Name:

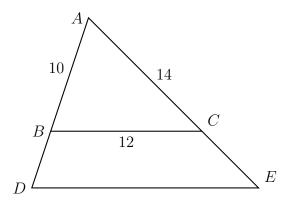
6 February 2023

10.1 Classwork: Triangle midline and median

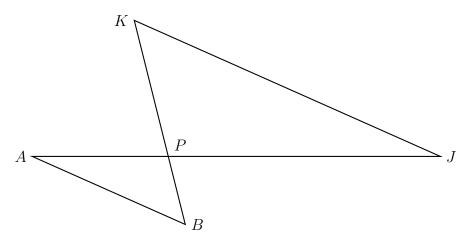
CCSS.HSG.SRT.B.5

1. Do Now: Triangle ABC is dilated with a factor of $\frac{3}{2}$ centered at A, yielding $\triangle ADE$, as shown. Given AB = 10, BC = 12, and AC = 14.

Find AD, AE, and DE.



2. Given $\triangle ABP \sim \triangle JKP$. AB=8, AP=7.0, KP=7.875, JK=14.0, $m\angle A=20^\circ$, $m\angle JPK=110^\circ$. Mark the given values on the diagram, find the scale factor, and solve the triangles (all angles and lengths).

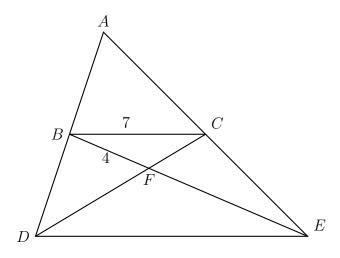


3. Triangle ADE and its midline \overline{BC} are drawn, with B the midpoint of \overline{AD} and C the midpoint of \overline{AE} . The two medians \overline{BE} and \overline{CD} are drawn, as shown, intersecting in point F, the centroid.

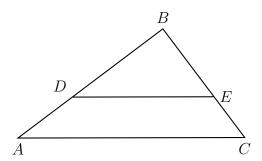
 $\triangle FCB \sim \triangle FDE$ with scale factor k=2.

Given BC = 7, find DE.

Given BF = 4, find FE.



4. Regents problem: In triangle ABC, points D and E are on sides of \overline{AB} and \overline{BC} , respectively, such that $\overline{DE} \parallel \overline{AC}$, and AD : DB = 3 : 5.



If DB = 6.3 and AC = 9.4, what is the length of \overline{DE} , to the nearest tenth?

5. A dilation maps $\triangle ABC \rightarrow \triangle ADE$. Given $AB=9,\ AC=11.1,\ BC=6,\ DE=14.$

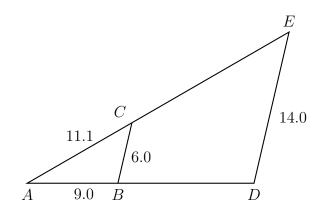
Find the scale factor and side lengths:

k =

AD =

AE =

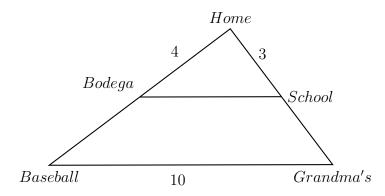
BD =



6. Steven and Marie live close to school and Tio's bodega, but also like to go to Grandma's house and the baseball field, which are further away. A sketch of the locations is shown below, essentially two triangles with a scale factor k=2 centered at home.

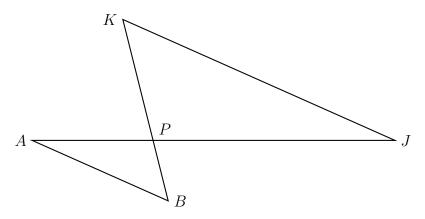
From home it's 4 blocks to school and 3 to the bodega. From Grandma's to the baseball field is 10 blocks. There are twenty blocks to a mile.

(a) Steven stops at the bodega on his way to school. How far does he walk, in terms of both blocks and miles?



(b) Marie goes to play baseball from school. Which way is shorter, passing by the bodega or the route by Grandma's? By how many blocks is it shorter? Justify your answer.

7. Given $\triangle ABP \sim \triangle JKP$. AB=7, AP=6.3, KP=8.8, JK=16.0, $m\angle A=25^\circ$, $m\angle JPK=105^\circ$. Solve the triangles (all angles and lengths).



8. Triangle ADE is drawn with $\overline{BC} \parallel \overline{DE}$, as shown. Given $AB=5,\ BC=8,\ AC=8,$ and $BD=5.\ m\angle A=72^{\circ}.$

Find CE, AE, and DE. Find and mark all of the angle measures of the triangle.

