Practical Aspects of Data Science

Data Science Retreat - 2018/B4

Patrick Baier

About me

Patrick Baier

Short Bio:

- Machine Learning Engineer at Zalando (since ~ 3 years)
- Freelance DS-Trainer/Consultant
- PhD in Computer Science University Stuttgart

Interests:

- Big Data Processing
- Data Science

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Introduction

Course Goal

The goal of this course is to:

1. Prepare you for data science challenges which are beyond model training.
2. Give you insights into daily work life of a data scientist.
3. Run you through a ML project from model training to production.
4. Prepare you for your job interview.

Course Format

The course will be a mixture of:

1. Slides.
2. Exercises (coding).
3. Presentations about DS in practice.

Course Overview

- **Model Learning (Day 1)**
  Classifier evaluation, imbalanced data, probability calibration
- **Model Operation (Day 2)**
  Model deployment, missing features, monitoring, DS organization

Running Example

Running Example

Given:

- Data about customers buying goods at an online book shop
- Fraud label:
  - Class zero: people have paid their books after receiving them
  - Class one: people have NOT paid their books after receiving them

Task: Built a binary classification model that predicts in real-time the probability if a customers is good or a fraudsters :

- Model must be good at any possible classification threshold/cutoff.
- Model probability should be well calibrated.

Data Set

Data is given as day wise logs

```
➜ data ls -l fraud-data/
total 6696
-rw-r--r--  1 pbaier  domänen-benutzer  107832 Feb 13 18:46 2017-01-01.txt
-rw-r--r--  1 pbaier  domänen-benutzer  107855 Feb 13 18:46 2017-01-02.txt
-rw-r--r--  1 pbaier  domänen-benutzer  107265 Feb 13 18:46 2017-01-03.txt
-rw-r--r--  1 pbaier  domänen-benutzer  107483 Feb 13 18:46 2017-01-04.txt
-rw-r--r--  1 pbaier  domänen-benutzer  107979 Feb 13 18:46 2017-01-05.txt
```

Data Set

Every line of a daily file is one order in json format

```
➜ fraud-data head 2017-01-01.txt
{"transactionId": 6707871407, "basket": [1], "zipCode": 2196, "
{"transactionId": 3459351507, "basket": [2, 1, 5, 4, 2], "zipCo
{"transactionId": 7881605492, "basket": [0, 4, 5, 1, 4], "zipCo
{"transactionId": 8168380925, "basket": [3, 4, 2, 2, 0, 4, 3],
{"transactionId": 4691340970, "basket": [2, 4, 5], "zipCode": 3
{"transactionId": 8555449630, "basket": [2, 4, 0], "zipCode": 4
{"transactionId": 5083761599, "basket": [1, 1, 1, 1, 1, 3, 3, 0
{"transactionId": 6396332618, "basket": [3, 3, 5], "zipCode": 3
{"transactionId": 2771228668, "basket": [5], "zipCode": 8607, "
{"transactionId": 3339586925, "basket": [2], "zipCode": 7840, "
```

Data Set

One of these jsons:

```
➜ fraud-data head -n 1 2017-01-02.txt | jq .
{
  "transactionId": 1322473896,
  "basket": [
    2,
    2,
    5,
    2,
    4,
    2,
    2,
    2
  ],
  "zipCode": 8001,
  "totalAmount": 392,
  "fraudLabel": 0
}
```

Task 1

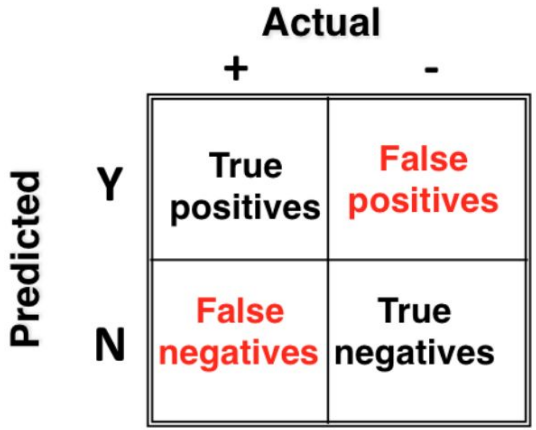
- Start a jupyter notebook
- Read in the data as one dataframe
- Learn a vanilla* logistic regression:
  - Craft some features (but let's discuss this first once you are ready)
  - Use the `fraudLabel` as label
  - Split data randomly (seed = 0) into training (70%) and test (30%)
  - Learn the classification model
- Do the same for Gradient boosted tree (gbt)
- Compare the two models on the test data and decide for one

