Microbiome Data Analysis

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Methods

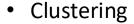
microbial taxa
Variable (metabolites / genes)

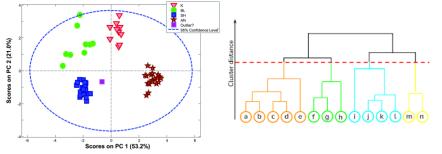


- Univariate analysis (Gene expression data)
 - Comparability
 - Error structure
- Multivariate data analysis methods
 - Gene expression and metabolomics data
- Microbiome data
 - Sparse and compositional data requires specific multivariate data analysis tools based on between sample distances









- Y information is not used in calculations, but only to color samples
- Supervised analysis
 - Use Y to calculate model (Y = Xb + E)
 - Classification: Y defines groups
 - High dimensional ANOVA: Y defines experimental design information
 - Regression: Y defines quantitative information
- Machine learning for nonlinear models
 - Random Forest
 - Neural Nets

• Validation:

 Test whether model does not overfit / effects are different from zero

Overview – lecture

- What are microbiomes and how do we study them?
- Challenges in data analysis
 - What causes them
 - How to recognize common problems
 - Data transformation / normalization
- Microbial ecology data analysis methods for distances between samples

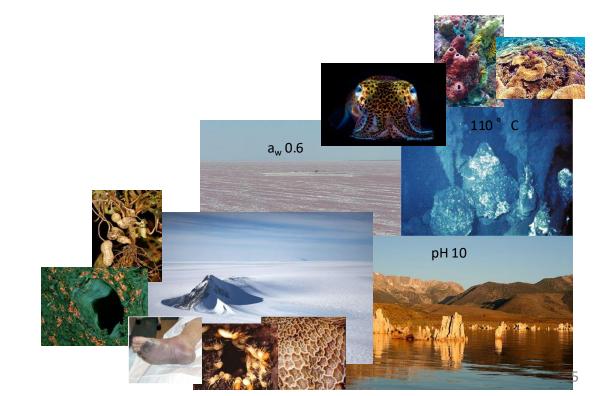
Why do we study microbiomes?

Microbiomes

Microbes:

- are the oldest form of life today
- have shaped our world
- can and do live nearly everywhere on Earth
- are essential partners of many animals and plants
- are important for human health, including as pathogens

Animals Fungi on land land plants land arthropods land vertebrates



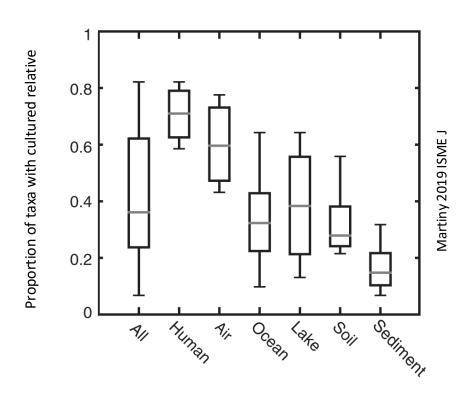
Microbiomes

Microbes:

nearly always live in mixed communities

(= microbiomes)

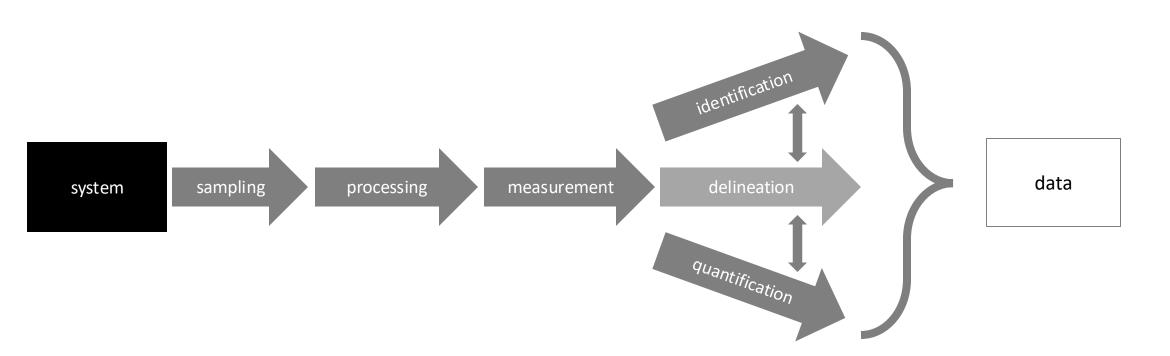
- Most microbes are difficult or impossible to isolate and to culture
- feed of each other's products
- shape each other's environment



How do we study microbiomes?

Microbiomes are studied by *in-situ* multiplex methods, such as "meta-omics" or "meta-barcoding"

Measuring microbiomes: omics paradigm



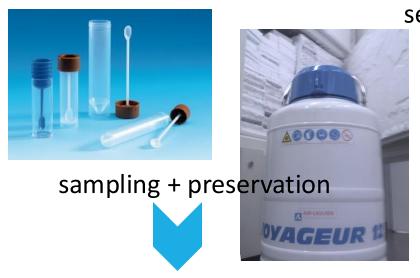
Measuring microbiomes: who is there?





"taxon" (pl. taxa): group of organisms that form a unit (e.g. a species, a genus, a family etc.)

Measuring microbiomes: who is there?



sample processing



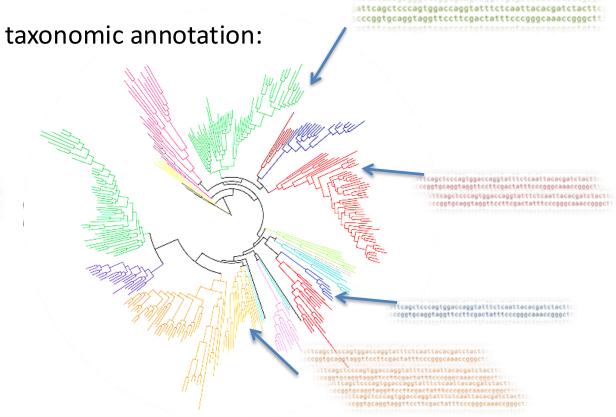
sequencing & identification



Measuring microbiomes: who is there?

sequences:

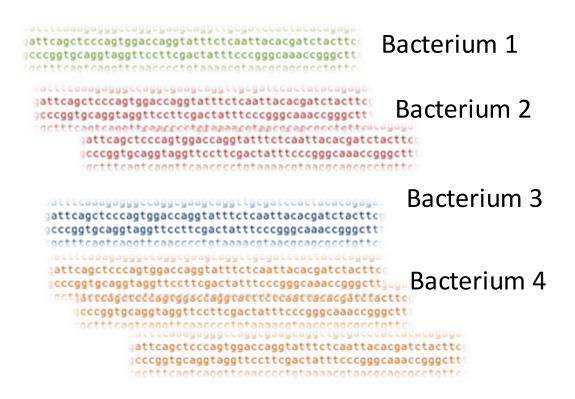




Wu et al. 2009 Nature

Measuring microbiomes: who is there? and how much?

sequencing & identification



counting:

taxon	Bact. 1	Bact. 2	Bact. 3	Bact. 4
Sample 1	1	2	1	4
Sample 2	2	2	3	2
Sample 3	1	0	0	1
Sample				
Sample N	4	1	7	0

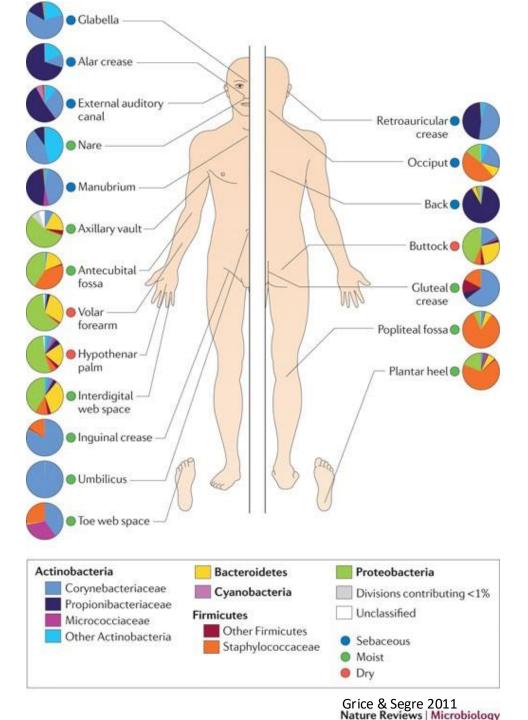
Microbiome research questions

- What kind of microbes form a microbiome?
- How (dis-)similar are microbiomes? what do they have in common / what sets them apart?
 - cross-sectionally or over time

How would you analyse this question?

