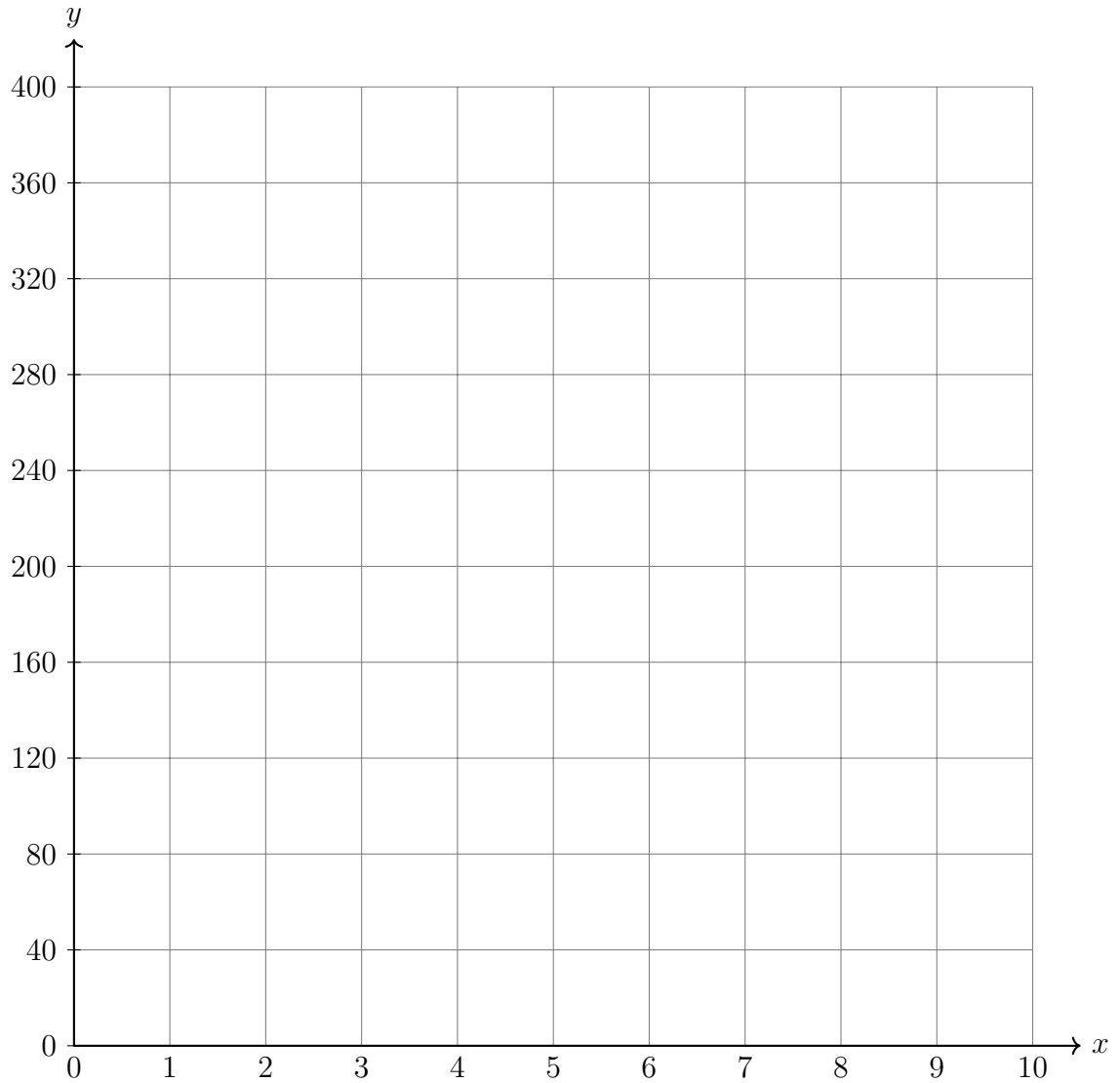


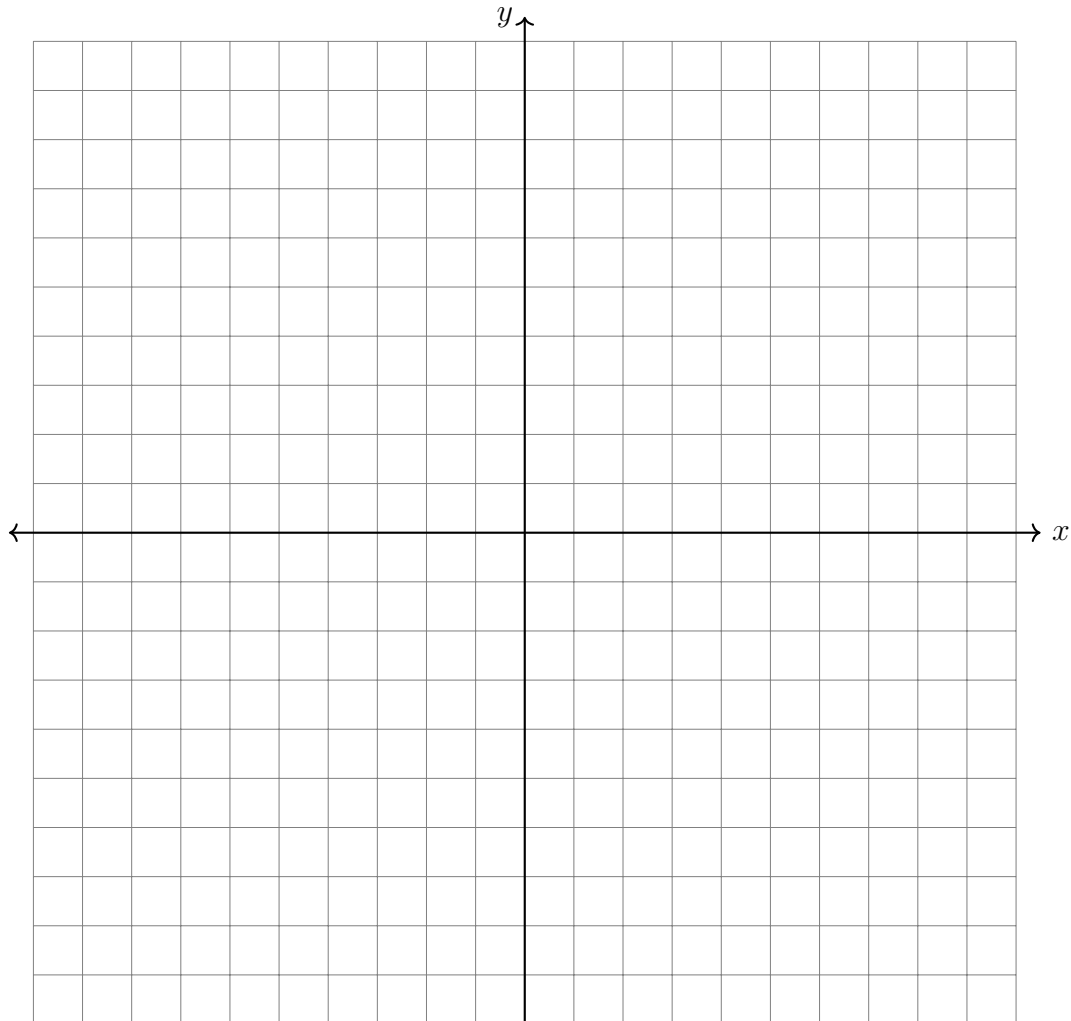
**Prep #22 Quiz: Graphing**

1. Graph  $f(x) = 80(1.2)^x$  on the set of axes below.



- (a) Draw a horizontal line at  $y = 240$  and approximate the  $x$ -value where it intersects the curve.
- (b) Using the calculator, find the  $x$ -value where  $f(x) = 240$  to the *nearest hundredth*.

