BMTRY 719 Lab Course:

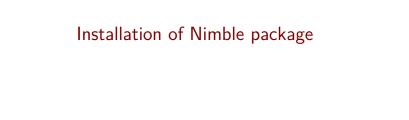
Introduction to NIMBLE

Chun-Che Wen

14 March 2024

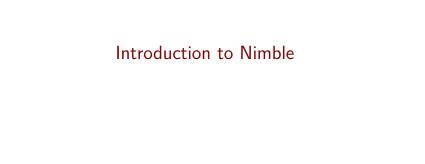
Table of content

- 1. Installation of Nimble package
- 2. Introduction to Nimble
- 3. Nimble workflow
- 4. Simulation example
- 5. Real case example



Installation of Nimble package

- install nimble package from CRAN.
- install **Rtools** package (a bit tricky).
 - ► R version 3.6.3 or lesser (link)
 - using Rtools35.exe
 - make sure to check(√) the box labelled "Add rtools to system PATH".
 - ► R version 4.0 or greater (link)
 - using rtools40v2-x86_64.exe (64-bit) or rtools40-i686.exe (32-bit)
 - download .Renviron file and save to Documents folder.
 - run code below in R.



Introduction to Nimble

- Combine statistical models in the BUGS language from R.
- ► Compile numerical work in R via C++ without coding any C++.
- ▶ Use and customize statistical algorithms (e.g. MCMC)

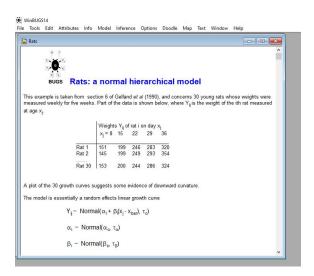


Figure 1: Winbugs Interface

Graphical model for rats example (using prior 1):

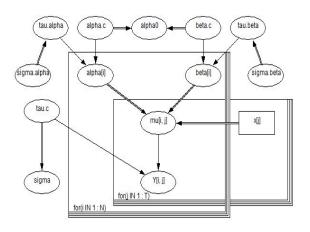


Figure 2: DAGS (Directed Acylic Graphs)

BUGS language for rats example:

```
model
   for(i in 1: N) {
      for( j in 1 : T ) {
          Y[i, j] \sim dnorm(mu[i, j],tau.c)
          mufi . il <- alphafil + betafil * (xfil - xbar)
      alpha[i] ~ dnorm(alpha.c,tau.alpha)
      beta[i] ~ dnorm(beta.c,tau.beta)
   tau.c ~ dgamma(0.001,0.001)
   sigma <- 1 / sgrt(tau.c)
   alpha.c ~ dnorm(0.0,1.0E-6)
   # Choice of prior of random effects variances
   # Prior 1: uniform on SD
   sigma.alpha~ dunif(0,100)
   sigma.beta~ dunif(0,100)
   tau.alpha<-1/(sigma.alpha*sigma.alpha)
   tau.beta<-1/(sigma.beta*sigma.beta)
   #Prior 2: (not recommended)
   #tau.alpha ~ dgamma(0.001,0.001)
   #tau.beta ~ dgamma(0.001,0.001)
   beta.c ~ dnorm(0.0,1.0E-6)
   alpha0 <- alpha.c - xbar * beta.c
}
```

Figure 3: Bugs Code

```
Data ⇒list(x = c(8.0, 15.0, 22.0, 29.0, 36.0), xbar = 22, N = 30, T = 5,
     Y = structure(
        .Data = c(151, 199, 246, 283, 320,
                    145, 199, 249, 293, 354
                    147, 214, 263, 312, 328,
                    155, 200, 237, 272, 297,
                    135, 188, 230, 280, 323,
                    159, 210, 252, 298, 331,
                    141, 189, 231, 275, 305,
                    159, 201, 248, 297, 338,
                    177, 236, 285, 350, 376,
                    134, 182, 220, 260, 296,
                    160, 208, 261, 313, 352,
                    143, 188, 220, 273, 314,
                    154, 200, 244, 289, 325,
                    171, 221, 270, 326, 358,
                    163, 216, 242, 281, 312,
                    160, 207, 248, 288, 324,
                    142, 187, 234, 280, 316,
                    156, 203, 243, 283, 317,
                    157, 212, 259, 307, 336,
                    152, 203, 246, 286, 321,
                    154 205 253 298 334
                    139, 190, 225, 267, 302,
                    146, 191, 229, 272, 302,
                    157, 211, 250, 285, 323,
                    132, 185, 237, 286, 331,
                    160, 207, 257, 303, 345,
                    169, 216, 261, 295, 333,
                    157, 205, 248, 289, 316,
                    137, 180, 219, 258, 291,
                    153, 200, 244, 286, 324),
                .Dim = c(30.5))) =
```

