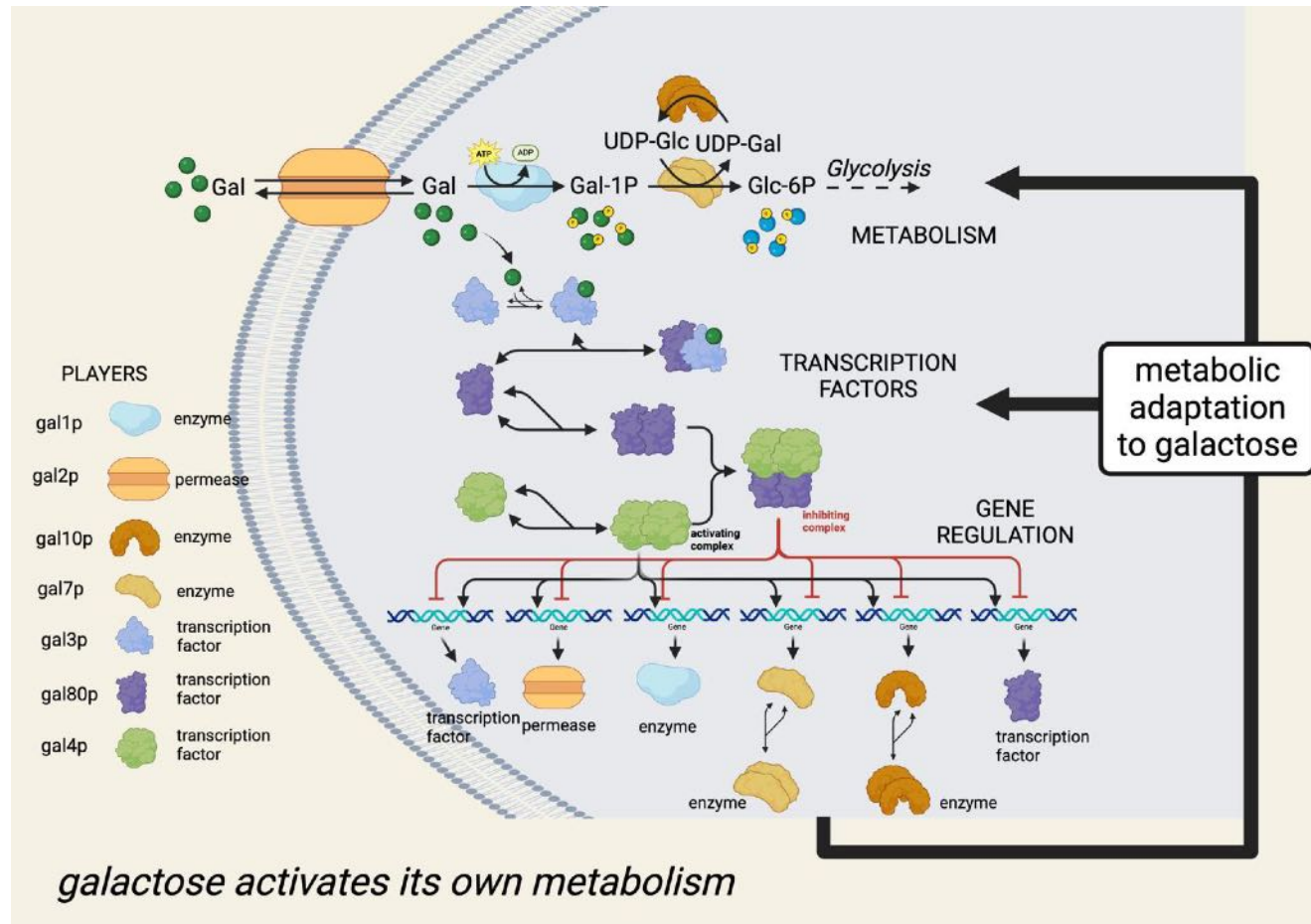


State transition diagrams

basic models of biological networks

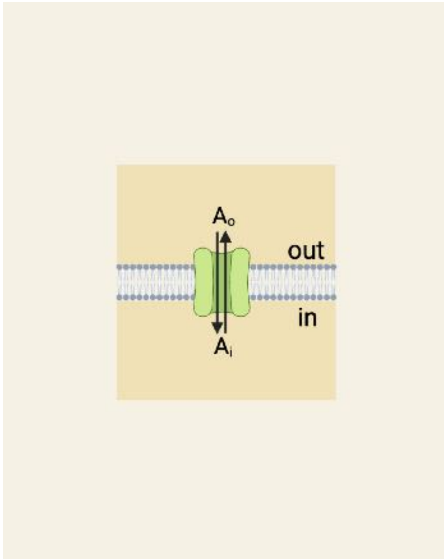
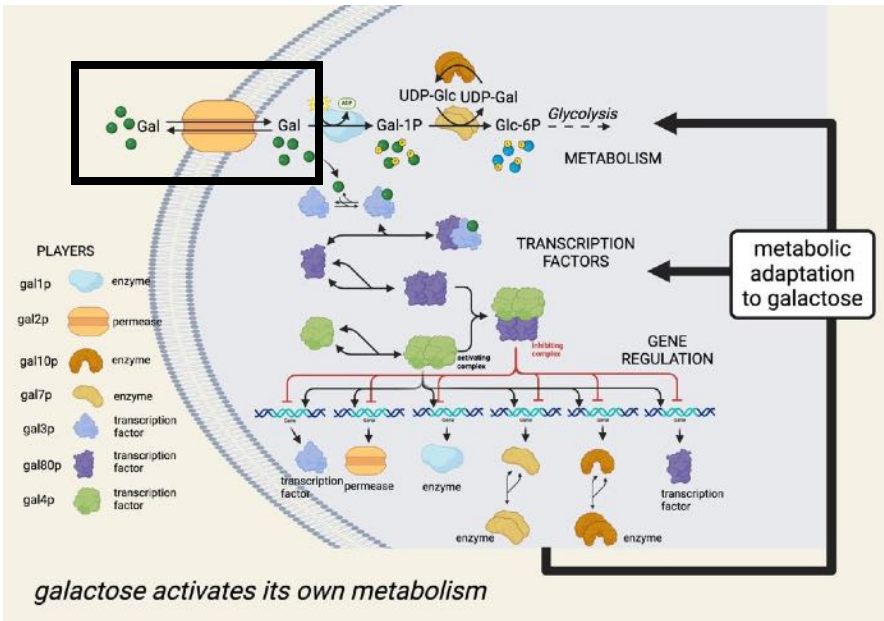
this network picture contains quite some biochemical complexity



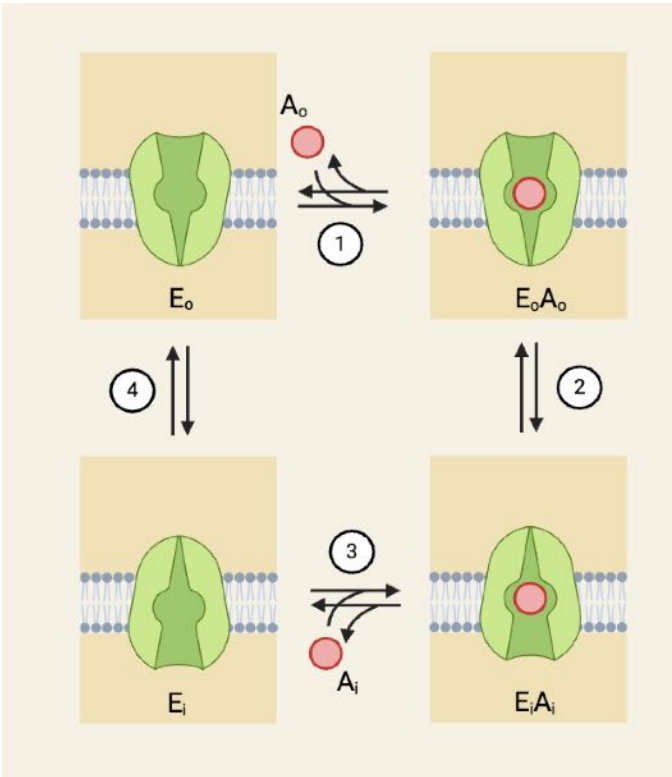
- transporter
- enzymes catalysing reactions
- small molecules as reactants
- small molecule – protein binding
- protein-protein complex formation
- DNA-protein complex formation
- transcription
- translation

transporter (a protein, called a “permease”)

transporter protein

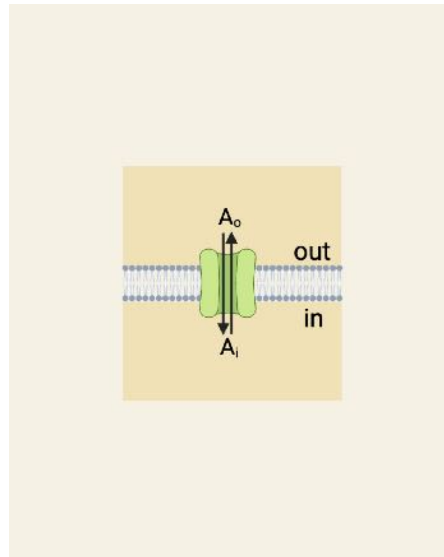


net process
(of membrane transport)

