GAMS Cheat Sheet

Declarations

GAMS objects have to be declared before their first use. Main objects are

`Set`	Collection of elements used for indexing. $S = \{a, b, c\}$ is written in GAMS as `Set S / a, b, c /;`. A sequence of elements, such as t=1990:2010, can be entered as `Set t "Year" / 1900*2010 /;`, where `"Year"` is an optional explanatory text.
`Parameter`, `Scalar`, `Table`	Exogenous data (given input) to be entered or calculated by the modeler. `Scalar` is 0-dimenional, `Parameter` is n-dimensional and `Table` is a n-dimensional parameter that expects the input in table format.
`Variable`	Endogenous variables to be determined by GAMS. It is possible to enter the following prefixes before `Variable` to specify the variable type: `Positive`, `Negative`, `Binary` (variable is 0 or 1), `Integer`.
`Equation`	Keyword to define an algebraic relationship between variables.
`Model`	Collection of equations. To declare a model that includes all the equations: `Model model_name / all /;`. To include a list of equations: `Model model_name / eq_name1, eq_name2 /;`

Data entry

The general expression to declare and define data is
data_type symbol_name [*symbol_description*] [/ *symbol_value* /];
Examples:
```
Scalar rho "discount rate" / .15 /;
Parameters b(i) / seattle 20, san-diego 45 /
           salaries(employee,manager,department)
              / anderson .murphy  .toy       = 6000
                   hendry .smith   .toy       = 9000
                 hoffman .morgan .cosmetics = 8000 /;
```

Variable attributes

To each variable is associated a series of attributes:

`.l`	Level of the variable. Receives new values when a model is solved.
`.lo`	Lower bound (default to `-inf`).
`.up`	Upper bound (default to `inf`).
`.fx`	To fix a variable (sets the value for the attributes .l, .lo and .up): `x.fx(i) = 1;`
`.m`	Marginal (or dual) value. Receives new values when a model is solved.

Arithmetic and functions

Arithmetic operations:
`+`, `-`, `*`, `/`, `**` (exponentiation, `x**y` is defined only for x≥0, if x can be negative, use `power(x, y)` instead).
Most common functions (see the documentation for the list of intrinsic functions):
`abs()`, `cos()`, `exp()`, `log()`, `log10()`, `max(,...,)`, `min(,...,)`, `power(,)`, `round()`, `sin()`.
Relationship operators:
`lt`, `<`, `le`, `<=`, `eq`, `=`, `ne`, `<>`, `ge`, `>=`, `gt`, `>`.
Logical operators:
`not`, `and`, `or`, `xor`.
Special symbols:

`inf`	Plus infinity.
`-inf`	Minus infinity.
`na`	Not available, used for missing data.
`undf`	Undefined, result of an undefined operation such as `3 / 0`.
`eps`	Numerically equal to zero, but considered as existing. For example, `sum(i $ z(i), 1)` equals 0 if `z(i) = 0` and `sum(i $ z(i), 1)` equals `card(i)` if `z(i) = eps`.

Conditional expressions with dollar condition

Logical expression can be expressed with a dollar condition. For example:
`a $ (b > 1.5) = 2;` means if `b` is greater than `1.5` then `a` equals `2`. If `b` is less than-or-equal to `1.5` then the value of `a` remains unchanged.

It can also be used on the right hand side. For example:
`a = 2 $ (b > 1.5);` means that `a` equals `2` if `b` is greater than `1.5`, else `a` equals `0`.

Indexing

Basic indexing

`x(i) = 12;`	Assign all elements of `x` to 12.
`b("seattle") = 20;`	Assign the element `seattle` of `b` to 20.
`sum(i, x(i))`	Sum `x` over the set `i`: $\sum_i x_i$.
`sum((i,j), x(i,j))`	Sum `x` over the sets `i` and `j`: $\sum_{i,j} x_{i,j}$.
`prod(j, y(i,j))`	Multiply `y` over the set `j`: $\prod_j y_{i,j}$.
`Alias (i,j)`	Declare that the set `j` can be used instead of `i`.
`y = smax(i, x(i));` or `y = smin(i, x(i));`	Find the largest or smallest value of a symbol indexed over a set.

Advanced indexing

On ordered sets (for example one defined by `Set t "Year" / 1900*2010 /;`):

`ord(t)`	Returns the position of a member in a set: `Parameter val(t);` `val(t) = ord(t);` Here `val("1900")` will be 1, `val("1909")` 10, and `val("2010")` 111.
`card(t)`	Returns the number of elements in a set: `card(t)` will return 111.
lags and leads	It is possible to use lag or lead operators on ordered sets. For example an equation defining the evolution of capital stock would be: `eq_k(t+1) ..  k(t+1) =e= (1 - delta) * k(t) + i(t);`

`sameAs(r,s)` can be used to test if the active elements of `r` and `s` are the same. For example: `a(r,s) $ (not sameAs(r,s)) = 10;` would assign 10 to all non-diagonal elements of `a`.

It is possible to define subsets: sets whose members must all be members of some larger sets. For example:
```
Sets
  i "all sectors" / light-ind, food+agr, heavy-ind, services /
  t(i) "traded sectors" / light-ind, food+agr, heavy-ind /;
```
Note that a subset is ordered when the indices are entered in the same order as the ordered parent set.

The assignment can also be made dynamically (the set is then called a dynamic set):

`Set j(i);`	Declare `j` as a subset of `i`.
`j(i) = yes;`	Assign all elements of `i` to `j`.
`j("light-ind") = no;`	Remove the element `"light-ind"` from `j`.

