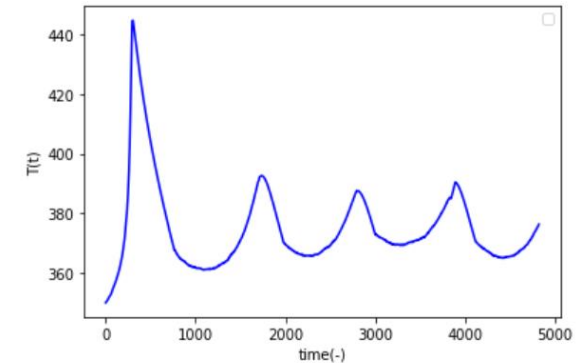
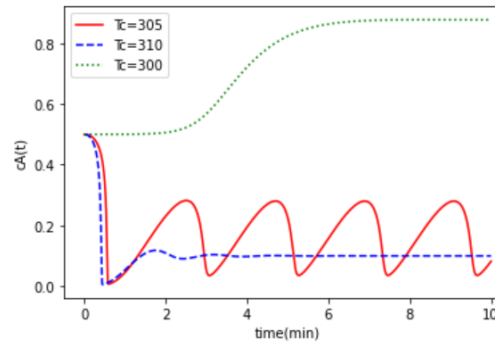
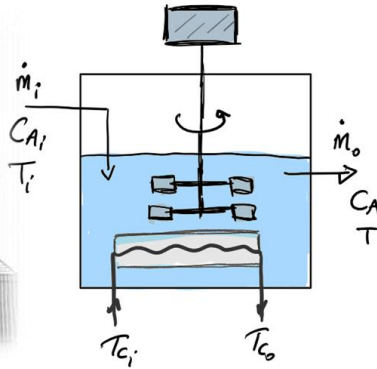
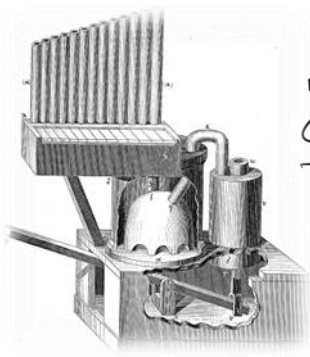


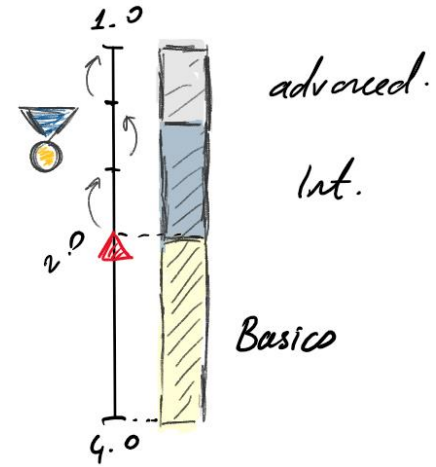
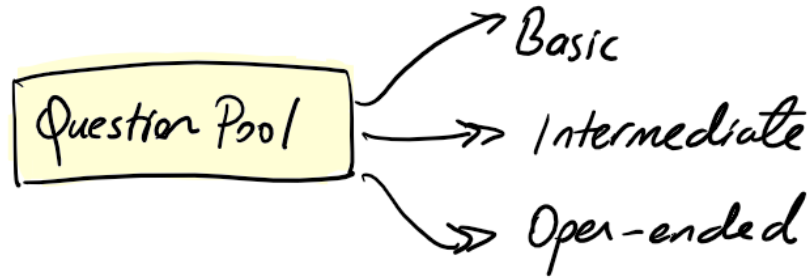
Data Driven Engineering II: Advanced Topics

Genetic programming for data driven control

Institute of Thermal Turbomachinery
Prof. Dr.-Ing. Hans-Jörg Bauer



Outline of the oral exam:



* Basic questions \Rightarrow All chapters

- egx*
- classification vs. regression
 - how a neuron works?
 - when to use dim. reduction

