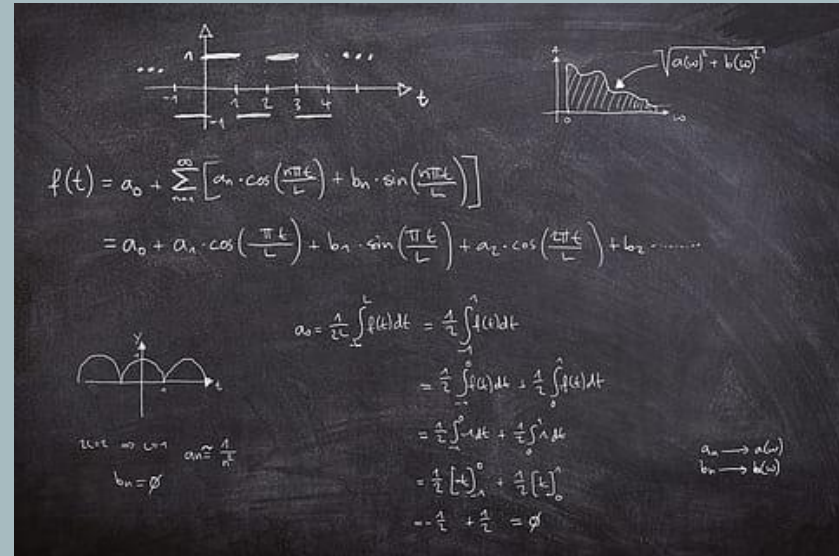


Python's Role in Actuarial Science

By Chris Ixtabalan



Python's Background



- Guido Van Rossum created Python in 1991.
- Many languages at the time were complicated which meant they were less flexible and harder to read.
- Python was designed to be easy to read and write.

Why I picked Python

- Relevant to my actuarial career
- What actuaries do:
 - Analyze complex data sets
 - Build predictive models
 - Perform quantitative risk assessments
 - Usually by hand
- What Python offers:
 - Data analysis for mortality rates, insurance claims, financial projections
 - Many libraries for statistical modeling
 - Produce accurate data and avoid human error
 - Automate repetitive tasks



Python's Features

- Simplicity and readability:
 - Indentions used as code blocks
 - Prevents errors and data leaks
 - Variables type doesn't need to be declared
 - Interpreted
 - Debugging is made easier
 - "Batteries included"
 - Already comes with libraries which have modules and functions
 - Error handling
- Supports many ways of programming
 - Procedural programming
 - Object-oriented programming
 - Polymorphism
 - Functional Programming

```
print("Hello, world!")
```

```
#include <iostream>

using namespace std;

int main()
{
    cout << "Hello world!" << endl;
    return 0;
}
```

```
; Example of 64-bit PE program
format PE64 GUI
entry start

section '.text' code readable executable

start:
    sub     esp,8*5           / reserve stack for API use and make stack dword aligned
    mov     rcx,0
    lea     rcx,[_caption]
    mov     rcx,0
    call    [MessageBoxA]

    mov     rcx,exit
    call    [ExitProcess]

section '.data' data readable writable
    _caption db "Win64 assembly program",0
    _message db "Hello World!",0

section '.idata' import data readable writable
    dd 0,0,0,RVA kernel_name,RVA kernel_table
    dd 0,0,0,RVA user_name,RVA user_table
    dd 0,0,0,0

    kernel_table:
        ExitProcess dq RVA _ExitProcess
        dq 0
    user_table:
        MessageBoxA dq RVA _MessageBoxA
        dq 0

    kernel_name db "USER32.dll",0
    user_name db "USER32.dll",0

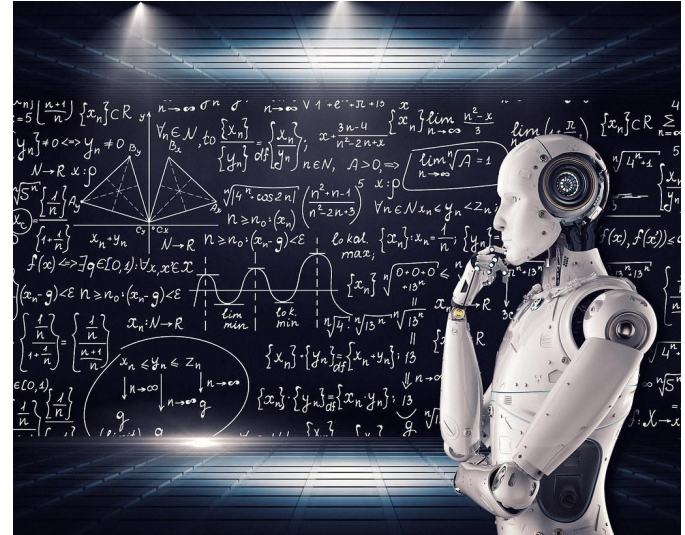
    _ExitProcess dw 0
    db "ExitProcess",0
    _MessageBoxA dw 0
    db "MessageBox",0,
```

