

Chapter 7: Thermochemistry

Energy & Thermal Chemistry

Themes: Energy – Fueling our Bodies
Energy - Fueling our World



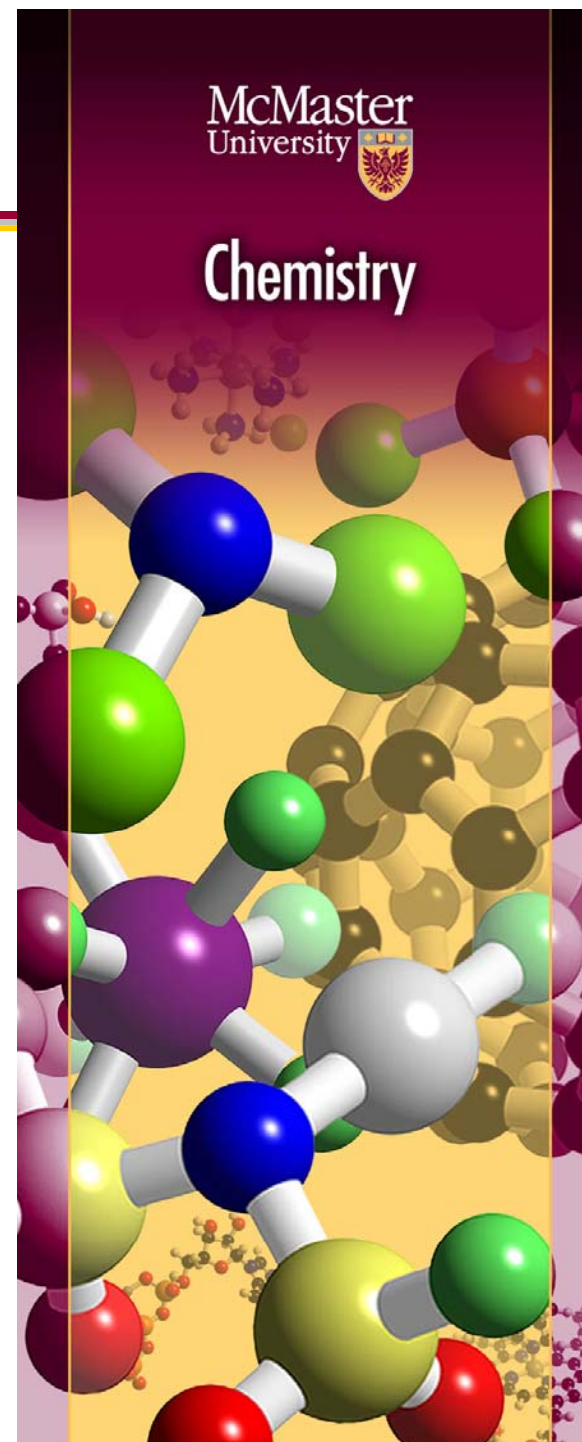
en.wikipedia.org/wiki/Image:Leavessnipedale.jpg



en.wikipedia.org/wiki/File:Fries_cooking.jpg



en.wikipedia.org/wiki/File:Grand_Junction_Trip_92007_098.JPG



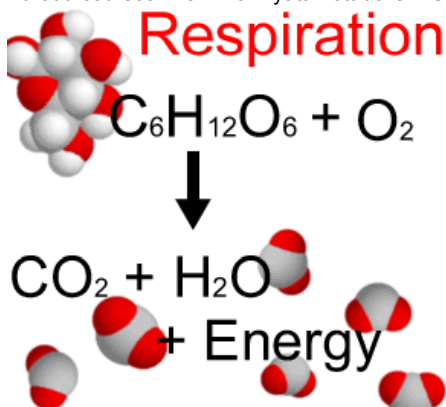
Things We Burn

- **Combustion** or **burning** is a complex sequence of **exothermic** chemical reactions between a **fuel** and an **oxidant**.

- Rapid Combustion: accompanied by the production of heat or both **heat** and **light** in the form of either a glow or flames.



bioweb.wku.edu/courses/BIOL115/Wyatt/Metabolism/Glycolysis2.htm

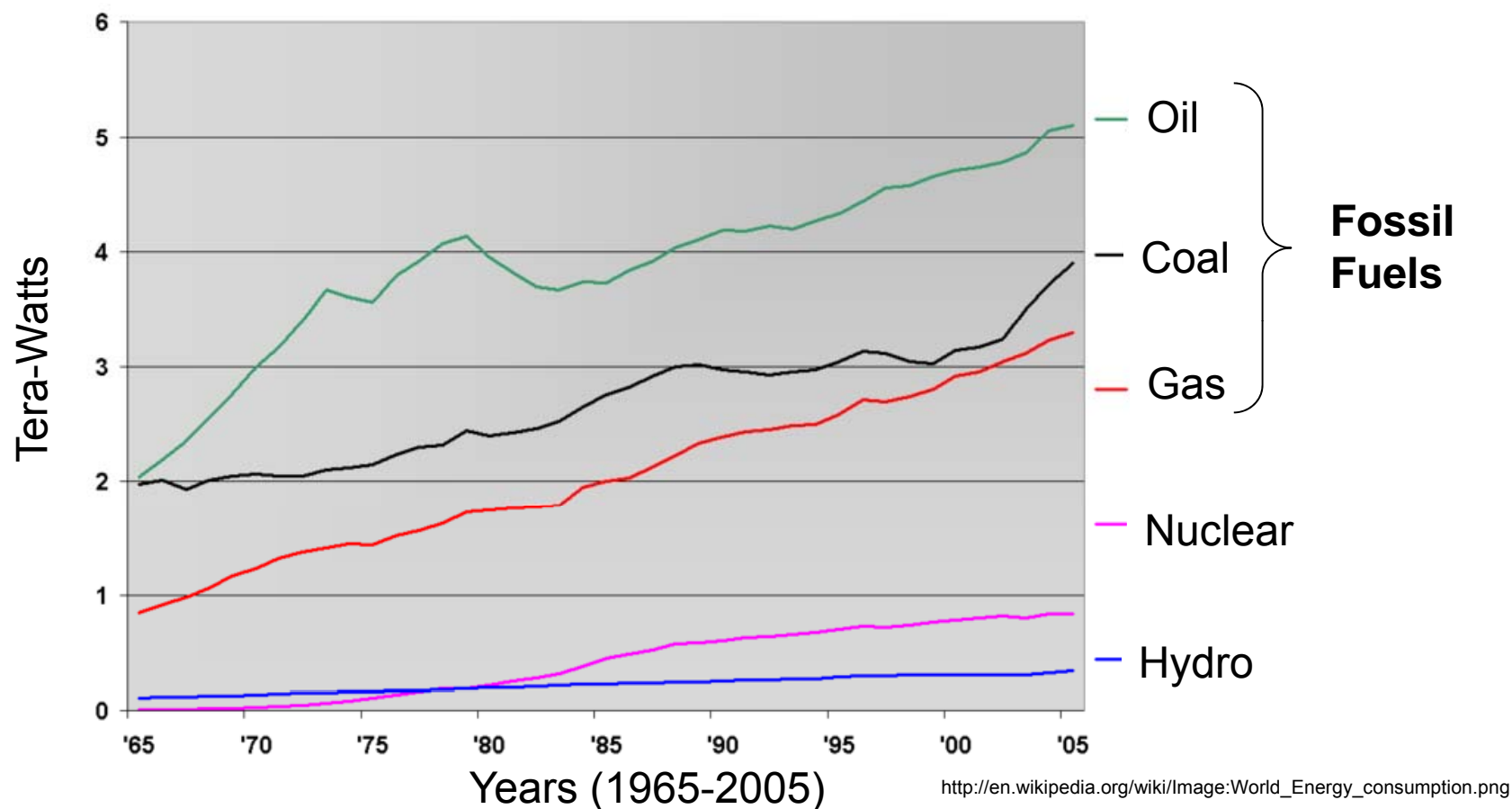


flickr.com/photos/30626457@N00/523904548/

Slow Combustion: takes place at low temperatures.
Respiration is an example of slow combustion.



Global Energy Sources



- In 2004, the **worldwide energy consumption** of the human race was on average 15 TW ($= 1.5 \times 10^{13}$ W) with 86.5% from burning fossil fuels.



The Energy We Get from Fuels

- Comparing Heats of Combustion:

Fuel	kJ/g	}	Fossil Fuels
Hydrogen	-150.0		
Natural Gas	-49.5		
Gasoline	-47.8		
Coal	-28.3		
Methanol	-22.7		
Cellulose	-17.5		
Municipal waste	-12.7		

- The higher the heat of combustion, the better the fuel!
- What is Heat of Combustion?
- Where does the energy stored in these fuels come from?



Capturing & Using Energy from the Sun

- Photosynthesis is an **ENDOTHERMIC** process
- Sunlight (energy) is used to build glucose and other simple sugars

“A leaf is an amazingly cheap and efficient solar cell.”



