# Mathematics Class Slides Bronx Early College Academy

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## GQ: How does a function's graph relate to its derivatives?

CCSS: HSF.IF.B.4 Interpret key features of functions and their graphs 4.

Do Now: Differential calculus

- 1. Take the 1st & 2nd derivatives of  $f(x) = x^3 6x^2 + 6x$ .
- 2. Sketch the function.

Challenge: Identify key features, graphically & algebraically.

Lesson: Function graphs, extrema, the 1st & 2nd derivative tests p. 233, 240

Task: 7Q p. 232 #1-3; 7R p. 234 1, 2; 7S p. 236 1, 3

Assessment: Handout graphing problem #1 (#2 challenge)

Homework: IB function / graphing problem set

GQ: How does a function's graph relate to its derivatives?

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Do Now: Given  $f(x) = x \cos x$ ,  $0 \le x \le 2\pi$ .

- 1. Take the 1st & 2nd derivatives of f(x).
- 2. Sketch the function.
- 3. Over what intervals is the function increasing, decreasing?

Lesson: Function graphs, extrema, the 1st & 2nd derivative tests p. 233, 240  $\,$ 

Task: 7Q p. 232 #1-3; 7R p. 234 1, 2; 7S p. 236 1, 3

Assessment: Handout graphing problem #1 (#2 challenge)

Homework: Test corrections Paper 1

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Do Now: Given  $f(x) = -x^4 + 2x^2 + x$ . There are x-intercepts at x = 0 and x = p. There is a maximum at A where x = a, and a point of inflection at B where x = b.

- 1. Find the value of p.
- 2. Write down the coordinates of A.
- 3. Write down the rate of change of f at A.
- 4. Find the coordinates of B.
- 5. Write down the rate of change of f at B.

Lesson: The 1st & 2nd derivative tests p. 233, 240 Task: 7Q p. 232 #1-3; 7R p. 234 1, 2; 7S p. 236 1, 3 Assessment: Calculator calculus functions in Do Now. Homework: Handout IB function / graphing problem set

## GQ: How does a function's graph relate to its derivatives?

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Do Now: Find the 1st derivative of the function and solve for it's zeros as potential extrema (stationary points). Use the 1st derivative test to determine whether it is a max, min, or neither.

1. 
$$f(x) = x^3$$
.

2. 
$$f(x) = \frac{x^2 - 4}{x^2 - 1}$$

Lesson: The 1st & 2nd derivative tests p. 233, 240

Task: Homework review; 7Q p. 232 #1-3; 7R p. 234 1, 2; 7S p.

236 1, 3

Assessment: Use of the 1st & 2nd derivative tests

Homework: Study for test tomorrow

## GQ: How do we prepare for the IB final exams?

CCSS: HSF.IF.B.4 Interpret key features of functions and their graphs

4.5

#### Do Now: 1st & 2nd derivatives of a cubic function, sketch

- 1. Given the function  $f(x) = x^3 9x$
- 2. Find f'(x) and f''(x).
- 3. Sketch *f* and its two derivatives on the same set of axes. Label the intersections and extrema.

Lesson: Last minute study practices (reflection)

Task: Homework review: Work homework problems on board

Assessment: Problem set and exam mark scheme

Homework: Prepare for final exams

## Interpreting a displacement vs time graph

CCSS: F.IF.B.6 Calculate & interpret the rate of change of a function

### Consider the function $f(x) = -x^2 + 2x + 3$

- 1. Factor *f* and state its zeros.
- 2. Restate *f* in vertex form. Write down the vertex as an ordered pair.
- 3. Over what intervals is the function increasing, decreasing, and neither?
- 4. If f(x) represents the height of a diver over the domain  $0 \le x \le 3$ , interpret f(0), the vertex, and f(3)
- 5. What does the "slope" of the curve represent?

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