

<div>THEOREM</div> <div>The Intermediate Value Theorem (IVT)</div>	<div> <p>Suppose that f is continuous on the closed interval $[a, b]$ and let N be any number between $f(a)$ and $f(b)$, where $f(a) \neq f(b)$. Then there exists a number c in the open interval (a, b) such that $f(c) = N$.</p> </div>
<div>FORMULA</div> <div>Trig Identity Between $\cos^2(\theta)$ and $\sin^2(\theta)$</div>	<div> $\sin^2(\theta) + \cos^2(\theta) = 1$ </div>
<div>FORMULA</div> <div>Trig Identity Between $\tan^2(\theta)$ and $\sec^2(\theta)$</div>	<div> $1 + \tan^2(\theta) = \sec^2(\theta)$ </div>
<div>FORMULA</div> <div>Double Angle Formula for $\sin(x)$</div>	<div> $\sin(2x) = 2 \sin(x) \cos(x)$ </div>

<div>DEFINITION</div> <div>Hyperbolic Sine</div>	<div>$\sinh(x) = \frac{e^x - e^{-x}}{2}$</div>
<div>DEFINITION</div> <div>Hyperbolic Cosine</div>	<div>$\cosh(x) = \frac{e^x + e^{-x}}{2}$</div>
<div>FORMULA</div> <div>Identity Between $\cosh^2(x)$ and $\sinh^2(x)$</div>	<div>$\cosh^2(x) - \sinh^2(x) = 1$</div>
<div>FORMULA</div> <div>Derivative of Inverse Function</div>	<div>$\frac{d}{dx}f^{-1}(x) = \frac{1}{f'(f^{-1}(x))}$</div>

<div>FORMULA</div> <div> <i>Newton's Method Formula</i> </div>	<div> $x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$ </div>
<div>DEFINITION</div> <div> <i>Derivative as a Limit</i> </div>	<div> $f'(x_0) = \lim_{h \rightarrow 0} \frac{f(x_0 + h) - f(x_0)}{h}$ </div> <div>or</div> <div> $f'(x_0) = \lim_{x \rightarrow x_0} \frac{f(x) - f(x_0)}{x - x_0}$ </div>
<div>QUESTION</div> <div> <i>What is x_{n+1} in Newton's Method?</i> </div>	<div> x_{n+1} in the equation $x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$ is the x-intercept of the tangent line drawn to the function f at the point $(x_n, f(x_n))$. </div>
<div>RULE</div> <div> <i>Constant Multiple Rule</i> </div>	<div> If c is a constant, then $\frac{d}{dx}[cf(x)] = c\frac{d}{dx}f(x)$ </div>

<div>RULE</div> <div>Power Rule</div>	<div>$\frac{d}{dx}(x^n) = nx^{n-1}$</div>
<div>RULE</div> <div>Sum Rule and Difference Rule</div>	<div>$\frac{d}{dx}[f(x) + g(x)] = \frac{d}{dx}f(x) + \frac{d}{dx}g(x)$</div> <div>$\frac{d}{dx}[f(x) - g(x)] = \frac{d}{dx}f(x) - \frac{d}{dx}g(x)$</div>
<div>RULE</div> <div>Product Rule</div>	<div>$\frac{d}{dx}[f(x) \cdot g(x)] = f(x) \cdot \frac{d}{dx}[g(x)] + g(x) \cdot \frac{d}{dx}[f(x)]$</div>
<div>RULE</div> <div>Quotient Rule</div>	<div>$\frac{d}{dx}\left[\frac{f(x)}{g(x)}\right] = \frac{g(x) \cdot \frac{d}{dx}[f(x)] - f(x) \cdot \frac{d}{dx}[g(x)]}{[g(x)]^2}$</div>

<div>RULE</div> <div>Chain Rule</div>	<div>$[f(g(x))]' = f'(g(x)) \cdot g'(x)$</div>
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<div>ALGORITHM</div> <div>Implicit Differentiation</div>	<div>Step 1: Take the derivative of both sides of the equation</div> <div>Step 2: Solve for the derivative</div>
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<div>ALGORITHM</div> <div>Logarithmic Differentiation</div>	<div>Step 1: Apply $\ln(x)$ to both sides of the equation</div> <div>Step 2: Take the derivative of both sides of the equation</div> <div>Step 3: Solve for the derivative</div> <div>Note: <div>$\frac{d}{dx} \ln(f(x)) = \frac{f'(x)}{f(x)}$</div> </div>
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<div>ALGORITHM</div> <div>How to find the equation of a tangent line?</div>	<div>To find the equation of the tangent line to the function $f(x)$ at the point (x_0, y_0)...</div> <div>Step 1: Calculate $f'(x_0)$</div> <div>Step 2: Use the formula <div>$y = f'(x_0) \cdot (x - x_0) + y_0$</div> </div> <div>Note: This is a rewritten version of the equation <div>$y - y_0 = m(x - x_0)$</div> </div>
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