* no regularization, no feature scaling

Classifier evaluation

Confusion matrix

- In binary classification, we predict a datapoint to be class *zero* or *one*.
- By comparing our prediction against the actual (= ground truth) label we get the confusion matrix:



Accuracy

The number of examples the classifier classifies correctly:

correct predictions / # all predictions

→Very intuitive and used very often

But: Works very bad on imbalanced datasets!
I.e. if you only have a few fraud cases, you already have a good accuracy if you always predict not-fraud.

Precision

$$\text{Precision} = \frac{\text{true positives}}{\text{true positives} + \text{false positives}}$$

Out of those which I classified as positives, how many are correct?

Recall

$$\text{Recall} = \frac{\text{true positives}}{\text{true positives} + \text{false negatives}}$$

Out of all positives, how many did I found?

Other names: true positive rate, sensitivity

False positive rate

$$\text{FPR} = \frac{\text{false positives}}{\text{false positives} + \text{true negatives}}$$

Target for Error Types

Sometimes the business is more sensitive towards certain types of prediction errors.

“We can tolerate false positives, but we cannot tolerate false negatives”.

Example: Predictive maintenance (= predict if a component breaks)
false positive = “We unnecessarily replace the component.”
false negative = “The train crashes.”

In classification we can target for certain error types by adjusting the cutoff.

Classifier probability

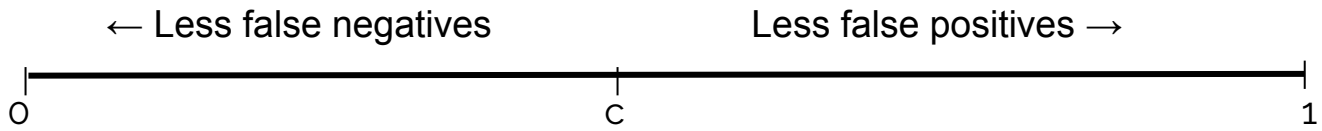
In binary classification a model not only predicts a class but also gives the probability that data point belongs to class one, i.e. p = 0.7.

`predict` (X)	Predict class labels for samples in X.
`predict_log_proba` (X)	Log of probability estimates.
`predict_proba` (X)	Probability estimates.

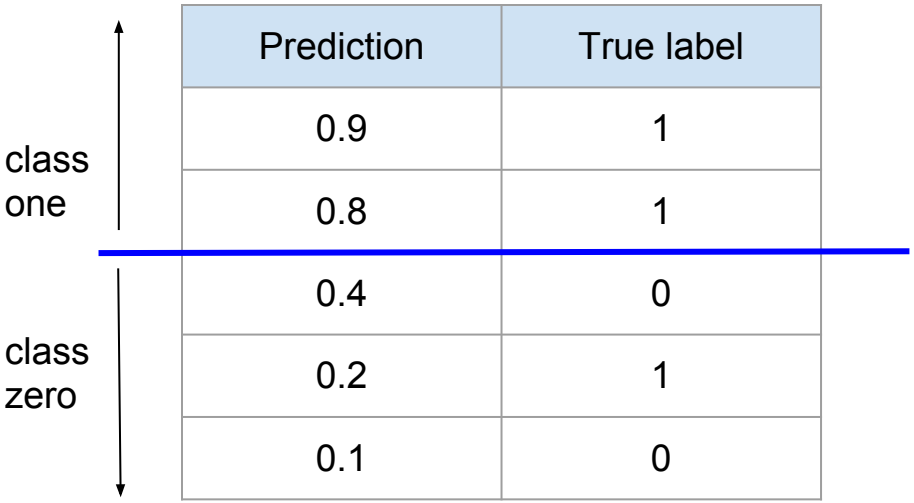
Classifier probability

To decide which class we assign the data point to, we need a cutoff threshold c in [0, 1] (as default c is often set to 0.5).

