

Avoiding accuracy-limiting pitfalls in the study of protein-ligand interactions with isothermal titration calorimetry

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Abstract

Isothermal titration calorimetry (ITC) can yield precise ($\pm 3\%$) estimates of the thermodynamic parameters describing biomolecular association (affinity, enthalpy, and entropy), making it an indispensable tool for biochemistry and drug discovery. Surprisingly, interlaboratory comparisons suggest that errors of $\sim 20\%$ are common and widely underreported. Here, we show how to reduce precision- and accuracy-limiting errors while obtaining good estimates and minimizing material and time consumed by an experiment. We provide a simple spreadsheet that allows practitioners to identify precision-limiting operations during protocol design, track precision during the experiment, and propagate error to yield realistic final uncertainties.

Keywords: isothermal titration calorimetry (ITC), propagation of error, entropy-enthalpy compensation

Isothermal titration calorimetry (ITC) [1] is a popular technique for probing phenomena of biological interest, including protein-ligand interactions. While the method consumes more reagents than optical or spectroscopic techniques, it does not require specific labeling of the system under study, and a single experiment can yield estimates of all thermodynamic parameters² characterizing a reaction—the association constant K (and hence standard binding free energy $\Delta G = RT \ln K$), the enthalpy change ΔH , and the reaction standard entropy ΔS (henceforth omitting superscripts). With careful work on a well-behaved system, relative standard errors (RSEs) of 1–3% are regularly achievable [2]. However, in a large-scale survey (ABRF-MIRG’02) in which 14 core ITC facilities studied the association of carboxybenzenesulfonamide (CBS) with bovine carbonic anhydrase II (CAII), the variation among reported binding constants and enthalpies was more than an order of magnitude larger than the standard errors reported by the participants [3]. This unexpectedly large variation has been attributed mainly to errors in titrant (syringe reagent) concentration, which is treated as exact in standard analysis procedures [4]. Failure to propagate these errors into reported results can lead practitioners astray in the interpretation of their data, especially if differences in ΔG or ΔH are of interest—for example, within a structure-activity relationship (SAR) series or in interpretation of enthalpic (ΔH) and entropic ($-T\Delta S$) contributions to binding [5, 6].

We therefore strongly advocate that practitioners report the method by which the titrant is prepared, the uncertainty in

titrant concentration, and the resulting total error in thermodynamic parameters including titrant uncertainty in all reports of calorimetric measurements. Otherwise, it *must* be assumed that the reported K , ΔH , and ΔS are contaminated by errors up to 20%, the best estimate of this unreported error available to date [4]. To aid practitioners in reducing and reporting error, we discuss accuracy-limiting steps in solution preparation and provide a spreadsheet³ for automatically tracking uncertainties and propagating their contributions to produce realistic error estimates.

Illustrative application to CAII:CBS. For illustration, we consider the target reaction from the ABRF-MIRG’02 survey [3], the 1:1 association of CBS and bovine CAII, which can be written,



where M denotes macromolecule and X ligand. This reaction has a $K_a \sim 10^6 \text{M}$ and $\Delta H \sim -10 \text{ kcal/mol}$ [3, 4].

As both protein and ligand may be precious, there is a desire to minimize material use in protein-ligand studies. Using concentrations only as large as necessary also minimizes the need for buffer additives such as DMSO to enhance solubility, reducing agents to prevent crosslinking, and detergents to inhibit aggregation. These additives pose additional experimental challenges, as calorimetrically-measured heats can be sensitive to even small composition mismatches between cell and syringe solutions. Minimizing these effects requires dialysis of the macromolecule by buffer followed by preparation of the ligand in the dialysate. If the ligand is already in solution (e.g. in DMSO stocks), it may not be possible to fully eliminate excip-

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²All thermodynamic quantities refer to their standard forms.

³<http://github.com/choderalab/itc-worksheet>.

ients, leading to potential heat effects due to buffer mismatch even if attempts are made to match compositions.

