problem attempt

November 16, 2022

0.0.1 TDT17 - Implement the actor-critic architecture

The problem description is given in the provided pdf. This notebook will give you the tools necessary to solve the problem of implementing the actor-critic architecture and apply it so solve a simple problem of getting a decent score in the towers of hanoi game. You only need to add code in the places marked with TODO. If done correctly according to the provided pseudocode, you should be able to run the notebook, and find a solution to the towers of hanoi problem where the number of moves are between 15-20 regurarly. 15 is the optimal number of moves.

You only need to change the code in the main while loop in the last cell. I have done the initial setup for you.

COPILOT NOT ALLOWED GOOD LUCK!

```
Parameters
[31]: class Parameters():
          def __init__(self):
              # World parameters
              self.world_type = "hanoi_towers"
              # Episodes and steps
              self.num episodes = 200
              self.episode_length = 300
              # Critic parameters
              self.critic_type = "table"
              self.input_dims = {"hanoi_towers": self.

¬get_tower_params()["peg_amount"]}
              self.critic_neural_dimentions = (self.input_dims[self.world_type], 20,__
       30, 5, 1
              self.critic_learning_rate = 0.00065
              self.critic_eligibility_decay = 0.99
              self.critic_discount = 0.99
              # Actor parameters
              self.actor_learning_rate = 0.8
              self.actor_eligibility_decay = 0.7
              self.actor_discount = 0.98
```

World representation (Environment)

```
[32]: from functools import reduce
      class HanoiTowersWorld():
          def __init__(self, parameters):
              self.params = parameters
              self.peg_amount = self.params["peg_amount"]
              self.disc_amount = self.params["disc_amount"]
              self.peg_states = self.generate_peg_states()
              self.reset()
          def reset(self):
                  Resets the world state and variables.
                  num_moves is used for checking if we have lost (timeout basically)
                  first_peq will contain all the discs. For a 4 disc problem, this__
       \rightarrowwill look like [1, 2, 3, 4]
                  rest_of_pegs are the rest of the pegs, and they are all empty as_
       ⇔all the discs are on the first peg
                  The initial state will be these two lists added together
              self.num_moves = 1
              first_peg = [[i + 1 for i in range(self.disc_amount)][::-1]]
              rest_of_pegs = [[] for _ in range(self.peg_amount - 1)]
              self.world_state = first_peg + rest_of_pegs
```

```
def generate_peg_states(self):
           This method will number the possible states in the problem so that \sqcup
we can look at a peg and say:
               "Yep. Thats peg state 2"
           This makes it easier to make connections between state and action,
→ for the neural network (if we use that approach)
           The list for a 4 disc problem will look like this:
           [[], [4], [3], [4, 3], [2], [4, 2], [3, 2], [4, 3, 2], [1], [4, 1],
\hookrightarrow [3, 1], [4, 3, 1], [2, 1], [4, 2, 1], [3, 2, 1], [4, 3, 2, 1]]
      def powerset(lst):
           return reduce(lambda result, x: result + [subset + [x] for subset⊔
→in result],lst, [[]])
      return powerset([i for i in range(self.disc_amount, 0, -1)])
  def calculate_world_state(self):
       HHHH
           Will return a list of peg states representing the current state.
           The length of the list depends on the amount of pegs in the problem
      state = []
      for peg in self.world_state:
           state.append(self.peg_states.index(peg)) # Indexes the powerset_
→calculated in generate_peg_states to get the number
      return state
  def get_current_state(self):
           As the state has to be hashable, we convert the state_
⇔representation to a tuple of integers
      return tuple(self.calculate_world_state())
  def get_possible_actions(self):
       nnn
           This method will return a list of possible actions to perform.
           It will loop through the pegs and check if a disc is eligable to_{\sqcup}
⇔move from one to another.
           If it is, then it will be added to the list in this representation \sqcup
⇔(example):
               -- [(2, 0, 1), (1, 2, 0), (1, 2, 1)] --
               This means that:
                  disc 2 can move from peg 0 to peg 1
                  disc 1 can move from peg 2 to peg 0
```

```
disc 1 can move from peg 2 to peg 1
           So it returns a list of tuples with (disc, peg_from, peg_to)
      possible_moves = []
       for i, peg1 in enumerate(self.world_state):
           if len(peg1) == 0:
               continue
           for j, peg2 in enumerate(self.world_state):
               if len(peg2) == 0: # If the peg is empty, we can move the discu
\hookrightarrow there
                   possible_moves.append((peg1[-1], i, j))
               else:
                   if peg1[-1] < peg2[-1]: # The disc has to be smaller than_
⇒the one it lands on
                       possible_moves.append((peg1[-1], i, j))
      return possible_moves
  def perform_action(self, action):
           This method performs the action selected by the actor. It will \sqcup
⇒select one of the elements in the list returned from get_possible_actions
           and will decode the message in the same way as the comment above.
             -- (2, 1, 0) --
             Will move disc 2 from peg 1 to peg 0
      self.num_moves = self.num_moves + 1
      peg_from = action[1]
      peg to = action[2]
       disc = self.world_state[peg_from][-1] # The disc on top of the peg weu
⇔are moving it from
       self.world_state[peg_from] = self.world_state[peg_from][:-1] # Removes_
→ the last element (removes the disc)
       self.world_state[peg_to] = self.world_state[peg_to] + [disc] # Adds_
⇔element (places disc)
  def get visualization(self):
           The visual representation for this problem is a bit weird. It will \sqcup
⇒seperate each peg with a "/" and each disc with ","
           This is because the actual state representation of the pegs is_{\sqcup}
⇔encoded into the integers explaned earlier.
           The string returned from this method is decoded in the visualizer ...
⇔as follows:
           -- Initial position for 3 pegs and 4 discs --
               4,3,2,1//
```

```
(1) Splits on "/" qiving: ["4,3,2,1", "", ""]
                (2) Split each peg on "," giving: [["4", "3", "2", "1"], [], []]
                Now we can use the list to represent the pegs and discs
       11 11 11
       string = ""
       for disk in self.world_state:
           string += ",".join([str(x) for x in disk])
           string += "|"
       return string[:-1]
  def winning_state(self):
       11 11 11
           The state is winning if the last peg contains all the discs
       return len(self.world_state[-1]) == self.disc_amount
  def losing_state(self):
           The state is losing (timed out) if the AI has tried for too many_{\sqcup}
~moves
       return self.num_moves == self.params["episode_length"]
  def is_end_state(self):
       H H H
           Returns true if the world is in an end state (either winning or ...
\hookrightarrow losing)
       return self.winning_state() or self.losing_state()
  def get_reward(self):
           We will give a negative reward trying to tell the AI to find the ∟
solution with the "least worse" total reward (the smallest negative number)
           If we hit the winning state, we give the AI an additional reward_
\hookrightarrow spesified in parameters.py. These are different for the table and neural_{\sqcup}
\negnetwork critics.
       ,, ,, ,,
       if self.winning_state():
           return self.params["win_reward"]
       return -1
```