Python's Scorecard

Characteristic	Readability	Writability	Reliability
<u>Simplicity</u>	High	High	Moderate
<u>Orthogonality</u>	Moderate	Moderate	Moderate
<u>Data Types</u>	High	High	High
<u>Syntax Design</u>	High	High	High
<u>Support for Abstraction</u>	High	High	High
<u>Expressivity</u>	High	High	Moderate
<u>Type Checking</u>	Dynamic	Dynamic	Moderate
<u>Exception Handling</u>	Robust	Robust	High

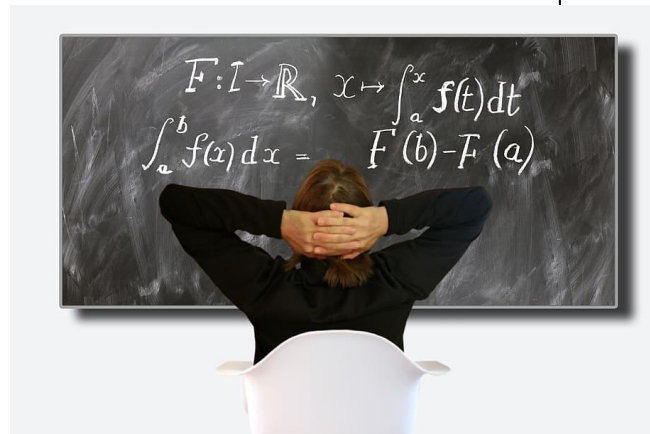
What Python is Typically Used For

- Data analysis
 - Gives efficient tools for data mining and numerical calculations
- Data visualization
 - Libraries can help with data cleaning for large datasets which prepares data visualization
- Machine learning and Artificial Intelligence
 - Help complex neural networking for deep learning



Why I Love Python

- How Python could apply to actuarial science:
 - OOP Could help with modeling insurance policies, financial instruments, and customer
 - Used to predict probabilities, customer behavior, and market trends
 - Functional programming simplifies data by processing collective data, so formulas could easily be applied
 - Complex mathematical calculations are made simple to solve
- Why other actuaries should adapt to the technology
 - Computational calculation is becoming trending
 - Easy to learn
 - They can work as teams
 - Actuarial models can be reused



How I Think it Should be Applied

Insurance Scenario:

An insurance company offers a special 5-year term life insurance policy. The policy pays a benefit based on the year of death within the term:

- **Year 1:** Pays **\$1,000**
- **Year 2:** Pays **\$2,000**
- **Year 3:** Pays **\$3,000**
- **Year 4:** Pays **\$4,000**
- **Year 5:** Pays **\$5,000**

The probability that the insured dies in any given year is **5%** (0.05), independent of other years.

Question: What is the **expected benefit** paid under this policy?

Coding Plan

- Make a Geometric Formula models for mathematical calculation
- Make a simulation of 1000 policyholders using threading, conditional statements, and classes
- Create exception handling in case of errors
- Use the “random” and “threading” libraries

Geometric Probability Distribution

$$P(X = n) = p(1 - p)^{n-1}$$

$$P(X > n) = (1 - p)^n$$

$$\text{Mean } \mu = \frac{1}{p}$$

$$\text{Variance } \sigma^2 = \frac{1-p}{p^2}$$

p – probability of success

n - number of first successful trial

Demonstration

Importing Python Libraries

```
import random
#Imported to enable
import threading
```

