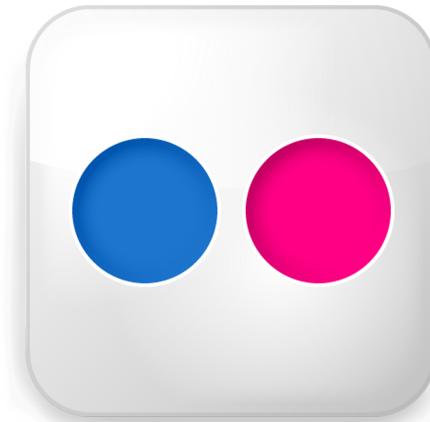


# Privacy Preservation in Shared Images

Christopher Tran

# Introduction

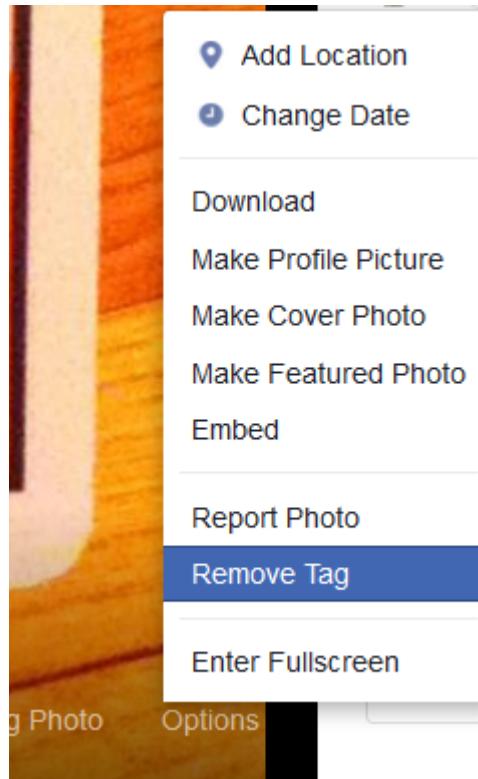
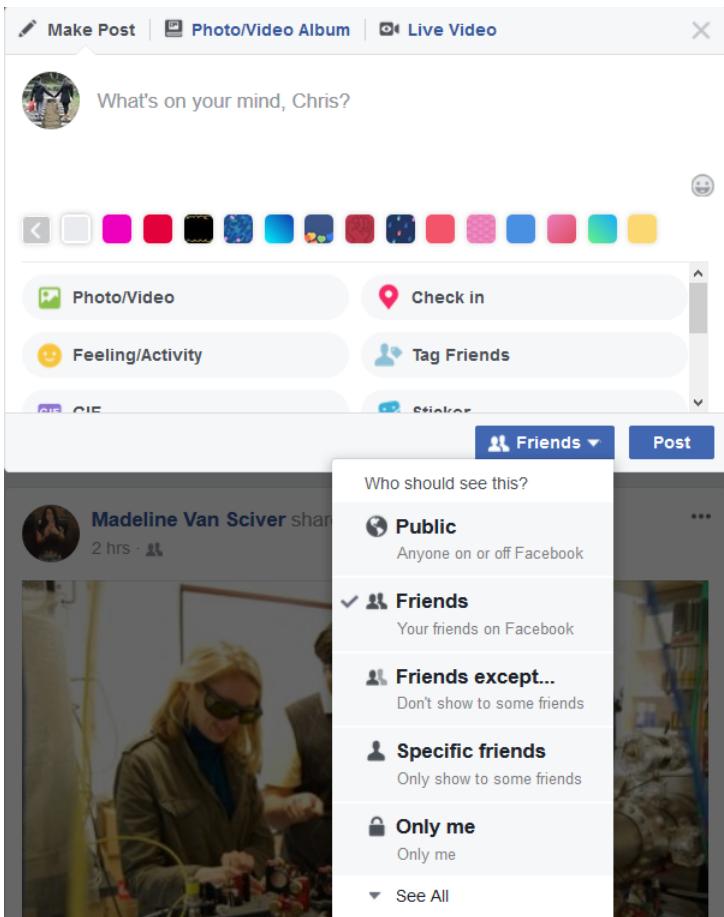


# Introduction

## Privacy Settings and Tools

<b>Who can see my stuff?</b>	Who can see your future posts?	<b>Friends</b>	<a href="#">Edit</a>
Limit the audience for posts you've shared with friends of friends or Public?			<a href="#">Limit Past Posts</a>
	Who can see your friends list?	<b>Public</b>	<a href="#">Edit</a>
<b>Who can contact me?</b>	Who can send you friend requests?	<b>Friends of friends</b>	<a href="#">Edit</a>
<b>Who can look me up?</b>	Who can look you up using the email address you provided?	<b>Friends</b>	<a href="#">Edit</a>
	Who can look you up using the phone number you provided?	<b>Friends</b>	<a href="#">Edit</a>
	Do you want search engines outside of Facebook to link to your profile?	<b>No</b>	<a href="#">Edit</a>

# Introduction



A screenshot of a Facebook profile edit page for "Delaware State University". The page includes fields for "Time Period" (set to 2012-2016), "Graduated" (checked), "Description" (empty), "Concentrations" (listing "Computer Science and Mathematics"), and "Attended for" (radio buttons for "College" and "Graduate School" with "College" selected). At the bottom, there are "Save Changes" and "Cancel" buttons, and a link to "+ Add a new class". A small "UIC" logo is visible in the bottom left corner.

# Privacy Concerns

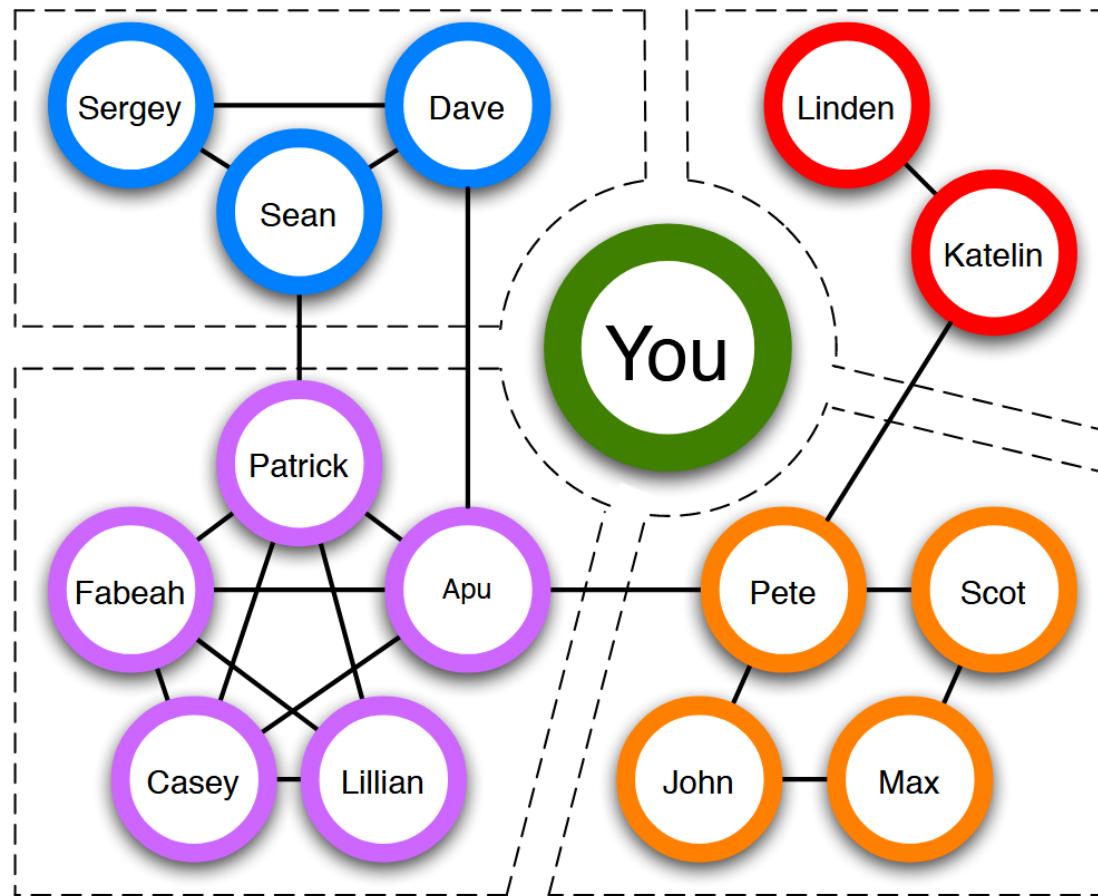
# Privacy Concerns

- “Privacy Paradox”

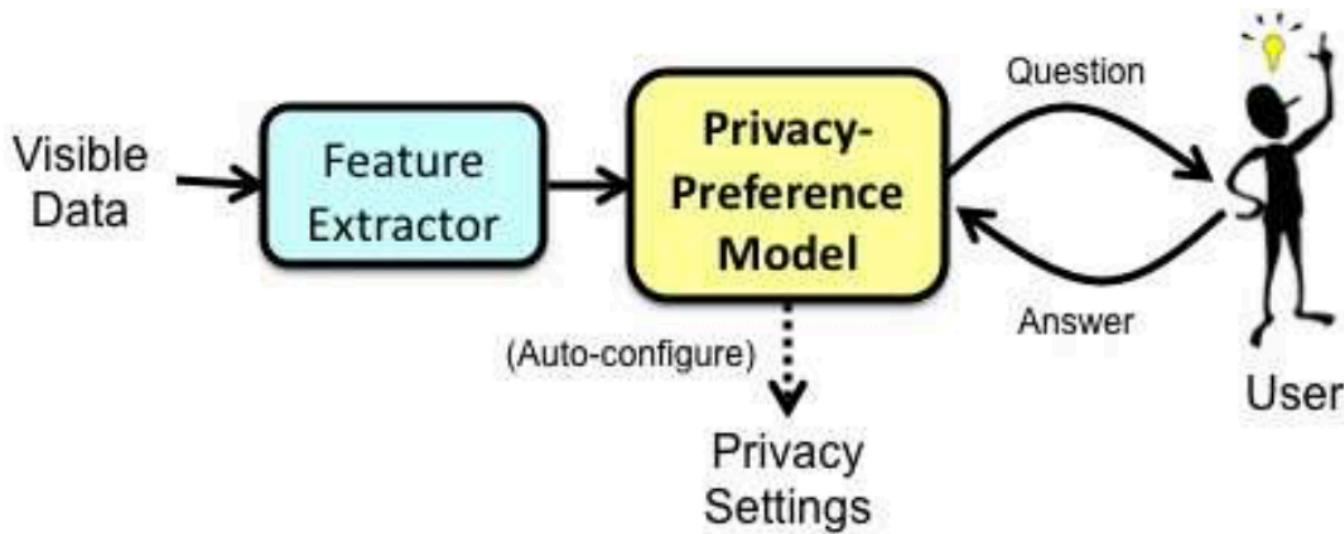
# Privacy Concerns

- “Privacy Paradox”
- Automating privacy

# Social Circles



# Privacy Wizard



# Privacy Concerns

- “Privacy Paradox”
- Automating privacy
- Photos
  - Tags
  - Consequences

# Privacy in Images

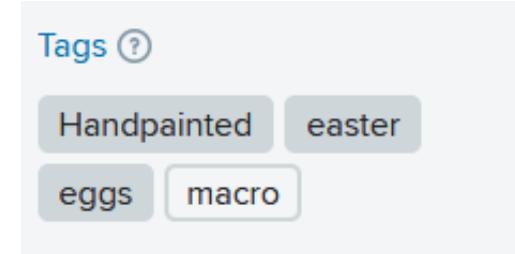
- Using tags for access control
- Image encryption
- Predicting privacy settings

# Tags for Access Control

P. F. Klemperer, Y. Liang, M. L. Mazurek, M. Sleeper, B. Ur, L. Bauer, L. F. Cranor, N. Gupta, M. K. Reiter  
Conference on Human Factors in Computing Systems (CHI), 2012

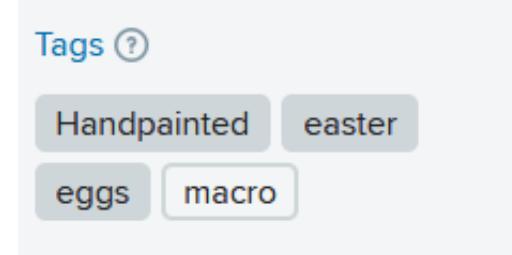
# Tags for Photos

- Tags used for organization, search, communication, and description



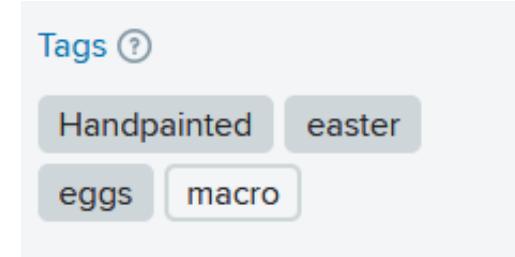
# Tags for Photos

- Tags used for organization, search, communication, and description
- Can tags be used for access-control policies?



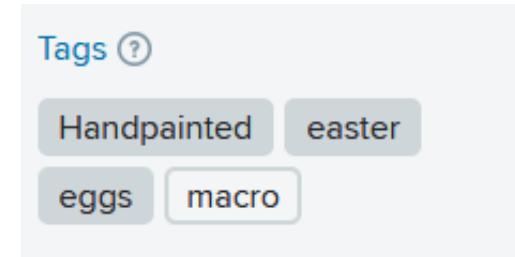
# Tags for Photos

- Tags used for organization, search, communication, and description
- Can tags be used for access-control policies?
- Does tagging with access control in mind improve the performance of tag-based access control?



# Tags for Photos

- Tags used for organization, search, communication, and description
- Can tags be used for access-control policies?
- Does tagging with access control in mind improve the performance of tag-based access control?
- How do users engage with the concept of access-control?



# User Study

- 18 Participants
  - Tag or add captions “often” or “always”

# User Study

- 18 Participants
  - Tag or add captions “often” or “always”
- Three tasks
  - T1: Organizational Tagging
  - T2: Tagging for access control
  - T3: Refinement of Tags

# Organizational Tags

- Participants were asked to tag their uploaded photos

# Organizational Tags

- Participants were asked to tag their uploaded photos
- Friend-photo preferences
  - Strong allow
  - Weak allow
  - Neural
  - Weak deny
  - Strong deny

# Rule Generation

- Preferences were mapped to binary labels
  - Allow
  - Deny
- Rules were generated using decision tree for each friend
- Generated rules were shown to each participant

# Tagging for access control

Rules
1. If not tagged with allen then ALLOW ACCESS
2. If not tagged with rosie then ALLOW ACCESS
3. If tagged with rosie AND allen then DENY ACCESS
4. Otherwise ALLOW ACCESS

**Stan Can See...**



"china", "claymation"

DSCF3497.JPG

"china"

DSCF3634.JPG

"california", "rosie"

DSCF4296.JPG

**Stan Can't See...**



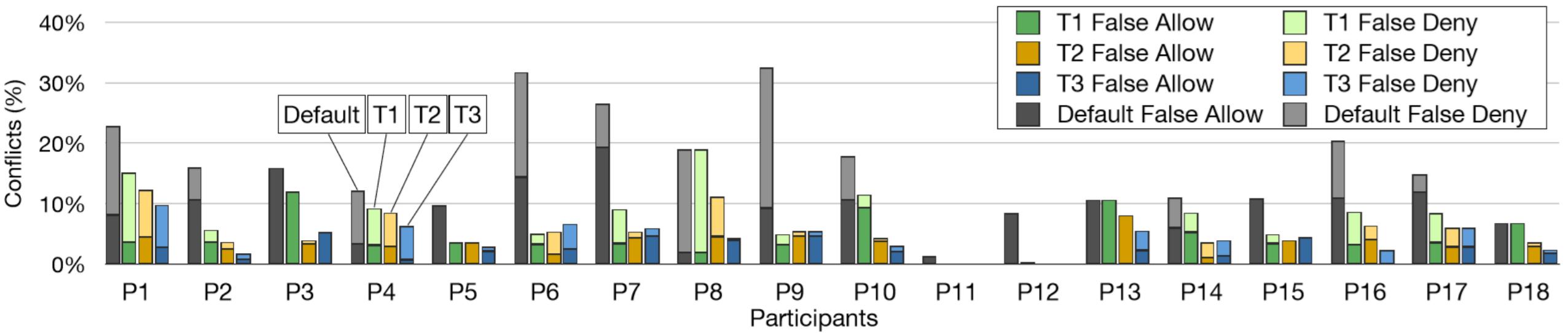
"california", "rosie", "allen" "california", "rosie", "allen"  
DSCF4287.JPG DSCF4293.JPG

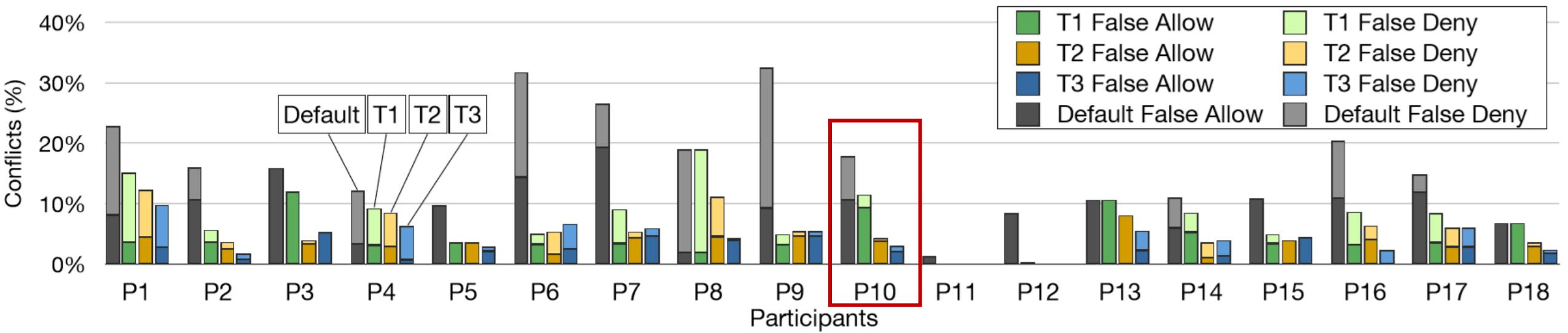
# Tagging for Access Control

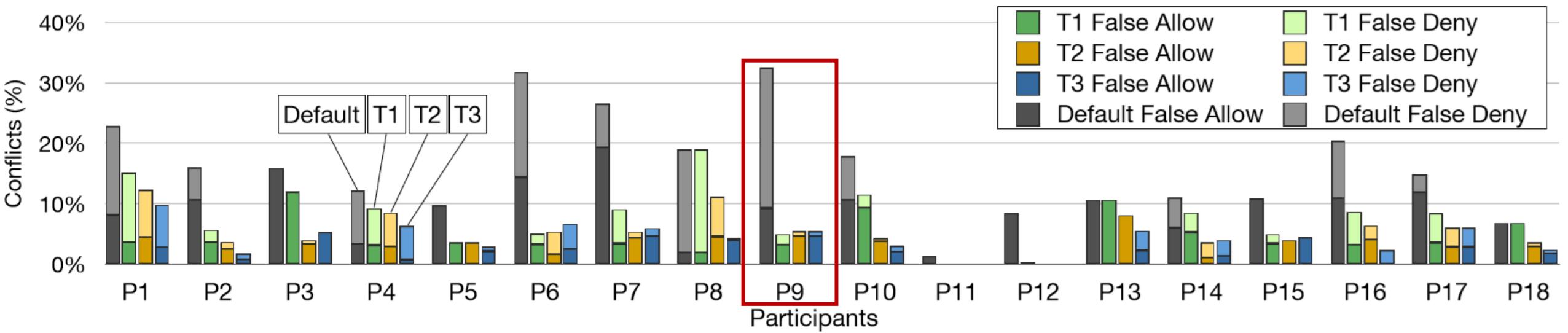
- In T2, participants were invited to add to and/or delete tags made in T1
- Goal of creating tag-based access-control rules
- New rules created from T2 and reviewed with participant
- In T3, participants were invited to modify tags in T2

