

Distinguishing Between Dynamic Programming and Binary Search on Answer

It's great that you recognize "minimum" or "maximum" time as key hints for optimization problems. The cha

Use **Dynamic Programming (DP)** When:

1. **Overlapping subproblems & optimal substructure exist**
 - Example: Shortest path in a grid ? Solve smaller subproblems and combine results.
 - Example: DP on strings (edit distance, LCS) ? Break into smaller string problems.
 2. **You need to explore all possible ways**
 - Example: Knapsack problem ? Try including and excluding each item.
 - Example: DP on subsets (partitioning, sums, etc.).
 3. **The problem has a clear recurrence relation**
 - Example: "To find the best result for $dp[i]$, use previous $dp[j]$ values."
 - Example: "State $dp[i]$ depends on previous states like $dp[i-1]$."
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Use **Binary Search on Answer** When:

1. **The answer lies in a sorted range (monotonic property exists)**
 - Example: "Find the minimum time X where all tasks can be done."
 - If $X=5$ works, then $X=6$ also works ? Monotonic property.
 2. **You have a function $isPossible(X)$ to check feasibility**
 - Example: "Can we process all tasks in X time?"
 - Example: "Can we ship packages with X weight per day?"
 - If $isPossible(X)$ is easy to implement, binary search is a good fit.
 3. **You're asked for the minimum or maximum valid value**
 - Example: "Minimum largest sum in subarrays."
 - Example: "Maximum number of tasks that can be completed."
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Quick Test to Decide:

Ask yourself:

? "Can I write a function isPossible(X) to check if X is a valid answer?" ? **Binary Search on Answer**

? "Do I need to break the problem into smaller states?" ? ****Dynamic Programming****

Since you naturally lean toward DP, try practicing problems where binary search is more suitable (e.g., [LeetCode 1011](#)).