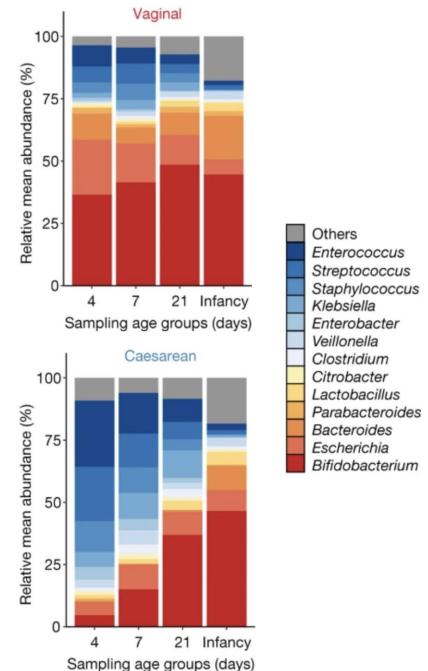
You have measured microbiome taxonomic profiles from different places on someone's body

Which microbiomes are composed of similar bacteria?



You have measured faecal microbiome samples from 300 random babies and their mothers

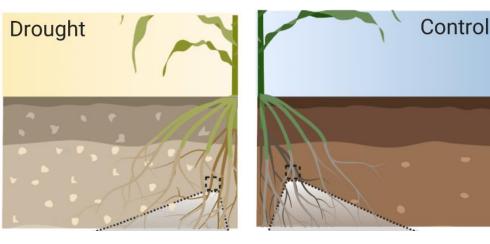
Can I see if the babies were born by caesarian section or vaginally?



You have performed an experiment with sorghum grown under drought and control conditions. You've measured root-associated microbiomes in both conditions.

Which bacteria are more abundant in stressed plants?

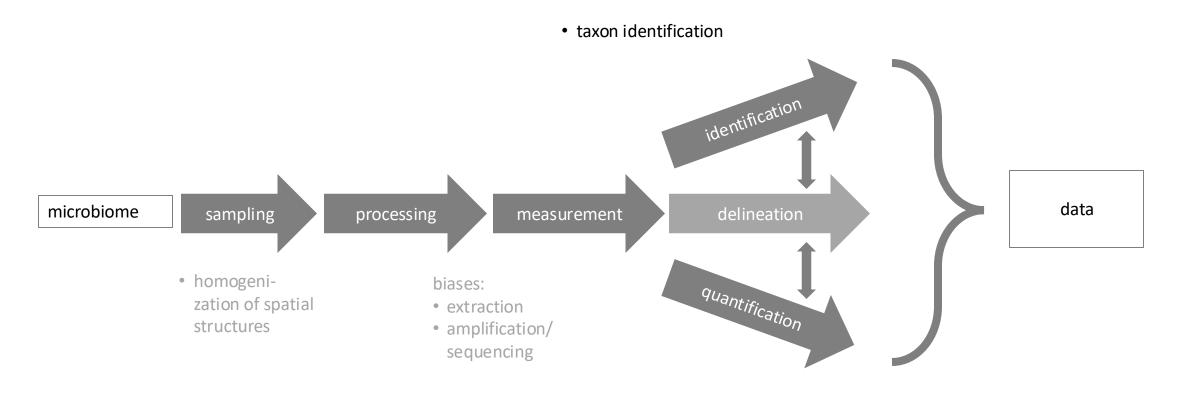




Xu et al. 2018 PNAS Xu et al. 2021 Nature Communications

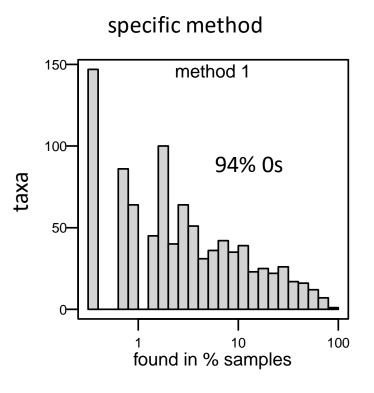
What are the challenges?

Measuring microbiomes: challenges

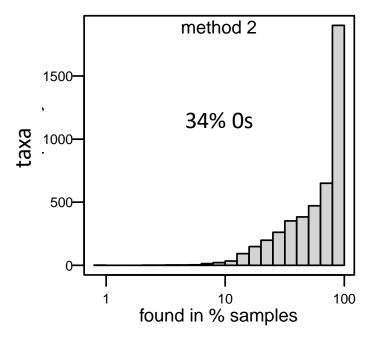


Effect of feature identification on data

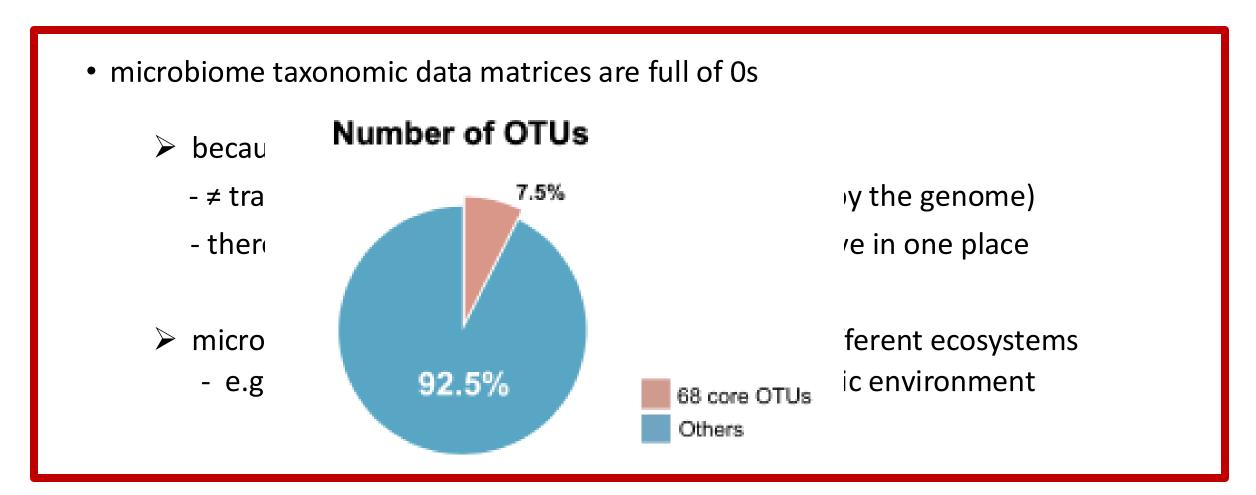
Example – from the practical data set:



method with many false positives



The many 0s in microbiome studies



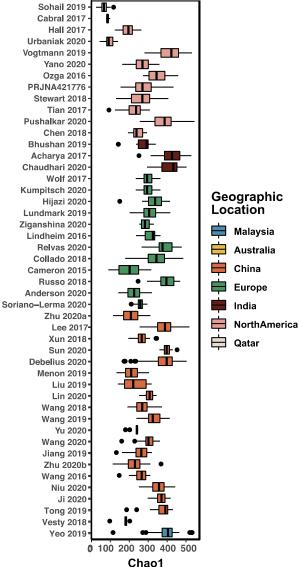
Ruan *et al.* 2022 npj biofilms & microbiomes

