### Chapter 1: Summerize the Data with Median and Quartiles

- The median and the quartiles provide another way to describe center and spread.
- The median M is the midpoint of a distribution, the number such that half of the observations are smaller and the other half are larger. To find the median of a distribution
  - Arrange all observations in order of size, from smallest to largest.
  - If the number of observations n is odd, the median M is the center of observation in the ordered list. Find the location of median by counting  $\frac{n+1}{2}$  observations up from the bottom of the list.
  - If the number of observations n is even, the median M is the average of the two center observations in the ordered list. The location of the median is between  $\frac{n}{2}$  and  $\frac{n}{2}+1$  from the bottom of the list

### Chapter 1: Summerize the Data with Median and Quartiles

- We use the first and the third quantiles to mark off the middle for each half of the observations.
- The first quartile  $Q_1$  is the median of the observations whose position in the ordered list is to the left of the location of the overall median. The overall median is **not** included in the observations considered to be to the left of the overall median.
- The third quartile  $Q_3$  is the median of the observations whose position in the ordered list is to the right of the location of the overall median. The overall median is **not** included in the observations considered to be to the left of the overall median.

## **Odd Number Observations Example**

Hank Aaron's 23 home run counts are 10 12 13 20 24 26 27 29 30 32 34 34 38 39 39 40 40 44 44 44 44 45 47

## **Even Number Observations Example**

Barry Bonds's 22 home run counts are

5 16 19 24 25 25 26 28 33 33 34 34 37 37 40 42 45 45 46 46 49 73

### The Five-number summary

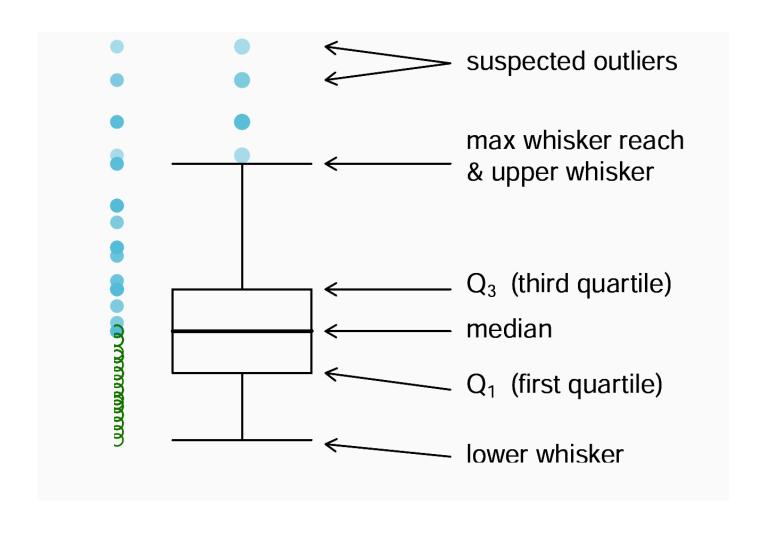
The five-number summary of a distribution consists of the smallest observation, the first quartile, the median, the third quartile, and the largest observation, written in ofrder from smallest to largest. In symbols, the finve-number summary is

Minimum  $Q_1$  M  $Q_3$  Maximum

### Whiskers Location in Boxplot

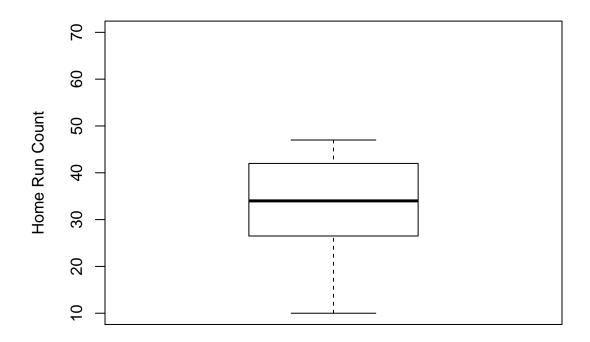
- The upper whisker is located at the value of an observation which is the greatest value in the sample that is less than or equal to  $Q_3+1.5IQR$
- The lower whisker is located at the value of an observation which is the smallest value in the sample that is greater than or equal to  $Q_1-1.5IQR$

## **Anatomy of a box plot**



## **Boxplot Example**

Hank Aaron's 23 home run counts are 32 34 34 

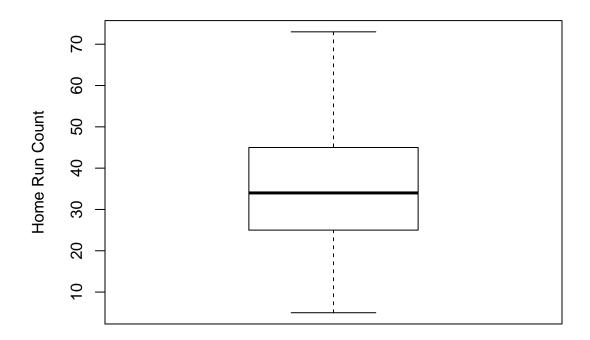


Hank

# **Boxplot Example**

Barry Bonds's 22 home run counts are

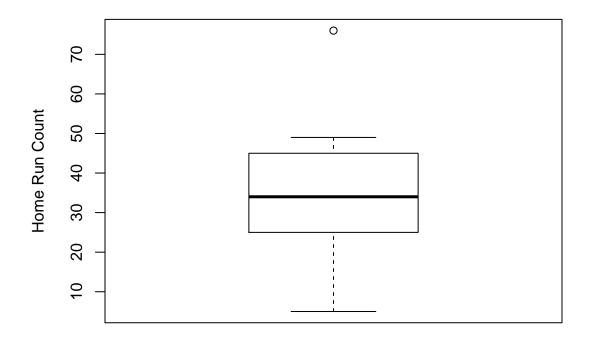
5	<b>16</b>	19	24	<b>25</b>	<b>25</b>	<b>26</b>	28	33	33	34
34	37	37	40	42	45	45	46	46	49	<b>73</b>



Barry

#### **Boxplot Example**

Suppose Barry Bonds's one of home run counts 73 is a typo, the true home run counts is 76. Then Barry Bonds's 22 home run counts called **BarryTrue** are 40 42 



BarryTrue

## **Sid-by-side Boxplot Example**

Now we plot the boxplot side-by-side for Hank, Barry and BarryTrue