p => c → data point is in class one
p < c → data point is in class zero



Choose cutoff

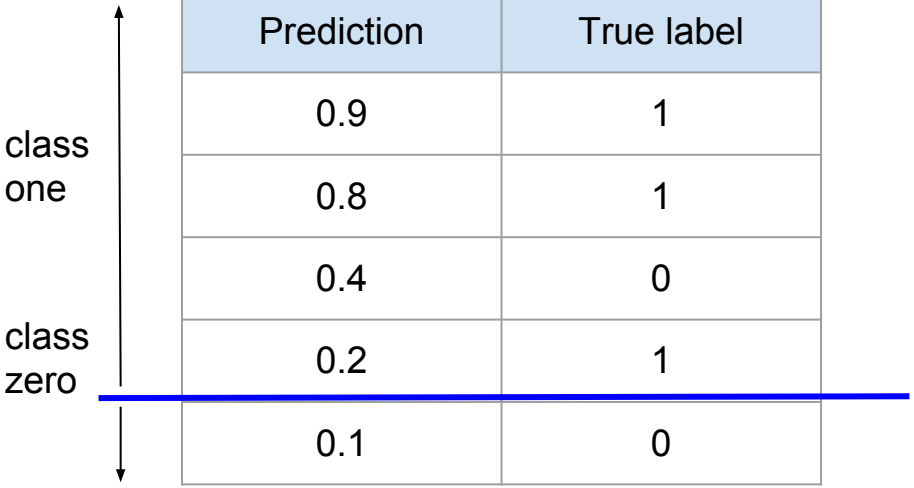


Prediction	True label
0.9	1
0.8	1
0.4	0
0.2	1
0.1	0

Cutoff c = 0.5

False positives = 0
False negatives = 1

Choose cutoff



Prediction	True label
0.9	1
0.8	1
0.4	0
0.2	1
0.1	0

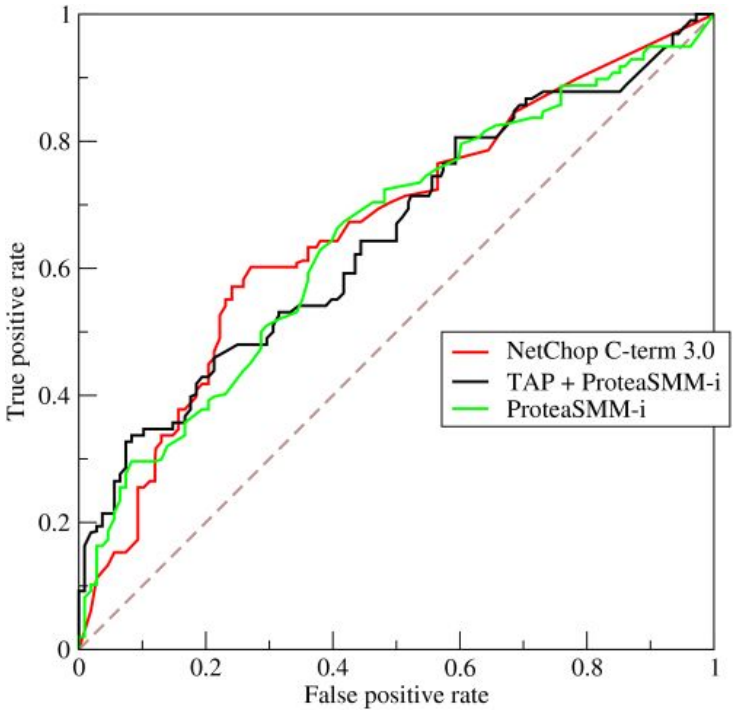
Cutoff c = 0.2

False positives = 1
False negatives = 0

How to we evaluate the performance of a model if cutoff is not know a-priori?

