Case Study: Hacker Statistics

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Hacker Statistics

Simulating Using Rand()

You can simulate a situation to answer complex hypothetical situations (many probabilities) using numpy's pseudo randomization tool, rand()

```
import numpy as n
np.random.seed(123)
coin = np.random.randint(0,2) # Randomly generate 0 or 1
print(coin)
if coin == 0
   print("heads")
else:
   print("tails")
```

- random.seed() is useful to reproduce the data given by a pseudo-random number generator. By re-using a seed
- value, we can regenerate the same data multiple times as multiple threads are not running.

 When we supply a specific seed to the random generator, every time you execute a program, you will get the
- same numbers. That is useful when you need a predictable source of random numbers

Random Walk

You can produce a list of the random results, but that's not a random walk. A random walk accumulates the steps for

```
tails = [0]
     coin = np.random.randint(θ, 2)
tails.append(tails[x] + coin)
```

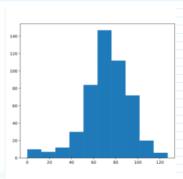
[0, 8, 1, 1, 1, 1, 1, 1, 2, 3, 3]

Notice how there's 11 items on the list since you initialized the list already with a 0

Distribution of Final Point in a random walk

- To answer the question, what is the chance of being past the 60th floor given a set of movement dictated by a dice roll
 - 1 or 2: go down a floor (-1)
 - 3 or 4 or 5: go up a floor (+1)
 - 6: roll the dice and go up that dice roll (+1, +2, +3, +4, +5, +6)
 - . And a .1% chance of falling all the way back down to the 0th floor





- This makes a 2D array of all the 500 simulated random step lists (i.e. step) of 100 steps!
- You can store a final 1D array of the final value of each of the 500 walks and plot them on a histogram to help you answer the question: what are the odds of finishing at or above 60!

Ends represents the total list of final steps. To find the probability of winning (final value > 60):

Np.means(ends >= 60)

= 78.2% which is a pretty high chance of winning!

Jupyter Notebook

```
Generating a random value bw 0-1
 # Import numpy as np
 import numpy as np
 # Set the seed
 np.random.seed(123)
 # Generate and print random float
 print(np.random.rand())
```

Random Walk Algorithm

```
1 # Numpy is imported, seed is set
 3 # Initialize random_walk
 4 random_walk = [0]
 6 for x in range(100)
       step = random_walk[-1]
        dice = np.random.randint(1,7)
10-
        if dice <= 2:
11
            \mbox{\#} Replace below: use max to make sure step can't go below 0
12
           step = max(0, step - 1)
        elif dice <= 5:
13 -
           step = step + 1
14
        else:
15-
16
           step = step + np.random.randint(1,7)
 17
 18
       random_walk.append(step)
20 print(random_walk)
```

- On line 7, you set step to be the most recent value, which is to say you index into the last item
 On line 12, use max function to make sure the random walk doesn't go below 0.

Displaying your random walk:

```
19 # Import matplotlib.pyplot as plt
20 import matplotlib.pyplot as plt
21
22 # Plot random_walk
23 plt.plot(random_walk)
24
25 # Show the plot
26 plt.show()
```