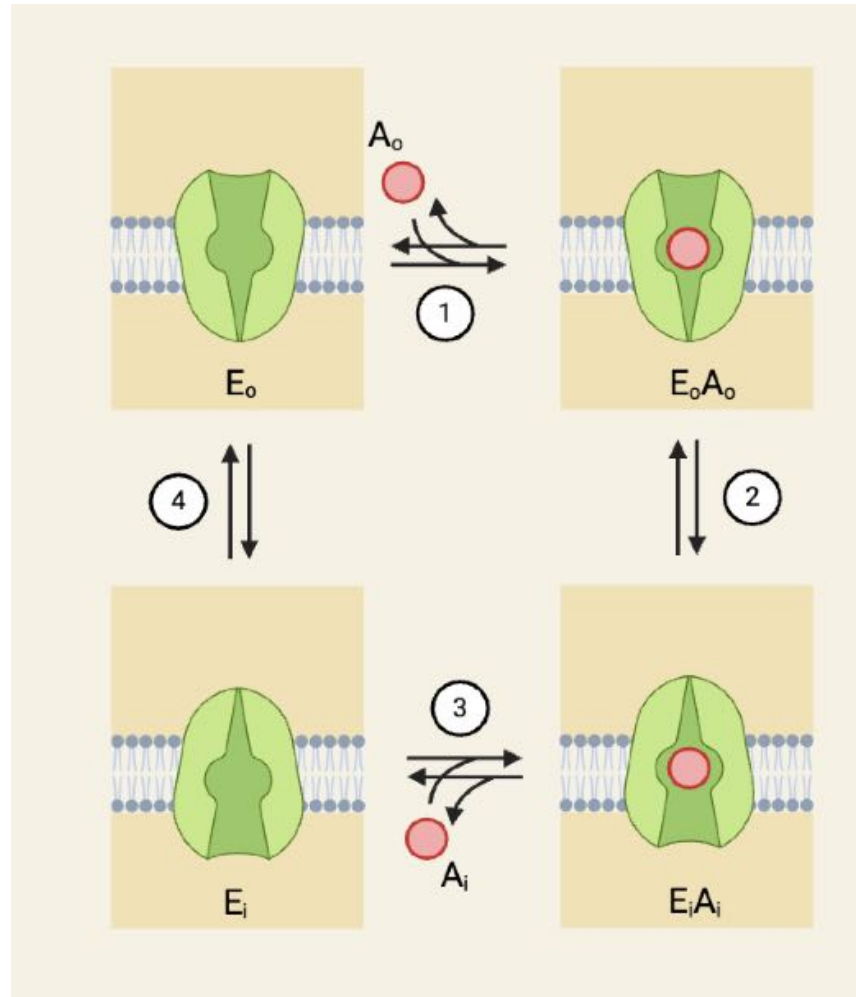


state transition diagram
(depicts the transport mechanism)

the state-transition diagram is the mechanism



net process

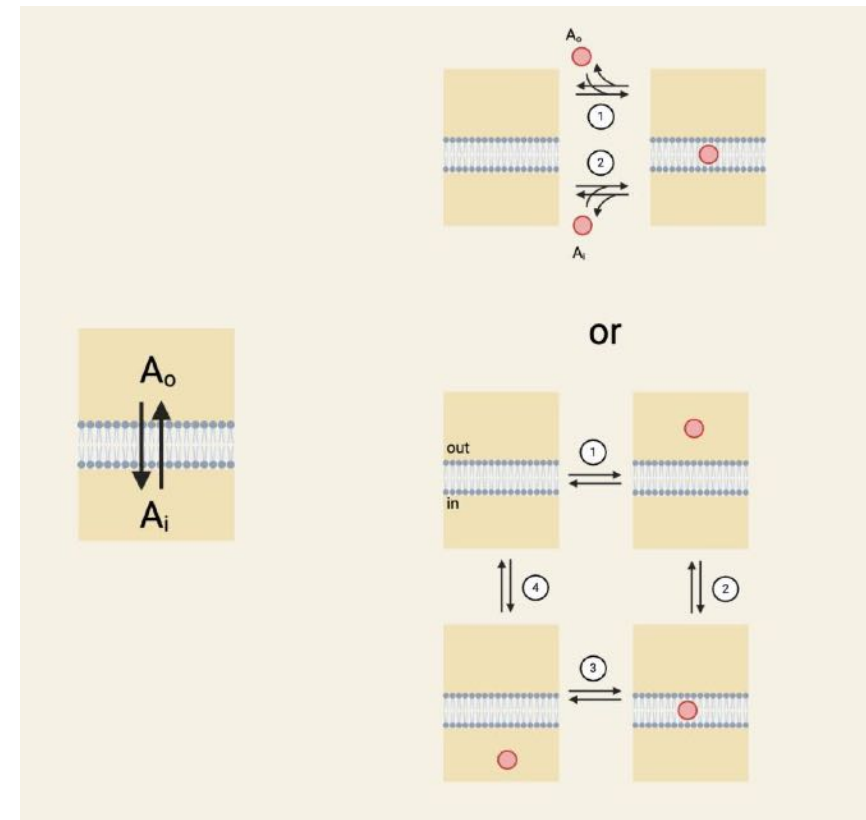


state transition diagram

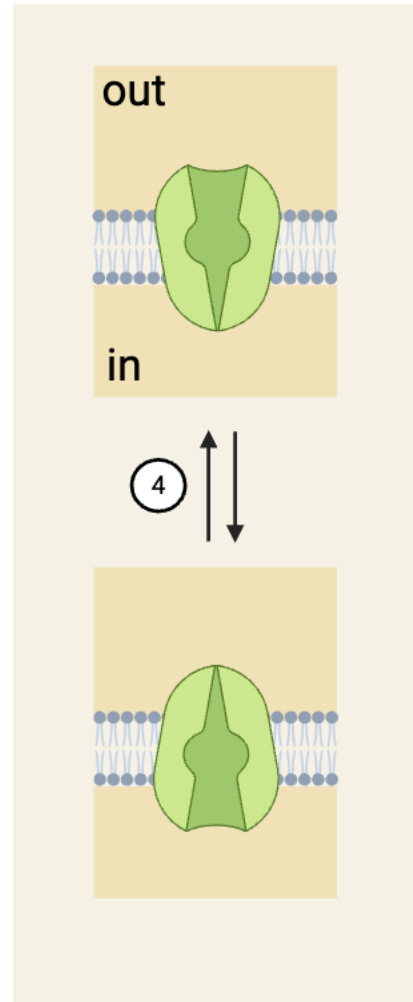
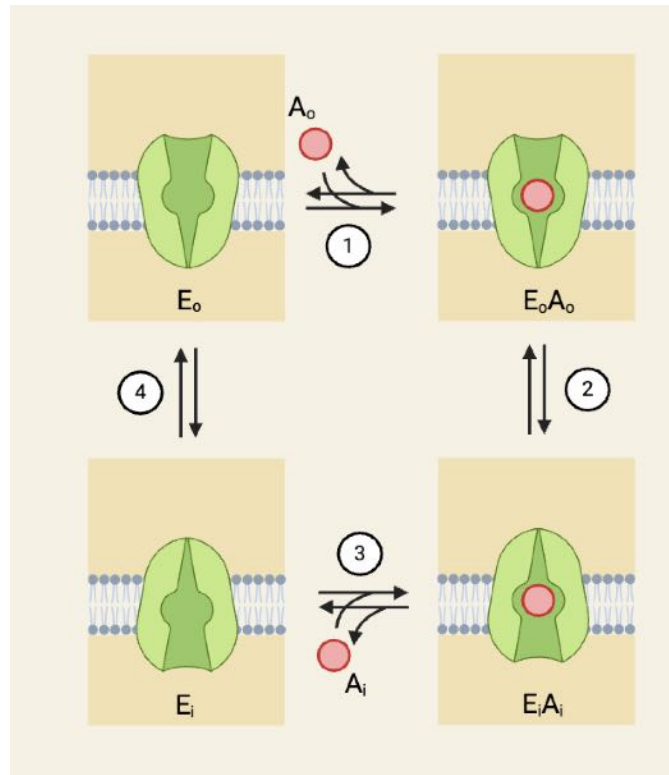
how many states?
how many transitions?

exercise

- make a state transition diagram of a protein independent membrane transport mechanism