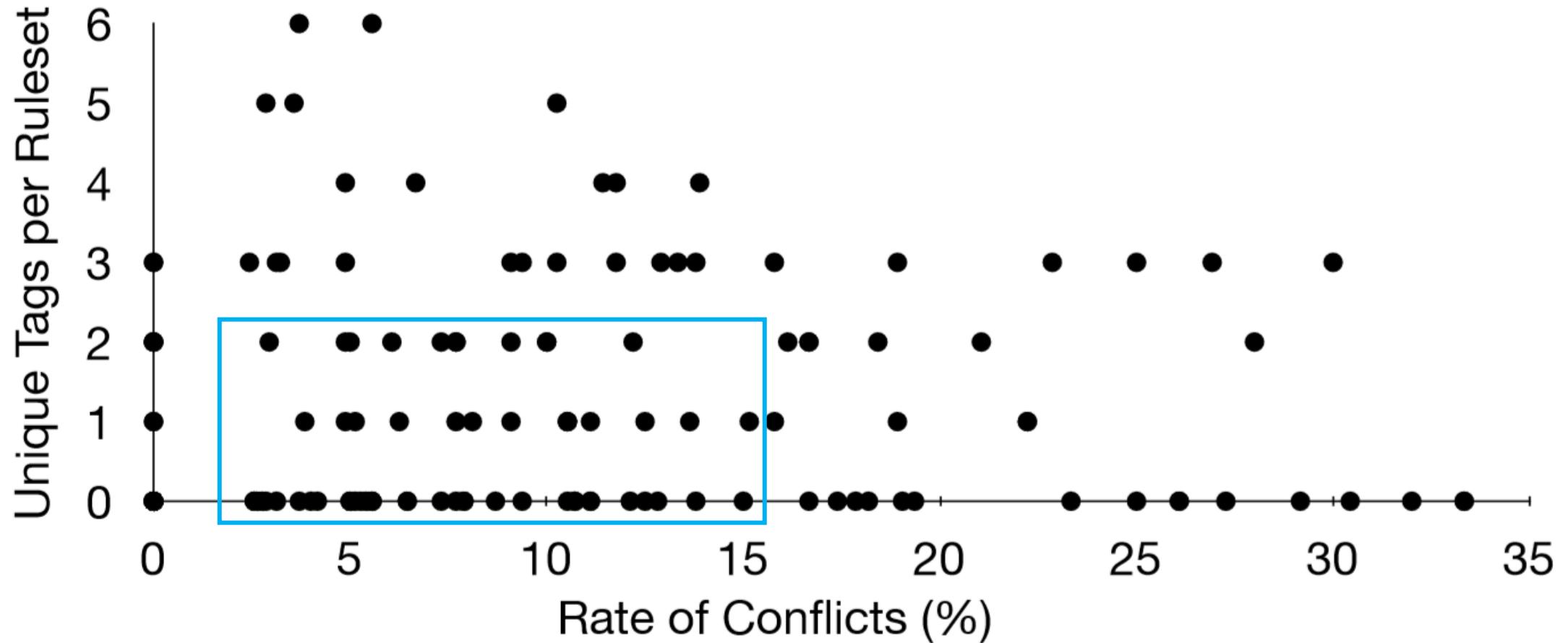
# Results

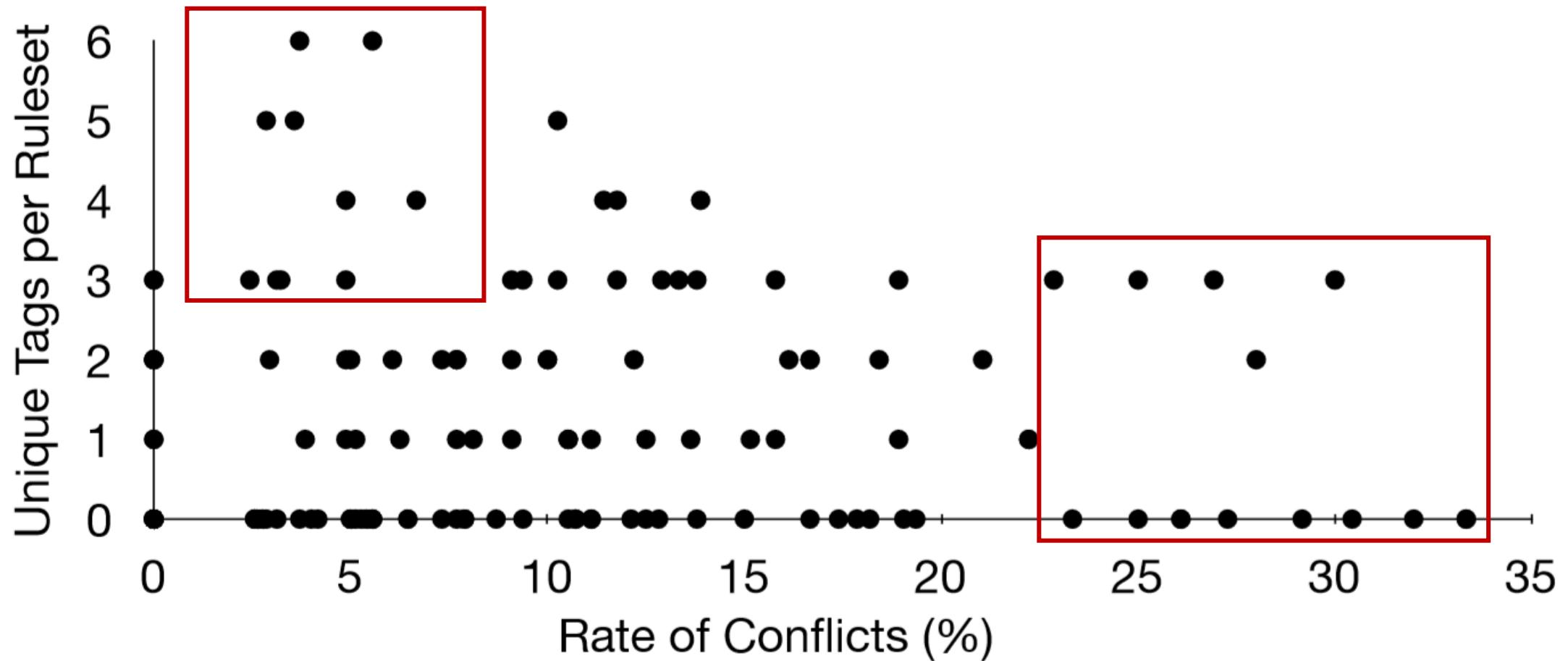
- Conflict rate
- Rule complexity
- Reactions











# Reactions to Sample Rules

- Many participants liked the rules
  - P05 – the rules “conceptualized what [she] was thinking”
  - P17 – rules created matched “the intuitive rule that [he] made”

# Reactions to Sample Rules

- Many participants liked the rules
  - P05 – the rules “conceptualized what [she] was thinking”
  - P17 – rules created matched “the intuitive rule that [he] made”
- Not always successful
  - P09 – Denying photos tagged “gf” to a roommate was too general
  - P14 – rules “seem[ed] roughly accurate” but was upset a teacher could see one embarrassing picture

# Reactions to Tag-Based Access Control

- Do tag-based access control rules make sense?
  - 13 said the concept made complete or some sense
  - 2 said were neutral
  - 1 said the concept did not make sense
  - 2 said depends on circumstance

# Critique

- Pros
  - Organizational tags work reasonably well
  - User reactions and behaviors for tagging for access control

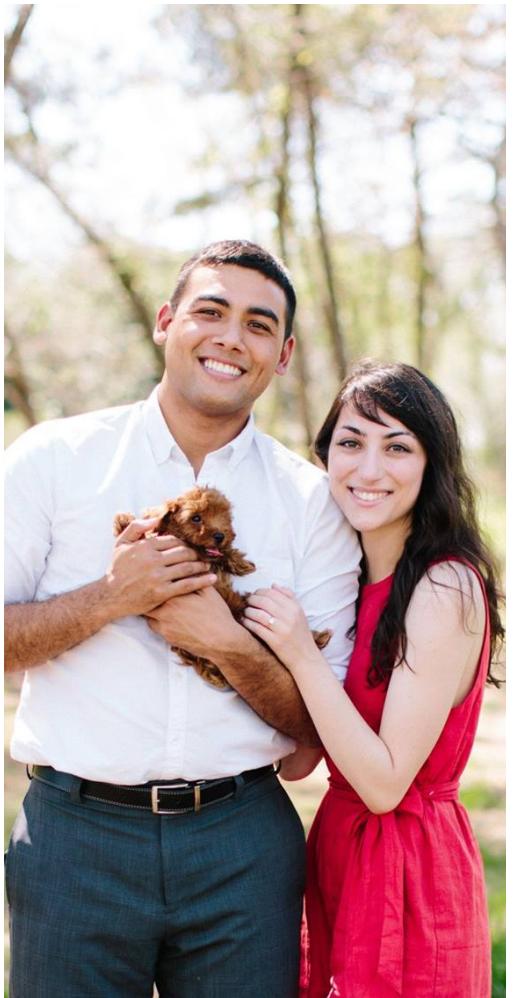
# Critique

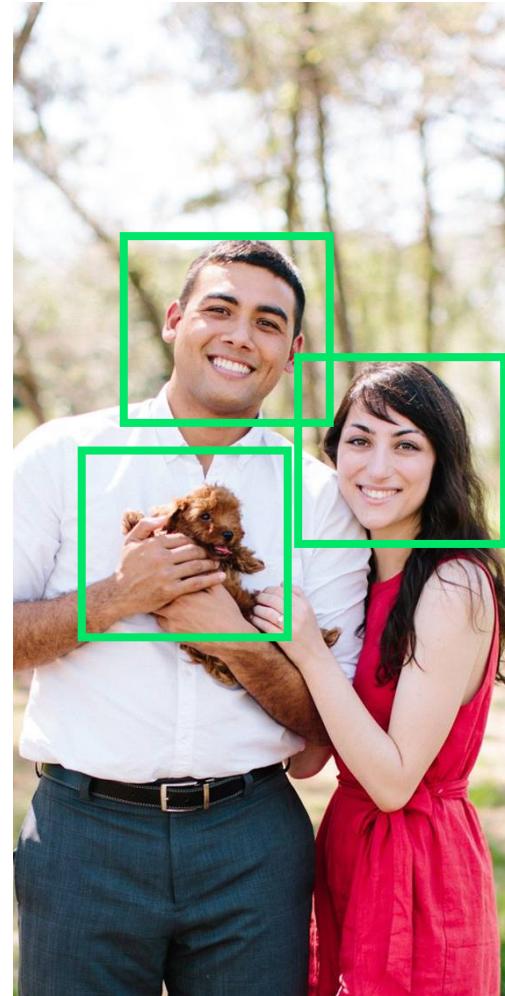
- Pros
  - Organizational tags work reasonably well
  - User reactions and behaviors for tagging for access control
- Cons
  - User burden
  - Generalization
  - Scalability

# Privacy Preserving Image Transforms

J. He, B. Liu, D. Kong, X. Bao, N. Wang, H. Jin, G. Kesisidis

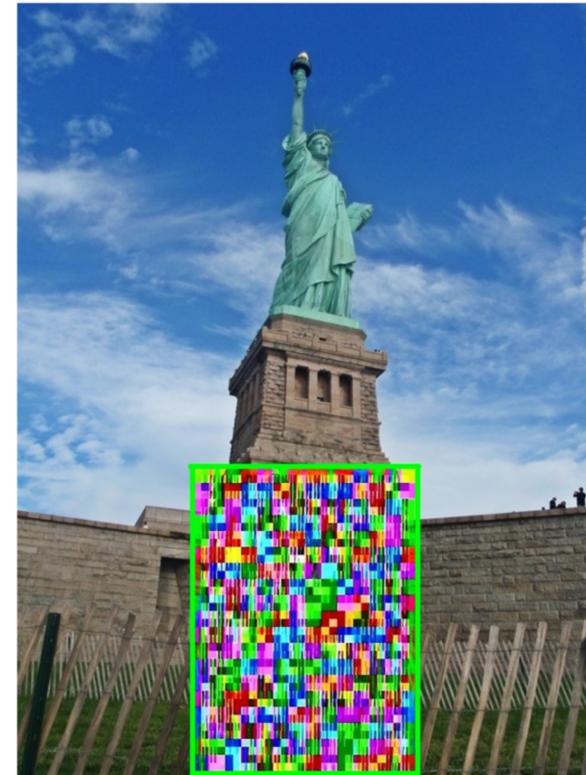
IEEE/IFIP International Conference on Dependable Systems and Networks, 2016





# Challenges for Image Encryption on PSPs

- Maximal Usability
- Transformation Supported
- Personalized Privacy Flexibility



# RGB to JPEG

# RGB to JPEG

- 1) RGB to YUV representation

# RGB to JPEG

- 1) RGB to YUV representation
- 2) DCT Transformation
  - YUV is divided into 8x8 pixel blocks where DCT transform is applied
  - 8x8 DCT coefficient matrix (First entry is DC, rest are AC)

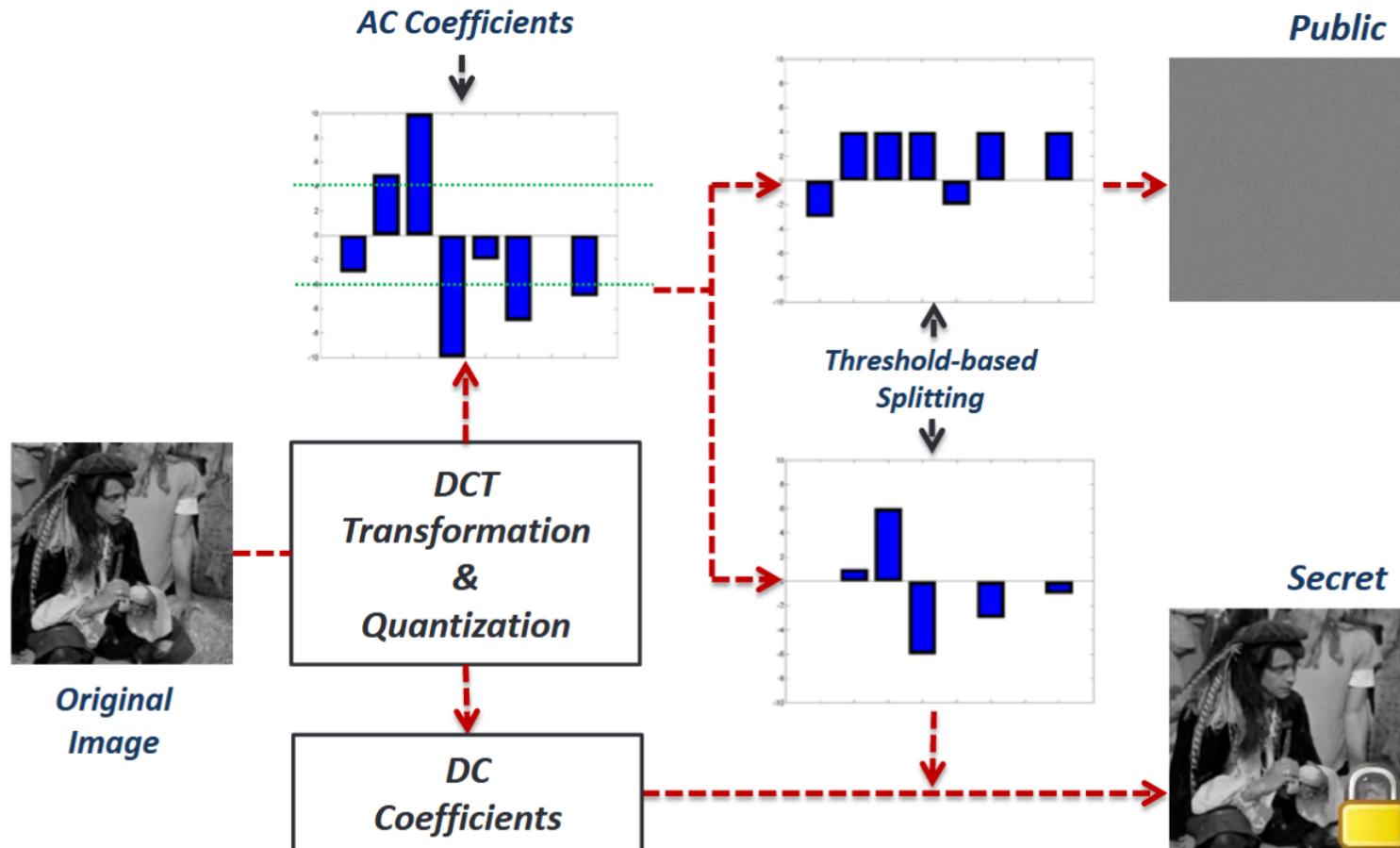
# RGB to JPEG

- 1) RGB to YUV representation
- 2) DCT Transformation
  - YUV is divided into 8x8 pixel blocks where DCT transform is applied
  - 8x8 DCT coefficient matrix (First entry is DC, rest are AC)
- 3) Quantization
- 4) Entropy Coding

# RGB to JPEG

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# P3 for Photo Privacy



# Limitations of P3

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- Image level encryption

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- No direct support for image transformations on PSPs

