Judicial behaviour, part 2

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6th May 2016



The key idea

- ▶ Before, we looked at variation across cases
- We needed random assignment to exclude differences in outcome resulting from differences in cases
- ▶ There is also variation within cases
- That is, judges can dissent, and this can permit inferences about their ideology

Not universally applicable

- ▶ Not every court allows (signed) dissenting opinions
- ▶ In such cases, these models can't apply
- ▶ But see Malecki, M. (2012). Do ECJ judges all speak with the same voice? Evidence of divergent preferences from the judgments of chambers. *Journal of European Public Policy*, 19(1), 59-75.

Start simple

- ▶ I'll be using the most common database of judicial behaviour,the Spaeth database
- ▶ You can find it at scdb.wustl.edu
- ► The database is in a long format (one row = one judge/case)
- ▶ You will need to convert it to a wide format

The first few lines of Spaeth

Table 1: Table continues below

	caseld	AMKennedy	AScalia	CThomas	EKagan	JGRoberts
7	2010-007	1	0	1	1	1
15	2010-015	1	1	1	1	1
16	2010-016	1	1	0	1	1
19	2010-019	1	0	1	1	1

	RBGinsburg	SAAlito	SGBreyer	SSotomayor
7	1	1	1	1
15	0	1	1	0
16	0	1	1	1
19	0	1	1	1

By convention, '1' = a vote with the majority.

Simple measures

- ▶ The average rate at which judges agree is 75 percent
- ► The lowest rate of agreement between two judges is 59 percent
- ▶ This is between RBGinsburg and CThomas.
- Is this rate significantly lower than average?

Simple tests for simple measures

```
times.judges.agreed <- 228
times.judges.sat.together <- 387
binom.test(times.judges.agreed,
           times.judges.sat.together,
           p = 0.75
##
##
    Exact binomial test
##
## data: times.judges.agreed and times.judges.sat.together
## number of successes = 228, number of trials = 387, p-value =
## 5.261e-12
## alternative hypothesis: true probability of success is not equal
## 95 percent confidence interval:
## 0.5383110 0.6386093
## sample estimates:
## probability of success
                0.5891473
##
```

A UK counterexample

- Dissent is less common on the UK Supreme Court...
- but judges are often seen as 'small-c conservative' or not
- one interesting judge pairing: Lady Hale and Lord Sumption
- Do they also agree at below average rates?

Hale/Sumption

##

```
times.judges.agreed <- 21
times.judges.sat.together <- 26
binom.test(times.judges.agreed,
           times.judges.sat.together,
           p = 0.84
##
##
    Exact binomial test
##
## data: times.judges.agreed and times.judges.sat.together
## number of successes = 21, number of trials = 26, p-value = 0
## alternative hypothesis: true probability of success is not
## 95 percent confidence interval:
## 0.6064945 0.9344519
## sample estimates:
## probability of success
                0.8076923
```

Lesson of the tale? Before you get advanced, get simple.

Why can't we proceed in this way?

- ▶ We could calculate pairwise rates of agreement
- We could arrange judges by similarity
- ▶ But the number of comparisons grows exponentially:
 - ► Three-judge court: 3 comparisons
 - ► Five-judge court: 10 comparisons
 - Nine-judge court: 36 comparisons
- We need something that makes differences between judges stand out

Notation

- ▶ I'll use *j* to refer to judges 1 through *J*
- ▶ I'll use i to refer to cases 1 through I
- ▶ Each judge is assumed to have an ideal point, θ_j (theta-j)
- ► That's a point in a (one-dimensional) space
- Often, smaller numbers = more left-wing

More notation

- Each case will have a location or a cutpoint
- ▶ I'll denote this using α_i
- This is defined relative to judges' votes
- The cutpoint is supposed to divide judges who vote one way from judges who vote another way

The outcome

- Here, we'll be trying to explain the judge's vote
- ▶ I'll use y_{ii} to refer to that
- ▶ By convention, $y_{ij} = 1$ when the judge votes with the majority
- For the moment, let's assume the majority is always conservative

The relationship, visually

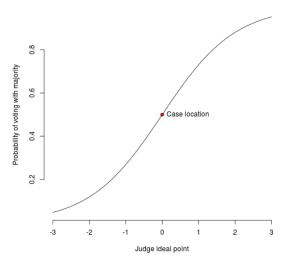


Figure 1: Probability of voting with majority

The relationship, in equations

$$p = \frac{1}{1 + e^{-a + bx}}$$

I'm going to replace two of the letters in that equation by the specialised terms we used before, and scrub out the b.