protein conformations: different 3D structures

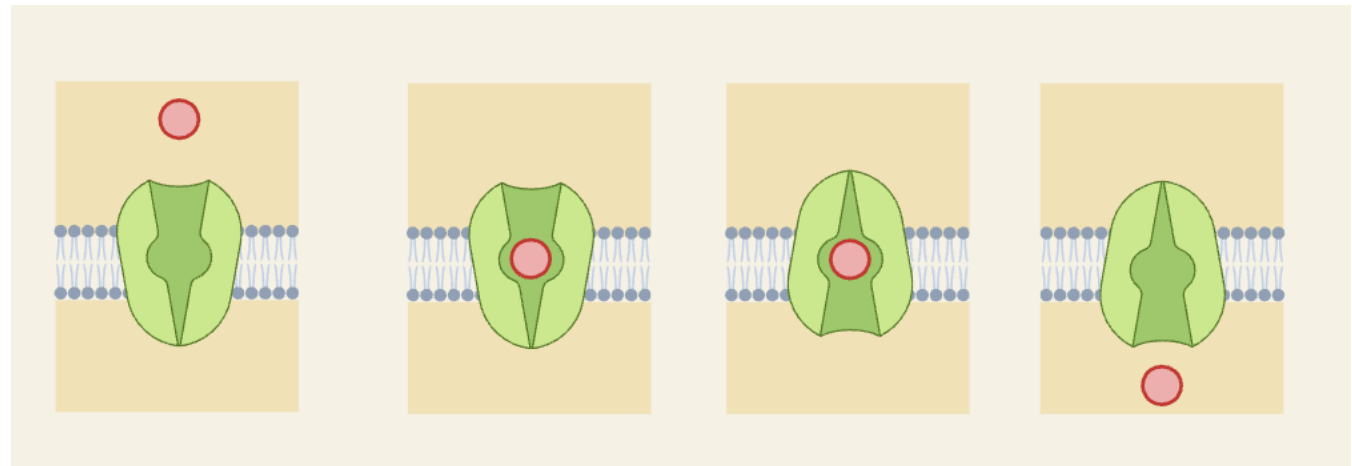
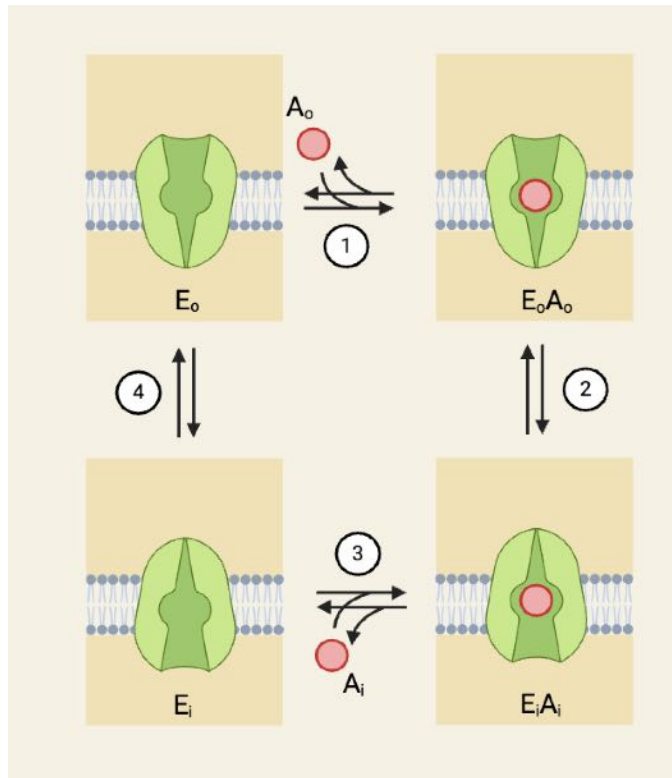


conformation 1

conformation 2

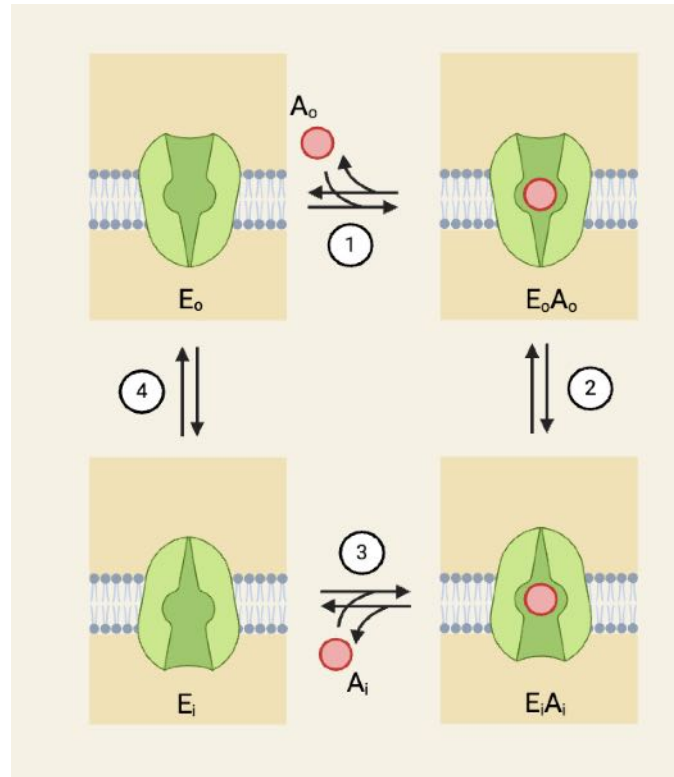
the protein switches
between those 2
conformations
continuously

states



the 4 states of the system

state transitions are (bio)chemical reactions in this case



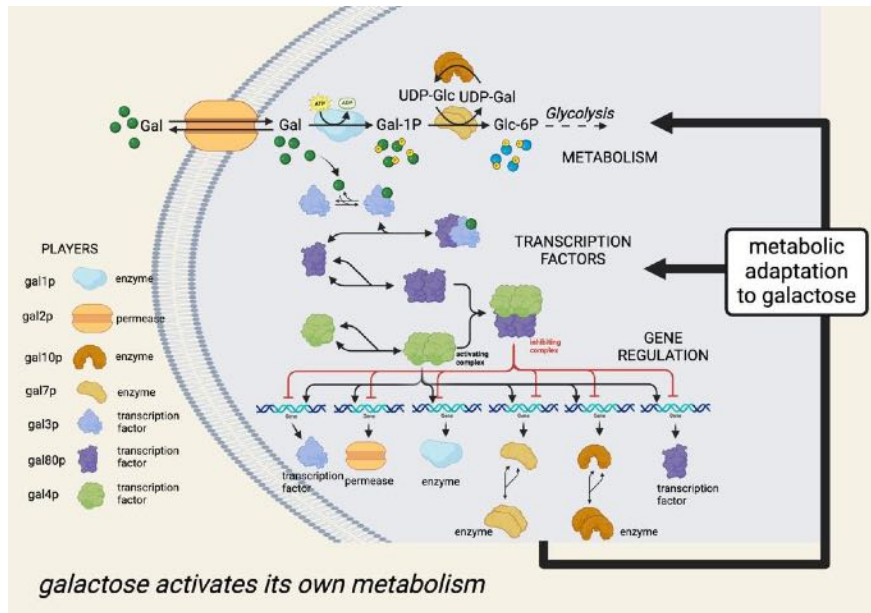
state transition diagram
in reaction form

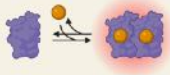
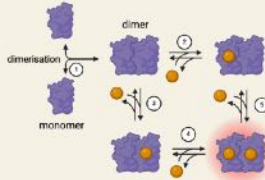
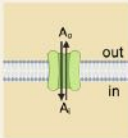
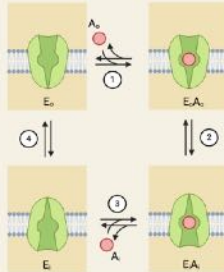

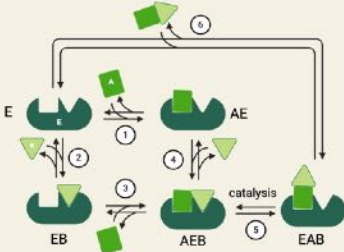
1. $E_o + A_o \rightleftharpoons E_o A_o$
2. $E_o A_o \rightleftharpoons E_i A_i$
3. $E_i A_i \rightleftharpoons E_i + A_i$
4. $E_i \rightleftharpoons E_o$

state transitions can in addition to (bio)chemical reactions be

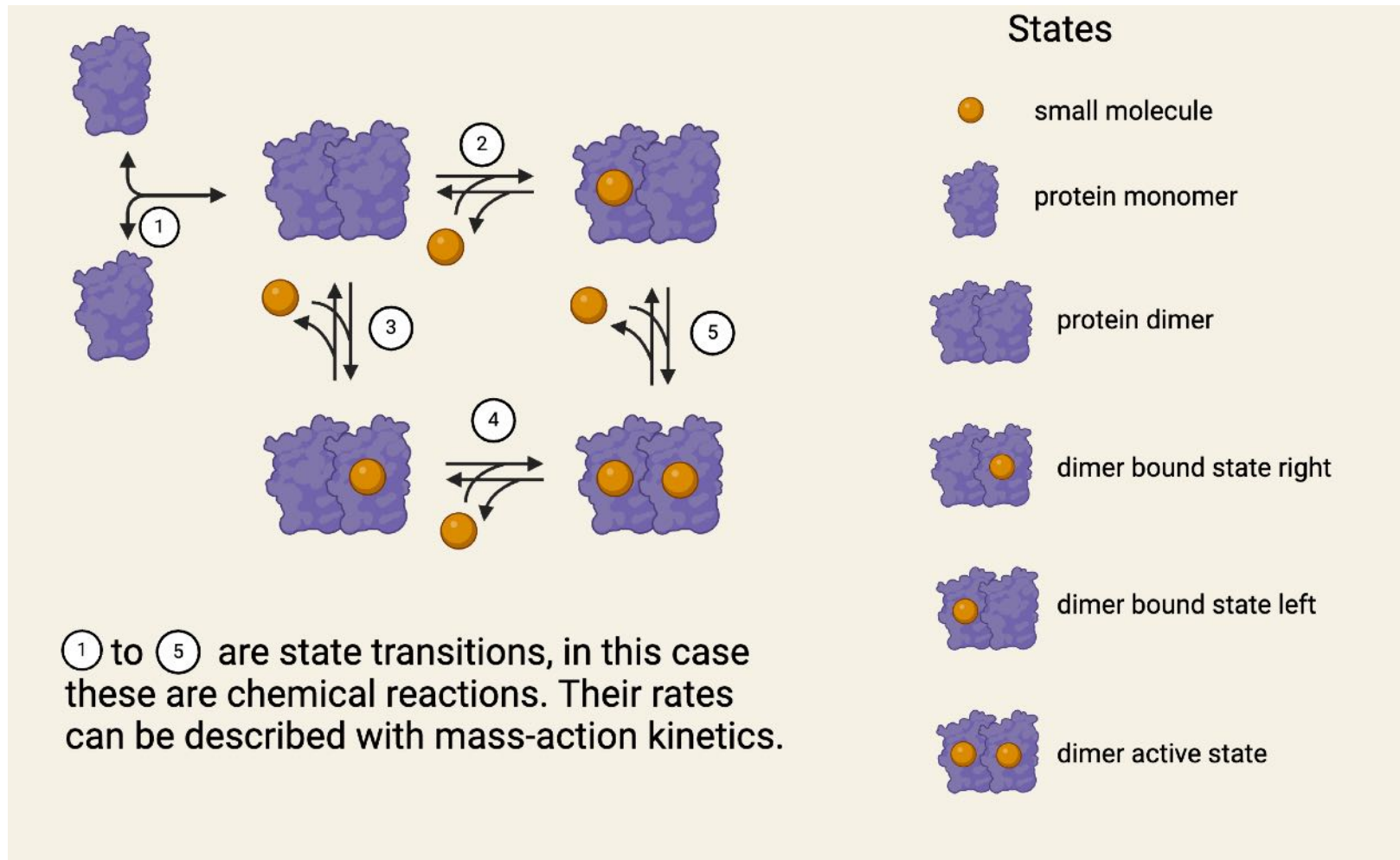
- location transitions (diffusive movement)
- consumption (not necessarily of molecules; e.g. fox eats rabbit)
- production (fox makes baby fox)
- (dis)appearance, removal/addition

