In K-Means:
(A) [Ans] $K$ is often much smaller than $N$ .
(B) $K$ is often larger than $N$

- (C) K is often equal to N.
- (D) K is often odd.
- (E) None of the above

- (A) maximizes the sum of within cluster variances
- (B) reaches the same final answer irrespective of the initialization.
- (C) [Ans] cluster assignments are mutually exclusive and collectively exhaustive.
- (D) never converges to the global optima.
- (E) None of the above

K-Means:

Consider a measure computed from the final answer of K-Means:

$$J_k = \frac{1}{k} \sum_{l} \sum_{\mathbf{x}_i \in C_l} ||\mathbf{x}_i - \mu_l||_2^2$$

With increase in k

- (A)  $J_k$  will monotonically increase
- (B) **[Ans]**  $J_k$  will monotonically decrease.
- (C) It could increase first and then decrease.
- (D) It could decrease and then increase
- (E) None of the above.

${\sf Computational}$	${\sf complexity/effort}$	of K-means	${\sf algorithm}$	depends on:
(A) [Ans] K				

- (B) [Ans] N
- (C) **[Ans]** d
- (D) [Ans] No of iterations to converge
- (E) [Ans] All the above

Consider a set of 10 2D points (i.e., N = 10, d = 2)  $\{\mathbf{x_i}\}$  as  $\{[-2, -1]^T, [-3, -2]^T, [0, -1]^T, [-1, 0]^T, [2, 3]^T, [-1, -2]^T, [3, 2]^T, [3, 3]^T, [1, 1]^T, [2, 2]^T\}$ 

Cluster them into two clusters K = 2. Initialize the K Means such that the first five samples are in cluster A and the next 5 are in cluster B.

Write the final means as

$$(x,y)$$
 and  $(a,b)$