# HW2 TA hours

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#### Outline

- 1. Logistic Regresion with batch training
- 2. Generative model
- 3. Shell Script

If we let batch\_size=25...

```
1 X.shape=(25, 106)
2 w.shape=(106,)
3 b.sahpe=(1,)
4 z.shape=(25,)
5 y.shape=(25,)
6 Y.shape=(25,)
```

#### Parallel運算

X = 25個input feature

y = 25 prob

Y = 25個label

#### Logistic Regression

Step 1: 
$$f_{w,b}(x) = \sigma \left( \sum_{i} w_i x_i + b \right)$$

Step 2:  $\hat{y}^n$ : 1 for class 1, 0 for class 2

$$L(f) = \sum_{n} C(f(x^n), \hat{y}^n)$$

cross\_entropy = -(np.dot(Y, np.log(y)) + np.dot((1 - Y), np.log(1 - y))) 
$$C(f(x^n), \hat{y}^n) = -[\hat{y}^n lnf(x^n) + (1 - \hat{y}^n) ln(1 - f(x^n))]$$

# Step 3: Find the best function

$$\frac{\left(1-f_{w,b}(x^n)\right)x_i^n}{-lnL(w,b)} = \sum_{n} -\left[\hat{y}^n \frac{lnf_{w,b}(x^n)}{\partial w_i} + (1-\hat{y}^n) \frac{ln\left(1-f_{w,b}(x^n)\right)}{\partial w_i}\right]$$

$$= \sum_{n} -\left[\hat{y}^n \left(1-f_{w,b}(x^n)\right)x_i^n - (1-\hat{y}^n)f_{w,b}(x^n)x_i^n\right]$$
mean

$$w_{grad} = np.sim(-1 * X * (Y - y).reshape((batch_size,1)), axis=0)$$

$$= \sum_{n} -(\hat{y}^{n} - f_{w,b}(x^{n}))x_{i}^{n} \quad w = w - l_{rate} * w_{grad}$$

Larger difference, larger update 
$$w_i \leftarrow w_i - \eta \sum_n -\left(\hat{y}^n - f_{w,b}(x^n)\right) x_i^n$$

$$z = w \cdot x + b = \sum_{i} w_i x_i + b$$

# Step 3: Find the best function

$$\frac{\left(1 - f_{w,b}(x^n)\right)x_i^n}{-\ln L(w,b)} = \sum_{n} -\left[\hat{y}^n \ln f_{w,b}(x^n) + (1 - \hat{y}^n) \ln\left(1 - f_{w,b}(x^n)\right)\right]$$

$$= \sum_{n} -\left[\hat{y}^n \left(1 - f_{w,b}(x^n)\right)\right]^n - (1 - \hat{y}^n)f_{w,b}(x^n)$$

$$= \sum_{n} -\left[\hat{y}^n \left(1 - f_{w,b}(x^n)\right)\right]^n - (1 - \hat{y}^n)f_{w,b}(x^n)$$

$$b_grad = np.stm(-1 * (Y - y))$$

$$=\sum_{n}-\left(\widehat{y}^{n}-f_{w,b}(x^{n})\right)^{n}$$

Larger difference, larger update

$$b = b - l_rate * b_grad$$

#### Gaussian Distribution

$$P(C_1|x) = \frac{P(x|C_1)P(C_1)}{P(x|C_1)P(C_1) + P(x|C_2)P(C_2)}$$

$$= \frac{1}{1 + \frac{P(x|C_2)P(C_2)}{P(x|C_1)P(C_1)}} = \frac{1}{1 + exp(-z)} = \sigma(z)$$
Sigmoid function

## Gaussian Distribution-Training(mean)

$$\mu^* = \frac{1}{79} \sum_{n=1}^{79} x^n$$
average

#C1

```
#calclulate mu1 and mu2
mu1 = np.zeros((dim,))
mu2 = np.zeros((dim,))
for i in range(train_data_size):
    if Y_train[i] == 1:
        mu1 += X_train[i]
        cnt1 += 1
    else:
        mu2 += X_train[i]
        cnt2 += 1
mu1 /= cnt1
mu2 /= cnt2
```

# Gaussian Distribution-Training(sigma)

# #C1

$$\Sigma^* = \frac{1}{79} \sum_{n=1}^{79} (x^n - \mu^*) (x^n - \mu^*)^T$$

```
#calculate sigma1 and sigma2
sigma1 = np.zeros((dim,dim))
sigma2 = np.zeros((dim,dim))
for i in range(train_data_size):
    if Y_train[i] == 1:
        sigma1 += np.dot(np.transpose([X_train[i] - mu1]), [(X_train[i] - mu1)])
    else:
        sigma2 += np.dot(np.transpose([X_train[i] - mu2]), [(X_train[i] - mu2)])
sigma1 /= cnt1
sigma2 /= cnt2
```