# Limitations of P3

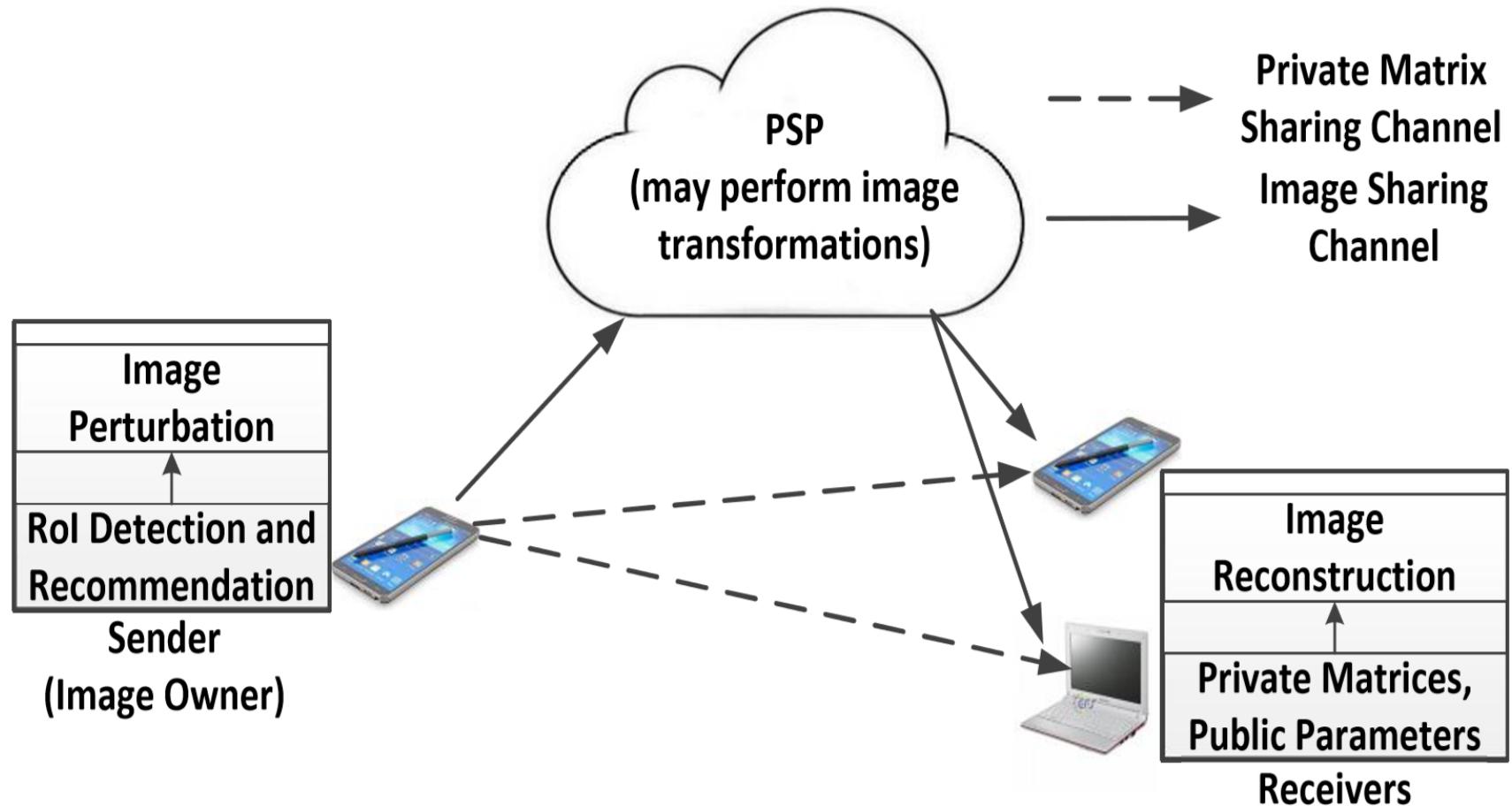
- Image level encryption
- No direct support for image transformations on PSPs
- Many fine details are lost in image recovery



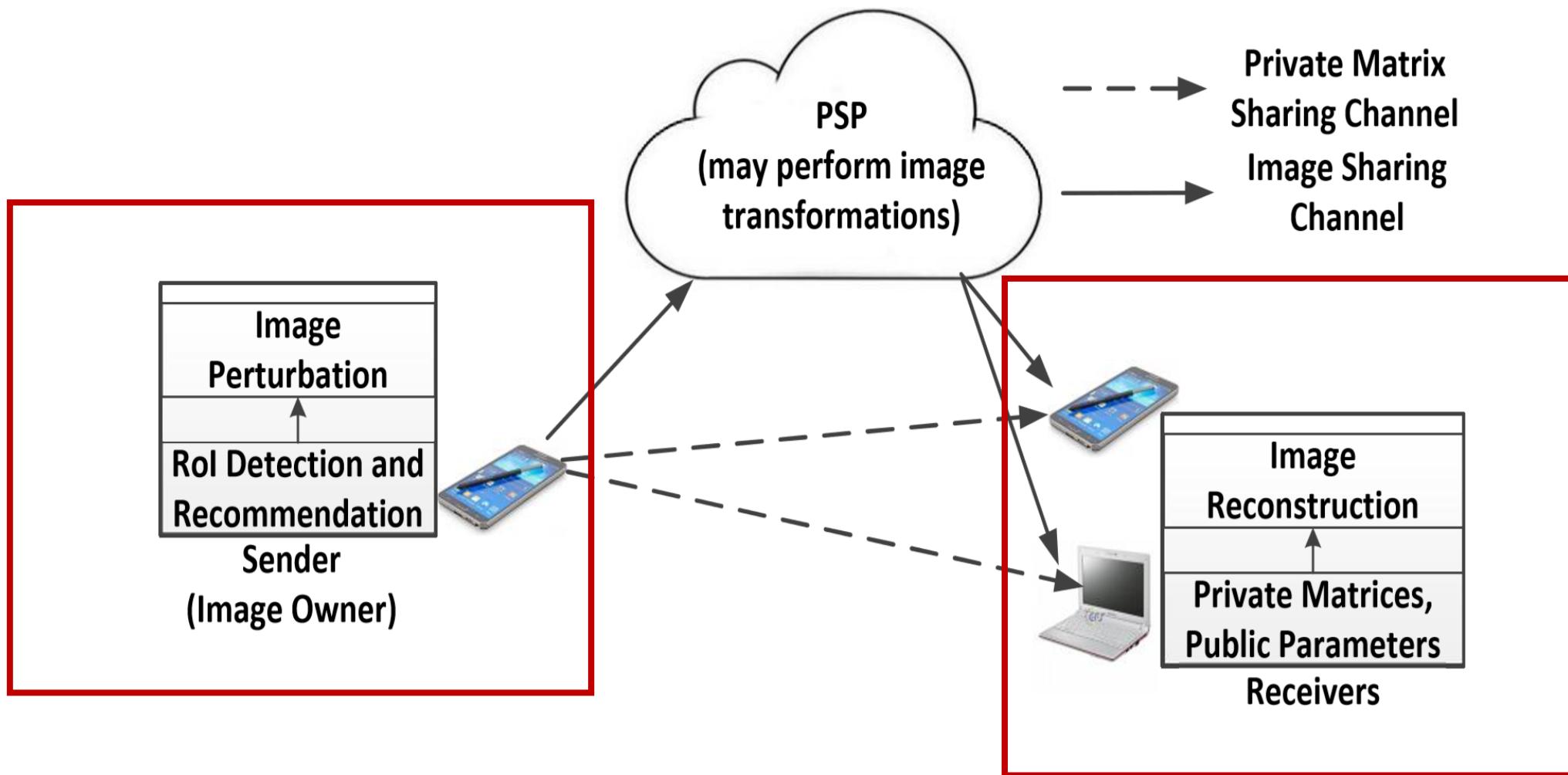
# Privacy Preserving Partial Image Sharing (PuPPlS)

- Addresses the challenges of photo sharing on PSPs
- Recovers better image quality compared to P3

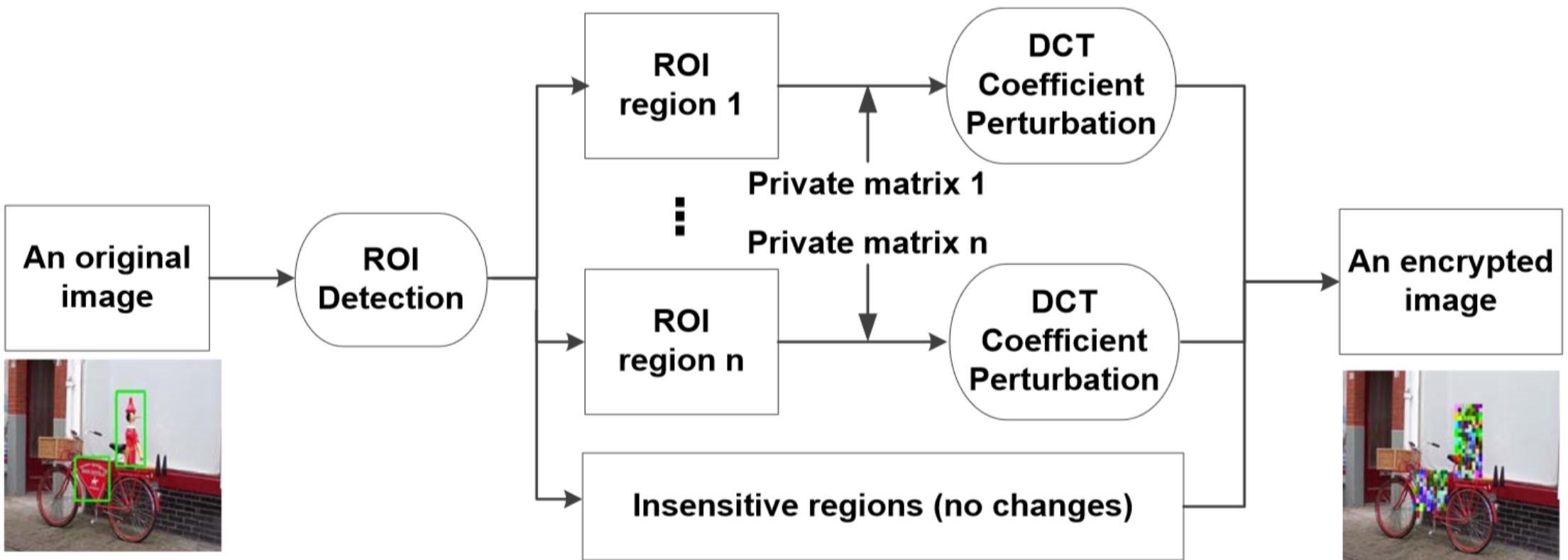
# PuPPIeS



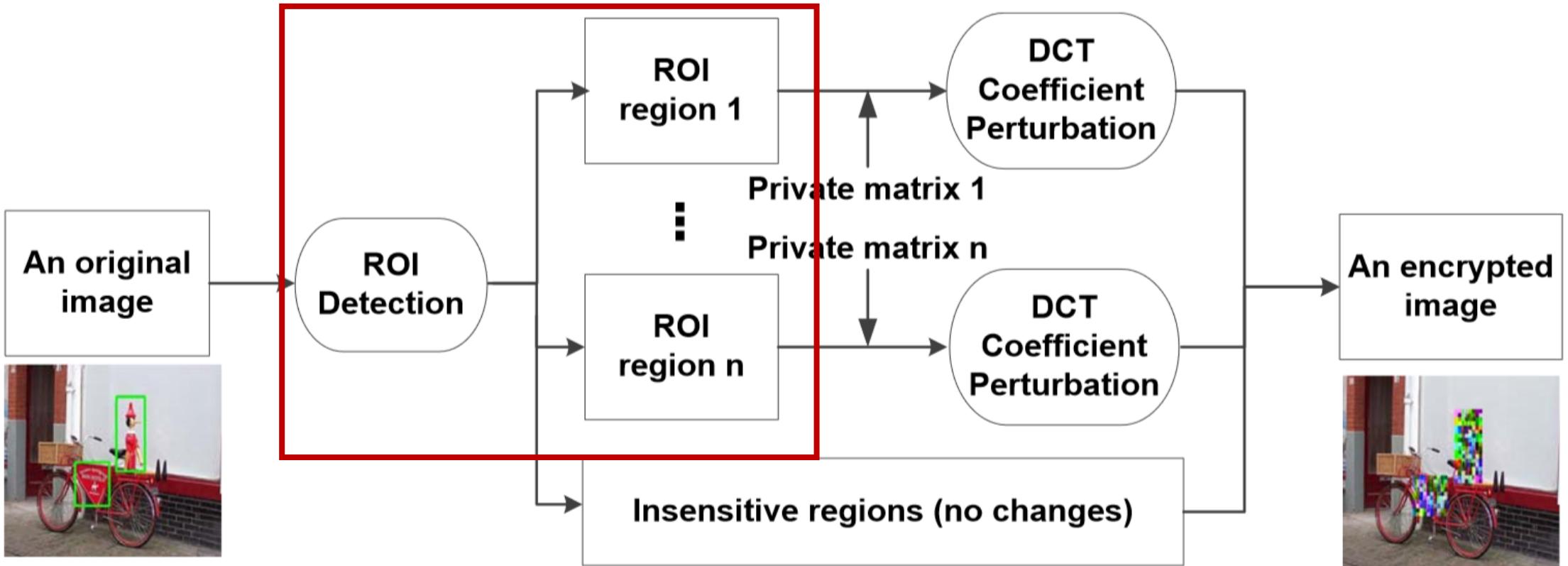
# PuPPIeS



# Sender



# Sender

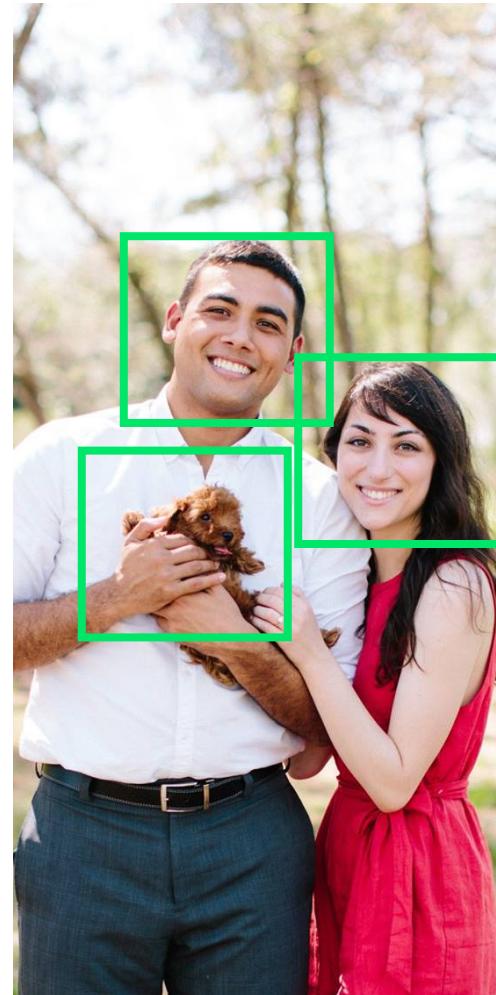


# Sender

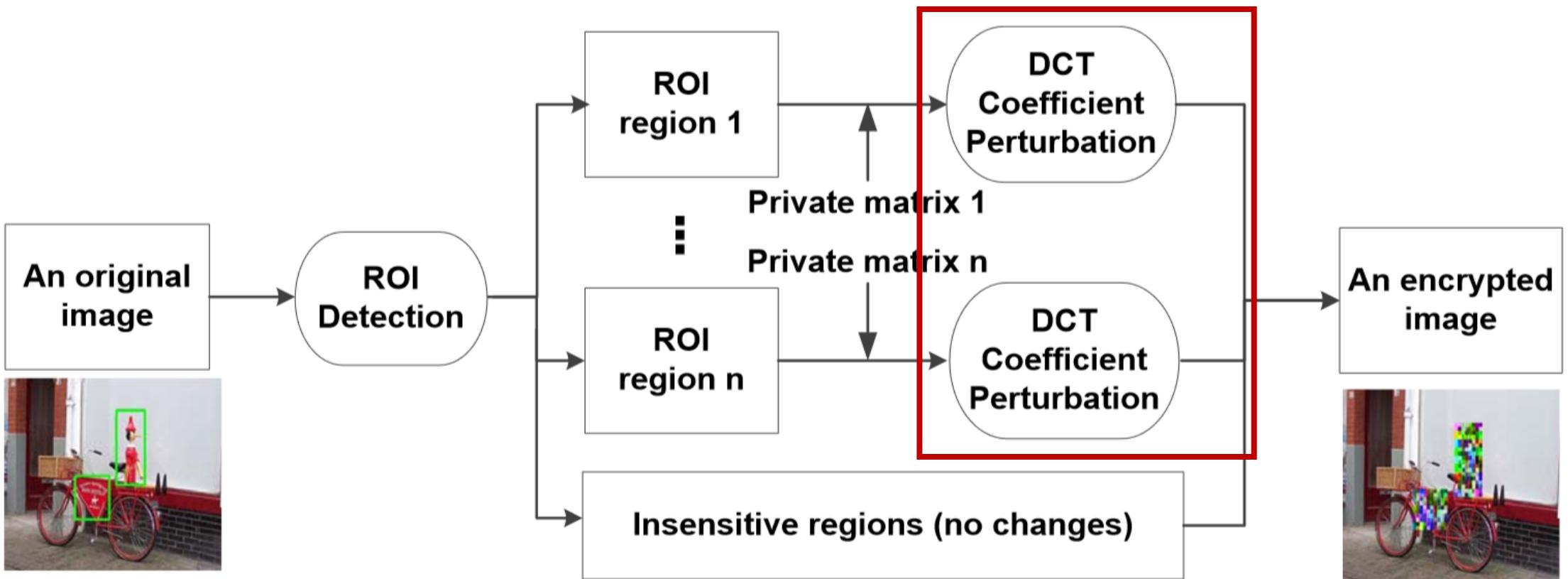
# Sender



# Sender



# Sender



# PuPPIeS- $N$

- Given:
  - $R$  – the region to be perturbed, divided into 8x8 blocks
  - $B^k$  – one DCT coefficient matrix in region  $R$ , ( $-1024 \leq b_i^k \leq 1023$ )
  - $P'$  – a private matrix, ( $-1024 \leq p_i \leq 1023$ )
  - $E^k$  – the encrypted DCT coefficient vector

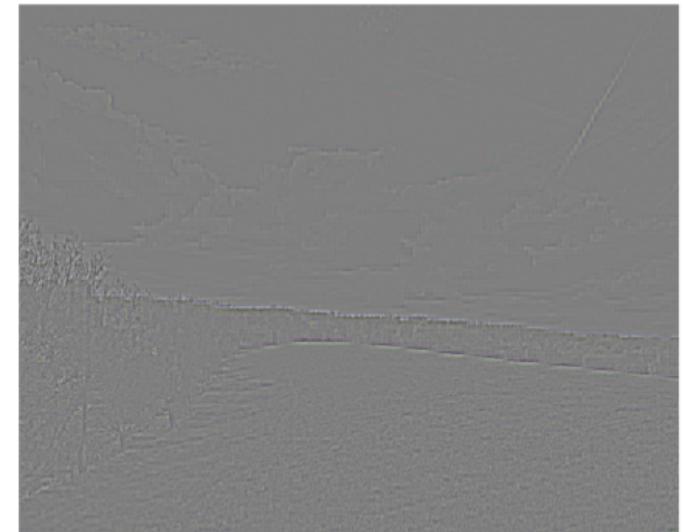
$$e_i^k = b_i^k + p'_i$$



(a) Original image.



(b) Preserve DC component only.



(c) Preserve AC component only.

