Model Evaluation & Hyperparameter Tunning

In this exercie, we will take a look at the implementation of multiple model evaluation methods we've mentioned in class and answer some questions related to the plot and the learning curve.

Pipeline Implementation VS Non-Pipeline Implementation

In this section we provide you the code to do classification on "breast cancer" dataset without using Pipeline. You will need to follow the code snippet covered in lecture and finish the code to do the classification with Pipeline.

```
In [ ]: import pandas as pd
        import ssl; ssl._create_default_https_context = ssl._create_stdlib_context
        df= pd.read_csv('https://archive.ics.uci.edu/ml/''machine-learning-databases''/breast-cancer-wisconsin/wdbc.data',header=None)
        df.head()
Out[]:
                   0
                                                                                                                25
                                                                                                                               27
                                                                                                                                      28
                                                                                                                                              29
                                                                                                 23
                                                                                                        24
                                                                                                                       26
        0
              842302 M 17.99
                              10.38 122.80 1001.0 0.11840 0.27760
                                                                    0.3001 0.14710 ... 25.38
                                                                                               17.33 184.60
                                                                                                            2019.0
                                                                                                                   0.1622 0.6656
                                                                                                                                   0.7119 0.2654
                                     132.90
                                                                             0.07017 ...
                                                                                                            1956.0
              842517 M 20.57
                                17.77
                                             1326.0 0.08474
                                                            0.07864
                                                                     0.0869
                                                                                        24.99
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                                                                                                                           0.1866
                                                                                                                                   0.2416
                                                                                                                                          0.1860
         2 84300903 M 19.69
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                                                                                                                                  0.4504
                                                                                                                                         0.2430
           84348301 M 11.42 20.38
                                       77.58
                                              386.1
                                                    0.14250
                                                            0.28390
                                                                     0.2414
                                                                            0.10520
                                                                                        14.91 26.50
                                                                                                      98.87
                                                                                                             567.7
                                                                                                                   0.2098 0.8663
                                                                                                                                  0.6869
                                                                                                                                          0.257
         4 84358402 M 20.29 14.34 135.10 1297.0 0.10030 0.13280
                                                                    0.1980 0.10430 ... 22.54 16.67 152.20
                                                                                                            1575.0
                                                                                                                    0.1374 0.2050 0.4000 0.162!
```

5 rows × 32 columns

Label Encode the Target

```
In []: from sklearn.preprocessing import LabelEncoder
    X = df.loc[:, 2:].values
    y = df.loc[:, 1].values
    le = LabelEncoder()
    y = le.fit_transform(y)
    le.classes_
Out[]: array(['B', 'M'], dtype=object)
```

Split the Data

```
In [ ]: from sklearn.model_selection import train_test_split

X_train, X_test, y_train, y_test = \
    train_test_split(X, y, test_size = 0.2, stratify = y, random_state = 1)
```

Implementation without Pipeline

```
In []: from sklearn.preprocessing import StandardScaler
    from sklearn.linear_model import PCA
    from sklearn.linear_model import LogisticRegression

stder = StandardScaler()
    pca = PCA(n_components=2)

X_train_std = stder.fit_transform(X_train)
    X_test_std = stder.transform(X_test)

X_train_pca = pca.fit_transform(X_train_std)
    X_test_pca = pca.transform(X_test_std)

lr = LogisticRegression()
    lr.fit(X_train_pca, y_train)
    y_pred = lr.predict(X_test_pca)

print('Test Accuracy: %.3f' % lr.score(X_test_pca, y_test))
```

Test Accuracy: 0.956

Implementation with Pipeline

```
In []: # TODO :: Implement the above task by using Pipeline. Your implementation should have the same test accuracy as the
    # implementation without Pipeline. 9 lines of code expected.
    from sklearn.pipeline import make_pipeline

pipe_lr = make_pipeline(
    StandardScaler(),
    PCA(n_components=2),
    LogisticRegression()
)

pipe_lr.fit(X_train, y_train)
y_pred_pl = pipe_lr.predict(X_test)
print('Test Accuracy: %.3f' % pipe_lr.score(X_test, y_test))
```