different net processes



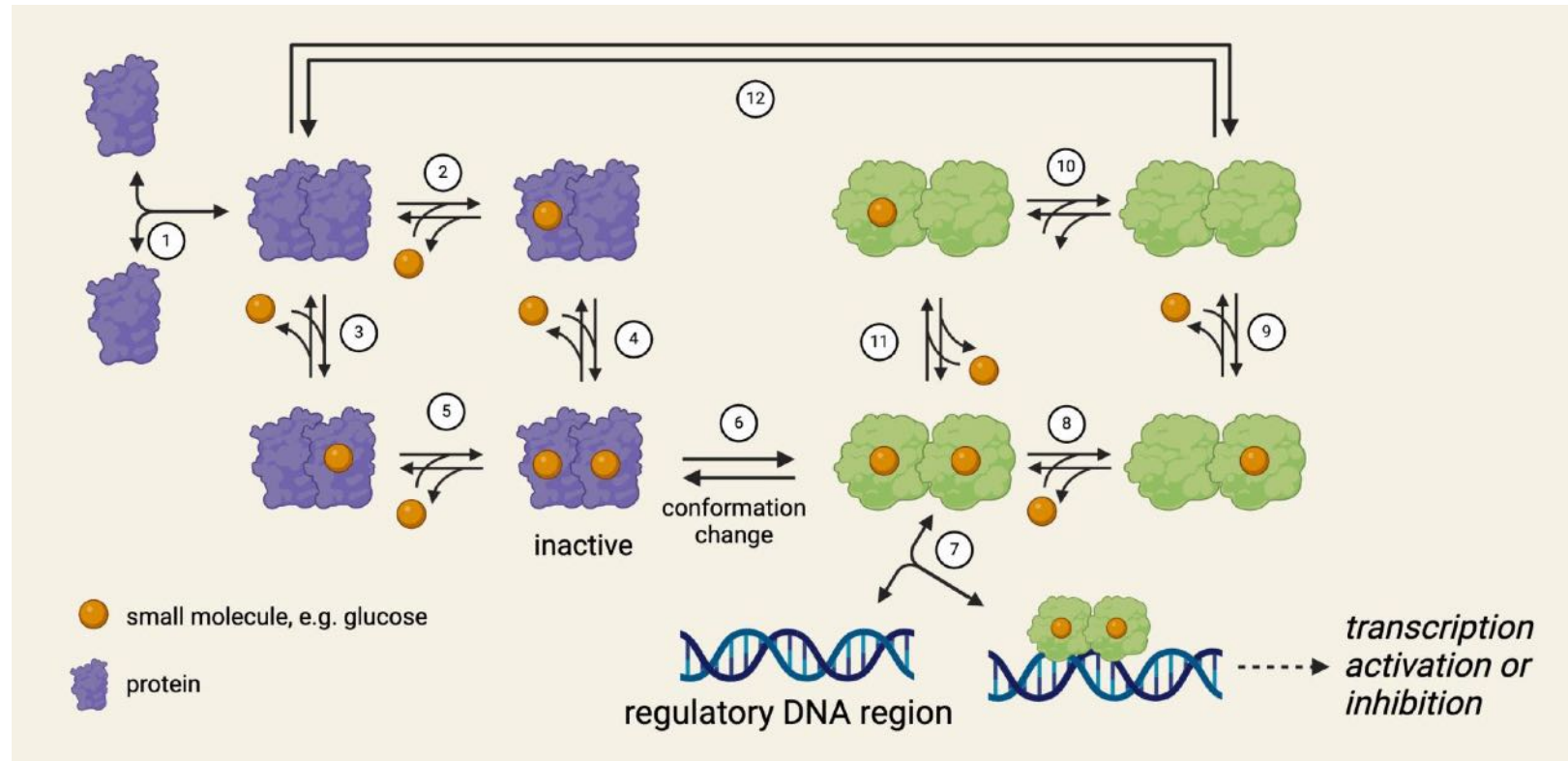
PROCESS DESCRIPTION	NET PROCESS DEPICTION	PROCESS MECHANISM (state-transition diagrams)
transcription factor activation by small molecule		
protein transports molecule A over membrane		
enzyme catalysed conversion of two substrate molecule into one product molecule		

wrap up



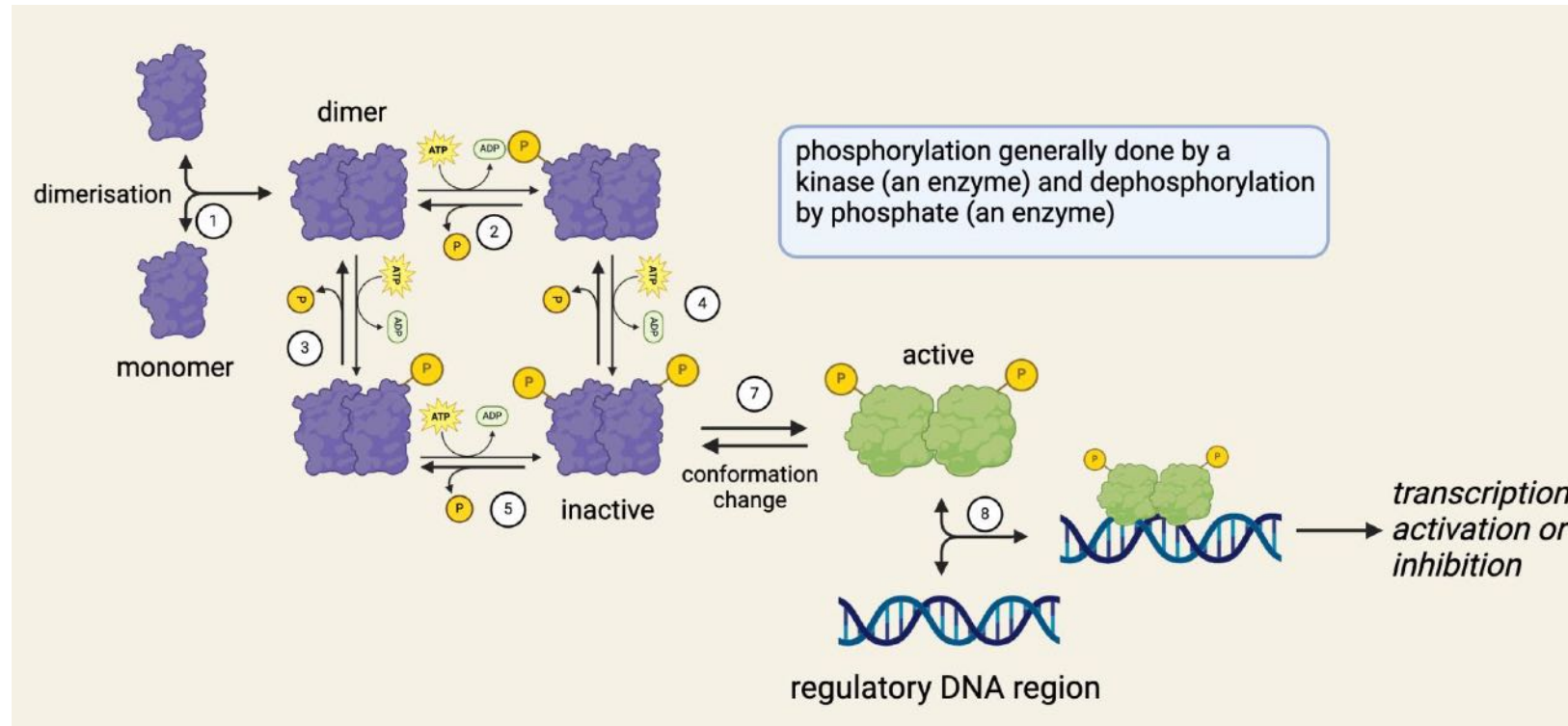
examples of state transition diagrams

transcription factor dimerisation, signal binding, conformational change, DNA binding