Experimental design. In the ABRF-MIRG’02 survey [3], participants employed titrand (cell reagent) concentrations $[M]_0$ in the range 7–71 μM . We used an ITC protocol design program [8], which indicated $\sim 3\%$ relative squared error (RSE) in K and $\sim 1\%$ for ΔH was possible with our instrument (a GE/MicroCal VP-ITC) using $[M]_0 = 10 \mu\text{M}$ (consuming ~ 0.5 mg protein per experiment). While this gives $c = K[M]_0 \approx 10$, a key ITC parameter [1], in the low range of that recommended by standard protocols, high measurement precision can still be obtained at this c value by titrating to an optimal titrant:titrand ratio R_m given by,

$$R_m = \frac{6.4}{c^{0.2}} + \frac{13}{c}, \quad (2)$$

a heuristic expression⁴ obtained from a comprehensive study of precision as a function of R_m [9]. The suggested $R_m = 5.3$ is significantly greater than the $R_m = 2$ that is widely used in standard protocols for ITC; with decreasing c , use of $R_m = 2$ progressively limits the fractional conversion of M to MX and thus limits the precision of estimation for both K and ΔH [8]. In the present case, use of $R_m = 2$ would cause significant precision loss, almost doubling the achievable RSEs for K and ΔH .

The same optimization study [9] demonstrated that the experimental precision depended only weakly on the number of injections m , recommending $m = 10$ for processes confidently known to involve 1:1 complexation. This is in sharp contrast to ~ 30 injections often recommended by standard protocols in order to visualize a full sigmoidal (S-shaped) curve in the enthalpogram, which unnecessarily limits precision by reducing the heat per injection (increasing RSEs to 19% and 4%, respectively), as well as increasing the duration of the titration experiment nearly three-fold [9]. Using 10 injections, each of volume $v = 10 \mu\text{L}$, we can compute the approximate syringe concentration $[X]_s$ required from the relevant volumes. For perfusion-type instruments, assuming instantaneous mixing (appropriate for most reactions [10]), this is given by,

$$[X]_s = R_m[M]_0 \left[1 - \exp\left(-\frac{mv}{V_0}\right) \right]^{-1} \approx R_m[M]_0 \frac{V_0}{mv} \quad (3)$$

where V_0 is the cell active volume (~ 1.4 mL for the VP-ITC) and the approximate equality follows if the total titrant injected is small compared to the cell volume ($mv \ll V_0$). For our experiment, Eq. 3 suggests we should use a purity-corrected titrant concentration $[X]_s \sim 720 \mu\text{M}$.

Syringe backlash and the first-injection anomaly. Our GE/MicroCal VP-ITC instrument has a syringe assembly that utilizes a worm gear which, after the recommended purge-refill process, will cause a titrant shortfall in the first injection unless a “down syringe” command is issued prior to loading the syringe into the sample cell [11]; we therefore executed a 10 μL

“down syringe” command immediately after the purge-refill cycle. Because the instrument can take a substantial (but variable) period of time to stabilize at the desired experimental temperature after loading the syringe, significant ($> 0.1 \mu\text{L}$) diffusive loss can also contribute to a first injection shortfall. We therefore programmed an initial 1 μL “throwaway injection” to avoid the need to correct for diffusive titrant loss during the first 10 μL injection. The contribution from this initial 1 μL “throwaway” injection was excluded from the fitting procedure during analysis.

Titrand preparation. The titrand solution, bovine CAII (Sigma-Aldrich, cat no. C2522, ~ 30 kDa, Lot No. 071M6261) in PBS buffer, was prepared following the assay conditions outlined by Myszkowski et al. [3]. Briefly, the contents of the glass vial containing ~ 5 mg of lyophilized CAII were resuspended in 750 μL filtered buffer and dialyzed overnight in 1 L buffer using a Novagen D-Tube Dialyzer MWCO 3.5 kDa (Cat No. 71506-3, Lot D00131446). The recovered protein was spun for 30 min at 16 300 RPM with no visible precipitate observed. The dialysate was filtered again and used to prepare both titrant and titrand to minimize buffer mismatch heats during the ITC experiment.

