Supplementary information for "Multiple evolutionary pressures shape identical consonant avoidance in the world's languages"

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1 Materials and methods

1.1 Cognate class traits

The evolution of cognate classes was analyzed in three families, Austronesian, Semitic, and Uralic. The range of available resources for the study of the evolution of cognate classes is somewhat limited, since electronic databases of cognacy (irrespective of semantics) are greatly outnumbered by electronic databases of cognate-concept pairings (which denote whether, e.g., French *manger* 'eat' is cognate to Italian *mangiare* 'id.' versus Spanish *comer* 'id.'). Resources of the former type are not only rare, but also vary in terms of reliability and coverage. This study uses the Austronesian Comparative Dictionary [1], available through Lexibank [2]; the online Semitic Etymological Database Online [3]; and Uralonet [4]. These resources vary in size. The ACD is arguably the largest and most thorough resource. The SED is currently incomplete but contains significant coverage. Uralonet is based on a soon to be superseded etymological dictionary [6], sometimes criticized for a tendency to unify etymologically unrelated forms under the same cognate class labels on the basis of questionable semantic connections [7].

These three resources organize etymologically related forms in contemporary languages according to cognate classes and provide a reconstructed etymon (i.e., ancestral form) for each cognate

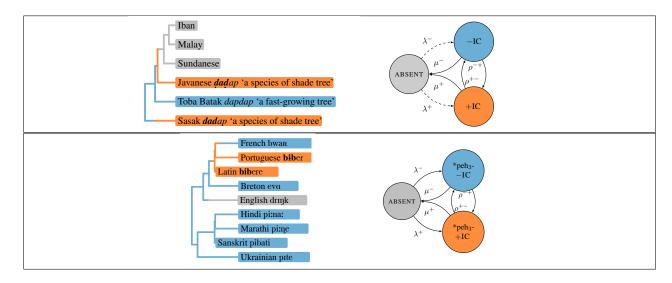


Figure 1: Schemata of continuous-time Markov models of evolution for a cognate class trait representing the Proto-Malayo-Polynesian etymon *dapdap (above) and a cognate-concept trait representing whether languages use the Proto-Indo-European root *peh₃- in the meaning 'drink' (below). Both trait types undergo transitions between states representing absence, presence without identical consonants, and presence with identical consonants. Tree branch colors represent hypothetical but unobserved character histories (i.e., evolutionary trajectories) involving transitions between states. Transition rates (representing frequencies of transitions between states) can be inferred on the basis of (1) data attested in languages and (2) language phylogenies. Parameters governing the evolution of the traits given here can be subdivided into birth rates λ_0^- , λ_0^+ (transitions from ABSENT to $\pm IC$), rates involving mutations introducing or removing sequences of identical consonants ρ_0^{-+} , ρ_0^{+-} (transitions between $\pm IC$), and loss rates μ_0^- , μ_0^+ involving the death of cognate classes or concept-cognate traits (transitions from $\pm IC$ to ABSENT). The dashed lines in the schema in the top panel represent the understanding that cognate classes are born only once.

class. In some cases, etyma are reconstructed to subgroups within the tree (e.g., Proto-Malayo-Polynesian within Austronesian) but are not thought by experts to be ancestral to the family as a whole. The SED marks certain reconstructions as areal, thought to have spread among geographically proximate Semitic languages via language contact. The three resources make different distinctions in terms of the sets of forms that are treated as belonging a cognate class. The ACD assigns forms in Austronesian languages to cognate classes at both the root and word level. To illustrate this distinction, Acehnese *lakòë* 'husband', Tagalog *laláke* 'man, an adult male; male, masculine' and Malagasy *laláhy* 'man (provincial)' are all cognates at the root level, reflecting Proto-Malayo-Polynesian *laki, but only the latter two forms are cognates at the word level, descending from derived Proto-Western-Malayo-Polynesian *la-laki). For the ACD data used in analyses, word-level cognacy codings were employed. Uralonet and the SED do not make this distinction and code cognacy at the root level alone.

For each language in the three data sets, cognate classes were coded according to whether or not they were absent or present (e.g., Latin *manducare* 'chew' survives into French as *manger* 'eat' but has been lost in Spanish), and if present, whether it contained two adjacent (i.e., separated by a vowel) identical consonants or not. This yields three states that a language can express for a given cognate class: ABSENT, +IC, and -IC. The search for identical consonants was restricted to sequences which co-occurred within and not across active morpheme boundaries (e.g., boundaries between members of complex words such as compounds), since a number of key generalizations regarding identical consonant avoidance make reference to tautomorphemic violations of this constraint [8, 9, 10, 11]. In Austronesian languages in particular, co-occurrence rates of consonants with identical place of articulation differ across tautomorphemic and heteromorphemic contexts, given the frequent occurrence of reduplication and infixation processes that create identical adjacent consonants in derived forms [12, 13]. Accordingly, models may infer different degrees of diachronic tolerance for identical consonants, depending on whether only tautomorphemic sequences are taken into consideration.

Delimiting the search domain for IC In the Semitic and Uralic data sets, hyphens were taken to mark active morpheme boundaries in words where they were present. Detecting synchronically active morpheme boundaries was a considerably greater challenge for the Austronesian data, as the ACD marks affix and infix boundaries that were active in ancestral forms but not necessarily active in the reflexes where they are marked. As an example, the ACD gives the Aklanon word for 'woman' as *ba-báyi* on the basis of reduplicated Proto-Austronesian *ba-bahi, even though a morpheme boundary is not marked in the source from which the word is taken [14] and the form is

presumably synchronically tautomorphemic, as there are no other related forms that would facilitate the abstraction of a base $b\acute{a}yi$. Coding only the presence of identical consonants within hyphendelimited forms after stripping out infixes runs the risk of severely under-counting tautomorphemic violations of IC avoidance. In order to address this issue, for a group of etymologically related forms in a given language that share a transparent semantic relationship and a clear derivational relationship (e.g., Javanese $ni\dot{t}ik$ 'to strike a light using flint and steel' and $\dot{t}i\dot{t}ik$ 'flint and steel for starting fires' < PAN *tiktik), the longest common subsequence was extracted (here $i\dot{t}ik$) and treated as the basic reflex of the etymon in question.

Alignment Each reconstructed etymon in each dataset was aligned with the portion (in the case of Semitic and Uralic, hyphen-delimited morphemes, and in the case of Austronesian, the longest common subsequence found across reflexes, see above) of each corresponding entry most likely to descend from it using an iterative version of the Needleman-Wunsch algorithm [15, 16]. The purpose of this was to minimize the risk of extracting the presence of identical consonants in an element not homologous with the etymon whose evolution is being tracked.

Orthographic normalization Aligned forms were orthographically normalized in order to facilitate the extraction of identical consonants separated by a single vowel. Digraphs corresponding to a single segment (e.g., English $sh = \int$) were identified in a variety of ways. Some languages, such as Hungarian, were presented in their standard orthography, making it straightforward to identify and modify digraphs such as sz, zs, cs, gy, etc.). Strings corresponding to aligned forms were split and the resulting characters were collected; subsequently, potential ligatures were identified. For each aligned form, clusters of identical segments and ligatures were merged into space-delimited sequences of characters representing a single segment (e.g., cc). This had the effect of ensuring that digraphs were not treated as sequences of different segments, and also that geminate consonants were treated as a single consonantal unit. Geminate sequences (e.g., cc) were simplified (e.g., to cc) so that they could be identified with their singleton counterparts. Under most theoretical views, a sequence like babba contains two instances of cc separated by a single vowel, even though the latter is geminate. Following these processing steps, it was straightforward to automatically extract whether identical consonants separated by a single vowel were present in a form via a script. Each cognate class can thus express one of the states {ABSENT, cc in each language.

