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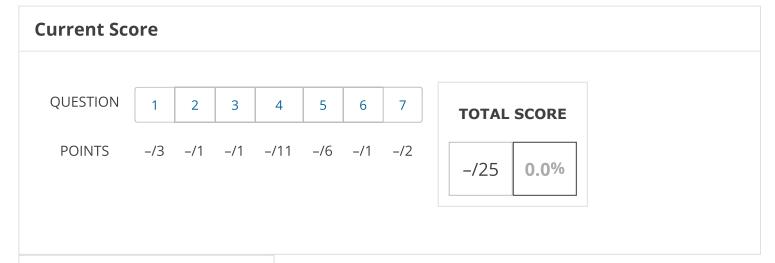
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# **Chapter 34 (Homework)**

**™** INSTRUCTOR **Keith West**Texas Tech University



### **Due Date**

THU, AUG 4, 2022

11:59 PM CDT



# **Assignment Submission & Scoring**

## **Assignment Submission**

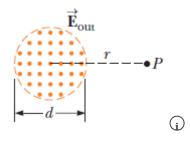
For this assignment, you submit answers by question parts. The number of submissions remaining for each question part only changes if you submit or change the answer.

#### **Assignment Scoring**

Your last submission is used for your score.



An electric field is restricted to a circular area of diameter d = 10.4 cm as shown in the figure.



At the instant shown, the field direction is out of the page, its magnitude is 300 V/m, and its magnitude is increasing at a rate of  $19.6 \text{ V/(m} \cdot \text{s})$ .

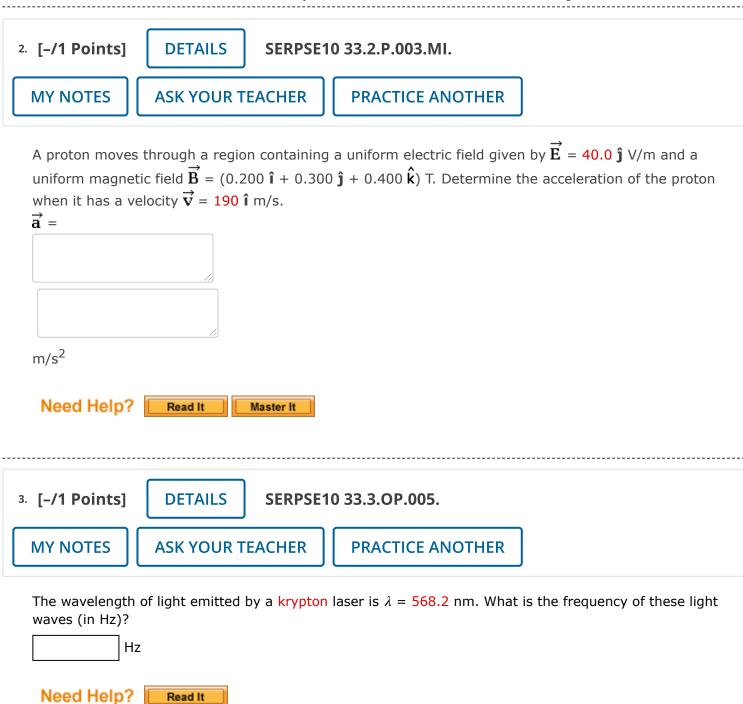
- (a) What is the direction of the magnetic field at the point P, r = 15.6 cm from the center of the circle?
  - O upwards
  - downwards
- (b) What is the magnitude of the magnetic field (in T) at the point P, r = 15.6 cm from the center of the circle?

Т

(c) **What If?** As before, at the moment shown in the figure, the electric field within the circle has a magnitude of 300 V/m and is increasing at a rate of  $19.6 \text{ V/(m} \cdot \text{s})$ . In addition, suppose that the radius of the circular area of the electric field increases at a rate of 1.00 cm/s. What would the magnitude of the magnetic field be at point P at this moment (in T)?



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4. [-/11 Points]

**DETAILS** 

SERPSE10 33.3.P.010.

**MY NOTES** 

**ASK YOUR TEACHER** 

Perform the following steps to verify by substitution that equations C and D are solutions to Equations A and B, respectively.

$$\frac{\partial^2 E}{\partial x^2} = \varepsilon_0 \mu_0 \frac{\partial^2 E}{\partial t^2} \qquad E = E_{\text{max}} \cos(kx - \omega t)$$

Equation A

Equation C

$$\frac{\partial^2 B}{\partial x^2} = \varepsilon_0 \mu_0 \frac{\partial^2 B}{\partial t^2} \qquad B = B_{\text{max}} \cos(kx - \omega t)$$

Equation B

Equation D

(a) Calculate the first partial derivatives listed below. (Use the following as necessary: k,  $\omega$ , x, t, and either  $E_{\max}$  or  $B_{\max}$ .)