The protein concentration was determined spectrophotometrically via absorbance at 280 nm on a NanoDrop ND-1000. The NanoDrop (and similar instruments) utilize small sample volumes (3 μL was used here) and a 1 mm path length such that even high protein concentrations can be quickly read without the need to perform intermediate dilutions to ensure the absorbance falls in the linear range of Beer’s law on standard 10 mm path-length spectrometers. The measured absorbance of 11.77 ± 0.03 indicated a protein concentration of $235.0 \pm 0.6 \mu\text{M}$ (using the molar extension coefficient ($\epsilon_{280 \text{ nm}} = 50070 \text{ M}^{-1} \text{ cm}^{-1}$) [3]). The sample was then diluted to $[M]_0 \approx 10 \mu\text{M}$ using the purity-corrected post-dialysis concentration. Note that, because the site parameter n absorbs errors in $[M]_0$ in standard least-squares data analysis [8], high precision is not required for these steps unless the stoichiometry is unknown.

Titrant preparation. In contrast to titrand preparation, care must be taken to minimize inaccuracies in preparing titrant solutions, because the standard data analysis algorithms treat $[X]_s$ as exactly known. Thus, a 1% error in $[X]_s$ produces 1% errors in the estimates of K and ΔH [9, 4]. Our titrant (CBS, Sigma-Aldrich, lot #MKBF3323V, 97% purity, MW 201.2) comes as a powder, from which we aim to prepare a solution of purity-corrected⁵ concentration $[X]_s \sim 720 \mu\text{M}$ using the dialysate. Uncertainties in the true $[X]_s$ come from at least two sources: the mass of CBS and volume of buffer used in preparing this solution, each of which will be imprecise due to measurement error. Further dilution steps will introduce additional error.

To load the VP-ITC syringe, we require ~ 2.1 mL of our titrant⁶. For our chosen $[X]_s \sim 720$, this requires only 0.3 mg of CBS, but given the precision of the analytical balance used for this step (Mettler-Toledo AB204, readability ± 0.1 mg), this would yield 33% uncertainty in $[X]_s$, and hence the final relative errors in K and ΔH would be *at least* this large. To reduce

⁴While use of this expression requires a rough estimate of the reaction K and an $[M]_0$ that will produce observable heats, this is currently unavoidable in the practice of calorimetry. In the worst case, a pilot experiment using minimal material can be used to crudely estimate these quantities and Eq. 2 used to determine optimal conditions for a second experiment.

⁵Recall that 97% purity denotes 1 g of powder should contain 0.97 g CBS.

⁶A smaller 700 μL filling tube is also available.

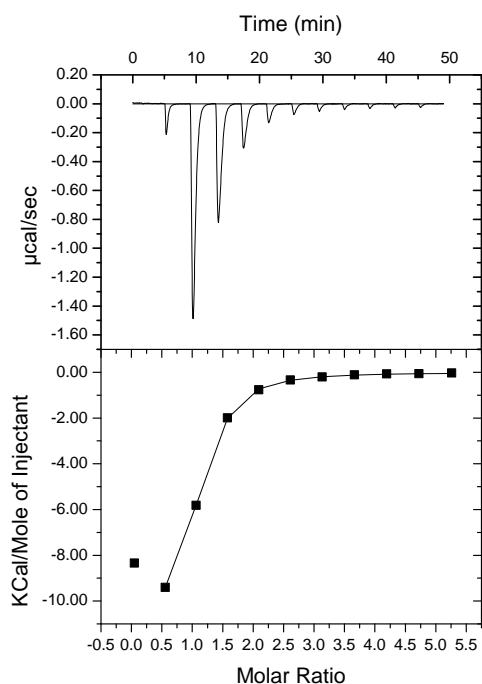


Figure 1: **Titration of CAII by CBS at 25 C.** *Top:* Differential power vs. time after blank subtraction and baseline correction in Origin. *Bottom:* Peak integration and 1:1 binding model fit in Origin. Note that no initial injections were discarded. Least-squares fit with Origin gives the following thermodynamic parameters and fit uncertainties: $K_a = 1.20(3) \times 10^6 \text{ M}^{-1}$, $\Delta H = -11.27(6) \text{ kcal/mol}$, $n = 0.915(3)$. Propagation of titrant error with the provided spreadsheet gives updated parameters with realistic uncertainties: $K_a = 1.20(3) \times 10^6 \text{ M}^{-1}$, $\Delta H = -11.3(2) \text{ kcal/mol}$, and $n = 0.915(4)$. See Supplementary Material for complete experimental details and links to download raw data.

the mass uncertainty to 1%, we must weigh out at least 10 mg. Since the solubility of CBS in water is only 453 mg/L (which corresponds to a 2 250 μM solution), we need a volume of at least 22 mL to dissolve 10 mg. Using a 25 mL Class A volumetric flask or pipette (rated $\pm 0.05 \text{ mL}$) would allow us to attain the desired 1% precision. On the other hand, graduated cylinders and serological pipettes with 25 mL capacity often possess a precision of only $\pm 0.5 \text{ mL}$, which would raise the uncertainty in $[X]_s$ to 2%. Here, we found it convenient to employ multiple liquid transfers with a Gilson P5000 5 mL pipette, which has a stated reliability of $\pm 0.03 \text{ mL}$ at full capacity⁷.