non-0s: richness & α -diversity

 the number of taxa in a sample (=richness) can have ecological meaning

" α -diversity": diversity of taxa within a sample

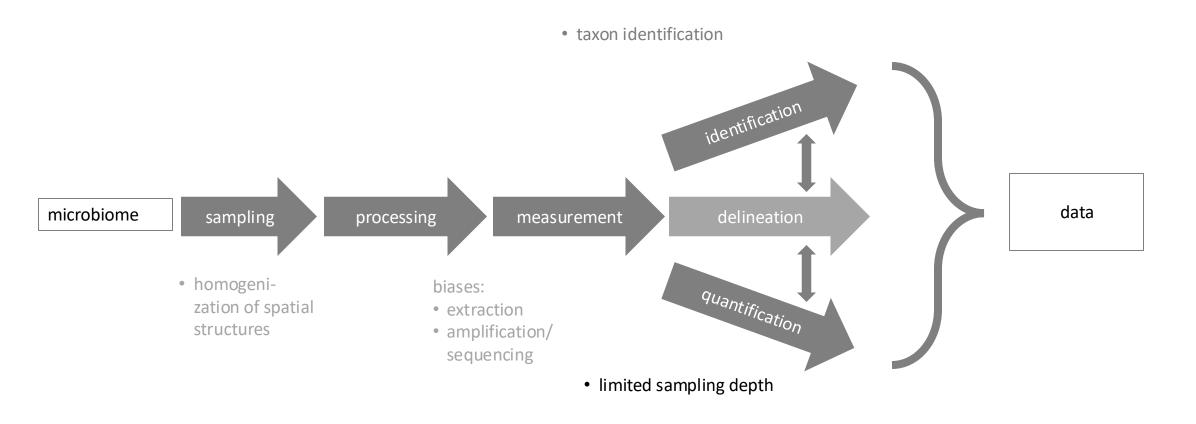




adapted from Ruan et al. 2022 npj biofilms & microbiomes

Europe

Measuring microbiomes: challenges



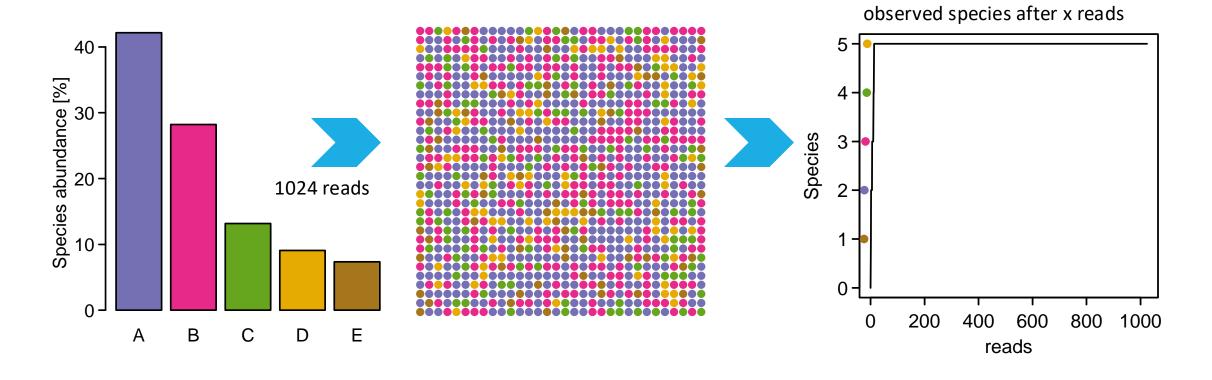
Sampling depth: Rarefaction curves & analysis

• Did I see all the taxa in my sample?

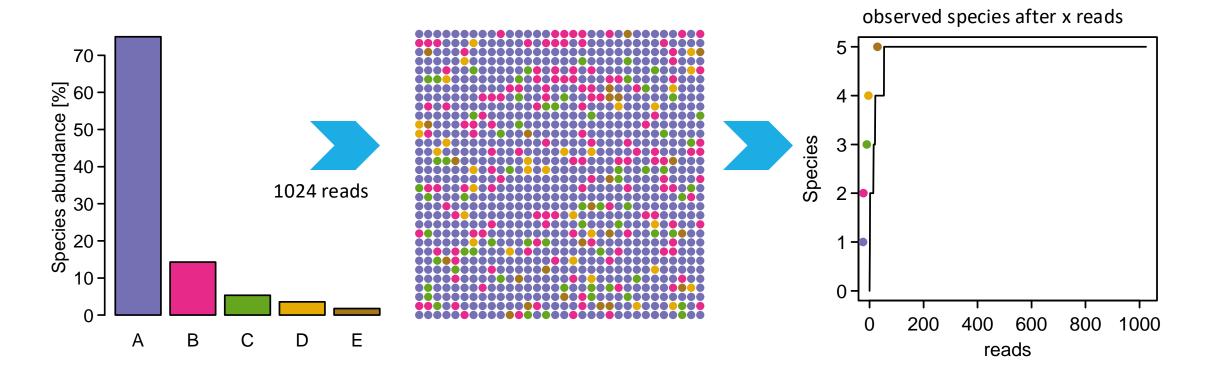




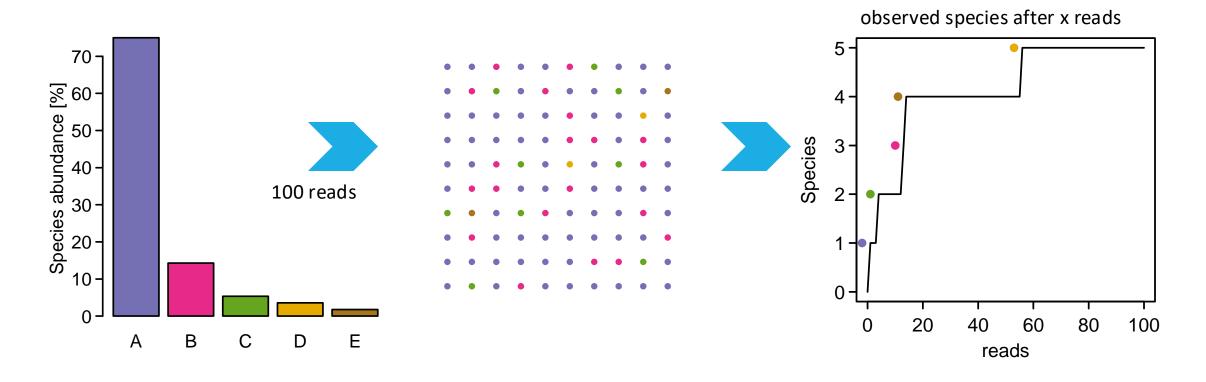
number of new species in increasing subsamples