Test Accuracy: 0.956

Cross Validation without Pipeline

```
In [ ]: import numpy as np
        from sklearn.model selection import StratifiedKFold
        X train std = stder.fit transform(X train)
        X train pca = pca.fit transform(X train std)
        kfold= StratifiedKFold(n splits=10).split(X train std, y train)
        scores = []
        for k, (train, test) in enumerate(kfold):
            lr = LogisticRegression()
            lr.fit(X_train_pca[train], y_train[train])
            score = lr.score(X train pca[test], y train[test])
            scores.append(score)
            print('Fold: %2d, Class dist.: %s, Acc: %.3f' % (k+1,np.bincount(y train[train]), score))
            print('CVaccuracy: %.3f' +/-%.3f' % (np.mean(scores), np.std(scores)))
       Fold: 1, Class dist.: [256 153], Acc: 0.935
       CVaccuracy: 0.935 + -0.000
       Fold: 2, Class dist.: [256 153], Acc: 0.935
       CVaccuracy: 0.935 +/-0.000
       Fold: 3, Class dist.: [256 153], Acc: 0.957
       CVaccuracy: 0.942 + -0.010
       Fold: 4, Class dist.: [256 153], Acc: 0.957
       CVaccuracy: 0.946 + -0.011
       Fold: 5, Class dist.: [256 153], Acc: 0.935
       CVaccuracy: 0.943 + -0.011
       Fold: 6, Class dist.: [257 153], Acc: 0.956
       CVaccuracy: 0.945 + -0.011
       Fold: 7, Class dist.: [257 153], Acc: 0.978
       CVaccuracy: 0.950 + -0.015
       Fold: 8, Class dist.: [257 153], Acc: 0.911
       CVaccuracy: 0.945 + -0.019
       Fold: 9, Class dist.: [257 153], Acc: 0.956
       CVaccuracy: 0.946 + -0.018
       Fold: 10, Class dist.: [257 153], Acc: 0.956
       CVaccuracy: 0.947 + -0.018
```

Cross Validation with Pipeline

```
In []:
    import numpy as np
    from sklearn.model_selection import StratifiedKFold
    kfold= StratifiedKFold(n_splits=10).split(X_train, y_train)
    scores = []
    for k, (train, test) in enumerate(kfold):
```

Fold: 10, Class dist.: [257 153], Acc: 0.956

```
pipe lr.fit(X train[train], y train[train])
     score = pipe lr.score(X train[test], y train[test])
     scores.append(score)
     print('Fold: %2d, Class dist.: %s, Acc: %.3f' % (k+1,np.bincount(y_train[train]), score))
     print('CVaccuracy: %.3f +/-%.3f' % (np.mean(scores), np.std(scores)))
Fold: 1, Class dist.: [256 153], Acc: 0.935
CVaccuracy: 0.935 + -0.000
Fold: 2, Class dist.: [256 153], Acc: 0.935
CVaccuracy: 0.935 + -0.000
Fold: 3, Class dist.: [256 153], Acc: 0.957
CVaccuracy: 0.942 + /-0.010
Fold: 4, Class dist.: [256 153], Acc: 0.957
CVaccuracy: 0.946 + -0.011
Fold: 5, Class dist.: [256 153], Acc: 0.935
CVaccuracy: 0.943 + -0.011
Fold: 6, Class dist.: [257 153], Acc: 0.956
CVaccuracy: 0.945 + -0.011
Fold: 7, Class dist.: [257 153], Acc: 0.978
CVaccuracy: 0.950 + -0.015
Fold: 8, Class dist.: [257 153], Acc: 0.933
CVaccuracy: 0.948 + -0.015
Fold: 9, Class dist.: [257 153], Acc: 0.956
CVaccuracy: 0.949 + -0.014
```

hw_6

Question 1

CVaccuracy: 0.950 + /-0.014

Did you notice that the final CVaccuracy of implementation with Pipeline and without Pipeline is different? I made a common mistake in cross validation without Pipeline code. Can you help me to fix this bug and explain why it is a problem?

```
In []: # TODO :: Correct the implementation without pipeline, 13-20 lines of code expected.
import numpy as np
from sklearn.model_selection import StratifiedKFold

kfold= StratifiedKFold(n_splits=10)
scores = []
for k, (train, test) in enumerate(kfold.split(X_train, y_train)):

# apply sclaing and pca within the loop
    X_train_std = stder.fit_transform(X_train[train])
    X_train_pca = pca.fit_transform(X_train_std)

lr = LogisticRegression()
lr.fit(X_train_pca, y_train[train])

# apply sclaing and pca within the loop
```

```
X test std = stder.transform(X train[test])
     X test pca = pca.transform(X test std)
     score = lr.score(X_test_pca, y_train[test])
     scores.append(score)
     print('Fold: %2d, Class dist.: %s, Acc: %.3f' % (k+1,np.bincount(y_train[train]), score))
     print('CVaccuracy: %.3f +/-%.3f' % (np.mean(scores), np.std(scores)))
 # Calculate and print the overall accuracy
 print('CV accuracy: %.3f +/- %.3f' % (np.mean(scores), np.std(scores)))
Fold: 1, Class dist.: [256 153], Acc: 0.935
CVaccuracy: 0.935 + -0.000
Fold: 2, Class dist.: [256 153], Acc: 0.935
CVaccuracy: 0.935 + -0.000
Fold: 3, Class dist.: [256 153], Acc: 0.957
CVaccuracy: 0.942 + /-0.010
Fold: 4, Class dist.: [256 153], Acc: 0.957
CVaccuracy: 0.946 + /-0.011
Fold: 5, Class dist.: [256 153], Acc: 0.935
CVaccuracy: 0.943 + -0.011
Fold: 6, Class dist.: [257 153], Acc: 0.956
CVaccuracy: 0.945 + -0.011
Fold: 7, Class dist.: [257 153], Acc: 0.978
CVaccuracy: 0.950 + /-0.015
Fold: 8, Class dist.: [257 153], Acc: 0.933
CVaccuracy: 0.948 + -0.015
Fold: 9, Class dist.: [257 153], Acc: 0.956
CVaccuracy: 0.949 + -0.014
Fold: 10, Class dist.: [257 153], Acc: 0.956
CVaccuracy: 0.950 + -0.014
```

