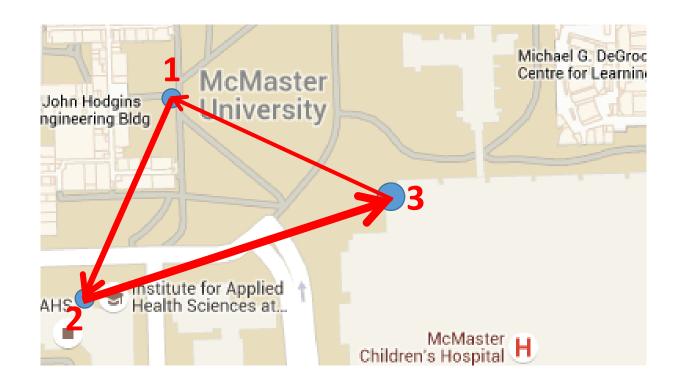
Animal Locomotion



Distance vs Displacement

Take a Hike!: Walk from Health sciences bldg. over to JHE (130 m), then to Tim Hortons in Mo-Mac (120 m), then back to class (180 m)

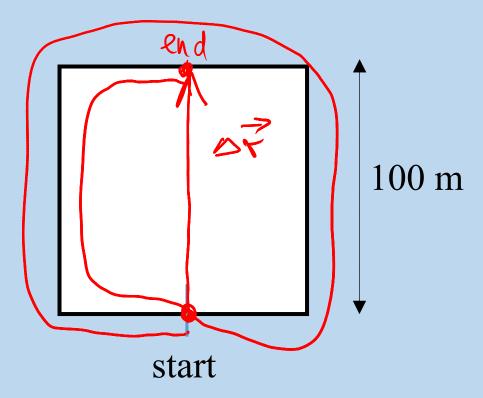
- What total distance did you walk? d = 430 m
- What was your total displacement? $\Delta \vec{r} = 0 \ m$



Clicker Quiz – 2D Motion

A jogger runs around a city block that is 100 m between stop signs. Starting at her apartment, she runs one and a half laps. What is her *displacement* from her starting point?

- A. 0 m
- **B** 100 m
 - C. 200 m
 - D. 500 m
 - E. 600 m



Clicker Quiz

 When an object moves, is there anything that can be said, in general, about distance vs. displacement?

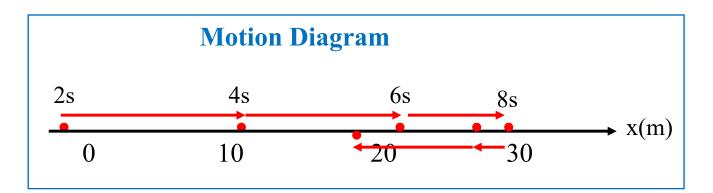
The magnitude of the DISPLACEMENT is ____ the DISTANCE.

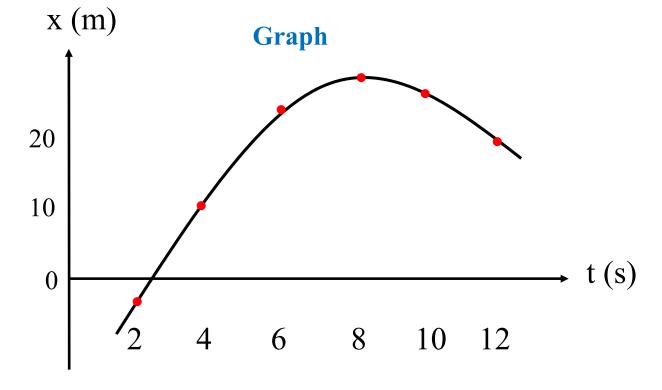
- A. Either greater than or equal to
- B. Always greater than
- C. Always equal to
- D. Either smaller than or equal to
- E. Always smaller than



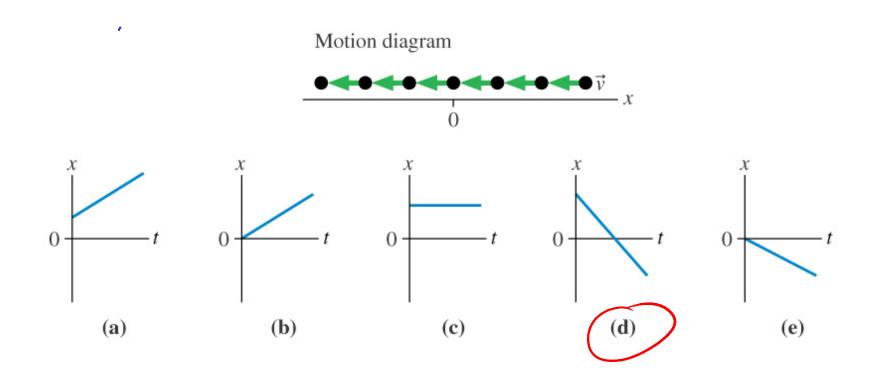
Plotting motion on a position-time graph