number of new species in increasing subsamples

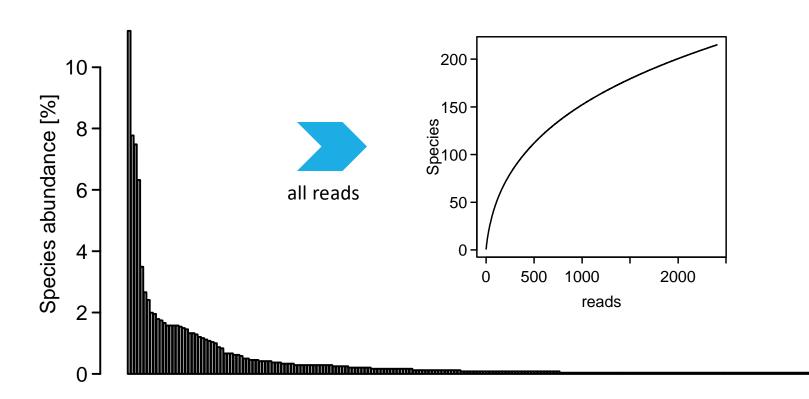


number of new species in increasing subsamples

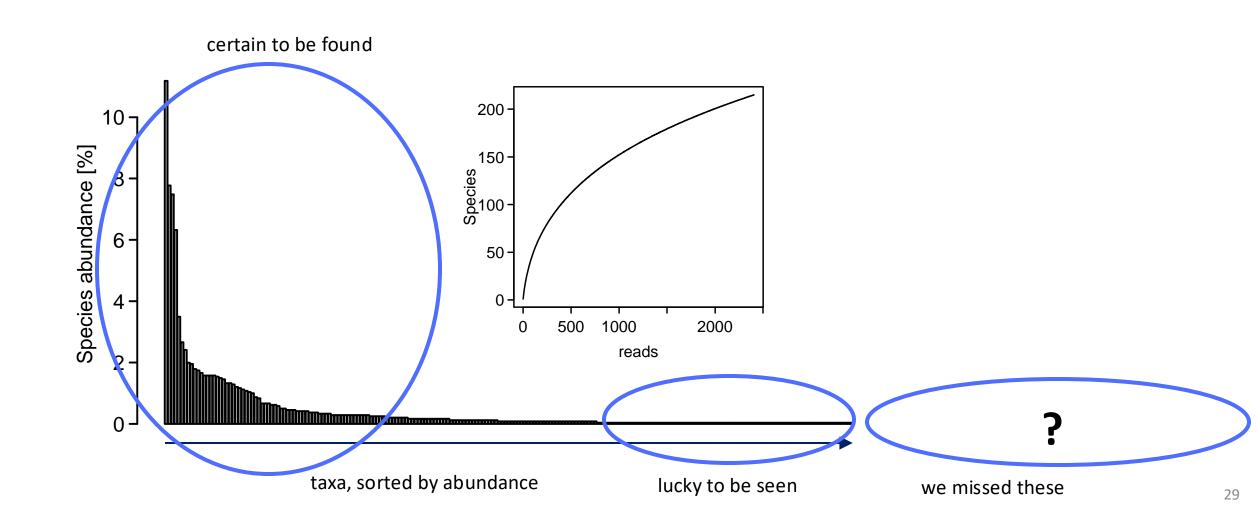




• number of new species in increasing subsamples

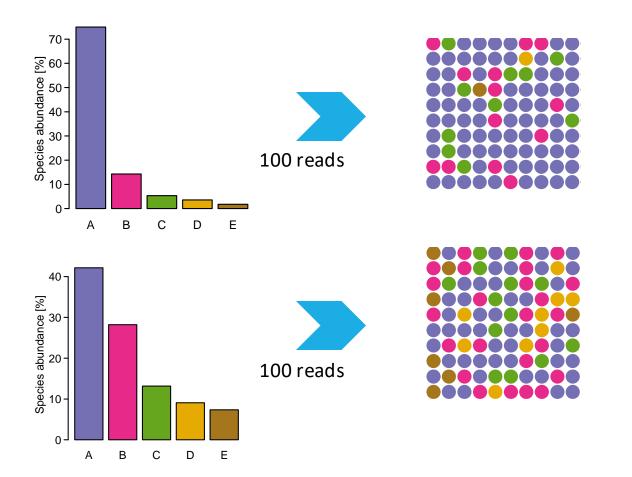


Sampling depth: Rarefaction curves & analysis



Rarefaction (normalisation)

subsample reads to keep equal numbers per sample

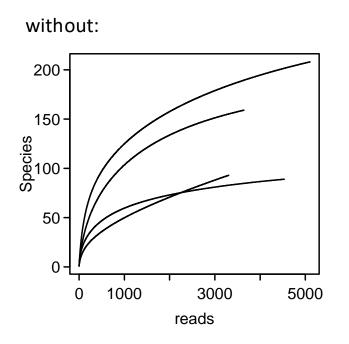


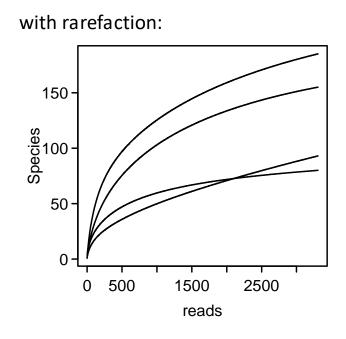
 all samples have the same sum of reads



Rarefaction (normalisation)

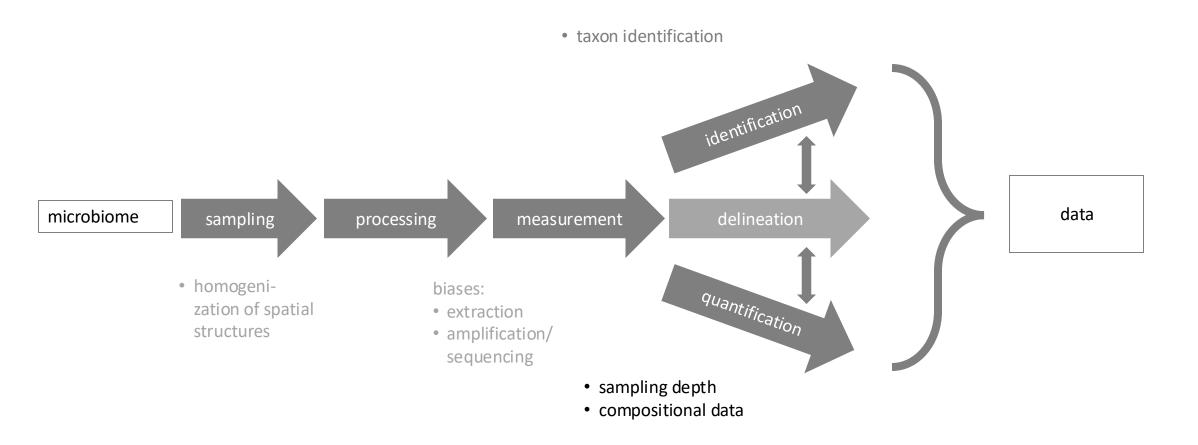
- subsample reads to keep equal numbers per sample
- you can re-do this many times to estimate what error it introduces





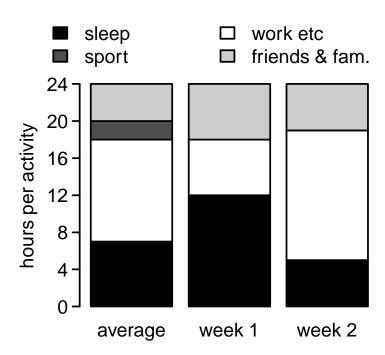
 all samples have the same sum of reads

Measuring microbiomes: challenges



Compositionality

 compositional data consist of vectors whose components are the proportion of some whole



Compositionality

 compositional data consist of vectors whose components are the proportion of some whole

$$\mathbf{x} = (x_1, x_2, ...x_s, ..., x_D)$$

• the proportions are constrained to a constant (unit-sum-constraint)

$$x_1 + x_2 + \dots + x_s + \dots + x_D = 1$$

• the sample space of the proportions vector is not Euclidean



Compositionality

- use ratios between variables instead of proportions of the whole
- ratio to the geometric mean
 - = centered log ratio:

$$\operatorname{clr}(\mathbf{x}_j) = \left[\ln \frac{x_{1j}}{g(\mathbf{x}_j)}, ..., \ln \frac{x_{Dj}}{g(\mathbf{x}_j)} \right]$$

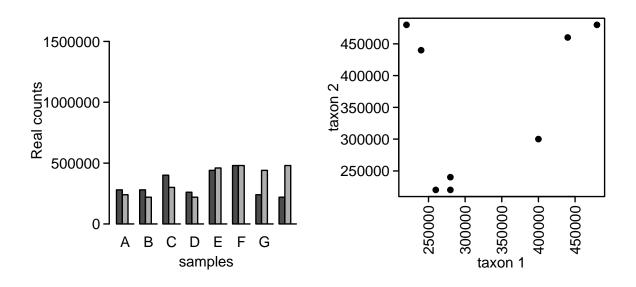
 handle 0s by replacing them with a low value

 replacing 0s by some value is always problematic

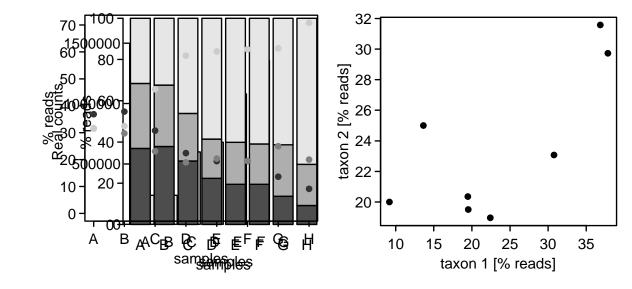
transform ratios to log-scale for better handling