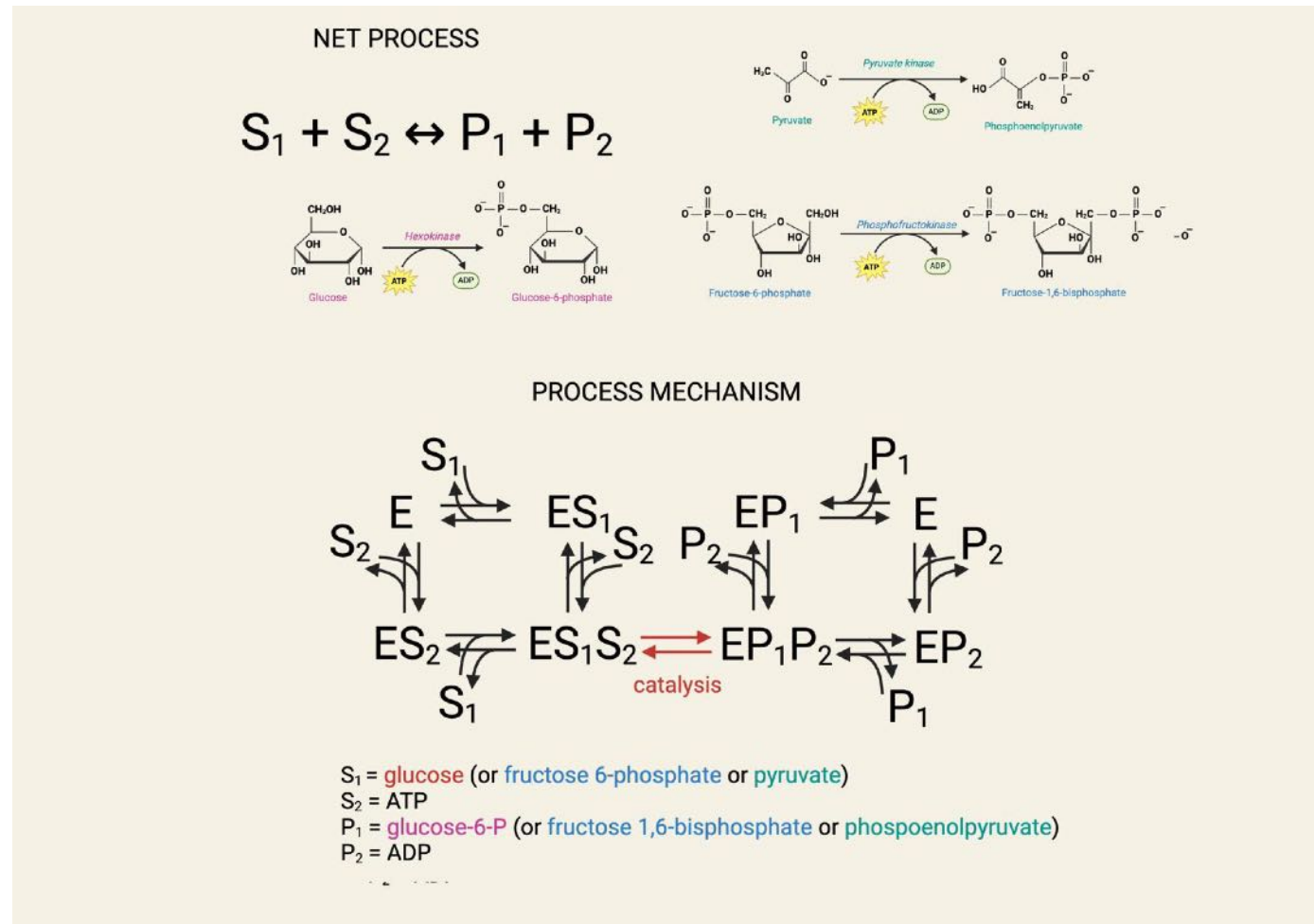
examples of state transition diagrams

transcription factor dimerisation, phosphorylation and dephosphorylation by dedicated enzymes, conformational change, DNA binding

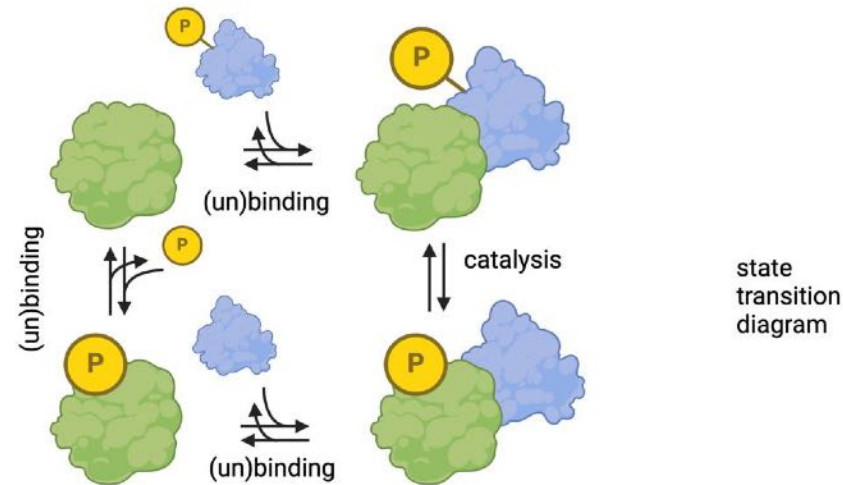
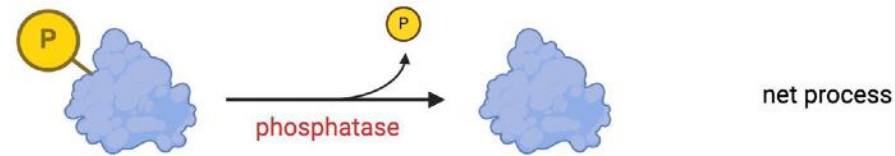


examples of state transition diagrams

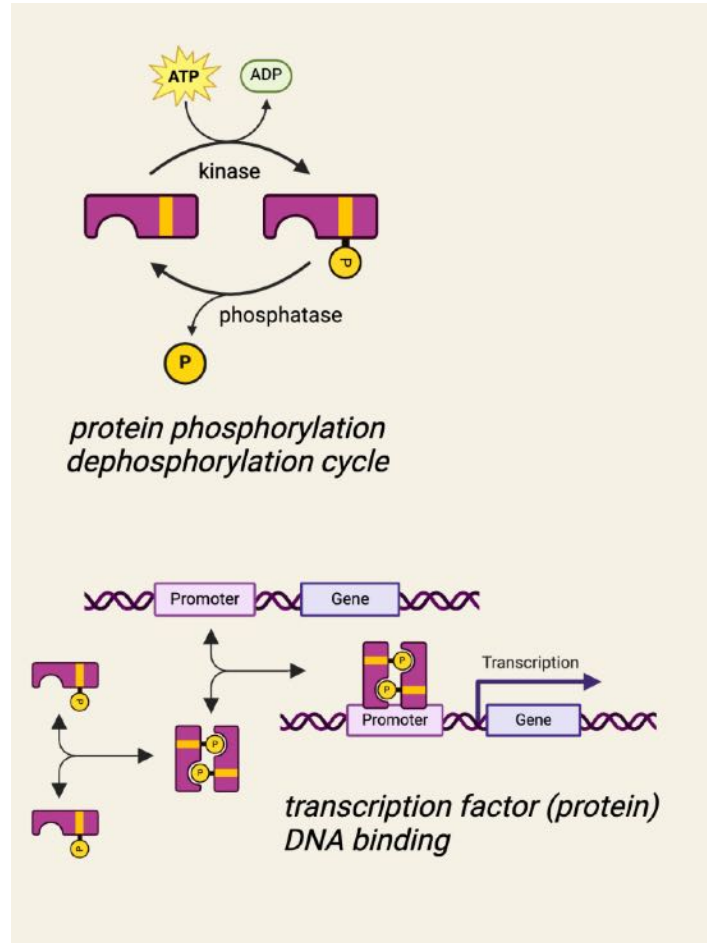
two substrate and two product enzyme mechanism; e.g. protein phosphorylation



exercise: make an enzyme-catalysed protein dephosphorylation state-transition diagram