Preparation for phylogenetic analysis A final processing step for phylogenetic analysis was to convert the data sets into likelihood matrices, setting state values for a given etymon in a given language to 1 and all unattested values to 0. Since languages often attest more than one value for a

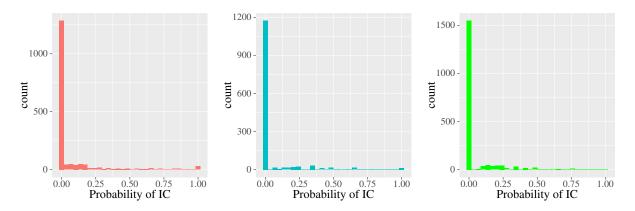


Figure 2: Histograms of etymon-level proportions of forms containing identical consonants for Austronesian, Semitic, and Uralic data sets.

given etymon, some languages had multiple likelihoods set to one for different etyma. It is worth highlighting that this is a method for dealing with data ambiguity in cladistics rather than actual polymorphism [17]. For phylogenetic comparative analyses conducted on these data sets, published tree samples of the Austronesian, Semitic and Uralic families were used [18, 19, 20]; see Figures 4–6.

To ensure that well-etymologized languages and secure cognate classes were used for analyses, datasets contain only languages with more than 250 reflexes in the etymological database in which they are found and cognate classes found in more than 10% of languages in a given family. The Austronesian data set consisted of 1693 cognate sets from 54 languages. The Semitic data set consisted of 1378 cognate sets in 23 languages. The Uralic data set consisted of 1872 cognate sets in 15 languages. Geographic distributions of families are given in Figure 1.1.

Figure 2 provides histograms of etymon-level probabilities of identical consonant presence for the three families studied. Forms in individual cognate classes plotted on maximum clade credibility trees for each family can be found at https://github.com/chundrac/idcc/tree/main/cognate_models/data_plots.

1.1.1 Phylogenetic analysis of cognate class traits

Cognate class traits were assumed to evolve over phylogenies according to a continuous-time Markov (CTM) chain, a stochastic process where between-state transitions take place according to transition rates. A number of biological studies have used CTM models to analyze the evolution of morphologically dependent traits, such as tail color, which is only relevant if a tail is present in a species [22, 23]. A crucial difference between biological phenomena of this sort and cognate class traits is that cognate classes are non-homoplastic; they are generally born once on a phylogeny

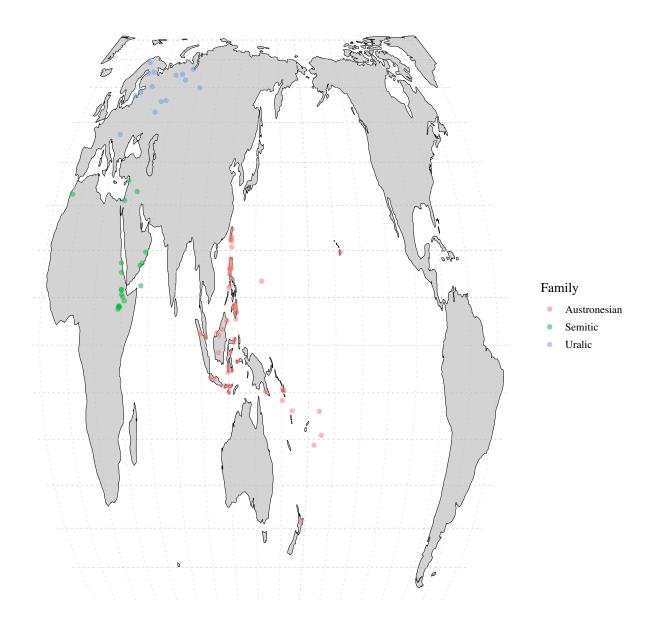


Figure 3: Geographic locations of languages used in this analyses of cognate class traits. Languages without geographic coordinates in the Glottolog [21] database are not shown.

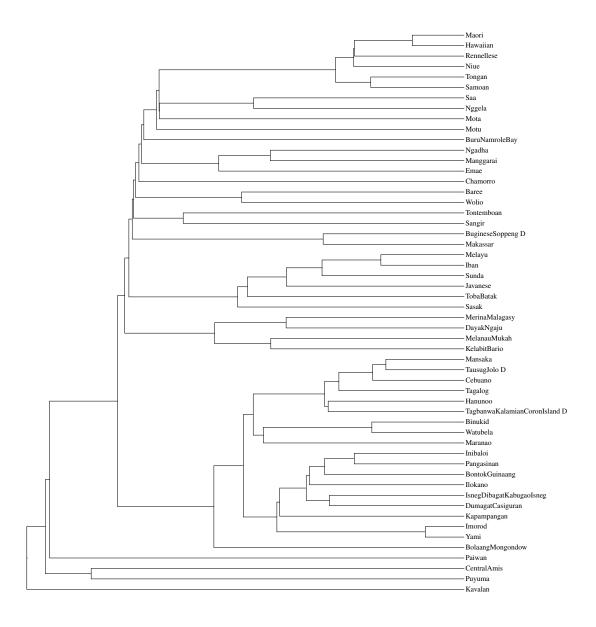


Figure 4: Austronesian maximum clade credibility (MCC) tree [18], with languages retained for study.

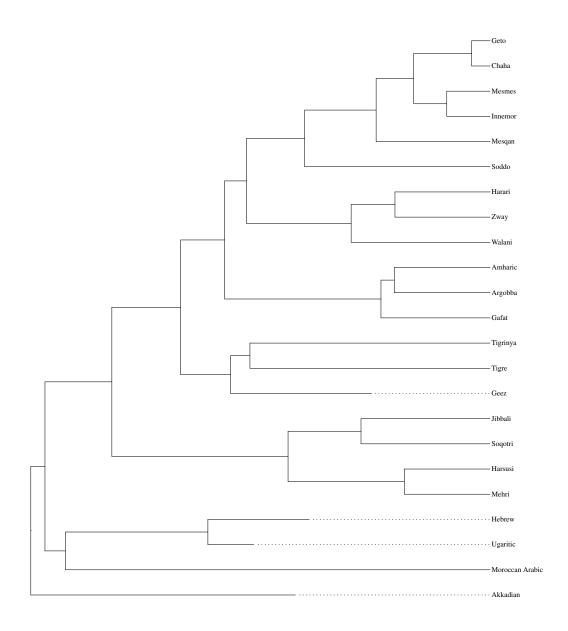


Figure 5: Semitic MCC tree [19], with languages retained for study.

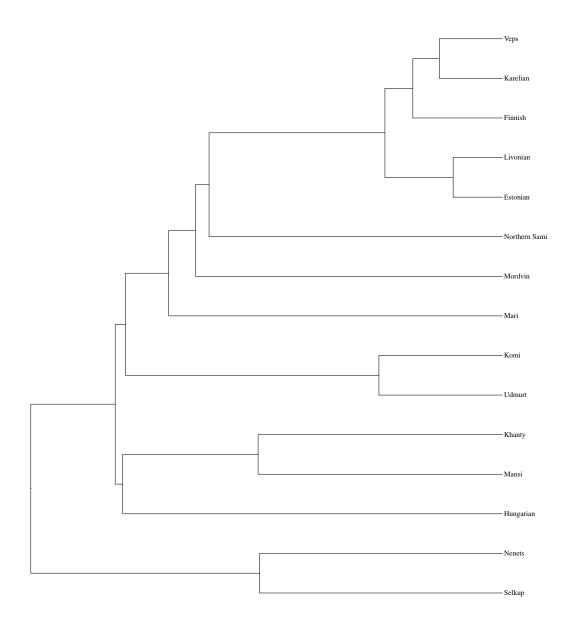


Figure 6: Uralic MCC tree [20], with languages retained for study.

