests)*

### **Email Policy**

Should you have a question that is not answered on the course site (please check there first!) please note that all communications with the Course Instructor or TA's must be sent from your official utoronto email address, with the course number included in the subject line. If these instructions are not followed, your email may not be responded to. Please write in a professional manner.

*(Academic Handbook Section 2.21 Online Communication Policy)*

## **IV. Institutional Policies and Support**

### **Academic Integrity**

All suspected cases of academic dishonesty will be investigated following procedures outlined in the Code of Behaviour on Academic Matters

(<https://governingcouncil.utoronto.ca/secretariat/policies/codebehaviour-academic-matters-july-1-2019>). If you have questions or concerns about what constitutes appropriate academic behaviour or appropriate research and citation methods, please reach out to your Course Instructor. Note that you are expected to seek out additional information on academic integrity from me or from other institutional resources (for example, the University of Toronto website on Academic Integrity <http://academicintegrity.utoronto.ca/>).

*(Academic Handbook Section 12 Academic Integrity)*

### **Accessibility**

The University provides academic accommodations for students with disabilities in accordance with the terms of the Ontario Human Rights Code. This occurs through a collaborative process that acknowledges a collective obligation to develop an accessible learning environment that both meets the needs of students and preserves the essential academic requirements of the University's courses and programs.

Students with diverse learning styles and needs are welcome in this course. If you have a disability that may require accommodations, please feel free to approach your Course Instructor and/or the Accessibility Services office as soon as possible. The sooner you let us know your needs the quicker we can assist you in achieving your learning goals in this course.

Link to Accessibility Services website: <https://studentlife.utoronto.ca/department/accessibility-services/>  
*(Academic Handbook Section 13 Accessibility/Disability Issues)*

### **Equity, Diversity and Inclusion**

The University of Toronto is committed to equity, human rights and respect for diversity. All members of the learning environment in this course should strive to create an atmosphere of mutual respect where all

members of our community can express themselves, engage with each other, and respect one another's differences. U of T does not condone discrimination or harassment against any persons or communities.

### **Important Academic Dates & Deadlines**

The academic dates include enrolment dates, drop deadlines, exam periods, petition deadlines and more.

<https://www.artsci.utoronto.ca/current/dates-deadlines/academic-dates>

### **Other Academic and Personal Supports**

- Writing Centre <https://writing.utoronto.ca/writing-centres/arts-and-science/>
- U of T Libraries <https://oneresearch.library.utoronto.ca/>
- Student Code of Conduct:  
<https://governingcouncil.utoronto.ca/secretariat/policies/code-studentconduct-december-13-2019>
- Feeling Distressed? <https://studentlife.utoronto.ca/task/support-when-you-feel-distressed/>
- Academic Success Centre <https://studentlife.utoronto.ca/department/academic-success/>
- College/Faculty Registrars <https://future.utoronto.ca/current-students/registrars/>

### **V. Schedule of Lectures**

Week 1 (Jan 5-9) Basics of representation theory of groups, semisimplicity, beginnings of character theory

Week 2 (Jan 12-16) Character theory, examples, induction and restriction, tensor products, first homework due

Week 3 (Jan 19-23) Group algebra, field of definition, Brauer's theorem, examples

Week 4 (Jan 26-30) Symmetric groups, homework 2 due

Week 5 (Feb 2-6)  $SL_2(F_p)$

Week 6 (Feb 9-13) Lie algebras,  $sl_2$ , homework 3 due

Week 7 (Feb 16-20) Reading week

Week 8 (Feb 23-27)  $sl_2$  continued, and an application to combinatorics, term test

Week 9 (March 2-6) More Lie algebras, ideals, semisimplicity, Killing form, homework 4 due

Week 10 (March 9-13) Complete reducibility

Week 11 (March 16-20) Representations of semisimple Lie algebras

Week 12 (March 23-27) Classification of semisimple Lie algebras

Week 13 (March 30-April 3) Classification continued