# PuPPIeS-Base

For DC components:  $e_0^k = b_0^k + p'_\ell, \ell = (k \mod 64)$

For AC components:  $e_i^k = b_i^k + p'_i, \text{ for } 1 \leq i \leq 63$

# PuPPIeS-Compressed

- Huffman coding tables become less optimized
- Privacy range vector  $Q'$  introduced
  - Controls the range of each entry in  $P'$
- In practice,  $Q$  is used to perturb the AC components

For DC components:

$$e_0^k = b_0^k + p'_\ell, \quad \ell = (k \bmod 64)$$

For AC components:

$$e_i^k = b_i^k + (p'_i \bmod q'_i), \quad \text{for } 1 \leq i \leq 63$$

# PuPPIeS-Zero

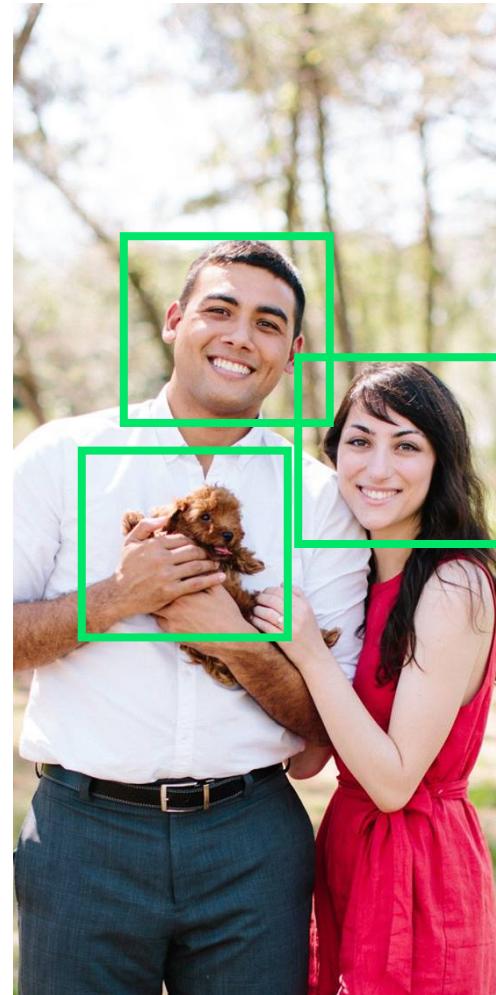
- Skip perturbing zeros in AC coefficients
- Perturbations may cause AC coefficients to become zero
- Introduce new variable stored with public image,  $ZInd$

# PuPPIeS-Zero

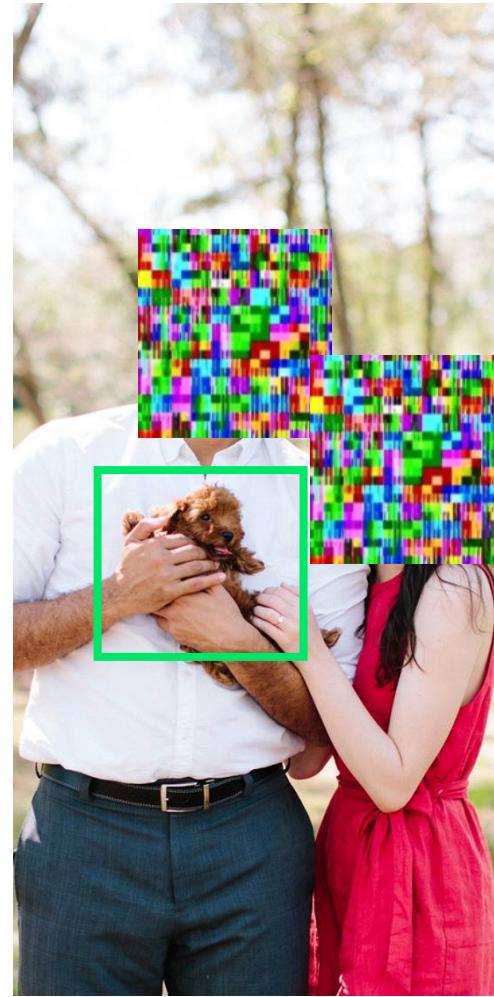
- Skip perturbing zeros in AC coefficients
- Perturbations may cause AC coefficients to become zero
- Introduce new variable stored with public image,  $ZInd$

<b>scheme</b>	<b>mean</b>	<b>median</b>	<b>std</b>	<b>min</b>	<b>max</b>
<i>PuPPIeS-Base</i>	10.45	9.69	3.88	5.01	85.8
<i>PuPPIeS-Compression</i>	1.46	1.41	0.230	1.15	6.26
<i>PuPPIeS-Zero</i>	1.23	1.22	0.064	1.10	1.80

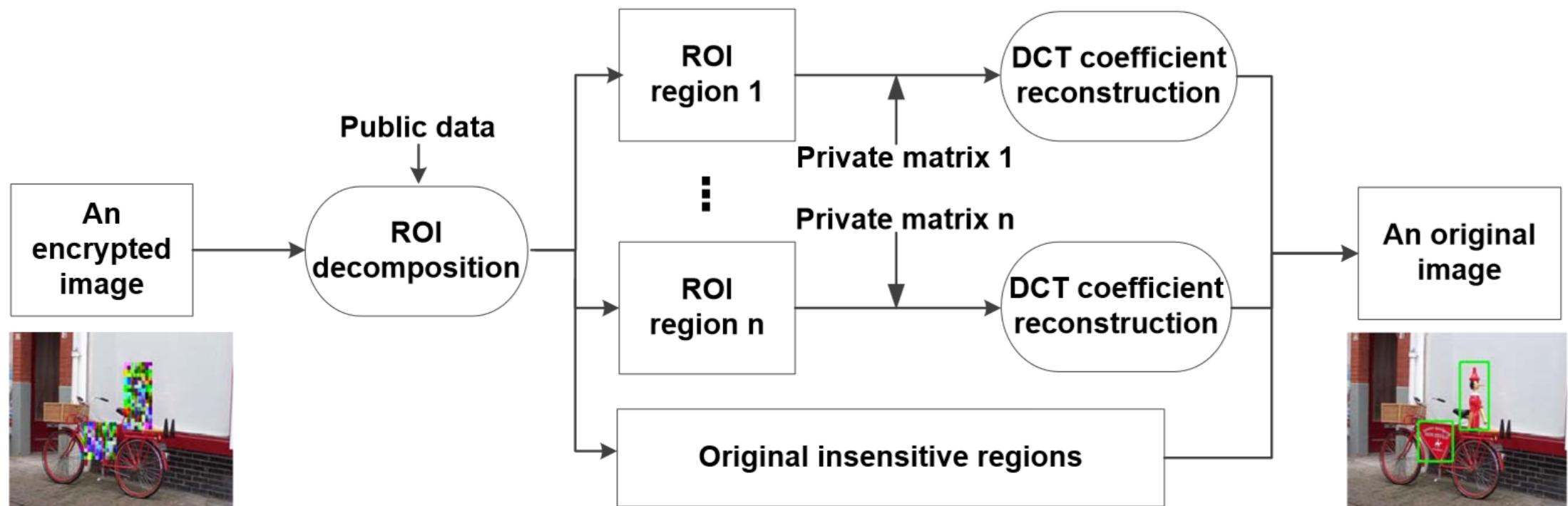
# Sender



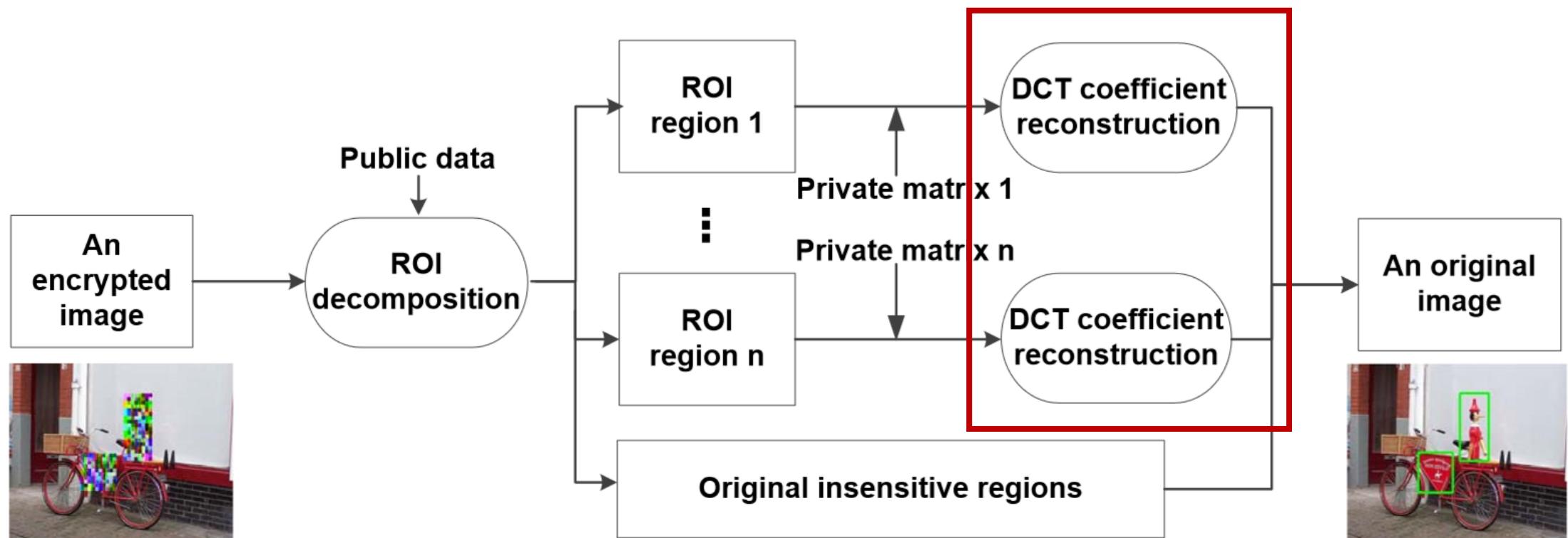
# Sender



# Receiver – Scenario 1



# Receiver – Scenario 1



# DCT Reconstruction

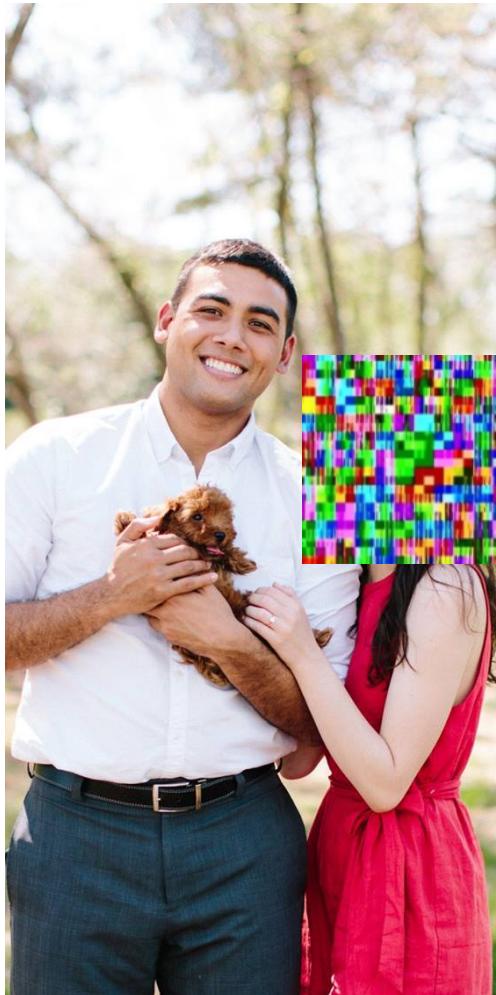
- Given a perturbed block  $E$ , privacy vector  $P'$ , the reconstructed DCT coefficient vector  $B$ , is defined as:

$$\bar{b}_i = ((e_i - \bar{p}_i + 1024) \mod 2048) - 1024.$$

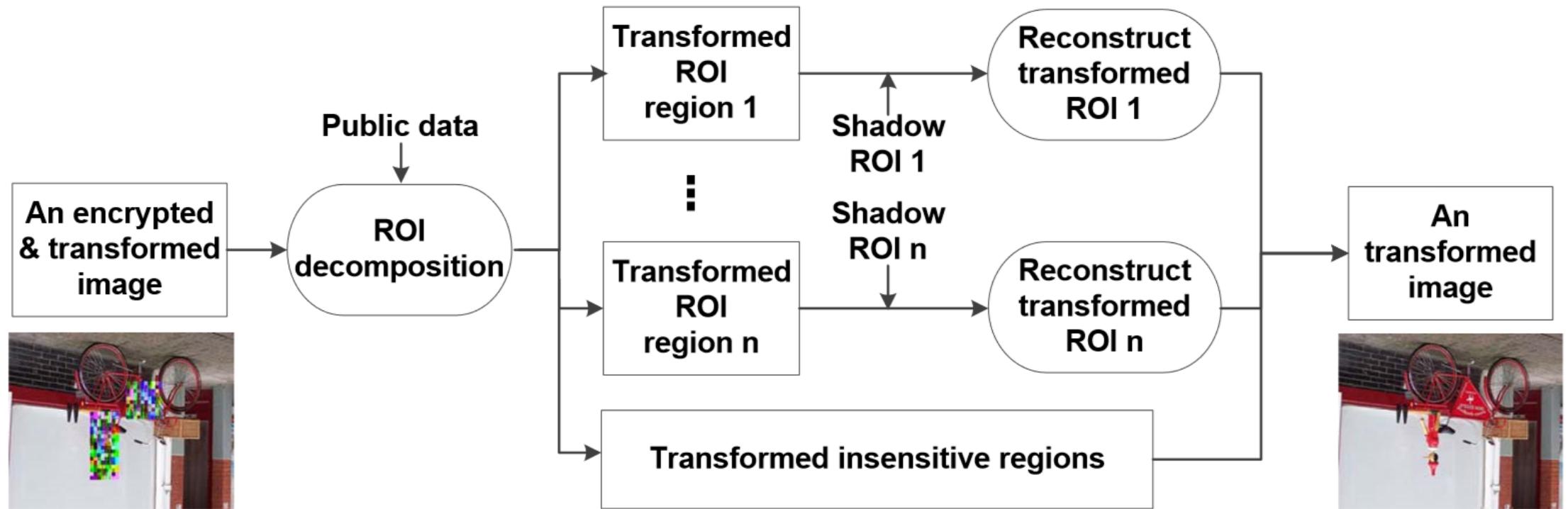
# DCT Reconstruction



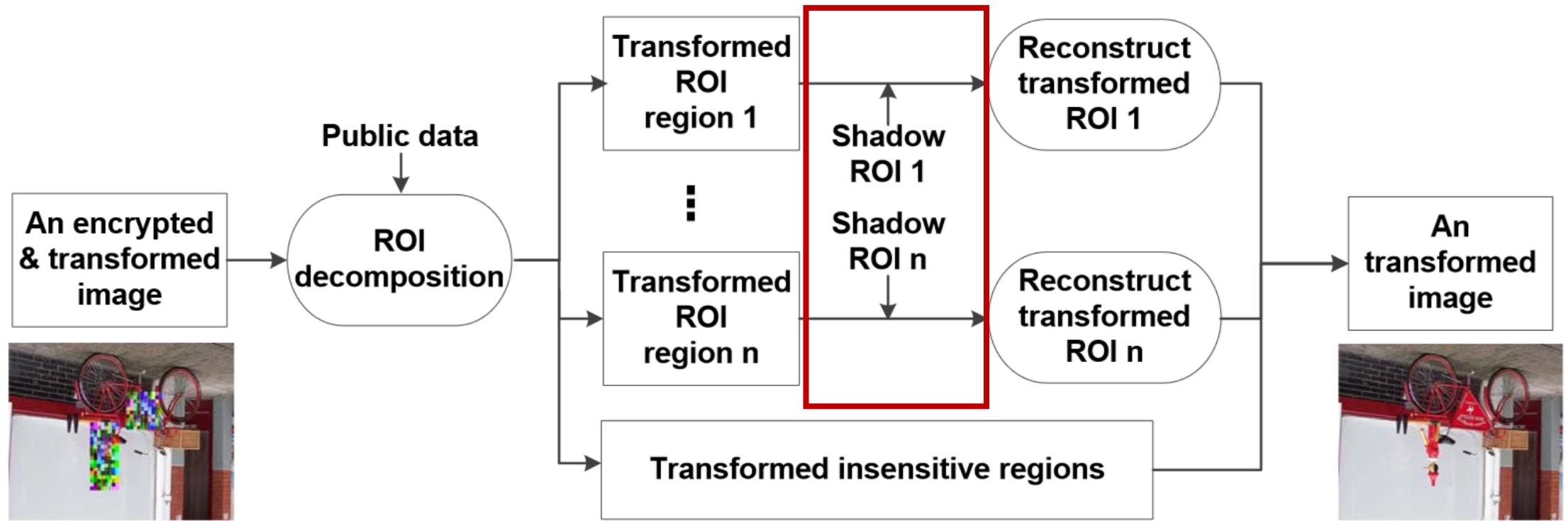
# DCT Reconstruction



# Receiver – Scenario 2



# Receiver – Scenario 2



# Transformations

- Consider a block in the YUV domain  $b$ , of a DCT coefficient block  $B$
- Let  $f(B) = b$
- After perturbation we have  $B + P$  in the frequency domain

$$f(B + P) = f(B) + f(P) = b'$$

# Critique

- Pros
  - Partial image sharing
  - Separate ROIs for decryption

# Critique

- Pros
  - Partial image sharing
  - Separate ROIs for decryption
- Cons
  - Subjective user privacy preference
  - Low-level features

# Automatic Privacy Settings

J. Yu, B. Zhang, Z. Kuang, D. Lin, J. Fan

IEEE Transactions on Information Forensics and Security, 2017

# Related Work



Terms for Private photos				
studio	photograph	sexi	strobist	februari
blond	kid	hat	love	woman
year	smile	black	eye	famili
white	fun	portrait	selfportr	peopl
dress	valentin	day	friend	parti
femal	boy	birthday	face	model
fashion	daughter	children	coupl	self
babi	cute	child	girl	beauti
me	nikon	pretti	hair	man
photographi	young	lip	happi	wed

Terms for Public photos				
craft	mountain	natur	rock	draw
sky	tree	snow	jan	flower
januari	art	paint	lake	winter
view	citi	car	moon	landscap
anim	cat	road	north	build
frozen	island	full	ice	bridg
water	abstract	hdr	park	sea
hous	boat	fire	bird	handmad
architectur	sunset	sunris	cloud	macro
night	dog	illustr	design	river

# Related Work

Features	Accuracy	F1-Measure	Precision	Recall
<b>Test (<math>PiCalert_{783}</math>)</b>				
FC6	81.10%	0.800	0.801	0.811
FC7	81.23%	0.805	0.804	0.812
FC8	<b>82.63%</b>	<b>0.823</b>	<b>0.822</b>	<b>0.826</b>
Prob	79.69%	0.794	0.792	0.797
SIFT + GIST	72.67%	0.661	0.672	0.727

