

# Mathematics Class Slides

Bronx Early College Academy

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21-25 September 2020

1.1 1st day of Geometry, Segment addition, 21 Sept

1.2 Segment addition, midpoint, 23 Sept

1.3 Number line situations, 24 Sept

## GQ: How do we define the basic elements of geometry?

CCSS: HSG.CO.A.1 Know precise geometric definitions

1.1 Monday 21-22 Sept

Welcome back to school

### Do Now: Algebra skills check

1. Remote learning attendance
2. Take out notebooks (or blank paper)
3. Complete Do Now on Google Classroom

Supply list: Composition book, folder, looseleaf, pencils & pens, compass and ruler, calculator

Lesson: Points, line segments, length; Segment addition postulate

Homework: Begin Khan Academy unit (due Friday)

## Take class notes in a composition book

### Use this notebook format (required)

1. In the front, write your name, my contact info, your passwords
2. Each page in the top left corner:
  - First+Last Name
  - 21 September 2020
  - 1.1 Segment addition postulate
3. Copy definitions using your own words
4. Write down example diagrams and problems

Point: a location, a dot, has no size; label with capital letter,  $P$

Line segment: two points and all the points between them; label with *end points* and a bar,  $\overline{AB}$

## Example: Points and line segments

Shown points  $P$ ,  $A$ ,  $B$ ,  $C$ , line segments  $\overline{AB}$ ,  $\overline{BC}$



Given  $AB = 3$ ,  $BC = 4$ .

Notation: the length of a line segment is written as the two end points without a bar over them,  $AB$ .

## Example: Points and line segments

### Segment Addition Postulate

Shown *collinear* points  $A$ ,  $B$ ,  $C$ . Given  $AB = 3$ ,  $BC = 4$ .

Find  $AC$ .



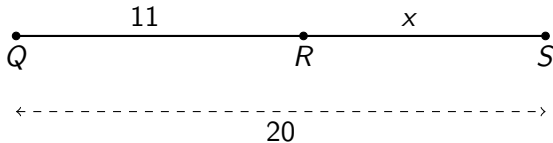
Definition: Points are *collinear* when they lie on a straight line.

## Example 2: Points and line segments

### Segment Addition Postulate

Given collinear points  $Q$ ,  $R$ ,  $S$ , with  $QR = 11$ ,  $QS = 20$ .

Find  $RS$ .



1. How would you check your answer?
2. Which equation represents the situation?

$$11 + x = 20$$

$$x = 20 - 11$$

### Example 3: Segment addition postulate

Given  $\overline{JKL}$ ,  $JK = 2x + 3$ ,  $KL = 5$ ,  $JL = 12$ . Find  $x$ .

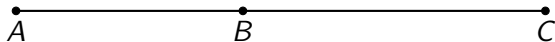


1. Write down an equation to represent the situation.
2. Solve for  $x$ .
3. Check your answer.



## Example 4 (challenge): Segment addition postulate

Given  $\overline{ABC}$ ,  $AB = 3x - 7$ ,  $BC = x + 5$ ,  $AC = 14$ . Find  $AB$ .



## GQ: How do we solve for segment lengths?

CCSS: HSG.CO.A.1 Know precise geometric definitions

1.2 Wedn 23-24 Sept

Do Now: Complete Google Form in G-Classroom

Lesson:

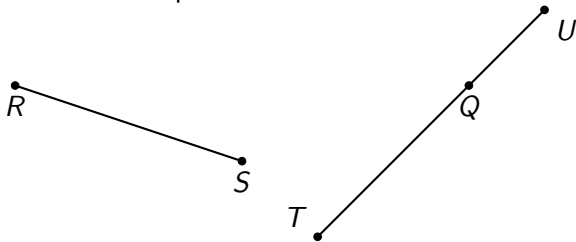
Point, line segment, end point, collinear, distance or length;  
line, ray, plane, coplanar, congruent, angle, vertex

Midpoints, bisectors, practice segment addition situations

## Review: points, segments, length

Give an example of each geometric object. Use proper notation.

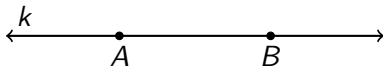
1. point
2. line segment
3. end point
4. three collinear points



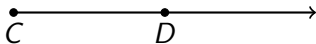
5. Given  $TQ = 1.4$ ,  $QU = 0.6$ . Find  $TU$ .