Compositionality - example

taxa 1 and 2 have no special relationship

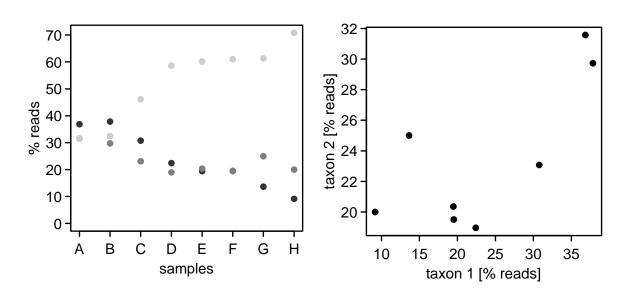


taxon 3 introduces a positive correlation



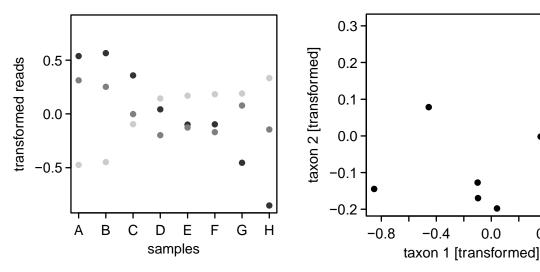
Compositionality - example

taxon 3 introduces a positive correlation



transformation: centered log ratio

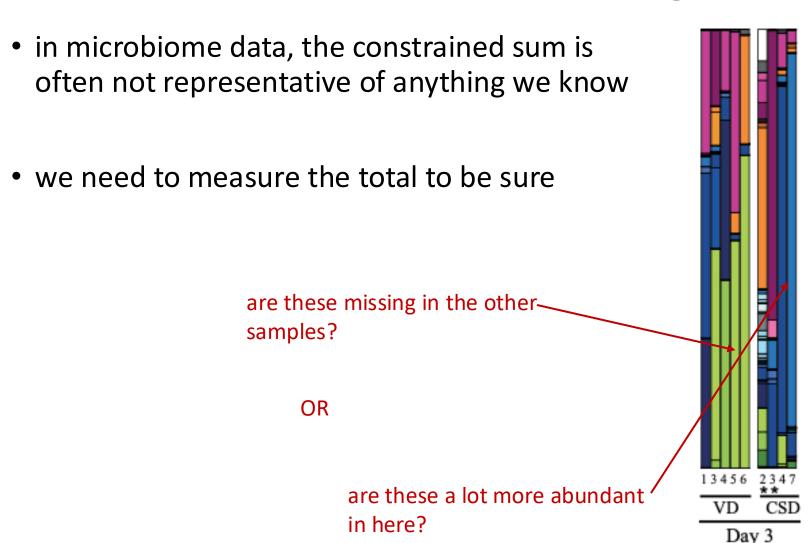
$$\operatorname{clr}(\mathbf{x}_j) = \left[\ln \frac{x_{1j}}{g(\mathbf{x}_j)}, ..., \ln \frac{x_{Dj}}{g(\mathbf{x}_j)} \right]$$

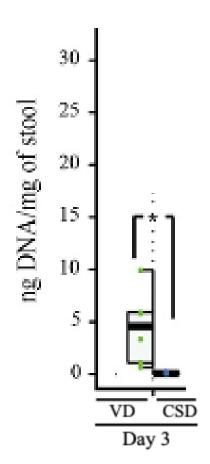


transformation has removed/weakened the spurious correlation

0.4

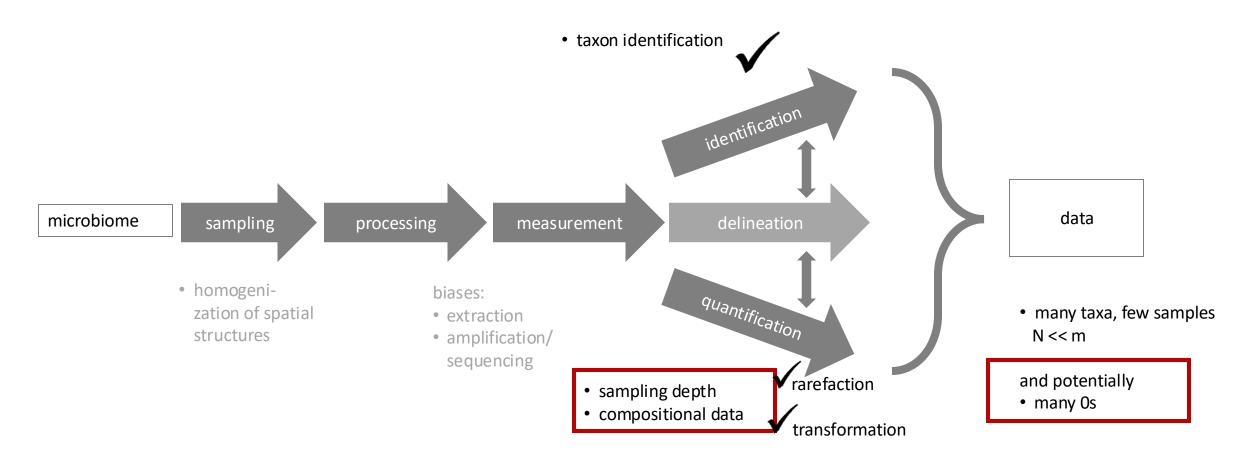
Compositionality – transformation can't do magic





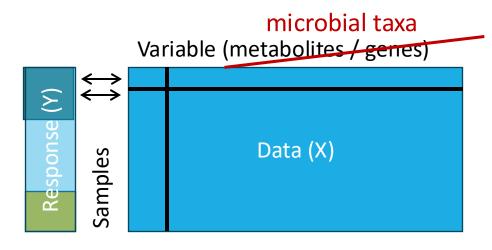
Wampach *et al.* 2017 Frontiers in Microbio

Measuring microbiomes: challenges



Measuring microbiomes: taxon abundance profiles

taxon	Bact. 1	Bact. 2	Bact. 3	Bact. 4	Bact	Bact. m
Sample 1	1	2	1	4		0
Sample 2	2	2	3	2		0
Sample 3	1	0	0	1		0
Sample						
Sample N	4	1	7	0		1



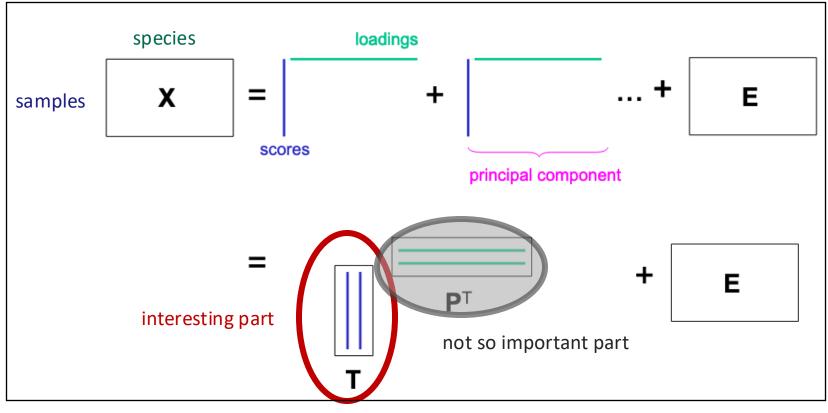
Why don't most microbiome researchers use many of the methods you've learned in the last weeks?

because they ask different questions

because of different interpretations of 0s

Ecological questions

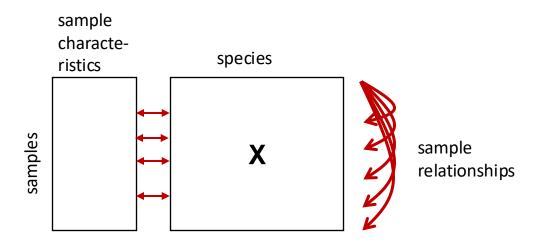
 traditionally, ecology focuses on the relationship between samples and not on which species differ between samples



from lecture 3

Ecological questions

- traditionally, ecology does not focus on which species differ between samples
- ask instead how the relationship between samples relates to environmental factors



Ecology and Os

• there are several issues around 0s:

- 1) why do we think we observe 0s?
- 2) what is the meaning / interpretation of double Os?
- 3) how dissimilar are two samples that have no taxa in common?

"double 0": a taxon that is absent in two samples

Double 0s in ecology

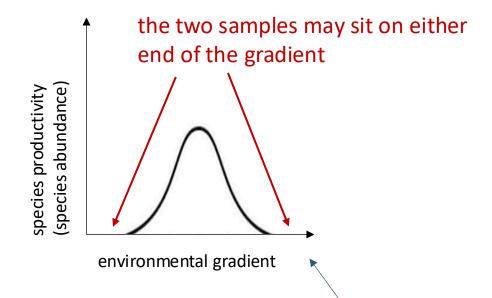
• double 0s are the fields in the matrix where one species is not observed in two samples

taxon	Bact. 1	Bact. 2	Bact. 3
Sample A	0	1	1
Sample B	0	4	8
Sample C	1	0	0

Double 0s in ecology

• what do double 0s say about sample (dis-)similarity?

taxon	Bact. 1	Bact. 2	Bact. 3
Sample A	0	1	1
Sample B	0	4	8
Sample C	1	0	0



other reasons include: dispersal limits, priority effects, recent extinction by virus/predator

e.g. pH, temperature, nutrient availability....