We chose to prepare a 1 500 μM CBS stock solution as a compromise between ensuring complete solubility of CBS (solubility 2 250 μM in water) and minimizing buffer use (preparing a solution of $\sim 720 \mu\text{M}$ directly with 10 μg CBS would have doubled the quantity of buffer required). To do this, we added $10.0 \pm 0.1 \text{ mg}$ [henceforth written 10.1(1) mg] CBS to 32.1(2)

mL PBS dialysate and vortexed to ensure the compound was completely dissolved, yielding 32.2(2) mL of a 1 500(20) μM CBS stock solution.

To ensure sufficient $\sim 718.29 \mu\text{M}$ titrant to allow for a ligand-into-buffer blank titration and additional experimental replications if needed, we planned to prepare 9 mL of titrant solution. This is more than necessary, as minimum of 700 μL /experiment is required for the VP-ITC if the low-volume syringe loading tube is utilized. Using the Gilson P5000, we then added 4.309(12) mL CBS stock to 4.691(12) mL PBS to obtain a 719(9) μM CBS titrant (1% RSE). Error propagation was performed automatically by the spreadsheet (Figure A.2) using standard techniques (discussed below). The use of volumetric glassware in principle requires all solutions and glassware to be equilibrated to the glassware calibration temperature, but due to the low coefficient of thermal expansion of borosilicate glass, this expansion will only introduce an error of 0.0010%/C [12]—small enough to be negligible for our purposes. Note that gravimetric solution preparation (GSP)—in which the mass of both compound and solvent is used to determine the final concentration—could have been used instead, but runs the risk of introducing more significant errors due to the larger coefficient of thermal expansion of liquids (dilute aqueous buffers have a coefficient of thermal expansion near that of water, $\sim 0.025\%/C$); however, this still generally amounts to a negligible contribution to error for calorimetry even for changes of several degrees. Automated systems for gravimetric solution preparation and concentration error determination are available (such as the Mettler-Toledo Quantos), though more commonly used in industrial settings.

Alternatively, we could have determined the titrant concentration $[X]_s$ spectrophotometrically using the known extinction coefficient of CBS at 272 nm (reported as $\epsilon_{272 \text{ nm}} = 1.31(13) \times 10^3 \text{ M}^{-1} \text{ cm}^{-1}$ [3]). However, since the uncertainty in the absorbance measurement is 1%, the uncertainty in the extinction coefficient ϵ (10%) would dominate the concentration error, resulting in a spectrophotometrically-determined concentration that is uncertain by $\sim 10\%$. Indeed, the concentration we measure in this manner—700(70) μM —is consistent with that determined by mass and volume, but is an order of magnitude more uncertain; had we chosen to use this spectrophotometrically-determined concentration for $[X]_s$, our final uncertainties in K and ΔH would be at least 10%.

Data analysis. The titration dataset (Figure 1) was analyzed using Origin 7.0 (OriginLab Corp.) after subtracting heats obtained from a separate ligand-into-buffer blank titration utilizing the same protocol. The least-squares (LS) fit of the thermodynamic parameters to the integrated injection heats are shown in the caption. Note that the site parameter n absorbs errors in $[M]_0$ and the cell volume V_0 ; if the actual concentration of active macromolecule is of interest, these quantities will require more precision [13]. While ΔH is rather insensitive to errors in the stated cell volume V_0 as a result, those errors can have a substantial effect on K , so careful calibration of V_0 using standard reactions (e.g. [2, 10]) is advised if highly accurate quantitation K is necessary [13]. Raw and processed datasets are provided with this work as Supplementary Material.

