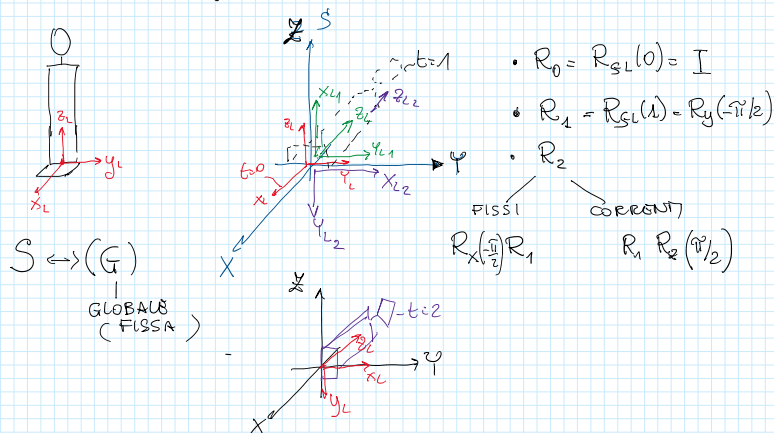


- rotazioni
- spost "generale"

- rotaz. success. in terra fissa → a sinistra
- " " " " " corrente → a destra

$$R_{1F} \rightarrow R_0 \rightarrow R_{1C}$$

Vali in modo analogo per h e T


$$\textcircled{2} R_2 = R_x \begin{pmatrix} -\frac{\sqrt{2}}{2} \\ \frac{\sqrt{2}}{2} \end{pmatrix} R_y \begin{pmatrix} -\frac{\sqrt{2}}{2} \\ \frac{\sqrt{2}}{2} \end{pmatrix}$$
$$b) R_z = R_y\left(-\frac{\pi}{2}\right) R_z\left(\frac{\pi}{2}\right)$$

in generale

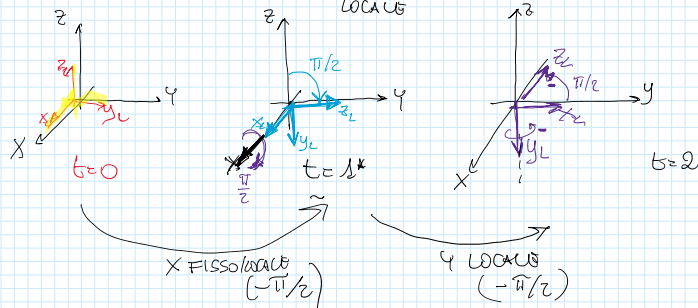
$$R \subseteq R^* R^\#$$

→ ASSI GRC

← ASSI FISSA

ACTRA UETULX

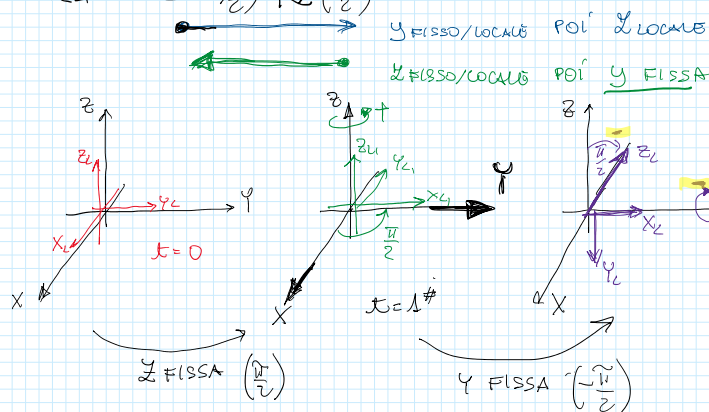
2) $R_x\left(-\frac{\pi}{2}\right)$ poi $R_y\left(-\frac{\pi}{2}\right)$
LOCALS