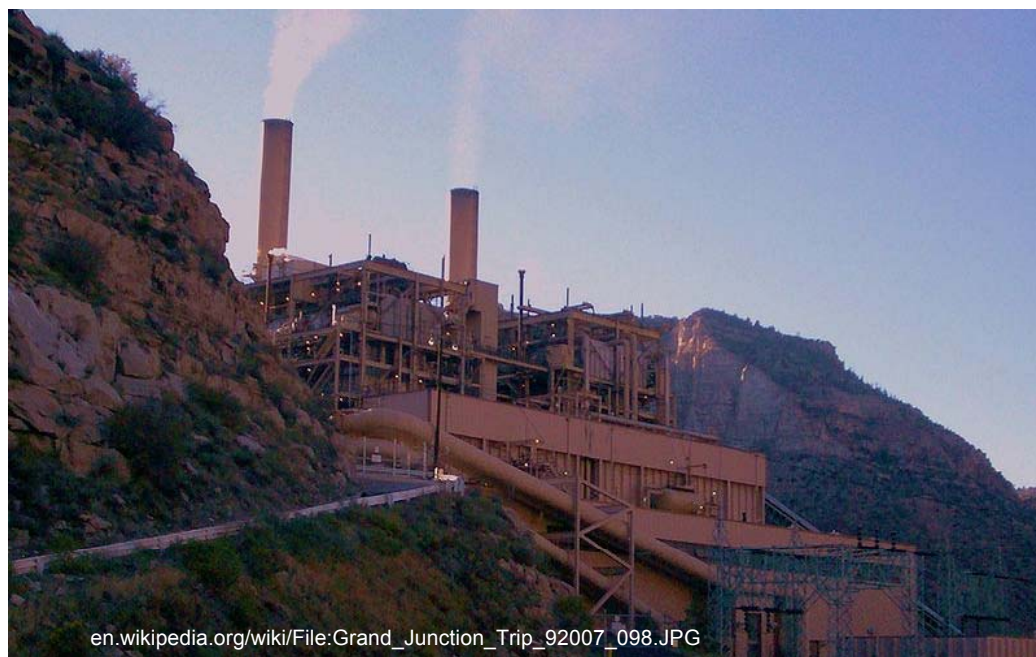
en.wikipedia.org/wiki/Image:Leavessnipedale.jpg

- $$6\text{CO}_2 + 6\text{H}_2\text{O} \xrightarrow[\text{Sunlight}]{\text{Chlorophyll}} \text{C}_6\text{H}_{12}\text{O}_6(\text{s}) + 6\text{O}_2(\text{g})$$
$$\Delta H^\circ = +2.8 \times 10^3 \text{ kJ / mol}$$
- Energy is extracted by *combustion* of the plant material
- As the forward process is **ENDOTHERMIC**, $\Delta H > 0$
the reverse reaction is **EXOTHERMIC**, $\Delta H < 0$

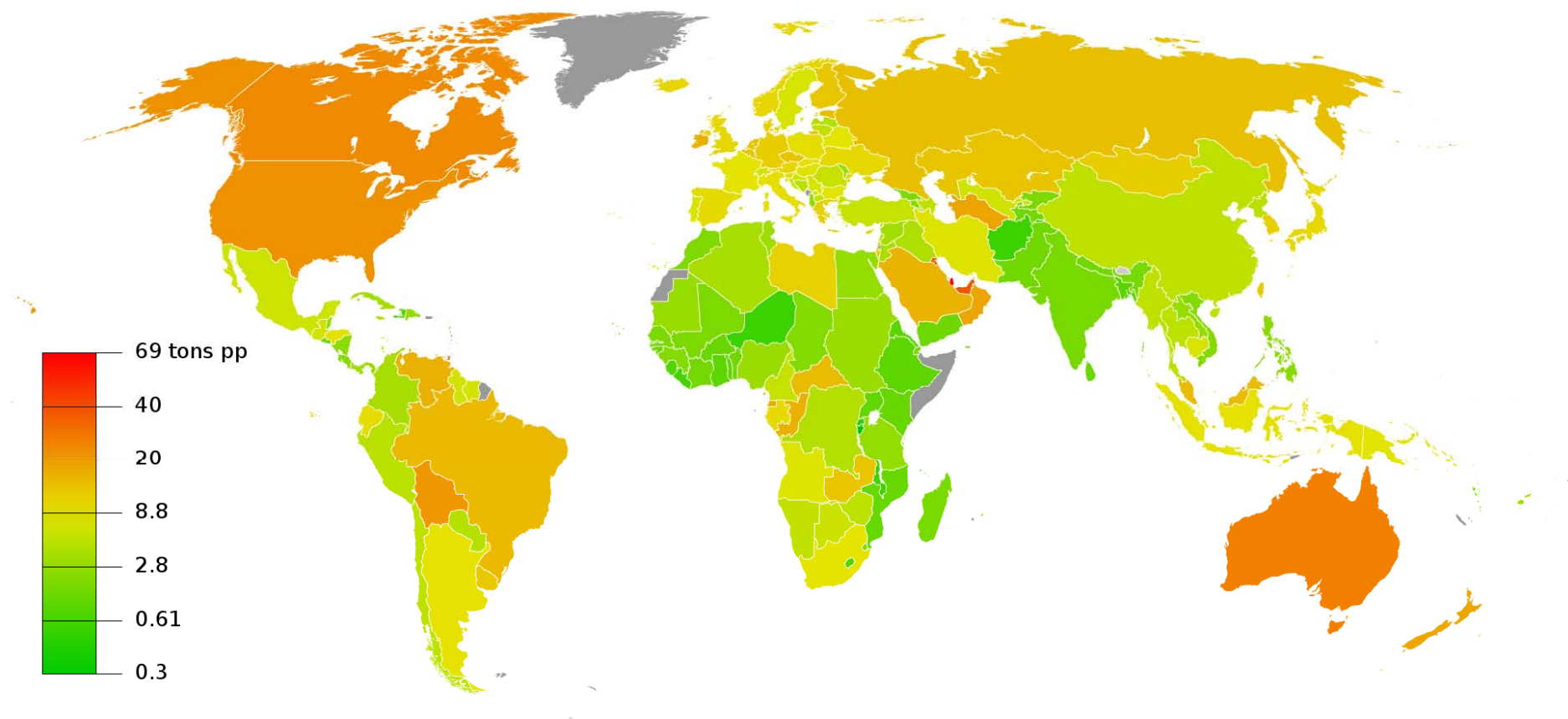


Issues with Burning Fossil Fuels

- Non-renewable
 - Plant Matter, aged >300 million years!
- Contributions to Global Warming
 - Net CO₂ increase in atmosphere



Burning Fossil Fuels – CO₂ Emissions



http://en.wikipedia.org/wiki/File:GHG_per_capita_2005.png



System versus Surroundings

- **Open System:**
material & energy exchange
- **Closed System:**
only energy exchange
- **Isolated system:**
Neither material
nor energy exchange



Figure 7-1, p 242 (226 9th ed.)



Energy

- Energy = the capacity to do work
- Potential Energy
- Kinetic Energy
- Thermal Energy?

