ANOVA Weeks1-3

Chris Ives

Contents

- Foundations
 - Importing Data
 - Descriptives
 - Plots
- - One-way ANOVA
 - Pairwise Comparisons
 - Planned Contrasts
 - Power Analysis
- Appendix
 - Custom Contrast Sets

Installing the needs Package

- Can install packages and load them
- No longer need install.packages() and library()
- It will ask if you would like to load it every time RStudio opens. Select yes.

install.packages("needs")

Importing the Data

Normally we would use the import() function to import our data. However, with the SPSS .sav files we don't get factor labels.

```
data_import <- import(here("data/Lab2_Vocab.sav"))
head(data_import)</pre>
```

Notice how we have 1s down the instruct column.

The Fix

For now, when working with .sav files we will use the read.sav function from the misty package.

use.value.labels = TRUE tells it to use the labels as the cell values.

Checking The Assumptions of ANOVA

- Independence of observations
- Normality
- Homogeneity of variance

Descriptive Statistics

Make sure the psych package is installed and loaded:

needs(psych)

describe from the psych package is one of the more popular functions for descriptive statistics.

describe(l2_data)

	vars	n me		sd	median	trimmed	mad	
	<int></int>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	
idnum	1	36	18.5	10.5356538	18.5	18.5	13.3434	
vocab	2	36	33.5	12.8652355	35.5	34.2	12.6021	
instruct*	3	36	2.0	0.8280787	2.0	2.0	1.4826	
3 rows 1-8 of 14 columns								

Independence of Observations

- Do participants cross groups?
- We know this if we know the study design
- In this study, each student experienced one and only one lecture

Normality

- We can check the skew and kurtosis values from our describe() output.
- 0 ± 2 is a good rule of thumb for a tenable assumption of normality.

<dbl></dbl>
101017
0 -1.3003629
2 -0.8726857
0 -1.5821759
0

• Instruct is a categorical variable, so we can ignore the skew and kurtosis on that.

Visual Inspection for Normality

• For the most part, plots will be wrapped using the ggplot() function.

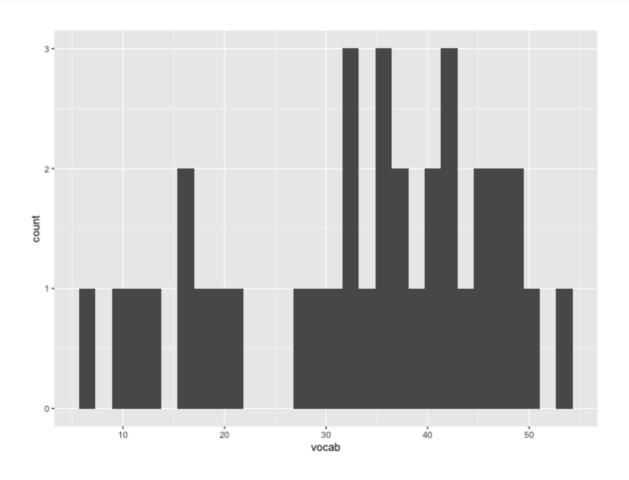
Histogram

```
ggplot(data = l2_data, aes(x = vocab)) +
  geom_histogram()
```

• aes() refers to aesthetics. What are the variables we want represented in our plots? Since we just want counts of a single continuous variable, we just need to specify our x (i.e., x = vocab).

Histograms

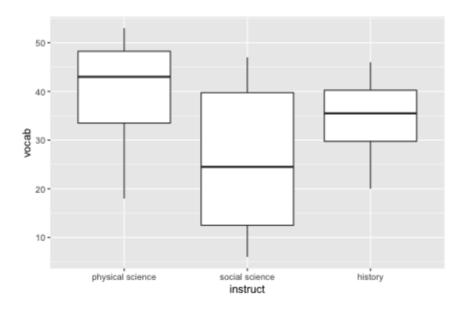
```
ggplot(data = l2_data, aes(x = vocab)) +
  geom_histogram()
```



Boxplot

• To get boxplots, we just substitute **geom_histogram()** for **geom_boxplot()** and modify our aesthetics.

```
ggplot(data = l2_data, aes(x = instruct, y = vocab)) +
  geom_boxplot()
```



Homogeneity of Variance

Homogeneity test is a separate analysis. We'll just use the **leveneTest** function for the **car** package. Formula is the same as for the ANOVA we want to run. Specify **center** = **"mean"** (function's default is median) to match SPSS results.

```
needs(car)
car::leveneTest(vocab ~ instruct, data = l2_data, center = "mean")
## Levene's Test for Homogeneity of Variance (center = "mean")
## Df F value Pr(>F)
## group 2 7.5054 0.002058 **
## 33
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Our significant result shows error variance around the *mean* is not equal across groups.

Running ANOVAS

Example here is from Lab 1 data.

ANOVAs will be run using the anova_test() function. Formula is specified as DV ~ IV. My convention is to number my model objects (e.g., m1, m2, etc.)