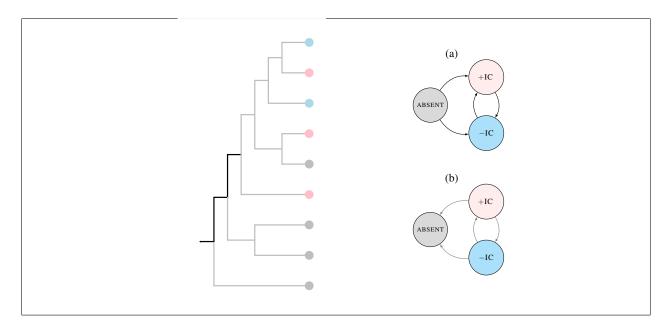


Figure 7: Schema of continuous-time Markov model of character evolution used for analyses: (a) transitions from ABSENT to $\pm IC$ but not $\pm IC$ to ABSENT possible on potential birth loci, i.e., (black) branches ancestral to all languages where the cognate class is present; (b) transitions from $\pm IC$ to ABSENT but not ABSENT to $\pm IC$ possible on all other (gray) branches.

(except in the case of extensive borrowing or parallel derivational processes), and cannot be revived once they die out, in the absence of a strong philological tradition similar to that of contemporary times.

In order to ensure that the evolutionary model used has the single-birth behavior described above, I use a modified version of the Stochastic Dollo model of character evolution [24, 25] that does not suffer from well-known problems of this method, in that it allows the initial character state to be independent of its long-term behavior and has a likelihood that can be efficiently computed using the standard pruning algorithm [26]. in that the initial character state is independent of the character's long-term behavior, and the likelihood of D attested cognate classes under a phylogeny Ψ and evolutionary rate parameters Q, $\prod_{d=1}^{D} P(\mathbf{x}_d | \Psi, \mathbf{Q})$ can be efficiently computed using the standard pruning algorithm [26]. The model used in this paper satisfies the single-birth criterion by allowing transitions from the state ABSENT to the states $\pm \mathrm{IC}$ but not from the states $\pm \mathrm{IC}$ to the state ABSENT on potential birth loci, i.e., branches ancestral to the most recent common ancestor (MRCA) of all languages where the cognate class is present, and from $\pm \mathrm{IC}$ to ABSENT but not ABSENT to $\pm \mathrm{IC}$ on all other branches (Figure 7). This ensures that a cognate class will be born once on a phylogeny, and not be revived once it dies out.

Since the reconstructions found in the etymological resources used were arrived at by experts via

careful application of the comparative method of historical linguistics, care was taken to ensure that the initial state ($\pm IC$) of each cognate class character matched the presence or absence of identical consonants in the reconstructed form. This involved grafting a branch of infinitesimal length to the MRCA of all languages where the cognate class is present leading to a node containing the state found in the expert reconstruction. Additionally, transitions between the states $\pm IC$ were not allowed on birth loci, ensuring that the birth state of each cognate class matched the state found at the tip of the grafted branch.

For an individual cognate class with index $d \in \{1, ..., D\}$, transitions between the states $\{ABSENT, -IC, +IC\}$ take place according to the following rate matrix on birth loci (diagonal cells are equal to the negative sum of off-diagonal cells in the same row):

$$Q_d^b = \begin{pmatrix} - & \lambda_d^- & \lambda_d^+ \\ 0 & - & 0 \\ 0 & 0 & - \end{pmatrix}$$

On non-birth loci, the rate matrix takes the following form:

$$Q_d^{\neg b} = \begin{pmatrix} - & 0 & 0 \\ \mu_d^- & - & \rho_d^{-+} \\ \mu_d^+ & \rho_d^{+-} & - \end{pmatrix}$$

The birth rate parameters λ_d^- and λ_d^+ represent transitions from the state ABSENT to the states -IC and +IC, respectively; ρ_d^{-+} and ρ_d^{+-} represent transitions between the states -IC and +IC; and μ_d^- and μ_d^+ represent transitions from the states -IC and +IC, respectively, to the state ABSENT. As in other modifications to the Stochastic Dollo model [27], cognate traits cannot be born again after they have been active and lost.

Since cognate classes are born only once, the birth rates λ^- and λ^+ are kept invariant across cognate classes. The remaining evolutionary parameters, which pertain to the evolution of cognate classes once they are born, are allowed to vary according to a hierarchical model for each cognate class $d \in \{1,...,D\}$, since individual cognate classes may have different evolutionary trajectories. According to this model, cognate class-specific transition rates are composed of a global rate and a local cognate class-specific multiplier that allows rates to vary across classes as needed. Rates are distributed as described below.

Priors over the parameters λ_0^- , λ_0^+ , ρ_0^{-+} , ρ_0^{-+} , μ_0^- , μ_0^+ , which represent log mean rates around which cognate class-level rates are distributed, follow the standard normal distribution. For a given

cognate class with index $d \in \{1, ..., D\}$, evolutionary rates have the following form. The global birth rates are transformed via an exponential link function:

$$\lambda_d^- = \exp(\lambda_0^-)$$
$$\lambda_d^+ = \exp(\lambda_0^+)$$

The remaining transition rates are log-normally distributed:

$$\begin{split} \rho_d^{-+} & \begin{cases} \sim \operatorname{LogNormal}(\rho_0^{-+}, \sigma^{\rho^{-+}}) & \text{if } \boldsymbol{x_d} \in \{\operatorname{ABSENT}, -\operatorname{IC}, +\operatorname{IC}\} \\ = 0 & \text{otherwise} \end{cases} \\ \rho_d^{+-} & \begin{cases} \sim \operatorname{LogNormal}(\rho_0^{+-}, \sigma^{\rho^{+-}}) & \text{if } \boldsymbol{x_d} \in \{\operatorname{ABSENT}, -\operatorname{IC}, +\operatorname{IC}\} \\ = 0 & \text{otherwise} \end{cases} \\ \mu_d^{-} & \sim \operatorname{LogNormal}(\mu_0^{-}, \sigma^{\mu^{-}}) \\ \mu_d^{+} & \sim \operatorname{LogNormal}(\mu_0^{+}, \sigma^{\mu^{+}}) \end{cases} \end{split}$$

HalfNormal(0,1) priors are placed over standard deviation parameters σ . Not all cognate classes attest all three states; some only express the pairs of states (ABS,-IC) and (ABS,+IC). These characters do not provide information that bears on transitions between the states -IC and +IC, but provide information regarding the birth rates and death rates of cognate classes displaying these patterns. For characters of this sort, transitions to and from the unattested state are set to zero, as shown above.

The likelihood of each trait $P(x_d|\Psi, Q_d)$ was corrected for ascertainment bias. This correction is intended to account for the fact that the observed cognate classes represent only a fraction of the cognate classes that have existed during the course of each family's history, as many will have died out before being recorded [28, 26, 29, 30]. This amounts to conditioning the trait likelihood on the probability that the trait would be observed in the first place under the CTM process that governs its evolution. The corrected likelihood is equal to the following:

$$\frac{P(\boldsymbol{x}_d|\Psi,\boldsymbol{Q_d})}{1 - P(\boldsymbol{x}_{ABS}|\Psi,\boldsymbol{Q_d})}$$

Above, \boldsymbol{x}_{ABS} represents a trait likelihood matrix with the value ABSENT for all tips in the phylogeny. For comparability between $P(\boldsymbol{x}_d|\Psi,\boldsymbol{Q_d})$ and $P(\boldsymbol{x}_{ABS}|\Psi,\boldsymbol{Q_d})$, \boldsymbol{x}_{ABS} is augmented to contain a tip descending from a branch of infinitesimal length grafted to the MRCA of all languages where the cognate class is present, the value of which is equal to the reconstructed value.