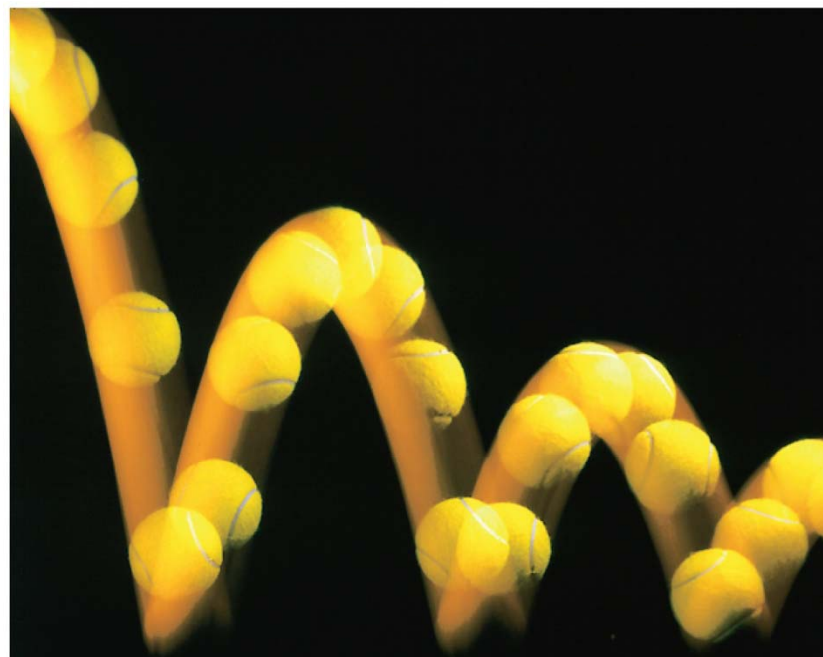


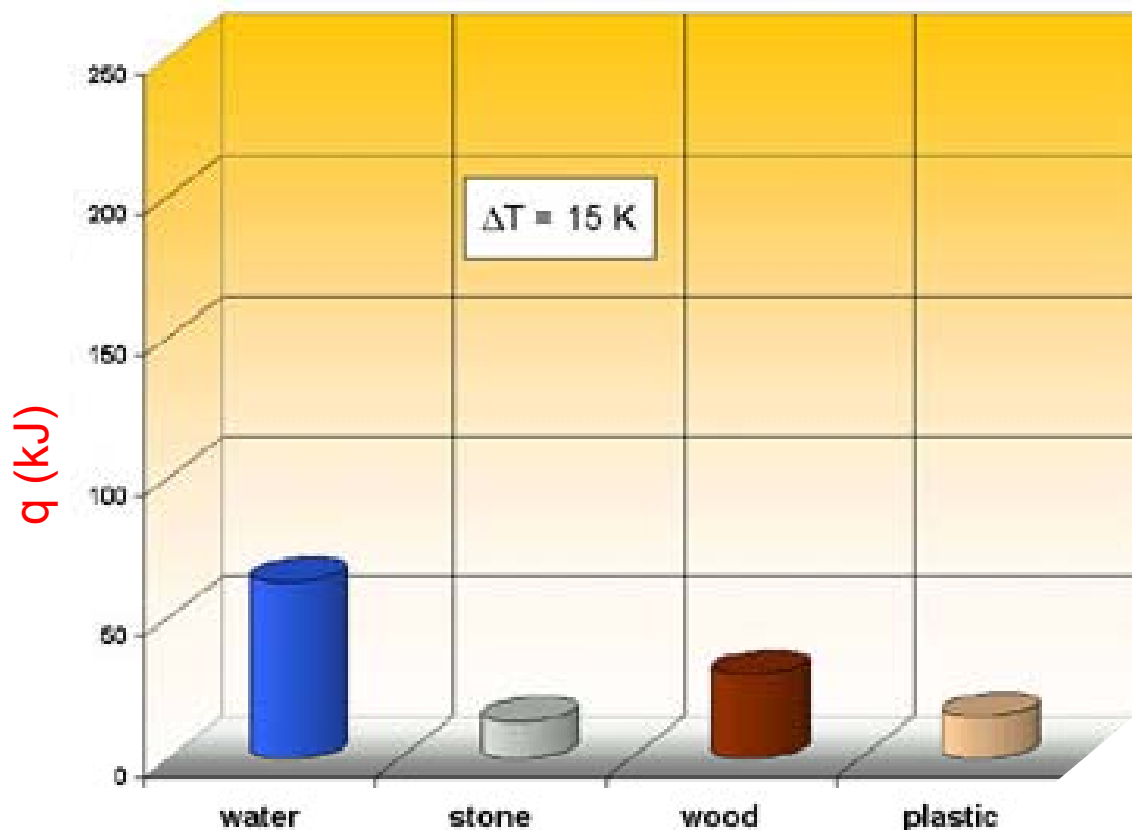
Figure 7-2, p 243 (227 9th ed.)

- Heat (q): energy *transferred* between a system and its surroundings as a result of a temperature gradient



Heat Capacity

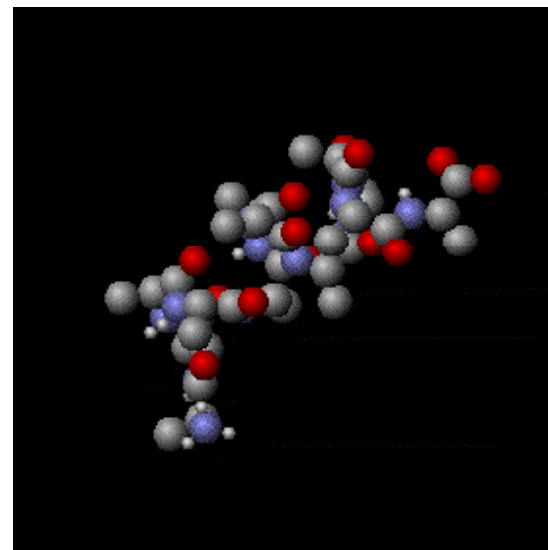
- Heat Capacity (C): the amount of heat required to change the temperature of a system by one degree ($\text{J } ^\circ\text{C}^{-1}$) or (J K^{-1})



Origin of Heat Capacity

- http://en.wikipedia.org/wiki/Image:Thermally_Agitated_Molecule.gif

- Thermal energy is expressed as a molecule's internal motions.
- Molecular-level complexity correlated to heat capacity
- Energy available from these *internal degrees of freedom* contributes to a substance's specific heat capacity.



Defining a System's Capacity to Store Heat

$$q = m \times \text{specific heat} \times \Delta T = C \times \Delta T$$

- Heat Capacity (C) = the quantity of heat (q) required to change the temperature of a “system” by one degree
- Specific Heat Capacity = “system” is 1 g of material
- Molar Heat Capacity = “system” is 1 mol of material



Sample Problem

- A 100.0 g copper sample (specific heat = $0.385\text{J}\cdot\text{g}^{-1}\cdot^{\circ}\text{C}^{-1}$) at 100.0°C is added to 50.0 g water, at 26.5°C .
- What is the final temperature of the copper-water mixture?

$$q_{(\text{water})} = -q_{(\text{copper})} \leftarrow \begin{array}{l} \text{Heat lost by copper} = \\ \text{Heat gained by water!} \end{array}$$



Solution

$$m_{\text{water}} \times C_{\text{water}} \times (T_{\text{final}} - T_{\text{initial(water)}}) = -m_{\text{copper}} \times C_{\text{copper}} \times (T_{\text{final}} - T_{\text{initial(copper)}})$$

$$50.0g \times \frac{4.18J}{g.^{\circ}C} \times (T_f - 26.5^{\circ}C) = -\left(100.0g \times \frac{0.385J}{g.^{\circ}C} \times (T_f - 100.0^{\circ}C)\right)$$

$$209 \frac{J}{^{\circ}C} (T_f - 26.5^{\circ}C) = -\left(38.5 \frac{J}{^{\circ}C} \times (T_f - 100.0^{\circ}C)\right)$$

$$(209T_f - 5538.5)J = -(38.5T_f - 3850)J$$

$$5538.5 + 3850 = (209 + 38.5)T_f$$

$$T_f = \frac{9389J}{247.5J^{\circ}C^{-1}} = 37.9^{\circ}C$$



iClicker Question #1

Which of the following substances has the highest specific heat capacity?

a. Al

b. H₂O

c. CH₄



Heat of Reaction - q_{rxn}

- q_{rxn} = the quantity of heat exchanged between a system & its surroundings when a chemical reaction occurs within the system at *constant temperature*.

$q_{\text{rxn}} < 0$ exothermic reaction (Heat Produced)

$q_{\text{rxn}} > 0$ endothermic reaction (Heat Required)

$q_{\text{system}} = 0$ Isolated system: thermal energy transferred between components of the system

Example: $q_{\text{rxn}} + q_{\text{calorim}} = 0$ (see Calorimetry slides)



Exothermic & Endothermic Demos

- Demo: Thermite + Liquid Nitrogen
http://www.youtube.com/watch?v=Yex063_Fblk
- Demo: Beaker + Water + Salts



Bomb Calorimetry (Constant Volume): q_{rxn} for Combustion of Sucrose

Combustion of 1.010g sucrose

$\text{C}_{12}\text{H}_{22}\text{O}_{11} = 342.3 \text{ g/mol}$

$T_{\text{initial}} = 24.92^\circ\text{C}$, $T_{\text{final}} = 28.33^\circ\text{C}$