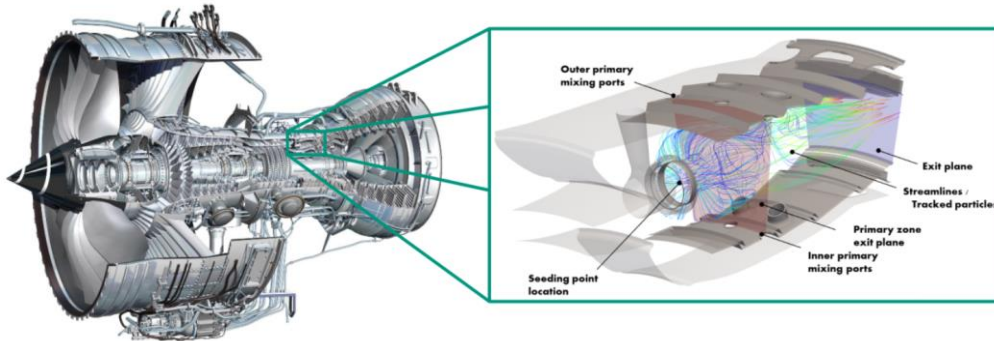
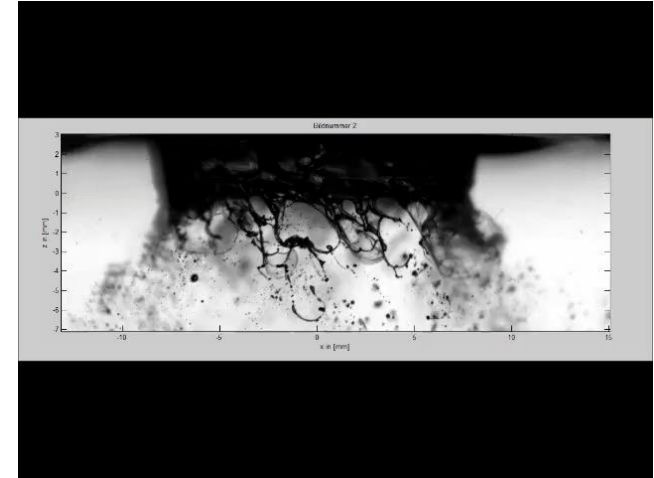
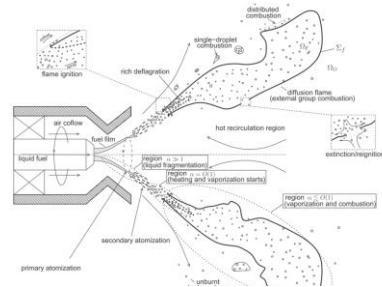
* Intermediate questions \Rightarrow

Tools used in project

* Open-ended question \Rightarrow

Describe a core.
 \downarrow
Make a comment.

MA Options

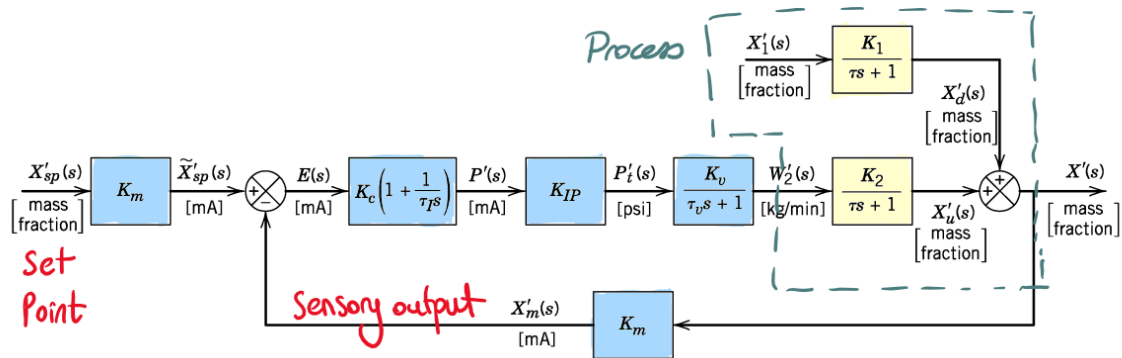


* FACT : Process \leftrightarrow Controller
linked &

Tasks:

- ① Create a phy. model I DDE-I
- ② Create a controller model DDE-II
- ③ Coupled optimization

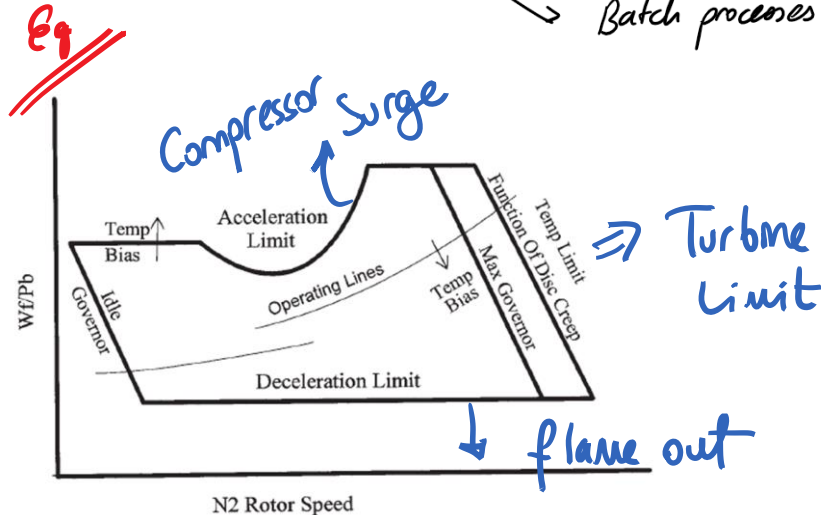
Closed-loop Control System:



Process Control :

* Transient operations

- start-up / shutdown
- unusual process disturbances
- planned transitions in op. map.
- Batch processes \Rightarrow Transient



- * Comp. Surge < 50 ms
- * $T_{\text{turbine}} > T_{\text{safe}} < 0.25$ sec.
- * Overspeed < 2 sec.

Keywords

- * Controlled variable (CV) \Rightarrow process var. that is controlled.
 \hookrightarrow set point (SP) \Rightarrow Desired value of CV.
- * Manipulated variable (MV) \Rightarrow variables we can adjust to keep CV near SP.
- * Disturbance variables (DV) \Rightarrow Affects CV but cannot be manipulated.

* Feedback control

- (i) CV is measured.
- (ii) Measurement is used to adjust MV.
- (iii) DV is not measured.

} corrective action
takes place regardless
of the source (DV, ...)

* Feedforward control

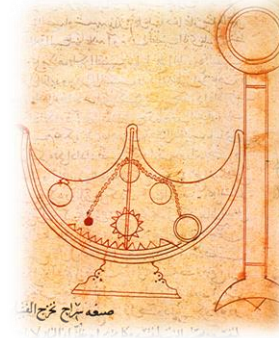
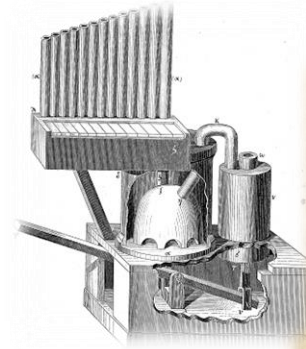
- (i) DV is measured.
- (ii) MV changed before CV deviates
from SP.

- }
- Need a process model.
 - MV ~~←~~ for unknown DV
 - All DV should be measured.

