

## data science

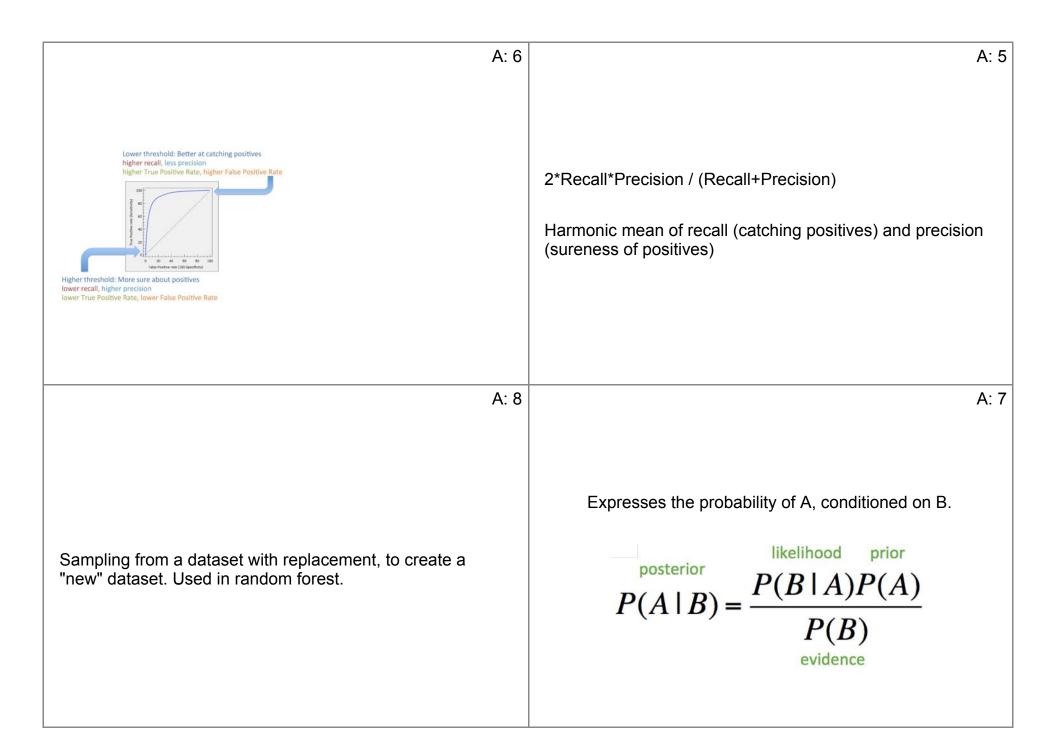
29 Sep 2017

25 flashcards made with the <u>Flashcard Hero</u> app (Mac/iPhone/iPad).

Q: 1	Q: 2
Recall or Sensitivity	Precision
Q: 3	Q: 4
Specificity	Accuracy

A: 2	A: 1
TP / (TP + FP) = Positives caught relative to false positives  Out of all cases I predicted as positive, how many times was I right? This is <i>sureness</i> about positives.	True positive rate  TP / (TP + FN) = Positives Caught / All Positives  Out of all the (few) positive cases, how many did I find. This is about <i>catching</i> positives.
A: 4	A: 3
Percent correct predictions of all predictions  (TP + TN) / (TP + TN + FP + FN)  (true positive + true negative) / (total population)  predicted / actual	True negative rate  TN / (TN + FP) = Negatives Caught / All Negatives  The proportion of negatives that are correctly identified.

Q: 5	Q: 6
F1	ROC Curve
Q: 7	Q: 8
Bayes theorem	Bootstrapping



Q: 9	Q: 10
Bagging	Random forest
Q: 11	Q: 12
Boosting	Maximum likelihood estimation

A: 10	A: 9
Uses bagging (bootstrap + aggregating), but introduces more randomness by using a random subset of features for each tree. Excess trees will not overfit.	Bootstrap + Aggregating. Combining the predictions of decision trees, each of which was trained on a bootstrapped dataset
A: 12	A: 11
Select the parameter that makes the observed data "most likely,", i.e. maximizes the probability of obtaining the data at hand. To solve:  1. Write Likelihood = product of probabilities  2. Take log and simplify  3. Take derivative wrt parameter, set to zero, solve for parameter	Fits successive trees to residuals with incorrect predictions upweighted based on smooth loss function. Successive trees scaled by learning rate lambda < 1.0. Fits to entire dataset. Can overfit.

Q: 13	Q: 14
Bias-variance tradeoff	Lasso regression
Q: 15	Q: 16
Ridge regression	ElasticNet

A: 14	A: 13
Adds the L1 norm (magnitude of coefficients) to the linear regression cost function, for regularization. Tends to produce sparse solutions, with many coefficients zeroed.	The <b>bias</b> is error from erroneous assumptions in the learning algorithm. High bias can cause an algorithm to miss the relevant relations between features and target outputs ( <b>underfitting</b> ).  The <b>variance</b> is error from sensitivity to small fluctuations in the training set. High variance can cause an algorithm to model the random noise in the training data, rather than the intended outputs ( <b>overfitting</b> ).  Need to manage both so that model generalizes well.
A: 16	A: 15
Combines lasso and ridge: both the L1 and L2 norm are included in the linear regression cost function.	Adds the L2 norm (sum of the squares of coefficients) to the linear regression cost function, for regularization. Tends to produce dense solutions, and smoother functions.

Q: 17	Q: 18
Regularization	Binary classification outcomes
Q: 19	Q: 20
p-value	SVM (Support Vector Machine)

A: 18	A: 17
True Negative case was negative and predicted negative True Positive case was positive and predicted positive False Negative case was positive but predicted negative False Positive case was negative but predicted positive	Reduces overfitting by favoring simpler models over complex ones, usually by controlling the size of the parameters used.
A: 20	A: 19
Linear classifier for binary classification.  Finds optimal separating hyperplane that has maximum margin. Margin = distance between closest data points to the separator, margin is "no man's land," no data point inside margin.	The p-value for each term tests the null hypothesis that the coefficient is equal to zero (no effect). A low p-value (< 0.05) indicates that you can reject the null hypothesis.

Q: 21	Q: 22
Logistic regression	K-nearest neighbor
Q: 23	Q: 24
K-means clustering	Generalized Linear Models

A: 22	A: 21
Classification algorithm that predicts based on the most common class among K-nearest nodes.	Classification algorithm which uses the logistic function whose values are constrained to [0,1].
A: 24	A: 23
Response variable y, explanatory variables x1 x2 x3, link function g	Randomly initialize cluster centers or K-means++, with each point belonging to the nearest center. Move centers to each cluster mean; reassign points. Continue until centers stop moving.  K-means++ is an initialization method that creates cluster centers with prob increasing with distance^2 to first point. Still random, but ensures centers are spaced out.

Q: 25	
Standard deviation	

A: 25
$s = \sqrt{\frac{\sum (x - \overline{x})^2}{n - 1}}$