

Analysing Discretization Methods for Single-Cell RNA-Sequencing Data when Inferring Gene Regulatory Networks via Cartesian Genetic Programming

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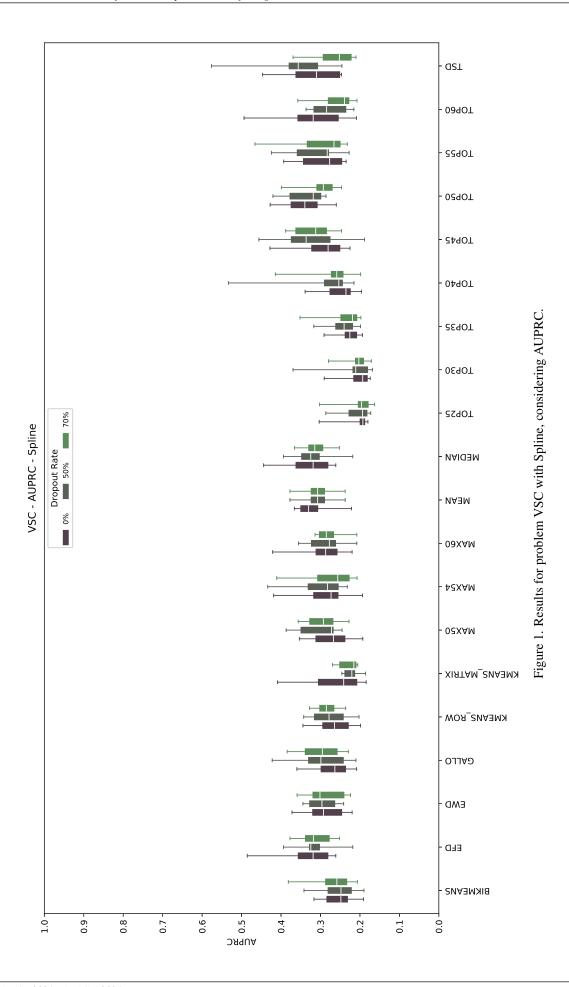
¹Universidade Federal de Juiz de Fora Juiz de Fora, Brazil jehenriques@ice.ufjf.br, heder@ice.ufjf.br, alex.borges@ice.ufjf.br, itamar.leite@ice.ufjf.br ²Laboratório Nacional de Computação Científica Petrópolis, Brazil hcbm@lncc.br

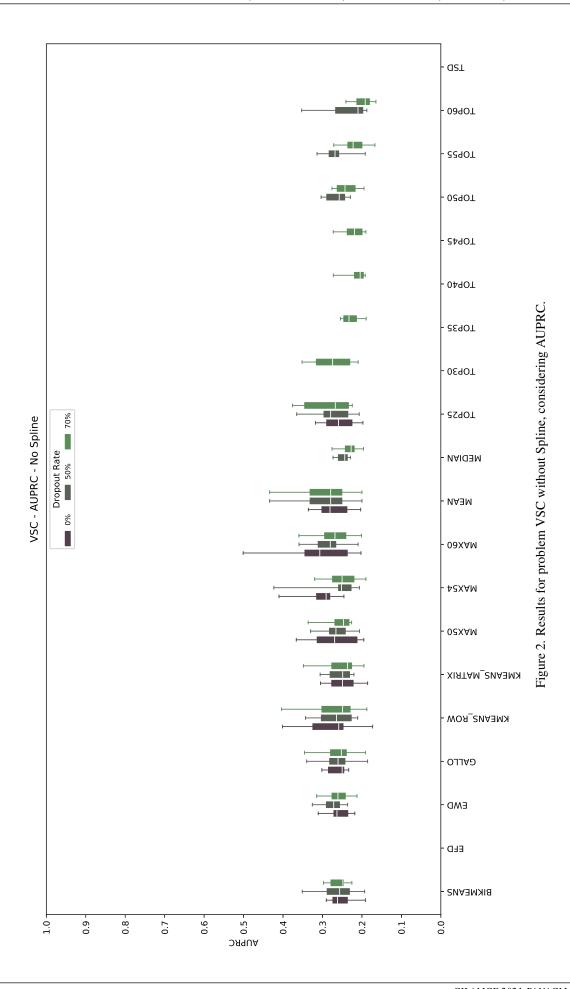
1 Introduction

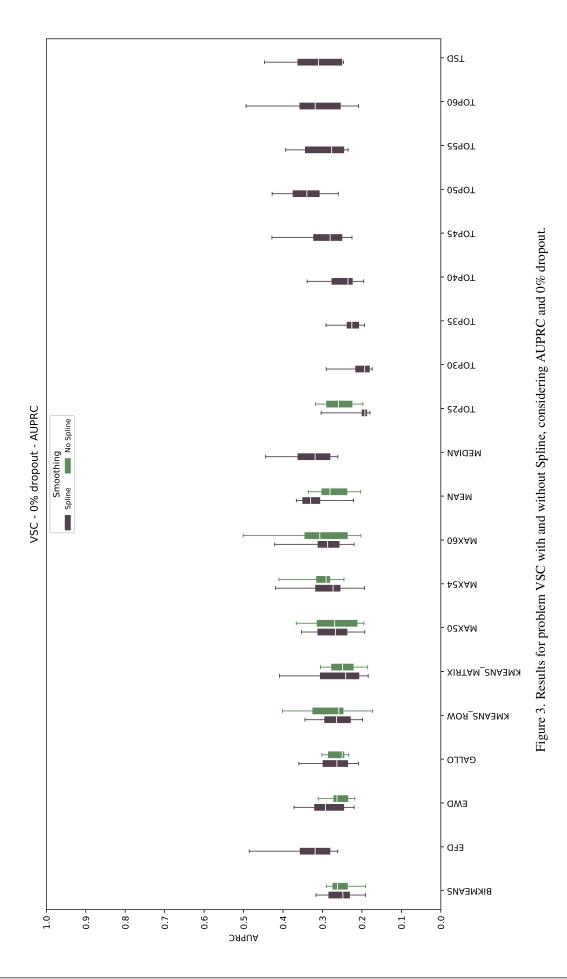
This supplementary material presents additional results that were obtained by Cartesian Genetic Programming (CGP) when using several discretization approaches. Section 2 presents the comparison of the use of spline for smooth the data. This additional content is organized as follows: In Section 3, the parameter analysis for Top%X and Max -X%Max are performed.

2 Spline Analysis

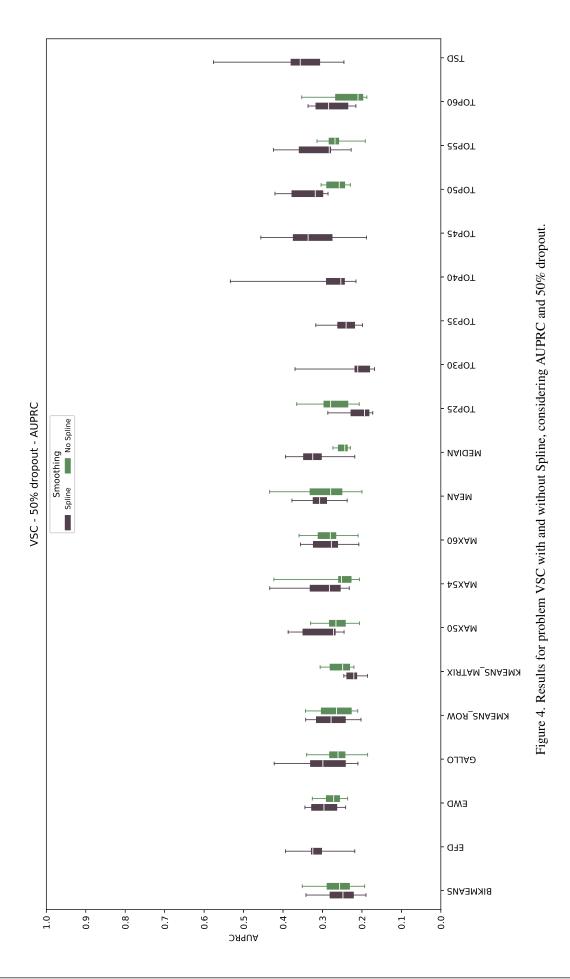
Empty boxplots means that CGP did not found a feasible solution for that configuration.



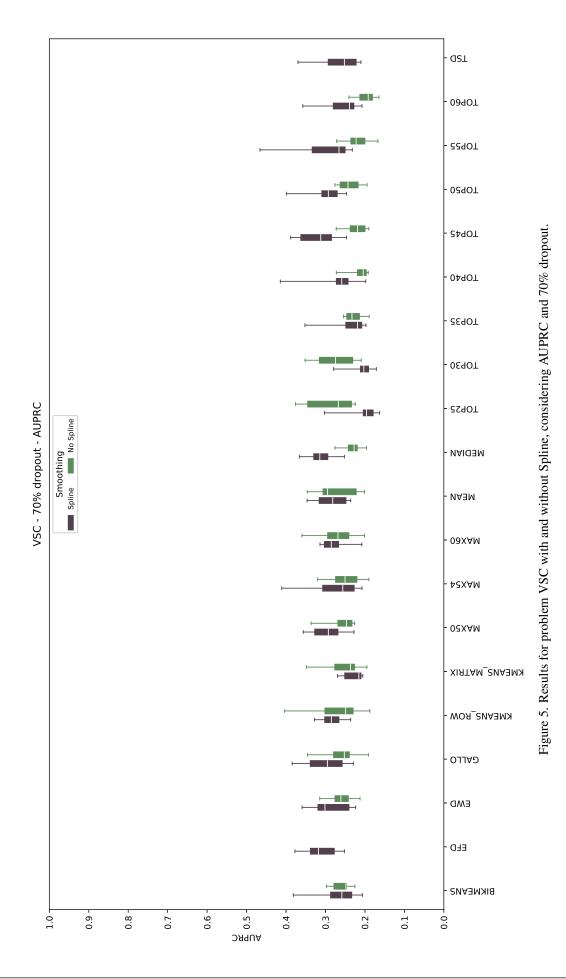




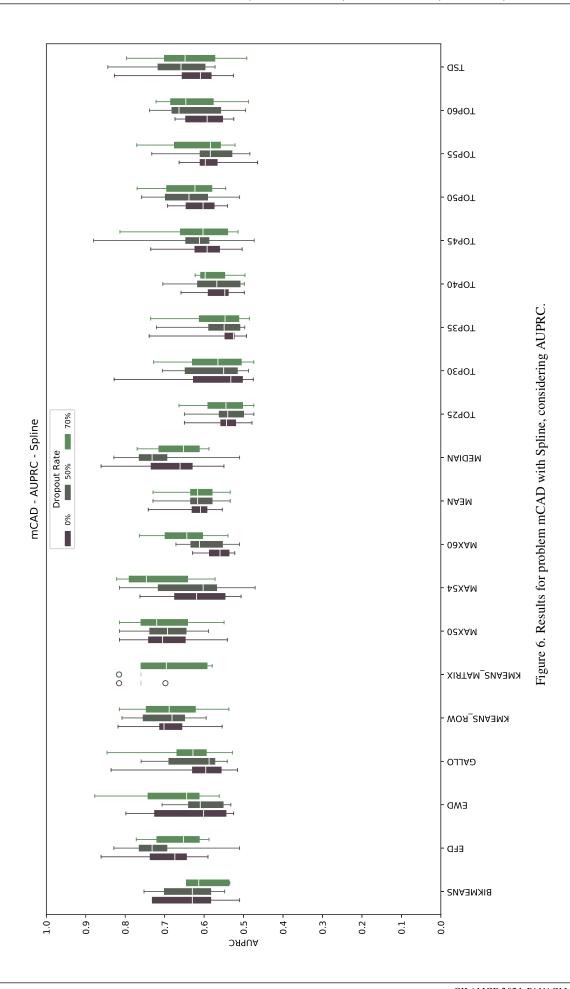
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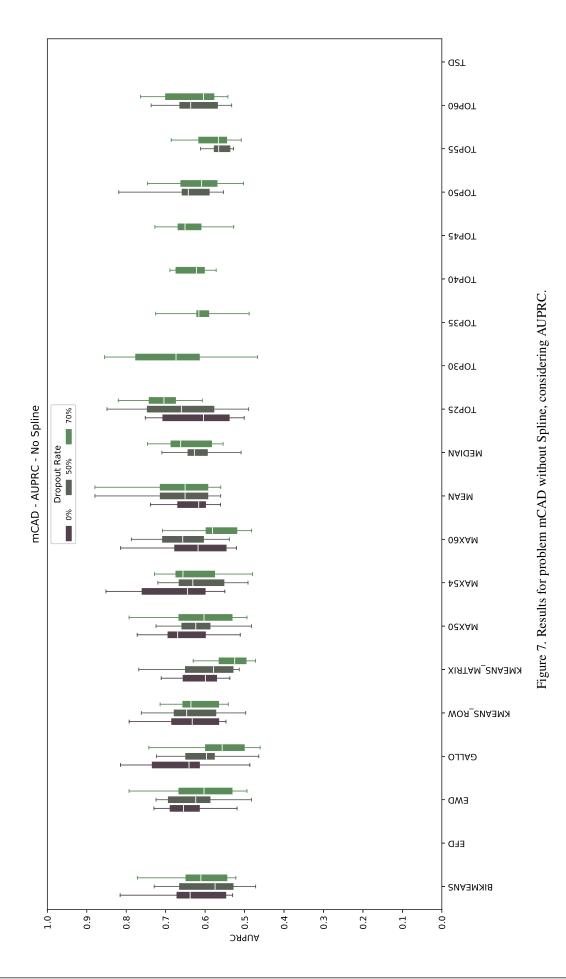