1.1.2 Baselines for cognate class traits

Baseline birth rates of cognate class traits Under a process where sequences are generated by randomly sampling consonants from the uniform distribution, the probability of generating a sequence w containing at least two adjacent identical consonants is equal to the following, where |w| denotes sequence length and $+IC \in w$ indicates the presence of adjacent identical consonants within a sequence:

$$P(+IC \in w) = \sum_{i=1}^{N} P(|w| = i)P(+IC \in w; |w| = i)$$

In a language with S segments, $P(+IC \in w; |w| = 2) = \frac{1}{S}$. Since the probability of generating a sequence containing at least two adjacent identical consonants is higher for longer sequences, $P(+IC \in w)$ will be higher when $P(|w| = i) = \frac{1}{N}$ for all $i \in \{1, ..., N\}$. Assuming that shorter sequences are more frequently generated than longer ones, we expect this quantity to approach $\frac{1}{S}$ as P(|w| = 2) approaches 1, allowing us to derive a lower bound $P(+IC \in w) \ge \frac{1}{S}$. The expected ratio between words without and words with identical consonants will then be less than or equal to S-1. In the case of a theoretical language requiring that a minimal word consist of more than two consonants, this ratio will be even smaller. Numbers of consonants for languages in each family (Afro-Asiatic was taken as a proxy for Semitic) were taken from the PHOIBLE database [31].

Baseline $+IC \rightarrow -IC$ vs. $-IC \rightarrow +IC$ mutation rates A simulation procedure was used to estimate the frequencies at which neutral models of sound change are expected to introduce sequences of identical consonants into lexical items versus remove them. Frequencies of such changes depend on existing frequencies of sound patterns found across the lexicon. To ensure that frequencies of word lists to which simulated sound changes were realistic, word lists from languages in each data set were used (simulations were applied to languages with 500 or more entries). For each language, an input segment type was chosen at random from the language's inventory. The type of change — (1) whether it was unconditioned, i.e., affecting all segments of a particular type, or affected only (2) word-initial or (3) word-medial segments — was chosen at random. Finally, an output segment was chosen from the language's inventory at random; for changes affecting word-initial or word-medial segments, deletions were also allowed. After converting the input segment to the output segment in the relevant environment (depending on the change type) across the lexicon, the number of $+IC \rightarrow -IC$ vs. $-IC \rightarrow +IC$ changes were tabulated, and a ratio computed by dividing the former number by the latter number (with a small constant added to each number

in the case of zero division). This procedure was carried out 5000 times per language, with ratios averaged at the language level.

1.2 Cognate-concept traits

The evolution of cognate-concept (alternatively root-meaning) traits [32, 33, 30] was analyzed using data from a subset of the Lexibank repository [34] that has been further processed to normalize orthographic forms as well as link forms in different languages to the Conception semantic taxonomy [35]. I used data sets for which cognacy was coded and for which reliable phylogenetic tree samples have been published. Data from five families were analyzed. These were Dravidian [36, 37, 38], Indo-European [39, 40, 30], Sino-Tibetan [41, 42], Turkic [43, 44], and Uto-Aztecan [45]. Published tree samples used are found in Figures 9–13. Geographic distributions of families are given in Figure 1.2.

Data processing was less involved that for cognate class traits given the Forms in different languages were automatically coded according to whether or not they contained a sequence of identical consonants separated by a single vowel within morpheme boundaries (demarcated by the symbol +). This was relatively straightforward thanks to the space-delimited orthographic normalization of forms. The Cross-Linguistic Transcription Systems (CLTS) database [46] was used to determine which segments in each string were consonants. The geminate marker: was stripped from geminate segments and sequences of identical segments were simplified to one segment before a script was used to detect the presence of adjacent identical consonants within morphological boundaries.

A language expresses a given semantic concept using formal material corresponding to one or more cognate classes, in which sequences of identical consonants can be present or absent. For instance, Portuguese expresses the concept DRINK with the form /biber/, which contains identical consonants and is a reflex of the Proto-Indo-European etymon *peh₃-. Thus, for each language in a family, cognate-concept traits are coded according to the states {ABSENT,—IC,+IC}.

Cognate-concept characters for different families were transformed into binarized likelihood matrices. In the case of lexical polymorphism (i.e., in which a language attests multiple forms for a meaning), multiple likelihoods were set to one. Analyses were restricted to data corresponding to 100 basic concepts [47] available through Conception [35]. Concept rankings were taken from NorthEuraLex [48]. The Dravidian data set consisted of 709 concept-cognate traits corresponding to 93 concepts from 20 languages. The Indo-European data set consisted of 686 concept-cognate traits corresponding to 96 concepts from 19 languages. The Sino-Tibetan data set consisted of 1517 concept-cognate traits corresponding to 83 concepts from 44 languages. The Turkic data

set consisted of 225 concept-cognate traits corresponding to 90 concepts from 31 languages. The Uto-Aztecan data set consisted of 1087 concept-cognate traits corresponding to 92 concepts from 33 languages.

1.2.1 Phylogenetic analysis of cognate-concept traits

Cognate-concept traits were modeled as evolving according to a CTM process. Since they are homoplastic (i.e., a cognate class can come to express the same meaning independently on two different lineages), standard models used to analyze morphologically dependent traits are applicable without the need to account for the single-birth criterion.

As above, hierarchical models were used to jointly analyze the evolution of cognate-concept traits jointly within separate families. Transition rates were assumed to vary at the concept level; the likelihood for a given cognate-concept trait with index $d \in \{1, ..., D\}$ under a phylogeny Ψ , $P(\boldsymbol{x}_d|\Psi, Q_{\text{concept}[d]})$ depends on the transition rates for the concept which the trait expresses and can be computed using the pruning algorithm.

For each concept $c \in \{1, ..., C\}$, transitions between the states {ABSENT, -IC, +IC} take place according to the following rate matrix:

$$Q_{c} = \begin{pmatrix} - & \lambda_{c}^{-} & \lambda_{c}^{+} \\ \mu_{c}^{-} & - & \rho_{c}^{-+} \\ \mu_{c}^{+} & \rho_{c}^{+-} & - \end{pmatrix}$$

Here, all rates (including the birth rates λ^- and λ^+) vary across concepts, since cognate-concept traits are homoplastic, and concept-cognate traits for certain concepts may arise more frequently than for others.

Priors over the parameters $\lambda_0^-, \lambda_0^+, \rho_0^{-+}, \rho_0^{+-}, \mu_0^-, \mu_0^+$, which represent log baseline rates, follow the standard normal distribution. For a given concept with index $c \in \{1, ..., C\}$, evolutionary rates are distributed as follows:

$$\begin{split} &\lambda_c^- \sim \operatorname{LogNormal}(\lambda_0^-, \sigma^{\lambda^-}) \\ &\lambda_c^+ \sim \operatorname{LogNormal}(\lambda_0^+, \sigma^{\lambda^+}) \\ &\rho_c^{-+} \sim \operatorname{LogNormal}(\rho_0^{-+}, \sigma^{\rho^{-+}}) \\ &\rho_c^{+-} \sim \operatorname{LogNormal}(\rho_0^{+-}, \sigma^{\rho^{+-}}) \\ &\mu_c^- \sim \operatorname{LogNormal}(\mu_0^-, \sigma^{\mu^-}) \end{split}$$

