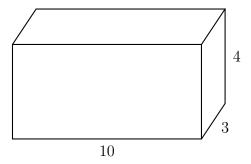
3.10 Solving for dimensions given a volume

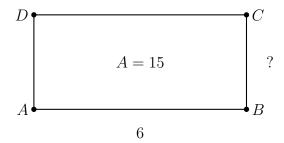
1. Do Now: Find the volume of a rectangular prism (box). Its length is l=10 feet, its height h=4, and depth is w=3 feet. Start with the equation

$$V = l \times w \times h$$



2. Rectangle ABCD has area A=15 and base b=6 but unknown height. Write an equation then solve. Start with this form (for the unknown, use h, x, or BC) and state your answer as a fraction:

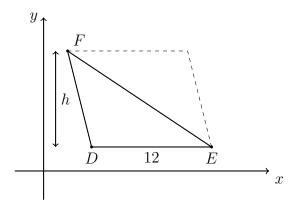
$$A = b \times h = 15$$



3. The $\triangle DEF$ has an area A=54 and base DE=12.

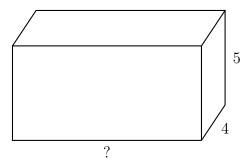
Find its height, starting with an equation.

$$A = \frac{1}{2}bh = 54$$



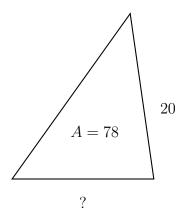
4. The volume of a rectangular prism (box) is V=110 cubic feet. Its height is h=5 feet and depth of w=4 feet. Find its length. Start with the equation

 $V=l\times w\times h=110$



5. Find the length of the base of a triangle with area A = 78 and height h = 20. Express your result as a decimal. Start with the form (use b or x):

$$A=\tfrac{1}{2}\times b\times h=78$$

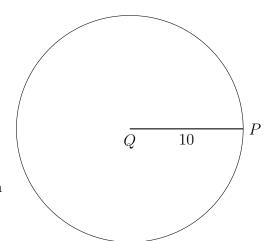


6. Find the area of the given circle Q with radius r=10 centimeters.

Start with the formula

$$A=\pi r^2$$

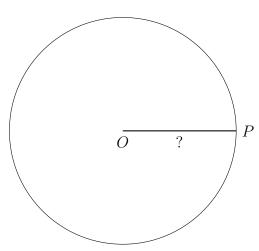
- (a) State the area in terms of π
- (b) Now round to the nearest hundredth



7. Given circle O with area $r=49\pi$ square centimeters.

Find the radius of circle, OP. Start with the formula

$$A=\pi r^2=49\pi$$

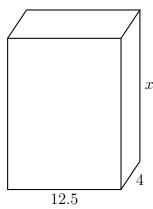


8. Find the base of a rectangle with area A=16.8 and height h=4.8, expressed as a decimal. First write an equation substituting the given values in the area formula.

$$A = 16.8$$
 4.8

 \boldsymbol{x}

- 9. A rectangular prism (shown below) has a volume V=925 cubic feet. Calculate the area of its base and then solve for its height.
 - (a) The base measures 12.5 by 4 in feet. Find its area.
 - (b) Find the prism's height, x.



- 10. Find the radius and circumference of circle O with diameter D=14 centimeters.
 - (a) Write down the radius.
 - (b) State the circumference in terms of π
 - (c) Express the circumference as a decimal, rounding to the nearest tenth.