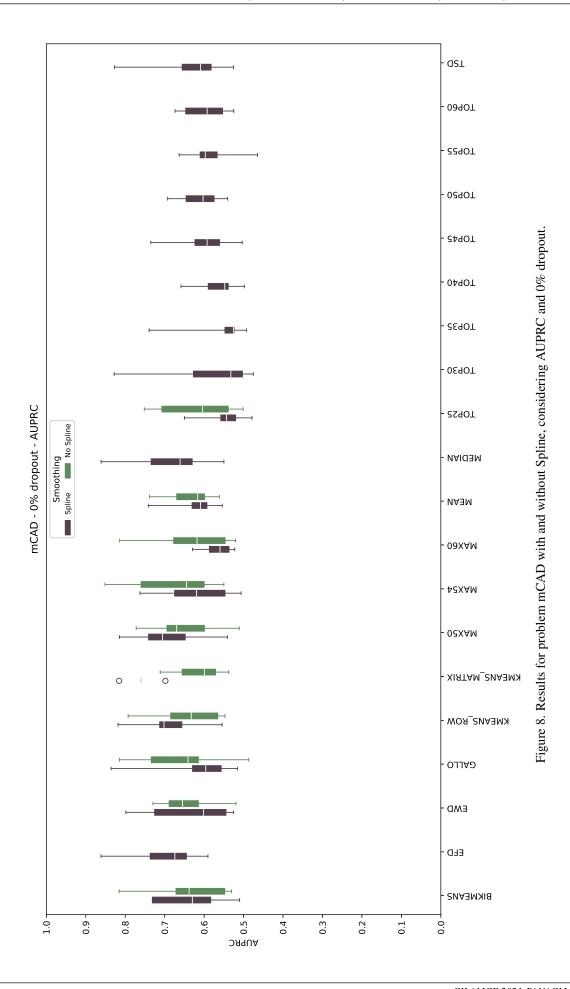
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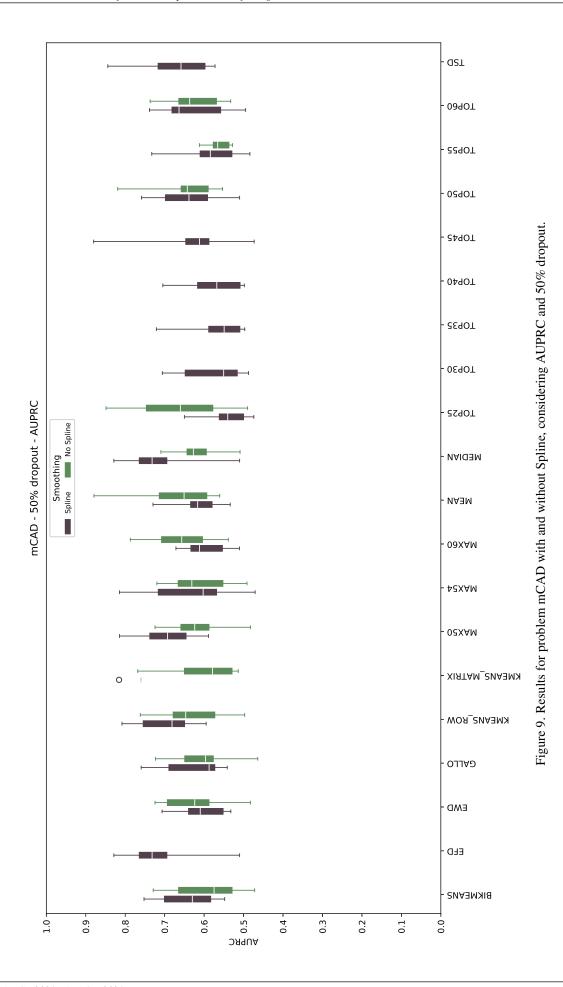


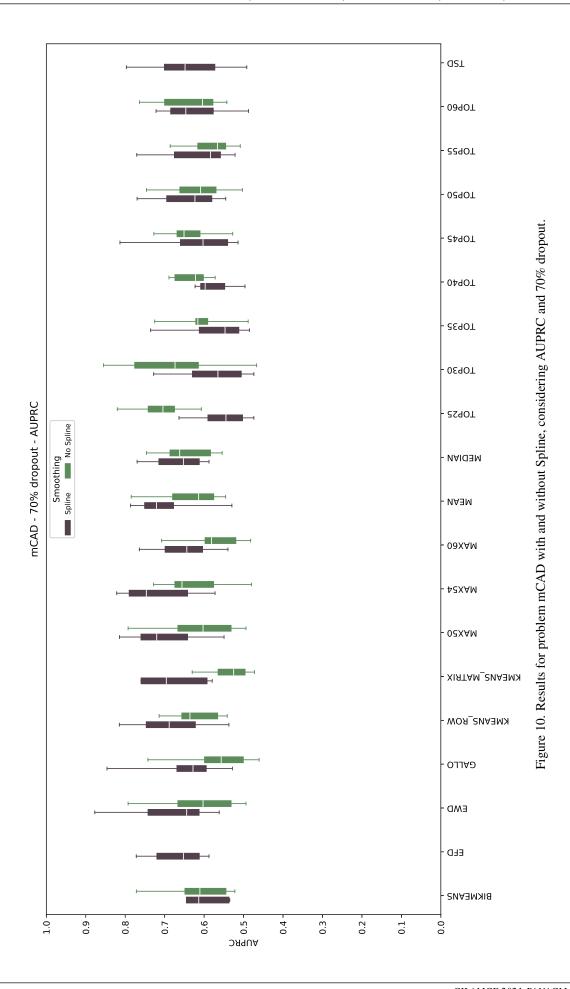
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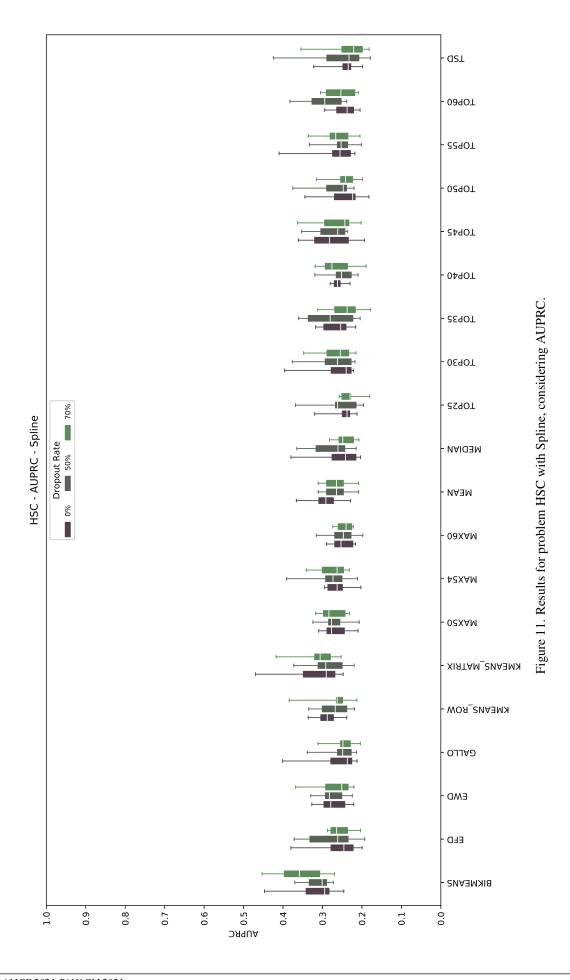