## More definitions: lines, rays, planes

A *line* extends infinitely in both directions,  $\overleftrightarrow{AB}$ .  
(sometimes labeled with a small letter, for example, line  $k$ )



A *ray* has one end point and extends infinitely in one direction,  $\overrightarrow{CD}$ .

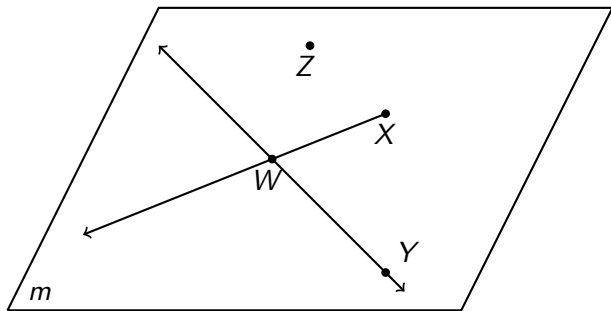


A *plane* is flat and extends infinitely in two directions,  $p$ .



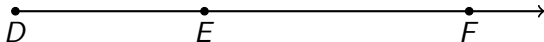
## Several objects are shown in a plane

1. T F The name of the plane is  $m$
2. T F The line  $\overleftrightarrow{WY}$  is in the plane
3. T F The ray  $\overrightarrow{WX}$  is shown in the plane
4. T F Points  $W$ ,  $X$ , and  $Z$  are collinear



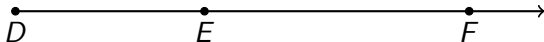
## Solve for length using the Segment Addition postulate

Given  $\overrightarrow{DEF}$ ,  $DE = x + 1$ ,  $EF = 9$ ,  $DF = 3x$ . Find  $DE$ .



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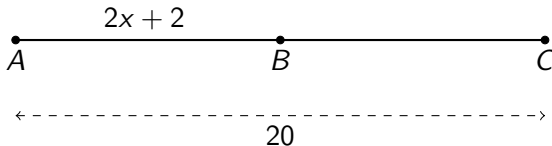
1. Sketch and label the situation
2. Write a geometric equation
3. Substitute algebraic values
4. Solve for  $x$
5. Answer the question
6. Check your answer

## The midpoint of a line segment

Also called the bisector

Given  $\overline{ABC}$ , with  $AB = 2x + 2$ ,  $AC = 20$ .  $AB = BC$

Find  $x$ .



Definition: the *midpoint* or *bisector* of a line segment divides it exactly in half.



## GQ: How do we work on a number line?

CCSS: HSG.CO.A.1 Know precise geometric definitions

1.3 Thurs 24-25 Sept

Do Now: Complete Google Form in G-Classroom

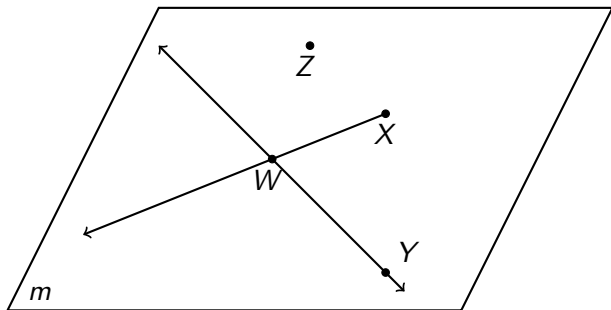
Lesson:

Congruent line segments;  
sketch, draw, construct

Practice midpoints and segment addition situations

## Several objects are shown in a plane

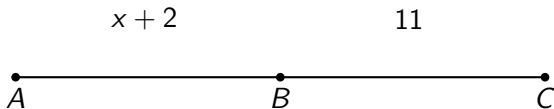
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## A bisector creates two line segments with the same length

Congruent line segments are the same length

Given point  $B$  is the midpoint of  $\overline{AC}$ , with  $AB = x + 2$ ,  $BC = 11$ .  
Find  $x$ .



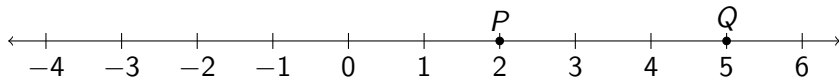
Definition: *Congruent* means equal in length.  $\overline{AB} \cong \overline{BC}$

We mark congruent segments in diagrams with cross hatch marks.

A number line is useful for calculating length or distance

Take the difference in the points' values

Given  $\overleftrightarrow{PQ}$  as shown on the number line.



What is the distance on the number line between the points  $P$  and  $Q$ ?