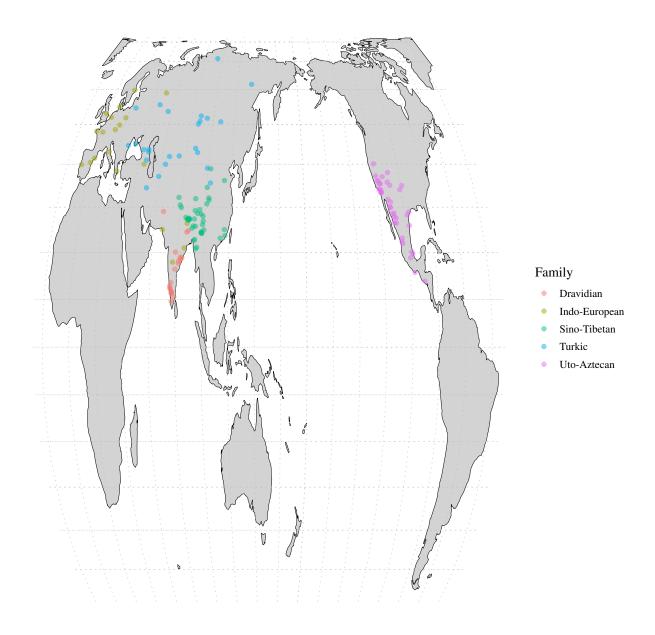


Figure 8: Geographic locations of languages used in this analyses of cognate-concept traits. Languages without geographic coordinates in the Glottolog [21] database are not shown.

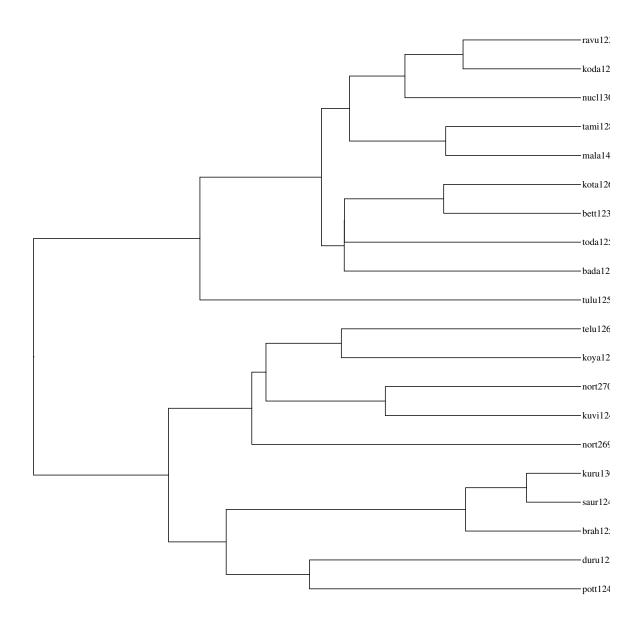


Figure 9: Dravidian MCC tree [38], with languages retained for study.

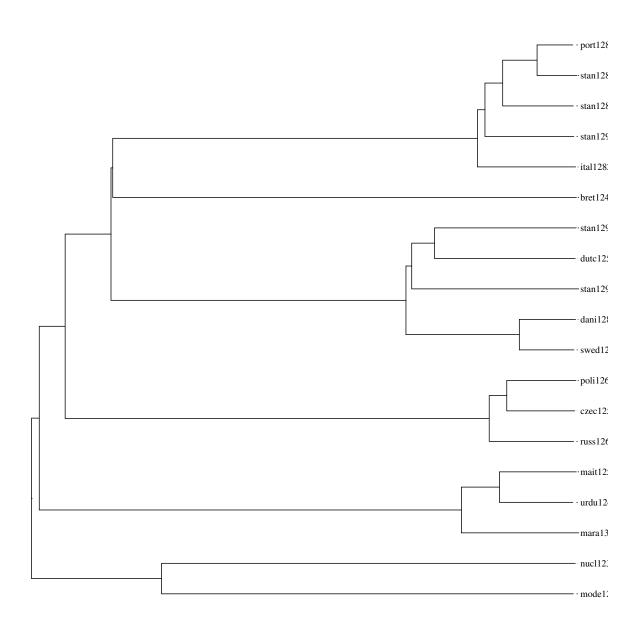


Figure 10: Indo-European MCC tree [30], with languages retained for study.

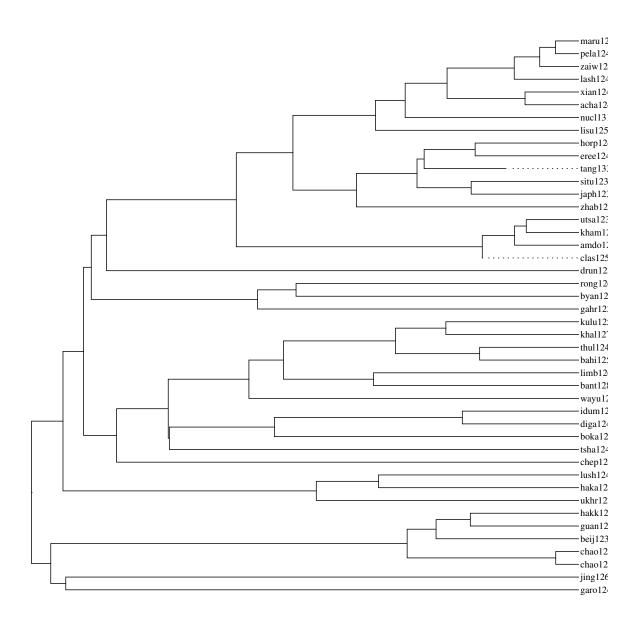


Figure 11: Sino-Tibetan MCC tree [42], with languages retained for study.

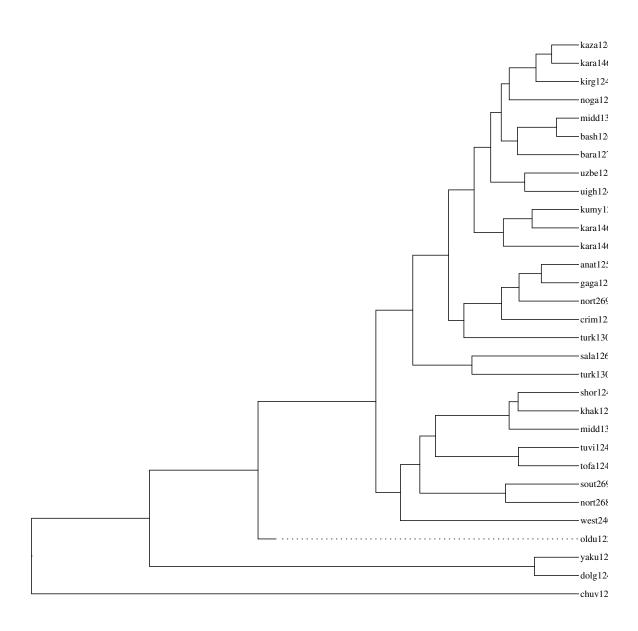


Figure 12: Turkic MCC tree [43], with languages retained for study.