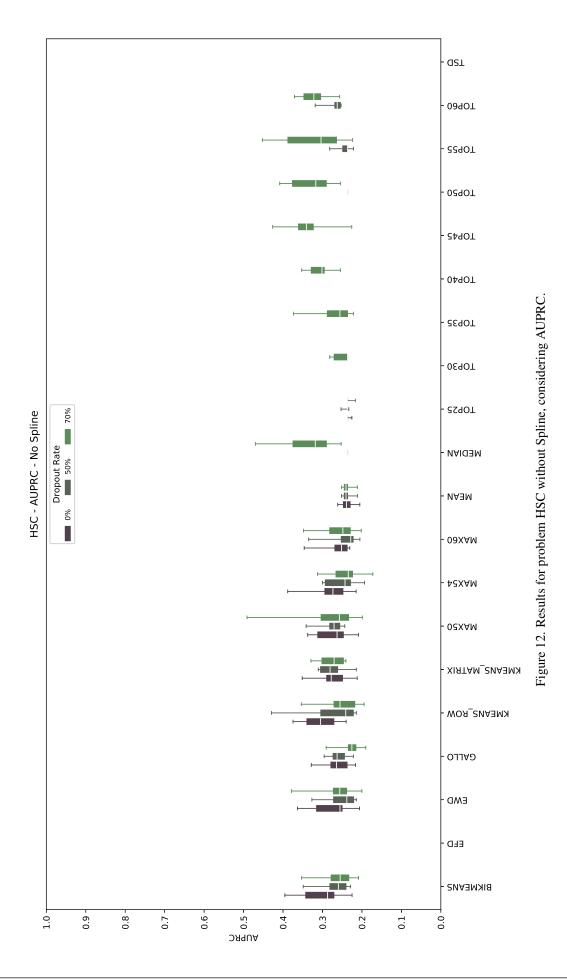


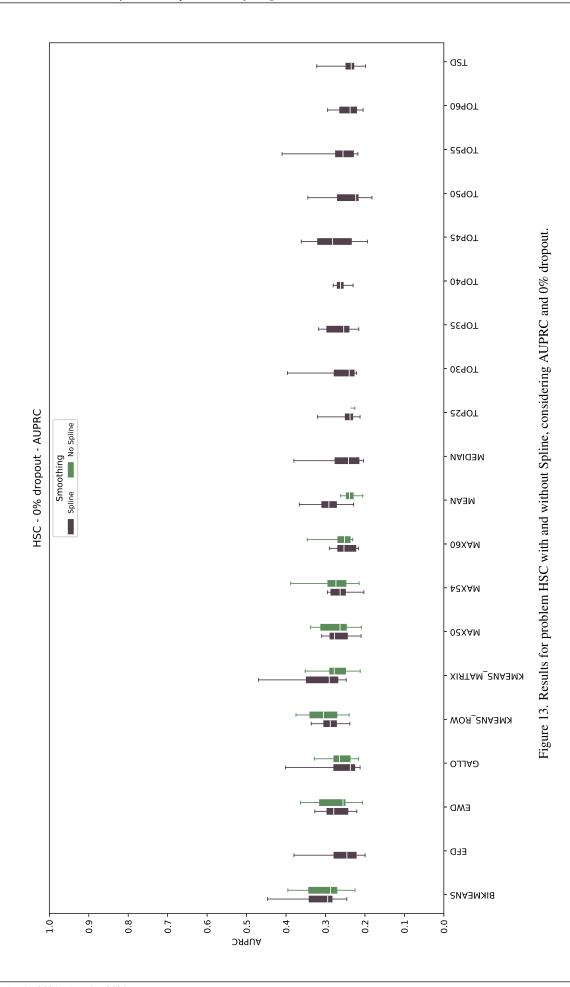




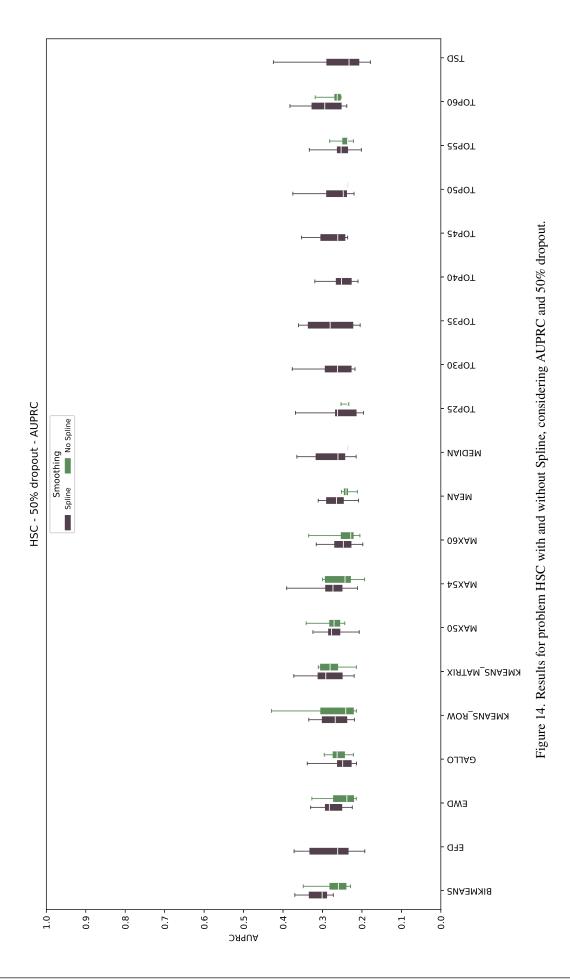




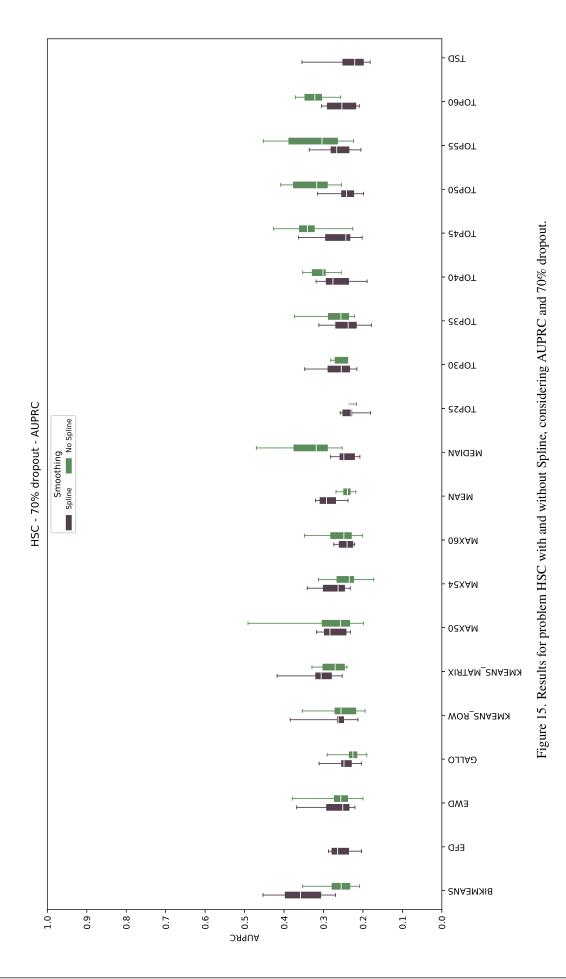




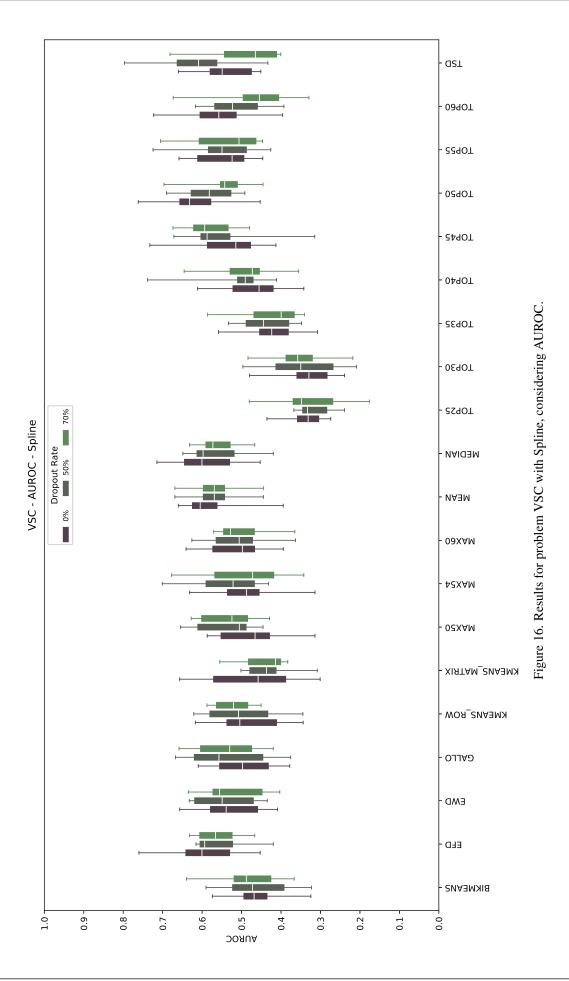
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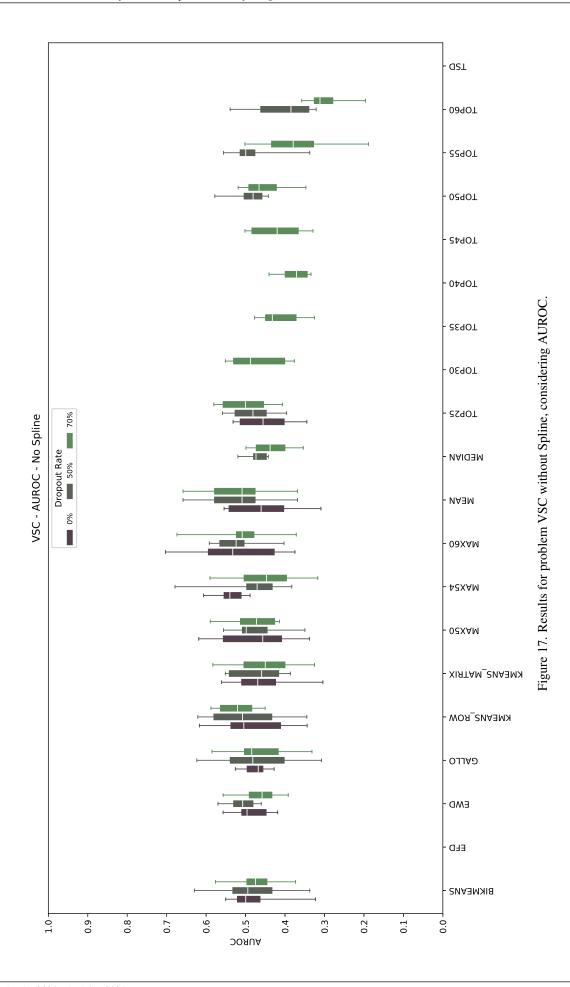


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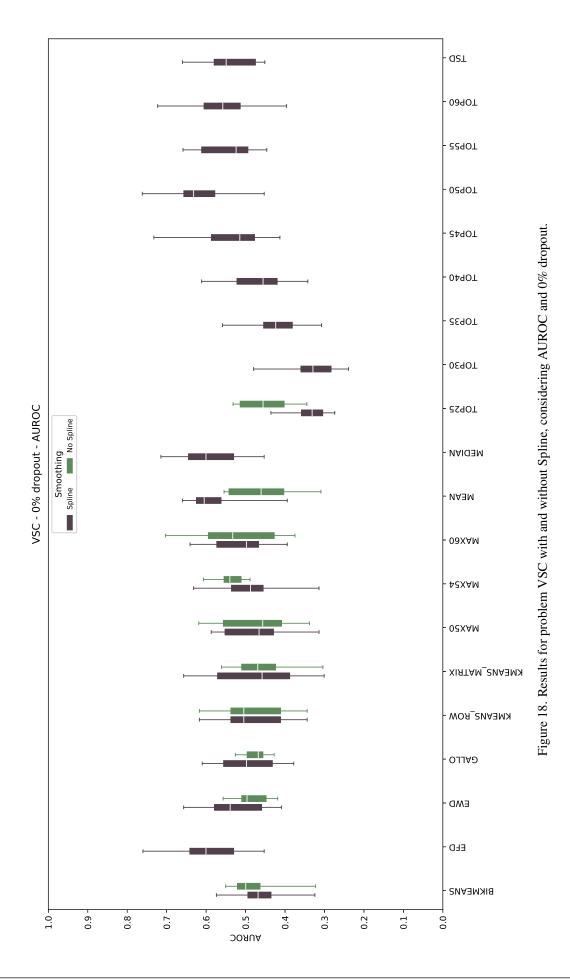


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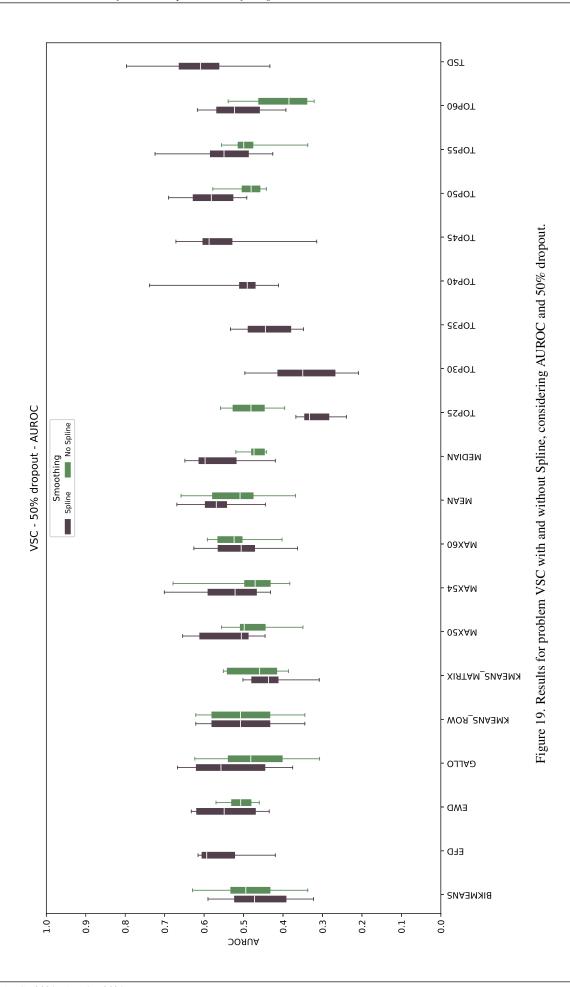




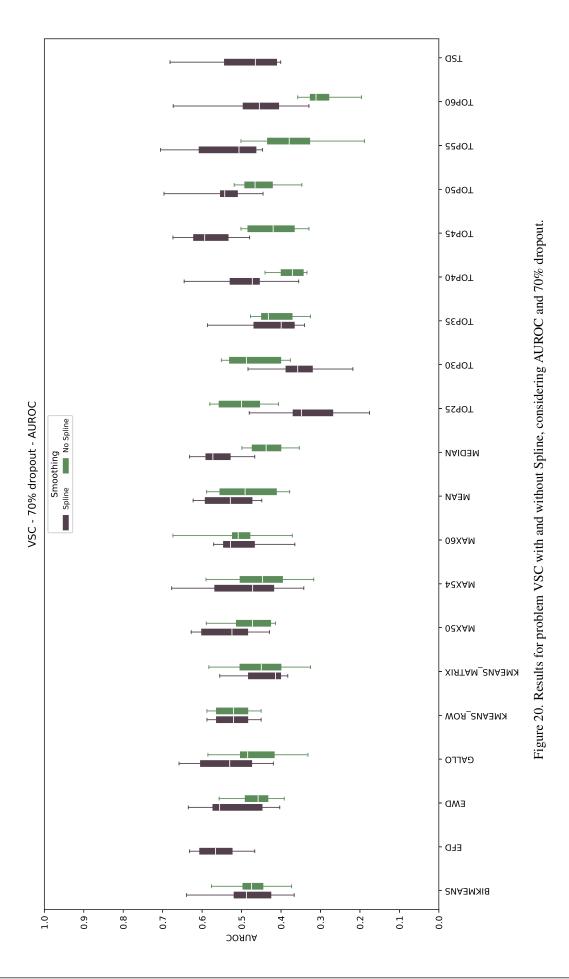
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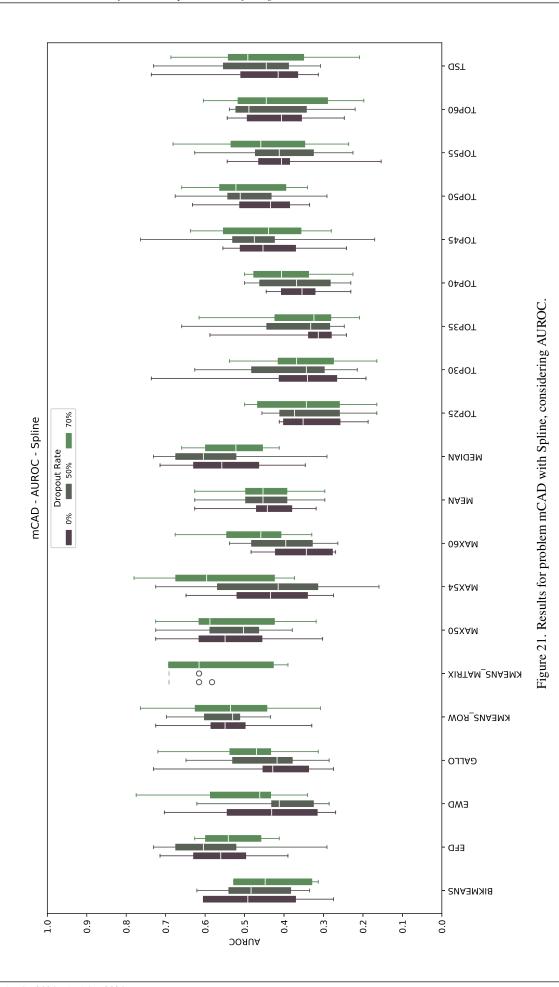
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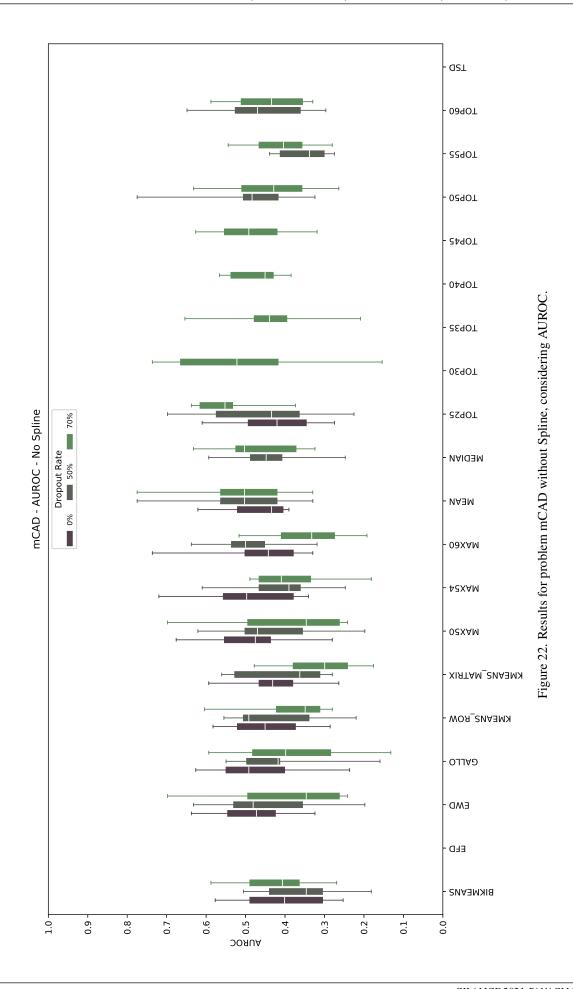
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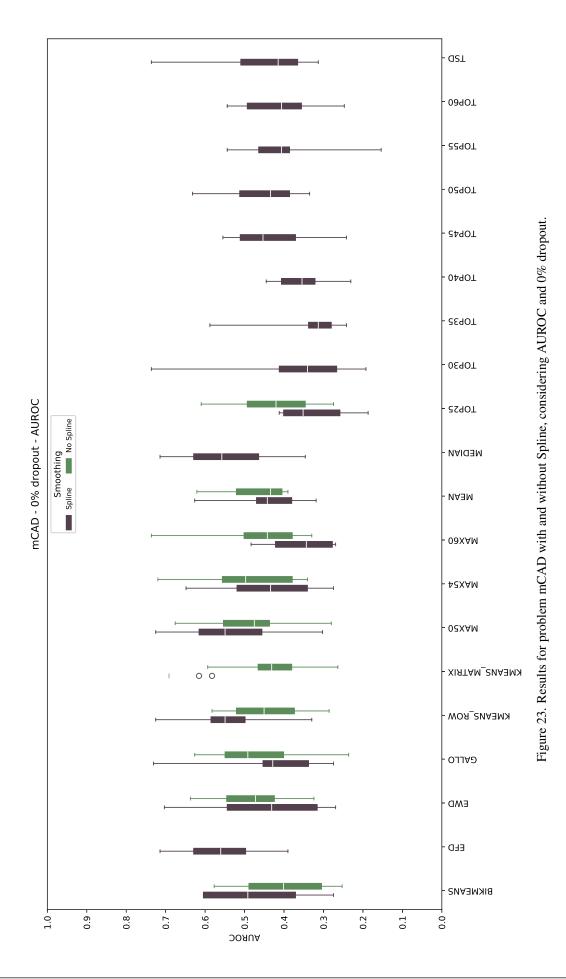