2. Graph the functions  $f(x) = x^2 + x - 5$  and  $g(x) = -x + 3$  on the set of axes below. Mark their intersections and label the points as ordered pairs.



Check your work:

- ☐ The parabola is drawn precisely and is a smooth curve.
- ☐ The line is drawn with a ruler and has the correct  $y$ -intercept.
- ☐ There are arrows on the ends of the lines if appropriate.
- ☐ The intersections are marked with points and labeled with ordered pairs. (parentheses)

**Prep #22 Quiz: Graphing**

3. A study of black bears in the Adirondacks reveals that their population can be represented by the function  $P(t) = 3500(1.025)^t$ , where  $t$  is the number of years since the study began. Rewrite the function to reveal the monthly growth rate of the black bear population.
4. A student studying public policy created a model for the population of Detroit, where the population decreased 25% over a decade. He used the model  $P = 714(0.75)^d$ , where  $P$  is the population, in thousands,  $d$  decades after 2010. Another student, Suzanne, wants to use a model that would predict the population after  $y$  years.
- Suzanne's model is best represented by what equation?

5. Jasmine decides to put \$100 in a savings account. The account pays 3% annual interest, compounded monthly.
- (a) Write a function equation to represent how much money,  $S$ , will Jasmine have after  $t$  years.
- (b) Calculate the account balance after 1 year.
6. The function  $p(t) = 110e^{0.03922t}$  models the population of a city, in millions,  $t$  years after 2010. As of today, consider the following two statements. Identify them as either true or false.
- T   F   The current population is 110 million.

T F The population increases continuously by approximately 3.9% per year.

7. Convert between radical and rational exponent forms. (assume  $x > 0$ )

(a)  $\frac{(9x)^{\frac{1}{2}}y}{y^{\frac{1}{2}}} =$

(b)  $\frac{\sqrt[3]{8x^8}}{2\sqrt{x^4}} =$

8. Explain what a rational exponent, such as  $\frac{3}{2}$  means. Use this explanation to evaluate  $4^{\frac{3}{2}}$ .

9. Simplify each complex expression to the form  $a + bi$ .

(a)  $i^2 =$

(c)  $(8 + 7i) - (5 + 3i) =$

(b)  $(2 - 2i)(10 + i) =$

(d)  $\frac{1}{3}i(\sqrt{-81} + 6i) + 5i =$

10. Find the solution to the equation

$$4x^2 + 98 = 0$$

11. Solve algebraically for all values of  $x$ :

$$\sqrt{x - 4} + x = 6$$

12. The focal length,  $F$ , of a camera's lens is related to the distance of the object from the lens,  $J$ , and the distance to the image area in the camera,  $W$ , by the formula below.

$$\frac{1}{J} + \frac{1}{W} = \frac{1}{F}$$

Solve this equation for  $J$  in terms of  $F$  and  $W$ .

13. Write a recursive formula for the sequence  $18, 9, 4\frac{1}{2}, \dots$

14. A sequence is defined by the recursive formula

$$a_1 = 6$$

$$a_n = 3a_{n-1}$$

Write an explicit formula for the sequence.