Using Classes to represent a policyholder

```
class PolicyHolder:
    #Used to represent a policyholder
    def __init__(self, policy_id):
        self.policy_id = policy_id #Their ID
        self.benefit = 0 #Their starting benefit

    #Simulates life of policyholder
    def simulate_life(self):
        probability_of_death = 0.05 # 5% chance of death
        for year in range(1, 6): # Years 1 to 5
            #Generates random number 0-1, if number is
            if random.random() < probability_of_death:
                self.benefit = 1000 * year # Benefit in
                break # Policyholder dies; exit the loop
```

Simulation Function

```
def simulate_policies_threaded(num_simulations, num_threads=4):
    total_benefit = 0 #Total sum of all benefits for all policyholders
    benefits = [] #List to store individual benefits of each policyholder
    lock = threading.Lock() # Lock: To make sure threads don't interfere with each other

    #Worker function that will be run in each thread
    def worker(simulations_per_thread, thread_id):
        nonlocal total_benefit, benefits #Allows variable modification from outer function
        thread_benefit = 0 #Total benefit for each specific thread
        thread_benefits = [] #Lists of each benefit

        #Run for each simulation
        for i in range(simulations_per_thread):
            policyholder = PolicyHolder(f"Policy_{thread_id}_{i}") #Creates ID
            policyholder.simulate_life() #Simulate life of policyholder
            thread_benefit += policyholder.benefit #Add policyholder's benefit to thread benefit
            thread_benefits.append(policyholder.benefit) #Then stores it into the thread benefits list

        with lock:
            total_benefit += thread_benefit #Adds a thread's benefit to overall total benefit
            benefits.extend(thread_benefits) #Same thing but to overall list

    simulations_per_thread = num_simulations // num_threads #Divides total simulation into threads
    threads = [] #List to store all threads

    #Creates and start threads
    for thread_id in range(num_threads):
        t = threading.Thread(target=worker, args=(simulations_per_thread, thread_id))
        threads.append(t) #Add thread to list of threads
        t.start() #Starts thread

    # Wait for all threads to complete
    for t in threads:
        t.join() #Waits until thread "t" finishes

    #Calculates average benefit
    expected_benefit = total_benefit / num_simulations
    #Returns all individuals outputs
    return expected_benefit, benefits
```

Demonstration

Geometric Probability Function

```
def calculate_analytical_expected_benefit():
    probability_of_death = 0.05
    expected_benefit = 0
    for year in range(1, 6): # Years 1 to 5
        benefit = 1000 * year
        # Calculate the probability of dying in a specific year
        prob = (1 - probability_of_death) ** (year - 1) * probability_of_death
        expected_benefit += benefit * prob # Sum up the expected benefits
    return expected_benefit
```

Geometric Probability Distribution

$$P(X = n) = p(1 - p)^{n-1}$$

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$$\text{Mean } \mu = \frac{1}{p}$$

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Main Function w/ other formulas

```
def main():
    try:
        num_simulations = 100000 # Number of simulations
        #Calculate using simulation with threads
        expected_benefit_simulation, benefits = simulate_policies_threaded(num_simulations)
        #Calculate using Geometric Distribution
        expected_benefit_analytical = calculate_analytical_expected_benefit()

        #####Results#####
        print(f"Expected Benefit Using Math Concepts: ${expected_benefit_analytical:.2f}")
        print(f"Expected Benefit Using Simulations: ${expected_benefit_simulation:.2f}")

        # Additional analysis using the benefits list
        # Calculate variance and standard deviation
        mean = expected_benefit_simulation
        variance = sum((x - mean) ** 2 for x in benefits) / num_simulations
        std_dev = variance ** 0.5
        print(f"Simulated Variance: ${variance:.2f}")
        print(f"Simulated Standard Deviation: ${std_dev:.2f}")
        #####

    #Exception Handling
    except Exception as e:
        print("An error occurred during the simulation.")
        print("Error message:", str(e))
```

Conclusion

Final Outcome

```
Expected Benefit Using Math Concepts: $655.48  
Expected Benefit Using Simulations: $650.35  
Simulated Variance: $1906334.88  
Simulated Standard Deviation: $1380.70  
christopherixtabalan@Chris-0Is-Mac Codes %
```

- Python is a versatile and flexible programming language for professionals
- It has changed the way people do problem solving
- Making actuarial models can help create accurate data and find probabilities
- Great for mathematical computations and data analysis