

Geometry Unit 3: Transversals

Bronx Early College Academy

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11 October - 21 October 2022

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Learning Target: I can name parallel lines transversal angles

HSG.CO.C.9 Prove theorems about lines and angles

3.1 Tuesday 11 October

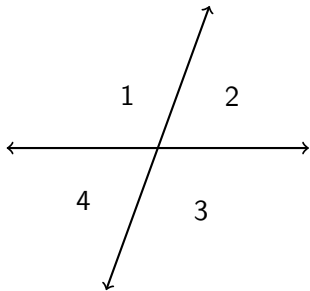
Do Now: Identify the true statements

1. $\angle 1 \cong \angle 2$

2. $\angle 2 \cong \angle 4$

3. $m\angle 1 + m\angle 4 = 180^\circ$

4. $m\angle 2 + m\angle 3 = 90^\circ$



Lesson: Parallel lines crossed by a transversal line, horizontal and vertical directions

New terminology for parallel lines

Parallel lines are in the same plane and never intersect

Parallel lines $j \parallel k$, mark with arrows

Transversal Line l , crosses parallel lines

Interior Inside (\angle s)

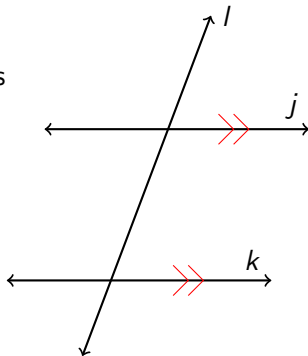
Exterior Outside (\angle s)

Same-side On the left or right of l

Alternate Across l from each other

Horizontal Sideways direction

Vertical Up and down direction



New terminology for parallel lines

Parallel lines are in the same plane and never intersect

Parallel lines $j \parallel k$, mark with arrows

Transversal Line l , crosses parallel lines

Interior Inside (\angle s)

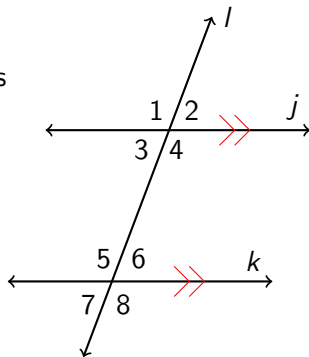
Exterior Outside (\angle s)

Same-side On the left or right of l

Alternate Across l from each other

Horizontal Sideways direction

Vertical Up and down direction



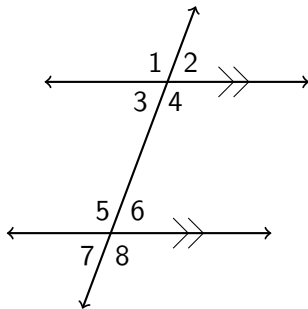
We often number the angles this way.

New theorems for parallel lines

Corresponding Having the same position. e.g. $\angle 2$ and $\angle 6$

Postulate Corresponding \angle s of \parallel lines are congruent, $\angle 2 \cong \angle 6$

1. Alternate interior \angle s are \cong
 $\angle 4 \cong \angle 5$
2. Same-side interior \angle s are supplementary
 $m\angle 3 + m\angle 5 = 180$
3. Alternate exterior \angle s are \cong
 $\angle 1 \cong \angle 8$



There are only two angle measures, the acute \angle s and the obtuse \angle s
And they add to 180° , i.e. supplementary

Apply the theorems of parallel lines with a transversal

Given two parallel lines and a transversal, with $m\angle 6 = 70^\circ$. Write down the value of each angle measure.