Early days of process control

* Feedback control $\Rightarrow \begin{bmatrix} \text{BCE} \sim 300 \\ \text{CE} \quad 1200 \end{bmatrix}$

$\Rightarrow \left[\begin{array}{l} \text{Ktsebios} \\ \text{Philon} \\ \text{Heron} \\ \text{Banu Musa brothers} \\ \text{Al-Jazari} \\ \dots \end{array} \right. \begin{array}{l} \checkmark \text{ Water clocks} \\ \checkmark \text{ Oil regulators for lamps} \\ \checkmark \text{ Automatic wine dispenser} \\ \nabla \text{ On-off control} \end{array}$



Early days of process control

- * 17th Century : Cornelius Drebbel
Thermometer \Rightarrow Valve in a furnace
- * 18th Century : James Watt : Governor to control the speed of revolution
- * 19th Century : J.C. Maxwell : Th. stability analysis

! 930s : Classical Control theory \Rightarrow Frequency Domain via Laplace Tr.

- Transformation methods
- Math. model of a system

Early days of process control

! 1950s : State space models \Rightarrow "Time Domain",
 1960s :

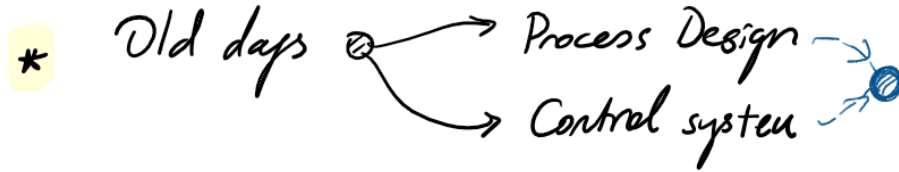
$$\frac{dx}{dt} = Ax + Bu ; \quad dy/dt = Cx + Du$$

~1960s : Adaptive control methods

* "Intelligent Control Systems" := ill-defined / nonlinear / stochastic

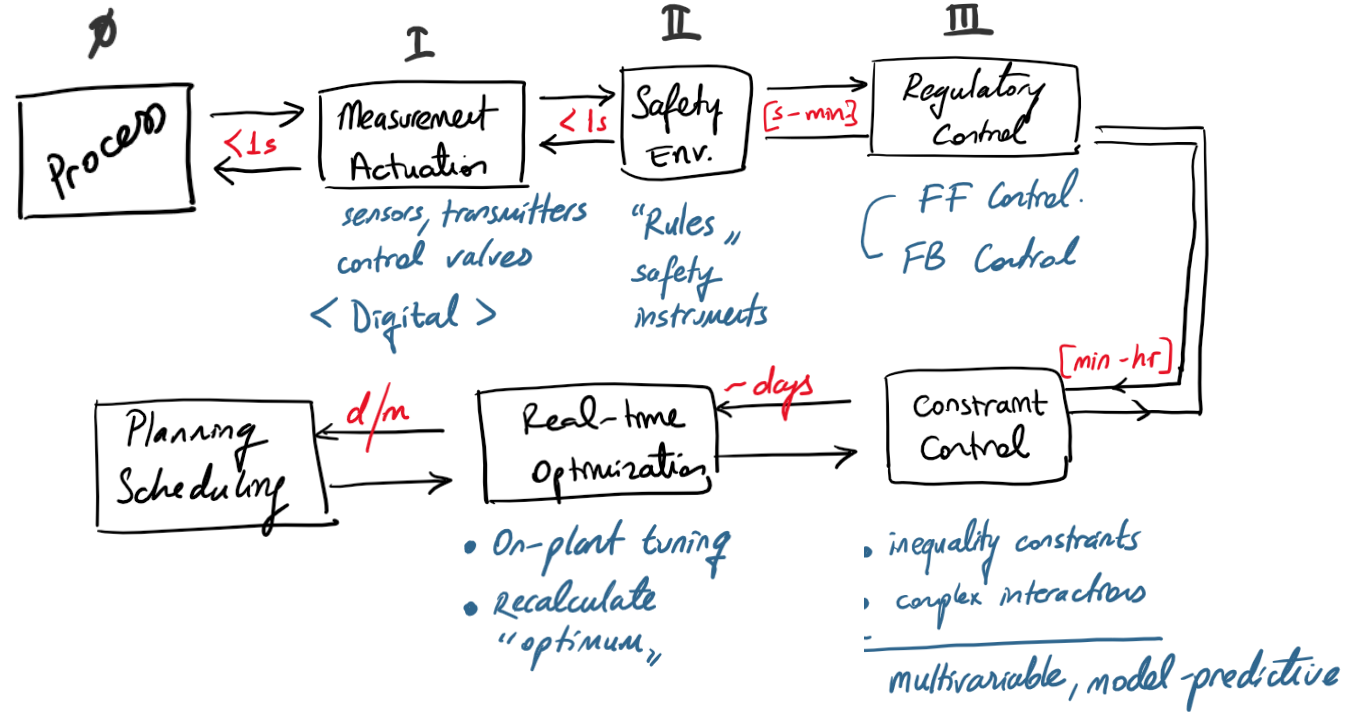
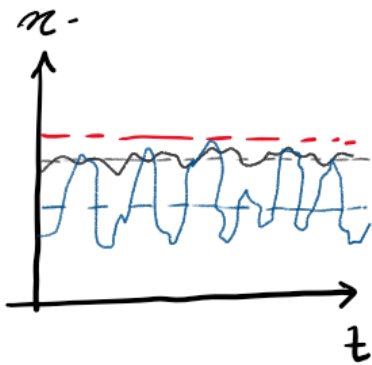
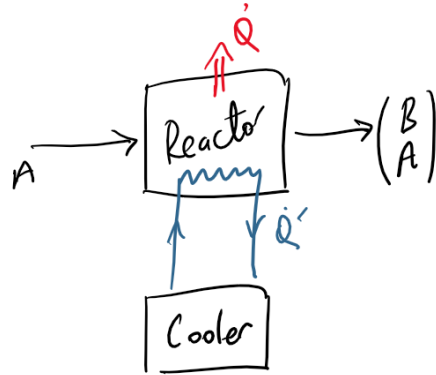
- ☐ little prior knowledge about env. eg NN, Fuzzy logic, EA
- ☐ flexible, adaptive, robust