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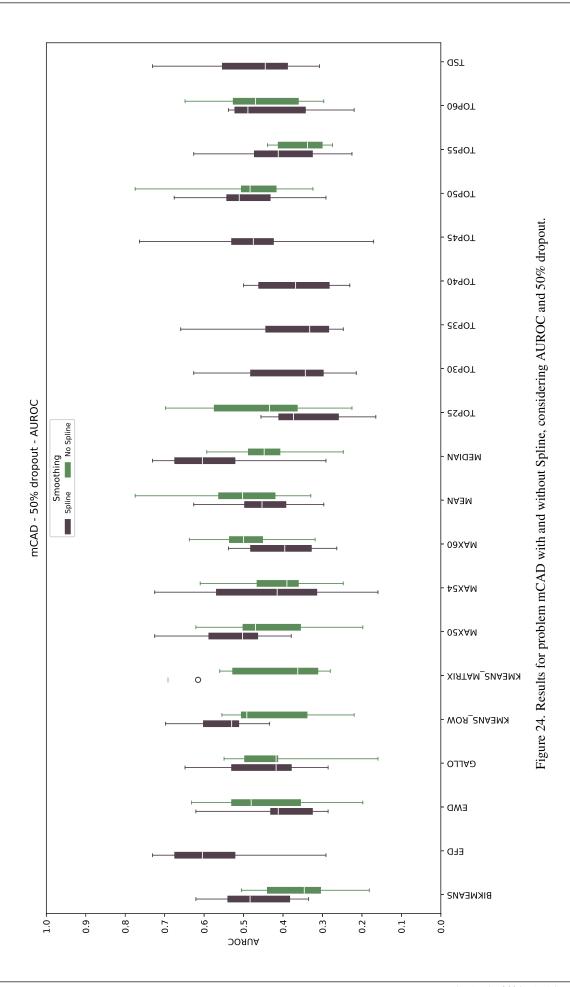


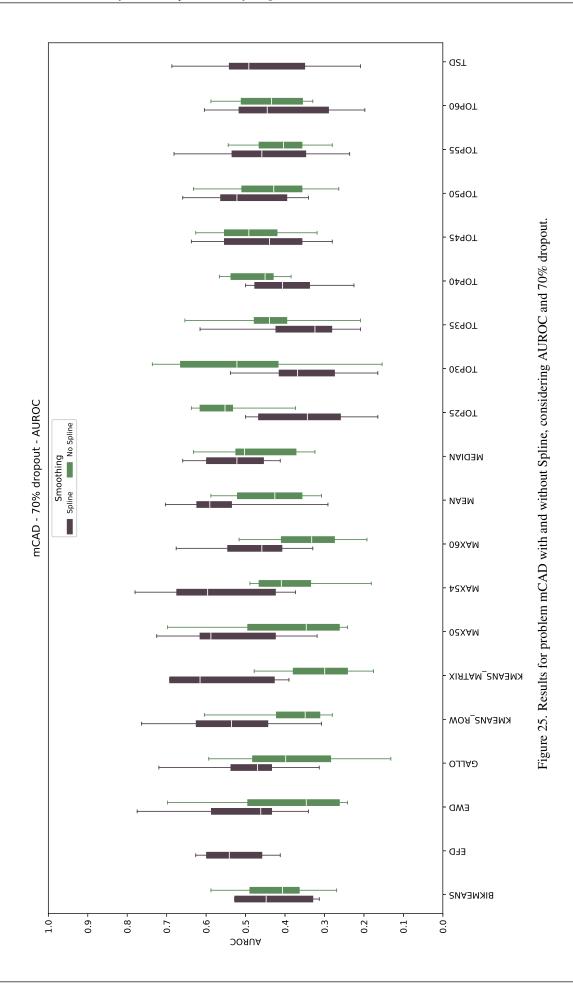
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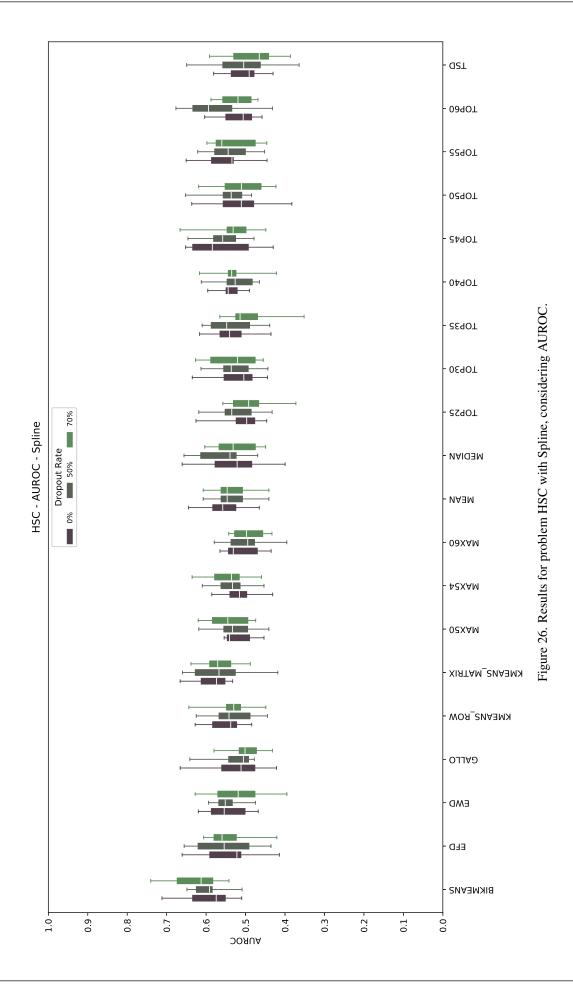


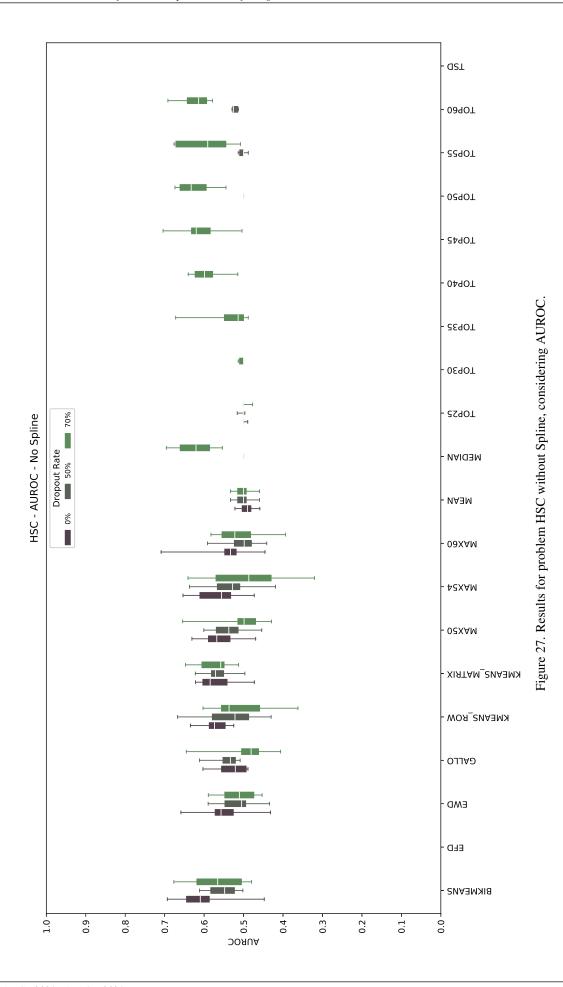
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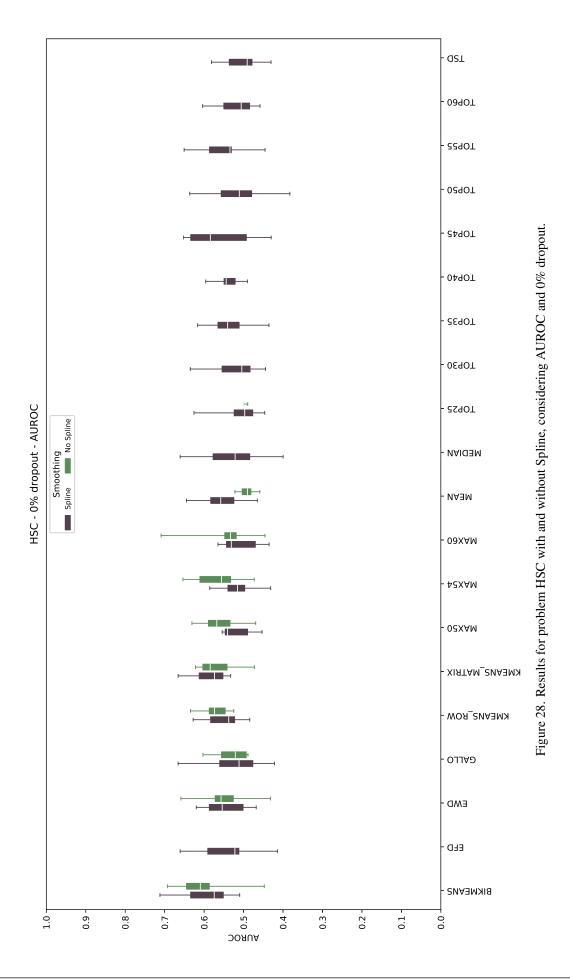




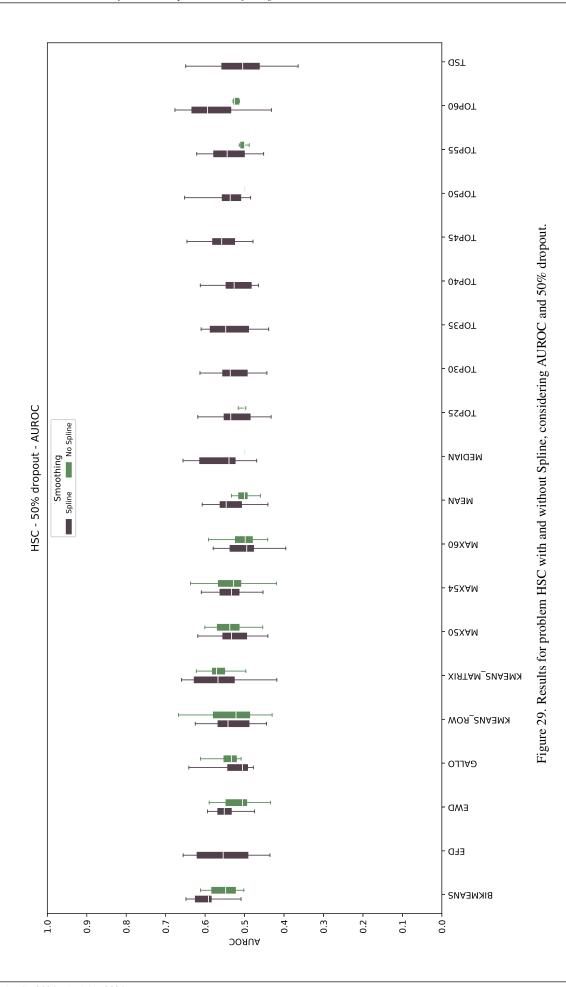
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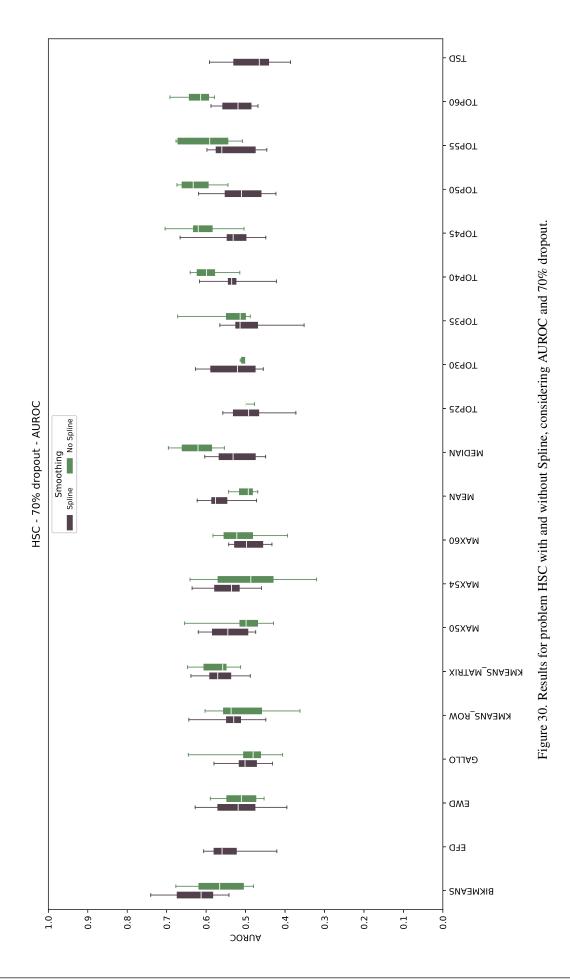




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3 Parameter Analysis

In this seciton we perform the parameter analysis of Max -X%Max and Top%X approaches. The Max - X%Max parameter are analyzed in [50%, 54%, 60%], once 54% is the reference parameter [1]. When considering Top%X, we performed experiments considering [25%, ..., 60%].

3.1 Max -X% Max

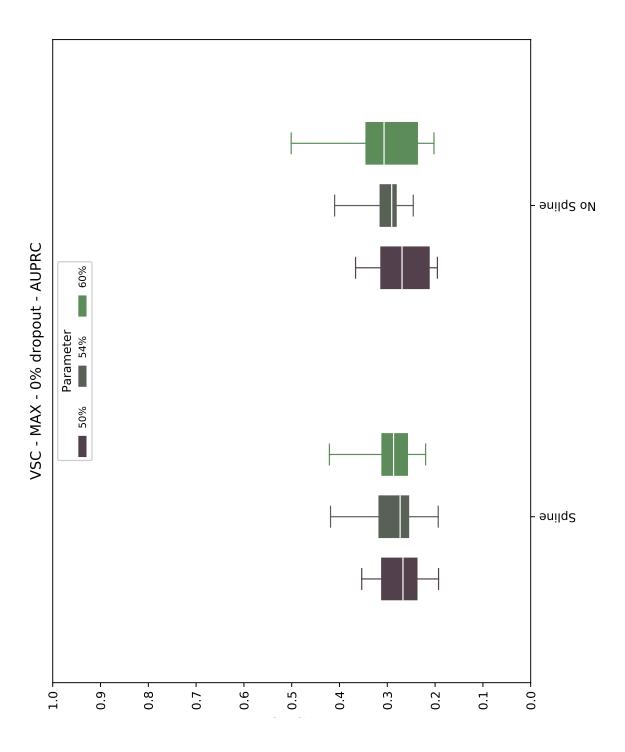


Figure 31. Results for problem VSC with and without Spline, considering AUPRC and 0% dropout with parameters in range [50%, 54%, 60%].

