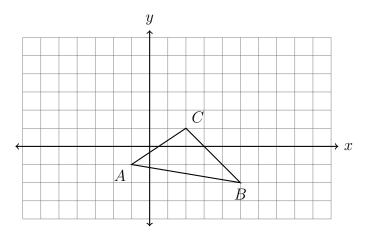
Name:

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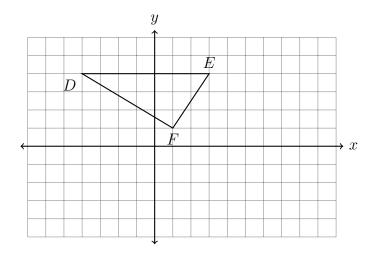
## 5.6 Classwork: Mixed congruence transformations

CCSS.HSN.RN.A.2

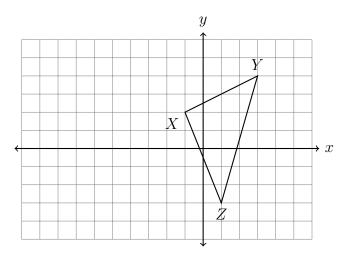
1. Slide  $\triangle ABC$  to the right three and up four. Label the image  $\triangle A'B'C'$ .



2. Translate  $\triangle DEF$  by  $(x,y) \rightarrow (x+3,y-5)$ . Label the image  $\triangle D'E'F'$ .



3. Plot and label  $\triangle XYZ$  with  $X(-1,2),\ Y(3,4),\$ and Z(1,-3). Then translate by  $(x,y) \to (x-6,y-1),$  labeling the image  $\triangle X'Y'Z'.$ 



4. What transformation maps  $\triangle ABC$  onto  $\triangle DEC$ , shown below? Fully specify the transformation. Complete the table of mappings to corresponding objects.

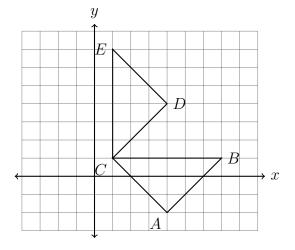






(d) 
$$\angle ACB \cong \underline{\hspace{1cm}}$$

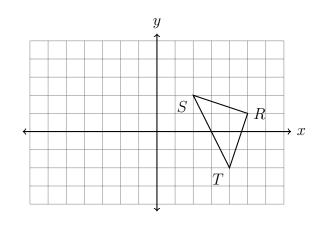




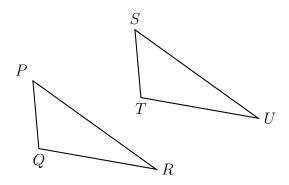
5. Reflect  $\triangle TRS$  across the y-axis, labeling the image  $\triangle T'R'S'$ . Check those properties that are maintained by reflection.



- ☐ Angle measures
- ☐ Orientation
- ☐ Parallel relationships
- □ Area



6. A translation maps triangle PQR onto triangle STU.



Write each corresponding object.

- (a)  $Q \rightarrow \underline{\hspace{1cm}}$
- (b)  $\angle QRP \cong \underline{\hspace{1cm}}$
- (c)  $\cong \overline{ST}$
- (d) Justify  $\triangle PQR \cong \triangle STU$ . Use the words "rigid motion".

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7.	7. Check those transformations that are rigid motions.	
	□ Dilation	
	☐ Translation	
	□ Reflection	
	□ Rotation	
	☐ An isometry	
	$\hfill\Box$ Horizontal stretch	
8.	. A rigid motion maps $\triangle DEF$ onto $\triangle LMN$ . Fill in the blanks.	
	The following is given:	(a) $D \rightarrow \underline{\hspace{1cm}}$
	$DE = 10$ $m \angle E = 40^{\circ}$	(b) $LM = $
	$m\angle F = 40^{\circ}$ $m\angle F = 110^{\circ}$	(c) $m \angle M = $
		(d) $\overline{LM}\cong$

9. Given  $\triangle JKL \sim \triangle MNO$ .  $m\angle K = 40^\circ$  and  $m\angle M = 100^\circ$ . Find the measure of  $\angle J$ .