

# CS1JC3-Sept13-15

Welcome to CS 1JC3 - Intro To Computational Thinking

# Starting ghci

- In this course, we will be using an open source haskell interpreter known as ghci
- To run ghci, you must first access your systems command line interface or terminal, or you can open winghci, or sublime repl
- Once you have opened your command line, type ghci and hit enter. You are now running ghci!

# Try This

The command line should now display `Prelude>` followed by the cursor. GHCi will evaluate any valid expression in haskell, and can be used as a powerful calculator. Try typing in the following. (Do not type `Prelude>`)

```
Prelude> 2+3*4
```

```
Prelude> (2+3)*4
```

```
Prelude> sqrt (3^2 + 4^2)
```

# Lists

- When programming, we often wish to group together values. In haskell, one way of accomplishing this is through lists.
- Lists are created by putting values inside square brackets, seperated by commas
- For example, `[1,5,3,2]` is a list of numbers
- `[]` is an example of an empty list

# Function Application

- In **Haskell**, function application is denated using space, ex:

```
function var1 var2
```

- Moreover function application is assumed to have higher priority than all other operators, ex:

```
sin 0+2 = (sin 0) + 2
```

## Mathematics

$f(x)$

$f(x,y)$

$f(g(x))$

$f(x,g(y))$

$f(x)g(y)$

# Examples

## Mathematics

$f(x)$

$f(x,y)$

$f(g(x))$

$f(x,g(y))$

$f(x)g(y)$

## Haskell

$f\ x$

$f\ x\ y$

$f\ (g\ x)$

$f\ x\ (g\ y)$

$f\ x\ * \ g\ y$

# The Standard Prelude

- When you run `ghci`, it automatically loads **The Standard Prelude**, a module containing a large number of standard functions.
- In addition to the familiar numeric functions such as `+` and `*`, the library also provides many useful functions on **lists**, which will be covered in more detail later in the course.



# Some Useful Functions

- Select the first element of a list

```
Prelude> head [1,2,3,4,5]
```

- Remove the first element of a list

```
Prelude> tail [1,2,3,4,5]
```

- Select the nth element of a list, ie [1,2,3] !! n

```
Prelude> [1,2,3,4,5] !! 2
```

Note: the first element is index 0

# Some Useful Functions

- Select the first element of a list

```
Prelude> head [1,2,3,4,5]  
1
```

- Remove the first element of a list

```
Prelude> tail [1,2,3,4,5]  
[2,3,4,5]
```

- Select the nth element of a list, ie [1,2,3] !! n

```
Prelude> [1,2,3,4,5] !! 2  
3
```

# Some Useful Functions

- Remove the first n elements of a list

```
Prelude> drop 3 [1,2,3,4,5]
```

- Calculate the length of a list

```
Prelude> length [1,2,3,4,5]
```

- Calculate the sum of a list of numbers

```
Prelude> sum [1,2,3,4,5]
```

# Some Useful Functions

- Remove the first n elements of a list

```
Prelude> drop 3 [1,2,3,4,5]  
[4,5]
```

- Calculate the length of a list

```
Prelude> length [1,2,3,4,5]  
5
```

- Calculate the sum of a list of numbers

```
Prelude> sum [1,2,3,4,5]  
15
```

# Some Useful Functions

- Calculate the product of a list of numbers

```
Prelude> product [1,2,3,4,5]
```

- Append two lists

```
Prelude> [1,2,3] ++ [4,5]
```

- Reverse a list

```
Prelude> reverse [1,2,3,4,5]
```

# Some Useful Functions

- Calculate the product of a list of numbers

```
Prelude> product [1,2,3,4,5]  
120
```

- Append two lists

```
Prelude> [1,2,3] ++ [4,5]  
[1,2,3,4,5]
```

- Reverse a list

```
Prelude> reverse [1,2,3,4,5]  
[5,4,3,2,1]
```

# Creating Your Own Functions

- As well as the functions in the standard prelude, you can also define your own functions
- New functions are defined within a text file comprising a sequence of definitions
- By convention, Haskell files usually have a **.hs** suffix on their filename.