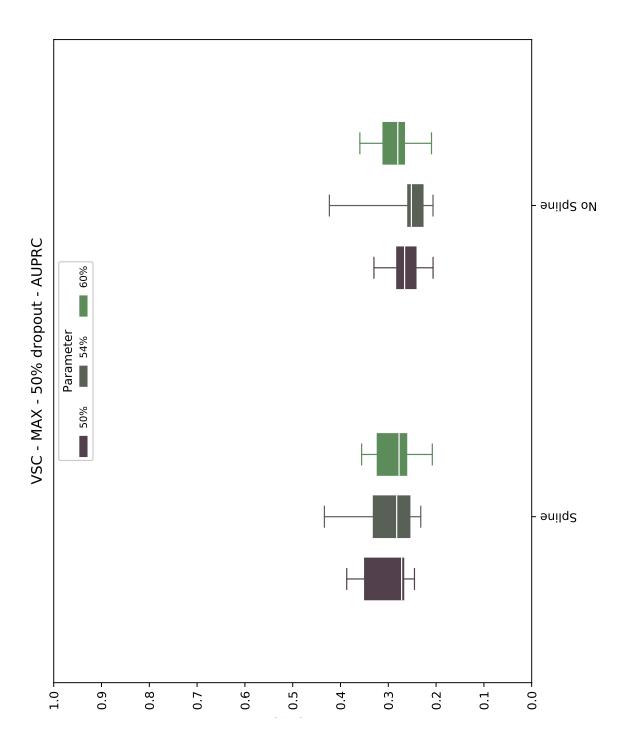


Figure 32. Results for problem VSC with and without Spline, considering AUPRC and 50% dropout with parameters in range [50%, 54%, 60%].

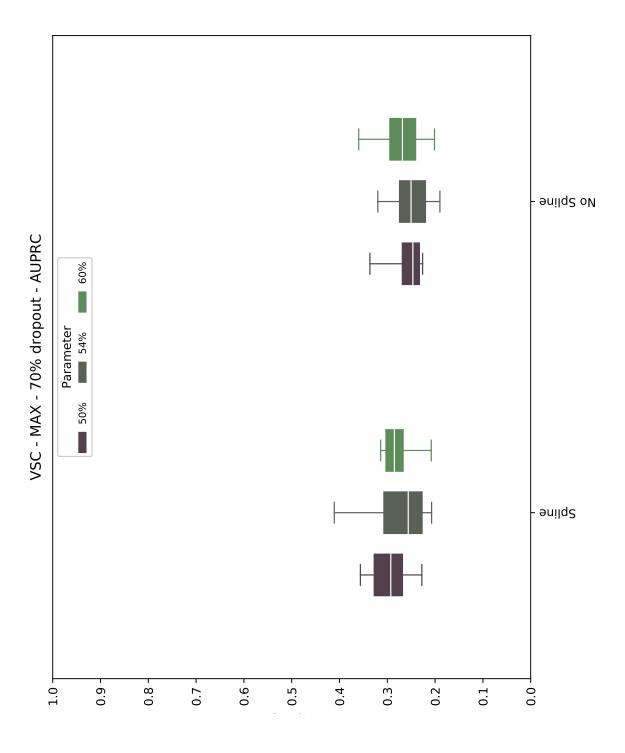


Figure 33. Results for problem VSC with and without Spline, considering AUPRC and 70% dropout with parameters in range [50%, 54%, 60%].

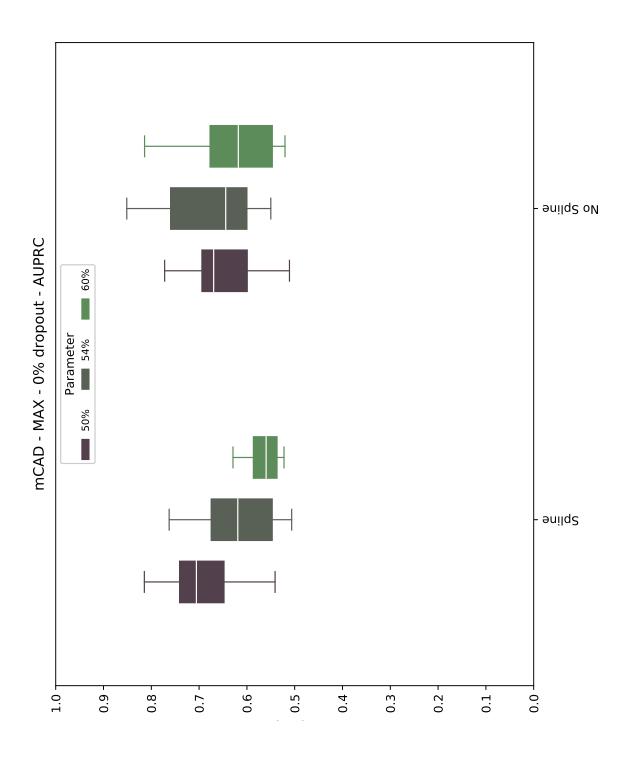


Figure 34. Results for problem mCAD with and without Spline, considering AUPRC and 0% dropout with parameters in range [50%, 54%, 60%].

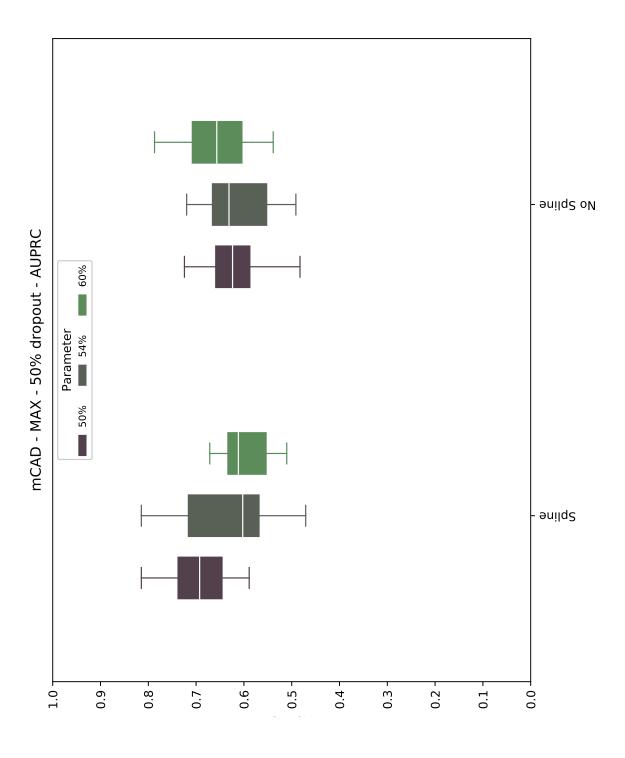


Figure 35. Results for problem mCAD with and without Spline, considering AUPRC and 50% dropout with parameters in range [50%, 54%, 60%].

Figure 36. Results for problem mCAD with and without Spline, considering AUPRC and 70% dropout with parameters in range [50%, 54%, 60%].

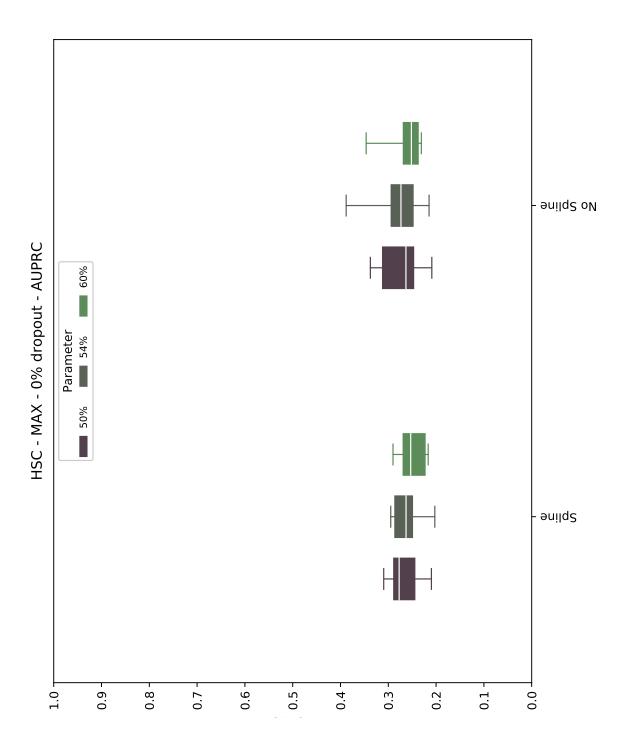


Figure 37. Results for problem HSC with and without Spline, considering AUPRC and 0% dropout with parameters in range [50%, 54%, 60%].

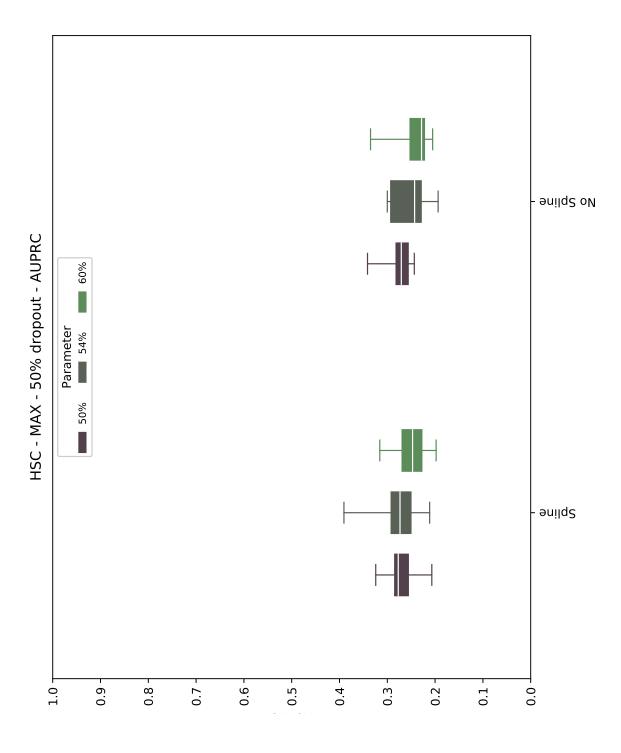


Figure 38. Results for problem HSC with and without Spline, considering AUPRC and 50% dropout with parameters in range [50%, 54%, 60%].

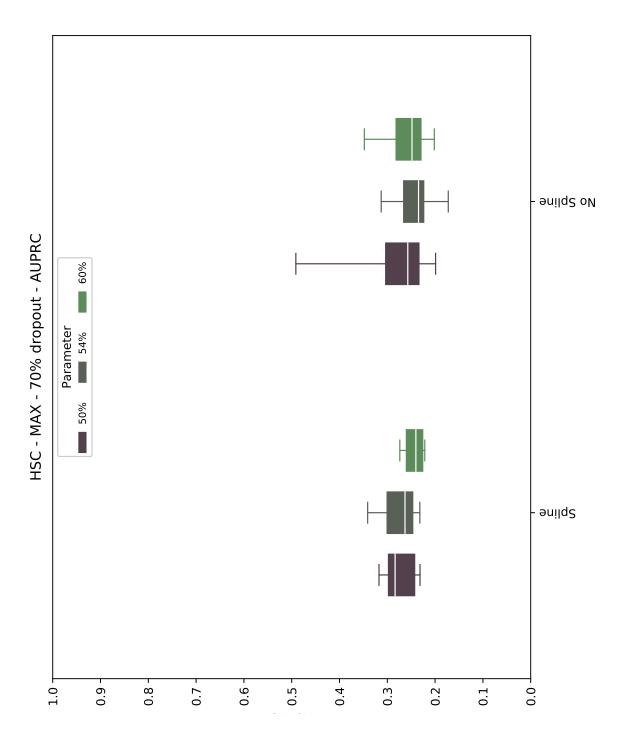


Figure 39. Results for problem HSC with and without Spline, considering AUPRC and 70% dropout with parameters in range [50%, 54%, 60%].

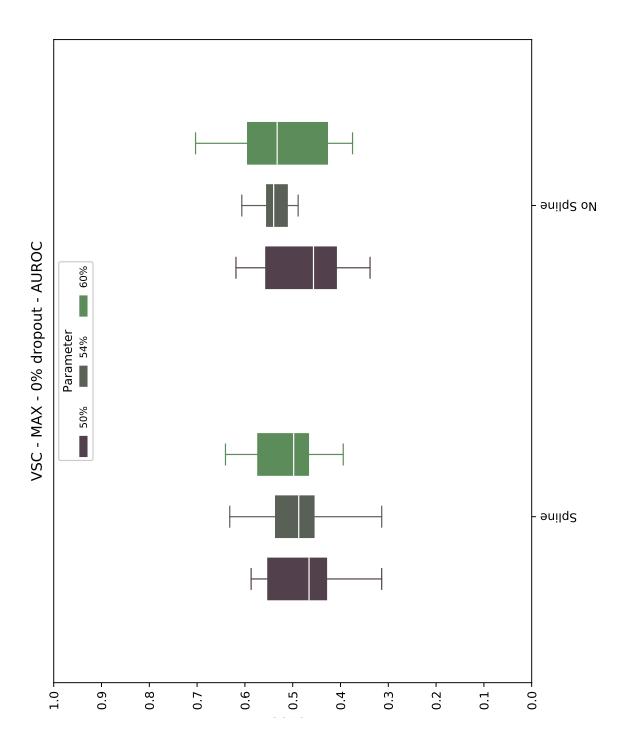


Figure 40. Results for problem VSC with and without Spline, considering AUROC and 0% dropout with parameters in range [50%, 54%, 60%].