# Related Work

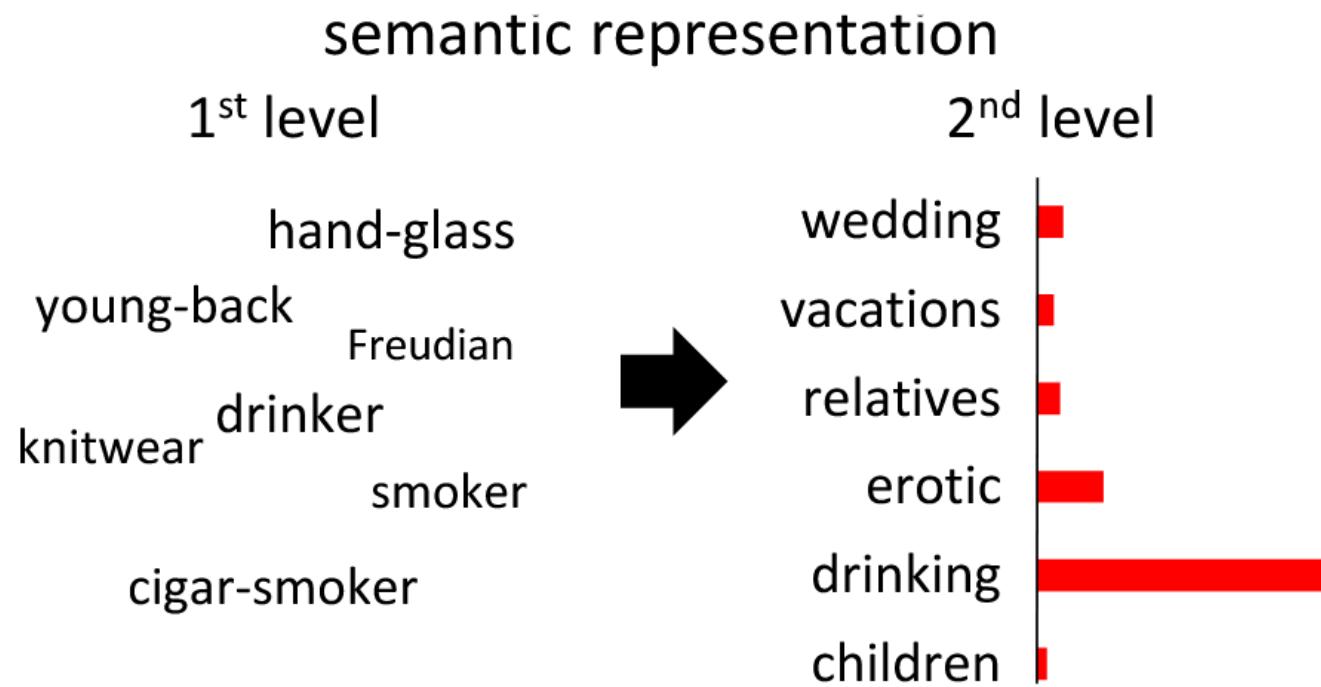


(a) Private

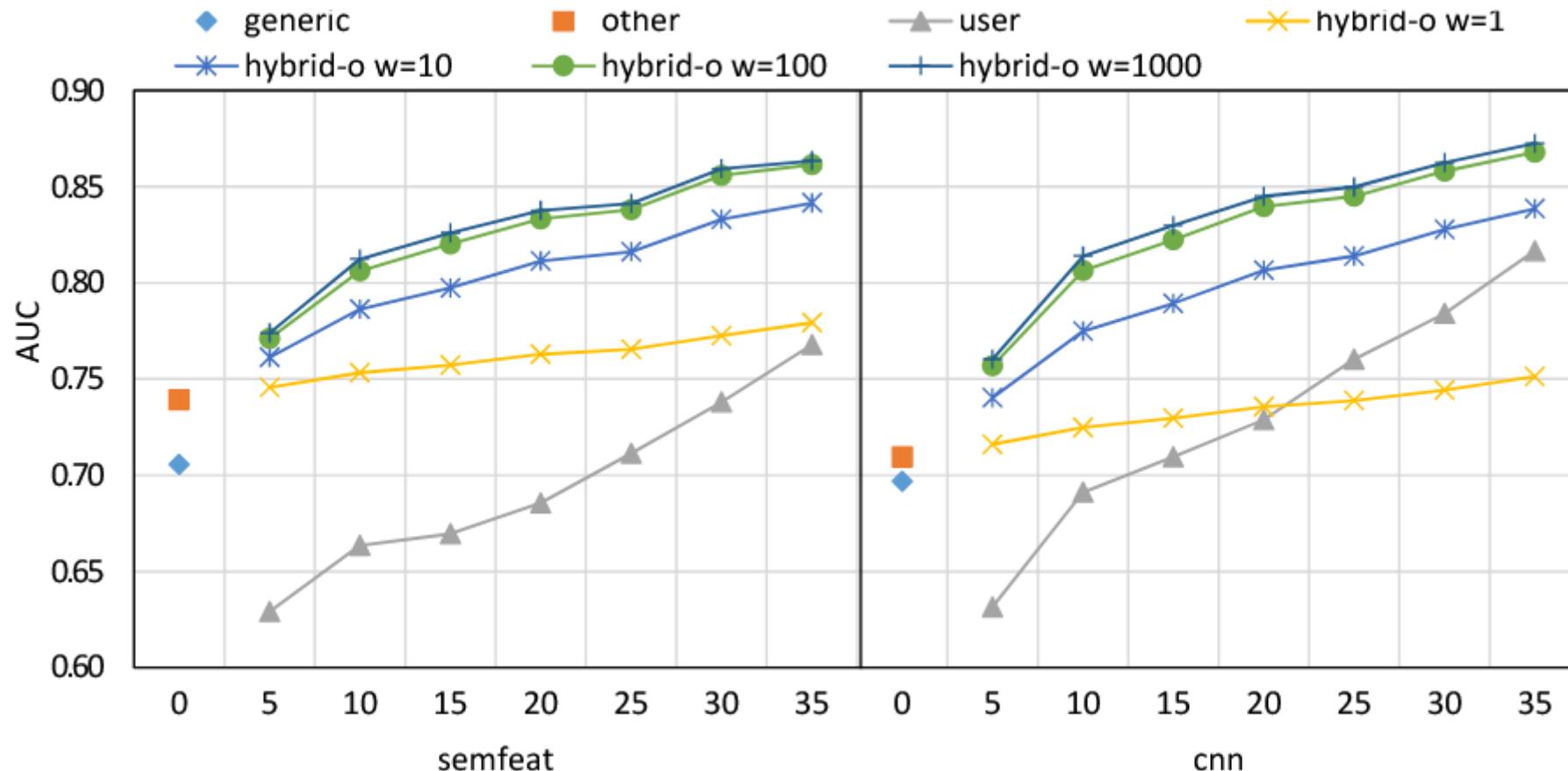


(b) Public

# Related Work



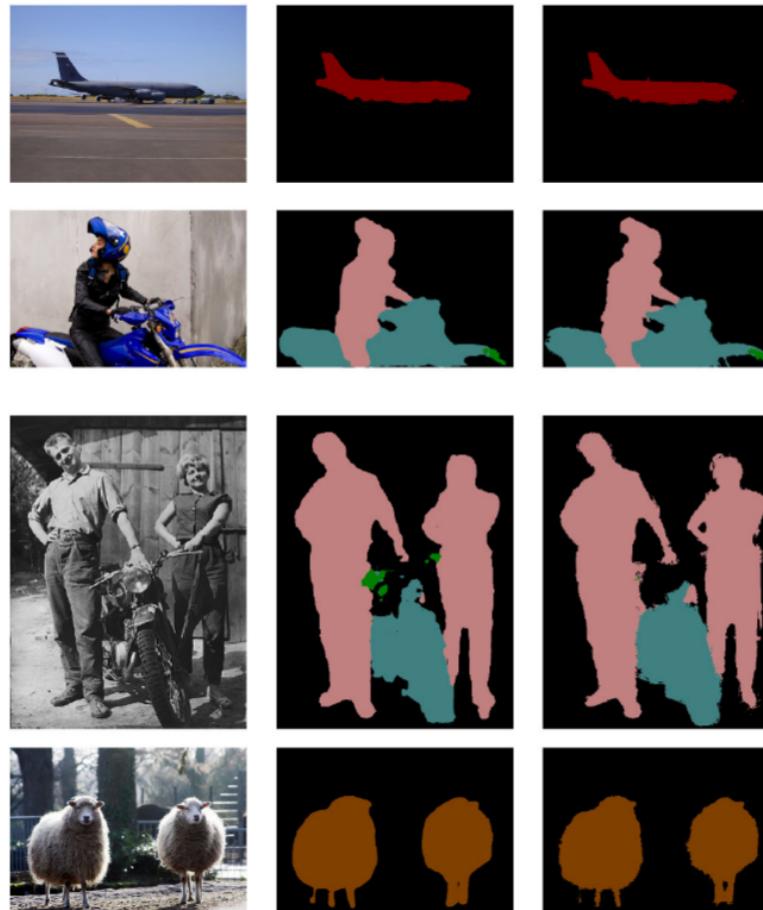
# Related Work



# iPrivacy

- 1) Deep CNNs for image segmentation and object classes
- 2) Object privacy-alignment developed based on privacy settings
- 3) Coarse-to-fine representation of privacy-sensitive objects
- 4) Hierarchical deep multi-task learning
- 5) Soft prediction method for predicting privacy settings

# Image Segmentation



# Object Privacy Alignment

- 1000 object classes
- Cluster images based on similarity of objects

$$\kappa_I(X_i, X_j) = \sum_{l=1}^{1000} \delta(X_i^l, X_j^l)$$

$$\delta(X_i^l, X_j^l) = \begin{cases} 1, & \text{if } X_i^l = X_j^l = 1; \\ 0, & \text{otherwise} \end{cases}$$

# Object Privacy Alignment

- 1000 object classes
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$$\kappa_I(X_i, X_j) = \sum_{l=1}^{1000} \delta(X_i^l, X_j^l)$$

Sparse vector of object classes  
in image  $i, j$

$$\delta(X_i^l, X_j^l) = \begin{cases} 1, & \text{if } X_i^l = X_j^l = 1; \\ 0, & \text{otherwise} \end{cases}$$

# Object Privacy Alignment

- For a given cluster  $C$ , denote the common list of privacy-settings  $P$
- Relevance score for class  $C_i$ , given a setting  $t \in P$

$$\gamma(C_i, t) = \frac{\| \Psi(C_i, t) \|}{\| \Psi(C, P) \|}$$

# Object Privacy Alignment

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Set of images with object class  
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# Object Privacy Alignment

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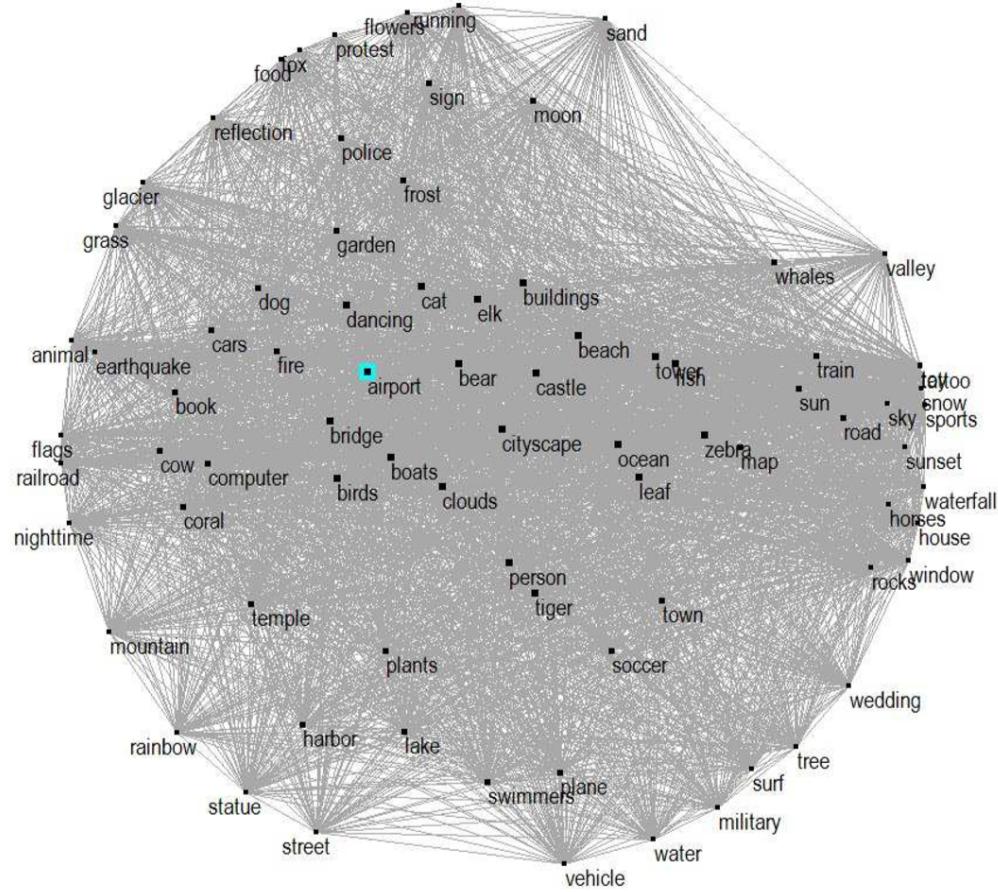
$$\gamma(C_i, t) = \frac{\|\Psi(C_i, t)\|}{\|\Psi(C, P)\|}$$

Set of images with object class  $C_i$  and privacy setting  $t$

Full set of similar images in cluster  $C$  with privacy settings list  $P$

The diagram illustrates the formula for the relevance score  $\gamma(C_i, t)$ . It features a red box around the term  $\Psi(C_i, t)$  in the numerator. Two red arrows originate from this box: one pointing upwards to the text "Set of images with object class  $C_i$  and privacy setting  $t$ ", and another pointing downwards to the text "Full set of similar images in cluster  $C$  with privacy settings list  $P$ ".

# Object Privacy Alignment

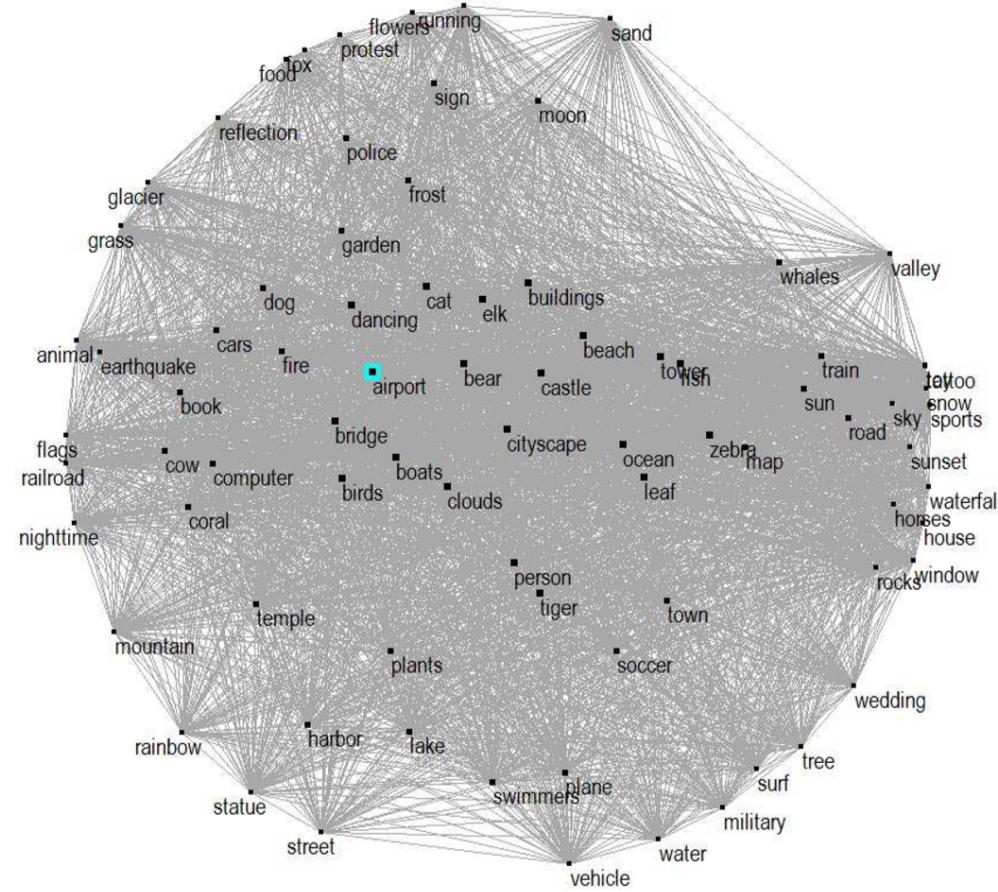


$$\phi(C_i, C_j) = \rho(C_i, C_j) \log \frac{\rho(C_i, C_j)}{\rho(C_i) + \rho(C_j)}$$

# Object Privacy Alignment

Occurrence probability of  
object class  $C_i$  and  $C_j$

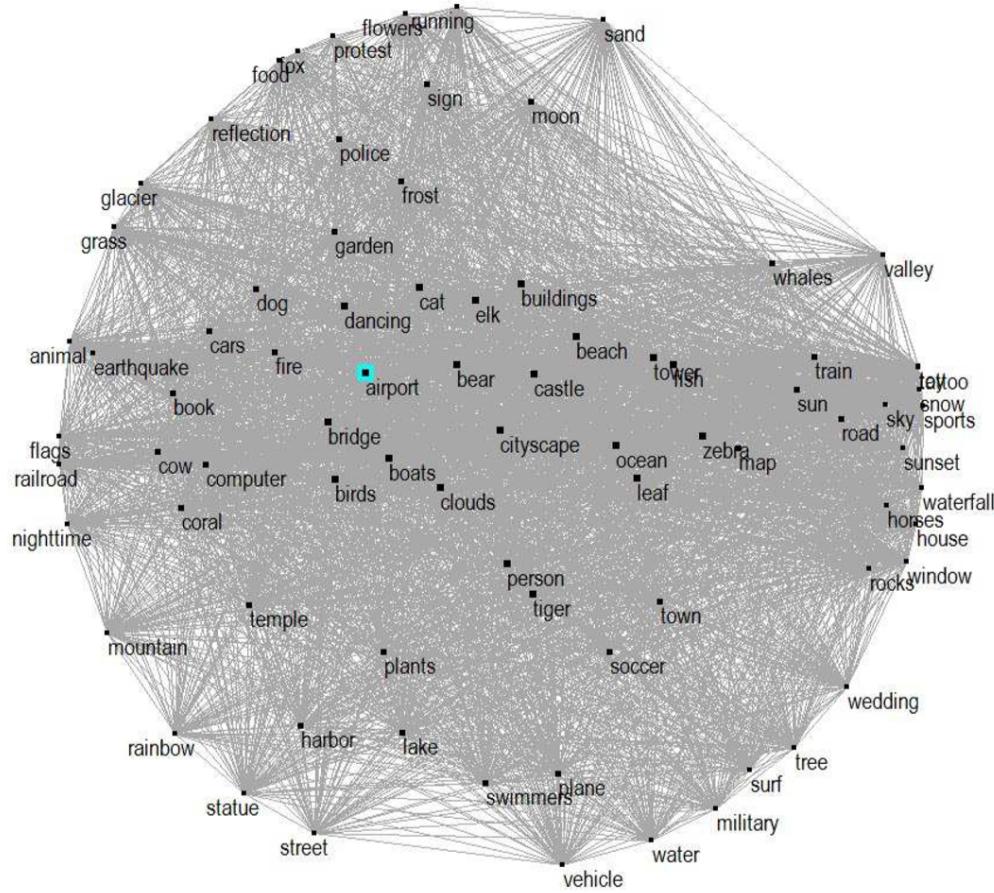
$$\phi(C_i, C_j) = \boxed{\rho(C_i, C_j)} \log \frac{\rho(C_i, C_j)}{\rho(C_i) + \rho(C_j)}$$