Receiver Operating Characteristic (roc curve)

- Shows for every threshold:
  - True positive rate (tpr):
    True positives / all positives
  - False positive rate (fpr):
    False positives / all negatives
- Worst case: diagonal (= random)
- Best case: upper left corner
- Performance metric: AUC
  (= area under the curve)



Constructing a roc curve

Given columns:

- prediction (of ML model)
- (true) label

Construct roc:

1. Sort prediction column in descending order
2. Start with largest prediction and calculate fpr and tpr if threshold was at this point
3. Plot point in roc plot
4. Do this with every prediction value (going in desc order)

Task 2

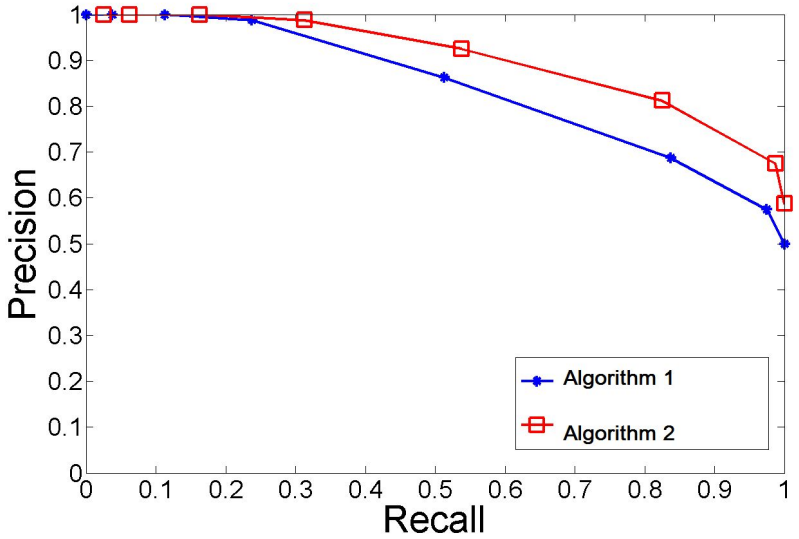
- Implement the generation of a roc curve.
- Implement the calculation of auc.
- Use this function to generate the roc curves for the predictions on test data from Task 1.
- Compare them to the roc curves produced by the sklearn library.

ROC on imbalanced data

TODO

Precision recall curve

The other often used performance measure for classification.



PRC vs ROC curve

Equivalence Theorem [1]: “A curve dominates in ROC space if and only if it dominates in PR space”.

→ If we compare two algorithms, it is usually sufficient to look at roc curve.

→ “the precision-recall plot changes depending on the ratio of positives and negatives, and it is also more informative than the ROC plot when applied to imbalanced datasets” [2]

[1] Jesse Davis and Mark Goadrich. 2006. The relationship between Precision-Recall and ROC curves.
[2] https://classeval.wordpress.com/simulation-analysis/roc-and-precision-recall-with-imbalanced-datasets/

Data Imbalance

Data Imbalance

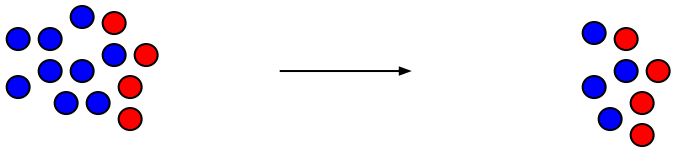
- Positive (or negative) data points are only a small fraction of all data.
  → Fraud detection is a classical example of an imbalanced dataset.

- Imbalanced datasets are a problem for machine learning models [1, 2].
  → conventional algorithms are often biased towards the majority class
  → their loss functions attempt to optimize quantities such as error rate

- Counter measures: Data sampling, data augmentation, adjust algorithm

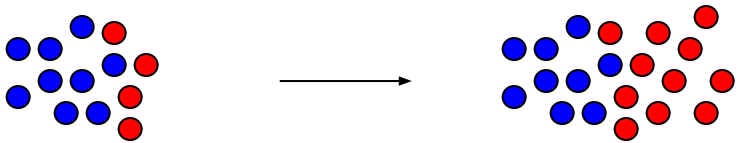
[1] Andrea Dal Pozzolo, Olivier Caelen, and Gianluca Bontempi. 2015. When is Undersampling E ective in Unbalanced Classi cation Tasks?. In Machine Learn- ing and Knowledge Discovery in Databases. Springer International Publishing, 200–215.
[2] A. D. Pozzolo, O. Caelen, R. A. Johnson, and G. Bontempi. 2015. Calibrating Probability with Undersampling for Unbalanced Classi cation. In 2015 IEEE Symposium Series on Computational Intelligence. 159–166.