Heat capacity of cal. = $4.90 \text{ kJ/}^\circ\text{C}$

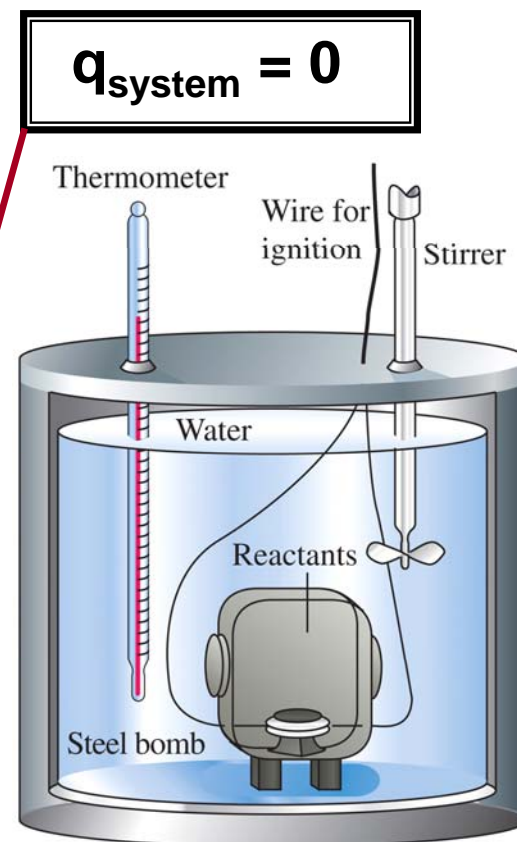
$$q_{\text{calorim}} = C_{\text{calorimeter}} \times \Delta T$$

$$q_{\text{calorim}} = 4.90 \text{ kJ/}^\circ\text{C} \times (28.33 - 24.92)^\circ\text{C} \\ = 16.71 \text{ kJ}$$

$$q_{\text{sys}} = q_{\text{rxn}} + q_{\text{calorim}} = 0$$

$$q_{\text{rxn}} = -q_{\text{calorim}} = -16.71 \text{ kJ}$$

$$q_{\text{rxn}} = \frac{-16.7 \text{ kJ}}{1.010 \text{ g}} \times \frac{342.3 \text{ g}}{\text{mol}} = -5.65 \times 10^3 \text{ kJ/mol}$$



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Figure 7-5



Calorimeters at Constant Pressure

- You will use an ice-calorimeter in Lab #5 to measure the enthalpy change in a redox or acid base reaction.

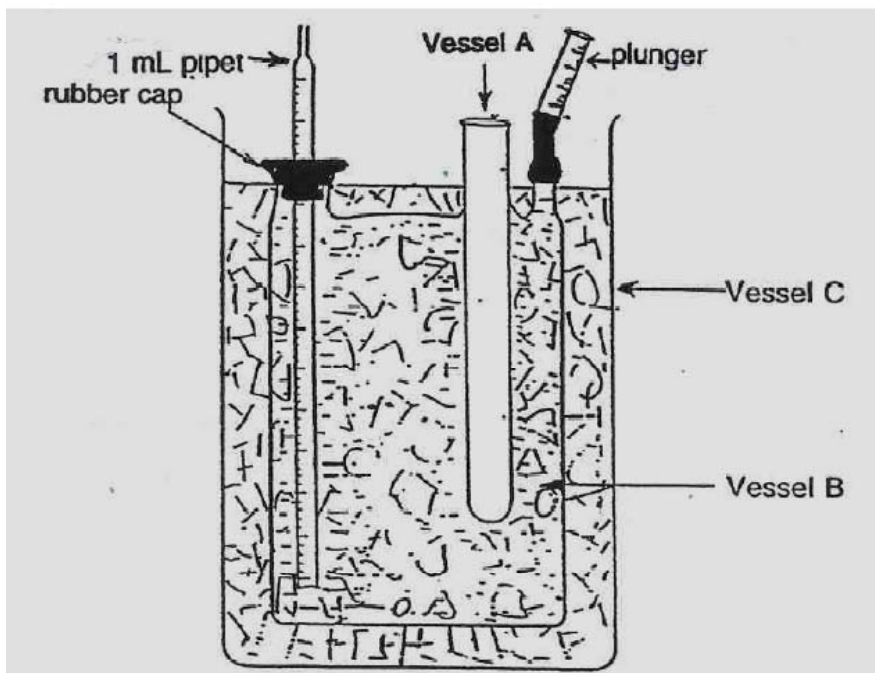


Figure 4.2 The Ice Calorimeter

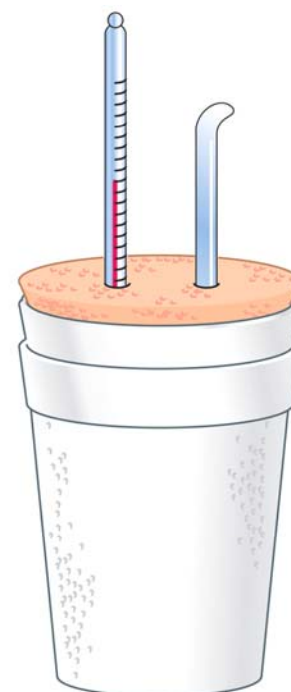


Figure 7-6

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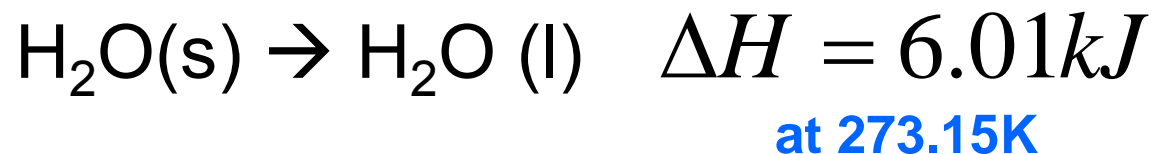
Coffee Cup calorimeter –
like Ice-Calorimeter →
constant pressure device

$$q_{\text{system}} = 0$$



Enthalpy Change, ΔH , & Phase Change

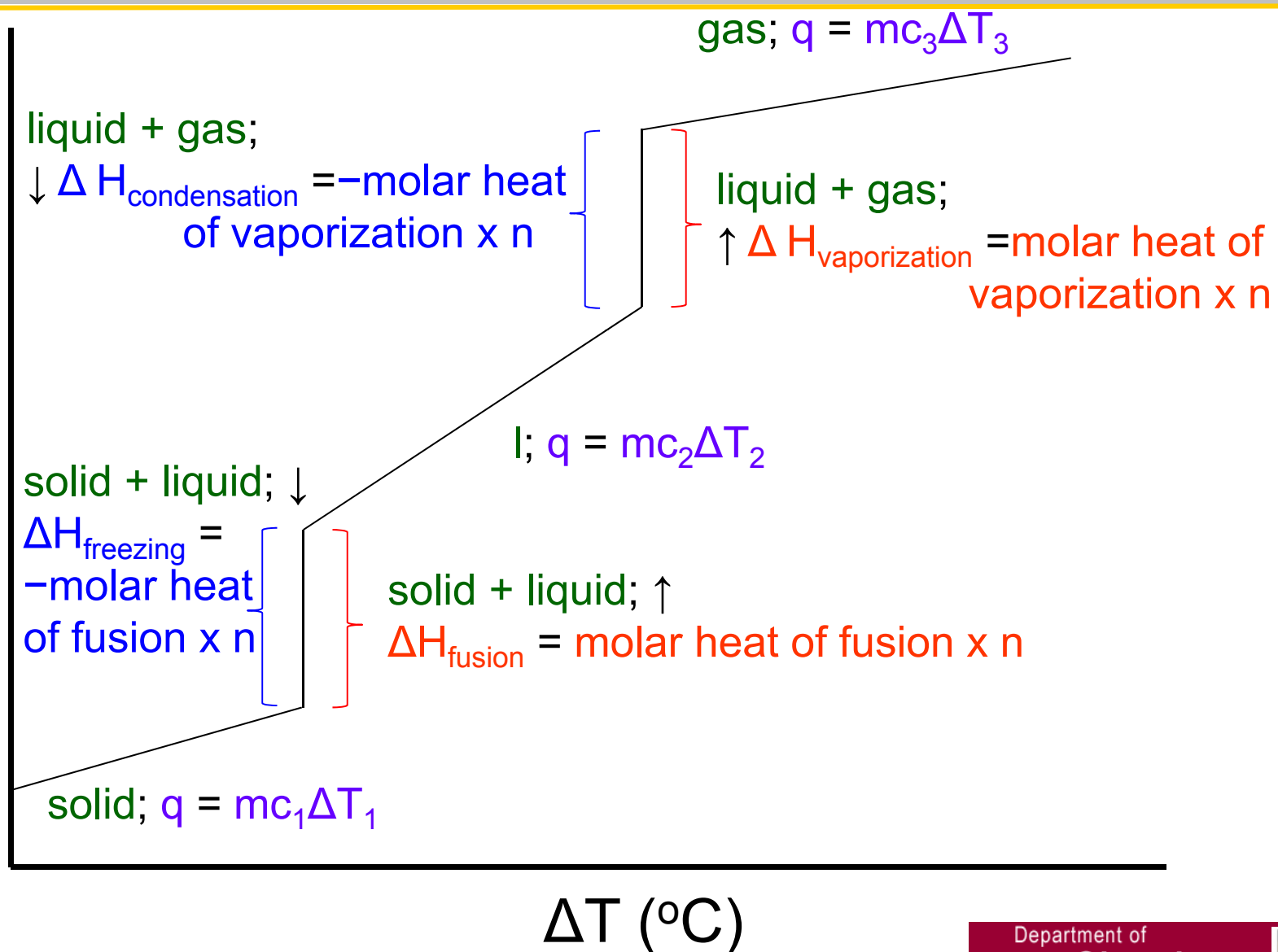
- When water boils or Ice melts, what is the temperature of the water during the phase transition?
- Heat is required for phase transitions (which occur at constant T!)
→ latent (hidden) heat of fusion
- Molar Enthalpy of Fusion (Lab 5):