1. $m\angle 1 =$

2. $m\angle 2 =$

3. $m\angle 3 =$

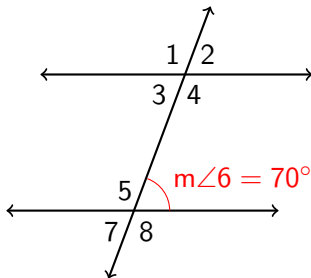
4. $m\angle 4 =$

5. $m\angle 5 =$

6. $m\angle 6 = 70^\circ$

7. $m\angle 7 =$

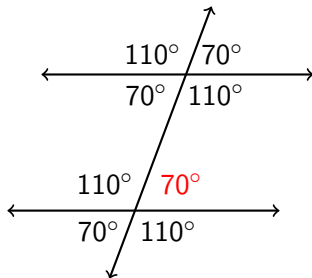
8. $m\angle 8 =$



Apply the theorems of parallel lines with a transversal

Given two parallel lines and a transversal, with $m\angle 6 = 70^\circ$. Write down the value of each angle measure.

1. $m\angle 1 =$
2. $m\angle 2 =$
3. $m\angle 3 =$
4. $m\angle 4 =$
5. $m\angle 5 =$
6. $m\angle 6 = 70^\circ$
7. $m\angle 7 =$
8. $m\angle 8 =$



Solution

Extension: Ratios are fractions

We often state proportions as ratios

Example: Divide a distance into equal parts, i.e.

$$1 : 1$$

We say “one to one”, or “in a one to one ratio.”

A rectangle's length to width ratio is two to one. $2 : 1$

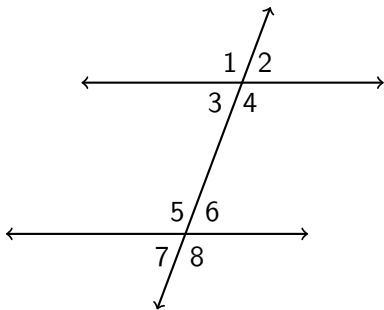
Learning Target: I can calculate transversal angles

HSG.CO.C.9 Prove theorems about lines and angles

3.2 Wednesday 12 October

Do Now: Identify each angle

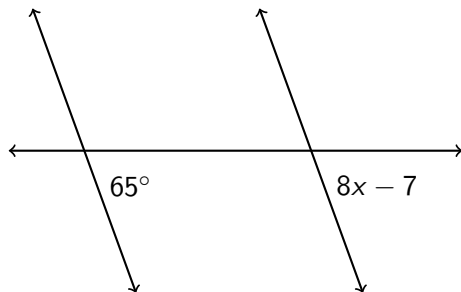
1. Opposite $\angle 4$
2. Corresponding to $\angle 3$
3. Alternate exterior to $\angle 8$
4. Same side interior to $\angle 5$
5. Alternate interior to $\angle 4$



Lesson: Triangle sum theorem

Parallel lines intersected by a transversal. Find x .

Parallel lines do not have to be horizontal.



State the postulate or theorem you are employing.

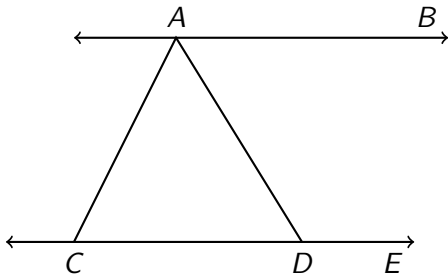
Learning Target: I can calculate triangle angles

HSG.CO.C.9 Prove theorems about lines and angles

3.3 Thursday 13 October

Lesson: Sum of a triangle's interior angles is 180°

Given parallel lines $\overleftrightarrow{AB} \parallel \overleftrightarrow{CDE}$ with $\overline{AC} \cong \overline{CD}$. If $m\angle BAD = 80$ find $m\angle ACD$.

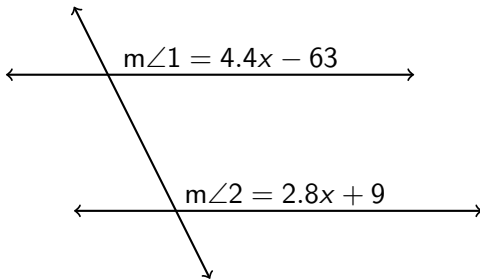


Learning Target: I can define a parallelogram

HSG.CO.C.9 Prove theorems about lines and angles

3.4 Friday 14 October

Two parallel lines intersect a transversal. Given corresponding angles $m\angle 1 = 4.4x - 63$ and $m\angle 2 = 2.8x + 9$, find the measure of $\angle 1$.