Undersampling



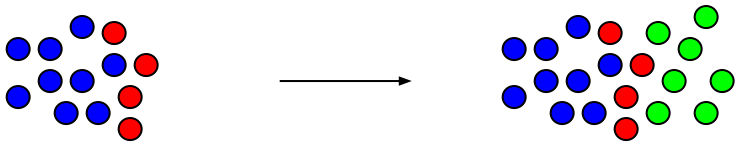
Randomly undersample the majority class
(= randomly remove non-fraud data points)

Oversampling



Randomly oversample the minority class with replacement
(= randomly duplicate fraud data points)

Data Augmentation



Create synthetic data points for the minority class, which are in some sense (e.g. distribution) similar to the minority class

Adjust algorithm

Many machine learning toolkits have ways to adjust the “importance” of classes.

```
# Create decision tree classifer object
clf = LogisticRegression(random_state=0, class_weight='balanced')

# Train model
model = clf.fit(X_std, y)
```

Task 3

1. Use undersampling for the logistic regression/gbt model of task 1.
2. Use oversampling for the logistic regression/gbt model of task 1.
3. Compare the results to the previous performance in terms of auc.

Probability Calibration

Problem description

In binary classification (class zero and class one), a model gives us the probability that a data point belongs to class one (i.e. p = 0.7).

How accurate/well-calibrated is this probability?

Example:
Assume an ML predictor outputs $p_{fraud} = 0.7$ for an order. If the predictor is well-calibrated, we can assume that 70% of the orders that have the same features as this orders are fraud.

Calibration

Why is this important?

Many real-world problems require a realistic probability rather than a (binary) decision.
→ Estimation of money at risk (= p_{fraud} `* basketValue`).
→ Estimate click probability of a banner.

Different machine learning models are better or less suited:
→ Logistic regression: Naturally gives well-calibrated predictions.
→ Tree ensembles: Not so good calibrated predictions.
→ Oversampling leads to unrealistic probabilities.

Calibration Error (Brier Score)

$$BS = \frac{1}{N}\sum_{t=1}^{N}(f_t - o_t)^2$$

f_t predicted probability

o_t observed probability

N number of observations

Calibration Error (Brier Score)

How do we measure the calibration of our predictions?

1. Predict on test data.
2. Sort by raw probabilities in ascending order.
3. Create buckets for every x data points in ascending order.
4. For every bucket calculate:
   a. p_{real} : real probability (#ones / #all)
   b. p_{pred} : average predicted probability