<http://www.jupiterimages.com/Image/royaltyFree/103399271#Header>



$\Delta H \text{ (J)}$



Take Home – NH_4NO_3 in Coffee Cup Calorimeter

- NH_4NO_3 (MM = 80.05g/mol) is used in cold packs. When 20.0g of this compound dissolves in 125g of water, in a coffee-cup calorimeter, the temperature falls from 23.5°C to 13.4°C. Determine q for the dissolution process. Is it exothermic or endothermic?

$$\Delta T = T_f - T_i = (13.4 - 23.5)^\circ\text{C} = -10.1^\circ\text{C}$$

$$q_{\text{calorim}} = C_{\text{calorim}} \times \Delta T$$

$$\text{We assume } C_{\text{calorim}} = \text{mass}_{\text{water}} \times C_{\text{water}}$$



Solution: NH_4NO_3 in Coffee Cup Calorimeter

$$\begin{aligned}q_{\text{calorim}} &= m_{\text{H}_2\text{O}} \times C_{\text{H}_2\text{O}} \times \Delta T \\&= 145 \text{ g} \times \frac{4.184 \text{ J}}{\text{g} \cdot ^\circ\text{C}} \times (13.4 - 23.5) ^\circ\text{C} \\&= -6.13 \text{ kJ}\end{aligned}$$

$q_{\text{rxn}} = -q_{\text{calorim}}$

$$\therefore q_{\text{dissolving}} = +6.13 \text{ kJ}$$

- The temperature of the calorimeter falls during the process, meaning the calorimeter loses heat as the ammonium nitrate dissolves.
- The ions gain energy, so the dissolving process is **endothermic**



Take-Home Question: Constant P Calorimeter

- A coffee-cup calorimeter contains 100.0 mL of 0.300M HCl at 20.3 °C. When 1.82g Zn(s) is added, the temperature rises to 30.5°C. What is the heat of reaction per mol Zn?



Make the same assumptions as in example 7-4, and also assume that there is no heat lost with the Hydrogen gas that escapes.

Refer to Problem #32, Ch. 7 & Example 7-4



Solution – Constant P Calorimeter

- $0.100\text{L} \times 0.300\text{M} = 0.0300\text{mol HCl}$,
- $1.82\text{g}/65.39\text{g/mol} = 0.0278\text{ mol Zn}$.
- Stoichiometry requires 2 moles of HCl for every 1 mole of Zn. Therefore, HCl is the limiting reactant.
- The reaction is exothermic. We neglect the excess Zn, and assume the volume of the solution is constant, at 100.0ml, with specific heat of $4.18\text{J/g}^\circ\text{C}$. Enthalpy change, in kJ/mol Zn is:

$$\Delta H = -\frac{100.0\text{g} \times \frac{4.18\text{J}}{\text{g}^\circ\text{C}} \times (30.5 - 20.3)^\circ\text{C}}{0.0300\text{mol HCl} \times \frac{1\text{mol Zn}}{2\text{mol HCl}}} \times \frac{1\text{kJ}}{1000\text{J}} = -280\text{kJ} / \text{mol}$$



Differentiating Work and Heat

- Familiar with $\Delta H \rightarrow$ **endothermic** or **exothermic**, indicating energy required, or given off during a chemical reaction.
- Energy can also be input or output from a system via “**work**”



Pressure-Volume Work, w

- Explosives
- Gases formed on combustion of gasoline
- How much work is done by an expanding gas?

work = force x distance

$$w = -\frac{m \times g}{A} \times \Delta h \times A = -P_{ext} \Delta V$$

Ch. 7-4, p 252-255 (235-238 9th ed.)



<http://www.jupiterimages.com/Image/royaltyFree/88008147#Header>





Calculating Pressure-Volume Work



- Suppose that in a paint ball pistol, the gas is pressurized using a hand pump, which takes the total pressure of air (assume 0.100mol of 100% N₂), to 50.00atm. The pistol is then fired, releasing the air to 1.00atm. What is the amount of work done by the pistol in firing the paintball?

$$V_{initial} = \frac{nRT}{P_{initial}} = \frac{0.100mol \times 0.0821L \cdot atm \cdot mol^{-1} K^{-1} \cdot 298K}{50.00atm} = 0.0489_3 L$$

$$V_{final} = \frac{nRT}{P_{final}} = \frac{0.100mol \times 0.0821L \cdot atm \cdot mol^{-1} K^{-1} \cdot 298K}{1.00atm} = 2.44_7 L$$

$$\Delta V = V_{final} - V_{initial} = 2.446 - 0.04893 = 2.39_7 L$$

$$w = -P_{ext} \Delta V = -1.00atm \times 2.39_7 L \times \frac{101.325J}{1Latm} = -2.42 \times 10^2 J$$



The First Law of Thermodynamics

- Internal Energy, U

$$\Delta U = q + w$$

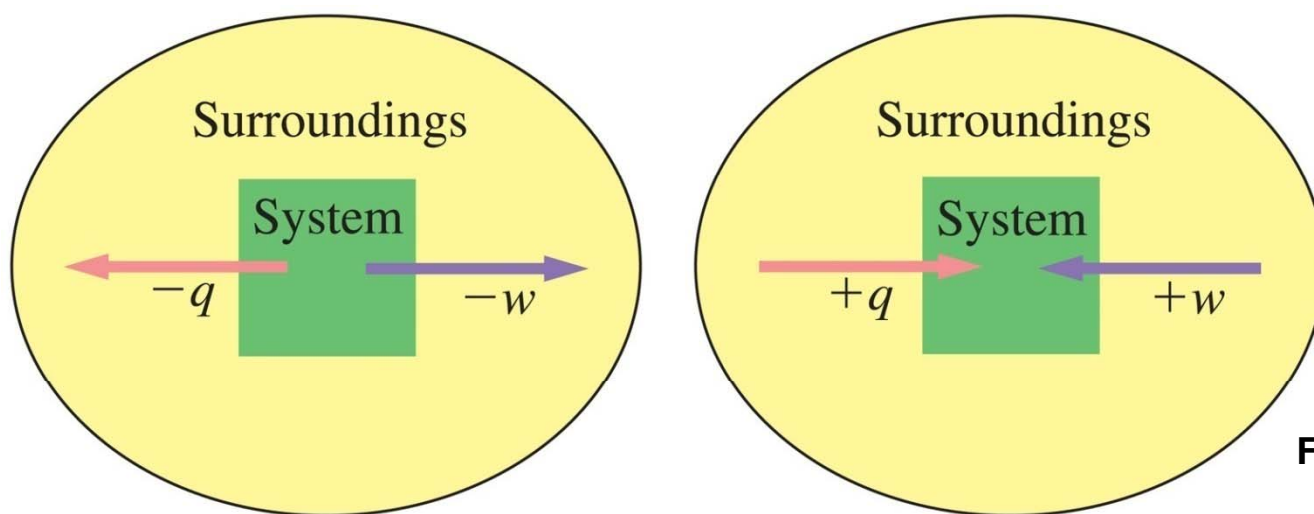


Figure 7-10

Law of Conservation of Energy

$$\Delta U_{\text{system}} + \Delta U_{\text{surroundings}} = \Delta U_{\text{universe}} = 0$$

$$\Delta U_{\text{system}} = -\Delta U_{\text{surroundings}}$$



iClicker Question #2

Which one of the expressions below is true for a system which undergoes an adiabatic change (i.e., with no heat transfer) and has work done on it by the surroundings?

- a. $w > \Delta U$
- b. $w < 0$ and $\Delta U > 0$
- c. $w > 0$ and $\Delta U < 0$
- d. $w = \Delta U$
- e. $w = -\Delta U$



Flanders & Swan Lyrics



After me...

The First Law of Thermodynamics:
Heat is work and work is heat

Very good!

The Second Law of Thermodynamics:
Heat cannot of itself pass from one body to a
hotter body

Heat won't pass from a cooler to a hotter

You can try it if you like but you far better
notter

'Cos the cold in the cooler will get hotter as a
ruler

'Cos the hotter body's heat will pass to the
cooler

Heat is work and work is heat and work
is heat and heat is work

Heat will pass by conduction
Heat will pass by convection
Heat will pass by radiation

And that's a physical law

Heat is work and work's a curse
And all the heat in the Universe
Is gonna coool down 'cos it can't increase
Then there'll be no more work and there'll be perfect
peace

Really?
Yeah - that's entropy, man!