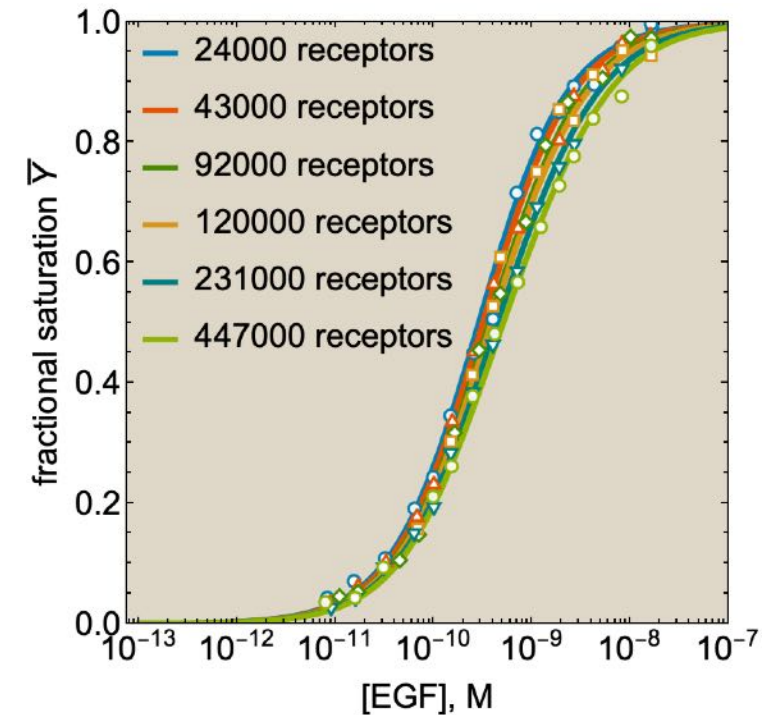
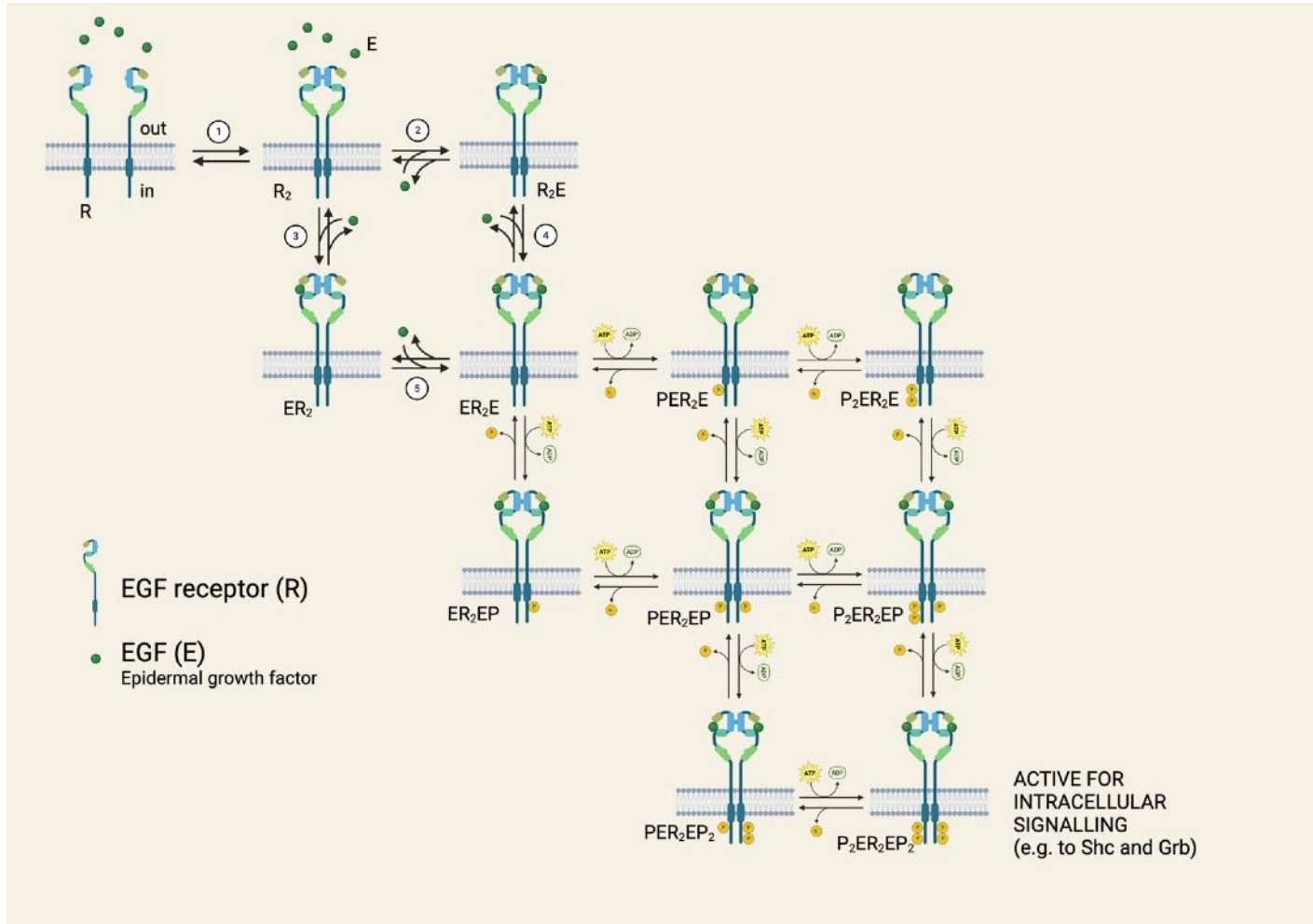


Transcription factor phosphorylation and DNA binding



examples of state transition diagrams

membrane receptor dimerisation, ligand (growth factor) binding, autophosphorylation



SEE CORRECTION FOR THIS ARTICLE

Heterogeneity in EGF-binding affinities arises from negative cooperativity in an aggregating system

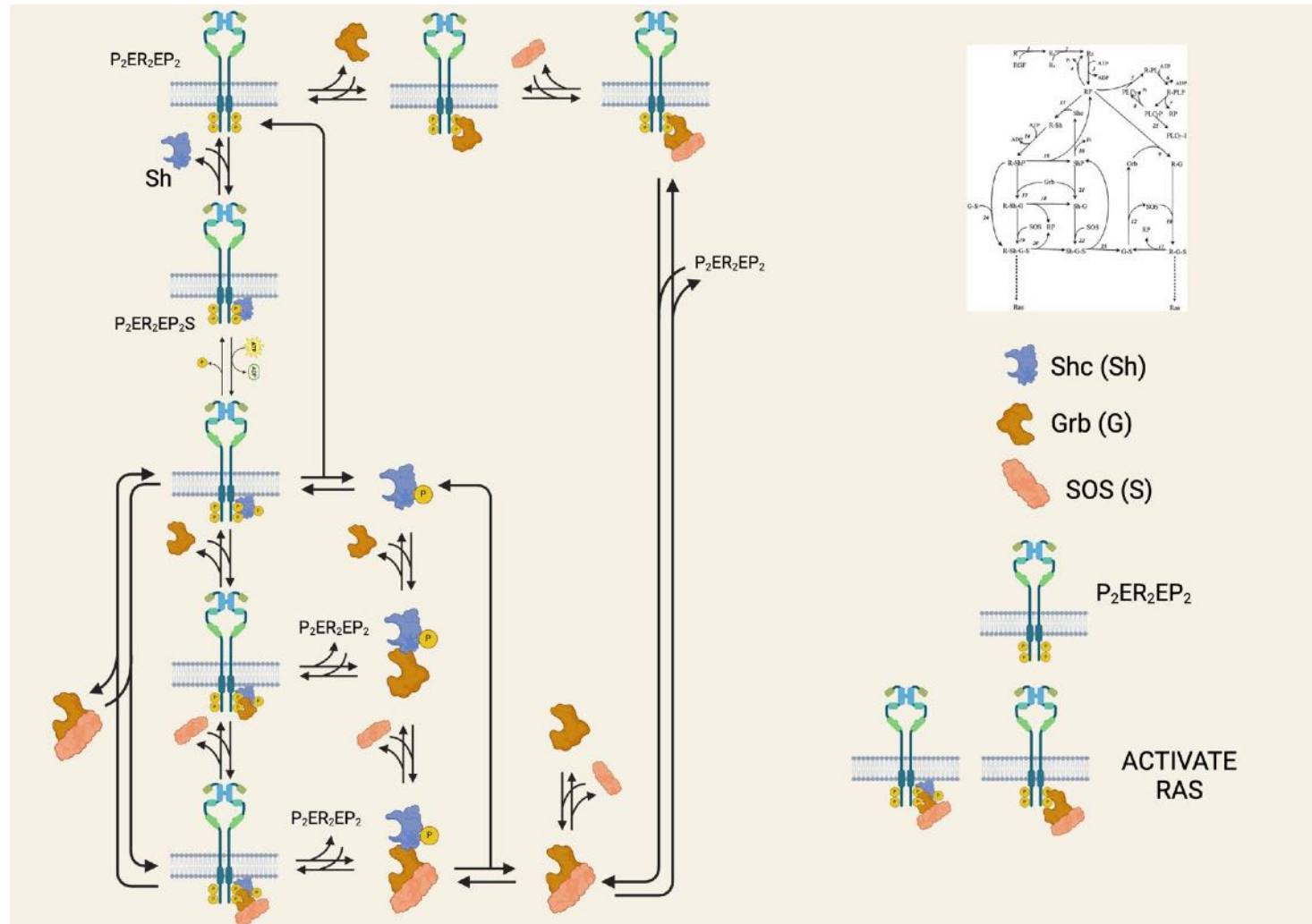
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Department of Biochemistry and Molecular Biophysics, Washington University School of Medicine, 660 South Euclid, Box 8231, St. Louis, MO 63110

Edited by Philip W. Majerus, Washington University School of Medicine, St. Louis, MO, and approved November 6, 2007 (received for review July 27, 2007)