How control works :

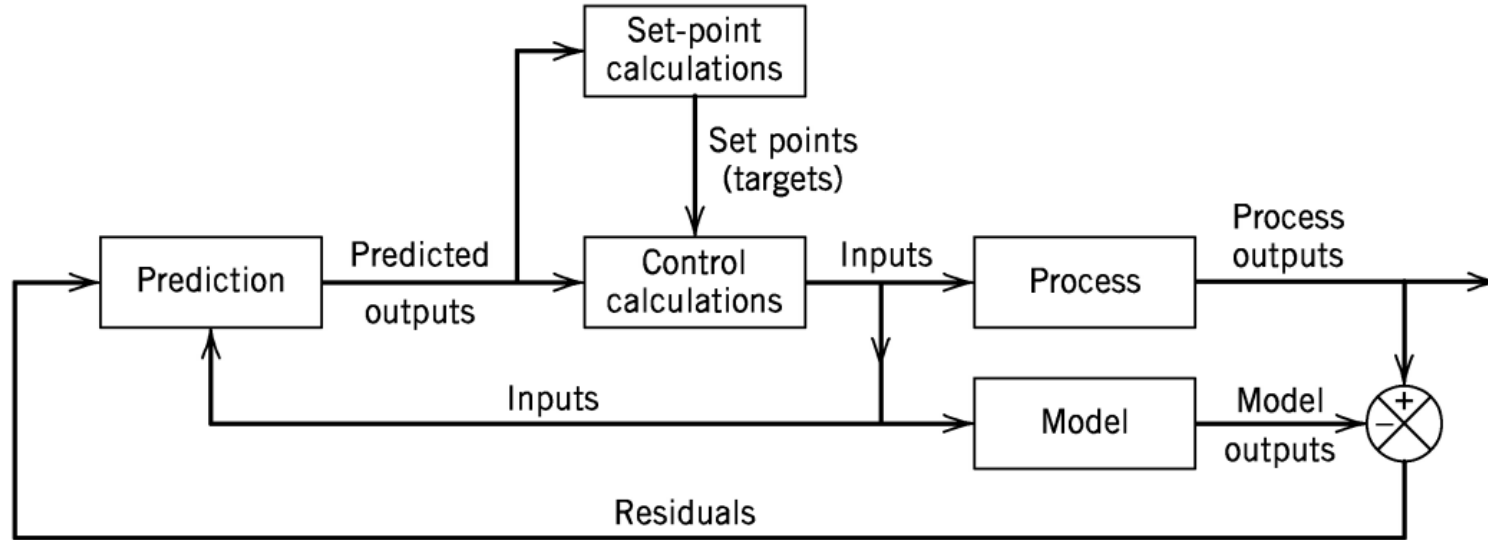


- (1) Define objective
- (2) Create process model
- (3) Use the model to create a control strategy.
- (4) Tune the system on-site.

How control works :

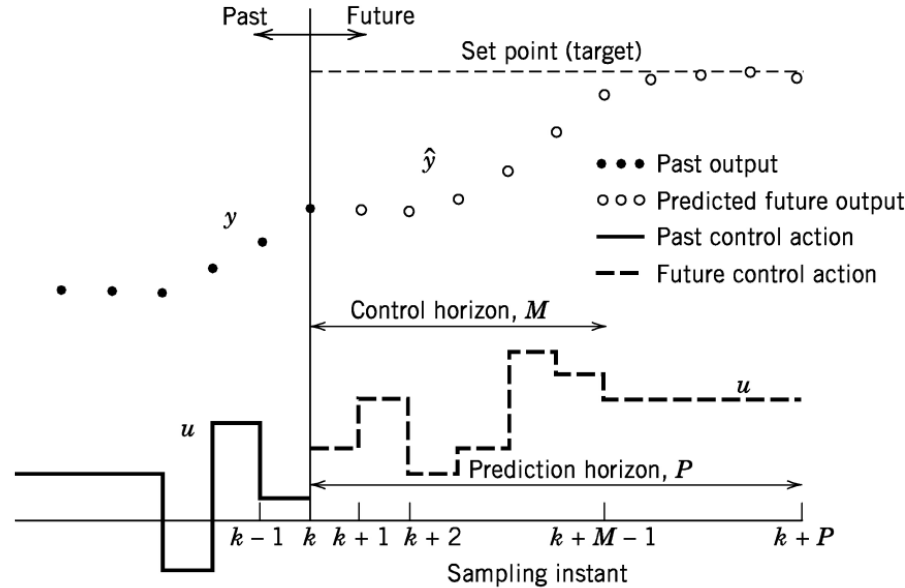


Model Predictive Control



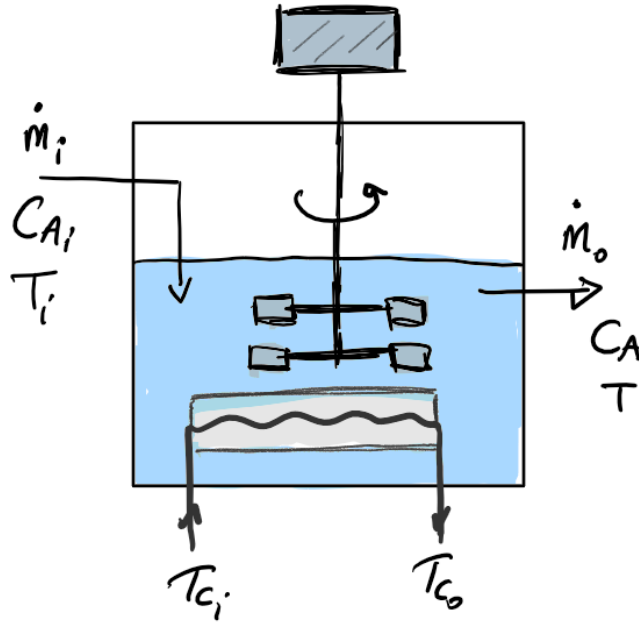
– Seborg, Process Dynamics & Control, Ch. 20 –