t(s)	x (m)
2	-2
4	10
6	24
8	29
10	27
12	19

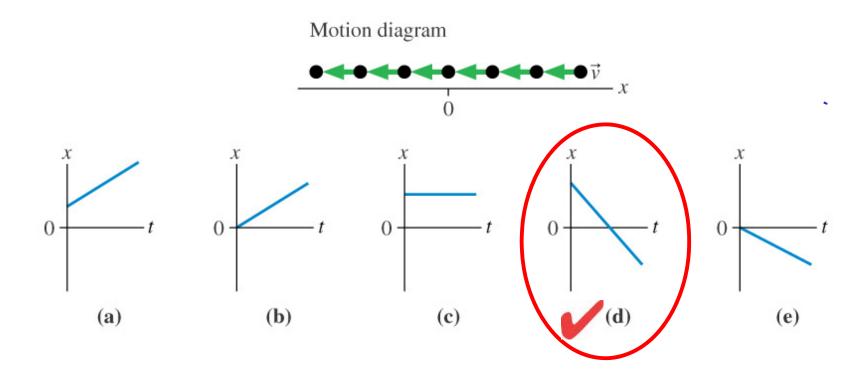




Which position-versus-time graph represents the motion shown in the motion diagram?

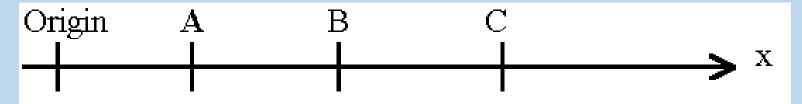


Which position-versus-time graph represents the motion shown in the motion diagram?

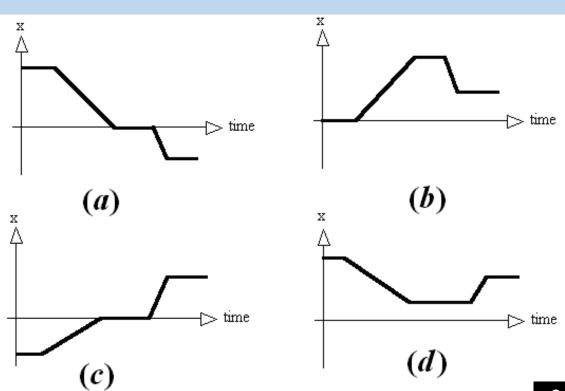


Clicker Quiz

• A person initially at point **C** on the x-axis stays there for a little while and then strolls along the x-axis to point **A**, stays there for a moment and then runs to point **B** and remains there.

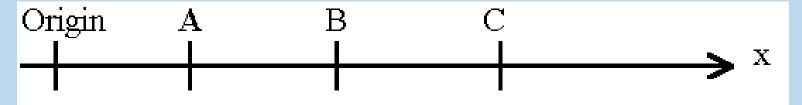


 Which graph correctly depicts this motion?

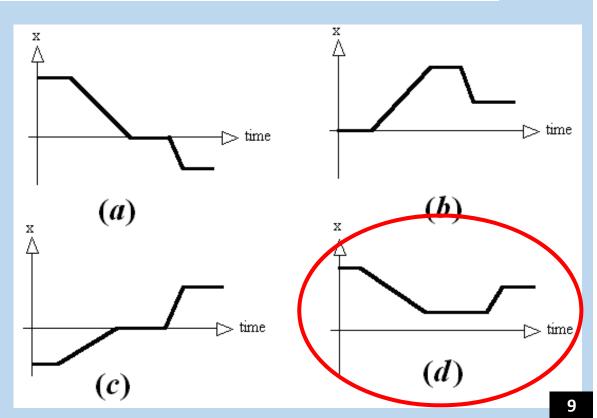


Clicker Quiz

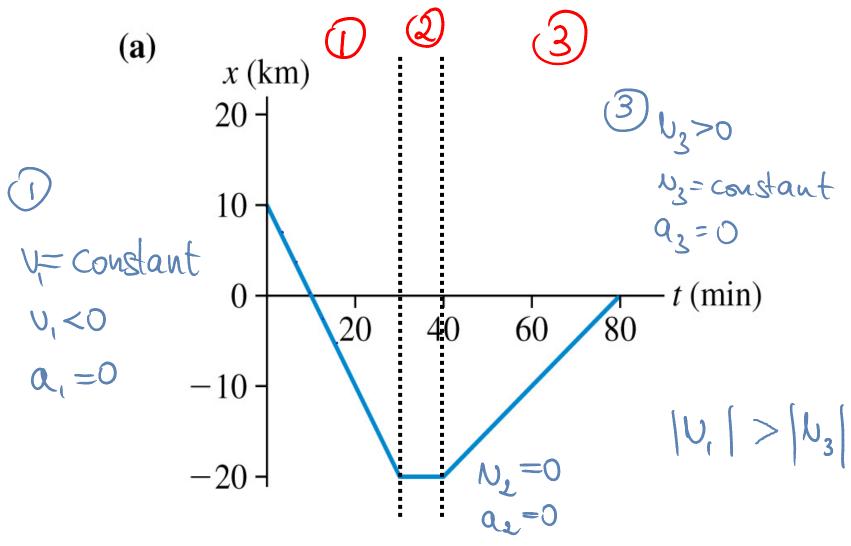
• A person initially at point **C** on the x-axis stays there for a little while and then strolls along the x-axis to point **A**, stays there for a moment and then runs to point **B** and remains there.