$$p = \frac{1}{1 + e^{-\alpha_i + \theta_j}}$$

Alternately,

$$p = \frac{1}{1 + e^{\theta_j - \alpha_i}}$$

The problem

- Not all cases can be guaranteed to be related to ideology in the same way
- ► The relationship might be weaker (the slope of the curve might be flatter)
- ▶ The relationship might go the other way
- ▶ To cope with this, we'll introduce a case discrimination parameter, β

Varying discrimination parameters

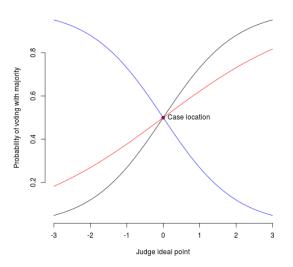


Figure 2: Varying discrimination parameters

The task

"Dear computer, Please find values of α , β , and θ that best make sense of the pattern of votes we see. Yours, Chris"

- Estimation is through Markov Chain Monte Carlo.
- ► Take some starting estimates ('guesses') of the values
- ▶ Jump around a bit, and if the fit got better, keep those values
- Repeat until you're fairly sure the values you have don't depend on your starting values

Making it easier

- ▶ We can get rid of all unanimous cases
- ► These cases contribute nothing to our knowledge of the parameters
- ► The case location parameter could be either far to the left, or far to the right
- It's impossible to tell

One problem

- As it stands, our model is not identified
- ► (That is, we cannot uniquely identify good values)
- ▶ Multiply everything by minus 1, flipping it around? No change
- Scale everything by dividing it by a constant? No change

Identification constraints

- Common to fix two judges as 'anchor' judges
- lacktriangle set, e.g., a left-wing judge to -1, a right-wing judge to +1
- Sets both scale and direction

Implementation

- Two common packages:
 - ▶ MCMCpack, and its function MCMCirt1d
 - pscl and its function ideal
- ▶ I would probably recommend pscl
- Both packages require data with judges down the rows

Prepping the data

```
### Get the third column to the last column
vote.mat <- scdb.c[,3:ncol(scdb.c)]</pre>
### Store the judge names
judge.names <- names(vote.mat)</pre>
### Convert the data to a matrix
vote.mat <- as.matrix(vote.mat)</pre>
### Transpose it
vote.mat <- t(vote.mat)</pre>
### Show the first three judges and
### the first ten cases
vote.mat[1:3,1:10]
```

In MCMCpack

In pscl

```
library(pscl)
my.rc <- rollcall(vote.mat,</pre>
                    legis.names = judge.names)
my.rc <- dropUnanimous(my.rc)</pre>
cl <- constrain.legis(my.rc,</pre>
                               x=list("AScalia"=1.
                                  "SSotomayor"=-1),
                               d=1)
model \leftarrow ideal(my.rc, d = 1,
                 maxiter = 100,
                 burnin = 50,
                 thin = 2,
                 priors = cl,
                 startvals = cl,
                 store.item = TRUE)
```

What do the results look like?

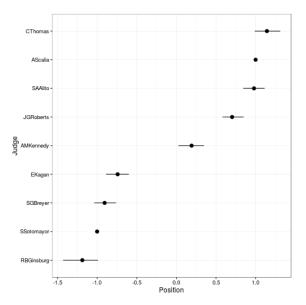


Figure 3: Ideal points

How good is the model?

- ► Has the model converged?
- Does it make sense?
 - Do the judges line up in accordance with your priors?
 - Is there a correlation between judge position and appointing party position?
 - Do cases with large positive b result in "conservative" outcomes?
- Does it fit the data well?
 - How many votes does it correctly predict?
 - ► How does this compare to the null model (everyone votes with the majority with probability *p*)

Extensions

- What if judges made decisions in two dimensions?
 - Possible, but tricky
 - Data often not informative enough
 - "Informative voting" (of the kind we see in legislatures) often one-dimensional
- What if we had extra information about judges (cases)?
 - Very possible: see MCMirtHier1d

Conclusions

- Ideal point analysis is a form of description or data summary
- It has a theory embedded within it
- There are extensions which look at the cost of dissenting, or legal dimensions
- ... but these are phenomenally complex:
 - laryczower, M., & Shum, M. (2012). The value of information in the court: Get it right, keep it tight. The American Economic Review, 102(1), 202-237.
 - ▶ Weinshall Margel, K., Sommer, U, and Ritov, Y., (2016) Decision Making in High Courts: The Dynamic Comparative Attitudinal Measure. *Working paper*.