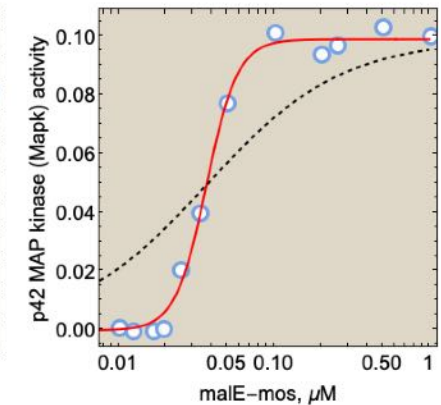
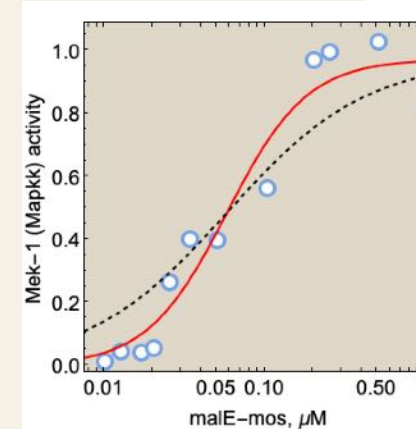
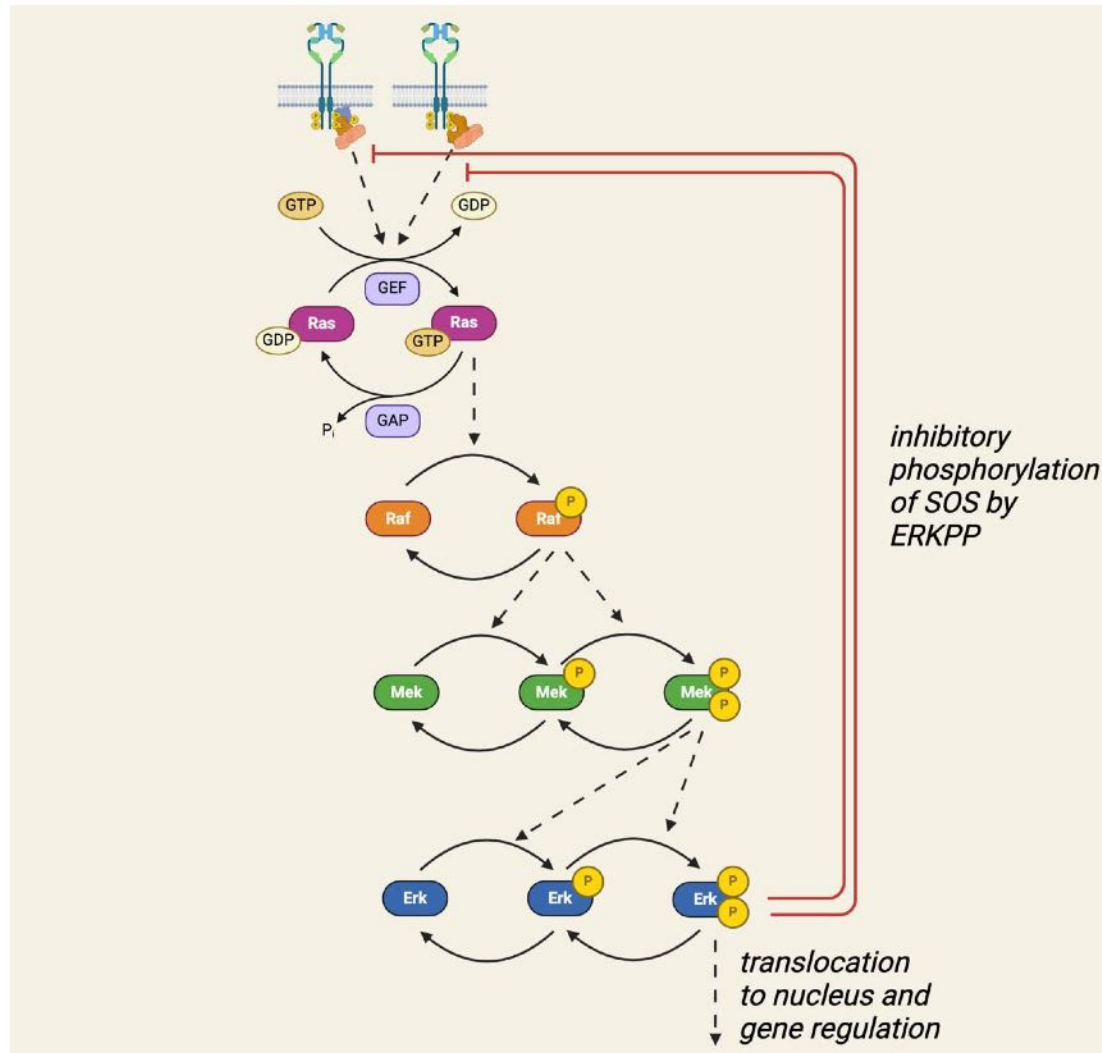
examples of state transition diagrams

downstream signalling from EFG receptor, binding of adaptor proteins



examples of state transition diagrams

downstream signalling from EFG receptor continued, activation of MAPK pathway



MAPK cascade invariably use three kinases instead of one? The possibility that the three kinase arrangement has evolved to allow signal ramification or amplification is attractive but, as yet, not well supported by genetic or biochemical evidence.

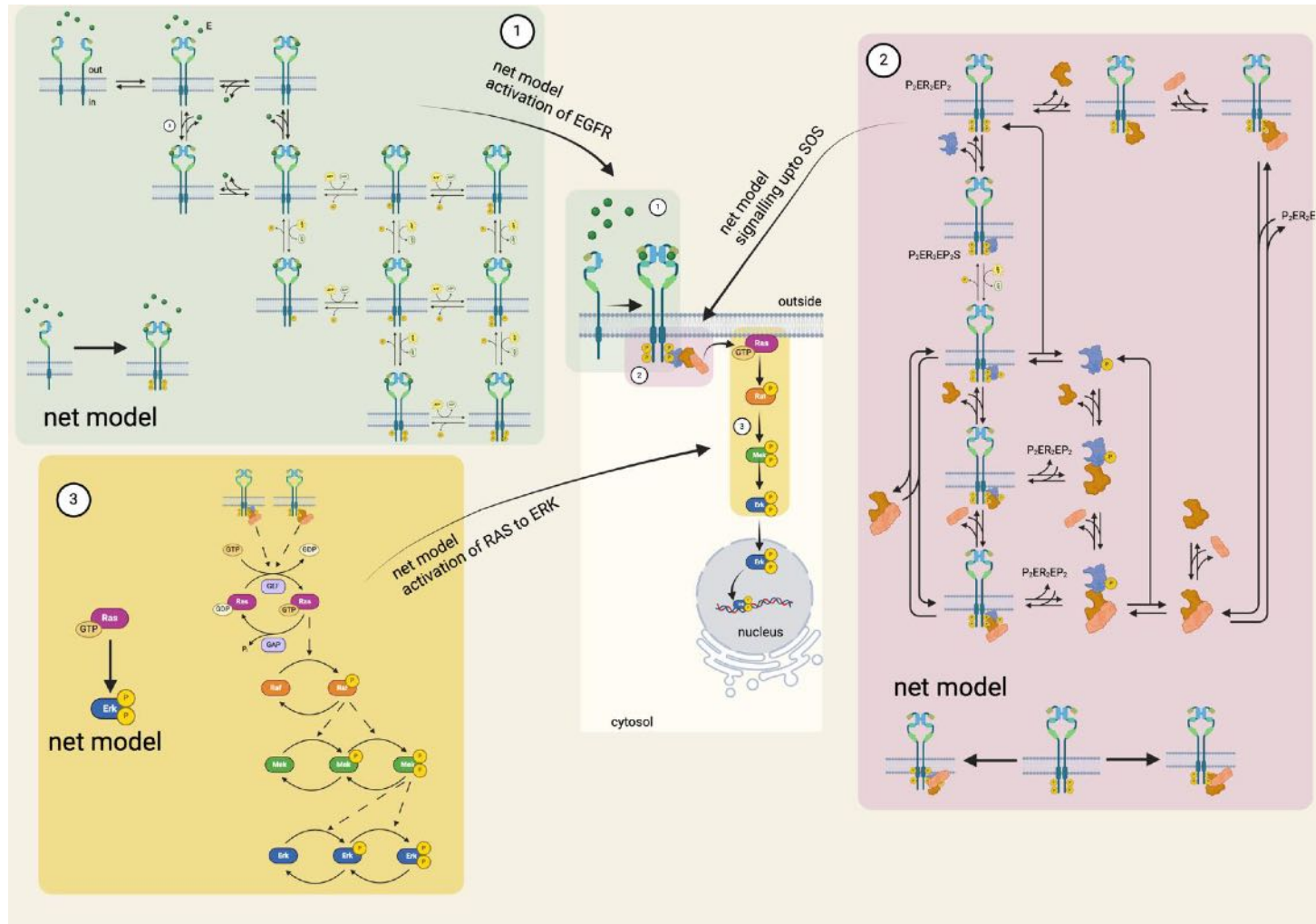
We have explored the possibility that the cascade arrangement has important consequences for the dynamics of MAPK signaling. Here we shall focus on the steady-state responses of enzymes at each level in the cascade to varying input stimuli. The stimulus/response curve of a typical Michaelis-Menten enzyme is hyperbolic, and the enzyme responds in a graded fashion to increasing stimuli. An 81-fold increase in stimulus is needed to drive the enzyme from 10% to 90% maximal response (see for example, the MAPKKK curves in Fig. 2). However, some enzymes exhibit stimulus/response curves that are steeper or less steep than the Michaelis-Menten curve. Cell biologist Kirschner and colleagues

enzymes tend toward all-or-none, switch-like responses.