```
needs(rstatix)
m1 <- anova_test(data = l1_data, formula = vocab ~ instruct, deta
## Coefficient covariances computed by hccm()

m1

## ANOVA Table (type II tests)
##
## Effect SSn SSd DFn DFd F p p<.05 ges
## 1 instruct 1176 3824 1 22 6.766 0.016 * 0.235</pre>
```

Effect Sizes

Effect sizes can be specified using effect.size = ____ in the anova.test() function. Use effect.size = "ges" for generalized eta squared or effect.size = "pes" for partial eta squared. Default is "ges".

```
anova_test(data = l1_data, formula = vocab ~ instruct,
           effect.size = "ges")
## Coefficient covariances computed by hccm()
## ANOVA Table (type II tests)
##
## Effect DFn DFd F pp<.05 ges
## 1 instruct 1 22 6.766 0.016 * 0.235
anova test(data = l1_data, formula = vocab ~ instruct,
          effect.size = "pes")
## Coefficient covariances computed by hccm()
## ANOVA Table (type II tests)
##
## Effect DFn DFd F pp<.05 pes
## 1 instruct 1 22 6.766 0.016 * 0.235
Notice they are the same for a one-way between subjects
ANOVA
```

Posthoc Comparisons | Tukey

If you write out "data = l2data" the function will produce an error since it designed for multiple types of objects. Here we just type "l2data".

rstatix::tukey_hsd(l2_data, formula = vocab ~ instruct)

term <chr></chr>	group1 <chr></chr>	group2 <chr></chr>	null.value <dbl></dbl>
1 instruct	physical science	social science	0
2 instruct	physical science	history	0
3 instruct	social science	history	0
3 rows 1-	-5 of 10 columns		

Posthoc Comparisons | Games-Howell

Remember, Games-Howell is used if the assumption of variance homogeneity is violated.

.y. <chr></chr>	group1 <chr></chr>	group2 <chr></chr>	estimate <abl></abl>
1 vocab	physical science	social science	-14.0
2 vocab	physical science	history	-5.5
3 vocab	social science	history	8.5
3 rows	1-5 of 9 columns		

Posthoc Comparisons | Bonferroni

_	group1	group2		n2	' •			
<chr></chr>	<chr></chr>	<chr></chr>	<int></int>	<int></int>	<dbl></dbl>			
1 vocab	physical science	social science	12	12	0.00651			
2 vocab	physical science	history	12	12	0.26200			
3 vocab	social science	history	12	12	0.08700			
3 rows 1-7 of 10 columns								

Specified Contrasts

(Lab 3)

 They are not automatic in R and are a bit difficult. It is not important that you understand the reasoning behind all of the following steps.

Specified Contrasts

Check the order of your levels.

```
levels(l3_data$instruct)
```

```
## [1] "physical science" "social science" "history"
```

Make sure they are in the order that you would like and code your contrasts accordingly. As an example, If they need to be reordered use:

```
l3_data$instruct <- factor(l3_data$instruct, levels = c("social s</pre>
```

Note: We will be using the original order in the following contrasts.

Step 1: Set your contrasts. We'll do Helmert here.

```
contrast1 <- c(1, -.5, -.5) # physical science vs others contrast2 <- c(0, 1, -1) #social science vs history
```

Step 2: Bind the vectors into a temporary matrix. Constant should be equal to 1/(length of your vectors).

```
mat.temp <- rbind(constant=1/3, contrast1, contrast2)
mat.temp</pre>
```

Step 3: Take the inverse of the matrix using the **solve()** function. Then we are dropping the first column with the constants.

```
mat <- solve(mat.temp)</pre>
mat
## constant contrast1 contrast2
## [1,] 1 0.6666667 0.0
## [2,] 1 -0.3333333 0.5
## [3,] 1 -0.3333333 -0.5
mat < - mat[, -1]
mat
## contrast1 contrast2
## [1,] 0.6666667 0.0
## [2,] -0.3333333 0.5
## [3,] -0.3333333 -0.5
```

Step 4: Run your model formula using **lm()** and set contrasts. Here we are linking our "instruct" variable with our contrast matrix. Remember:

- contrast1 = physical science vs others
- contrast2 = social science vs history

```
m_contrasts <- lm(vocab ~ instruct, data=l3_data, contrasts = lis
summary(m_contrasts)
```

```
##
## Call:
## lm(formula = vocab ~ instruct, data = 13 data, contrasts = list(instruct
##
## Residuals:
## Min 1Q Median 3Q Max
## -22.000 -10.000 1.750 9.375 21.000
##
## Coefficients:
##
                  Estimate Std. Error t value Pr(>|t|)
## (Intercept) 33.500 1.968 17.026 <2e-16 ***
## instructcontrast1 9.750 4.174 2.336 0.0257 *
## instructcontrast2 -8.500 4.819 -1.764 0.0870.
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

How do I get the SDs for calculating effect sizes?

We will use the mutate function to code new groupings.

