Problem

Chef gave you an infinite number of candies to sell. There are N customers, and the budget of the i^{th} customer is A_i rupees, where $1 \le A_i \le M$.

You have to choose a price P, to sell the candies, where $1 \le P \le M$.
The i^{th} customer will buy **exactly** $\lfloor \frac{A_i}{P} \rfloor$ candies.
Chef informed you that, for each candy you sell, he will reward you with C_P rupees, as a bonus. Find the **maximum** amount of bonus you can get.

Note:

- We are not interested in the profit from selling the candies (as it goes to Chef), but only the amount of bonus. Refer the samples and their explanations for better understanding.
- $\lfloor x \rfloor$ denotes the largest integer which is not greater than x. For example, $\lfloor 2.75 \rfloor = 2$ and $\lfloor 4 \rfloor = 4$.

Input Format

- The first line of input will contain a single integer T, denoting the number of test cases.
- Each test case consists of multiple lines of input.
  - The first line of each test case contains two space-separated integers N and M, the number of customers and the upper limit on budget/price.
  - The second line contains N integers - $A_1, A_2, \dots, A_N$, the budget of i^{th} person.
  - The third line contains M integers - $C_1, C_2, \dots, C_M$, the bonus you get per candy, if you set the price as i.

Output Format

For each test case, output on a new line, the maximum amount of bonus you can get.

Constraints

- $1 \le T \le 10^4$
- $1 \le N, M \le 10^5$
- $1 \le A_i \le M$
- $1 \le C_j \le 10^6$
- The elements of array C are not necessarily non-decreasing.
- The sum of N and M over all test cases won't exceed 10^5.

Sample 1:

Input	Output
2 5 6 3 1 4 1 5 1 4 5 5 8 99 1 2 1 4 1	20 4

Explanation:

Test case 1**:**

- If we choose $P = 1$, the number of candies bought by each person is $[\lfloor \frac{3}{1} \rfloor, \lfloor \frac{1}{1} \rfloor, \lfloor \frac{4}{1} \rfloor, \lfloor \frac{1}{1} \rfloor, \lfloor \frac{5}{1} \rfloor]$. Thus, our bonus is $(3+1+4+1+5) \cdot 1 = 14$.
- If we choose $P = 2$, the number of candies bought by each person is $[\lfloor \frac{3}{2} \rfloor, \lfloor \frac{1}{2} \rfloor, \lfloor \frac{4}{2} \rfloor, \lfloor \frac{1}{2} \rfloor, \lfloor \frac{5}{2} \rfloor]$. Thus our bonus is $(1+0+2+0+2) \cdot 4 = 20$.
- If we choose $P = 3$, the number of candies bought by each person is $[\lfloor \frac{3}{3} \rfloor, \lfloor \frac{1}{3} \rfloor, \lfloor \frac{4}{3} \rfloor, \lfloor \frac{1}{3} \rfloor, \lfloor \frac{5}{3} \rfloor]$. Thus our bonus is $(1+0+1+0+1) \cdot 5 = 15$.
- If we choose $P = 4$, the number of candies bought by each person is $[\lfloor \frac{3}{4} \rfloor, \lfloor \frac{1}{4} \rfloor, \lfloor \frac{4}{4} \rfloor, \lfloor \frac{1}{4} \rfloor, \lfloor \frac{5}{4} \rfloor]$. Thus our bonus is $(0+0+1+0+1) \cdot 5 = 10$.
- If we choose $P = 5$, the number of candies bought by each person is $[\lfloor \frac{3}{5} \rfloor, \lfloor \frac{1}{5} \rfloor, \lfloor \frac{4}{5} \rfloor, \lfloor \frac{1}{5} \rfloor, \lfloor \frac{5}{5} \rfloor]$. Thus our bonus is $(0+0+0+0+1) \cdot 8 = 8$.
- If we choose $P = 6$, the number of candies bought by each person is $[\lfloor \frac{3}{6} \rfloor, \lfloor \frac{1}{6} \rfloor, \lfloor \frac{4}{6} \rfloor, \lfloor \frac{1}{6} \rfloor, \lfloor \frac{5}{6} \rfloor]$. Thus our bonus is $(0+0+0+0+0) \cdot 99 = 0$.

Thus, the answer is 20.

Test case 2**:**

- If we choose $P = 1$, the number of candies bought by each person is $[\lfloor \frac{1}{1} \rfloor]$. Thus, our bonus is $1 \cdot 4 = 4$.
- If we choose $P = 2$, the number of candies bought by each person is $[\lfloor \frac{1}{2} \rfloor]$. Thus, our bonus is $0 \cdot 1 = 0$.

Thus, the answer is 4.