

$x \leftarrow x_0 + \alpha * \text{gradient of } f(x_0)$

independence $P(A|B) = P(A)$

cond indep $P(A,B|C) = P(A|C)P(B|C)$

bayes $P(A|B) = P(B|A)P(A)/P(B)$

defn $P(A|B) = P(A,B)/P(B)$

PEAS - 41 (3.1)

Performance, Environment, Actuators, Sensors

Environment Types - 42-48 (3.2)

- Fully (lab 1) vs Partially (lab 2) observable
- deterministic (next state based only on current state and next action)/stochastic
- uncertainty - partially observable or non-deterministic
- Static (world doesn't change)/dynamic
- semidynamic - environment is same but time affects performance (like chess with timer)
- discrete/continuous
- single/multiple agents - communication, competitive/cooperative, randomization

CSA -

States

Actions

Consequences

Goals

Preferences - map consequences to utility

Utility - point system

Agent Types 49-58 (4.2)

- (A) simple reflex - condition action rules (if then) - ignores history (vacuum cleaner, p controller)
- (SAC) model based reflex agent - same as previous but has history/state (vacuum cleaner)
- (SACG) goal based - info about goal, searching & planning (potential field tanks, pd controller, searches (at least goal based, maybe more),)
- (SACGU) utility based - happiness level
- learning agent - has ^^ model in it, learns if it's getting better or worse, then changes

rationality & optimization - 38 (pre 3.1)

- performance measure is criterion for success
- agent has prior knowledge
- actions that agent can perform
- agents precept sequence from past

PID controller

Potential - current error

Differential - last error

Integral - previous errors

Potential Fields - d = distance to goal/obs, $\theta = \arctan(y_g - y / x_g - x)$,

- attractive - if $d < r$ $x=y=0$; if $r <= d <= s+r$ $x=\alpha(d-r)\cos\theta$ and $y=\alpha(d-r)\sin\theta$; if $d > s+r$ $x=\alpha*s*\cos\theta$ $y=\alpha*s*\sin\theta$
- repulsive - if $d < r$ $x=-\text{sign}(\cos\theta)\inf$ $y=-\text{sign}(\sin\theta)\inf$; if $r <= d <= s+r$ $x=-\text{Beta}(s+r-d)\cos\theta$ $y=-\text{Beta}(s+r-d)\sin\theta$ if $d > s+r$ $x=y=0$
- tangential - same as repulsive with sin/cos swapped
- uniform - constant to everything
- random - randomly generate small field

search - 83 (4.1) - informed searches have a heuristic function; $g(x)$ = cost to arrive, $h(x)$ = cost to goal = heuristic

- Breadth First - uninformed - complete, optimal assuming equal cost - queue
- Depth First - uninformed - complete if finite graph or tree with loop checks, not optimal - stack
- uniform cost search - uninformed - BFS/Dijkstra - goes down shortest current path - complete & optimal
- DFS limited - uninformed - arbitrary depth limit - same complete/optimal as DFS
- Iterative deepening - uninformed - start at 0 depth, increment depth until goal is found - same complete/optimal as DFS
- greedy - informed - incomplete, non optimal
- A^* - $h(x) + g(x)$ - $g(x)$ = cost to reach node - complete - optimal
- IDA* - $f(g+h)$ as cutoff for iterative deepening (google maps) - complete and optimal assuming iteration continues until you get there
- Recursive best first search - keeps track of best alternate - optimal, complete (lots of thrashing potential)
- SMA* - simplified memory bounded A^* - optimal and complete if solution fits in memory

Heuristic functions:

- admissible - optimistic - never overestimate
- consistent - monotonicity - triangle equality - $h(x) \leq c(x,a,x') + h(x')$

Genetic algorithms:

- path length - number of directions in the gene
- number of genes - number of genes considered
- max generations - how many generations the code runs

Joint probability

$P(A,B,C)$

Marginal probability

$P(A,B)$

$\text{sum}(P(A,B,C))$ for all values of C

conditional probability

$P(A|B,C) = P(A,B,C)/P(B,C) = P(A,B,C)/\text{sum}(P(A,B,C))$ for all values of A

$P(A,B|C) = P(A,B,C)/P(C) = P(A,B,C)/\text{sum}(\text{sum}(P(A,B,C)))$ for all values of A for all values of B

$P(A|B) = P(A,B)/P(B) = P(B|A)P(A)/P(B)$

def of ^^conditional probability ^^Bayes rule

1. from conditional to joint

$P(A,B,C)$?

2. margin

$P(A|C)$?

3. negation

$P(!A|B,C) \leq 1 - P(A|B,C)$

13.3a: If $P(a|b,c) = P(b|a,c)$, then $P(a|c) = P(b|c)$

$P(a|b,c) = P(b|a,c)$

$P(a,b,c) / P(b,c) = P(a,b,c) / P(a,c)$

$P(a,c) = P(b,c)$

$P(a|c) = P(b|c)$

conditional independence

$P(B,C|A) = P(B|A)P(C|A)$

$P(B|C,A) = P(B|A)$