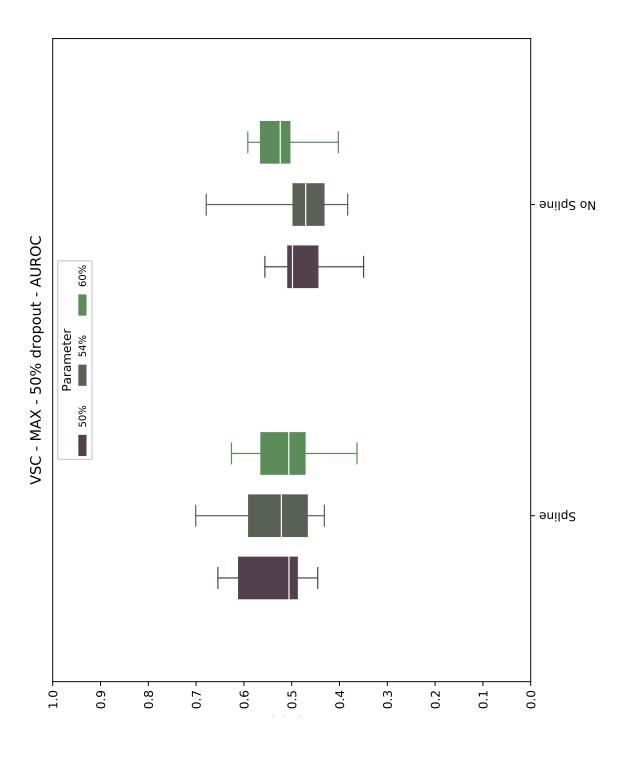


Figure 41. Results for problem VSC with and without Spline, considering AUROC and 50% dropout with parameters in range [50%, 54%, 60%].

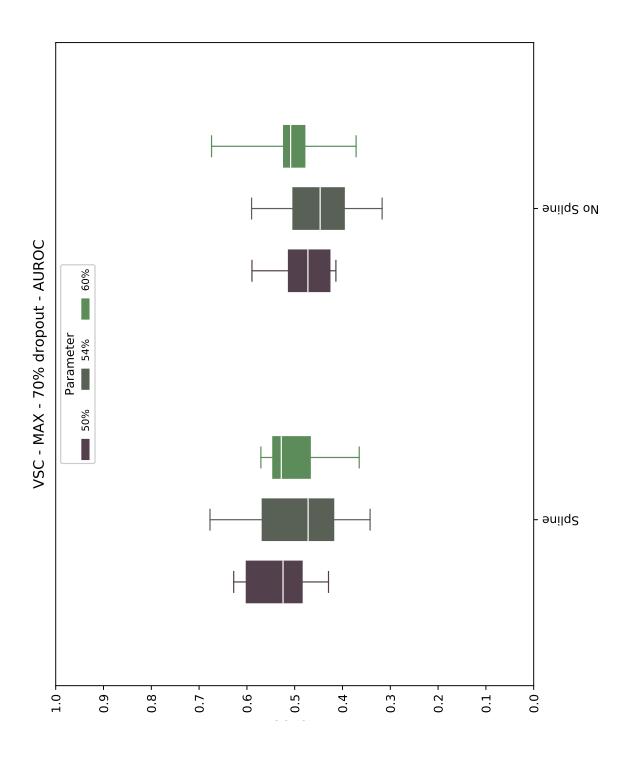


Figure 42. Results for problem VSC with and without Spline, considering AUROC and 70% dropout with parameters in range [50%, 54%, 60%].

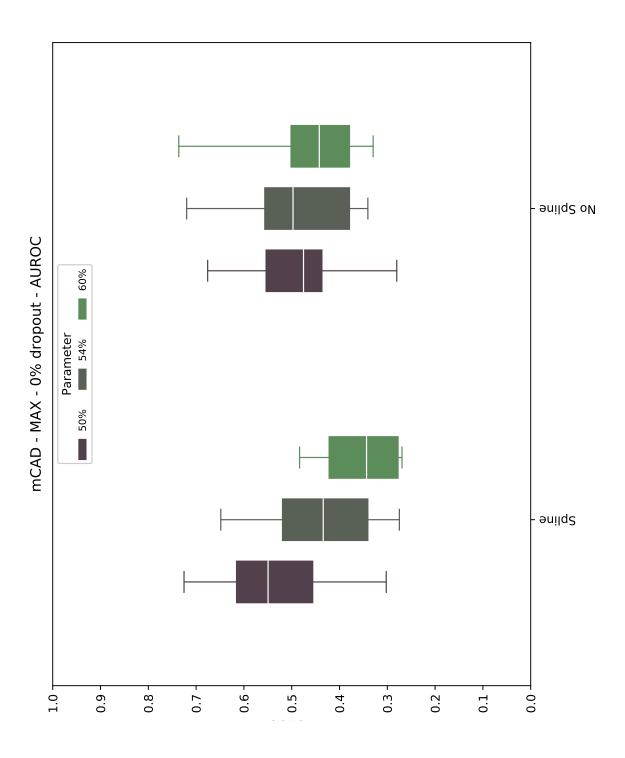


Figure 43. Results for problem mCAD with and without Spline, considering AUROC and 0% dropout with parameters in range [50%, 54%, 60%].

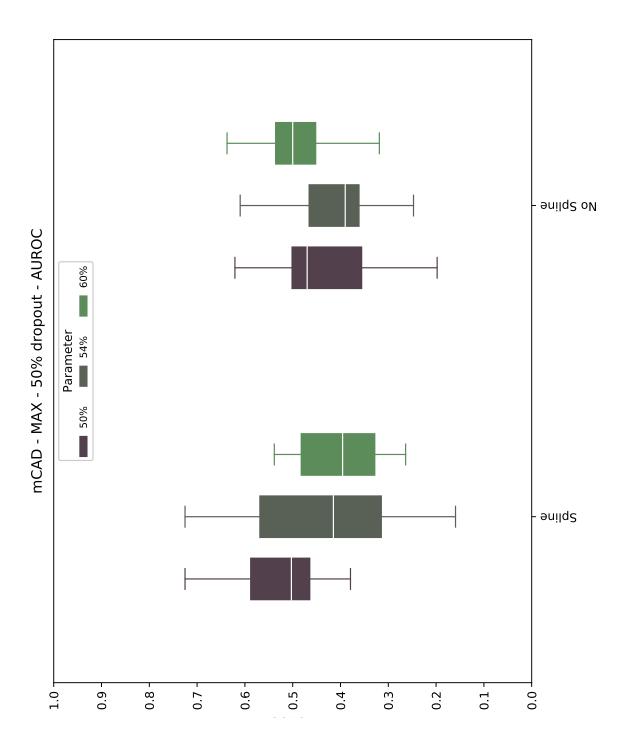


Figure 44. Results for problem mCAD with and without Spline, considering AUROC and 50% dropout with parameters in range [50%, 54%, 60%].

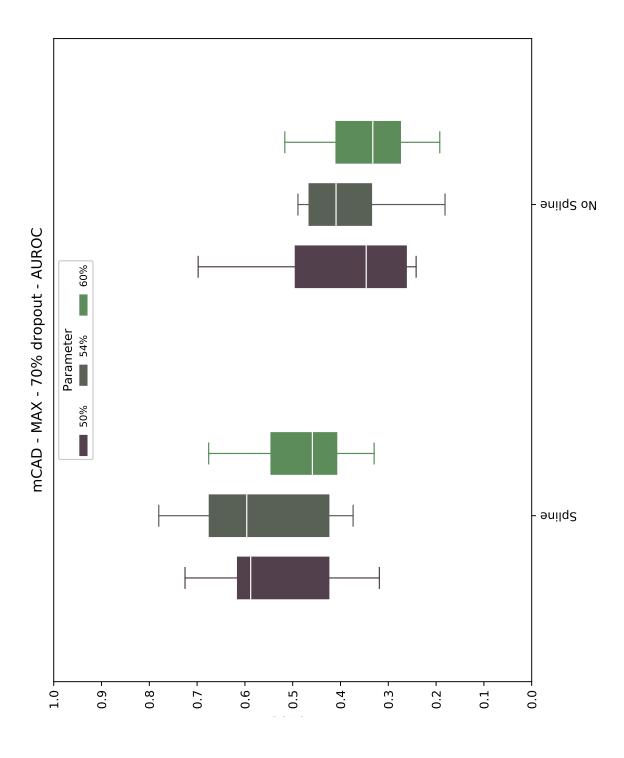


Figure 45. Results for problem mCAD with and without Spline, considering AUROC and 70% dropout with parameters in range [50%, 54%, 60%].

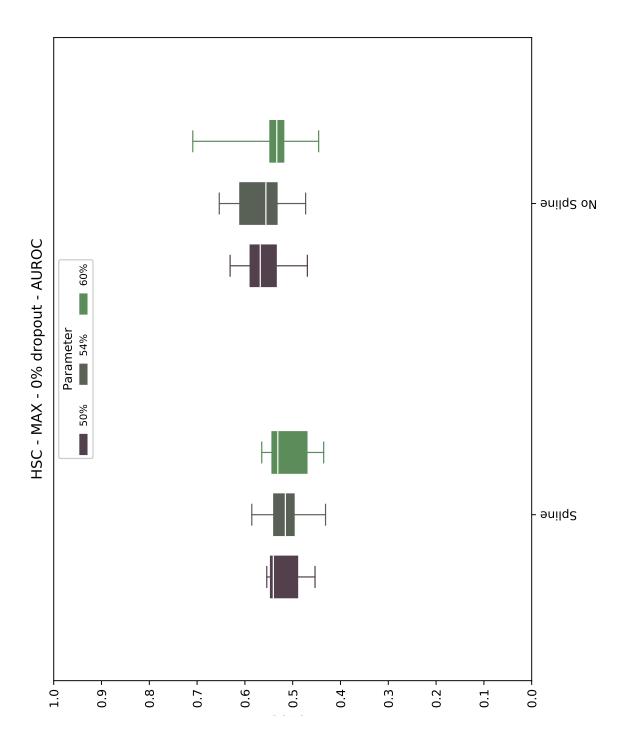


Figure 46. Results for problem HSC with and without Spline, considering AUROC and 0% dropout with parameters in range [50%, 54%, 60%].

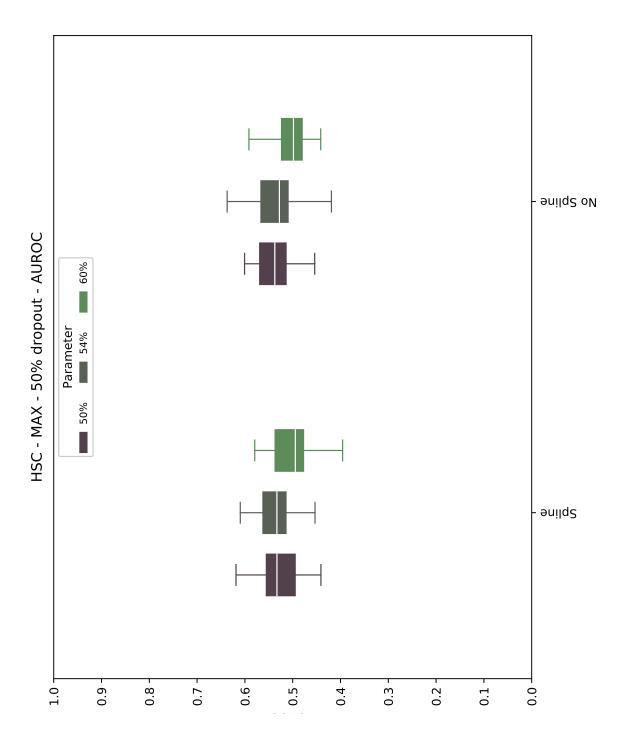


Figure 47. Results for problem HSC with and without Spline, considering AUROC and 50% dropout with parameters in range [50%, 54%, 60%].

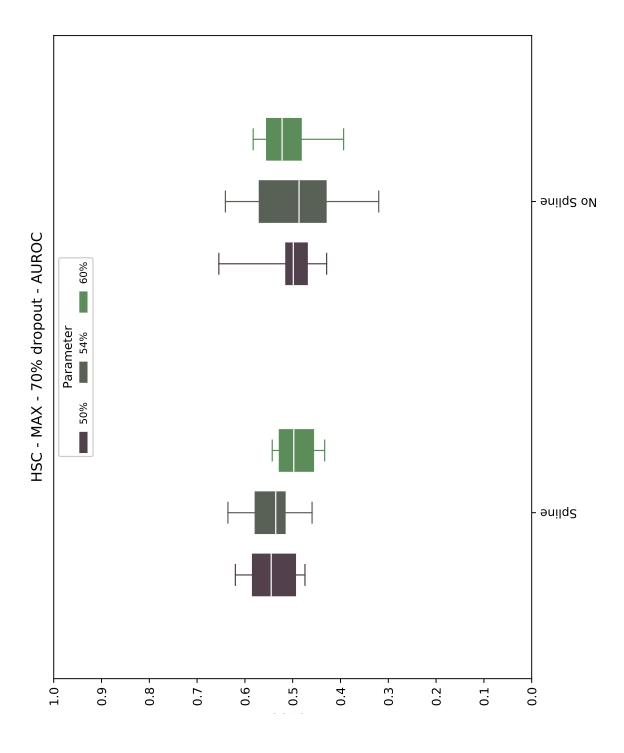


Figure 48. Results for problem HSC with and without Spline, considering AUROC and 70% dropout with parameters in range [50%, 54%, 60%].

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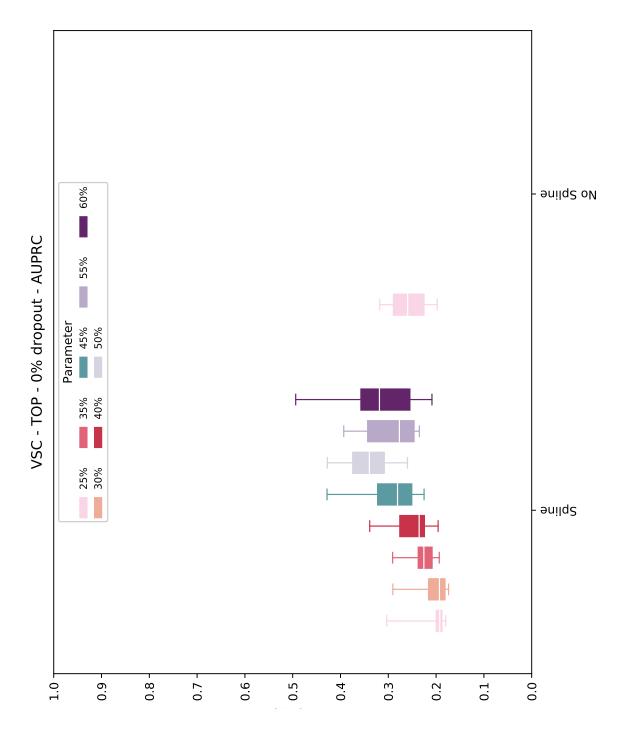


Figure 49. Results for problem VSC with and without Spline, considering AUPRC and 0% dropout with parameters in range [25%, ..., 60%].