hw_6

Cross Validation VS Nested Cross Validation

The following code uses SVM model with rbf kernel to classify the iris dataset. It evaluates the model by using both cross validation and nested cross validation. It also plots the evaluation score. Read and execute the following code section and answer the question below. (hint: the sklearn document can help you to understand the code better)

```
In []: from sklearn.datasets import load_iris
    from matplotlib import pyplot as plt
    from sklearn.svm import SVC
    from sklearn.model_selection import GridSearchCV, cross_val_score, KFold
    import numpy as np
    print(__doc__)
```

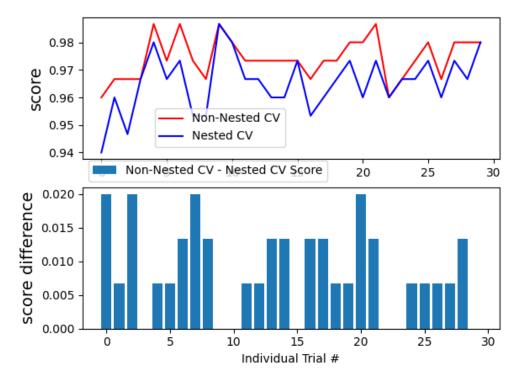
CV accuracy: 0.950 + - 0.014

```
# Number of random trials
NUM TRIALS = 30
# Load the dataset
iris = load iris()
X iris = iris.data
y_iris = iris.target
# Set up possible values of parameters to optimize over
p_grid = {"C": [1, 10, 100],
          "gamma": [.01, .1]}
# We will use a Support Vector Classifier with "rbf" kernel
svm = SVC(kernel="rbf")
# Arrays to store scores
non_nested_scores = np.zeros(NUM_TRIALS)
nested_scores = np.zeros(NUM_TRIALS)
# Loop for each trial
for i in range(NUM_TRIALS):
    # Choose cross-validation techniques for the inner and outer loops,
    # independently of the dataset.
   # E.g "GroupKFold", "LeaveOneOut", "LeaveOneGroupOut", etc.
   inner cv = KFold(n splits=5, shuffle=True, random state=i)
    outer cv = KFold(n splits=5, shuffle=True, random state=i)
   # Non_nested parameter search and scoring
    clf = GridSearchCV(estimator=svm, param grid=p grid, cv=outer cv)
    clf.fit(X iris, y iris)
   non_nested_scores[i] = clf.best_score_
   # Nested CV with parameter optimization
    clf = GridSearchCV(estimator=svm, param_grid=p_grid, cv=inner_cv)
    nested_score = cross_val_score(clf, X=X_iris, y=y_iris, cv=outer_cv)
    nested scores[i] = nested score.mean()
score_difference = non_nested_scores - nested_scores
print("Average difference of {:6f} with std. dev. of {:6f}."
      .format(score_difference.mean(), score_difference.std()))
# Plot scores on each trial for nested and non-nested CV
plt.figure()
plt.subplot(211)
non_nested_scores_line, = plt.plot(non_nested_scores, color='r')
nested line, = plt.plot(nested scores, color='b')
plt.ylabel("score", fontsize="14")
plt.legend([non_nested_scores_line, nested_line],
```

hw 6

Automatically created module for IPython interactive environment Average difference of 0.008667 with std. dev. of 0.006475.

Non-Nested and Nested Cross Validation on Iris Dataset



Question 2

3/1/24, 6:55 PM

The above plots show the score and score difference of cross validation versus nested cross validation. What obervation can be made in terms of the score of the two methods. Why does that happen? Which one do you think is a better way to evaluate the performance of the model? Why do you think so?

It seems nested cross validation will decrease the accuracy while non-nested actually increases accuracy scores. Nested cross validation decreases data leakage and increases variation in hyperparameter tuning which accounts for variation in unseen data. Using nested cross validation is the best way to evaluate the performance of the data. Nested cross validation is a more conservative approach to assess the performance of our model. It seperates the data for hyperparameter tuning and final evaluation. Non-nested cross validation will indirectly see the testing data during tuning.

Question 3

Read the code above especially in the loop for each trial. Explain what does this line: nested_score = cross_val_score(clf, X=X_iris, y=y_iris, cv=outer_cv) do?

This line of code initiates a function that evaluates the accuracy score using cross validation. The inputs are a model, X and y features, and a cross validation strategy. This is used to tune hyperparameters and find a more realistic representation of the models performance on unseen data.