Actor and Critic Both the actor and the critic uses table-based representation for the policy and value function respectively. These representations can also be implemented as neural networks, as discussed in the provided video.

```
[33]: import random
      class Actor():
          def init (self, learning rate, eligibility decay, discount, epsilon,
        ⇔epsilon_decay):
               HHHH
                   Constructor initializing values for the Actor class.
                   Everything except the "policy" and "eligibility" is provided by the
       \hookrightarrow caller.
               11 11 11
               self.learning_rate = learning_rate
               self.eligibility_decay = eligibility_decay
               self.discount = discount
               self.epsilon = epsilon
               self.epsilon_decay = epsilon_decay
               self.policy = {}
               self.eligibility = {}
               self.SAPs = []
          def add_to_sap(self, sap):
                   Will add the state and action to the history of the given episode
               self.SAPs.append(sap)
          def add_to_policy(self, sap):
               HHHH
                   If the state-action pair is not in the policy, we add it with a_{\sqcup}
        \neg reward of 0.
               HHHH
               if sap not in self.policy:
                   # This works as an initialization for unseen states.
                   self.policy[sap] = 0
          def add_to_eligibility(self, sap):
                   If the state-action pair is not in the eligibility, we add it with \sqcup
       \hookrightarrowa reward of 1.
               11 11 11
               if sap not in self.eligibility:
                   # This works as an initialization for unseen states.
                   # Same asline 3 in the algorithm under section 3.1 in actor-critic.
        \hookrightarrow pdf
                   self.eligibility[sap] = 1
          def reset(self):
```

```
11 11 11
           Resets eliqibility to empty dictionary
       # Updates epsilon for each episode
       self.epsilon = self.epsilon * self.epsilon_decay
       self.eligibility = {}
       self.SAPs = \Pi
  def select_action(self, state, possible_actions):
           Decides which action the actor should do. If the random value is_{11}
⇒larger than the epsilon it
           loops through the possible actions given from the world, and \Box
→calculates the best action by choosing the one with the best reward.
           If the random value is smaller than epsilon, a random action is \Box
⇔chosen.
           This works as line 2 in the algorithm under section 3.1 in_{\sqcup}
\Rightarrow actor-critic.pdf.
       11 11 11
       best action = random.choice(possible actions)
       random value = random.random()
       if random value > self.epsilon:
           highest_reward = float("-inf")
           for move in possible_actions:
               sap = (state, move)
               self.add_to_policy(sap)
               reward = self.policy[sap]
               if reward > highest_reward:
                   best_action = move
                   highest_reward = reward
       return best_action
  def learn(self, error):
           Updates the "policy" and "eliqibility" with the given error and
⇒actor properties.
       ,, ,, ,,
       for sap in self.SAPs:
           self.add_to_policy(sap)
           self.add_to_eligibility(sap)
           # Works as line 6c in the already referenced algorithm
           self.policy[sap] = self.policy[sap] + self.learning_rate * error *_
⇔self.eligibility[sap]
           # Works as line 6d in the already referenced algorithm
           self.eligibility[sap] = self.discount * self.eligibility_decay *__
⇔self.eligibility[sap]
```

```
class Critic():
    def __init__(self, learning_rate, eligibility_decay, discount):
            Constructor initializing values for the TableCritic class.
            Everything except the "rewards", "eligibility" and "error" is ____
 ⇔provided by the caller.
        n n n
        self.learning_rate = learning_rate
        self.eligibility_decay = eligibility_decay
        self.discount = discount
        self.rewards = {}
        self.eligibility = {}
        self.error = 0
        self.SRPs = []
    def add_to_srp(self, srp):
            Will add the state and reward to the history of the given episode
        self.SRPs.append(srp)
    def reset(self):
        11 11 11
            Resets eligibility to empty dictionary
        self.eligibility = {}
        self.SRPs = []
    def learn(self):
            \mathit{Updates} the "rewards" and "eligibility" with the given error and \sqcup
 ⇔actor properties.
        if len(self.SRPs) == 2:
            self.eligibility[self.SRPs[0][0]] = self.discount * self.
 ⇔eligibility_decay
        self.eligibility[self.SRPs[-1][0]] = 1
        for SRP in self.SRPs:
            # Works as line 6a in the algorithm in section 3.1 in actor-critic.
 \hookrightarrow pdf
            self.rewards[SRP[0]] = self.rewards[SRP[0]] + self.learning_rate *_\scripts
 ⇒self.error * self.eligibility[SRP[0]]
            # Works as line 6b in the same algorithm
            self.eligibility[SRP[0]] = self.discount * self.eligibility_decay *_
 ⇔self.eligibility[SRP[0]]
```

```
def calculate_error(self, prev, new, reward):
    """

    The parameter "states" is a tuple containing the old and new state.
    The method will update the td_error for the critic based on the
actual reward and the two states.
    """

if new not in self.rewards:
        self.rewards[new] = random.random() / 10

if prev not in self.rewards:
        self.rewards[prev] = random.random() / 10

# Works as line 4 in the algorithm in section 3.1 in actor-critic.pdf
self.error = reward + (self.discount * self.rewards[new]) - self.

rewards[prev]
return self.error
```