#### Gaussian Distribution-Training(sigma)

$$\Sigma = \frac{\text{\#C1}}{\frac{79}{140}} \Sigma^{1} + \frac{61}{140} \Sigma^{2}$$
 Shared sigma: 
$$\Sigma = \frac{79}{140} \Sigma^{1} + \frac{61}{140} \Sigma^{2}$$
 #TrainData

#### Gaussian Distribution-predict

$$\begin{split} \Sigma_1 &= \Sigma_2 = \Sigma \\ z &= (\mu^1 - \mu^2)^T \Sigma^{-1} x - \frac{1}{2} (\mu^1)^T \Sigma^{-1} \mu^1 + \frac{1}{2} (\mu^2)^T \Sigma^{-1} \mu^2 + \ln \frac{N_1}{N_2} \\ \pmb{w^T} & & \text{b} \end{split}$$

 $P(C_1|x) = \sigma(w \cdot x + b)$  How about directly find **w** and b?

# Sigmoid

```
8 def sigmoid(z):
7    res = 1 / (1.0 + np.exp(-z))
6    return np.clip(res, 0.0000000000001, 0.999999999999)
```

使用np.clip() 避免數值太小或太大而overflow

## Generative model -Naive Bayes Classifier

- 假設每個attribute都是獨立的,全部有T個attribute
- P(C1|X) = P(C1|X1) \* P(C1|X2) \*...\* P(C1|XT)
- continuous attribute: 當成gaussian, 一樣算mean跟var
- discrete: P(C1|X1) = N(C1, X1) / N(X1)
- 算出全部attribute的P(C1|X), 並相乘
- 比較P(C1|X)與P(C2|X)

## Shell Scripts

What is Shell Script?

Shell script defined as: "Shell Script is series of command written in plain text file.

... 把很多指令寫成一個檔案, 可以一次做很多事情。

甚至是做判斷式或是迴圈。

## Script Tutorial and Example

Shell Script Tutorial: <a href="http://linux.vbird.org/linux\_basic/0340bashshell-scripts.php">http://linux.vbird.org/linux\_basic/0340bashshell-scripts.php</a>
Example:

## **Passing Arguments**

How to pass arguments to your srctipts or .py files?

1. 在terminal或cmd中的輸入與script中變數對應關係: /path/example.sh /path/to/data /path/to/output \$0 \$1 \$2

2. 在terminal或cmd中的輸入與.py中變數對應關係: /path/example.py /path/to/data /path/to/output sys.argv[0] sys.argv[1] sys.argv[2]

#### **Passing Arguments**

```
script:

1 echo 'script_arg1 is : '$0''
2 echo 'script_arg2 is : '$1''
3 echo 'script_arg3 is : '$2''
4 echo 'Start to run Python'
5 python test.py $1 $2
```

```
python:
```

```
1 import sys
2 a = sys.argv[0]
3 b = sys.argv[1]
4 c = sys.argv[2]
5 print 'python_arg1 is : %s' % a
6 print 'python_arg2 is : %s' % b
7 print 'python_arg3 is : %s' % c
```

#### **Passing Arguments**

Let's run...

```
lacetylSv:~ acetylSv$ ./test.sh path1 path2
script_arg1 is : ./test.sh
script_arg2 is : path1
script_arg3 is : path2
Start to run Python
python_arg1 is : test.py
python_arg2 is : path1
python_arg3 is : path2
```

#### **PATH**

- 絕對路徑:相對於根目錄的路徑。
  - Ex: /Users/MLTA/Desktop/hw2
- 相對路徑:相對於目前資料夾的路徑。
  - Ex: ./hw2/logistic.py、../hw1/linear\_regression.py
- ★ 助教會在git clone整個 ML2017/hw2資料夾
- ★ 並在 ML2017/hw2資料夾執行程式(Ex: hw2\_best.sh)
- ★ 若要 讀/存model請用相對路徑
- ★ Data的Path助教會用絕對路徑下在hw2\_best.sh的argument裡。

#### Model相對路徑

- 現在路徑: ~/ML/HW2
  - model路徑:./logisticparameter.model
  - Data路徑:
    - 如果寫死路徑
    - 寫死助教的Data就傳不進去
    - 有可能error

#### Announcement

- hw2\_best.sh
  - o training可以用gpu
  - 請同學確認程式是可以在cpu模式下跑