5. RMSE(p_{real} , p_{pred}) over all buckets

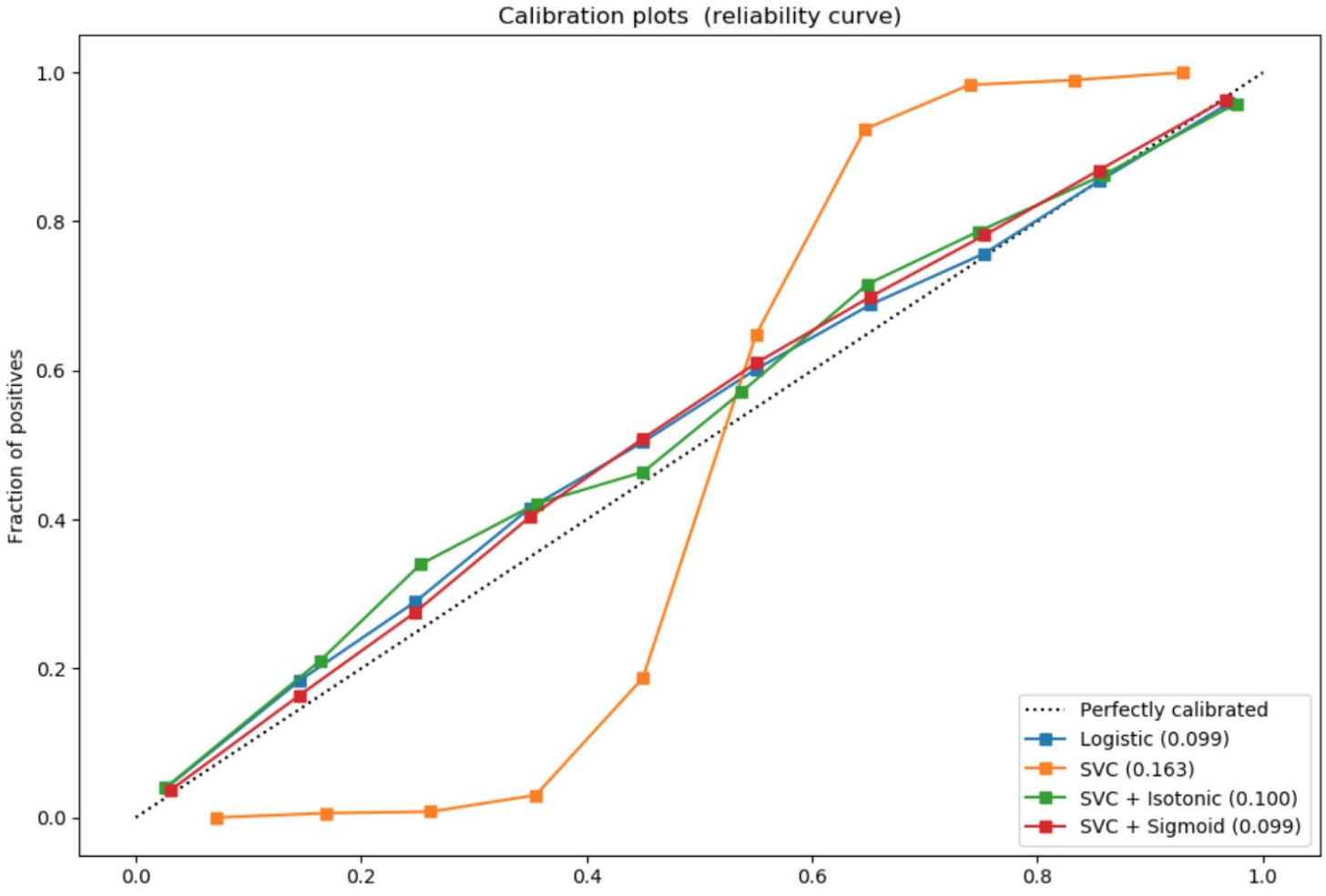
prediction	real label
...	...
0.51	0
0.53	0
0.54	1
0.56	1
0.58	1
...	...