⁷For pipettes, the stated systematic error δ is generally the dominant source of error, and can be considered random error if each pipette is used once. However, if the same pipette is used to deliver *multiple* aliquots, the random error contribution for the total volume transferred should be estimated from summing the systematic error δ for each transfer. For example, if 25 mL are transferred in five transfers of 5 mL using a P5000 ($\delta = 30 \mu\text{L}$), the random error contribution is $(5)(0.030) = 0.15 \text{ mL}$.

Error propagation. The error reported by the LS fit only represents the error in model fitting assuming the specified concentration for titrant is *exact*—we must now include the uncertainty in the titrant concentration to obtain an estimate of the true error. The general rule for random error propagation for a quantity $f(x, y, z, \dots)$ dependent on *independent* measurements x, y, z, \dots gives squared standard error s_f in f as [14],

$$s_f^2 = \left(\frac{\partial f}{\partial x}\right)^2 s_x^2 + \left(\frac{\partial f}{\partial y}\right)^2 s_y^2 + \left(\frac{\partial f}{\partial z}\right)^2 s_z^2 + \dots \quad (4)$$

where s_x, s_y , and s_z are the standard errors of the corresponding measurements. This form, based on a Taylor expansion of the function f , can be extended to any number of contributing terms (e.g., additional volume contributions if multiple dilutions are used) [14]. If f has a simple form, so that it can be written $f(x, y, z, \dots) = x^i y^j z^k \dots$, then Eq. 4 assumes the simple form,

$$\left(\frac{s_f}{f}\right)^2 = i^2 \left(\frac{s_x}{x}\right)^2 + j^2 \left(\frac{s_y}{y}\right)^2 + k^2 \left(\frac{s_z}{z}\right)^2 + \dots \quad (5)$$

where i, j , and k are the powers to which the independent measurements x, y , and z are raised, and (s_f/f) is the relative error in f . Often, a single term in Eq. 5 will dominate, and the relative error is essentially identical to this contribution. For example, if $f = x/y$ with $(s_x/x) = 4\%$ and $(s_y/y) = 1\%$, then $(s_f/f) = 4.1\% \approx 4\%$.

Provided the relative errors in concentration $[X]_s$ are sufficiently small ($<20\%$) for the Taylor expansion above to be accurate, we can use Eq. 5 to estimate the relative error in the thermodynamic parameters K and ΔH and site parameter n given corresponding uncertainties from the least-squares fit ($s_{K,LS}, s_{\Delta H,LS}, s_{n,LS}$) and in the titrant concentration $s_{[X]_s}$ [4],

$$\begin{aligned} \left(\frac{s_K}{K}\right)^2 &= \left(\frac{s_{K,LS}}{K}\right)^2 + \left(\frac{s_{[X]_s}}{[X]_s}\right)^2 \\ \left(\frac{s_{\Delta H}}{\Delta H}\right)^2 &= \left(\frac{s_{\Delta H,LS}}{\Delta H}\right)^2 + \left(\frac{s_{[X]_s}}{[X]_s}\right)^2 \\ \left(\frac{s_n}{n}\right)^2 &= \left(\frac{s_{n,LS}}{n}\right)^2 + \left(\frac{s_{[X]_s}}{[X]_s}\right)^2. \end{aligned} \quad (6)$$

where the terms i and j from Eq. 5 are determined from the manner in which $[X]_s$ influences the thermodynamic parameter of interest (see, e.g. Table 1 of [9]). Since the uncertainty in our $[X]_s$ is only 1%, the 3% LS fit uncertainty dominates for K ; but for ΔH the titrant uncertainty is more important, increasing the RSE from 0.7% to 1.2%. These computations are automatically handled by the spreadsheet, which also computes ΔG and ΔS and their uncertainties.

Since ΔG logarithmically depends on K through the relation $\Delta G = RT \ln K$, the uncertainty in ΔG computed using Eq. 6 (0.02 kcal/mol) is much smaller than that in ΔH (0.15 kcal/mol). If the entropic contribution to binding, $-T\Delta S = \Delta G - \Delta H$ is of interest, its uncertainty can similarly be obtained from Eq. 4, and found to be of the same magnitude as that in ΔH (0.15 kcal/mol)⁸.