Figure 4: Load Data

NIMBLE workflow

- ► Build the model (**BUGS code**)
- ► Build the MCMC
 - **2**a. **Configure** the MCMC
 - 2b. Customize the MCMC
 - 2c. Build the MCMC
- ► Compile the model and MCMC
- Run the MCMC
- Extract the samples



- Write a BUGS code inside nimbleCode() function.
- ▶ Inside the function, only can use BUGS code.
- ▶ Note: With a braces{} to include all BUGS code.

- ▶ If we want to specify a distribution, use " \sim ".
 - $ightharpoonup y \sim dnorm(mean, tau)$ (Default is precision)
 - $ightharpoonup y \sim dgamma(shape, rate)$
 - $ightharpoonup y \sim dbeta(shape1, shpae2)$
 - $ightharpoonup y \sim dflat$ (Improper uniform distribution)
- ▶ If we want to store values, use "< -".

```
code <- nimbleCode({
  tau ~ dgamma(shape = 0.001, rate = 0.001)
  var <- 1/tau
  sigma <- sqrt(var)
})</pre>
```

▶ Wrong specification - specify twice

```
code <- nimbleCode({
  tau ~ dgamma(shape = 0.001, rate = 0.001)
  var ~ dinvgamma(shape = 0.001, rate = 0.001)
})</pre>
```

- Specify constants, data, inits.
- ▶ NimbleModel(): check the model specification.

```
code <- nimbleCode({</pre>
  for(i in 1:n) {y[i] ~ dnorm(beta0+beta1*x[i],
                                  sd = sigma)}
  beta0 \sim dnorm(0, sd = 100)
  beta1 \sim dnorm(0, sd = 100)
  sigma ~ dunif(0, 100)})
constants \leftarrow list(n = n)
data \leftarrow list(y = y, x = x)
inits \leftarrow list(beta0 = 0, beta1 = 0, sigma = 0.5)
# nimbleModel: check code specification is correct
model <- nimbleModel(code, constants = constants,</pre>
                       data = data, inits = inits)
```

note: constants can't be change after creating a model & data and inits can be changed

▶ If model is correct, see model building finished in the end.

```
> model <- nimbleModel(code, constants = constants, data = data, inits = inits)
defining model...
building model...
building model...
building model...
setting data and initial values...
rounning calculate on model (any error reports that follow may simply reflect missing values in model variables) ...
checking model sizes and dimensions...</pre>
```

- Common errors
 - Likelihood function does not make sense (e.g. complicated model).
 - Forget to specify constants or inits.
 - Avoid confused variable names.



2a. Configure the MCMC

Remind of the model

```
code <- nimbleCode({</pre>
  for(i in 1:n) {y[i] ~ dnorm(beta0+beta1*x[i],
                                  sd = sigma)}
  beta0 \sim dnorm(0, sd = 100)
  beta1 \sim dnorm(0, sd = 100)
  sigma ~ dunif(0, 100)
})
x <- x-mean(x) # center for better MCMC performance
constants \leftarrow list(n = n)
data \leftarrow list(y = y,x = x)
inits <- list(beta0=0, beta1=0,sigma=0.5)</pre>
```

2a. Configure the MCMC

```
model <- nimbleModel(code, constants = constants,</pre>
                     data = data, inits = inits)
mcmcConf <- configureMCMC(model)</pre>
## ===== Monitors =====
## thin = 1: beta0, beta1, sigma
## ===== Samplers =====
## RW sampler (1)
## - sigma
## conjugate sampler (2)
## - beta0
## - beta1
mcmcConf$printSamplers()#Look up sampler assignments.
```

[1] conjugate_dnorm_dnorm_additive sampler: beta0
[2] conjugate_dnorm_dnorm_linear sampler: beta1
[3] RW sampler: sigma