Or alternatively: `j(i) $ (not sameAs(i,"light-ind")) = yes;`.

Dynamic subsets present the following restrictions: it is not possible to declare variables defined on dynamic subsets; and they are not ordered, even if their parent sets are.

Equation definition

An equation named *eqname* is defined by
eqname(*index*) .. expression *eq_type* expression ;
Example: `cost .. z =e= sum((i,j), c(i,j) * x(i,j));`

Main equation types (*eq_type*):

`=e=`	Equality: rhs must equal lhs.
`=g=`	Greater than: lhs must be greater than or equal to rhs.
`=l=`	Less than: lhs must be less than or equal to rhs.

Solve statement

`solve` *model_name* `using` *model_type* (`maximizing`|`minimizing` *objective_name*);
Example: `solve transport using lp minimizing z;`
Main model types [*model_type*] ((see the documentation for the complete list):

`cns`	Constrained Nonlinear System: square system of nonlinear equations, $f(x) = 0$.
`lp`	Linear programming: optimization problem with linear objective and constraints.
`mcp`	Mixed complementarity problem.
`mip`	Mixed integer programming: linear opt. pb. with a mix of continuous and integer variables.
`nlp`	Nonlinear programming: optimization problem with nonlinear objective and constraints.
`qcp`	Quadratic constraint programming: optimization problem with quadratic objective and constraints.

Display

`display x, y.l;` to ask GAMS to write in the listing file (file with the `.lst` extension) the value of `x` and `y`. For variables, one has to precise the attribute (`.l` here).
`option decimals = N` to restrict the display to the first `N` decimals.

Flow control

GAMS contains 4 types of loops (use `break` and `continue` to break out of a loop and to jump to the next iteration):

`for` to loop over a parameter:

```
Scalar i;
for (i = 1 to 1000 by 10,
  display i;
);
```
```
for (i = 1000 downto 1 by 10,
  display i;
);
```

`loop` to loop over a set:

```
loop (t, pop(t+1) = pop(t) + growth(t));
```

`while` to loop over a logical condition:

```
Scalar x / 0 /;
while (x <= 10, x = x + 1;);
```

`repeat` to loop over a logical condition with at least one execution

```
repeat (x = x + 1; until x <= 10);
```

Use of the `if-else` statement:

```
if (x <= 0,            y = 1;
elseif (x > 0 and x < 1), y = 2;
else                   y = 3;
);
```

To stop GAMS if a condition is met use `abort`:
`abort $ (abs(residuals) > 1E-6) "Residual not null", residuals;`

Dollar control

Dollar control options can alter GAMS behavior in several ways. The `$` symbol can be placed in the first column or elsewhere on a line if using `$$` as first two characters. They are executed at compile time, so before any calculation takes place. Most important dollar control options (see the documentation for the complete list):

`$exit`	GAMS stop reading the file after `$exit`.
`$include`	Use `$include filename` to insert the contents of the file.
`$onText`/`$offText`	Use to enclose severals lines of comments.
`$set`	Use `$set varname varvalue` to define an environmental variable (also called control variable), which value can be accessed later by using `%varname%`. Additionally, you can set a control variable via a user defined command line parameter option, e.g., `gams trnsport.gms --varname=varvalue`.

Options

Some options can be set using the following syntax:
`option` *option_name* = *option_value*;
Main options (see the documentation for the complete list):

option_name	Default	Interpretation
`decimals`	3	Number of decimals printed.
`iterLim`	2e9	Limit on the number of iterations used to solve a model.
`limCol`	3	Control the number of columns (variables) listed at each solve.
`limRow`	3	Control the number of rows (equations) listed at each solve.
`resLim`	1000	Limit on the units of processor time used to solve a model.
solver (`cns`, `nlp`, `lp`, . . .)	Installation default	Control the solver used to solve a particular model type.

Example: `option limCol = 0;`

Comments

A line starting with an asterisk '`*`' is commented:
`* This line is a comment`
To comment several lines, it is possible to place them between a pair of `$onText`/`$offText`:
```
$onText
Any lines between $onText and $offText are commented
$offText
```
End-of-line comments can be enabled using `$eolCom` followed by the chosen special character:
```
$eolCom #
x = 1; # This is an end-of-line comment
```
In-line comments can be enabled using `$inlineCom` followed by a pair of one or two character sequence (default to `/* */`):
```
$inlineCom { }
x { This is an in-line comment } = 1;
```

GDX files

A GDX file is a binary file that can contains information on sets, parameters, variables, and equations. GDX files are very useful to enter data, to explore results, and to import/export data from various file formats (e.g., csv, Excel, . . .).

Compile phase (before any calculation)

`$gdxIn` *file_name.gdx*	Open the GDX file for reading.
`$load` *id1 id2=gdxid2*	Read symbols *id1* and *gdxid2* from the GDX file and assign them to *id1* and *id2* that have been previously declared.
`$gdxIn`	Close the GDX file currently open.

Same thing with `$gdxOut` and `$unLoad` to write data to a GDX file during the compile phase.

Execution phase (after calculations)

`execute_load` "*file_name.gdx*" *id1, id2=gdxid2*	Read symbols *id1* and *gdxid2* from the GDX file and assign them to *id1* and *id2* that have been previously declared.
`execute_unload` "*file_name.gdx*" *id1, id2=gdxid2*	Write to the GDX file the symbols *id1* and *id2* and assign *id2* to the symbol *gdxid2*.