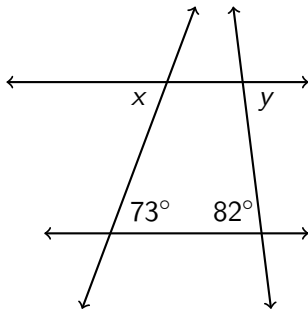
Learning Target: I can calculate external triangle angles

HSG.CO.C.9 Prove theorems about lines and angles

3.5 Monday 17 October

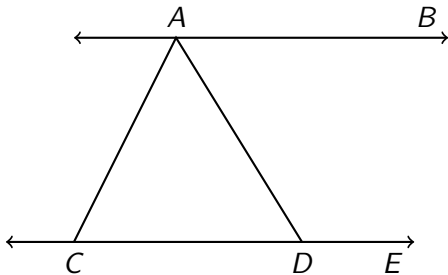
Do Now:

1. Given two parallel lines, two transversals
2. Find x , y
3. What relationship are you using? (e.g. vertical angles, same-side exterior angles, alternate interior angles, etc.)



Lesson: Triangle external angle theorem

Given parallel lines $\overleftrightarrow{AB} \parallel \overleftrightarrow{CDE}$ with $\overline{AC} \cong \overline{AD}$. If $m\angle BAD = 80$ find $m\angle ACD$.



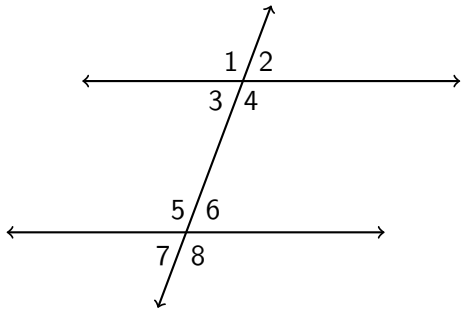
Learning Target: I can calculate transversal angles

HSG.CO.C.9 Prove theorems about lines and angles

3.6 Tuesday 18 October

Given two parallel lines and a transversal, with $m\angle 4 = 3x$ and $m\angle 5 = x + 70$.

Write an equation, then solve for x .



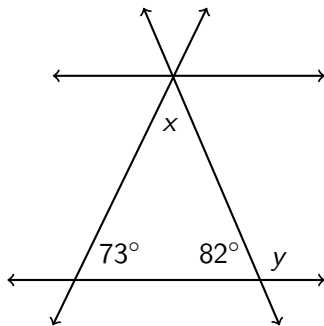
Learning Target: I can calculate angles in parallelograms

HSG.CO.C.9 Prove theorems about lines and angles

3.7 Wednesday 19 October

Do Now:

1. Given a triangle, shown
2. Find x , y
3. What relationships are you using? (e.g. vertical angles, same-side exterior angles, alternate interior angles, etc.)



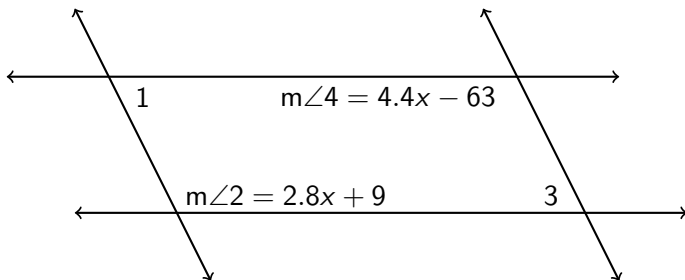
Lesson: Triangle's exterior angles

Learning Target: I can review with my classmates

HSG.CO.C.9 Prove theorems about lines and angles

3.8 Thursday 20 October

Two parallel lines intersect a second set of parallel lines. Given $m\angle 2 = 2.8x + 9$ and $m\angle 4 = 4.4x - 63$, find the measure of $\angle 1$.



Learning Target: I can review with my classmates

HSG.CO.C.9 Prove theorems about lines and angles

3.9 Friday 21 October