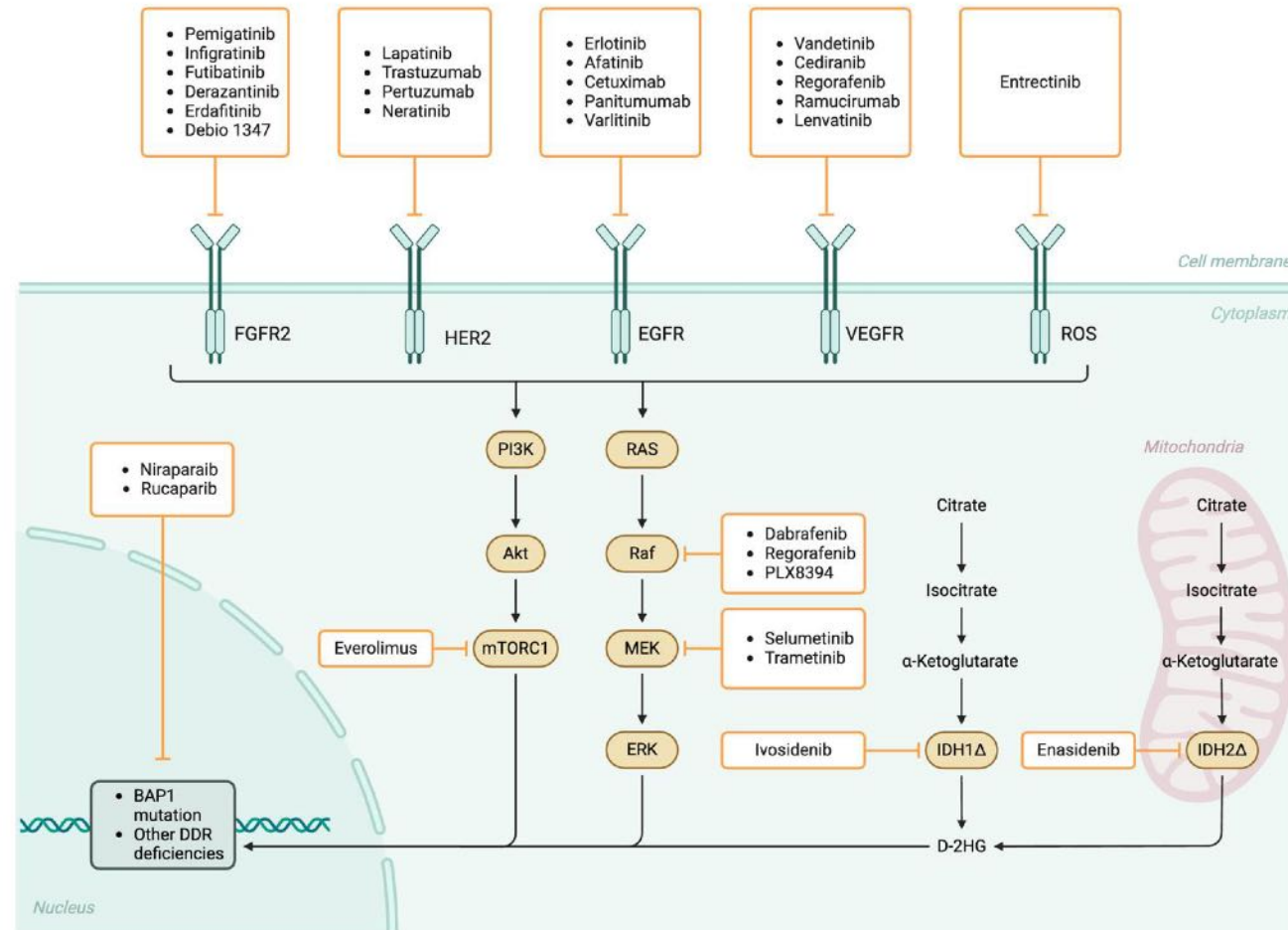
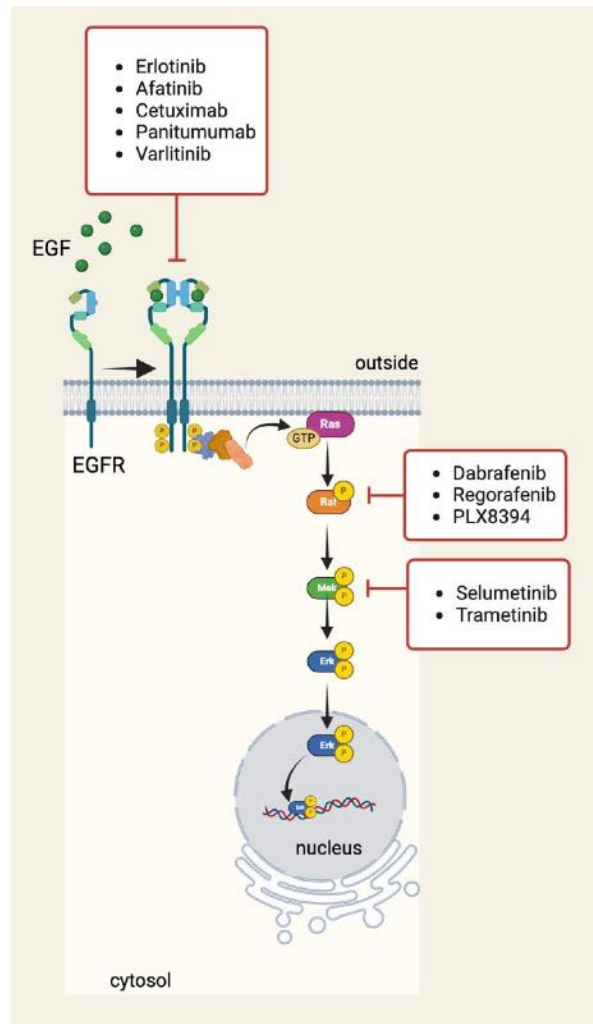
The most widely appreciated mechanism for generating ultrasensitive responses is cooperativity. Positively cooperative enzymes have sigmoidal stimulus/response curves, and need less than an 81-fold stimulus to drive them from 10% to maximal response. However, cooperativity is not the mechanism through which ultrasensitive responses can be generated. Ultrasensitivity also arises when enzymes cooperate near saturation ["zero-order ultrasensitivity"] (12-14), and when stimuli impinge upon multiple steps of an enzyme cascade ["multistep ultrasensitivity"] (12-14).

We have investigated whether an ultrasensitive, switch response would be expected of the vertebrate Erk1/2 MAPK cascade, given what is known about the abundance

net models and state transition diagrams

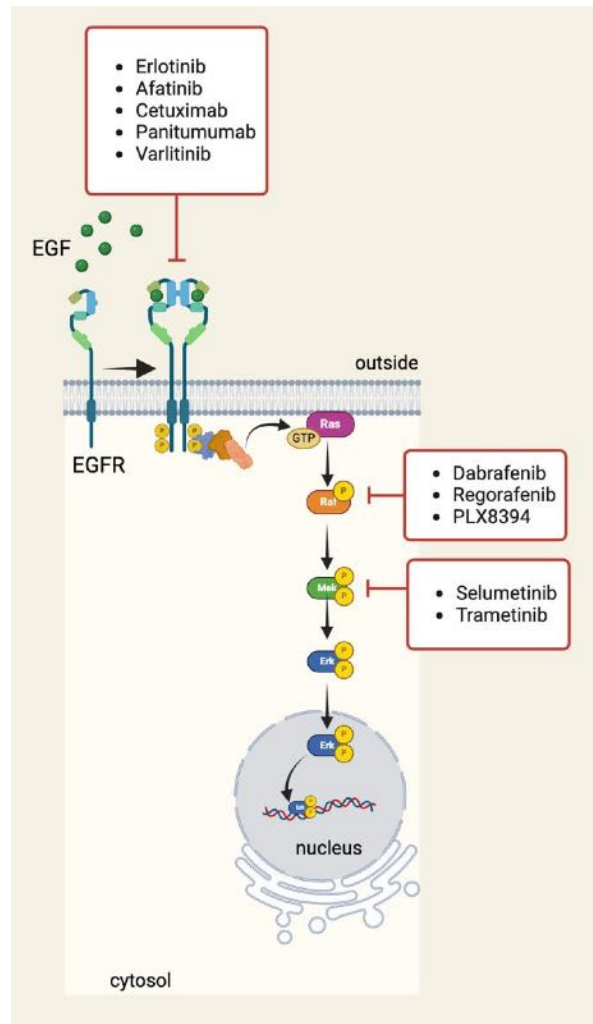


drug targets cancer treatment often in this signaling network



net process of last four slides

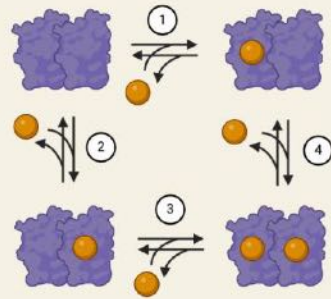
exercise



- give three mechanisms for the inhibitory effect of trametinib on MEKPP.
- why do we make state-transition diagrams?

Next steps, coming weeks

PROCESS MECHANISM



MODEL REDUCTION



1. (quasi-)equilibrium assumption
2. (quasi-)steady state assumption
3. phenomenological reduction

NET PROCESS



mass-action kinetics model

$$\begin{aligned} \frac{ds}{dt} &= -v_1 - v_2 - v_3 - v_4 \\ \frac{dr_2}{dt} &= -v_1 - v_2 \\ \frac{dr_2 s}{dt} &= v_1 - v_2 \\ \frac{dsr_2}{dt} &= v_2 - v_3 \\ \frac{dr_2 s_2}{dt} &= v_3 + v_4 \end{aligned} \quad \begin{aligned} v_1 &= k_1^+ \times r_2 \times s - k_1^- \times sr_2 \\ v_2 &= k_2^+ \times r_2 \times s - k_2^- \times r_2 s \\ v_3 &= k_3^+ \times sr_2 \times s - k_3^- \times r_2 s_2 \\ v_4 &= k_4^+ \times r_2 s \times s - k_4^- \times r_2 s_2 \end{aligned}$$

equilibrium model

$$r_2 s_2 = r_{2,T} \frac{\frac{s^2}{\alpha K_S^2}}{1 + 2 \frac{s}{\alpha K_S} + \frac{s^2}{\alpha K_S^2}}$$

Make a few state transition models of net processes occurring in this diagram