Visualizer

```
[34]: import matplotlib.pyplot as plt
      import numpy as np
      class Visualiser():
              Generalized visualizer using the correct subclass depending on the \sqcup
       ⇔world_type
          HHHH
          def __init__(self, data, params):
              self.worker = HanoiTowersVisualizer(data, params)
          def show(self):
              .....
                  Every subclass has this method, and creates the visualization needed
              return self.worker.show()
      class HanoiTowersVisualizer():
          11 11 11
              Used for the Towers of Hanoi visualization
          def __init__(self, data, params):
              self.episodes = data[0]
              self.episode = data[1]
              self.params = params
          def show(self):
              spes = self.params.get_problem_parameters()
```

```
disc_amount = spes["disc_amount"]
      length = len(self.episode)
      print("Final episode ran for", length - 1, "moves" )
      print("The run was a " + ("SUCCESS" if len(self.episode[-1].
⇔split("|")[-1].split(",")) == disc_amount else "FAILURE"))
      self.make_graph()
  def make_graph(self):
      plt.figure()
      plt.title('Results for the Towers of Hanoi')
      # Axis variables
      episode_lengths = [len(e) - 1 for e in self.episodes] # - 1 as we want_\Box
→the amount of moves, and not states (16 states means 15 moves)
      plt.plot(np.arange(len(self.episodes)), episode_lengths)
      plt.xlabel("Episode number")
      plt.ylabel("Move count")
      plt.show()
```