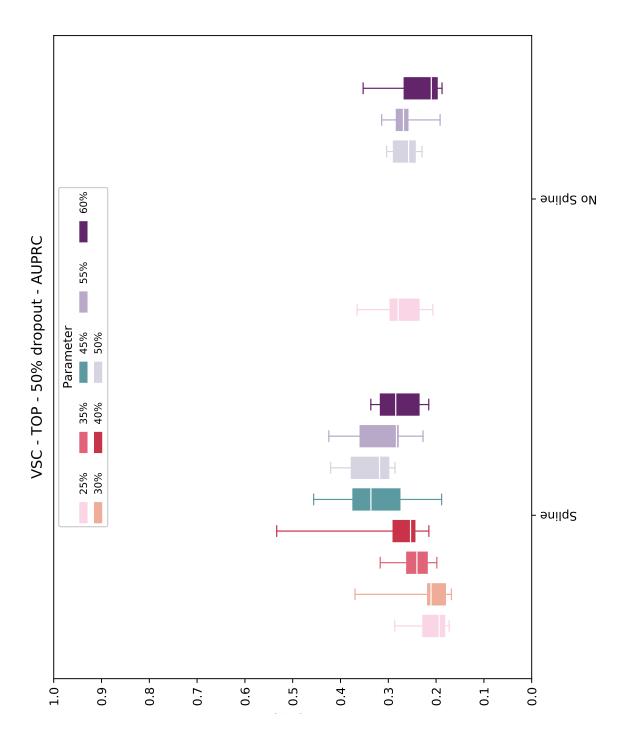


Figure 50. Results for problem VSC with and without Spline, considering AUPRC and 50% dropout with parameters in range [25%, ..., 60%].

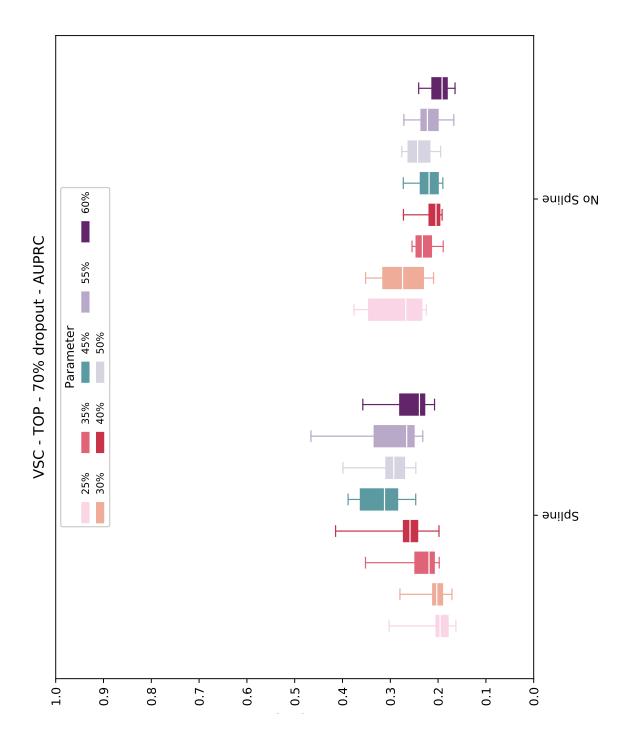


Figure 51. Results for problem VSC with and without Spline, considering AUPRC and 70% dropout with parameters in range [25%, ..., 60%].

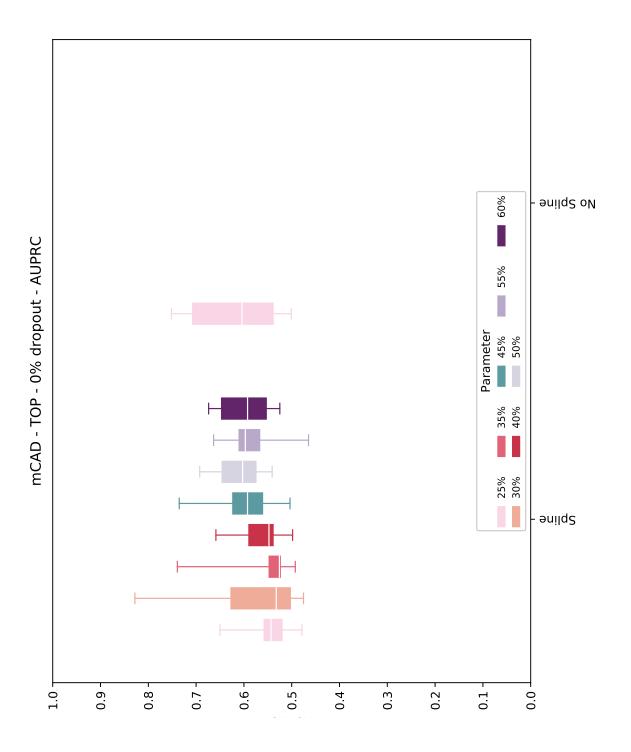


Figure 52. Results for problem mCAD with and without Spline, considering AUPRC and 0% dropout with parameters in range [25%, ..., 60%].

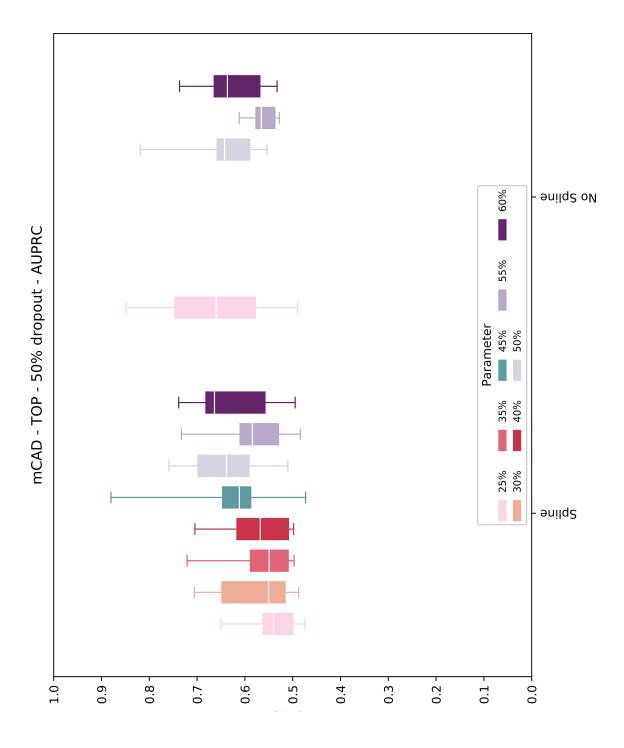


Figure 53. Results for problem mCAD with and without Spline, considering AUPRC and 50% dropout with parameters in range [25%, ..., 60%].

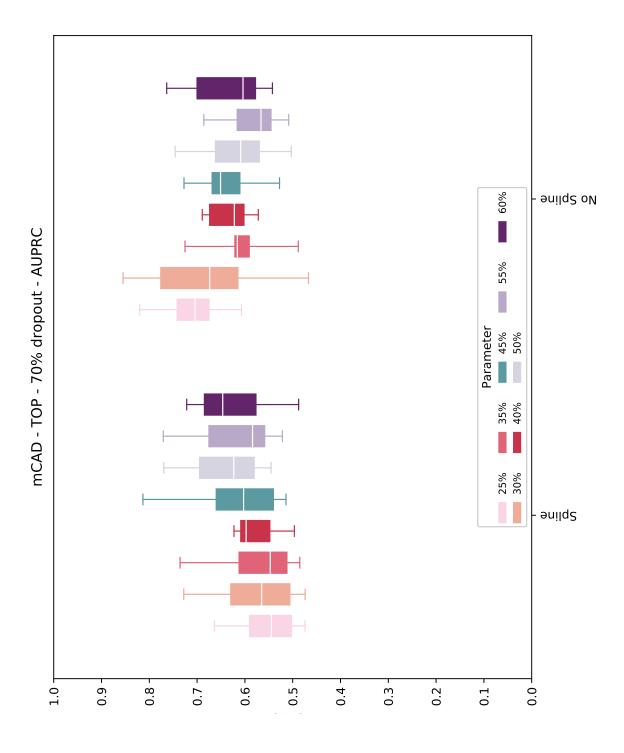


Figure 54. Results for problem mCAD with and without Spline, considering AUPRC and 70% dropout with parameters in range [25%, ..., 60%].

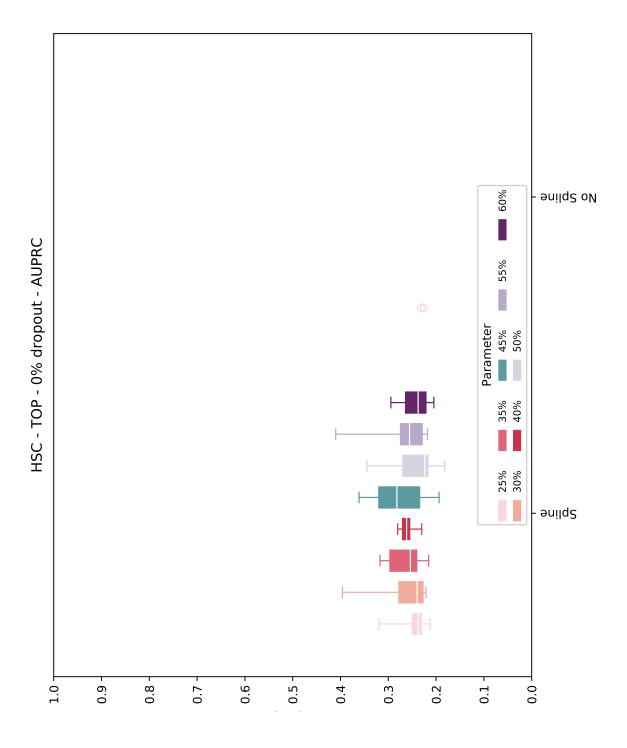


Figure 55. Results for problem HSC with and without Spline, considering AUPRC and 0% dropout with parameters in range [25%, ..., 60%].

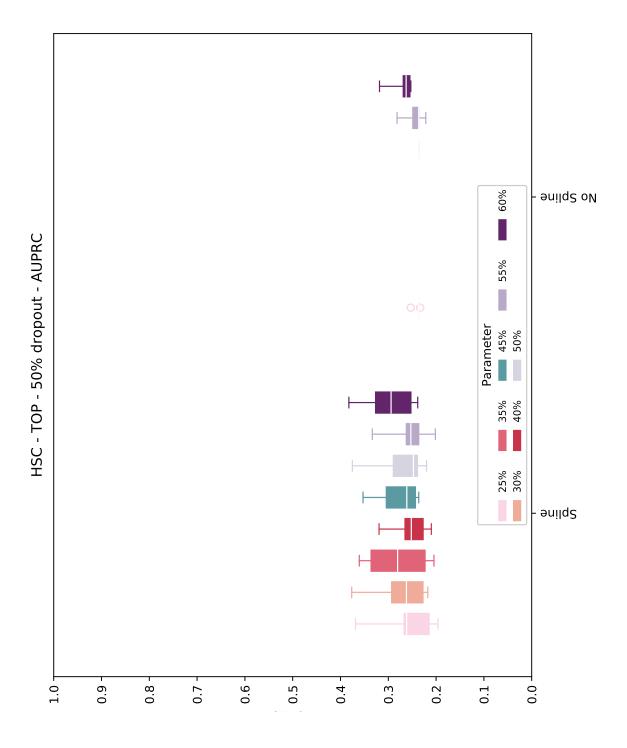


Figure 56. Results for problem HSC with and without Spline, considering AUPRC and 50% dropout with parameters in range [25%, ..., 60%].

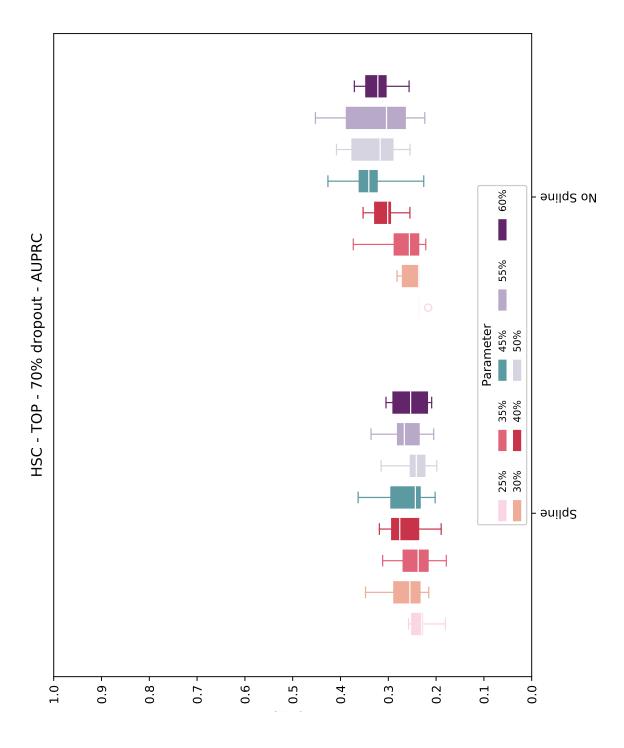


Figure 57. Results for problem HSC with and without Spline, considering AUPRC and 70% dropout with parameters in range [25%, ..., 60%].