# Creating Your Own Functions

- Start an editor, type in the following two functions, and save the script as **test.hs**

Note: it doesn't matter how much spacing you use, as long as there is a space between the function and its arguments

```
double x      = x + x
quadruple x   = double (double x)
```

- From ghci, browse to the directory your file is by typing **:cd directory**, or click the top left folder in winghci



# Loading Your Functions

- Load your functions by executing **:load test.hs**, or if you're in winghci simply browse to the file and double click
- Now both the Prelude and test.hs are loaded, and functions from both can be used
- Try executing the following

```
*Main> quadruple 10
```

```
*Main> take (double 2) [1,2,3,4,5,6]
```

\* **take x** (this takes the first x number of arguments in a list \*

# More Functions

- Leaving ghci open, return to the editor, add the following two functions and resave

```
factorial n = product [1 .. n]
average ns  = sum ns `div` length ns
```

- Note : div is enclosed in **back** quotes, not forward  
x 'f' y is just **syntactic sugar** for f x y

- GHCi does not automatically detect the file has been changed, to do so type **:reload**, or hit the top green button in winghci
- Try executing some of our new functions

```
*Main> factorial 10
```

```
*Main> average [1,2,3,4,5]
```

- GHCi does not automatically detect the file has been changed, to do so type **:reload**, or hit the top green button in winghci
- Try executing some of our new functions

```
*Main> factorial 10  
3628800
```

```
*Main> average [1,2,3,4,5]  
3
```

# Naming Requirements

- Function and argument (variable) names must begin with a lower-case letter. For example:

`myFun`      `fun1`      `arg_2`      `x'`

\* Naming must follow: **camelCaseConvention**

- By convention, lists usually have an **s** suffix on their name. For example :

`xs`      `ns`      `nss`

# The Layout Rule

In a sequence of definitions, each definition must begin in precisely the same column

```
a = 10  
b = 20  
c = 30
```

```
a = 10  
  b = 20  
  c = 30
```

```
a = 10  
b = 20  
c = 30
```

Use Spaces, NOT Tabs!!!

# The Layout Rule

In a sequence of definitions, each definition must begin in precisely the same column

a = 10

b = 20

c = 30

Right

a = 10

b = 20

c = 30

Wrong

a = 10

b = 20

c = 30

Wrong

# Implicit vs Explicit

The layout rule avoids the need for explicit syntax to indicate the grouping of definitions

```
a = b + c
  where
    b = 1
    c = 2
```

Implicit Grouping

In other words, we don't need shit like curly braces, because the spaces automatically tells the interpreter, what line is a part of what function



# Implicit vs Explicit

The layout rule avoids the need for explicit syntax to indicate the grouping of definitions

```
a = b + c
```

```
  where
```

```
    b = 1
```

```
    c = 2
```

Implicit Grouping

```
a = b + c
```

```
  where
```

```
    {b = 1;
```

```
      c = 2}
```

Explicit Grouping

But we can use braces

# Some Useful Commands

If your using the terminal, here are some useful commands you can use inside ghci

## Command

:load **Name of file**

:reload → **:r**

:edit **Name of file**

:type **expr**

:quit → **:q**

## Meaning

Loads specified file

Reloads current file

Edits specified file

Displays type of expr

Exits ghci

# Exercise 1

Fix the syntax errors

```
N = a 'div' length xs
  where
    a = 10
    xs = [1,2,3,4,5]
```

# Exercise 1

Fix the syntax errors

```
N = a 'div' length xs
  where
    a = 10
    xs = [1,2,3,4,5]
```

Functions must start with a lowercase

Must use ( ` ),  
and NOT ( ' )

**Solution**

```
n = a `div` length xs
  where
    a  = 10
    xs = [1,2,3,4,5]
```

Must be indented

## Exercise 2

Fix the syntax errors

```
f(x,y) = let
  z1 = x*x
  z2 = y*y
  z3 = z1 + z2
in sqrt(z3)
```

## Exercise 2

Fix the syntax errors

```
f(x,y) = let
  z1 = x*x
  z2 = y*y
  z3 = z1 + z2
in sqrt(z3)
```

Not in line with other statements

Around brackets around 'z3' is not necessary

### Solution

```
f x y = let
  z1 = x*x
  z2 = y*y
  z3 = z1 + z2
in sqrt z3
```

or

```
f (x,y) = let
  z1 = x*x
  z2 = y*y
  z3 = z1 + z2
in sqrt z3
```

**Note:** the left solution uses an effect called **currying**, more on this later

## Exercise 3

Show how the Prelude function **last** can be defined using other Prelude functions introduced in these slides