Comparing our results including the titrant error propagated by the spreadsheet [$K = 1.20(3) \times 10^{-6} \text{ M}^{-1}$ and $\Delta H = -11.3(2) \text{ kcal/mol}$] with the best-fit to the ABRF-MIRG'02 results [$K = 1.08(4) \times 10^6 \text{ M}^{-1}$ and $\Delta H = -11.11(4) \text{ kcal/mol}$] [4], we see that the agreement with the best-fit values is quite close, differing by only 2.4 and 1 standard errors. The RSEs of our results are quite good—3% in K and 1% in ΔH —and in line with the predicted errors from our initial experimental modeling step.

Discussion. Notably, had we instead inadvertently made a 10% error in the titrant concentration $[X]_s$ during its preparation through a precision-degrading step (such as massing out less than 10 mg or using low-precision liquid transfer devices such as serological pipettes or graduated cylinders), this could have easily led to RSEs in K and ΔH of 10% or greater. Although the absolute error in ΔG would remain small ($\sim 0.04 \text{ kcal/mol}$), the absolute error in ΔH would be large ($\sim 1.1 \text{ kcal/mol}$), making the error in $-T\Delta S$ comparable in magnitude but opposite in sign. This can have important consequences in trying to ascribe significance to differences in entropy-enthalpy compensation within a congeneric series, especially when differences in ΔG are small [15, 5, 6?]. We note, for example, that the reported errors in ΔH (and hence $T\Delta S$) for the ABRF-MIRG'02 study were as much as two orders of magnitude smaller than the actual error deduced from variation among independent measurements, and that simply repeating the experiment using the same titrant solution or ligand stock solution (from which the titrant is prepared) would not reveal this variation [4].

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are correlated—cross-terms of the form $2(\partial f/\partial x)(\partial f/\partial y)s_{xy}$ with $x \equiv \Delta G$ and $y \equiv -\Delta H$ must be added to Eq. 4, but because the uncertainty in ΔH is an order of magnitude larger than that in ΔG , it still dominates the overall uncertainty even if these correlation terms are included.

⁸Because ΔH and K (hence ΔG) are obtained from the same fit—and hence

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Appendix A. Supplementary Material

Appendix A.1. Experimental Details

Both the CBS-into-CAII and CBS-into-buffer titrations were conducted using the following protocol in Table A.1. An archive of the MicroCal VP-ITC data files (.itc) generated by these experiments are available as Supplementary Material.

Table A.1: Experimental parameters for VP-ITC.

initial “down syringe” following purge-refill	10 μL
number of injections	11
cell temperature	25 C
equilibration time	300 s
stir speed	307 RPM
reference power	10 $\mu\text{cal/s}$
feedback mode/gain	high
equilibration	fast
initial “throwaway” injection volume	1 μL
subsequent injection volume	10 μL
injection rate	2 s/ μL
time between injections	240 s
filter time for power measurements	2 s

Appendix A.2. ITC Spreadsheet

Figure A.2 depicts the spreadsheet (available for download from Supplementary Material in multiple formats, and on-

line at <http://github.org/choderalab/itc-worksheet>) with the details for the CBS-CAII titration experiment reported here filled in.

The spreadsheet is divided into sections corresponding to the different components of a typical ITC experiment. The first section (*Experimental Details*) contains general details of the experiment, the second section (*Ligand*) the details of ligand (titrant) solution preparation, the third section (*Protein*) the protein (titrand) preparation, and the final section (*Thermodynamic Parameters*) the details of the least-squares fit and overall error. Green cells indicate records the user is to fill in during the planning stages of the experiment, yellow cells are filled in by the user during the course of preparing solutions and executing the experiment, grey cells are automatically computed by the spreadsheet to aid the user in experimental design and analysis. Importantly, during both preparation of the titrant and titrand, a “typical error” sets the upper bound for the error the experimenter should be able to achieve. Exceeding this typical error is a clear indication that a precision-limiting step has crept into the workflow.

We stress that the “desired” grey fields specify target values that the experimenter is encouraged to meet as closely as possible, but the practicalities of experimental work often necessitate practical deviations from these goals. The spreadsheet is still able to allow the experimenter to track their actual measurements at each step and propagate error to the final results accordingly.

Figure A.2: **Spreadsheet for this experiment showing automated propagation of error.** This spreadsheet and blank templates is available for download in multiple formats at <http://github.org/choderalab/itc-worksheets>.