Then, we will run descriptives on this variable. My

case_when function reads: If instruct = social

science or instruct = history, code contrast1 as

humanities. If instruct = physical science code as

physical science.

```
l3_data <- l3_data %>%
  mutate(contrast1 = case_when(instruct == "social science" | instruct == "physical science" ~ '
contrast1_desc <- describe(l3_data ~ contrast1)</pre>
```

rmarkdown::paged_table(contrast1_desc\$humanities)

	vars	n	mean	sd	median	trimmed
	<int></int>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>
idnum	1	24	24.50	7.0710678	24.5	24.50
vocab	2	24	30.25	12.7696992	34.0	30.85
instruct*	3	24	2.50	0.5107539	2.5	2.50
contrast1*	4	24	1.00	0.0000000	1.0	1.00

4 rows | 1-7 of 14 columns

rmarkdown::paged_table(contrast1_desc\$`physical science`)

	vars	n me		sd	median	trimmed	mad	
	<int></int>	<dbl></dbl>	×dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	
idnum	1	12	6.5	3.605551	6.5	6.5	4.4478	
vocab	2	12	40.0	10.795622	43.0	40.9	11.8608	
instruct*	3	12	1.0	0.000000	1.0	1.0	0.0000	
contrast1*	4	12	1.0	0.000000	1.0	1.0	0.0000	

4 rows | 1-8 of 14 columns

Pooling SDs

Here I am saving the second element of each descriptive table (since vocab is the second row in the data frame) to calculate pooled SDs.

```
sd1 <- contrast1_desc$humanities$sd[2]
sd2 <- contrast1_desc$`physical science`$sd[2]
cohens_sd <- sqrt((sd1^2 + sd2^2)/2)
cohens_sd</pre>
```

```
## [1] 11.82393
```

```
n1 <- contrast1_desc$humanities$n[2]
n2 <- contrast1_desc$`physical science`$n[2]
hedges_sd <- sqrt(((n1-1)*sd1^2 + (n2-1)*sd2^2)/(n1+n2-2))
hedges_sd</pre>
```

```
## [1] 12.16613
```

Calculate Hedges' g

Now that we have our pooled SD and coefficient, we just need to run the calculation for contrast1.

```
coefficients(m_contrasts)

## (Intercept) instructcontrast1 instructcontrast2
## 33.50 9.75 -8.50

hedges_g <- 9.75/hedges_sd
hedges_g

## [1] 0.8014052</pre>
```

Calculate Effect Size

alternative = two.sided

NOTE: different sample sizes

##

##

For an unbalanced dataset, we will use pwr.2p2n.test from the pwr package to run a power analysis on our contrast. h will be equal to our effect size. We already saved our n's earlier, so n1 will just be equal to n1 (same for n2).

```
needs(pwr)
pwr.2p2n.test(h = hedges_g, n1 = n1, n2 = n2, power = NULL, sig.
##
##
        difference of proportion power calculation for binomial distribution
##
##
                 h = 0.8014052
##
                n1 = 24
##
                n2 = 12
         sig.level = 0.05
##
             power = 0.6204959
##
```

What about my ANOVA results?

To get the anova output, just run

```
rstatix::anova_test() on your m_contrasts object.
SPSS uses Type III SS by default, so I am matching it here.
```

Coefficient covariances computed by hccm()

```
contrast_anova
```

```
## ANOVA Table (type tests)
##
## Effect SSn SSd DFn DFd F p p<.05 ges
## 1 (Intercept) 40401 4599 1 33 289.896 6.57e-18 * 0.898
## 2 instruct 1194 4599 2 33 4.284 2.20e-02 * 0.206</pre>
```

Appendix

Contrasts

Isolated vs. Orthogonal Sets. If you are conducting an isolated contrast, or non-orthagonal set, you will need to use a different process for specifying contrasts. Here I demonstrate doing a single contrast. The primary difference is using ginv() from the MASS package rather than solve().

Essentially, R fills in the rest of the matrix. This means that there will be "extra" contrasts in the output that you will need to ignore. Here **instruct1** corresponds to my first and only contrast. **instruct2** can be ignored.

```
m_contrasts <- lm(vocab ~ instruct, data=l3_data, contrasts = lis
m_contrasts
```

```
##
## Call:
## lm(formula = vocab ~ instruct, data = 13_data, contrasts = list(instruct)
##
## Coefficients:
## (Intercept) instruct1 instruct2
## 33.50 9.75 6.01
```

If you want to make it easier to refer back to your contrasts, you can rename them in your output using the following code. Here I chose to keep the name of the intercept, name my contrast, and make everything else unnamed.

```
attr(m_contrasts$coefficients, "names") <- c("Intercept", "Phys s
m_contrasts
```

```
##
## Call:
## lm(formula = vocab ~ instruct, data = 13_data, contrasts = list(instruct)
##
## Coefficients:
## Intercept Phys Sci vs. Others
## 33.50 9.75 6.01
```