Model Predictive Control



— Seborg, Process Dynamics & Control, Ch. 20 —

Data Driven Control



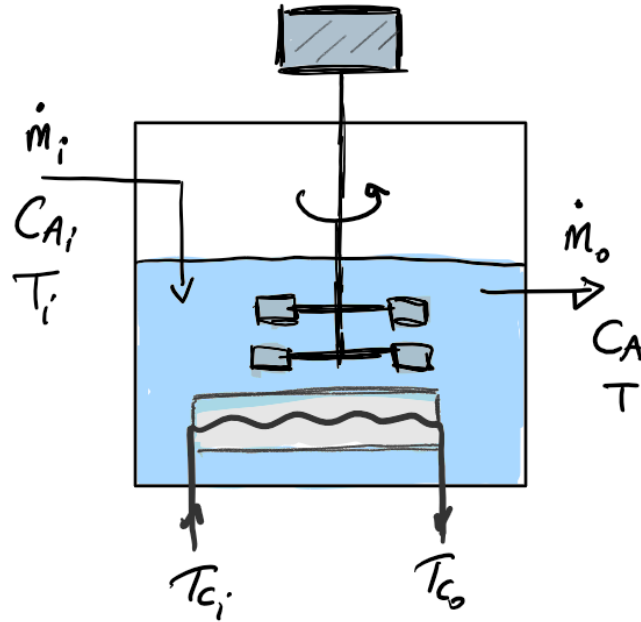
$$(1) \quad \dot{m}_i = \rho_i \dot{q}_i$$

$$(2) \quad \dot{m}_o = \rho_o \dot{q}_o$$

$$(3) \quad \frac{d}{dt}(\rho V) = \dot{m}_i - \dot{m}_o = 0$$

$V \Rightarrow \text{constant}$

Data Driven Control



(4)

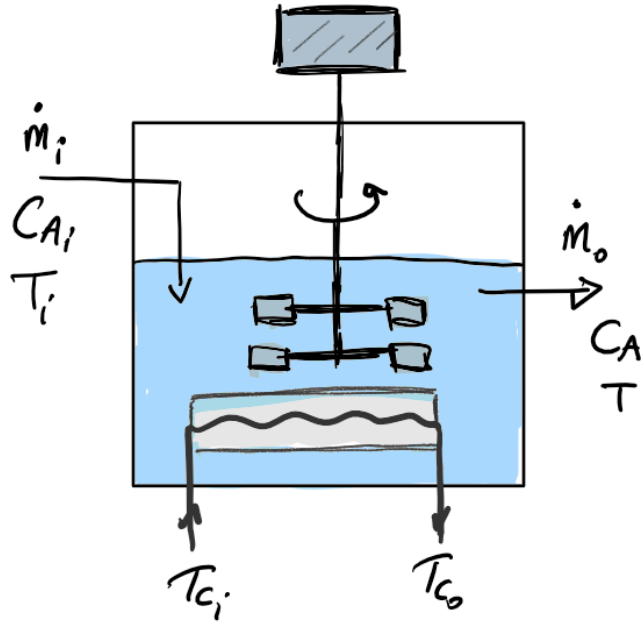
$$r = k \cdot C_A = k_0 \exp\left(\frac{-E_a}{RT}\right)$$

$$V \frac{dC_A}{dt} = q(C_{A_i} - C_A) - V(k \cdot C_A)$$

(5)

$$V \rho C_p \frac{dT}{dt} = m C_p (T_i - T) + (-\Delta H_{rxn}) V k(T) C_A + UA(\underline{T_c} - T)$$

Data Driven Control



* Well mixed \Rightarrow No "inertia" in the phy. system

$\Rightarrow MV := T_c$

$\frac{+}{-}$
Difficult to control
if system is unstable



colab