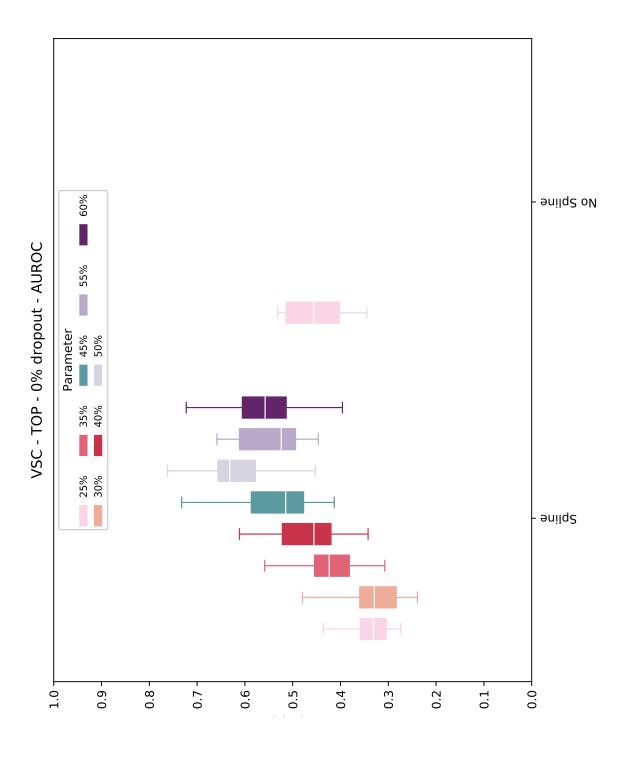


Figure 58. Results for problem VSC with and without Spline, considering AUROC and 0% dropout with parameters in range [25%, ..., 60%].

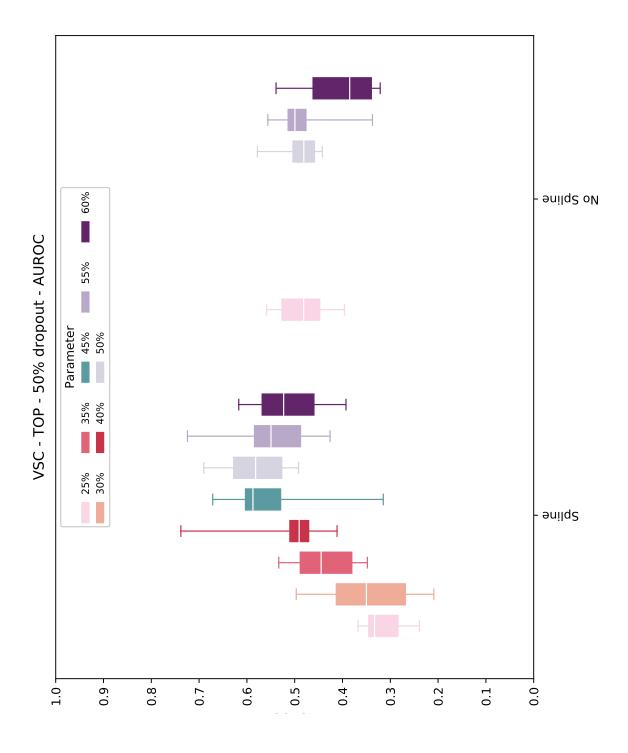


Figure 59. Results for problem VSC with and without Spline, considering AUROC and 50% dropout with parameters in range [25%, ..., 60%].

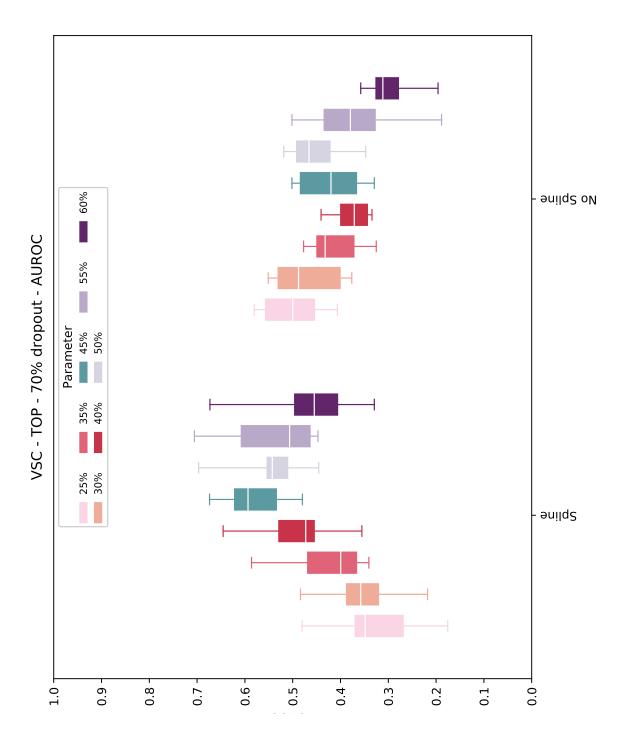


Figure 60. Results for problem VSC with and without Spline, considering AUROC and 70% dropout with parameters in range [25%, ..., 60%].

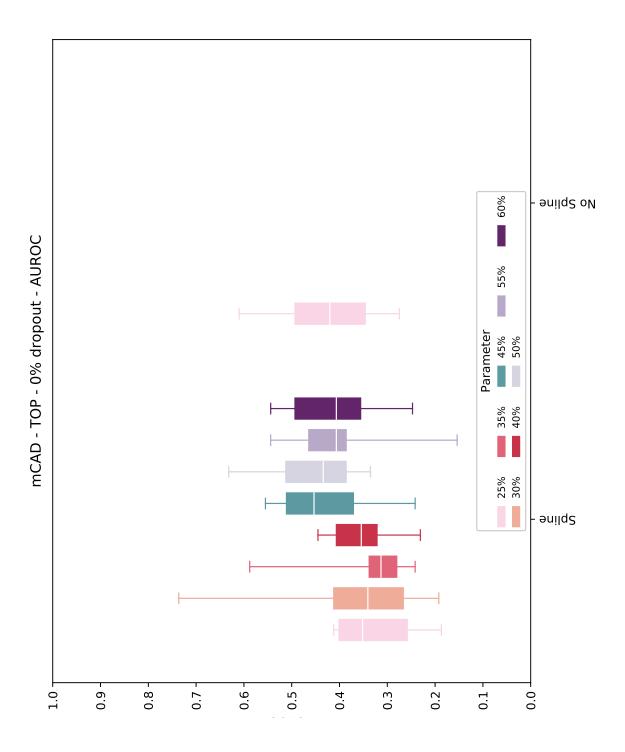


Figure 61. Results for problem mCAD with and without Spline, considering AUROC and 0% dropout with parameters in range [25%, ..., 60%].

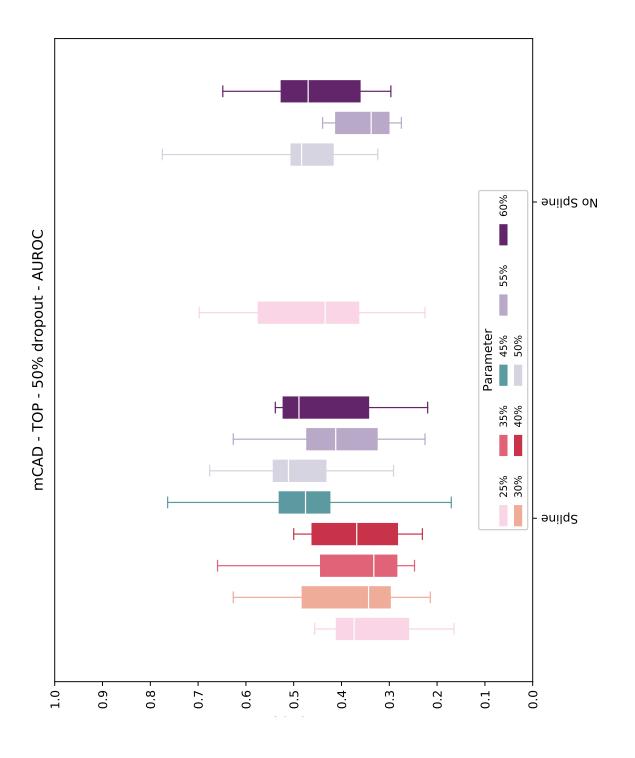


Figure 62. Results for problem mCAD with and without Spline, considering AUROC and 50% dropout with parameters in range [25%, ..., 60%].

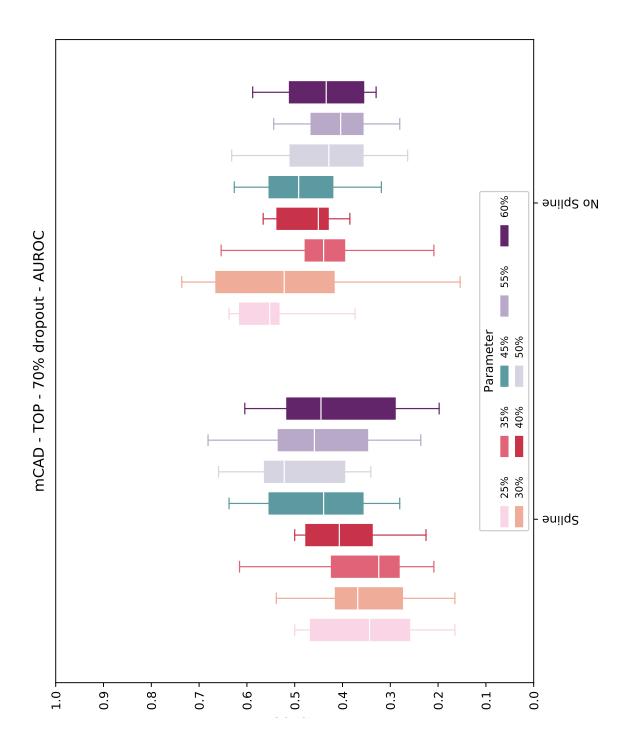


Figure 63. Results for problem mCAD with and without Spline, considering AUROC and 70% dropout with parameters in range [25%, ..., 60%].

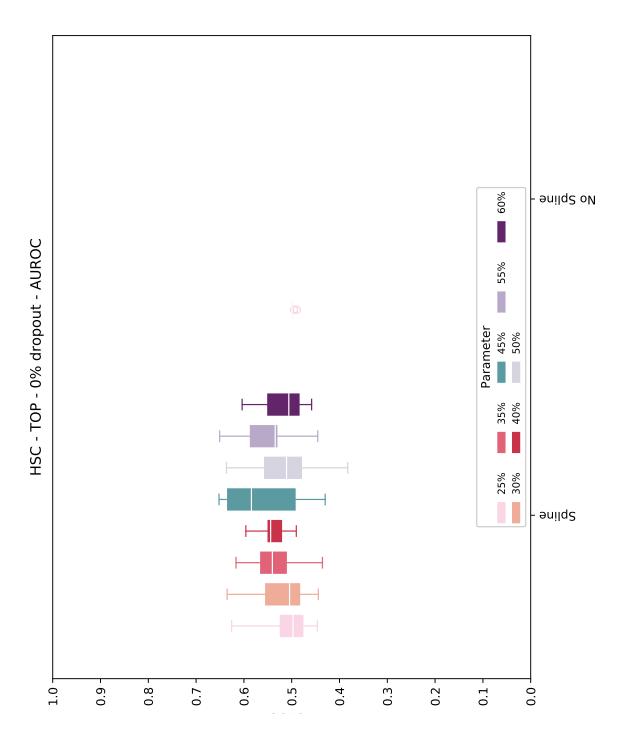


Figure 64. Results for problem HSC with and without Spline, considering AUROC and 0% dropout with parameters in range [25%, ..., 60%].

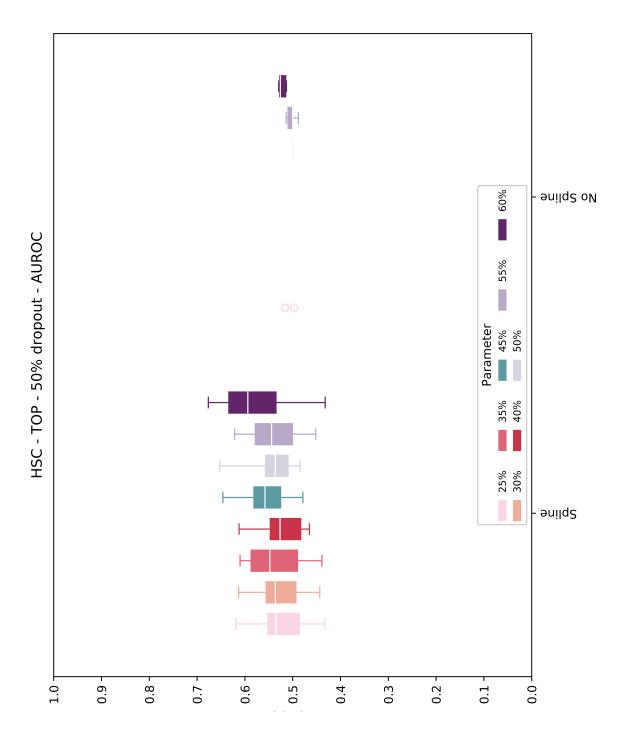


Figure 65. Results for problem HSC with and without Spline, considering AUROC and 50% dropout with parameters in range [25%, ..., 60%].

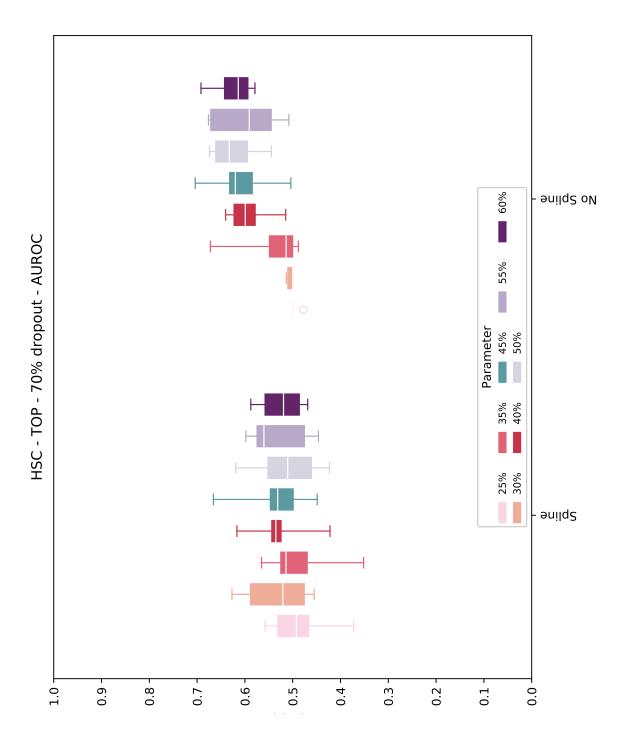


Figure 66. Results for problem HSC with and without Spline, considering AUROC and 70% dropout with parameters in range [25%, ..., 60%].

References

[1] S. C. Madeira and A. L. Oliveira. An evaluation of discretization methods for non-supervised analysis of time-series gene expression data. INESC-ID Technical Report, vol. 42, pp. 2005, 2005.