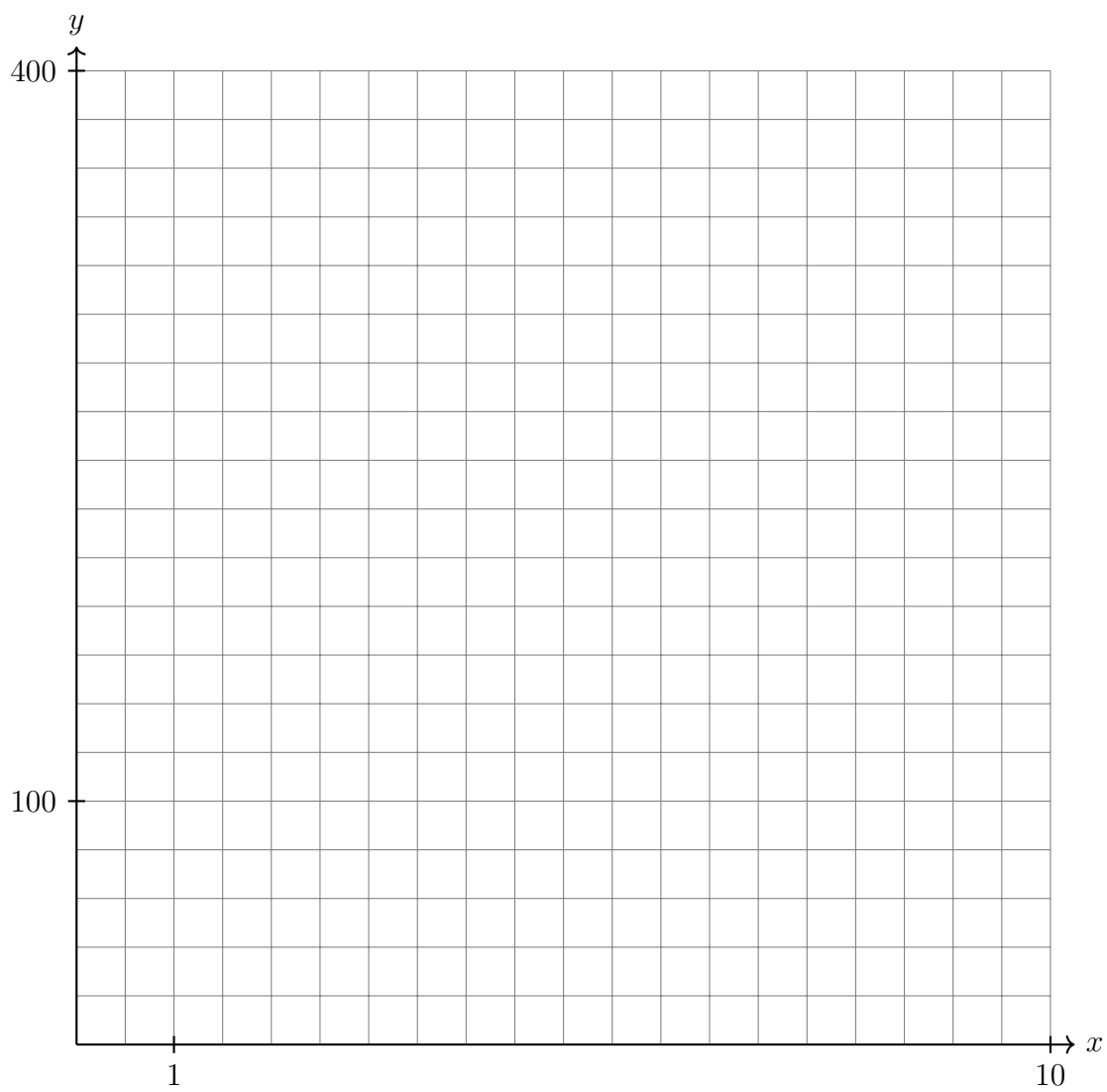
15. Kristin wants to increase her running endurance. According to computations. experts, a gradual mileage increase of 10% per week can reduce the risk of injury. If Kristin runs 8 miles in week one, write an expression can help her find the total number of miles she will have run over the course of her 6-week training program.

16. Complete the table for the geometric sequence  $a$ .

$n$	1	2	3	4	5
$a_n$	20	25			

Model the sequence with an exponential function.

17. Graph  $y = 400(0.85)^{2x} - 6$  on the set of axes below.





18. Determine for which polynomial(s)  $(x + 2)$  is a factor. Explain your answer.

$$P(x) = x^4 - 3x^3 - 16x - 12$$

$$Q(x) = x^3 - 3x^2 - 16x - 12$$

19. Over the set of integers, factor the expression  $4x^3 - x^2 + 16x - 4$  completely.