Recap

observed 0s can mean:

- that the conditions mean too little or too much for a species
- that a species has not (yet) happened to encounter a place
- that a different species has already occupied the niche
- that the species was there, but we missed to observe it

double 0s contain no ecological information

After the break: Microbiome research has its own set of analysis methods

Microbiome research has its own set of analysis methods

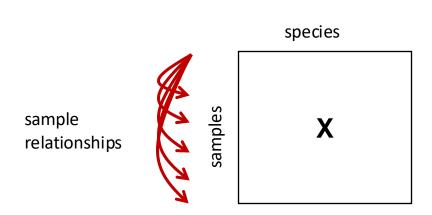
Microbiome analysis methods

> ask microbiome questions

have microbiome interpretations of 0s

Microbiome analysis methods

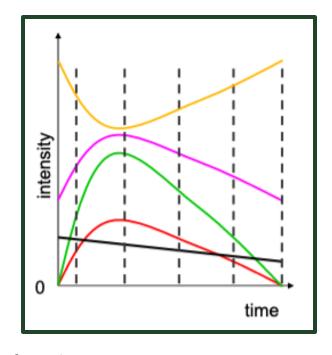
"β-diversity": distance/dissimilarity between samples



β-diversity measures – comparing **pairs of samples**

what do you consider dissimilar?

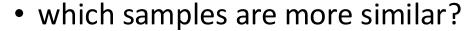
- there is not one correct measure,
- it depends on your question



from lecture 4

More 0s: Samples without common taxa

can samples without common taxa be compared?



- A & B
- A & C

taxon	Bact. 1	Bact. 2	Bact. 3
Sample A	0	1	1
Sample B	0	4	8
Sample C	1	0	0

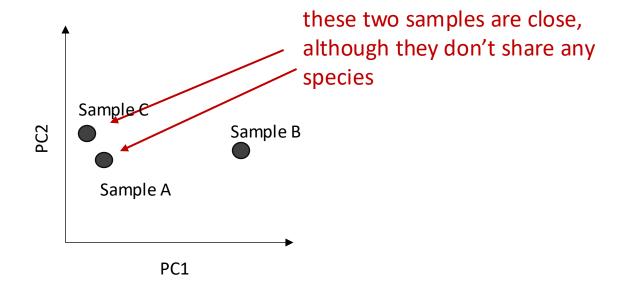
 the ecological interpretation is that C is maximally different from A and B, because they have no common species

β-diversity measures: why not Euclidean distance?

according to the ecological interpretation, C is maximally different from A and B, because they have no common species

taxon	Bact. 1	Bact. 2	Bact. 3
Sample A	0	1	1
Sample B	0	4	8
Sample C	1	0	0

however, in PCA:



β-diversity measures: why not Euclidean distance?

• this is not just a normalization issue

taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	Σ
Sample A	0	1	16	0	0	0	0	0	0	0	0	0	0	0	0	17
Sample B	0	10	5	0	0	0	0	0	0	0	0	0	0	0	0	15
Sample C	5	0	0	1	1	1	1	1	1	1	1	1	1	1	1	18

β-diversity measures: why not Euclidean distance?

• this is not just a normalization issue

% taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	Σ
Sample A	0	6	94	0	0	0	0	0	0	0	0	0	0	0	0	100
Sample B	0	67	33	0	0	0	0	0	0	0	0	0	0	0	0	100
Sample C	28	0	0	6	6	6	6	6	6	6	6	6	6	6	6	100

$$d_{Euc}(\mathbf{x}_i, \mathbf{x}_j) = \sqrt{\sum_{s=1}^{D} (x_{si} - x_{sj})^2}$$

D _{Euc}	Sample A	Sample B	Sample C
Sample A	0	0.86	1.009
Sample B	0.86	0	0.827
Sample C	1.009	0.827	0





$$d_A(\mathbf{x}_i, \mathbf{x}_j) = \sqrt{\sum_{s=1}^{D} \left[\ln \frac{x_{si}}{g(\mathbf{x}_i)} - \ln \frac{x_{sj}}{g(\mathbf{x}_j)} \right]^2}$$

$$g(\mathbf{x}) = \sqrt[p]{x_1 x_2 ... x_D}$$
 is the geometric mean

- this is the Euclidean distance of the centered log ratio transformed data
- we need to add pseudo-counts

taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Sample A	1	1	16	1	1	1	1	1	1	1	1	1	1	1	1
Sample B	1	10	5	1	1	1	1	1	1	1	1	1	1	1	1
Sample C	5	1	1	1	1	1	1	1	1	1	1	1	1	1	1

D_{A}	Sample A	Sample B	Sample C
Sample A	0	1.99	3.82
Sample B	1.99	0	3.95
Sample C	3.82	3.95	0





$$d_{BC}(\mathbf{x}_i, \mathbf{x}_j) = \frac{\sum_{s=1}^{D} |x_{si} - x_{sj}|}{\sum_{s=1}^{D} (x_{si} + x_{sj})}$$

% taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	
Sample A	0	6	94	0	0	0	0	0	0	0	0	0	0	0	0	
Sample B	0	67	33	0	0	0	0	0	0	0	0	0	0	0	0	
Sample C	28	0	0	6	6	6	6	6	6	6	6	6	6	6	6	Σ
numerator	0	61	61	0	0	0	0	0	0	0	0	0	0	0	0	122
denominator	0	73	127	0	0	0	0	0	0	0	0	0	0	0	0	200

7	1	\
d_{BC}	$(\mathbf{x}_A,$	\mathbf{x}_B

D_{BC}	Sample A	Sample B	Sample C
Sample A	0	0.61	
Sample B	0.61	0	
Sample C			0

β-diversity measures: the Bray-Curtis dissimilarity

$$d_{BC}(\mathbf{x}_i, \mathbf{x}_j) = \frac{\sum_{s=1}^{D} |x_{si} - x_{sj}|}{\sum_{s=1}^{D} (x_{si} + x_{sj})}$$

 $d_{BC}(\mathbf{x}_i, \mathbf{x}_j) = \frac{\sum_{s=1}^{D} |x_{si} - x_{sj}|}{\sum_{s=1}^{D} (x_{si} + x_{sj})}$ • numerator and denominator are equal, if no taxa are in common

	% taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	
	Sample A	0	6	94	0	0	0	0	0	0	0	0	0	0	0	0	
	Sample B	0	67	33	0	0	0	0	0	0	0	0	0	0	0	0	
	Sample C	28	0	0	6	6	6	6	6	6	6	6	6	6	6	6	Σ
nı	umerator	28	6	94	6	6	6	6	6	6	6	6	6	6	6	6	200
de	enominator	28	6	94	6	6	6	6	6	6	6	6	6	6	6	6	200

der

D_{BC}	Sample A	Sample B	Sample C
Sample A	0	0.61	1
Sample B	0.61	0	1
Sample C	1	1	0





d ()	1	2a
$d_{Sor}(\mathbf{x}_i, \mathbf{x}_j) =$: I -	$\overline{2a+b+c}$

coding	x _j present	x _j absent
x _i present	а	b
x _i absent	С	a

 we're only counting whet samples have taxa in common

taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Sample A	0	1	16	0	0	0	0	0	0	0	0	0	0	0	0
Sample B	0	10	5	0	0	0	0	0	0	0	0	0	0	0	0
Sample C	5	0	0	1	1	1	1	1	1	1	1	1	1	1	1

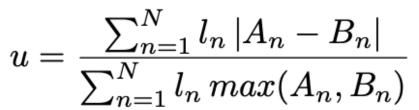
	а	b	С
A,B	2	0	0
A,C	0	13	13
В,С	0	13	13

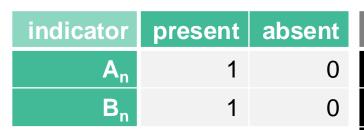
$$d_{Sor}(\mathbf{x}_A, \mathbf{x}_B) = 1 - \frac{2 \cdot 2}{2 \cdot 2 + 0 + 0}$$
$$d_{Sor}(\mathbf{x}_A, \mathbf{x}_C) = 1 - \frac{2 \cdot 0}{2 \cdot 0 + 13 + 13}$$

D _{Sor}	Sample A	Sample B	Sample C
Sample A	0	0	1
Sample B	0	0	1
Sample C	1	1	0

β-diversity measures: UniFrac distances - 1: unweighted







taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14
Sample A	0	1	16	0	0	0	0	0	0	0	0	0	0	0
Sample B	1	10	5	0	0	0	0	0	0	0	0	0	0	0
Sample C	5	0	0	1	1	1	1	1	1	1	1	1	1	1

use information on relatedness

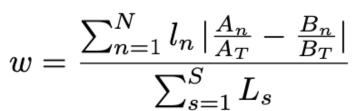
 I_n = branchlength

n...N: nodes

u	Sample A	Sample B	Sample C
Sample A	0	0.05	0.98
Sample B	0.05	0	0.97
Sample C	0.98	0.97	0