And all because of the Second Law of
Thermodynamics, which lays down:

That you can't pass heat from the cooler to the hotter
Try it if you like but you far better notter
'Cos the cold in the cooler will get hotter as a ruler
'Cos the hotter body's heat will pass to the cooler
Oh, you can't pass heat from the cooler to the hotter
You can try it if you like but you'll only look a fooler
'Cos the cold in the cooler will get hotter as a ruler
That's a physical Law!



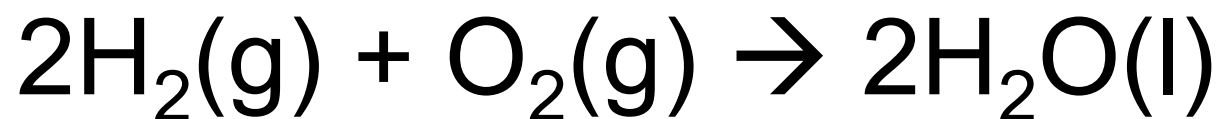
Implications of 1st Law

- Energy entering the system carries a “+” sign
 - heat absorbed $q > 0$, work done ON system $w > 0$
- Energy leaving the system carries a “-” sign
 - heat released $q < 0$, work done BY system $w < 0$



iClicker Question #3

Consider the following reaction:



Which statement is correct?

- a. Work is being done on the system
- b. Work is being done by the system



State Functions vs Path Functions - Skit

- **State Function:** a property that has a unique value for a specified state of a system

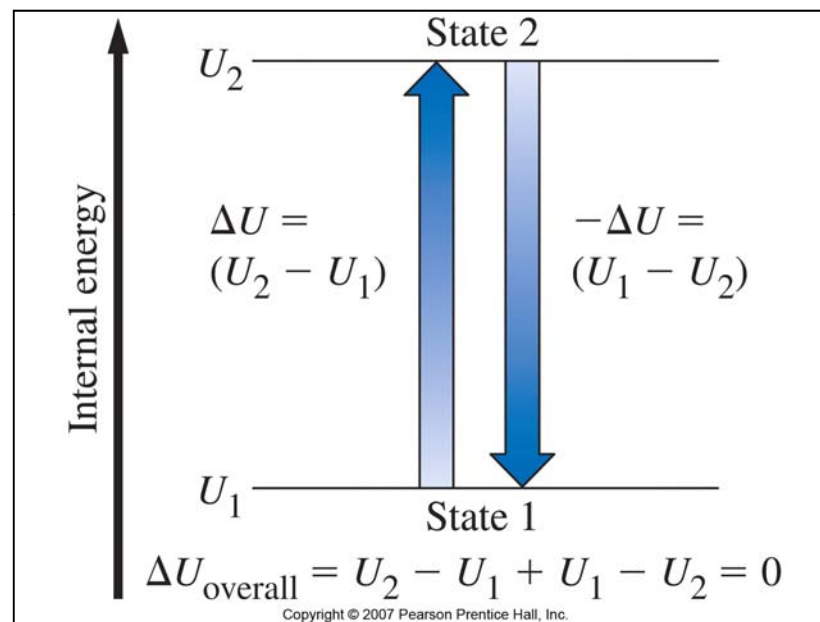
- Eg: Density, Pressure, Volume, Temperature, Internal Energy, Enthalpy

- **Path Function:** depends on the process or mechanism that takes the system from one set of conditions to another.

- Eg: Heat & Work

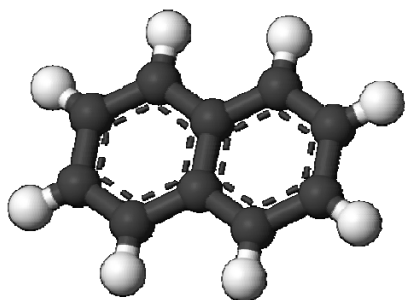
- Change

- Reversible change → system at eq'm with surrounding throughout infinitesimal changes.
- Irreversible → system not at eq'm with surrounding.



Fats & Carbohydrates

- House Clip
- List some observations, relating the diagnosis to basic chemistry



en.wikipedia.org/wiki/File:Naphthalene-from-xtal-3D-balls.png

Napthalene
(mothballs)

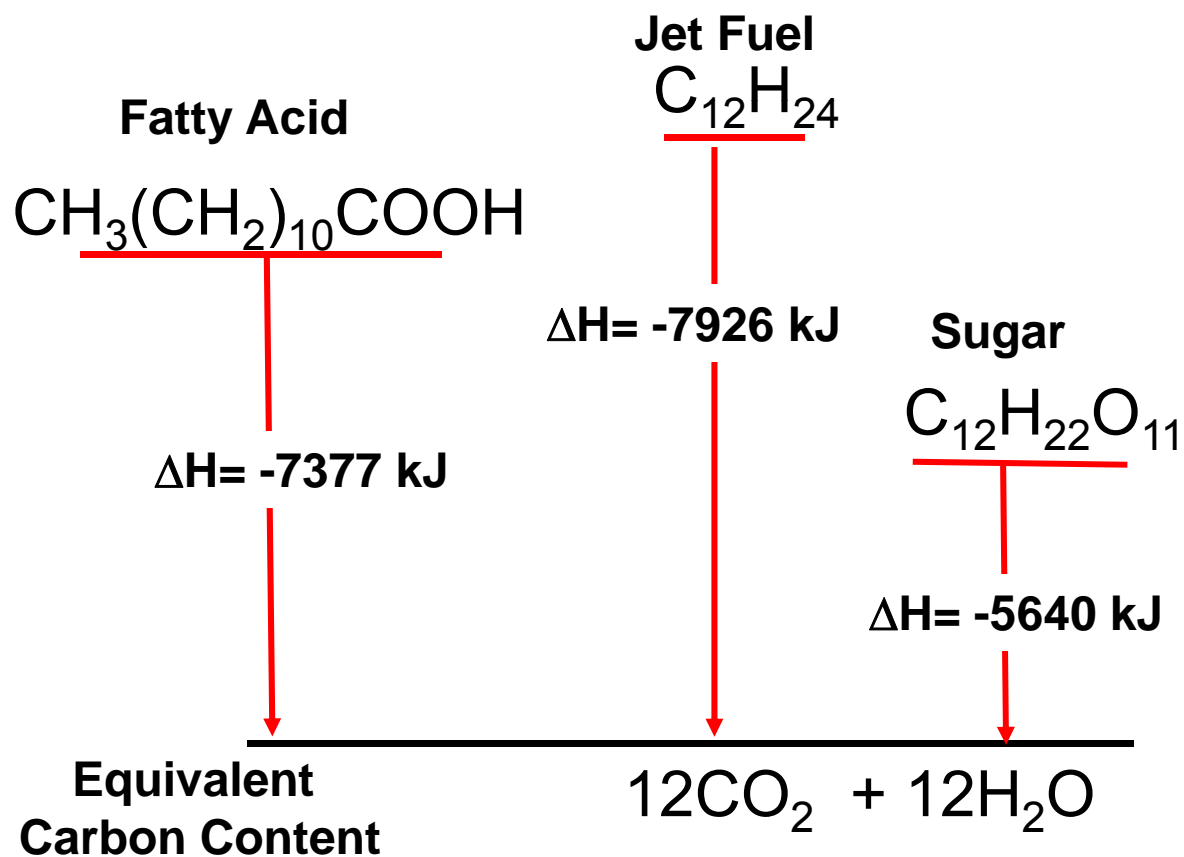


en.wikipedia.org/wiki/File:Hugh_Laurie_2009_crop.jpg



Enthalpy Diagrams

- Why does the body store energy as fat, rather than sugar?