$$b) \quad R_z = R_y\left(+\frac{\pi}{2}\right) R_z\left(\frac{\pi}{2}\right)$$

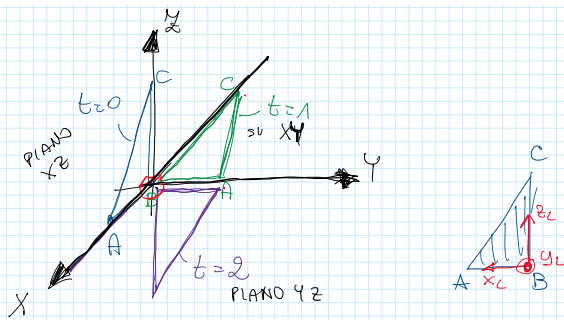
RICORDA

$$\overline{R^* R^\#} \neq \overline{R^\# R^*}$$



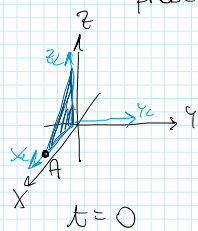
- Vale anche per le T

Esempio

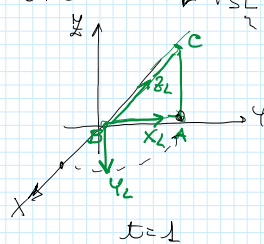


? Descrivere posizione triang. in $S \times t=0,1,2$

→ assegnare tema locale
probl. di visione

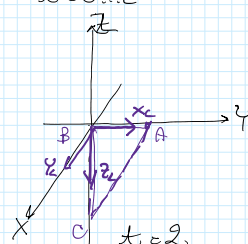


$$R_{SL}(0) = I$$



$$R_{SL}(1) = \begin{bmatrix} 0 & 0 & 1 \\ 1 & 0 & 0 \\ 0 & -1 & 0 \end{bmatrix}$$

$[i_L]_S \quad [j_L]_S \quad [k_L]_S$



$$R_{SL}(2) = \begin{bmatrix} 0 & 1 & 0 \\ 1 & 0 & 0 \\ 0 & 0 & -1 \end{bmatrix}$$

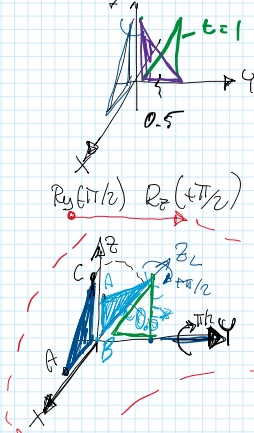
$R_{SL}(t)$
Fotografia
istante
NON CONTIENE
INFO SU
"STORIA"

ALTRO METODO → CON ROTAZIONI ELEM. $0 \rightarrow 1 \quad 1 \rightarrow 2$

$$R_{SL}(1) = R_Y\left(\frac{\pi}{2}\right) R_Z\left(\frac{\pi}{2}\right)$$

oppure

$$R_{SL}(1) = R_Z\left(\frac{\pi}{2}\right) R_X\left(-\frac{\pi}{2}\right)$$



$$R_Y(\theta) = \begin{bmatrix} \cos \theta & 0 & \sin \theta \\ 0 & 1 & 0 \\ -\sin \theta & 0 & \cos \theta \end{bmatrix}$$

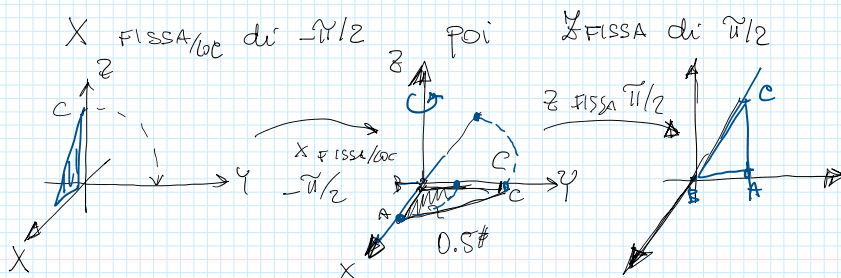
$y_S \quad 0 \quad y_L \quad 0 \quad y_A \dots$