β-diversity measures: UniFrac distances - 2: weighted





	<u>_</u>			_	ر	\(5—	<u></u>				<u>-</u>		~	
taxon	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Sample A	0	1	16	0	0	0	0	0	0	0	0	0	0	0	0
Sample B	1	10	5	0	0	0	0	0	0	0	0	0	0	0	0
Sample C	5	0	0	1	1	1	1	1	1	1	1	1	1	1	1

use information on

relatedness and abundance

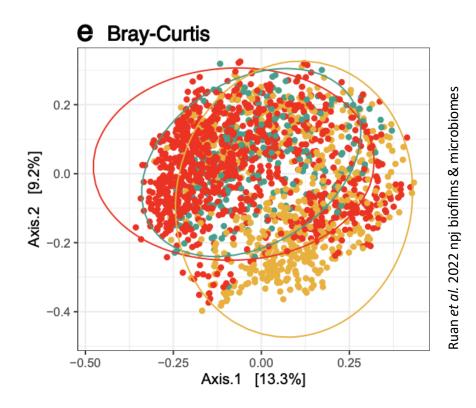
$$I_n$$
 = branchlength ($n...N$: nodes)

$$L_s$$
 = length root to tip (s...S: tips)

$$\frac{A_n}{A_T}$$
 $\frac{B_n}{B_T}$ = relative abundances

и	Sample A	Sample B	Sample C
Sample A	0	0.005	1
Sample B	0.005	0	0.98
Sample C	1	0.98	0

And can we represent the whole β -diversity matrix?



Representing the whole β-diversity matrix: Principal coordinate analysis

- represents any distance/dissimilarity matrix in Euclidean space
 - = "ordination"
- because it starts from the β -diversity/distance/dissimilarity matrix, it does not use (retain) the original variable information



represents the distance matrix in Euclidean space

Δ_1	Sample A	Sample B	Sample C
Sample A	0.1932	0.0085	-0.2017
Sample B	0.0085	0.1932	-0.2017
Sample C	-0.2017	-0.2017	0.4033

eigenvectors	<i>v</i> 1	<i>v</i> 2	<i>v</i> 3
Sample A	-0.4082	-0.7071	0.5774
Sample B	-0.4082	0.7071	0.5774
Sample C	0.8165	0	0.5774
eigenvalues λ	0.6051	0.1847	0

$$\mathbf{\Delta}_1 = \left(\mathbf{I} - \frac{\mathbf{1}\mathbf{1}^T}{n}\right) \mathbf{A} \left(\mathbf{I} - \frac{\mathbf{1}\mathbf{1}^T}{n}\right)$$

• calculate eigenvectors & eigenvalues



represents the distance matrix in Euclidean space

Δ_1	Sample A	Sample B	Sample C
Sample A	0.1932	0.0085	-0.2017
Sample B	0.0085	0.1932	-0.2017
Sample C	-0.2017	-0.2017	0.4033

- transform matrix
- centre rows and columns

eigenvectors	<i>v</i> 1	<i>v</i> 2	<i>V</i> 3
Sample A	-0.4082	-0.7071	0.5774
Sample B	-0.4082	0.7071	0.5774
Sample C	0.8165	0	0.5774
eigenvalues λ	0.6051	0.1847	0
square root √λ	0 7779	0 4298	0

- calculate eigenvectors & eigenvalues
- multiply eigenvectors by squareroot of eigenvalues



represents the distance matrix in Euclidean space

0.1847

0.4298

Δ_1	Sample A	Sample B	Sample C
Sample A	0.1932	0.0085	-0.2017
Sample B	0.0085	0.1932	-0.2017
Sample C	-0.2017	-0.2017	0.4033

- transform matrix
- centre rows and columns

U norm. eigenvectors	<i>u</i> 1	u2
Sample A	-0.3176	-0.3039
Sample B	-0.3176	0.3039
Sample C	0.6351	0

0.6051

0.7779

eigenvalues λ

square root $\sqrt{\lambda}$

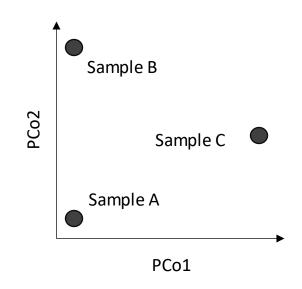
- calculate eigenvectors & eigenvalues
- multiply eigenvectors by squareroot of eigenvalues



• represents the distance matrix in Euclidean space

D_{BC}	Sample A	Sample B	Sample C
Sample A	0	0.61	1
Sample B	0.61	0	1
Sample C	1	1	0

U norm. eigenvectors	u1	u2
Sample A	-0.3176	-0.3039
Sample B	-0.3176	0.3039
Sample C	0.6351	0

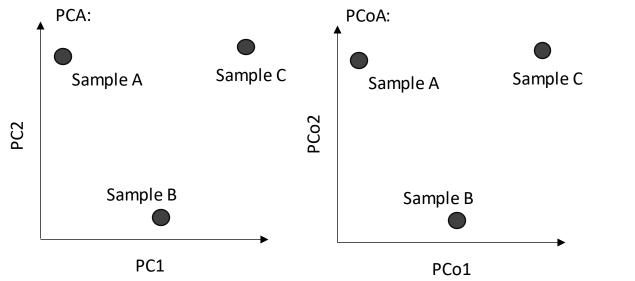




represents the distance matrix in Euclidean space

D _{Euc}	Sample A	Sample B	Sample C
Sample A	0	0.86	1.009
Sample B	0.86	0	0.827
Sample C	1.009	0.827	0

 if the matrix already holds Euclidean distances, the normalised eigenvectors are the same as the PCA-scores on the original dataset



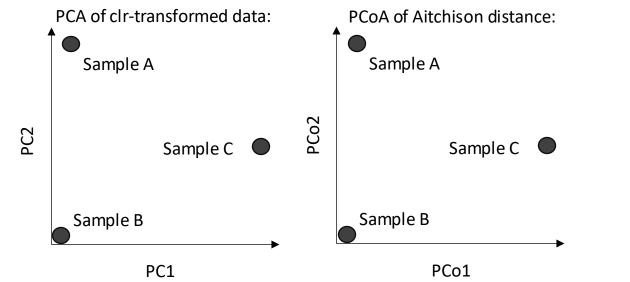
"PCoA": Principal coordinate analysis – for a Euclidean distance matrix, the objects find the same place as in PCA



represents the distance matrix in Euclidean space

D_{A}	Sample A	Sample B	Sample C
Sample A	0	1.99	3.82
Sample B	1.99	0	3.95
Sample C	3.82	3.95	0

 if the matrix already holds Euclidean distances, the normalised eigenvectors are the same as the PCA-scores on the original dataset



"PCoA": Principal coordinate analysis – for a Euclidean distance matrix, the objects find the same place as in PCA

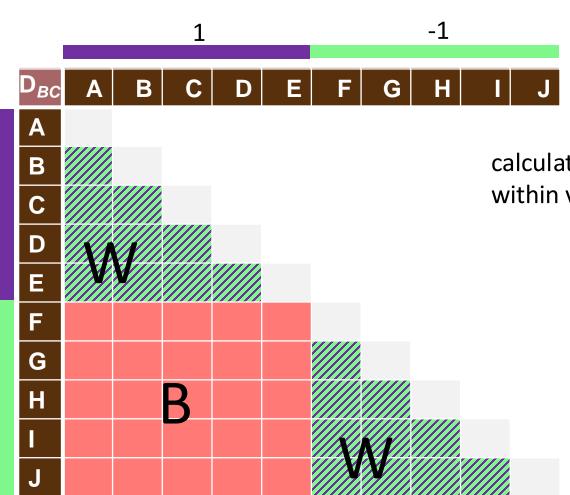
PCoA of β-diversity - recap

- represents any distance/dissimilarity matrix in Euclidean space
 - = "ordination"
- if the matrix holds Euclidean distances, the ordination is the same as the PCA-scores

- does not use information on the original variables
- does not return information on the original variable