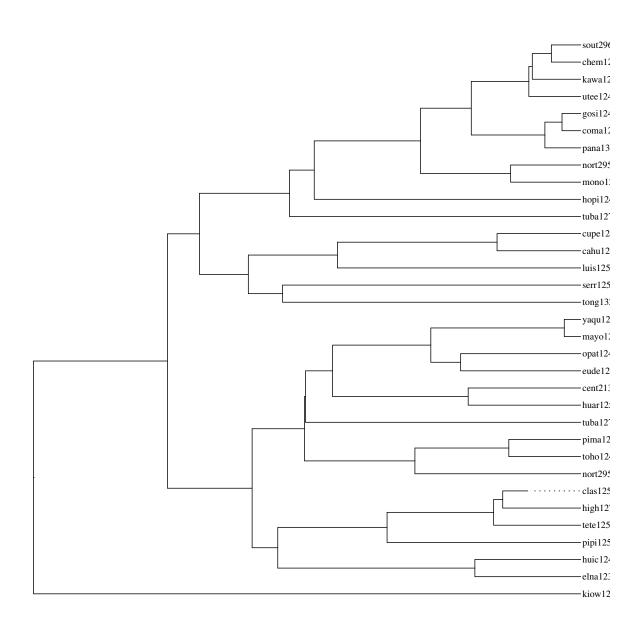


Figure 13: Uto-Aztecan MCC tree [45], with languages retained for study.

$$\mu_c^+ \sim \text{LogNormal}(\mu_0^+, \sigma^{\mu^+})$$

HalfNormal(0,1) priors are placed over standard deviation parameters σ . The rate parameters for concept-cognate trait $d \in \{1,...,D\}$ are equal to the rate parameters for concept[d], if x_d attests all three states {ABSENT,-IC,+IC}; otherwise, ρ_d^{-+} and ρ_d^{+-} are set to zero, as in the previous study.

Trait likelihoods were corrected for ascertainment bias in the manner described above. Here, x_{ABS} represents a trait likelihood matrix with the value ABSENT for all tips in the phylogeny.

1.2.2 Baselines for cognate-concept traits

Baseline birth rates of cognate class traits Under a null model in which basic vocabulary items are sampled from the general (i.e., basic and nonbasic) vocabulary at random, with no sensitivity to the sound patterns displayed by individual forms, the ratio of birth rates of cognate-concept traits without versus with sequences of identical consonants should be comparable to the ratio between forms without and with identical consonants in the lexicon from which basic vocabulary items are sampled.

These ratios are estimated for languages in each family under study on the basis of large word lists comprising basic as well as non-basic items. Dravidian, Indo-European and Turkic ratios were estimated from NorthEuraLex [48]. Sino-Tibetan ratios were estimated from the Sino-Tibetan Etymological Dictionary and Thesaurus [49]. Uto-Aztecan ratios were estimated from available digitized resources for Nahuatl [50], Yaqui [51] and the Bridgeport dialect of Northern Paiute [52]. For each language, the number of forms lacking sequences of identical consonants was divided by the number of forms containing sequences of identical consonants.

Baseline $+IC \rightarrow -IC$ vs. $-IC \rightarrow +IC$ mutation rates This simulation procedure was carried out as described for cognate class traits, with the difference that sound changes were applied only to the 100 basic vocabulary items under analysis rather than larger word lists.

1.3 Inference

Data were processed using Python 3 as well as version 0.6-99 of the R package phytools [53]. Models were fitted using RStan version 2.26.13 [54], running the No U-Turn Sampler (NUTS) over 4 chains for 2000 iterations, with the first half discarded as burn-in. Model convergence was assessed via the potential scale reduction factor [55], with values under 1.1 taken to indicate convergence. To incorporate phylogenetic uncertainty, the model was run on 25 trees from each tree sample and the resulting posterior samples for runs that reached convergence were concatenated together, yielding

Cognate class traits

Rate 1	Rate 2	Question addressed
λ_0^-	λ_0^+	Do word forms without IC arise more frequently than forms
(birth rate, –IC)	(birth rate, +IC)	with IC?
		(Yes, more frequently than at chance)
ρ_0^{+-}	ρ_0^{-+}	Are $+IC \rightarrow -IC$ changes more frequent than $-IC \rightarrow +IC$
(mut. rate, $+IC \rightarrow -IC$)	(mut. rate, $+IC \rightarrow -IC$)	changes?
		(Yes, but not always more frequently than at chance)
μ_0^+	μ_0^-	Are forms with +IC more likely to die out than forms with
(loss rate, +IC)	(loss rate, -IC)	-IC?
		(No)

Cognate-concept traits

Rate 1	Rate 2	Question addressed
λ_0^-	λ_0^+	Do word forms without IC enter the basic vocabulary more
(birth rate, $-IC$)	(birth rate, +IC)	frequently than forms with IC?
		(Yes, but not more frequently than chance in 4/5 families)
ρ_0^{+-}	ρ_0^{-+}	Are $+IC \rightarrow -IC$ changes more frequent than $-IC \rightarrow +IC$
(mut. rate, $+IC \rightarrow -IC$)	(mut. rate, $+IC \rightarrow -IC$)	changes in basic vocabulary items?
		(Greater than chance in only 1/5 families)
μ_0^+	μ_0^-	Are forms with +IC phased out of basic meaning functions
(loss rate, +IC)	(loss rate, -IC)	more often than forms with –IC?
		(Yes.)

Table 1: Interpretation of parameters used in analyses of cognate class and cognate-concept traits, along with the research questions they are used to address as well as answers. Subscript zeros indicate that parameters represent log mean rates around which rates for individual traits are lognormally distributed (with the exception of λ_0^{\pm} for cognate class traits; see text). Each hypothesis is assessed by computing the ratio between rates 1 and 2 after exponentiating them.

100000 samples per model. 95% HDIs were computed using the R package HDInterval [56]. Data and code used can be found at https://github.com/chundrac/idcc.

2 Results

2.1 Cognate class traits

Bayesian phylogenetic models were used to disentangle the mechanisms that shape the evolutionary trajectories of individual cognate classes (e.g., forms descending from Proto-Malayo-Polynesian *dapdap) in three families (Austronesian, Semitic, and Uralic). Over the course of a language family's phylogenetic history, ancestral word forms are born, undergo processes of word form mutation and differentiation (as the speech varieties in which they exist diversify phylogenetically), and die out on different phylogenetic lineages. Analyses of the evolution of morpheme-internal identical consonants within cognate class traits in three language families were carried out using a

hierarchical phylogenetic model containing six parameters of interest (schematized in Figure 1 and further defined in Table 1): λ_0^- , the log birth rate of forms without identical consonants; λ_0^+ , the log birth rate of forms with identical consonants; ρ_0^{-+} , the log mean rate at which sequences of identical consonants arise within forms; ρ_0^{+-} , the log mean rate at which sequences of identical consonants are lost within forms; μ_0^- , the log mean loss rate of forms without identical consonants; and μ_0^+ , the log mean loss rate of forms with identical consonants. The hierarchical model used allows parameters to vary at the level of individual cognate classes, which undergo change according to evolutionary rates that are log-normally distributed around the mean parameters ρ_0^{-+} , ρ_0^{+-} , μ_0^{-} , μ_0^{+} , μ_0^{+} , or in the case of birth rates, according to which all cognate classes arise and which are shared across all cognate classes, set to $\exp(\lambda_0^-)$ and $\exp(\lambda_0^+)$. Parameters that vary at the level of individual cognate classes are analogous to random effects in mixed-effects regression models, in that they account for individual cognate-level idiosyncrasies, while the mean parameters listed above are comparable to fixed effects, as they capture global trends in the evolutionary system. Pairwise comparisons between parameters allow us to assess whether forms with and without identical consonants are born at different rates (λ_0^+ vs. λ_0^-), whether identical consonants are gained and lost within forms at different rates (ρ_0^{-+} vs. ρ_0^{+-}), and whether forms with and without identical consonants are lost at different rates (μ_0^+ vs. μ_0^-). Strengths of differences in rates were quantified by taking the ratio of the two mean rates in question, i.e., by inspecting the posterior distributions of the quantities $\exp(\lambda_0^- - \lambda_0^+)$, $\exp(\rho_0^{+-} - \rho_0^{-+})$, and $\exp(\mu_0^+ - \mu_0^-)$. Evidence for a difference is taken to be decisive if the 95% highest density interval of ratios does not contain values representing the null hypothesis [57]. A standard null value is 1: ratios greater than 1 indicate that one change type is more frequent than another. However, in some cases, skewed distributions are expected even under null models of language generation [58]. For this reason, posterior ratios are also compared to quantities representing baseline asymmetries in frequencies of change types that would be expected under neutral processes of language evolution.

