

# EEE102

## Seatwork 02

**Instructions:** Attached in this document is a screenshot of a working python implementation of the bisection method. Given this, do the following:

1. Copy this exact code and save it as *bisection.py*.
2. Modify the function  $f(x)$  to solve for  $f(x) = 5x^3 - 5x^2 + 6x - 2$ .
3. Add a code that checks if the root is within the guess interval. If the root is present, **proceed** with the bisection method, if not, **terminate** the program.
4. Stopping error should be **0.01%**.
5. The number of iterations should also be counted. Print this number after the root is determined.
6. Implement all instructions above using **false-position** method. Save it as *fp.py*.

**Deliverables:** 2 files (*bisection.py* and *fp.py*)

```
1  import math
2
3  def f(x):
4      # x^2 cosx
5      return x**2*math.cos(x)
6
7
8  # Bisection Method
9  xu = -4
10 xl = 1
11 es = 0.01
12 xr_old = None
13 root_found = False
14 error = 100
15
16 while root_found is not True:
17     xr = (xu + xl)/2
18     if xr_old is not None:
19         error = abs((xr - xr_old)/xr)
20
21     if f(xl)*f(xr) == 0 or error < es:
22         root_found = True
23     elif f(xl)*f(xr) < 0:
24         xu = xr
25     elif f(xl)*f(xr) > 0:
26         xl = xr
27
28     xr_old = xr
29
30 print('Root: {}'.format(xr_old))
31
```