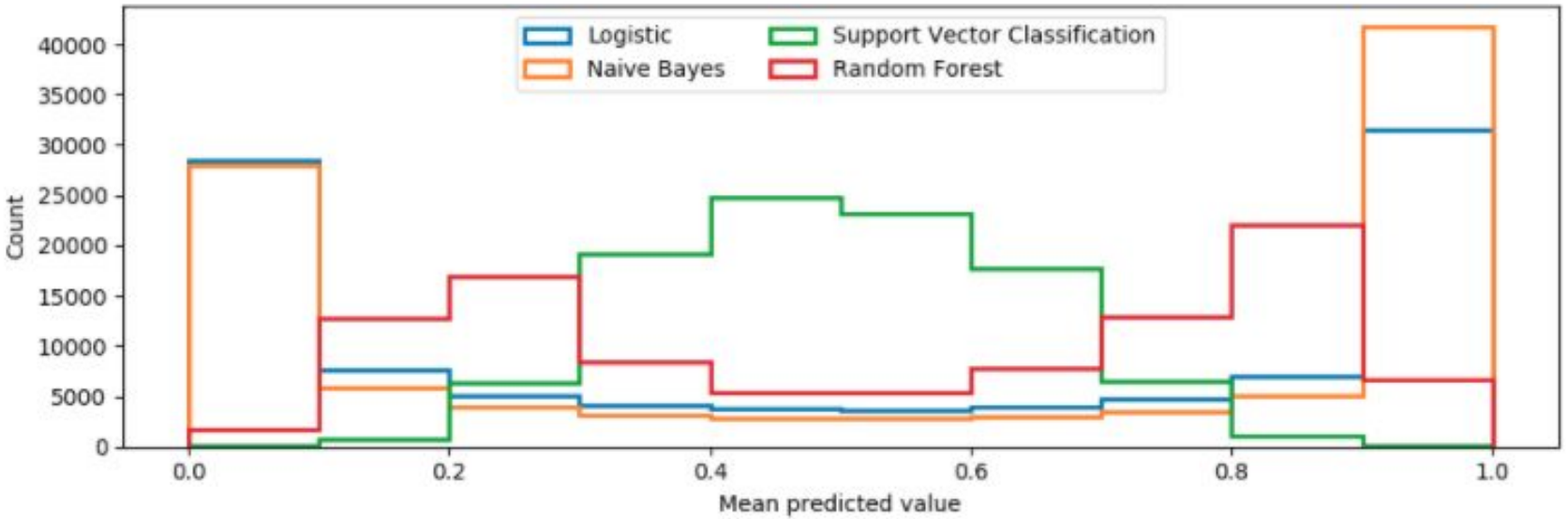
bucketSize = 5

$$p_{real} = 3 / 5 = 0.6$$

$$p_{pred} = (0.51+0.53+0.54+0.56+0.58)/5 = 0.544$$

$$err = 0.6-0.544$$


Calibration plots (reliability curve)
Fraction of positives
1.0
0.8
0.6
0.4
0.2
0.0
0.0
0.2
0.4
0.6
0.8
1.0
Perfectly calibrated
Logistic (0.099)
SVC (0.163)
SVC + Isotonic (0.100)
SVC + Sigmoid (0.099)



Very distribution depending on algorithm:

- Logistic regression has predictions all over the range
- Random Forest has only few predictions close to zero and one

(Simple) Calibration Algorithm

Learn calibration function on top of existing ML model on training data. This function maps raw prediction to calibrated prediction.

Learning:

1. Create buckets (as on previous slide) based on training predictions.
2. For every bucket: Calculate real fraud-probability (using true labels) and remember mapping: bucket → calibrated fraud-probability

Prediction:

1. Predict on data point with ML model.
2. Lookup bucket for prediction and output calibrated fraud-probability.

Task 4

- Check the calibration error of the models from task 1:
  - Form buckets of 100 consecutive predictions (starting from lowest probability).
  - Plot the error (x-axis: predicted probability, y-axis: real prob.)
  - Calculate the mean error over all buckets.
- Learn a calibration algorithm on the training data of task 1 and use it on the prediction of the test data.
- Compare the outcome to the uncalibrated case.

More Advanced Algorithms

There are more advanced algorithms for probability calibration (which in most cases do not turn out to be much better).

- Sigmoid calibration: Learn a logistic regression on top of the prediction

  $p_{real} = 1 / (1 + e^{(a*p_{pred} + b)})$

- Isotonic calibration:
  - Finds a non-decreasing approximation of a function
  - Results in a function that is piecewise linear (see next slide)
  - http://fa.bianp.net/blog/2013/isotonic-regression/

http://scikit-learn.org/stable/modules/calibration.html

Task 5

- Add sigmoid and isotonic calibration on top of our data.
- Compare the results.

MIMIC Calibration Algorithm

One calibrated that works good in practice proposed by Magnetic.

Self study:
Read the following blog post and note down the characteristics of the calibration algorithm (one person needs to present the details).
How is it different from the one we implemented before?

http://tech.magnetic.com/2015/06/click-prediction-with-vowpal-wabbit.html

Calibration Resources

Some interesting reads:

- https://www.svds.com/classifiers2/
- http://scikit-learn.org/stable/modules/calibration.html
- https://jmetzen.github.io/2015-04-14/calibration.html