

## **Possible Topics to focus for FINAL examination**

**Date Prepared: 11/21/2021**

**For all topics, read the Lecture Notes, sections from Greene's book mentioned in the course outline and any other additional references mentioned in the class and loaded in the NYU Brightspace Website**

### **Topics from Lecture 6 – Dummy Variables and Structural Changes**

- i) Definition and characteristics of Dummy variables
- ii) Use of dummy variables as regressors in different situations
- iii) Benefits of using dummy variables under different situations  
For example: Possible situations
  - Existence of outlier in the data
  - Estimate the seasonal factors in the data
  - Capture the individual specific characteristics
  - Capture the geographic differences in model results
  - Capture the group differences in model results
  - Application of dummy variables to capture the threshold effect and categorical variables
- iv) Dummy variables to capture the difference in intercepts and/or difference in the slopes regarding the relationships between Dependent and Independent variables across the individuals/groups/sub sets of data  
Study the rules of formulation of appropriate dummy variables to capture such effects (study both the mathematical models as well as the representations of various situations using diagrams) –

**Note: IN ADDITION TO CLASS NOTES READ THE NOTE FROM THE BOOK by D. Gujarati which is posted in NYU Brightspace website.**

### **STRUCTURAL CHANGE**

- i) When we run a regression, we are assuming that the regression coefficients are the same for all observations in the data set. However, some or all of the coefficients may be different for different subsets of data.

Such differences could exist due to structural changes (mostly present in time series observations)

- ii) Study various tests to identify the structural changes
- iii) Use of dummy variables to identify such structural changes and estimation of parameters most efficiently

### Topics from Lecture 7 – Instrumental Variable (IV)

- i) Define and describe the Instrumental Variables in the context of regression models
- ii) Violation of which assumption of GLS requires the use of Instrumental variables?
- iii) What are the different circumstances when use of Instrumental Variable method can provide better estimates of parameters and how?
  - Simultaneous equation bias
  - Errors in variable measurements
  - Model with lagged dependent variable
  - Other situations where the assumption of exogeneity of regressors and error terms is violated
- iv) Study the formula for IV estimator for estimating parameter vector  $\beta$
- v) Basic model assumptions for applying IV method (basic characteristics of IV candidates)
- vi) **How do we use the available information optimally when “excess” of instrumental variables is available? (Z contains more variables than X)**
- vii) Study the role of Two Stage Least Square in the context of IV estimator. How 2SLS can help to solve the issue of availability of excess instrumental variables.
- viii) Asymptotic Covariance Matrix for 2SLS and **comparison** of Asymptotic Variances of the 2SLS to that of OLS
- ix) What is the meaning of suitable Instruments? What is weak Instrumental variable and what is strong instrumental variable? Study the proper tests for identifying the strength of available instrumental variables

### Topics from Lecture 9 – Extremum Estimators and Maximum Likelihood Estimator (MLE)

- i) Define and describe the Extremum Estimators using mathematical expressions. Provide some examples of Extremum Estimators
- ii) Study the assumptions of Asymptotic properties of Extremum Estimators

- iii) Define and describe MLE with appropriate **mathematical expressions, diagrams and examples.**

Note: Read chap 6 -section 6.2 from book by J. Kmenta and Chap 14 on MLE in book by Greene

- iv) Write the log likelihood function when distribution of observed data is assumed to be normal distribution. Derive the First Order conditions for MLE estimator and estimate the parameters.

NOTE: Read class notes, MLE\_NOTES posted in NYU Brightspace under lecture 8 and chap on MLE from Greene's book.

- v) Properties of the MLE estimator
- vi) 3 Basic techniques of hypothesis testing when Likelihood function is known: (a) Likelihood Ratio Test (b) Wald Test (c) Lagrange Multiplier Test. Read the mathematical formula to use in each case and describe each test very clearly

### Topics from Lecture 9 – No spherical Disturbances

- **A4. Homoscedasticity and nonauto correlation:**
- Each disturbance,  $\varepsilon_i$ , has the same finite variance,  $\sigma^2$ , and is uncorrelated with every other disturbance,  $\varepsilon_j$ , conditional on  $x$ . Disturbances that meet both of these assumptions are sometimes called **spherical disturbances**
  - i) Violation of assumption -4 and Generalized Regression Models
  - ii) Describe covariance matrix under non-spherical disturbances
  - iii) Properties of the OLS estimator in the Generalized Regression Model
  - iv) Given the effect of non-spherical disturbances on OLS, what approach should we take for estimating  $\beta$ . There are 3 basic scenarios that will determine our approach: (a)  $\Omega$  is known (b)  $\Omega$  is unknown but its structure is known (c)  $\Omega$  is completely unknown
  - v) Learned in Detail all aspects of GENERALIZED LEAST SQUARE estimator]: transformation of data, formula for slope estimate, covariance matrix, etc.
  - vi) Properties of GLS estimator
  - vii) Detail about Feasible GLS (FGLS) and various steps to estimate parameter under FGLS

- viii) Difference between estimated covariance matrix under OLS vs. true estimate of variance.
  - ix) White estimator of variance when disturbances are heteroskedastic
  - x) Tests of Heteroskedasticity: (a) White's General test and (b) Breusch-Pagan/Godfrey test
- Study the factors that determine the efficiency gains of GLS over OLS estimates

Topics from Lecture 10/11 – Nonlinear Regressions and Nonlinear Least Squares (NLS)

- i) The general form of the nonlinear regression model
- ii) Describe the non-linear regression models with some examples
- iii) Basic assumptions for Non-Linear Regression Models
- iv) Orthogonality condition for Non-Linear Regression models
- v) Non-Linear Least Square regression and First Order Conditions of minimization of sum of squares of residuals
- vi) How can you estimate the parameters from the equations derived from First Order Condition of Non-Linear Least Square estimation method?
- vii) STUDY the detail description of Newton-Raphson method of estimating parameters for Non-Linear regression models (using diagram also)
- viii) Study the three issues relevant to the Newton-Raphson procedure
- ix) Study the limitations of the Newton-Raphson Procedure
- x) Study the role of concavity and convexity of objective function in Non-Linear Maximization process.