$$\frac{\partial E}{\partial x} =$$





$$\frac{\partial B}{\partial x} =$$





$$\frac{\partial E}{\partial t} =$$



$$\frac{\partial B}{\partial t} =$$

(b) Calculate the second partial derivatives listed below. (Use the following as necessary: k,  $\omega$ , x, t, and either  $E_{\max}$  or  $B_{\max}$ .)

$$\frac{\partial^2 E}{\partial x^2} =$$





$$\frac{\partial^2 B}{\partial x^2} =$$





$$\frac{\partial^2 E}{\partial t^2} =$$





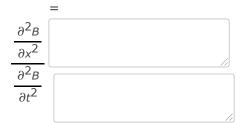
$$\frac{\partial^2 B}{\partial t^2} =$$



(c) Given  $k^2 / \omega^2 = (1 / f \lambda)^2$ , calculate the ratios of the second partial derivatives below. (Use the following as necessary: c.)

=





(d) Express  $\varepsilon_0\mu_0.$  (Use the following as necessary: c.)

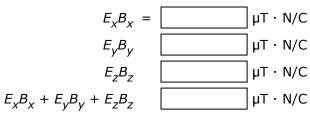
$\varepsilon_0 \mu_0 =$	
	,

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5. [-/6 Points]	DETAILS	SERPSE1	10 33.4.OP.009.
MY NOTES	ASK YOUR TEACHER		PRACTICE ANOTHER

An electromagnetic wave is traveling in a vacuum. At a particular instant for this wave,  $\vec{\mathbf{E}} = [(90.0)\hat{\mathbf{i}} + (36.0)\hat{\mathbf{j}} + (-72.0)\hat{\mathbf{k}}] \text{ N/C}$ , and  $\vec{\mathbf{B}} = [(0.400)\hat{\mathbf{i}} + (0.160)\hat{\mathbf{j}} + (0.580)\hat{\mathbf{k}}] \mu T$ .

(a) Calculate the following quantities. (Give your answers, in  $\mu T \cdot N/C$ , to at least three decimal places.)

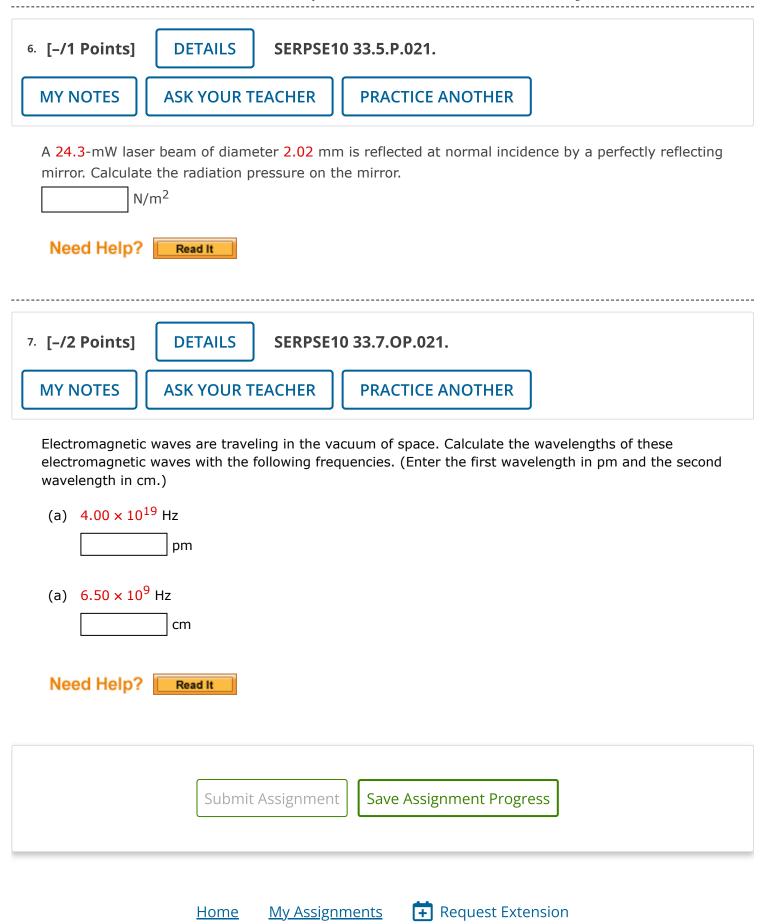


Are the two fields mutually perpendicular? How do you know?

- No, because their dot product *is equal to* zero.
- O No, because their dot product is not equal to zero.
- O Yes, because their dot product *is not equal to* zero.
- O Yes, because their dot product *is equal to* zero.
- (b) Determine the component representation of the Poynting vector (in  $\mbox{W/m}^2$ ) for these fields.



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