Figure 14 shows posterior distributions of ratios of interest. Distributions are annotated with the percentage of posterior samples for which the ratio is greater than one (represented by dashed lines). Distributions of ratios pertaining to birth rates and mutation rates are also annotated with values representing ranges of ratios (and median values thereof) that would be expected under neutral models of language change. These quantities are estimated from data from each family under analysis, assuming that distributions of features found in contemporary languages are representative of those encountered during the history of the language family to which they belong [59]. Under a neutral process in which words are generated by randomly sampling segments with uniform probabilities, the ratio of words born without versus with sequences of identical consonants is

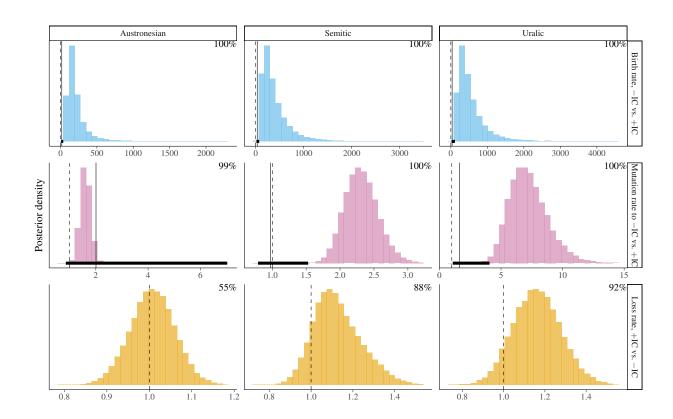


Figure 14: Histograms from analyses of cognate traits displaying posterior distributions of ratios of parameters of interest for different families: birth rate of words with value -IC (no identical consonants) vs. +IC (with identical consonants; top), rate of $+IC \rightarrow -IC$ vs. $-IC \rightarrow +IC$ change (middle), and loss rate of words with +IC vs. -IC (bottom). Histograms are annotated with percentages of samples for which ratios are greater than 1 (given by vertical dashed lines). Solid black vertical lines in upper two rows represent median baseline quantities; horizontal lines represent ranges of baseline quantities.

no greater than the number of consonants in a language's segmental inventory, minus one. This quantity is provided for languages in each family for which such data are available. Baseline values for ratios between mutations that remove versus introduce sequences of identical consonants are estimated by simulating the effects of neutral models of sound change [60, 61] using word lists of languages in the families under study. For loss rates, a baseline value of 1 is sufficient for the purpose of interpreting posterior ratios.

Across all three families, there is decisive evidence that forms without identical consonants are born more frequently than those with identical consonants (median: 171.49, 95% HDI: [51.67, 526.09]; 303.07, [53.17, 1017.29]; and 428.73, [89.93, 1365.98] times more frequently in Austronesian, Semitic, and Uralic, respectively). Additionally, there is decisive evidence that these ratios are

greater than would be expected under a chance baseline based on sizes of segmental inventories, as posterior HDIs are consistently greater in value than ranges of baselines expected under a neutral process of word generation (median: 17, total range: [8, 37]; 32, [16, 73]; and 35, [21, 112] times more frequently in Austronesian, Semitic, and Uralic, respectively). Mutational changes to forms that remove sequences of identical consonants are decisively more frequent than mutations that introduce them, although the ratios between transition rates pertaining to these changes are far lower than asymmetries in birth rates of forms with and without identical consonants (1.6, [1.23, 1.99]; 2.30, [1.85, 2.82]; and 7.09, [4.44, 10.45] in Austronesian, Semitic, and Uralic, respectively). 95% HDIs overlap with ratios expected under neutral models of sound change in Austronesian but not Semitic and Uralic (2.00, [0.85, 7.02]; 0.97, [0.78, 1.52]; and 1.63, [1.08, 4.06] more frequently in Austronesian, Semitic, and Uralic, respectively), indicating that these ratios exceed what is expected at chance levels only in the latter two families. Posterior distributions do not support the idea that forms with sequences of identical consonants die out more frequently than those without them (1.01, [0.9, 1.11]; 1.11, [0.92, 1.37]; and 1.16, [0.94, 1.39] in Austronesian, Semitic, and Uralic, respectively.

These results indicate that asymmetries in birth rates of words play a major and consistent role in the under-representation of sequences of identical consonants in word forms, and to a weaker extent processes that mutate word forms, though this latter effect is not found in all families studied when interpreted according to a principled, conservative baseline. Crucially, however, word forms containing such sequences are no more likely to fall entirely out of use than those without: they exhibit as much longevity as their counterparts that do not contain identical consonants, though it is not clear from these results whether they survive in more marginal functions and restricted distributions.

2.2 Cognate-concept traits

A related set of phylogenetic models were used to analyze the evolution of morpheme-internal sequences of identical consonants within cognate-concept traits in five language families (Dravidian, Indo-European, Sino-Tibetan, Turkic, and Uto-Aztecan). These analyses shed light on the conditions under which cognate word forms enter and fall out of use in basic meaning functions, and the nature of the processes affecting word forms during the time in which they occupy such roles. Analyses focused on cognate-concept traits pertaining to one hundred concepts representing basic vocabulary items, chosen to maximize comparability of results across families [47]. Parameters of interest have the similar interpretations as for the models described in the previous section (see Figure 1, Table 1). As above, posterior parameter values were compared to assess whether word forms without identical

consonants enter basic vocabulary meaning functions more frequently than those without (λ_0^-) vs. λ_0^+), whether identical consonants are lost within forms used in the basic vocabulary more frequently than they are gained $(\rho_0^{+-} \text{ vs. } \rho_0^{-+})$, and whether forms containing identical consonants are removed from the basic vocabulary more frequently than those without $(\mu_0^+ \text{ vs. } \mu_0^-)$. The baselines against which ratios for birth and mutation rates are compared differ from those employed for cognate class traits. Ratios of birth rates (i.e., between the rates at which forms without and with identical consonants enter languages' basic vocabulary) are compared to ratios between numbers of forms without versus containing identical consonants in contemporary languages' basic and non-basic vocabularies; this comparison tells us whether forms with identical consonants enter the basic vocabulary at a rate lower than would be expected from a neutral process in which basic vocabulary items are sampled randomly from the lexicon of a language. Ratios between mutation rates are compared to baselines generated via simulations of neutral sound change, as for cognate class traits, but restricted to forms expressing the one hundred concepts under analysis. As with cognate class traits, ratios between rates at which forms with and without identical consonants are removed from the basic vocabulary do not require interpretation against a baseline other than the standard null value of 1.

Figure 15 shows posterior distributions of ratios of interest. Distributions are annotated as in Figure 14. All families show decisive evidence that forms without identical consonants enter the basic vocabulary more frequently than forms with identical consonants (Dravidian: 17.85, [6.03, 35.98]; Indo-European: 15.85, [7.36, 29.69]; Sino-Tibetan: 26.56, [13.33, 46.81]; Turkic: 11.59, [3.41, 27.09]; Uto-Aztecan: 21.95, [9.47, 47.15]); however, these distributions overlap with ranges of ratios expected under a random sampling process from the lexicon in all families (Dravidian: 28, [16.5, 59]; Indo-European: 25.3, [7.78, 46.2]; Sino-Tibetan: 23.0, [5.56, 73]; Turkic: 31.1, [20.6, 34.2]; Uto-Aztecan: 7.89, [7.42, 9.46]) except for Uto-Aztecan, where usable digitized word lists comprising basic and non-basic vocabulary items were available for only three languages.

