

Lara Haase – Lhaase  
Intermediate Statistics – 90-777  
Assignment 2

1.)	N		Mean
Asian	127	x	$0.1654 = 21.0058$
Black	66	x	$0.2727 = 17.9982$
Hispanic	14	x	$0.0714 = 0.9996$
Indian	56	x	$0.1607 = 8.9992$
Other	20	x	$0.1000 = 2$
White	331	x	$0.2447 = 80.9957$
Total	614		131.9985

**P = 0.215**

2.) (a.) No training:  $\$0 \cdot .1 + \$8 \cdot .5 + \$12 \cdot .2 + \$18 \cdot .2 =$

$$0 + 4 + 2.4 + 3.6 = \$10/\text{hr}$$

Training:  $\$0 \cdot .15 + \$8 \cdot .35 + \$12 \cdot .15 + \$18 \cdot .35 =$

$$0 + 2.8 + 1.8 + 6.3 = \$10.90/\text{hr}$$

**Difference: \$0.90/hr more for those with training, suggesting that job training is effective in increasing wages.**

(b.) Probability of employment with training: 0.85

Probability of employment without training: 0.9

**No, these probabilities suggest training is NOT effective in increasing the chances of being employed.**

(c.)  $.35 + .15 + .35 = 0.85$

$$\$8 \cdot (.35/.85) + \$12 \cdot (.15/.85) + \$18 \cdot (.35/.85) =$$

$$8 \cdot 0.41176 + 12 \cdot 0.17647 + 18 \cdot 0.41176 =$$

$$3.29 + 2.12 + 7.41 = \mathbf{\$12.82/\text{hr}}$$

(d.)  $0.3 \cdot 0.15 + 0.7 \cdot 0.1 = 0.045 + 0.07 = \mathbf{0.115}$

3.) a.)

(1/3 chance that it's the coin picked up, since it can't be the 2x headed coin) \* (1/3 chance it will flip to a tail) / (chance of getting tails with any of the 3 coins- not 2x headed)

$$\frac{(1/3 * 1/3)}{(1/3 * 0.5 + 1/3 * 0.5 + 1/3 * 1/3)} = \frac{1/9}{4/9} = \frac{1}{4} \text{ or } \mathbf{0.25}$$

b.)

(2/3 chance it's fair, since it cannot be the double headed coin) \* (1/2 P heads) \* (1/2 P tails) divided by the P of getting heads then tails with all coins (except 2x)

$$\frac{2/3 * 1/2 * 1/2}{(2/3 * 1/2 * 1/2) + (1/3 * 2/3 * 1/3)} = \frac{2/12}{1/6 + 2/27} = \frac{1/6}{9/54 + 4/54} = \frac{1/6}{13/54} = \mathbf{9/13}$$

4.) a.)

Manager 1:

$$\mu = (5000 + 45000)/2 = \mathbf{25000}$$

$$\sigma = (45k - 5k)/\sqrt{12} = \mathbf{11547.005}$$

Manager 2:

$$\mu = \mathbf{21000}$$

$$\sigma = \mathbf{3000}$$

Manager 3:

$$\mu = 15k * 0.2 + 20k * 0.4 + 25k * 0.3 + 30k * 0.1$$

$$= 3k + 8k + 7.5k + 3k$$

$$= \mathbf{21500}$$

$$\sigma = \sqrt{(15k - 21.5k)^2 * 0.2 + (20k - 21.5k)^2 * 0.4 + (25k - 21.5k)^2 * 0.3 + (30k - 21.5k)^2 * 0.1}$$

$$= \sqrt{(8450000 + 900000 + 3675000 + 7225000)}$$

$$= \sqrt{20250000}$$

$$= \mathbf{4500}$$

b.) i.) between \$17k-\$24k

$$\text{Manager 1: } (24k - 17k)/(45k - 5k) = 7k/40k = \mathbf{0.175}$$

$$\text{Manager 2: Area of 17k-21k + Area of 21k-24k}$$

$$A1: z = 1.33, \text{ so } A1 = 0.4082$$

$$A2: z = 1, \text{ so } A2 = 0.3413$$

$$A1 + A2 = \mathbf{0.7495}$$

$$\text{Manager 3: } P(\$20k) = \mathbf{0.4}$$

ii.) >\$22k

$$\text{Manager 1: } (45k - 22k)/40k = 23k/40k = \mathbf{0.575}$$

$$\text{Manager 2: } 0.5 - \text{Area of 21k-22k}$$

$$A1: z = 0.3333, \text{ so } A1 = 0.1293$$

$$0.5 - 0.1293 = \mathbf{0.3707}$$

$$\text{Manager 3: } P(\$25k) + P(\$30k) = 0.3 + 0.1 = \mathbf{0.4}$$

iii.) <\$18k

Manager 1:  $(18k-5k)/40k = 13k/40k = \mathbf{0.325}$

Manager 2: 0.5 – Area from 21k-18k

A:  $z = 1$ , so  $A = 0.3413$

$0.5 - 0.3413$

$= \mathbf{0.1587}$

Manager 3:  $P(\$15k) = 0.2$

iv.) exactly \$25k

Manager 1: **0**

Manager 2: **0**

Manager 3:  $P(\$25k) = \mathbf{0.3}$

c.)

Manager 1:  $I * w = 0.85$

$I * (1/40000) = 0.85$

$I = \mathbf{34000}$

Manager 2:  $z = 1.04 = (x - 21000) / 3000$

$3120 = x - 21000$

$x = \mathbf{24120}$

Manager 3: **\$25000 (the probability of being over budget will only be 0.1)**

5.)

a.)  $\mu = np = 1000 * 0.02 = \mathbf{20}$

$\sigma = \sqrt{(n * p * q)} = \sqrt{(1000 * 0.98 * 0.02)} = \sqrt{(19.6)} = \mathbf{4.427}$

b.)  $EV = \text{Revenue from good chips} - \text{cost to produce defective chips} - \text{cost of sold defective chips}$

$= .98(1000) * (\$3000 - 100) + .02(1000)(-\$100) + .02(1000) * 0.01(-\$5000000 + \$3000)$

$= \$2842000 - \$2000 - \$999,400$

$= \mathbf{\$1,840,600}$

c.)  $EV = .98(1000) * (\$3000 - 100) + .02(1000)(-\$100)$

$= 2840000 - 1840600$

$= \mathbf{\$999,400 \text{ increase in Expected Profit}}$