ΔU from Calorimetry Experiments

- Bomb Calorimeter – Constant Volume Experiment

$$\Delta U = q_V + w = q_V - P\Delta V = 0$$

No work done at constant volume!

$$\therefore \Delta U = q_V$$

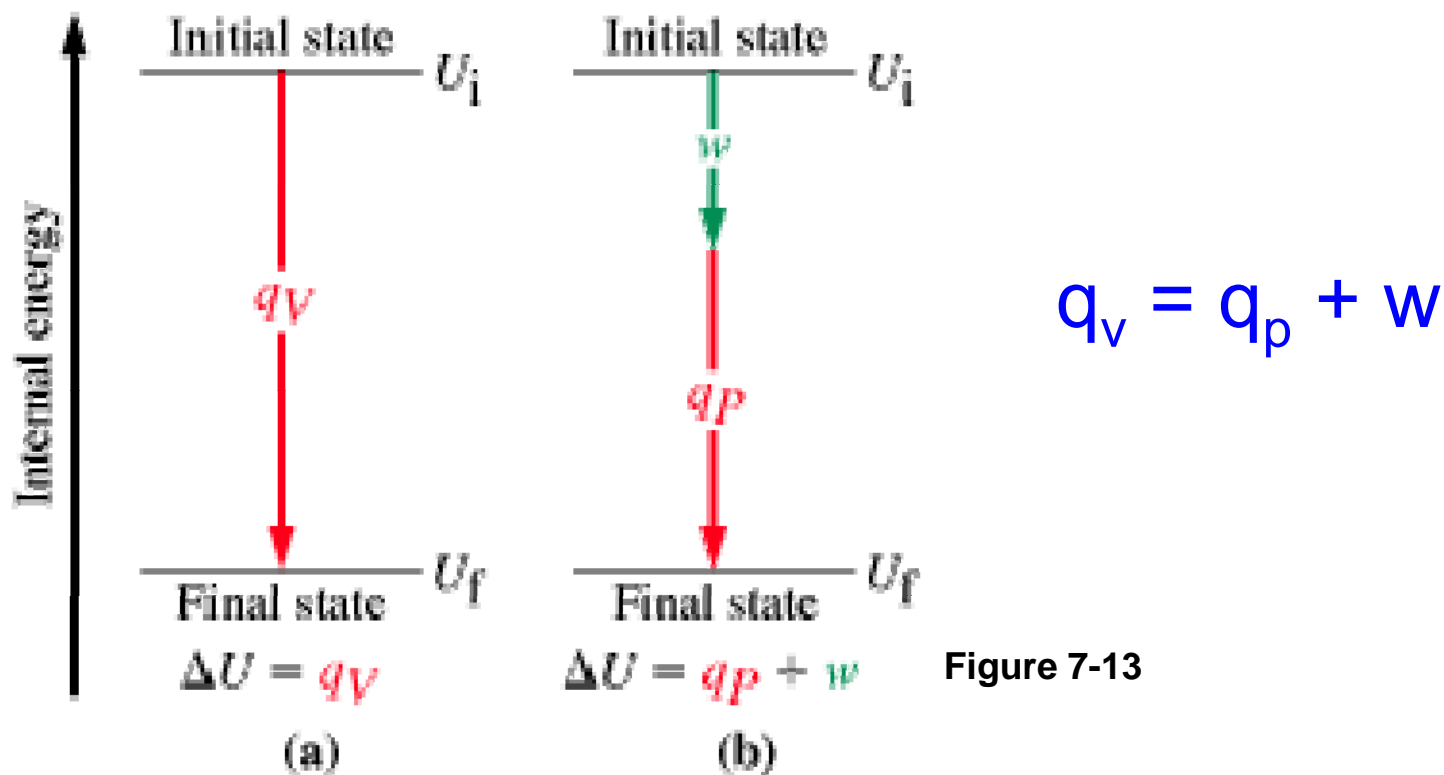
- Other Calorimetry Experiments: Constant Pressure

$$\Delta U = q_P + w = q_P - P\Delta V$$

– Only when $w = 0$, $q_P = q_V$



Relating Bomb Calorimeters to Real Life



- Since ΔU is a state function, reactions that take place in a bomb calorimeter or in real life are related by their change in internal energy



Enthalpy, ΔH

- Internal Energy & Enthalpy Closely Related:

$$\Delta U = q + w = q_P - P\Delta V$$

← solve for q_P

$$q_P = \Delta U + P\Delta V$$

- Definition of Enthalpy: $H = U + PV$

$$\Delta H = H_f - H_i = (U_f + P_f V_f) - (U_i + P_i V_i)$$

$$\Delta H = \Delta U + \Delta PV$$

- If T & P are constant, $\Delta H = \Delta U + P\Delta V$

$$\boxed{\Delta H_P = q_P}$$

- $q_P = q_V$ where there is **no change in volume**



From Bomb Calorimetry to ΔH

$$\Delta U = q_V + w \quad \leftarrow w = 0 \text{ at constant volume} \quad \therefore \Delta U = q_V$$

If we know ΔU from a bomb calorimetry experiment, how can we find ΔH ?

$$w = -P_{\text{ext}} \Delta V \quad \text{Assuming Ideal Gases} \rightarrow \Delta V = \Delta n \frac{RT}{P}$$

$$\therefore w = -P \Delta V = -\Delta n_{\text{gases}} RT$$

$$\begin{aligned} \text{and } \Delta H &= \Delta U + P \Delta V \\ &= \Delta U + \Delta n_{\text{gases}} RT \end{aligned}$$

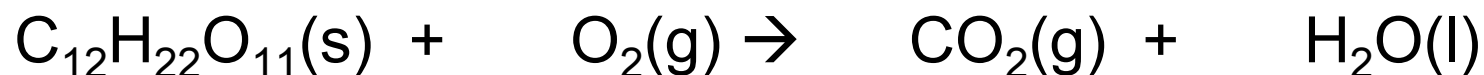
Thus, from the balanced chemical equation, we can find Δn , (change in # moles of gases) and solve for work, w at a given temperature. (see Tutorial)



iClicker Question #4

For the complete combustion of sucrose, does $q_v = q_p$?

Unbalanced reaction (balance before answering):



(A) $q_p > q_v$

(B) $q_p < q_v$

(C) $q_p = q_v$

moles gas (reactants) =
moles gas (products)

<http://sciencehack.com/videos/view/MUensqlmzXM>



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41 Chemistry

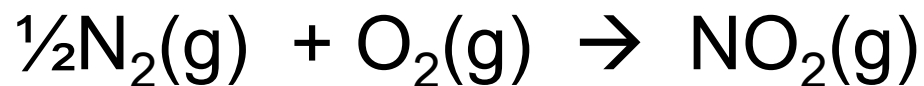


Hess's Law

- If a process occurs in stages or steps (even hypothetically), the enthalpy change for the overall process is the sum of the enthalpy changes for the individual steps.

- Recall:

- ΔH is an extensive property
- ΔH is a state function



$$\Delta H^\circ = +33.18 \text{ kJ}$$

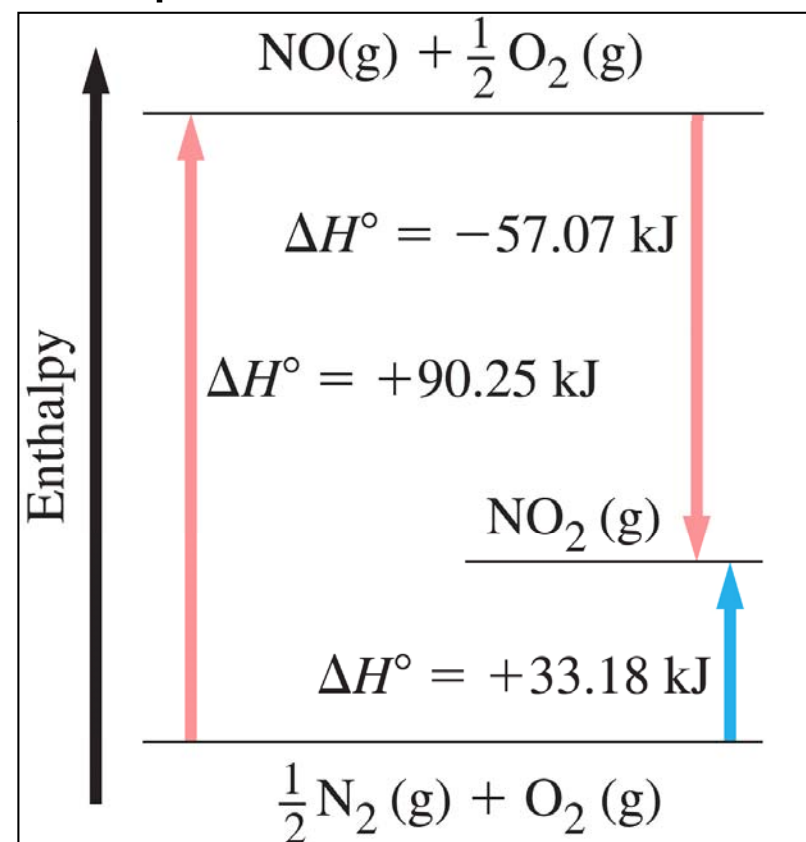


Figure 7-17



Manipulating Thermochemistry Equations

- Standard enthalpy of formation of a pure element in its reference form is zero.
- Reversing a reaction \rightarrow reverse sign of ΔH
- Summing reactions \rightarrow sum ΔH values
- Multiplying a reaction by a factor \rightarrow multiply ΔH by same factor.
- Include enthalpies of any phase changes.