**NOTE:** (Call it **lastC** since **last** is already defined)

Note: The “last” function, returns the last item in a list

# Exercise 3

Show how the Prelude function **last** can be defined using other Prelude functions introduced in these slides

**NOTE:** (Call it **lastC** since **last** is already defined)

## Solution 1

```
lastC xs = head (reverse xs)
```



# Exercise 3

Show how the Prelude function **last** can be defined using other Prelude functions introduced in these slides

**NOTE:** (Call it **lastC** since **last** is already defined)

## Solution 1

```
lastC xs = head (reverse xs)
```

## Solution 2

```
lastC xs = xs !! (length xs - 1)
```

## Exercise 4

Now show how the Prelude function **init** can be defined in two different ways

**NOTE:** (Call it **initC** since **init** is already defined)

Note: The “init” function, drops the last item in a list

## Exercise 4

Now show how the Prelude function **init** can be defined in two different ways

**NOTE:** (Call it **initC** since **init** is already defined)

### Solution 1

```
initC xs = take (length xs - 1) xs
```

## Exercise 4

Now show how the Prelude function **init** can be defined in two different ways

**NOTE:** (Call it **initC** since **init** is already defined)

### Solution 1

```
initC xs = take (length xs - 1) xs
```

### Solution 2

```
initC xs = reverse (tail (reverse xs))
```

## Exercise 5

Define the index function `!!` using Prelude functions in these slides.

**Note:** (Call it `!!!` since `!!` is already defined)

`[4, 5, 6, 7, 8] !! 3`

^ This returns the 3rd element in the list.

Note: Counting starts at 0

# Exercise 5

Define the index function `!!` using Prelude functions in these slides.

**Note:** (Call it `!!!` since `!!` is already defined)

## Solution 1

```
xs !!! n = head (drop n xs)
```

# Exercise 5

Define the index function **!!** using Prelude functions in these slides.

**Note:** (Call it **!!!** since **!!** is already defined)

## Solution 1

```
xs !!! n = head (drop n xs)
```

## Solution 2

```
(!!!) xs n = last (take (n+1) xs)
```

**Note++:** One of these definitions doesn't crash when **n** exceeds **length xs**, which one? Why? Is this a feature or a bug?

## Exercise 6

Create two functions, **firstHalf** and **lastHalf**, that will... return the first half and last half of a list respectively. Define the first half function first, and use it to define the last half function



## Exercise 6

Create two functions, **firstHalf** and **lastHalf**, that well... return the first half and last half of a list respectively. Define the first half function first, and use it to define the last half function

### Solution 1

```
firstHalf xs = take (length xs `div` 2) xs
```

## Exercise 6

Create two functions, **firstHalf** and **lastHalf**, that well... return the first half and last half of a list respectively. Define the first half function first, and use it to define the last half function

### Solution 1

```
firstHalf xs = take (length xs `div` 2) xs
```

### Solution 2

```
lastHalf xs = reverse (firstHalf (reverse xs))
```

## Exercise 7

Using Prelude functions introduced in these slides, create a function **inners** that removes the first and last element of a list (leaving just the inner part of the list)

# Exercise 7

Using Prelude functions introduced in these slides, create a function **inners** that removes the first and last element of a list (leaving just the inner part of the list)

## Solution 1

```
inners xs = reverse (tail (reverse (tail xs)))
```

# Exercise 7

Using Prelude functions introduced in these slides, create a function **inners** that removes the first and last element of a list (leaving just the inner part of the list)

## Solution 1

```
inners xs = reverse (tail (reverse (tail xs)))
```

## Solution 2

```
inners xs = take (length xs - 2) (drop 1 xs)
```

## Exercise 8

Implement a function for computing the **Euclidean distance** between two points,  $(x_1, y_1)$  and  $(x_2, y_2)$ . In case you forget:

$$\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

## Exercise 8

Implement a function for computing the **Euclidean distance** between two points,  $(x_1, y_1)$  and  $(x_2, y_2)$ . In case you forget:

$$\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

### Solution

```
dist (x1,y1) (x2,y2) = let
    xd = x2 - x1
    yd = y2 - y1
  in sqrt (xd^2 + yd^2)
```