2a. Configure the MCMC

► Add parameter monitors

```
code <- nimbleCode({</pre>
  for(i in 1:n) {y[i] ~ dnorm(beta0+beta1*x[i],
                                sd = sigma)}
  beta0 \sim dnorm(0, sd = 100)
  beta1 \sim dnorm(0, sd = 100)
  sigma ~ dunif(0, 100)
  var <- pow(sigma,2) # power</pre>
  tau <- 1/sigma})
model <- nimbleModel(code, constants = constants,</pre>
                      data = data, inits = inits)
cmodel <- compileNimble(model) # First compilation</pre>
mcmcConf <- configureMCMC(model,print = FALSE)</pre>
# add monitor of tau & var
mcmcConf$addMonitors(c("var","tau"))
```

thin = 1: beta0, beta1, sigma, tau, var

2b. Customize the MCMC

- Change the samplers for each parameter
- ► The default is 'RW' which specifies adaptive Metropolis-Hastings sampling with a normal proposal distribution.
- Remove old sampler, and then add new sampler.
- addsampler(target=c(),type="", control=list())

2c. Build the MCMC

- buildMCMC(): Build a MCMC project
 - optional argument: specify monitors, thin,
- compileMCMC(): Compile in C++ for faster execution

```
modelMCMC <- buildMCMC(modelConf)
modelMCMC <- compileNimble(modelMCMC, project = model)</pre>
```

Note

- ► Two compilations when we run the Nimble.
- First, it is used after you specify the model.
 - cmodel <- compileNimble(model)</p>
 - ▶ Object inside the function compileNimble is "nimbleModel".
- Second, it is used after you build MCMC.
 - modelMCMC <- buildMCMC(modelConf)</p>
 - modelMCMC <- compileNimble(modelMCMC, project = model)</p>
 - Object inside the function compileNimble is "MCMC"

Run the MCMC

- Two functions to run the MCMC.
 - runMCMC() and nimbleMCMC()

```
niter <- 1500
burn <- 0
set.seed(1)
samples <- runMCMC(modelMCMC, niter = niter,
                    nburnin = burn, nchains = 1,
                    WAIC = TRUE, summary=TRUE)
samples <- nimbleMCMCcode(code, constants = constants,</pre>
                           data = data, inits = inits,
                           niter = niter, nburnin = burn,
                           nchains = 1.
                           WAIC = TRUE, summary=TRUE)
```

Run the MCMC

Figure 5: MCMC Result

Extract the samples

```
> head(samples,20)
          betaO beta1 sigma tau var
 [1,] 0.4301937 1.518479 2.119647 0.2225732 4.492904
 [2,] 0.4777968 1.413076 2.126849 0.2210683 4.523488
 [3,] 0.4996612 1.550302 2.095187 0.2278003 4.389810
 [4,] 0.3970649 1.439354 2.095554 0.2277206 4.391346
 [5,] 0.5245498 1.509986 2.082012 0.2306926 4.334773
 [6,] 0.4786887 1.434096 2.092211 0.2284489 4.377346
 [7,] 0.5017511 1.517634 2.177479 0.2109076 4.741413
 [8.] 0.4846811 1.585142 2.114234 0.2237143 4.469986
 [9,] 0.4180356 1.539878 2.018983 0.2453209 4.076293
[10,] 0.4434412 1.536793 2.082583 0.2305660 4.337154
[11,] 0.5258653 1.576032 2.102533 0.2262114 4.420644
[12,] 0.5231422 1.561919 2.089516 0.2290387 4.366075
[13,] 0.4200855 1.459714 2.136624 0.2190503 4.565161
[14,] 0.4022012 1.536679 2.045446 0.2390143 4.183850
[15,] 0.4427369 1.567962 2.062345 0.2351134 4.253267
[16,] 0.4100892 1.534372 2.134347 0.2195178 4.555439
[17,] 0.4668868 1.553205 2.088472 0.2292677 4.361714
[18,] 0.4876299 1.504242 1.974207 0.2565751 3.897494
[19,] 0.4475540 1.554493 2.079064 0.2313472 4.322507
[20,] 0.4011367 1.524864 2.168078 0.2127405 4.700562
```

Figure 6: MCMC Result

Extract the samples

- Demonstrate trace plot, summary table, and WAIC.
- Use coda package for MCMC diagnostics in simulation example.
- Use mcmcplot package for trace plot/ density plots,...etc.

Nimble Demostration

- ▶ 1. Simple linear regression
- 2. Logistic regression
- 3. Poisson regression
- 4. Negative-Binomial regression

Next Time

We will focus on advanced modeling:

- ▶ 1. Random intercept model
- 2. Random slope model
- 3. Logistic random intercept model
- 4. Logistic random slope model
- 5. Spatial modeling