Main loop and run function

```
[35]: PARAMS = Parameters()
     def run_episode(actor, critic, world):
         # Resetting things before each episode
         world.reset()
         actor.reset()
         critic.reset()
         # Initializing state-action list and state-reward list
         state, reward = world.get_current_state(), world.get_reward()
         # Agent chooses first action
         action = actor.select_action(state, world.get_possible_actions())
         # Adding the state-action and state-reward pairs to the episode history in \Box
      ⇔actor and critic
         actor.add_to_sap((state, action))
         critic.add_to_srp((state, reward))
         # Storing episode states for visualization
         episode_visualization = [world.get_visualization()]
         # ======= CODE BETWEEN HERE
       # Run episode steps
```

```
while True:
        # DONE: Fetch world state and the next action chosen
        state = world.get_current_state()
       action = actor.select_action(state, world.get_possible_actions())
        # DONE: Add the state-action pair as a tuple to the actor's SAPsu
 ⇔(State-Action Pairs)
       actor.add_to_sap((state, action))
        # DONE: Perform the action in the world
       world.perform_action(action)
        # DONE: Fetch the new world state and the reward
       new_state = world.get_current_state()
       reward = world.get_reward()
        # DONE: Add the state-reward pair as a tuple to the critic's SRPsu
 ⇔(State-Reward pairs)
       critic.add_to_srp((state, reward))
        \# DONE: Use the critic to calculate the error based on the previous \sqcup
 ⇔state, the new state and the reward
        error = critic.calculate_error(state, new_state, reward)
        # DONE: Use the error to learn the actor, and call the critics learn \Box
 \rightarrowmethod
       actor.learn(error)
       critic.learn()
        # Storing data used for visualization
       episode_visualization.append(world.get_visualization())
        # Checking if we are done, and updating neural network if we're using it
       if world.is end state():
           break
    # ======= END OF CODE CHANGES
 ______
    # Returns the data needed for visualization. It is only used when the
 →parameter is set, but will always be returned
   return episode_visualization
def visualize(actor, critic, world):
   if PARAMS.visualize:
```

```
# Setting epsilon to 0 so that the greedy-strategy is on display
       actor.epsilon = 0
       # Asking actor what to do for every state (1-99) for plotting
       if PARAMS.world_type == "the_gambler":
           data = []
           for i in range(1, 100):
               4100 - i + 1))])
               data.append(bet)
           data = [0] + data + [0] # This is to secure shapes (0 and 100 are_l)
 →end states, but should be on the graph)
       else:
           # Running an episode
           episode = run_episode(actor, critic, world)
           data = (episodes, episode)
       # Visualizing results
       visualiser = Visualiser(data, PARAMS)
       visualiser.show()
if __name__ == "__main__":
   # Initializing actor, critic and world
   critic = Critic(PARAMS.critic_learning_rate, PARAMS.
 ⇔critic_eligibility_decay, PARAMS.critic_discount)
   actor = Actor(PARAMS.actor_learning_rate, PARAMS.actor_eligibility_decay,_
 →PARAMS.actor_discount, PARAMS.epsilon, PARAMS.epsilon_decay)
   world = HanoiTowersWorld(PARAMS.get_problem_parameters())
   # Used for visualization in both pole balancing and towers of hanoi
   episodes = []
   # Running episodes
   for episode nr in range(PARAMS.num episodes):
       episodes.append(run_episode(actor, critic, world))
   print(f"---- Ran {episode_nr + 1} episodes ----")
   visualize(actor, critic, world)
```

---- Ran 200 episodes ----Final episode ran for 16 moves The run was a SUCCESS