)\/Δ

Testing effects on β-diversity: PERMANOVA



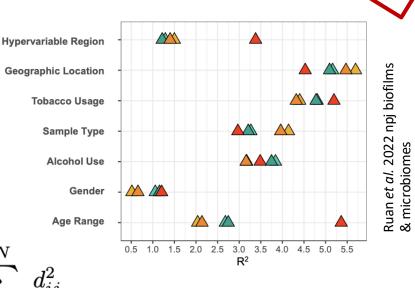
calculate between vs. within variation

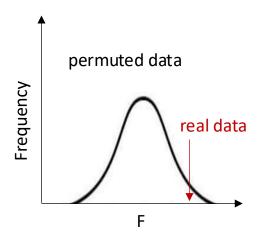


$$SS_W = \frac{1}{n} \sum_{i=1}^{N-1} \sum_{j=i+1}^{N} d_{ij}^2 \in_{ij}$$

$$SS_B = SS_T - SS_W$$

$$F = \frac{\frac{SS_B}{groups-1}}{\frac{SS_W}{N-groups}}$$





Recap

- Microbiome composition is studied using omics methods
- Unequal sampling depth and compositionality may be addressed by normalization/ transformation
- Microbiome data contains many 0s due to microbiology/ecology
- β-diversity measures emphasize different aspects of sample (dis-)similarity
- Principal coordinate analysis can represent β-diversity matrices in Euclidean space

Practical

- Dataset from the human gut microbiome: inflammatory bowel disease
- 43 individuals in 3 groups
- 7 time points / individual

- questions:
 - alpha-diversity
 - 0s
 - compositionality
 - comparison to previous methods

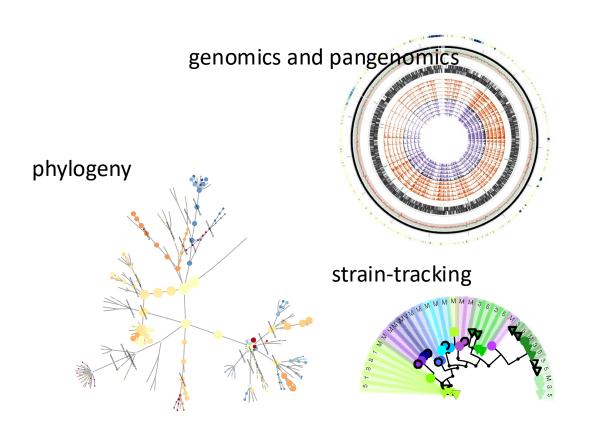
- ordination of beta-diversity
- comparison of beta-diversity
- differential abundance analysis

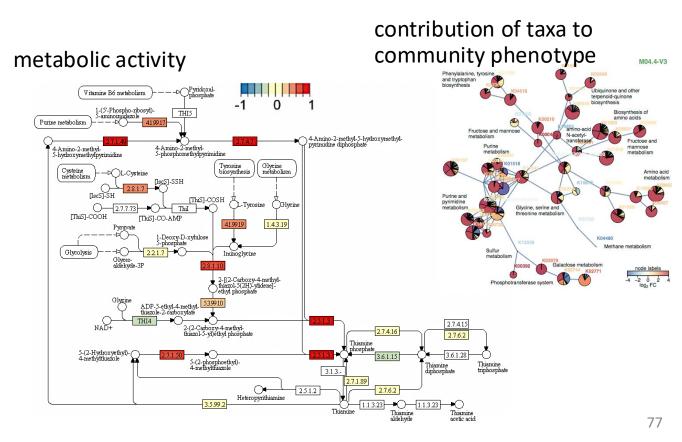
End of BDA lectures

please do the evaluation!

Microbiomes: other analyses

- Meta-omics measurements can be used for multiple purposes
- Here are some examples that we did not dicuss today





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Choosing identification methods

"benchmarking":

- testing different algorithms on the same data set
- data sets are simulated, so we know what would be a perfect outcome "ground truth"

OPEN

Critical Assessment of Metagenome Interpretation—a benchmark of metagenomics software

Alexander Sczyrba^{1,2,48}, Peter Hofmann^{3–5,48}, Peter Belmann^{1,2,4,5,48}, David Koslicki⁶, Stefan Janssen^{4,7,8}, Johannes Dröge^{5–5}, Ivan Gregor^{3–5}, Stephan Majda^{3,47}, Jessika Fiedler^{3,4}, Eik Dahma^{3–5}, Andreas Bremges^{1,2,4,5,9}, Adrian Fritz^{4,5}, Ruben Garrido-Oter^{3–5,10,11}, Tue Sparholt Jørgensen^{12–14}, Nicole Shapiro¹⁵, Philip D Blood¹⁶, Alexey Gurevich¹⁷, Yang Bai^{10,47}, Dmitrij Turaev¹⁸, Matthew Z DeMaere¹⁹, Rayan Chikhi^{20,21}, Niranjan Nagarajan²², Christopher Quince²³, Fernando Meyer^{4,5}, Monika Balvočiūtė²⁴, Lars Hestbjerg Hansen¹², Søren J Sørensen¹³, Burton K H Chia²², Bertrand Denis²², Jeff I Froula¹⁵, Zhong Wang¹⁵, Robert Egan¹⁵, Dongwan Don Kang¹⁵, Jeffrey J Cook²⁵, Charles Deltel^{26,27}, Michael Beckstette²⁸, Claire Lemaitre^{26,27}, Pierre Peterlongo^{26,27}, Guillaume Rizk^{27,29}, Dominique Lavenier^{21,27}, Yu-Wei Wu^{30,31}, Steven W Singer^{30,32}, Chirag Jain³³, Marc Strous³⁴, Heiner Klingenberg³⁵, Peter Meinicke³⁵, Michael D Barton¹⁵, Thomas Lingner³⁶, Hsin-Hung Lin³⁷, Yu-Chieh Liao³⁷, Genivaldo Gueiros Z Silva³⁸, Daniel A Cuevas³⁸, Robert A Edwards³⁸, Surya Saha³⁹, Vitor C Piro^{40,41}, Bernhard Y Renard⁴⁰, Mihai Pop^{42,43}, Hans-Peter Klenk⁴⁴, Markus Göker⁴⁵, Nikos C Kyrpides¹⁵, Tanja Woyke¹⁵, Julia A Vorholt⁴⁶, Paul Schulze-Lefert^{10,11}, Edward M Rubin¹⁵, Aaron E Darling^{19,0}, Thomas Rattei^{18,0} & Alice C McHardy^{3–5,11,0}

Methods for assembly, taxonomic profiling and binning are key to interpreting metagenome data, but a lack of consensus about benchmarking complicates performance assessment. The Critical Assessment of Metagenome Interpretation (CAMI) challenge has engaged the global developer community to benchmark their programs on highly complex and realistic data sets, generated from ~700 newly sequenced microorganisms and ~600 novel viruses and plasmids and representing common experimental setups. Assembly and genome binning programs performed well for species represented by individual genomes but were substantially affected by the presence of related strains. Taxonomic profiling and binning programs were proficient at high taxonomic ranks, with a notable performance decrease below family level. Parameter settings markedly affected performance, underscoring their importance for program reproducibility. The CAMI results highlight current challenges but also provide a roadmap for software selection to answer specific research questions.

The biological interpretation of metagenomes relies on sophisticated computational analyses such as read assembly, binning and taxonomic profiling. Tremendous progress has been achieved¹, but there is still much room for improvement. The evaluation of computational methods has been limited largely to publications presenting novel or improved tools. These results are extremely difficult to compare owing to varying evaluation strategies, benchmark data sets and performance criteria. Furthermore, the

state of the art in this active field is a moving target, and the assessment of new algorithms by individual researchers consumes substantial time and computational resources and may introduce unintended biases.

We tackle these challenges with a community-driven initiative for the Critical Assessment of Metagenome Interpretation (CAMI). CAMI aims to evaluate methods for metagenome analysis comprehensively and objectively by establishing standards through community involvement in the design of benchmark data sets, evaluation procedures, choice of performance metrics and questions to focus on. To generate a comprehensive overview, we organized a benchmarking challenge on data sets of unprecedented complexity and degree of realism. Although benchmarking has been performed before-3; this is the first community-driven effort that we know of. The CAMI portal is also open to submissions, and the benchmarks generated here can be used to assess and develop future work.

We assessed the performance of metagenome assembly, binning and taxonomic profiling programs when encountering major challenges commonly observed in metagenomics. For instance, microbiome research benefits from the recovery of genomes for individual strains from metagenomes^{4–7}, and many ecosystems have a high degree of strain heterogeneity.^{8,9}. To date, it is not clear how much assembly, binning and profiling software are influenced by the evolutionary relatedness of organisms, community complexity, presence of poorly categorized taxonomic groups (such as viruses) or varying software parameters.