Take-Home Example: Heat of Formation of Propane

From the data below, determine ΔH° for the reaction:



- A) $\text{C}_3\text{H}_8(\text{g}) + 5\text{O}_2(\text{g}) \rightarrow 3\text{CO}_2(\text{g}) + 4\text{H}_2\text{O}(\text{l})$ $\Delta H^\circ = -2219.9\text{kJ}$
B) $\text{C}(\text{graphite}) + \text{O}_2(\text{g}) \rightarrow \text{CO}_2(\text{g})$ $\Delta H^\circ = -393.5\text{kJ}$
C) $\text{H}_2(\text{g}) + \frac{1}{2}\text{O}_2(\text{g}) \rightarrow \text{H}_2\text{O}(\text{l})$ $\Delta H^\circ = -285.8\text{kJ}$

Steps: 1) Reverse Reaction A), and sign of its ΔH°

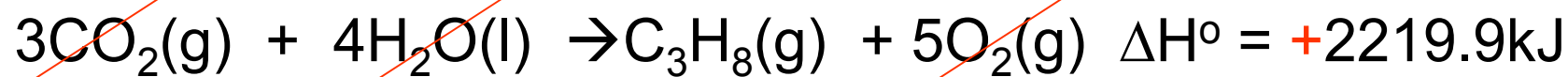
2) Multiply Reaction B) by 3, and its ΔH° by 3 as well

3) Multiply Reaction C) by 4, and its ΔH° by 4 as well



Take-Home Example: Heat of Formation of Propane

Reverse A)



3x B)



4x C)

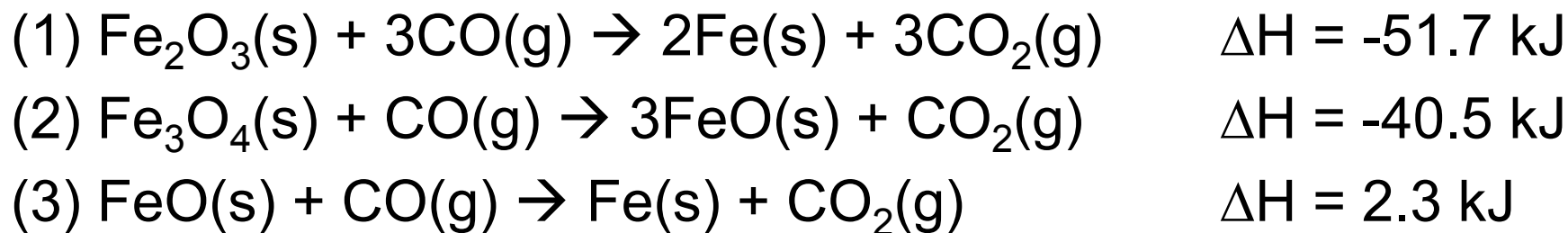


$$\begin{aligned}\Delta H &= [2219.9 + 3(-393.5) + 4(-285.8)]\text{kJ} \\ &= -104\text{kJ}\end{aligned}$$

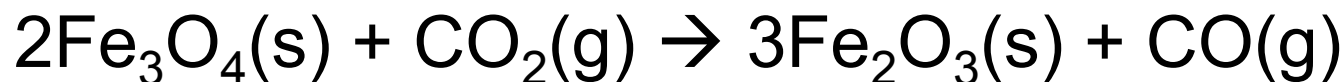


iClicker Question #5

How would the following be used:



to calculate the ΔH_{rxn} for:



- a. $(-3)(\text{Rxn 1}) + (2)(\text{Rxn 2}) + (6)(\text{Rxn 3})$
- b. $(-3)(\text{Rxn 1}) + (-2)(\text{Rxn 2}) + (3)(\text{Rxn 3})$
- c. $(3)(\text{Rxn 1}) + (-2)(\text{Rxn 2}) + (-6)(\text{Rxn 3})$



Standard Enthalpies of Formation ΔH_f°

ΔH_f° = enthalpy change that occurs in the formation of *one mole* of a substance in its standard state from the *reference* forms (most stable forms) of the elements

$\Delta H_{\text{rxn}}^\circ$ determined by combining Hess's Law & ΔH_f°

$$\Delta H_{\text{rxn}}^\circ = \sum v \Delta H_f^\circ (\text{products}) - \sum v \Delta H_f^\circ (\text{reactants})$$

Sum

Stoichiometric
Coefficients

Refer to Ch. 7-8, pg 251-257



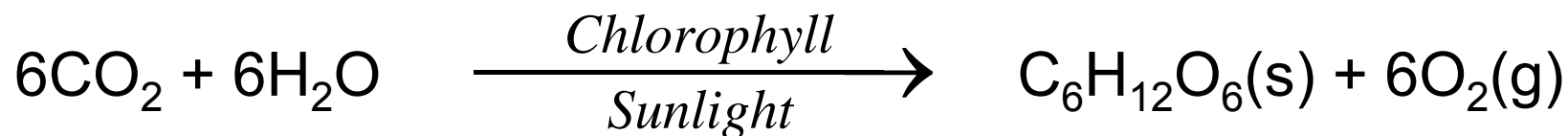
iClicker Question #6

- Which of the following is in its reference form?
 - (A) $\text{Br}_2(\text{g})$
 - (B) $\text{O}_3(\text{g})$
 - (C) $\text{Na}(\text{s})$
 - (D) $\text{C}(\text{diamond})$
 - (E) $\text{H}(\text{g})$



Practice Question: ΔH_f° Glucose

Given that $\Delta H_{\text{rxn}}^\circ = +2.8 \times 10^3 \text{ kJ/mol}$ for



calculate ΔH_f° for glucose, $\text{C}_6\text{H}_{12}\text{O}_6(\text{s})$ at 298 K.

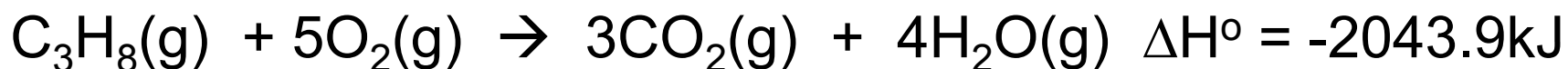
Data: $\Delta H_f^\circ (\text{CO}_2(\text{g})) = -393.5 \text{ kJ/mol}$

$\Delta H_f^\circ (\text{H}_2\text{O}(\text{l})) = -285.5 \text{ kJ/mol}$

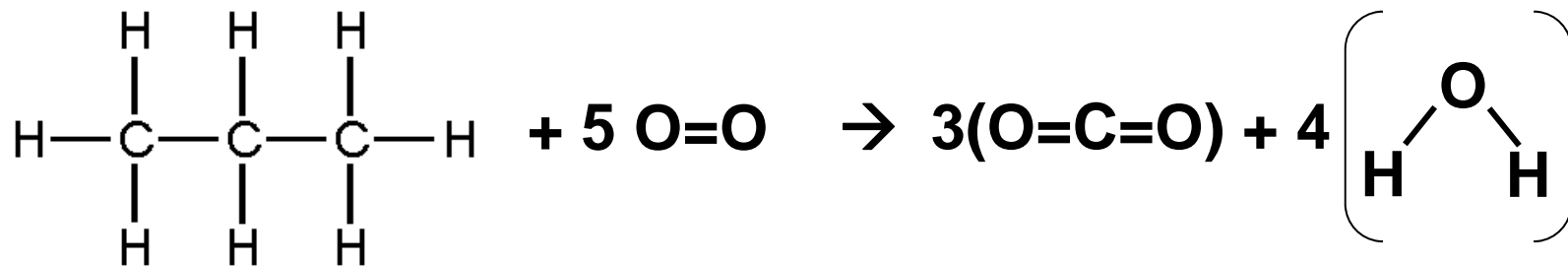


Bond Energy Calculations

Recall: Enthalpy of Combustion for Propane



Can we get a comparable value from the Bond Energies that are broken & formed?



$$\Delta H_{\text{rxn}} = \Delta H(\text{bonds} \cdot \text{broken}) + \Delta H(\text{bonds} \cdot \text{formed})$$

$$= \sum BE(\text{reactants}) - \sum BE(\text{products})$$

Refer to Ch. 10-9 pgs 408-412



Bond Energy Calculations

$$\begin{array}{lcl} \Delta H_{\text{Net}} & 8x (\text{C-H}) = 8x (414) & \\ \text{bonds broken:} & 2x (\text{C-C}) = 2x (347) & \\ & 5x (\text{O=O}) = 5x (498) & \left. \vphantom{\begin{array}{l} 8x (\text{C-H}) \\ 2x (\text{C-C}) \\ 5x (\text{O=O}) \end{array}} \right\} 6,496 \text{ kJ} \end{array}$$

$$\begin{array}{lcl} \Delta H_{\text{Net}} & 6x (\text{C=O})^* = - 6x (799) & \\ \text{bonds formed:} & 8x (\text{O-H}) = - 8x (464) & \left. \vphantom{\begin{array}{l} 6x (\text{C=O})^* \\ 8x (\text{O-H}) \end{array}} \right\} - 8506 \text{ kJ} \end{array}$$

$$\Delta H_{\text{rxn}} = (6,496 - 8,506) \text{ kJ} = -2010 \text{ kJ}$$

for combustion of propane

Compared to -2043.9 kJ, from enthalpy data.

Recall that most bond energies are an “average” value.