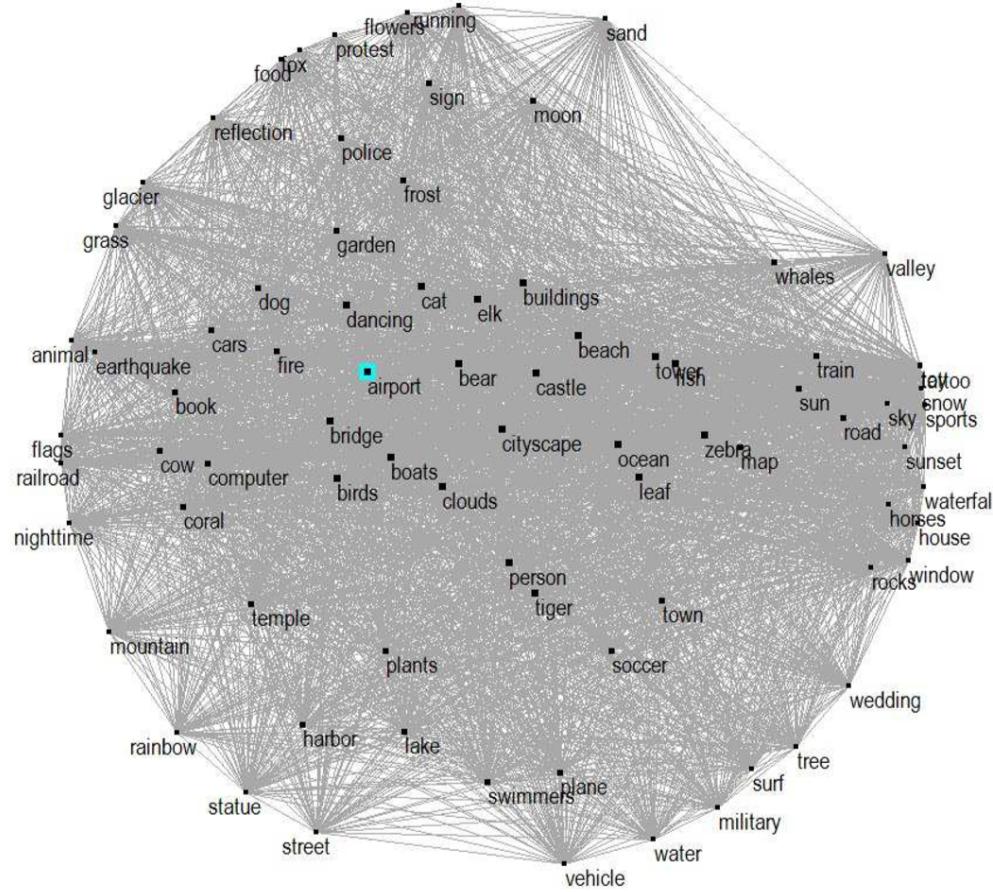
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Occurrence probability of  
object class  $C_i$  and  $C_j$

$$\phi(C_i, C_j) = \boxed{\rho(C_i, C_j)} \log \frac{\rho(C_i, C_j)}{\boxed{\rho(C_i)} + \boxed{\rho(C_j)}}$$



# Object Privacy Alignment

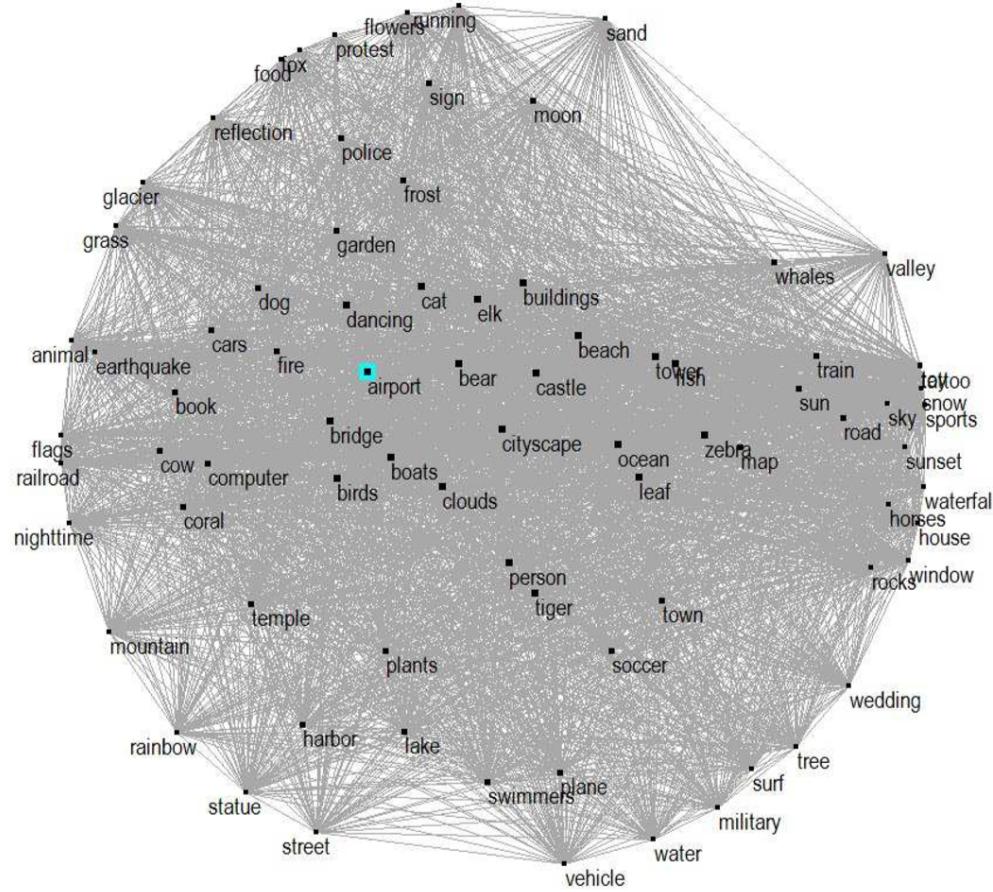


$$\phi(C_i, C_j) = \rho(C_i, C_j) \log \frac{\rho(C_i, C_j)}{\rho(C_i) + \rho(C_j)}$$

$$\psi_{ij} = \frac{\phi(C_i, C_j)}{\sum_{C_k \in \Omega_{C_i}} \phi(C_i, C_k)}$$

Transition probability matrix

# Object Privacy Alignment

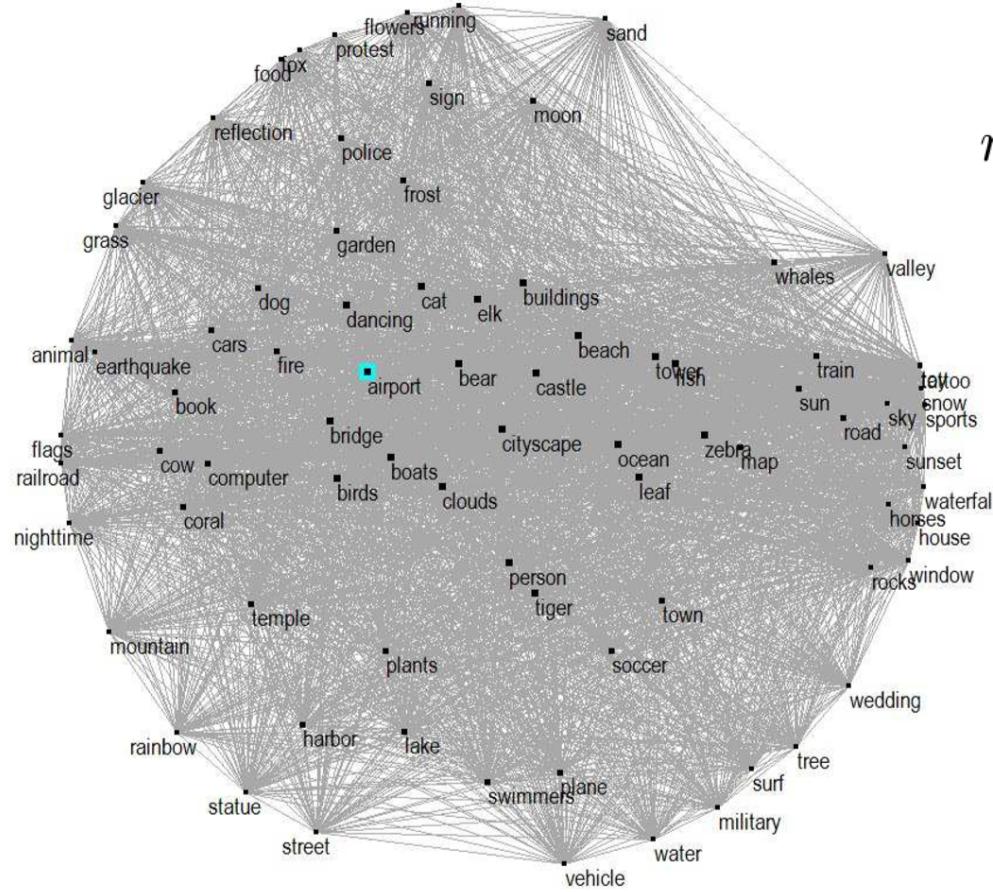


$$\phi(C_i, C_j) = \rho(C_i, C_j) \log \frac{\rho(C_i, C_j)}{\rho(C_i) + \rho(C_j)}$$

$$\psi_{ij} = \frac{\phi(C_i, C_j)}{\sum_{C_k \in \Omega_{C_i}} \phi(C_i, C_k)}$$

Transition probability matrix

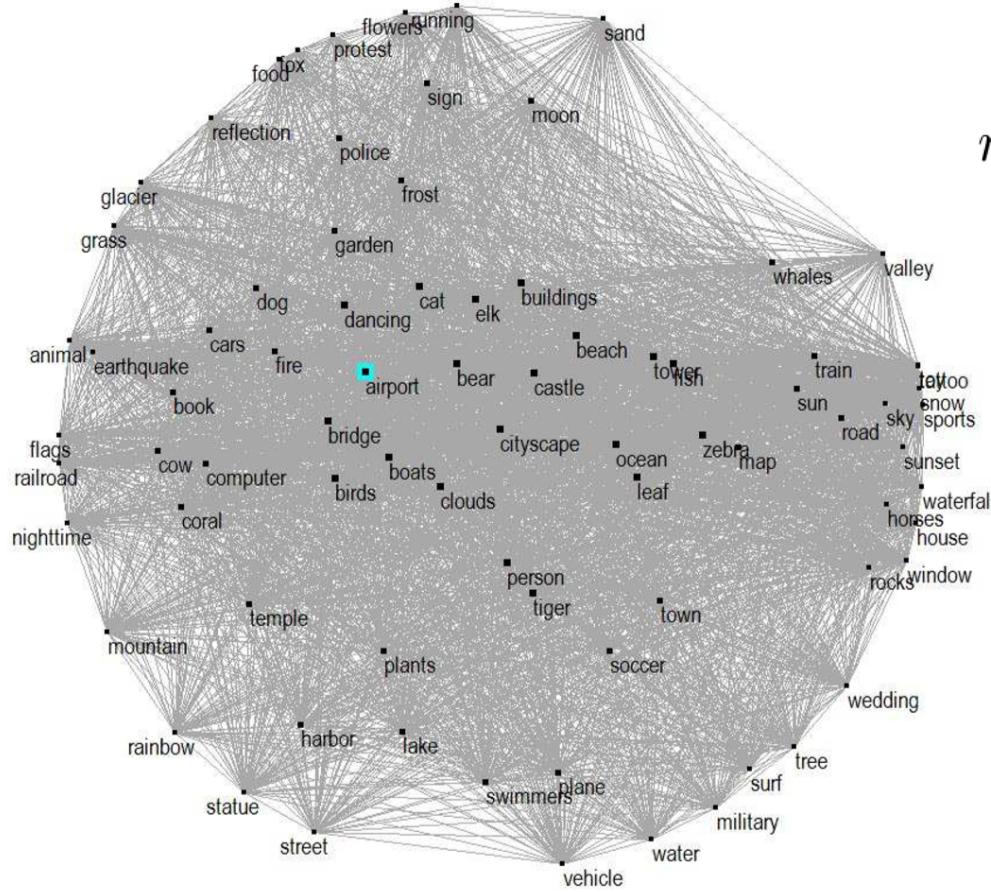
# Object Privacy Alignment



$$r_k(C_i, t) = \theta \sum_{C_j \in \Omega_{C_i}} r_{k-1}(C_i, t) \psi_{ij} + (1 - \theta) \gamma(C_i, t),$$

$$r_0(C_i, t) = \gamma(C_i, t)$$

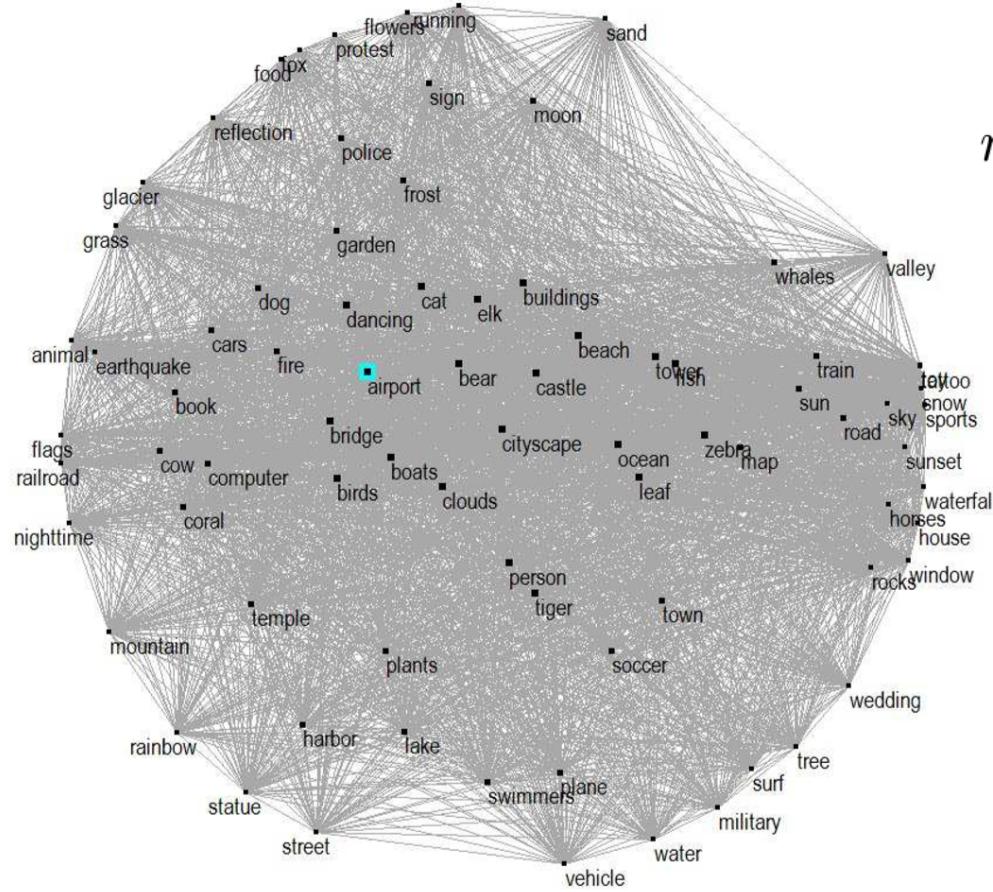
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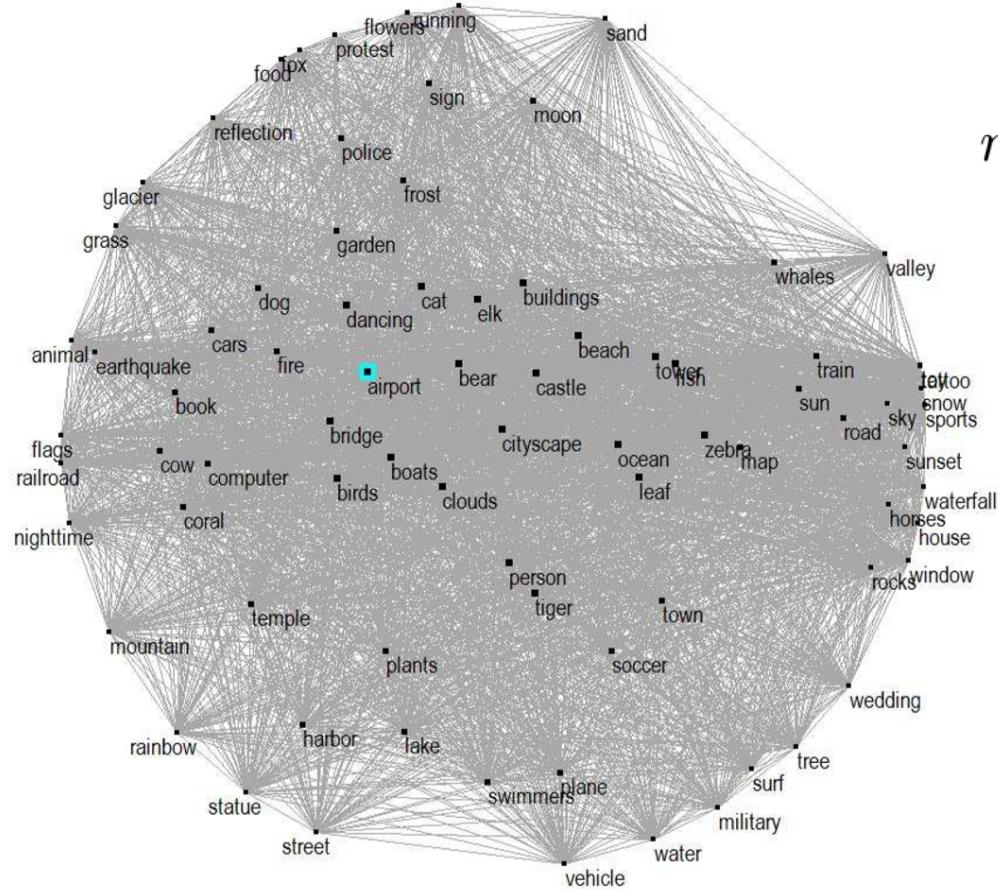
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$$r_0(C_i, t) = \gamma(C_i, t)$$