Indo-European is the only family exhibiting decisive evidence that mutational processes remove sequences of identical consonants from basic vocabulary items more frequently than they introduce them (Dravidian: 1.77, [0.18, 4.81]; Indo-European: 7.14, [1.55, 15]; Sino-Tibetan: 5.66, [0.95, 11.81]; Turkic: 1.38, [0.17, 3.76]; Uto-Aztecan: 1.7, [0.25, 3.67]); for Sino-Tibetan, the less conservative 89% HDI ([1.24, 10.18]) does not overlap with one. Indo-European posterior ratios do not overlap with ranges that would be expected under neutral processes of sound change affecting the basic vocabulary (Dravidian: 0.88, [0.76, 1.01]; Indo-European: 0.86, [0.77, 0.92]; Sino-Tibetan: 0.92, [0.78, 1.16]; Turkic: 0.84, [0.77, 0.93]; Uto-Aztecan: 0.91, [0.72, 1.28]).

All families show decisive support for the idea that cognate-concept traits are lost more frequently

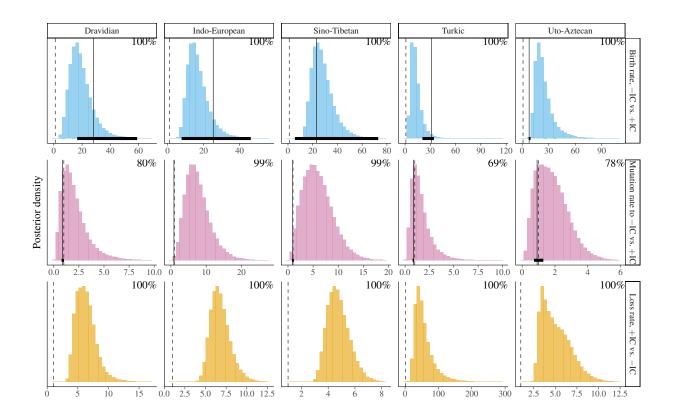


Figure 15: Histograms from analyses of cognate-concept traits displaying posterior distributions of ratios of parameters of interest for different families: birth rate of cognate-concept traits with -IC vs. +IC (top), rate of $+IC \rightarrow -IC$ vs. $-IC \rightarrow +IC$ change (middle) within cognate-concept traits, and loss rate of cognate-concept traits with +IC vs. -IC (bottom). Histograms are annotated with percentages of samples for which ratios are greater than 1 (given by vertical dashed lines). Solid black vertical lines in upper two rows represent median baseline quantities; horizontal lines represent ranges of baseline quantities.

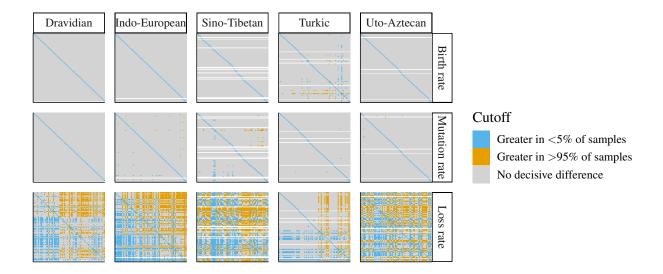


Figure 16: Heatmaps displaying pairwise contrasts between concepts, with concepts (represented by heatmap rows and columns, with labels removed for clarity) organized according to a ranking of basicness and stability. In the upper (right) triangle of each heatmap, orange cells indicate contrasts where a more salient concept exhibits a higher asymmetry than a less salient one, blue cells indicate contrasts where a less salient concept exhibits a higher asymmetry than a more salient one, and gray cells indicate no decisive difference.

when the form expressing the concept in question contains identical consonants than when it does not (Dravidian: 6.11, [3.59, 9.59]; Indo-European: 6.67, [4.65, 9.36]; Sino-Tibetan: 4.68, [3.27, 6.44]; Turkic: 49, [16.56, 118.88]; Uto-Aztecan: 4.77, [2.65, 8.34]). This indicates that while word forms with identical consonants do not exhibit less overall longevity than word forms without identical consonants, they are phased out of basic meaning functions more frequently than those without.

The rates reported above characterize the dynamics of lexical replacement within the basic vocabulary (as represented by the 100 word list) as a whole. Variation among rates was inspected at the concept level, to investigate whether asymmetries of the sort described above are found for all concepts, and whether relative strengths of these asymmetries differ across concepts. 95% CIs for asymmetries in birth rates of cognate-concept traits contain values greater than 1 in most concepts in most families, with the exception of Turkic (Dravidian: 93 out of 93 traits, Indo-European: 96/96, Sino-Tibetan: 83/83, Turkic: 43/90, Uto-Aztecan: 92/92). 95% CIs for asymmetries in mutation rates which remove versus introduce sequences of identical concepts within cognate-concept traits do not display the same behavior, with relatively few 95% CIs excluding values less than 1 (Dravidian: 0/93, Indo-European: 11/96, Sino-Tibetan: 6/83, Turkic: 0/90, Uto-Aztecan: 0/92) even in the Indo-European and Sino-Tibetan families, where asymmetries in mean rates

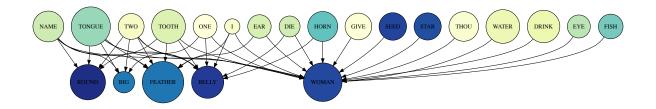


Figure 17: Graphviz [62] visualization of decisive contrasts in death rate asymmetries found for all five families under study. Directed arrows indicate decisively greater inter-concept contrasts. Node colors represent concept rank, with lighter values indicating more salient concepts.

are decisively greater than 1. Asymmetries in concept-level loss rates have CIs including only values greater than 1 for most concepts in most families (Dravidian: 88/93, Indo-European: 94/96, Sino-Tibetan: 82/83, Turkic: 83/90, Uto-Aztecan: 91/92). In sum, birth and loss rates indicate a decisive preference in favor of forms without identical consonants in most concepts.

Pairwise comparisons in asymmetry strength between concepts were carried out using a method proposed for hierarchical models, which involves computing the percentage of samples for which an asymmetry is greater in one concept than another, with evidence for a contrast taken to be decisive for percentages of 95% or more [63]. Few comparisons for birth rates exhibit decisive evidence for a difference (Dravidian: 0 out of 4278 pairwise comparisons; Indo-European: 0/4560; Sino-Tibetan: 1/3403; Turkic: 83/4005; Uto-Aztecan: 0/4186), along with mutation rates (Dravidian: 0/4278; Indo-European: 30/4560; Sino-Tibetan: 48/3403; Turkic: 2/4005; Uto-Aztecan: 6/4186). Loss rates exhibit a higher number of decisive contrasts (Dravidian: 1469/4278; Indo-European: 2122/4560; Sino-Tibetan: 2038/3403; Turkic: 666/4005; Uto-Aztecan: 2132/4186), indicating that while loss rates tend on the whole to favor items without identical consonants, the strength of this preference differs considerably across concepts. The heatmaps in Figure 16 display pairwise contrasts between concepts, with concepts organized according to a ranking of basicness and stability [64], with lower values indicating more salient and usually more frequently used [65, 66] concepts and higher values indicating more marginal ones. In the upper (right) triangle of each heatmap, pink cells indicate contrasts where a more salient concept exhibits a higher asymmetry in rates than a less salient one, blue cells indicate contrasts where a less salient concept exhibits a higher asymmetry than a more salient one, and gray cells indicate no decisive difference. With the exception of Turkic, the majority of contrasts concerning asymmetries in loss rates exhibit a decisively higher asymmetry for the more salient concept. Figure 17 provides a visualization of decisive contrasts in loss rate asymmetries found for all five families under study. Directed arrows indicate decisively greater inter-concept contrasts. As indicated by node colors, contrasts of this sort usually are between more

and less salient concepts.

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