

Student Name : Yuwei Duan , Chongyang Ye

Sid: 1309121 1264608

Question1:

This is because each tiling is 11×11 , that is 121 tiles in each tiling. From the the first tile with index 0 to the last tile of the first tiling, it will run from 0 to 120 (because we start at 0). Similarly, in the 2nd tiling, it will run from 121 to $120+121=241$ for the 2nd tiling.

Question2:

Based on the answer to Q1, we find if the first index starts from 0, then the following indices should be $0+121$ (size of the tiling) =121, $121+121=242$, $242+121=363$, $363+121=484$, $484+121=605$, and $605+121=726$.

Question3:

The differences between the first 7 indices are all 121, but the difference between the last index and the first 7 indices are greater than 121. The reason is that after each tiling, it will be moved $0.6/$ (tiling number) in both directions; that is, the index will be updated in this way: $\text{index} = \text{int}(x/0.6) + (\text{int}(y/0.6)*11)$

$x+=0.6/\text{numTilings}$

$y+=0.6/\text{numTilings}$

for each tiling. In the 8th updating, y will be $0.1+(0.6/8)*8 > 0.6$, hence, $(y/0.6)*11 \geq 11$, $\text{index}=\text{int}(x/0.6)+(\text{int}(y/0.6)*11) = 1+11 = 12$; hence, the point is updated to 13th (because the index start at 0) tile in the last tiling.

Question4: The reason is that form the first tiling: the index of the

13th tile in the 8th tile is $0+121+121+121+121+121+121+121+12=859$.

Question5: The reason is the last index in the 8th tiling is $0 + 121*8 - 1$ (because it starts at 0) = $968-1=967$.

Question6:

The return of our function: Tile indices for input (4.0 , 2.0) are : [39, 160, 281, 403, 524, 645, 777, 898]

Tile indices for input (4.0 , 2.1) are : [39, 160, 281, 403, 535, 656, 777, 898] There are many tiles in common because the inputs are almost the same. Although, the 5th and 6th indices have a little bit of difference, after that the indices come to be same. Generally, we say that the two points are near each other and both in the same tile.