# Visual Tree

- Provide an organization of large number of privacy-sensitive object classes

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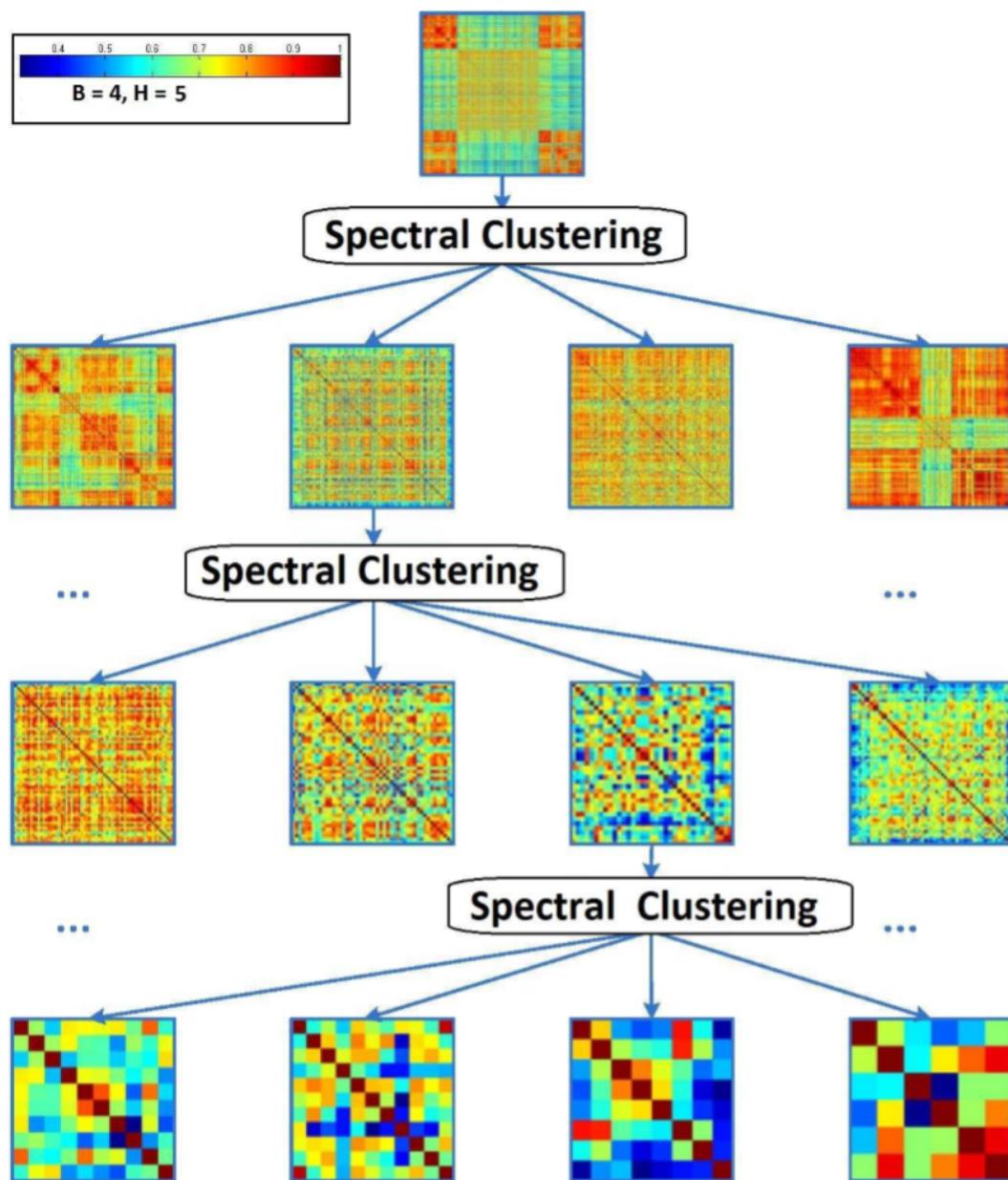
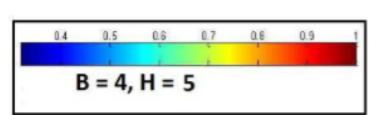
$$S(C_i, C_j) = \frac{1}{R^2} \sum_{x_l \in C_i} \sum_{x_h \in C_j} \kappa_o(x_l, x_h)$$

# Visual Tree

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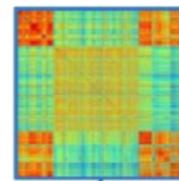
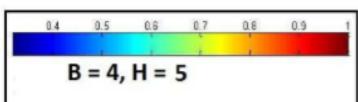
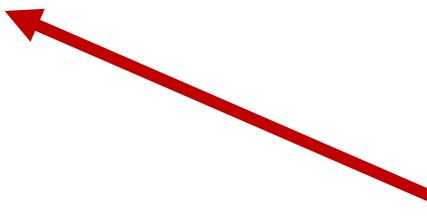
$$S(C_i, C_j) = \frac{1}{R^2} \sum_{x_l \in C_i} \sum_{x_h \in C_j} \kappa_o(x_l, x_h)$$

$$\kappa_o(x_l, x_h) = \exp\left(\frac{-\|x_l - x_h\|}{2\sigma^2}\right)$$

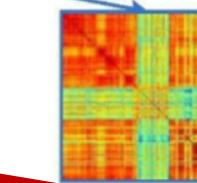
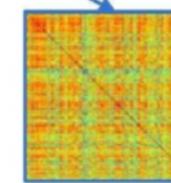
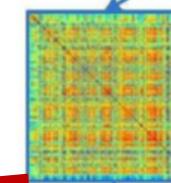
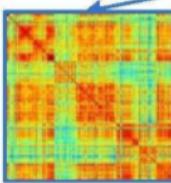


Suppose I have 20 classes

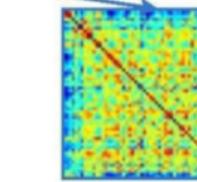
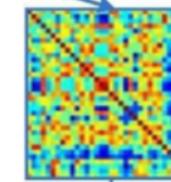
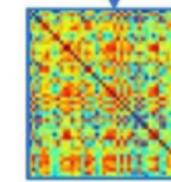
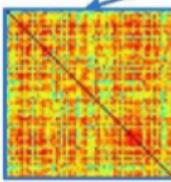
6 classes



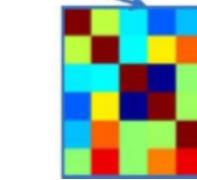
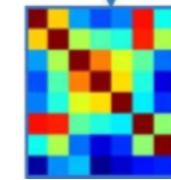
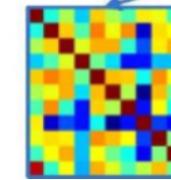
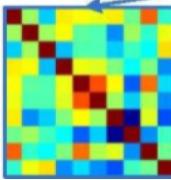
Spectral Clustering



Spectral Clustering



Spectral Clustering



7 classes

5 classes

2 classes

# Visual Tree

- Provide an organization of large number of privacy-sensitive object classes

$$S(C_i, C_j) = \frac{1}{R^2} \sum_{x_l \in C_i} \sum_{x_h \in C_j} \kappa_o(x_l, x_h)$$

$$\min \left\{ \psi(c, B) = \sum_{l=1}^B \frac{\sum_{C_i \in G_l} \sum_{C_j \in G^c/G_l} S(C_i, C_j)}{\sum_{C_i \in G_l} \sum_{C_h \in G_l} S(C_i, C_h)} \right\}$$

# Visual Tree

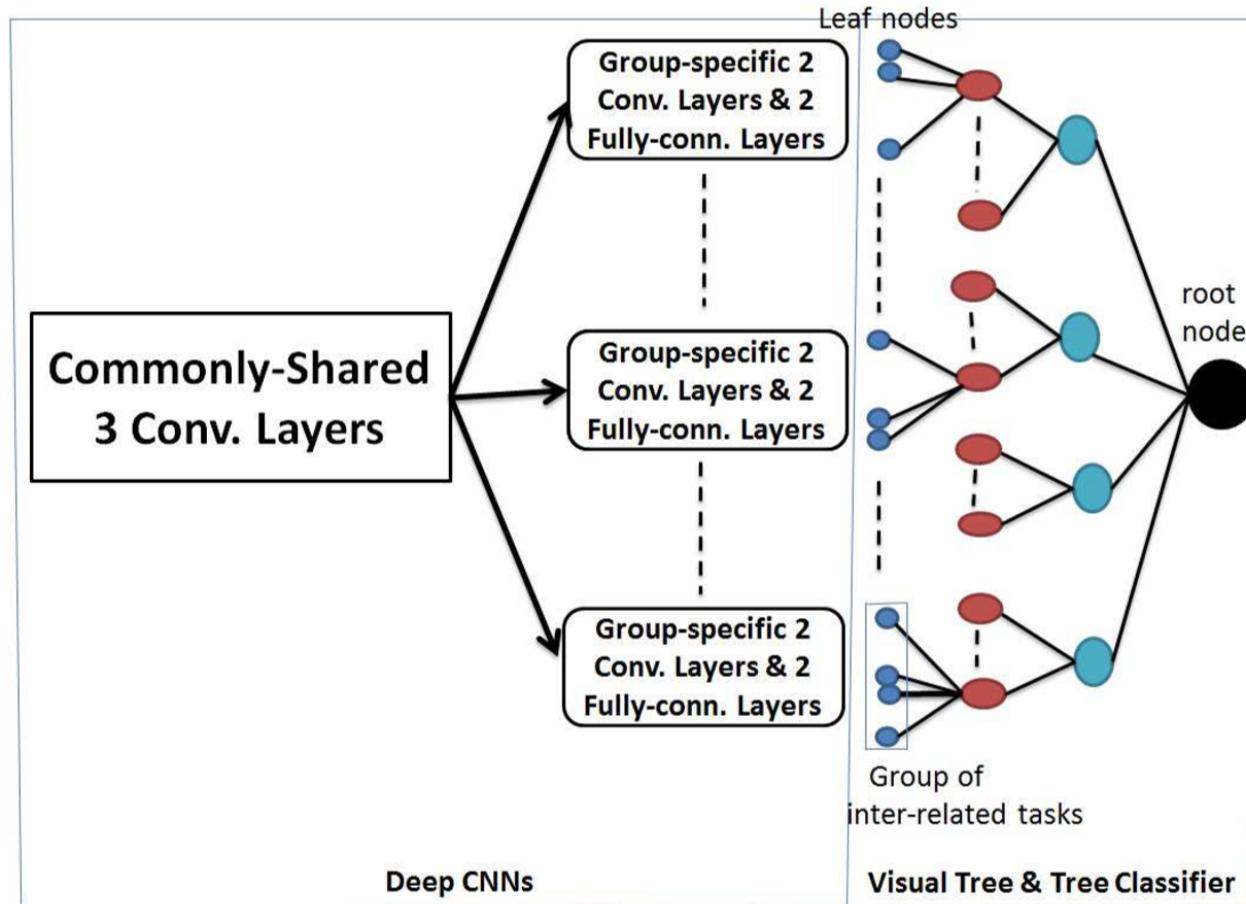
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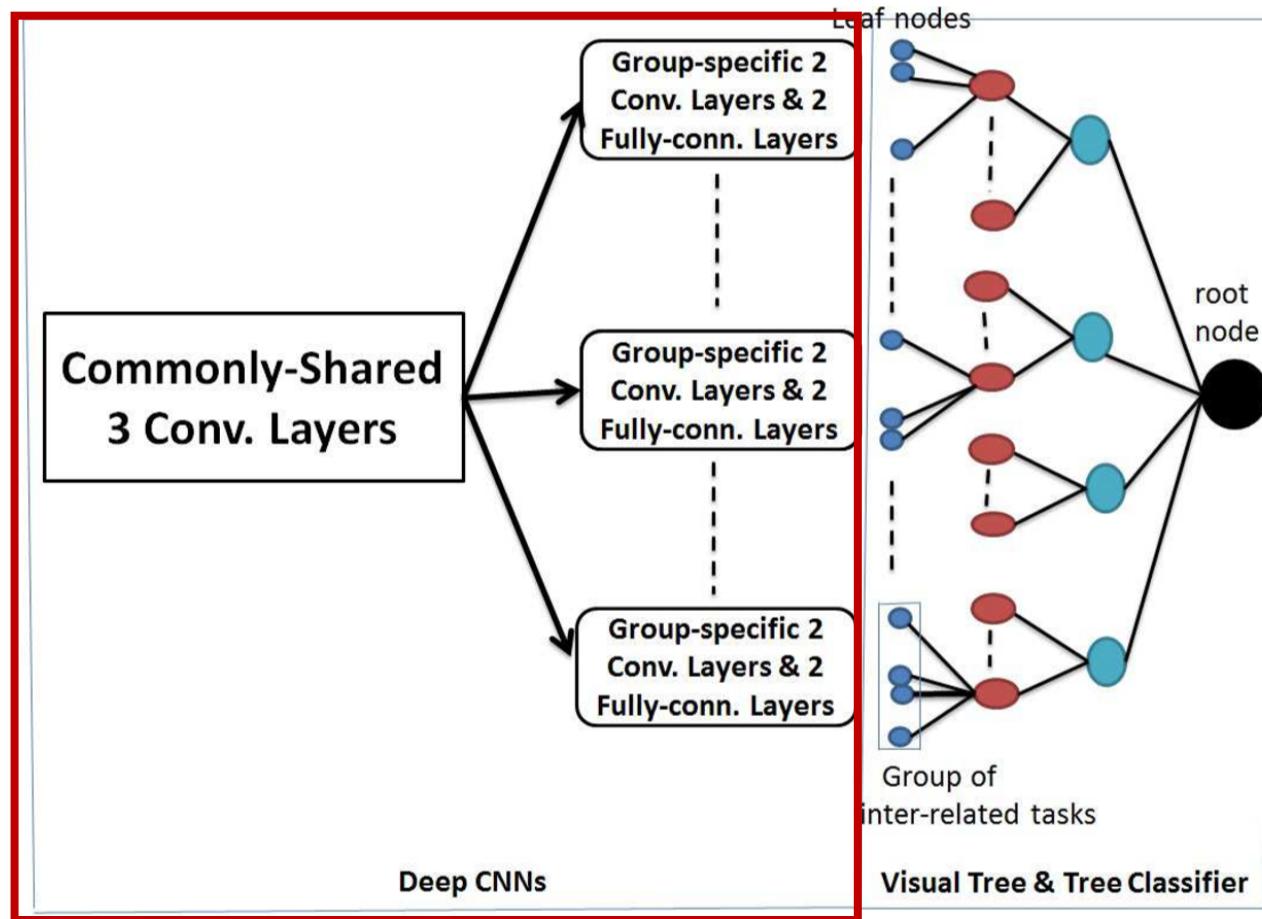
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$$\{ G_l \mid l = 1, \dots, B \}$$