 Which graph correctly depicts this motion?



Time Graphs



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Velocity

average **speed**: average speed=

distance traveled

time interval spent traveling

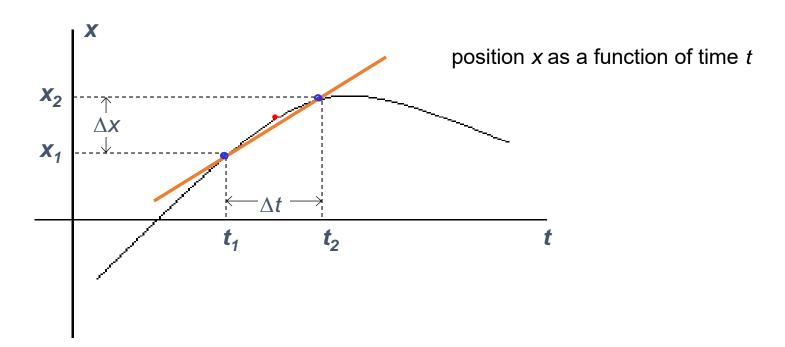


"How fast?"

average **velocity**:
$$\vec{v}_{avg} = \frac{\Delta r}{\Delta t}$$

"How fast and in which direction?"

Displacement: $\Delta x \equiv x_2 - x_1$

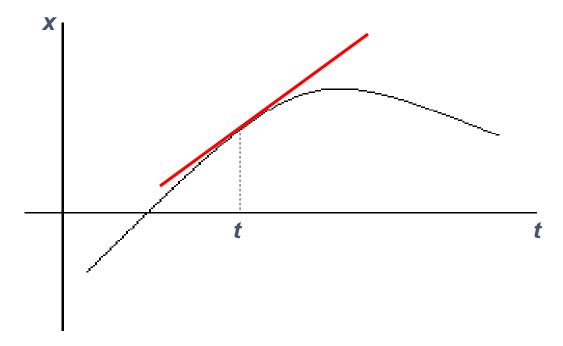


Average velocity : $\overline{v} \equiv \Delta x / \Delta t$ (slope of the secant line)

Instantaneous velocity

average over an 'infinitesimal' time interval:

$$t_2 \rightarrow t_1$$
, $\Delta t \rightarrow 0$ and $\frac{\Delta x}{\Delta t} \rightarrow \frac{dx}{dt} \equiv v$



 ν is the slope of the tangent to the x vs. t graph. Physically, ν is the rate of change of x, hence dx/dt.

Clicker Quiz

You go out for a jog – you travel at 8 km/h for 2 hour, 6 km/h for 2 hours and then 4 km/h for 1 hour. What is your average speed?

- A. 6 km/h
- B. Less than 6 km/h
- C. Greater than 6 km/h
- D. Not enough information

$$d = 8 \frac{\text{km}}{h} \cdot 2h + 6 \frac{\text{km}}{h} \cdot 2h + 4 \frac{\text{km}}{h} \cdot 1h$$

$$= 32 \text{ km}$$

$$\Delta t = 2h + 2h + 1h = 5h$$

$$V_a = \frac{d}{\Delta t} = \frac{32 \text{ km}}{5 \text{ h}} = 6.4 \frac{\text{km}}{4}$$

Speed vs Velocity

You are walking down Main St. At 1:05 pm, you are 40 m east of campus. At 1:09 pm you are 60 m west of campus. What is your *average* velocity over the trip?

Let's define [east] as the positive direction

$$X_1 = 40 \text{ m (east)} = +40 \text{ m}$$
 $X_2 = 60 \text{ m (west)} = -60 \text{ m}$
 $X_2 = 60 \text{ m (west)} = -60 \text{ m}$
 $X_3 = \frac{1.08}{1.09} = \frac{1.08}{1.09} = \frac{1.00 \text{ m}}{1.09} = -\frac{1.00 \text{ m}}{1.09} = -\frac{1.00 \text{ m}}{1.09} = -0.42 \text{ m/s}$
 $X_4 = 60 \text{ m (west)} = -60 \text{ m}$
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Acceleration

is the rate of change of velocity

Average Acceleration:
$$\overline{a} \equiv \frac{\Delta v}{\Delta t} \equiv \frac{v_2 - v_1}{t_2 - t_1}$$

Instantaneous Acceleration: $a = \frac{dv}{dt}$

RI-9. A particle is moving with <u>constant</u> acceleration. Its velocity vector at two different times is shown below. What is the direction of the

acceleration? $\overrightarrow{a} = \underbrace{\overrightarrow{a_t}}_{a_t} = \underbrace{\overrightarrow{v_2 - v_c}}_{a_t}$ $D) \longleftarrow B$ C) E) Some other direction