prima $Y(-\pi/2)$
poi $Z_{LOCAL}(\pi/2)$

$$R_{SL}(1) = R_Z\left(\frac{\pi}{2}\right) R_X\left(-\frac{\pi}{2}\right)$$

PRIMA $Z(\pi/2)$ poi $X_{LOCAL}(-\pi/2)$

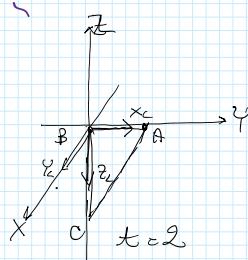
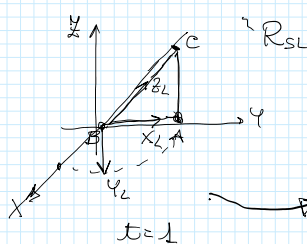
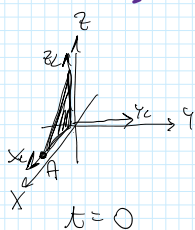
altra lettura



COMPUTARE ESERCIZIO

✓ $0 \rightarrow 1 \quad \cdot R_{SL}(1)$

- verifica Matlab



$$R_{SL}(1)$$

$$R_{SL}(z) \rightarrow R_F\left(\frac{\tilde{D}}{2}\right) R_{SL}(1) = \begin{bmatrix} 0 & 1 & 0 \\ 1 & 0 & 0 \\ 0 & 0 & -1 \end{bmatrix}$$

0 → 2

$$\underline{R_{SL}(2)} = \underline{R_y(\pi) R_z(\pi/2)}$$

→ $R_x(l) R_y(l) R_z(l)$

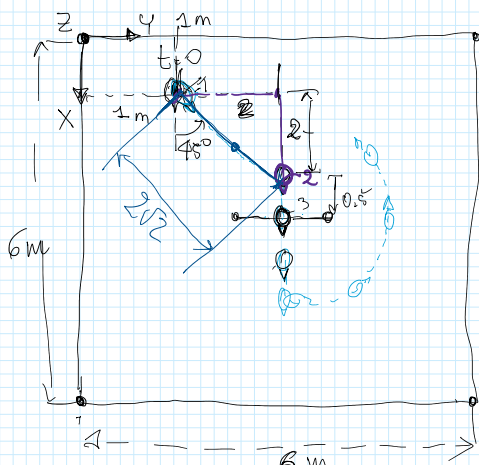
→ X, Y, Z

⇒ $R_z(l) R_y(l) R_x(l)$

$$R(\underline{x}, \theta) = R_z(\alpha) R_y(\beta) R_z(\theta) ()^T$$

\downarrow \nwarrow
GUL. RODRIG. ROT. ELEM.

Esercizio MATLAB

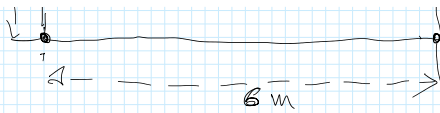


ATT. UNITA' DI MISURA
(cm)

$$\bullet T_{SL}(\mathfrak{g}) \rightarrow \mathfrak{g}$$

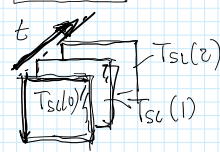
$$\rightarrow \{O_{mi}\} \xrightarrow{\dots} T_{sl}(t) \{O_{mi}\}_L$$

$$\frac{T_{sk}(t)}{t} \quad t = 0, 1, 2, 3$$



$T_{SL}(t)$

$t \in 0, 1, 2, 3$



$\cdot T_{SL0}$

$\cdot T_{SL1}$

$M(:, i, \textcircled{4})$
indice

for

$T_{SL}(i) = M(:, i, i)$

$\cdot T_{SL}(i) \{P_{unh}\}$

end