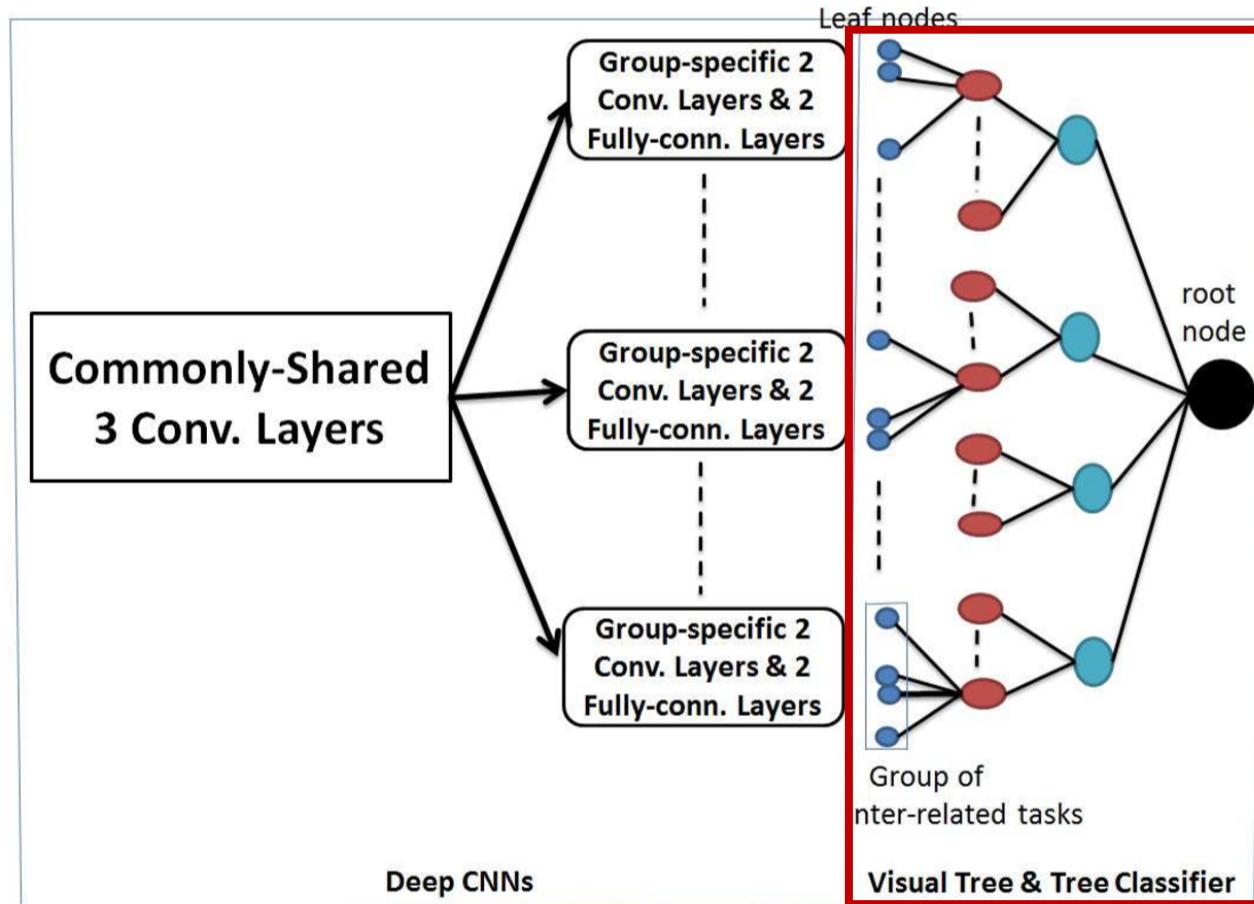
# Hierarchical Learning



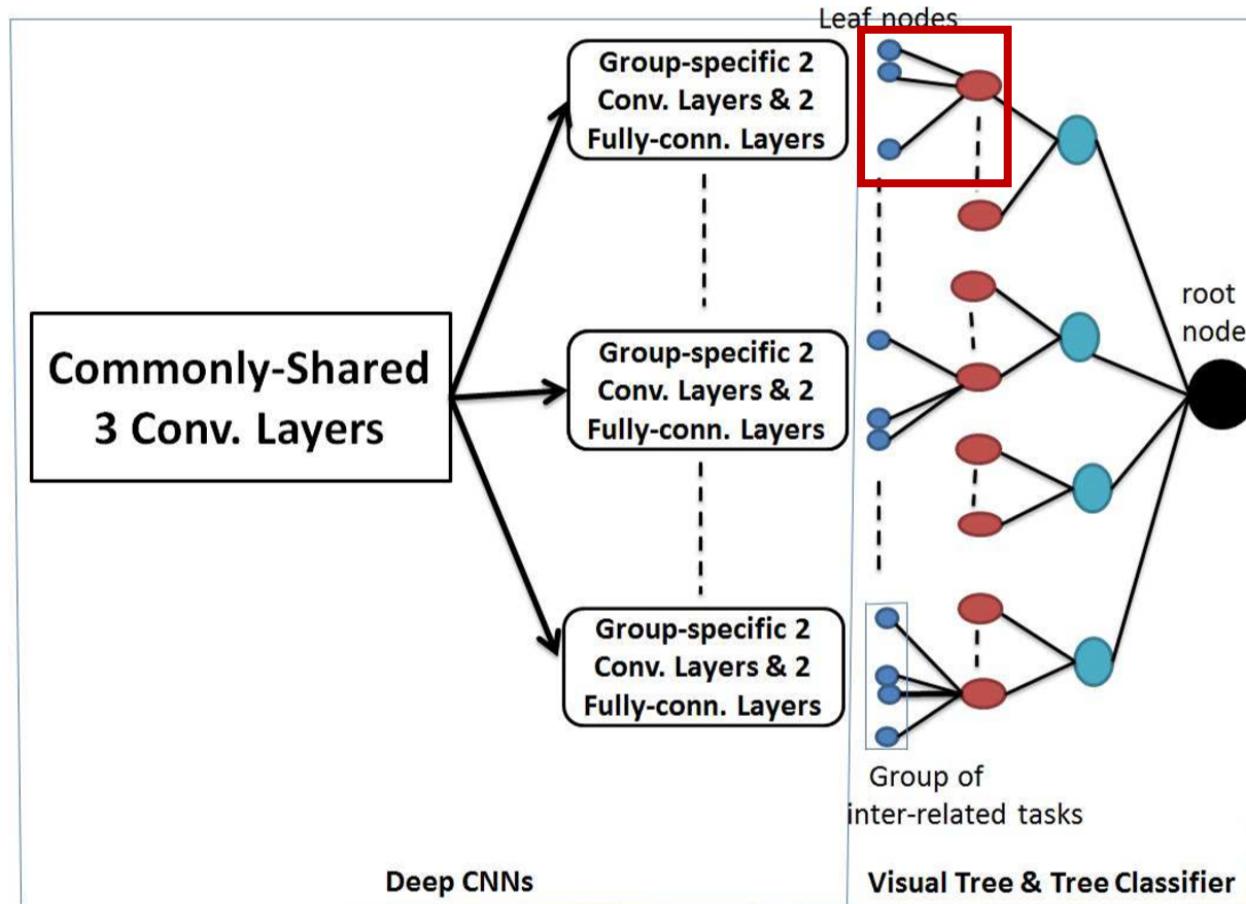
# Hierarchical Learning



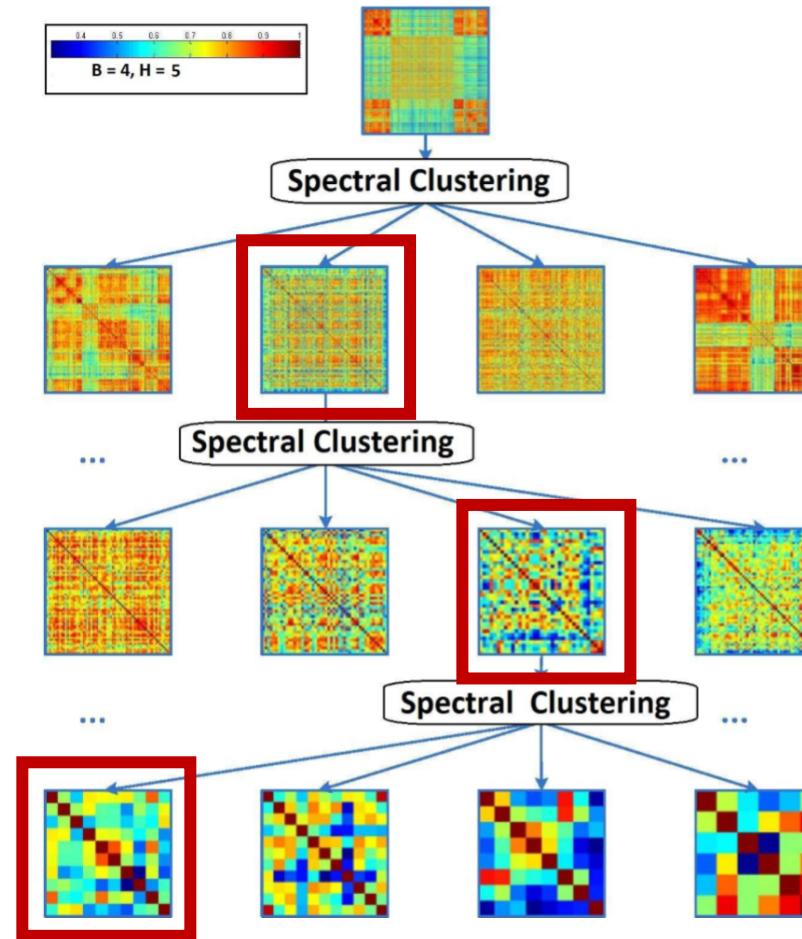
# Hierarchical Learning



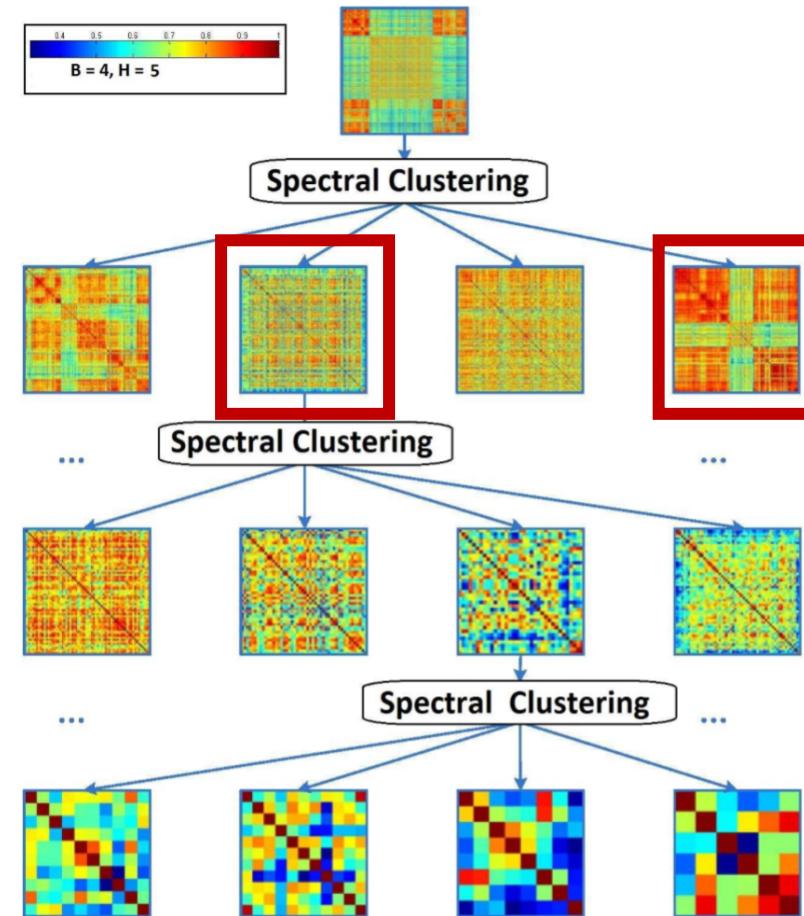
# Hierarchical Learning



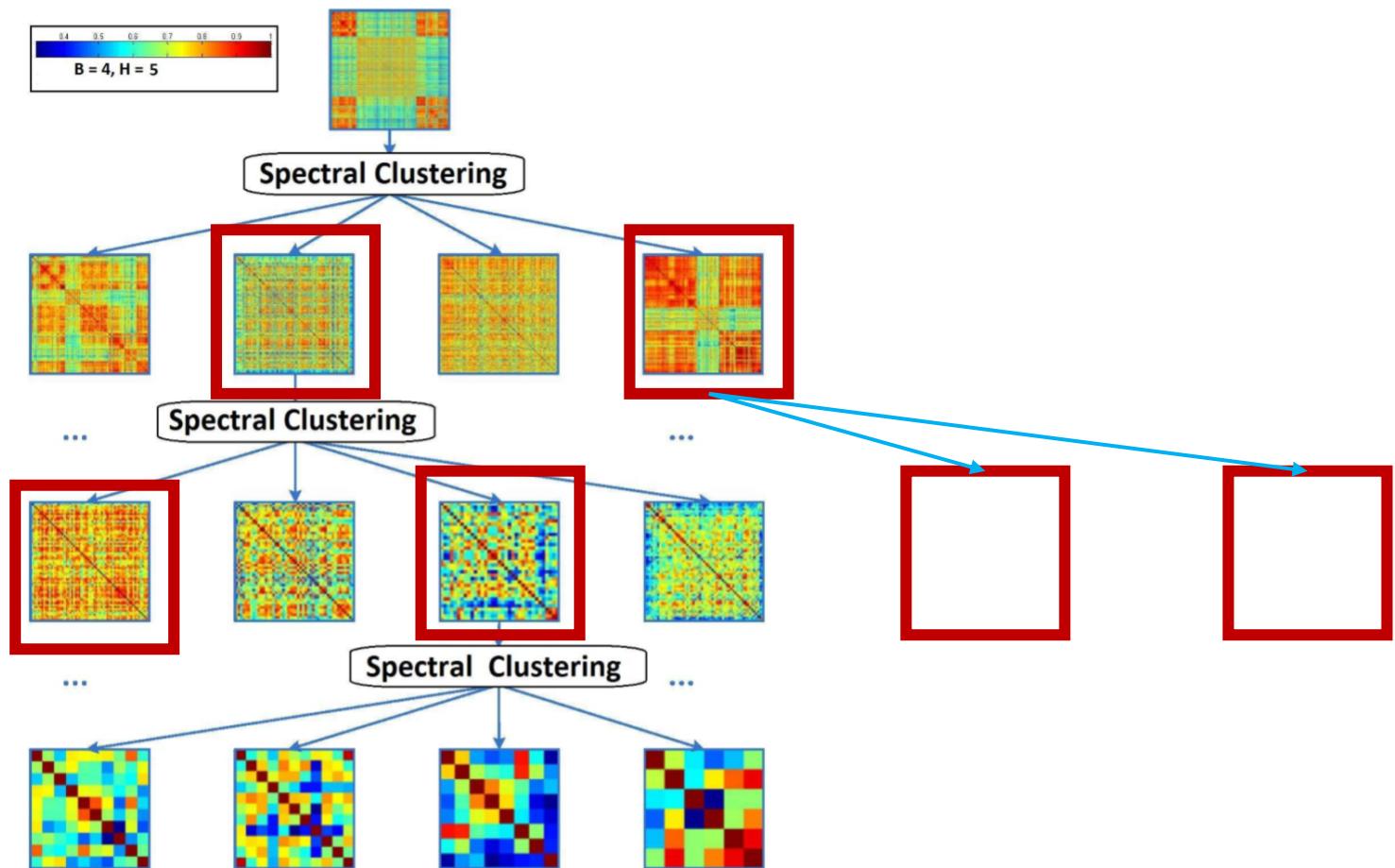
# Prediction



# Soft Prediction



# Soft Prediction



# Critique

- Pros
  - Object-privacy alignment
  - Automatic image-privacy detection

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- Pros
  - Object-privacy alignment
  - Automatic image-privacy detection
- Cons
  - Image features
  - User preference and social network

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# Conclusions

Rules		
1. If not tagged with allen then ALLOW ACCESS		
2. If not tagged with rosie then ALLOW ACCESS		
3. If tagged with rosie AND allen then DENY ACCESS		
4. Otherwise ALLOW ACCESS		

**Stan Can See...**

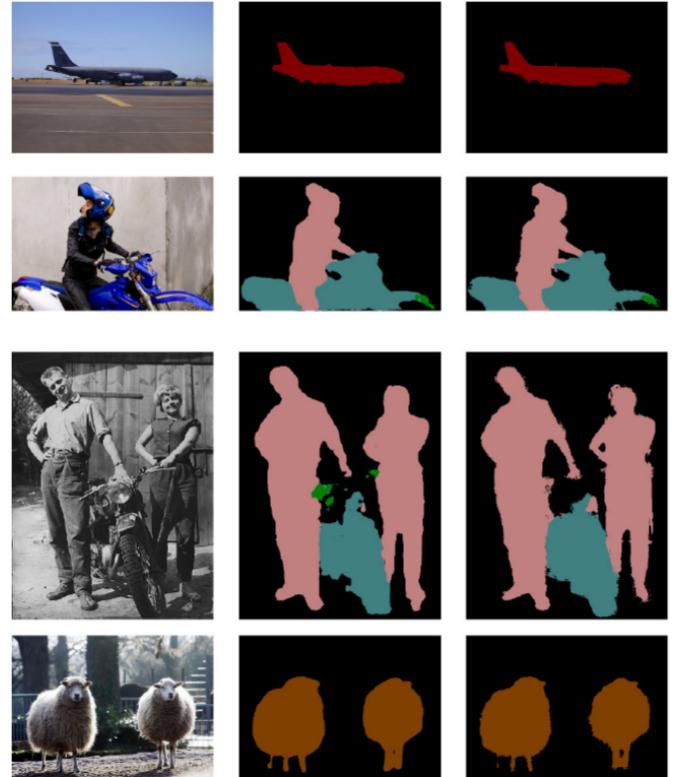
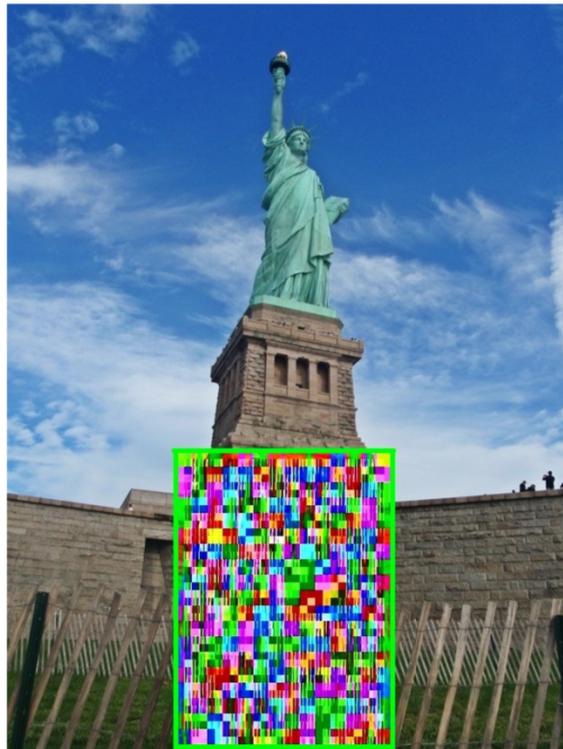


"china", "claymation"  
DSCF3497.JPG



"california", "rosie", "allen"  
DSCF4287.JPG  
DSCF4293.JPG

**Stan Can't See...**



# Future Work

- Incorporate privacy-alignment with other features
  - Profile information
  - Tags and captions



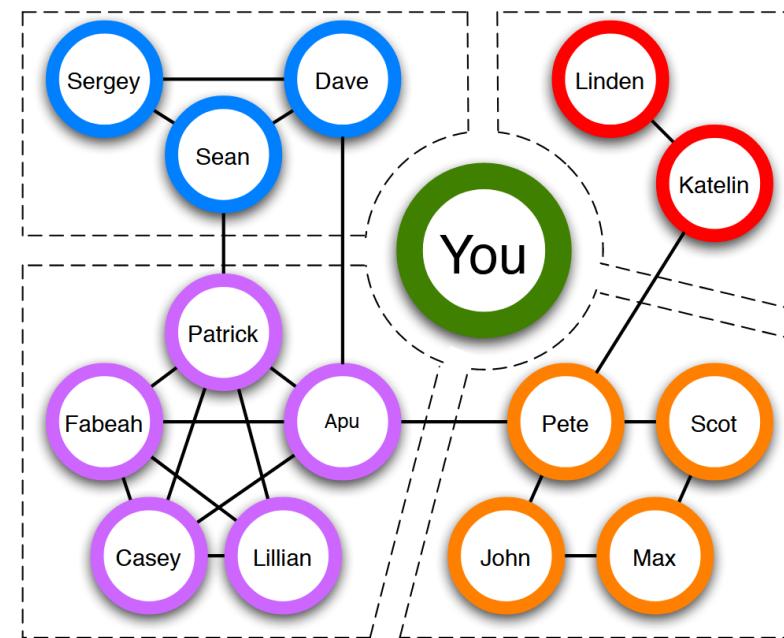
(a) Private



(b) Public

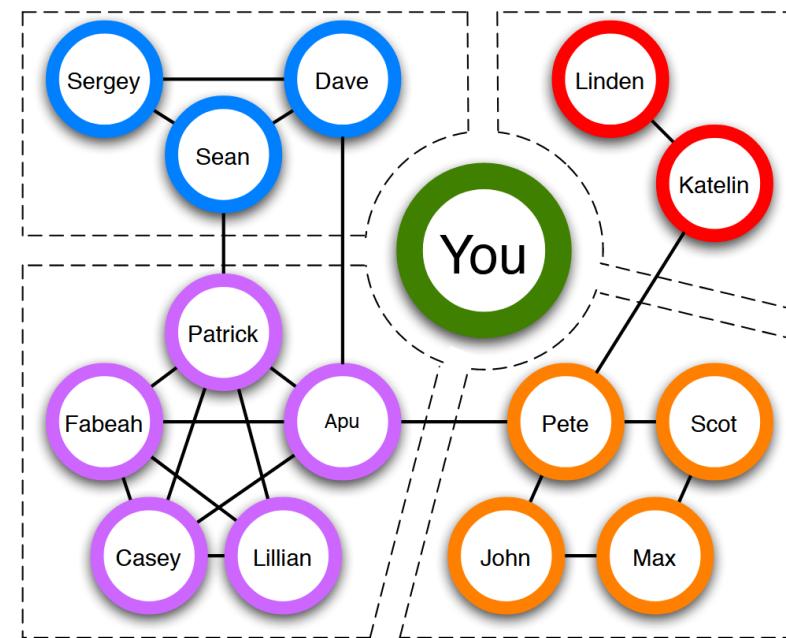
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Thank You